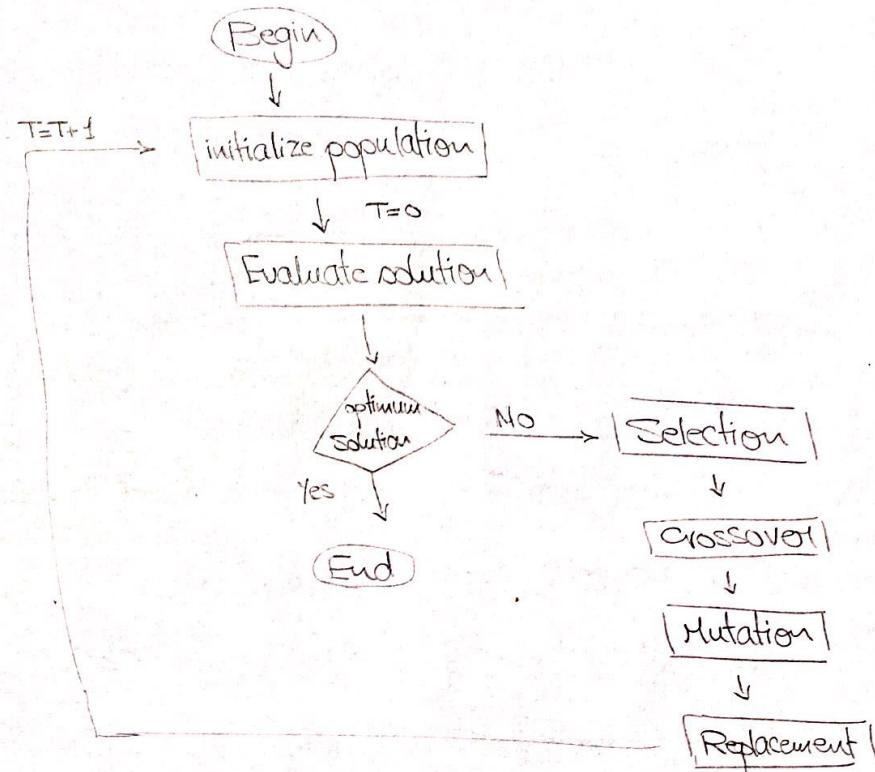


Soft computing

- * Genotype \rightarrow values | TIRUIVE [collection of genes]
 chromosome
- Phenotype \rightarrow action | True [collection of aspects]
- genotype contains all information to construct the phenotype
- * Genetic algorithm are search & optimization techniques
- \rightarrow Flowchart



\rightarrow Pseudo code

```

Simple GeneticAlgorithm()
{
    Initialize population;
    calculate fitness;
    while (fitness value != optimal value)
    {
        Selection;
        crossover;
        mutation;
        replacement;
        calculate fitness
    }
}
    
```

canonical

```

canonical_GA()
{
    = G0;
    for(i=1 to Max-Gen)
    {
        Evaluate...
    }
}
    
```

Environment \rightarrow problem
population \rightarrow solutions [search space
state space]
individual \rightarrow one solution
fitness \rightarrow Quality of a solution
chromosome \rightarrow format of solution
gene \rightarrow part of solution
reproduction \rightarrow crossover
copying error \rightarrow mutation

when to stop:

- (1) Best fitness
- (2) Number of generations [Max]
- (3) No new chromosome
- (4) No improvements after a number of generations

Phenotype $\xrightarrow{\text{encoding}}$ genotype
 $\xleftarrow{\text{decoding}}$

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- * Encoding
 - permutation encoding
 - mutation and crossover are independent
 - single point may produce some invalid offsprings
 - genotype: $1|2|7|8$ or $1, 2, 7, 8$
 - integer encoding: genotype $0 \rightarrow \infty$
- ① population using integer chromosome
 - $1|9|8|100$ or $1|5|8|12$
- ② population using permutation
 - $7|8|1|2|1|1$ or $7|1|2|1|8|1$

* Crossover for permutation lead to inadmissible solutions

* Mutation for permutation

1. Insert

- Bit-flipping mutation
 - choose random position to insert
 - random

↳ move the second to follow the first, shifting the rest along

2. Inversion

↳ pick two alleles at random and then invert the substring between them

3. Swap

↳ pick two alleles at random and swap their position

* Mutation over floating point chromosome:

1. Uniform

2. Non-Uniform

* Replacement: [cutoff selection & mixing strategy]

1. Generational replacement (GGA) ↳ used in GP

↳ entire set of parents is replaced by the offspring

2. Steady-state replacement (SSGA) [next generation]

↳ specific number (k) of individuals are selected for reproduction

3. Elitist strategy (Elitism) [next generation]

↳ Best-so-far individuals (same as steady-state)

⇒ Mutation only is possible: different combinations

↳ as the mutation can bring genes that won't happen using crossover

↳ introduce new genes

* population models

1. Gap

- gap size

↳ GGA = 1

↳ SSGA = $\frac{k}{\text{PopSize}}$

2. Overlap

- overlap

↳ SSGA = $\frac{\text{PopSize} - k}{\text{PopSize}}$

↳ 1-Gap

* Mutation over FP chromosomes

1. Uniform FP mutation:

$\hookrightarrow r_1 \in [0, 1]$ [This means equal chance to go left or right]

$$\Delta = \Delta_L \text{ if } r_1 \leq 0.5 \Rightarrow \Delta_L = x_i - LB_i$$

$$\Delta = \Delta_U \text{ if } r_1 > 0.5 \Rightarrow \Delta_U = UB_i - x_i$$

$\hookrightarrow r_2 \in [0, \Delta]$

$$\Delta = \Delta_L \text{ then } x_{\text{new}} = x_i - r_2$$

$$\Delta = \Delta_U \text{ then } x_{\text{new}} = x_i + r_2$$

Ex:

0.3	0.5	0.7	0.9
-----	-----	-----	-----

$$r_1 = 0.7$$

$$r_2 = 0.3$$

$$\begin{array}{c} \Delta L \quad 0.3 \quad \Delta U \\ \downarrow \quad \quad \quad \uparrow \\ \Delta L = 0.3 - 0 = 0.3 \\ \Delta U = 2 - 0.3 = 1.7 \end{array}$$

$$\begin{array}{c} r_1 > 0.5 \Rightarrow \Delta U \\ x_{\text{new}} = 0.3 + 0.3 \\ = 0.6 \end{array}$$

$$r_1 = 0.2$$

$$r_2 = 0.25$$

$$r_1 \leq 0.5 \Rightarrow \Delta L$$

$$\begin{array}{c} x_{\text{new}} = 0.3 - 0.25 \\ = 0.05 \end{array}$$

2. Non uniform mutation:

$\hookrightarrow r_1 \in [0, 1]$

$$\gamma = \Delta L \text{ if } r_1 \leq 0.5$$

$$\gamma = \Delta U \text{ if } r_1 > 0.5$$

$$\hookrightarrow \Delta(t, \gamma) = \gamma \left(1 - \gamma^{\frac{(1-t)^b}{T}}\right)$$

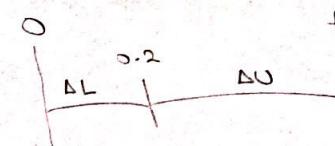
$$r_1 = 0.6 \quad \gamma = 0.1 \text{ (random)} \quad \text{given}$$

$$0.6 > 0.5 \Rightarrow \Delta U = 0.8 = \gamma$$

Ex:

0.5	0.3	0.7	0.2
-----	-----	-----	-----

↑ bias to mutation



$$\Delta L = 0.2 - 0 = 0.2$$

$$\Delta U = 1 - 0.2 = 0.8$$

t=0

$$\begin{aligned} \Delta &= \gamma \left[1 - \gamma^{\frac{(1-t)^b}{T}} \right] \text{ given } t=0 \\ &= 0.8 \left[1 - 0.1^{\frac{(1-0)^b}{T}} \right] \\ &= 0.8 \left[1 - 0.1^1 \right] \\ &= 0.72 \end{aligned}$$

$$\begin{aligned} x_{\text{new}} &= 0.2 + 0.72 \\ &= 0.92 \end{aligned}$$

\hookrightarrow max mutation

t=10

$$\begin{aligned} \Delta &= 0.8 \left[1 - 0.1^{\frac{(1-10)^b}{T}} \right] \\ &= 0 \end{aligned}$$

$$\begin{aligned} x_{\text{new}} &= 0.2 + 0 = 0.2 \\ &\text{no mutation} \end{aligned}$$

t=5

$$\begin{aligned} \Delta &= 0.8 \left[1 - 0.1^{\frac{(1-5)^b}{T}} \right] \\ &= 0.54 \end{aligned}$$

$$\begin{aligned} x_{\text{new}} &= 0.2 + 0.54 \\ &= 0.74 \end{aligned}$$

* Island genetic algorithm \rightarrow static
 ↳ run same problem
 ↳ Migration \leftarrow Chromo تبادل في الـ island
 ↳ can be easily parallelized
 ↳ Dynamic: migration \rightarrow probability
 destination \rightarrow random (acceptance strategy)
 ↳ fitness $>$ average fitness of island
 ↳ good migrant randomly selected migrant
 ↳ bad migrant randomly selected

* Schema theory:
 ↳ communication / migration rate / selection / replacement
 ↳ order $\xrightarrow{O(S)}$ fixed positions
 ↳ length $\xrightarrow{q(S)}$ distance between first + last fixed positions

$$011 * 1011 ** \\ 2^3 = 8 \text{ solutions}$$

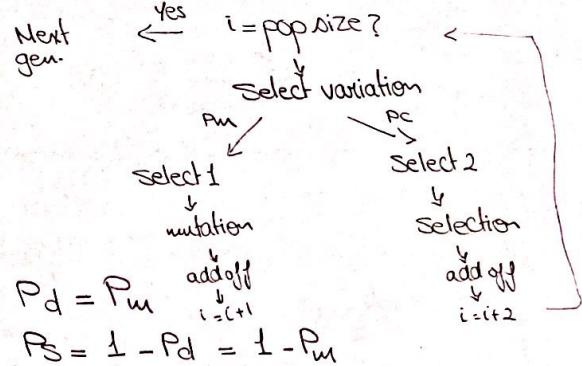
1. Selection

- Average fitness of population: $\frac{\sum_{i=1}^{PopSize} f_i}{PopSize} = \bar{F}$ $\rightarrow F = \bar{F} \times PopSize$
- Average fitness of matching schema: $\frac{\sum_{i=1}^P f_j}{P} = f_{av}(S)$
- $F = \text{total fitness of population}$, $F = \sum_{i=1}^{PopSize} f_i$
- $m(S, t+1) = m(S, t) * \text{popsize} * \frac{f_{av}(S)}{\bar{F}}$
- $m(S, t+1) = m(S, t) * \text{popsize} * \frac{f_{av}(S)}{\bar{F} \times \text{popsize}}$
- * $m(S, t+1) = m(S, t) * \frac{f_{av}(S)}{\bar{F}}$

Generation [Iterations]
 ↳ population
 ↳ chromosome
 ↳ genes

- GP:
 * functions & terminals
 * GA \rightarrow linear / fixed size
 GP \rightarrow non-linear / vary

* The key lies in that GP uses a fitness measure to determine which functions survive to reproduce in each generation



2. Crossover

$$P_S = 1 - P_C \frac{d(S)}{l-1}$$

$$P_d = \frac{d(S)}{l-1}$$

3. Mutation

$$P_S = (1 - P_m)^{O(S)} \quad \text{or} \quad 1 - O(S) P_m$$

$$P_d = P_m \underset{i=c+1}{\overset{add off}{\downarrow}} \quad P_S = 1 - P_d = 1 - P_m \underset{i=c+2}{\overset{add off}{\downarrow}}$$

* Reproductive Schema Growth Equation (RS G)

$$m(S, t+1) = m(S, t) * \frac{f_{av}(S)}{\bar{F}} + (1 - P_C) \frac{d(S)}{l-1} - O(S) P_m$$

Fuzzy Logic:

- * Boolean logic \rightarrow sharp distinctions. [two-valued]
- * Fuzzy logic \rightarrow logic that extends the range of truth values to all real numbers in the interval between 0 and 1. [multi-valued]
 - \rightarrow reflects how people think [can handle the concept of partial truth]
 - \rightarrow knowledge representation
 - \rightarrow accepts noisy, imprecise input

Fuzzy sets: \rightarrow fuzzy variables

- \hookrightarrow can represent the degree to which quality is possessed
- $\hookrightarrow \alpha$ -axis \rightarrow universe of discourse [range of all possible values]
- $\hookrightarrow \gamma$ -axis \rightarrow membership value

* characteristic function

$$\hookrightarrow P_A(x) : x \rightarrow \{0, 1\}$$

* membership function

$$\hookrightarrow m_A(x) : x \rightarrow [0, 1]$$

* Linguistic variable = fuzzy variable

- triangle $\{a, b, c\} = \{0, 1, 0\}$
- trapezoidal $\{a, b, c, d\} = \{0, 1, 1, 0\}$

؟ rules دلایل میں

- customer
- expert
- GA

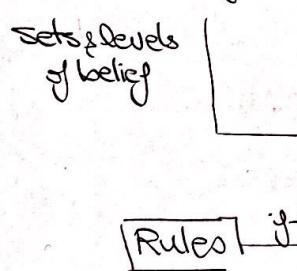
* Complement: $1 - \mu_A(x)$

* Intersection: min / AND = conjunction

* Union: max / OR = disjunction

* Fuzzy control component.

input qualities \rightarrow



① Fuzzification

② Evaluation of Rules

③ De-fuzzification

crisp data

\downarrow
Fuzzifier

\downarrow
Fuzzy rules

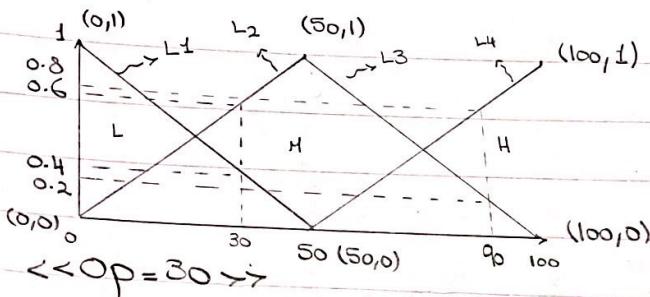
\downarrow
Fuzzy output set

\downarrow
Defuzzifier

\downarrow
crisp data

* combining neural network with fuzzy logic reduces time to establish rules by analyzing clusters of data

OP/Pdp



$$* L_1 : (0,1) \quad (50,0)$$

$$a = \text{slope} = \frac{y_2 - y_1}{x_2 - x_1} = \frac{0-1}{50-0} = \frac{-1}{50}$$

$$* \text{Substituting with } (0,1) \rightarrow 1 = \frac{-1}{50} \times 0 + b \\ \rightarrow b = 1$$

$$* \text{Equation of } L_1 \rightarrow y = \frac{-x}{50} + 1$$

$$* \text{Substituting with } OP = 30 \rightarrow y = \frac{-30}{50} + 1 \rightarrow y = \underline{\underline{0.4}} \text{ [membership value]}$$

$$* L_2 : (0,0) \quad (50,1)$$

$$a = \text{slope} = \frac{1-0}{50-0} = \frac{1}{50}$$

$$* \text{Substituting with } (0,0) \rightarrow 0 = 0 + b \rightarrow b = 0$$

$$* \text{Equation of } L_2 \rightarrow y = \frac{x}{50}$$

$$* \text{Substituting with } OP = 30 \rightarrow y = \frac{30}{50} \rightarrow y = \underline{\underline{0.6}} \text{ [membership value]}$$

$$<< \text{pdp} = 90 >>$$

$$* \text{slope of } L_3 = \frac{0-1}{100-50} = \frac{-1}{50} \rightarrow b = 2$$

$$* \text{Substituting with } \text{pdp} = 90 \rightarrow y = \frac{-90}{50} + 2 = 0.2$$

$$* \text{slope of } L_4 = \frac{1-0}{100-50} = \frac{1}{50} \rightarrow b = -1$$

$$* \text{Substituting with } \text{pdp} = 90 \rightarrow y = \frac{90}{50} - 1 = 0.8$$

\Rightarrow RULES:

$$R1: 0.4 \text{ AND } 0 \rightarrow 0$$

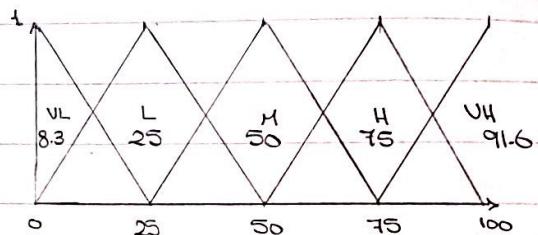
$$R2: 0.4 \text{ OR } 0 \rightarrow 0.4 \text{ (L)}$$

$$R3: 0.6 \text{ AND } (1-0.8) \rightarrow 0.2 \text{ (H)}$$

$$R4: 0 \text{ OR } 0.8 \rightarrow 0.8 \text{ (H)}$$

$$R5: 0 \text{ AND } 0.8 \rightarrow 0$$

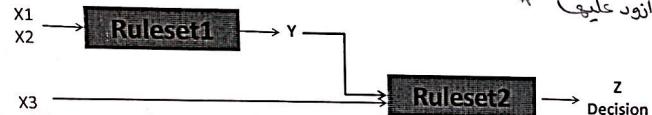
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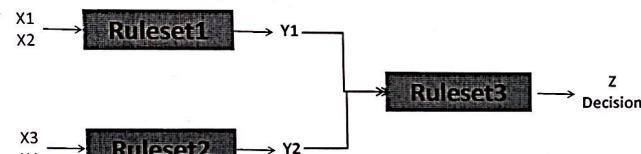
$$\hookrightarrow \text{Centroid of } L = 0 + 25 + 50 / 3 = 25$$

$$25 \times 0.4 + 50 \times 0.2 + 75 \times 0.8 = 57.1 \\ 0.4 + 0.2 + 0.8$$

Multiple Rulesets



OR



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$$y \propto_1 = 30:$$

$$\text{Slope} = \frac{1-0}{0-50} = \frac{1}{-50}$$

$$L_1: y = \frac{1}{-50}x + b_0$$

$$1 = 0 + b_0 \Rightarrow b_0 = 1$$

$$y = \frac{30}{-50} + 1 = 0.4$$

$$\text{Slope} = \frac{1-0}{50-0} = \frac{1}{50}$$

$$L_2: y = \frac{x}{50}$$

$$y = \frac{30}{50} = 0.6$$

$$y \propto_2 = 80$$

$$\text{Slope} = \frac{0-1}{100-50} = \frac{-1}{50}$$

$$L_3: y = -\frac{x}{50} + 2$$

$$y = -\frac{80}{50} + 2 = 0.4$$

$$\text{Slope} = \frac{1-0}{100-50} = \frac{1}{50}$$

$$L_4: y = \frac{x}{50} - 1$$

$$y = \frac{80}{50} - 1 = 0.6$$

Example

- Given a medical information system with governing variables X_1, X_2, X_3 . It is required to predict decision D which is Benign or Malignant $B \{0, 0, 10\}, M \{0, 10, 10\}$.

The following information is given: X_1, X_2 , and X_3 have 3 fuzzy sets L, M, H (range 0 - 100)
 $L \{0, 0, 50\}$, medium M $\{0, 50, 100\}$, good H $\{50, 100, 100\}$

With the following rulesets:

RS1:

$$\begin{matrix} & 0.4 & 0.4 \\ R1: & \text{If } X_1=L \text{ AND } X_2=M \text{ THEN } Y=L & 0.4 \\ R2: & \text{If } X_1=M \text{ AND } X_2=H \text{ THEN } Y=H & 0.6 \end{matrix}$$

RS2:

$$\begin{matrix} & 0.4 & 0.2 \\ R3: & \text{If } Y=L \text{ AND } X_3=M \text{ THEN } D=B & 0.2 \\ R4: & \text{If } Y=H \text{ AND } X_3=H \text{ THEN } D=M & 0.6 \end{matrix}$$

Using triangular membership function, Predict D for $X_1 = 30, X_2 = 80$ and $X_3 = 90$?

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$$y \propto_3 = 90$$

$$L_3: y = -\frac{90}{50}x + 2 = 0.2$$

$$L_4: y = \frac{90}{50}x - 1 = 0.8$$

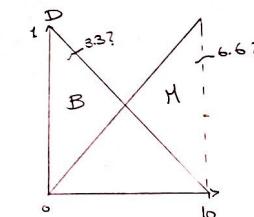
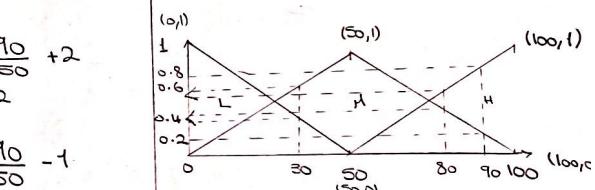
$$D = H [0.4] ?$$

$$D = B [0.2]$$

$$D = B [0.6]$$

$$D = 0.4B + 0.2B + 0.6B$$

$$0.4 + 0.2 + 0.6$$



* Defuzzification techniques:

① Max membership principle: [height method]

↳ $z \rightarrow z_{\max}$ all point

↳ if multiple peaks exist, the middle one is chosen.

② Mean max membership: [middle of maxima]

↳ $z = \frac{a+b}{2}$ (average)

③ Centroid method: [center of area / center of gravity]

↳ area under graph

④ Weighted average method

↳ centroid₁ × membership₁ + centroid₂ × membership₂ + ...
membership₁ + membership₂ + ...

↳ for non-symmetric fuzzy sets (trapezoidal or triangular)

⇒ add defining points of fuzzy set & divide by their number

* Neural network [information processing paradigm]

• ANN incorporate the two fundamental components of biological neural networks:

(1) neurons (nodes)

(2) synapse (weights)

• Neural networks learn from examples [during training period]

• Different types of neural networks:

(1) feed-forward neural network:

- one way only

- no feedback

• Phases and data of an ANN:

(1) Learning (training)

- done by back-propagation

- done using labeled data

- time consuming

(2) Testing

(3) Execution

- feed forward is used

- new unlabeled data

(2) Feedback neural network

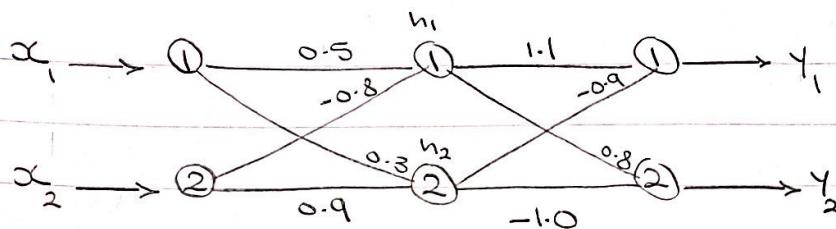
- travel in both directions

- their 'state' is changing continuously

$$n = 0.5$$

Labeled data

x_1	x_2	y_1	y_2
1	3	0.9	0.1



(1) Feed forward path:

$$\cdot h_1 \text{ in} = 1 \times 0.5 + 3 \times (-0.8) = -1.9 \quad \cdot h_2 \text{ in} = 1 \times 0.3 + 3 \times 0.9 = 3.0$$

$$h_1 \text{ out} = \frac{1}{1+e^{-1.9}} = 0.13$$

$$h_2 \text{ out} = \frac{1}{1+e^{-3.0}} = 0.95$$

$$y_1 \text{ in} = 0.13 \times 1.1 + 0.95 \times (-0.9) = -0.712 \quad y_2 \text{ in} = 0.13 \times 0.8 + 0.95 \times (-1.0) = -0.846$$

$$y_1 \text{ out} = \frac{1}{1+e^{-0.712}} = 0.329$$

$$y_2 \text{ out} = \frac{1}{1+e^{-(0.846)}} = 0.3$$

(2) calculate error of output layer:

$$\begin{aligned} \cdot \text{Error } y_1 &= \text{out}_{y_1} (1 - \text{out}_{y_1}) (\text{Target}_{y_1} - \text{out}_{y_1}) \\ &= 0.329 (1 - 0.329) (0.9 - 0.329) = 0.126 \end{aligned}$$

$$\begin{aligned} \cdot \text{Error } y_2 &= \text{out}_{y_2} (1 - \text{out}_{y_2}) (\text{Target}_{y_2} - \text{out}_{y_2}) \\ &= 0.3 (1 - 0.3) (0.1 - 0.3) = -0.042 \end{aligned}$$

(3) change output layer weights:

$$\begin{aligned} \cdot w_{h_1 y_1}^{(t+1)} &= w_{h_1 y_1}^{(t)} + \eta \times \text{Error}_{y_1} \times h_1 \text{ out} \\ &= 1.1 + [0.5 \times 0.126 \times 0.13] = 1.10819 \end{aligned}$$

$$\begin{aligned} \cdot w_{h_2 y_1}^{(t+1)} &= w_{h_2 y_1}^{(t)} + \eta \times \text{Error}_{y_1} \times h_2 \text{ out} \\ &= -0.9 + [0.5 \times 0.126 \times 0.95] = -0.84 \end{aligned}$$

$$\begin{aligned} \cdot w_{h_1 y_2}^{(t+1)} &= w_{h_1 y_2}^{(t)} + \eta \times \text{Error}_{y_2} \times h_1 \text{ out} \\ &= 0.8 + [0.5 \times -0.042 \times 0.13] = 0.797 \end{aligned}$$

$$\begin{aligned} \cdot w_{h_2 y_2}^{(t+1)} &= w_{h_2 y_2}^{(t)} + \eta \times \text{Error}_{y_2} \times h_2 \text{ out} \\ &= -1.0 + [0.5 \times -0.042 \times 0.95] = -1.019 \end{aligned}$$

(4) calculate (back-propagate) hidden layer error:

$$\begin{aligned}\text{Error}_{h_1} &= \text{out}_{h_1} (1 - \text{out}_{h_1}) \times (\text{Error}_{y_1} \times w_{h_1 y_1} + \text{Error}_{y_2} \times w_{h_1 y_2}) \\ &= 0.13 (1 - 0.13) \times (0.126 \times 1.1 + (-0.042) \times 0.8) = 0.01188\end{aligned}$$
$$\begin{aligned}\text{Error}_{h_2} &= \text{out}_{h_2} (1 - \text{out}_{h_2}) \times (\text{Error}_{y_1} \times w_{h_2 y_1} + \text{Error}_{y_2} \times w_{h_2 y_2}) \\ &= 0.95 (1 - 0.95) \times (0.126 \times (-0.9) + (-0.042) \times (-1.0)) = -0.00339\end{aligned}$$

(5) change hidden layer weights

$$\begin{aligned}w_{x_1 h_1}^{(t+1)} &= w_{x_1 h_1}^{(t)} + u \times \text{error}_{h_1} \times x_1 \\ &= 0.5 + [0.5 \times 0.01188 \times 1] = 0.5059\end{aligned}$$

$$\begin{aligned}w_{x_2 h_1}^{(t+1)} &= w_{x_2 h_1}^{(t)} + u \times \text{error}_{h_1} \times x_2 \\ &= 0.8 + [0.5 \times 0.01188 \times 3] = -0.78\end{aligned}$$

$$\begin{aligned}w_{x_1 h_2}^{(t+1)} &= w_{x_1 h_2}^{(t)} + u \times \text{error}_{h_2} \times x_1 \\ &= 0.3 + [0.5 \times (-0.00339) \times 1] = 0.298\end{aligned}$$

$$\begin{aligned}w_{x_2 h_2}^{(t+1)} &= w_{x_2 h_2}^{(t)} + u \times \text{error}_{h_2} \times x_2 \\ &= 0.9 + [0.5 \times (-0.00339) \times 3] = 0.8949\end{aligned}$$

(6) Next feed forward path:

$$h_1 \text{ in} = 1 \times 0.5059 + 3 \times -0.78 = -1.83$$

$$y_1 \text{ in} = 0.138 \times 1.10819 + 0.951 \times (-0.84) = -0.61$$

$$h_1 \text{ out} = 0.138$$

$$y_1 \text{ out} = 0.344$$

$$h_2 \text{ in} = 1 \times 0.298 + 3 \times 0.8949 = 2.98$$

$$y_2 \text{ in} = -0.85$$

$$h_2 \text{ out} = 0.95$$

$$y_2 \text{ out} = 0.297$$

$$y_1 \left[0.9 \right]$$

$$0.329 \rightarrow 0.344$$

$$y_2 \left[0.1 \right]$$

$$0.3 \rightarrow 0.297$$

* Back propagation:

Step 1: feed forward path

Step 2: Mean square error

$$E_p = \frac{1}{2} \sum_{k=1}^n (\text{Target}_k - \text{output}_k)^2$$

if $E_p \leq$ acceptable value then stop

Step 3: calculate error of output layer

$$1. \text{Error}_{\alpha} = \text{out}_{\alpha} (1 - \text{out}_{\alpha}) (\text{Target}_{\alpha} - \text{out}_{\alpha})$$

Step 4: change output layer weights

$$1. w_{Ax}^+ = w_{Ax} + n * \text{Error}_{\alpha} * \text{out}_A$$

Step 5: calculate (back-propagate) hidden layer error

$$1. \text{Error}_A = \text{out}_A (1 - \text{out}_A) \times (\text{Error}_{\alpha} \times w_{Ax} + \text{Error}_{\beta} \times w_{Ab})$$

Step 6: change hidden layer weights

$$1. w_{\lambda A}^+ = w_{\lambda A} + n * \text{Error}_A * \text{in}_{\lambda}$$

Step 7: Next feed forward path

Node biases: $\rightarrow \text{output} = \text{sum}(\text{weights} \times \text{inputs}) + \text{bias}$

- Bias allows you to shift the activation function by adding a constant to the input.

Network training:

(1) Supervised training:

\Rightarrow inputs & desired outputs

\Rightarrow weights are modified to reduce the difference between the actual & desired output

(2) Unsupervised training:

\Rightarrow inputs only

Learning rate: [n]

• Too small

\hookrightarrow slow [so many iterations/takes a lot of time]

• Too large

\hookrightarrow not generalized / fast learning

\rightarrow one layer is sufficient, two if function is discontinuous

Hidden layers & neurons:

neurons

• Too few:

\hookrightarrow NN can't learn the details

• Too many:

\hookrightarrow NN learns the insignificant details

Common error: is to test the neural network using the same samples that were used in training

• Training set: a group of samples used to train the neural network

• Testing set: a group of samples used to test the performance of the neural network

- Good training set can avoid overfitting
- What is a good example of training set?
 - ↳ must represent the general population
 - must contain members of each class (must contain wide range of variations or noise effect)
- Training FFNN using genetic algorithms
 - * Each chromosome will represent the set of all weights of the network [fixed length]
 - * Each gene represent 1 weight value
 - * chromosome encoding is floating point
 - * Random initialization
 - * fitness : mean - square error is used
 - * crossover : single / multiple point
 - * Mutation : Non-uniform floating point
 - * Selection : Roulette wheel selection
 - * Replacement : Elitism strategy
- Evolving fuzzy systems using genetic algorithms
 - * Each chromosome will represent a single rule set.
 - * Random initialization of the population.
 - * fitness : mean - square error is used
 - note: the number of rules in chromosome is variable
 - * Selection : Roulette wheel selection
 - * Replacement : Elitism strategy