(1) Calculate the delay produced by the subroutine in terms of number of execution states.

Ans: Tallying up the total number of cycles will give  $(1 + 1 \times 10 + 1 \times 10 + 1) = 22$  cycles.

(2) Given that the processor clock is 10MHz, what is the duration of the time delay produced by the routine?

Ans: At 10MHz, each cycle is  $0.1\mu s$ , therefore total delay =  $22*0.1 = 2.2\mu s$ 

(3) How can a time delay of 1ms be achieved?

Ans: we change MOV R0, #10 to MOV R0, #0x87, then ADD R0, R0, #0x1300.

## 3.4 Multi-precision Arithmetic

(1) With reference to Fig. 3.4, for each "?", give the ARM mnemonic that will implement the corresponding functionality described by each of the comments shown.

## Suggested solutions:

START	MOV	SP, LDR LDR ADD STME BL END	#0xFFFFFF	FC R0,=N1 R1,[R0] R0,R0,#4 SP!,{R1,R0} SubA
SubA		STME ADD LDR STR LDR MOV STR STR	FD SP!,{R	4-R7} SP,SP,#-12 R4,[SP,#32] R4,[SP] R4,[SP,#28] R5,#0 R5,[SP,#4] R5,[SP,#8]
Loop		LDR LDR ADDS LDR ADC STR STR LDR SUBS STR BNE LDR STR STR ADD LDR MOV	3	R5,[SP,#4] R6,[R4],#4 R7,[R4],#4 R6,R5,R6 R5,[SP,#8] R7,R7,R5 R6,[SP,#4] R7,[SP] R7,R7,#1 R7,[SP] Loop R5,[SP,#4] R5,[R4],#4 R6,[R4] SP,SP,#12 SP!,{R4-R7} PC,LR

(2) Describe what changes to the program in Fig. 3.4 you would make if the multi-precision integers are stored using the Big Endian format instead.

This can be done by changing lines 22-29 as follows:

(3) Give the two 32-bit hexadecimal values in memory addresses  $0 \times 114$  and  $0 \times 118$  at the end of the execution of the code segment shown in Fig 3.4.

```
Ans: 0 \times 114 = 0 \times 223 (lower word) and 0 \times 118 = 0 \times 812 (upper word)
```