

# What's the probability you also like me GIVEN that I already liked you?



$$P(A|B) = \frac{P(B|A) * P(A)}{P(B)}$$

- Prior Distribution:  $P(A)$  is initial belief
- Likelihood:  $B$
- Posterior Distribution:  $P(A|B)$  is the new believe I have about  $A$  given some evidence  $B$  I observed

# An Example

If the machine is working knowing that we observed the last light bulb was not working?

- Prior Distribution:  $P(\text{Machine Working}) = P(\text{Broken}) = 0.5$  is our initial guess
- Likelihood:

$$P(\text{Good Bulb}|\text{Working Machine})=0.99 \quad P(\text{Bad Bulb}|\text{Working Machine}) = 0.01$$

$$P(\text{Good Bulb}|\text{Broken Machine})=0.6 \quad P(\text{Bad Bulb}|\text{Broken Machine})=0.4$$

- Posterior Distribution:  $P(A|B)$  is the new believe I have about A given some evidence B I observed

$$P(\text{Machine Working}|\text{Bad Bulb}) =$$

$$\frac{P(\text{Bad}|\text{Working}) * P(\text{Working})}{P(\text{Bad}|\text{Working}) * P(\text{Working}) + P(\text{Bad}|\text{Broken}) * P(\text{Working})}$$

# Update Belief based on new evidences

