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**LAB REPORT**  
**on**

**Artificial Intelligence (23CS5PCAIN)**

*Submitted by*

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*in partial fulfillment for the award of the degree of*  
**BACHELOR OF ENGINEERING**  
*in*  
**COMPUTER SCIENCE AND ENGINEERING**



**B.M.S. COLLEGE OF ENGINEERING**  
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**B.M.S. College of Engineering,  
Bull Temple Road, Bangalore 560019**  
(Affiliated To Visvesvaraya Technological University, Belgaum)  
**Department of Computer Science and Engineering**



**CERTIFICATE**

This is to certify that the Lab work entitled “Artificial Intelligence (23CS5PCAIN)” carried out by **Rani Aishwarya H S (1BM22CS217)**, who is bonafide student of **B.M.S. College of Engineering**. It is in partial fulfillment for the award of **Bachelor of Engineering in Computer Science and Engineering** of the Visvesvaraya Technological University, Belgaum. The Lab report has been approved as it satisfies the academic requirements in respect of an Artificial Intelligence (23CS5PCAIN) work prescribed for the said degree.

Radhika A D Assistant Professor Department of CSE, BMSCE	Dr. Kavitha Sooda Professor & HOD Department of CSE, BMSCE
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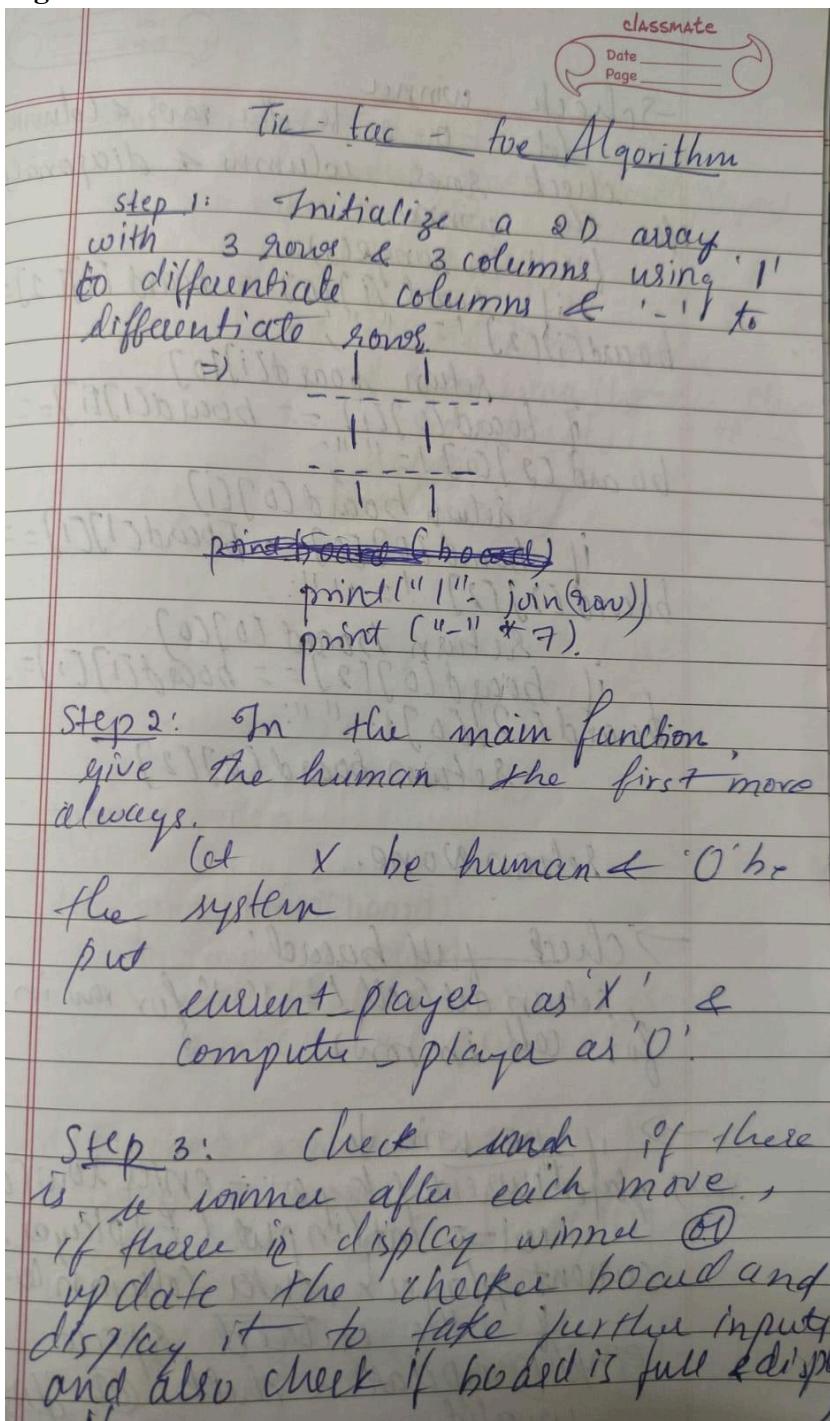
Github Link:

<https://github.com/likitha-zzie/AI-LAB>

## Program 1

### Implement Tic - Tac - Toe Game

#### Algorithm:



→ check winner  
 let 0-2 be the rows & columns  
 for check rows, columns & diagonally  
 for the winner.  
 for i in range(3):  
 if board[i][0] == board[i][1] ==  
 board[i][2] != " ":  
 return board[i][0]  
 if board[0][i] == board[1][i] ==  
 board[2][i] != " ":  
 return board[0][i]  
 if board[0][0] == board[1][1] ==  
 board[2][2] != " ":  
 return board[0][0]  
 if board[0][2] == board[1][1] ==  
 board[2][0] != " ":  
 return board[0][2]

return None.

→ check full board:

return all(cell != " " for row in board  
 for cell in row)

→ if no win ↓

row player current player - enter row(0-2):  
 col -> int(input(f"player {current\_player}, enter column (0-2):"))  
 empty update & check @ display  
 invalid

Page

~~for computer move~~

find winning move (board, player)

```

for i in range(3):
    for j in range(3):
        if board[i][j] == " ":
            board[i][j] = player
            if check_winner(board) == player:
                board[i][j] = " "
                return board[i][j]

```

return None.

~~python code:~~

```

import random

def print_board(board):
    for row in board:
        print(" | ".join(row))
        print(" - " * 9)

def check_winner(board):
    for i in range(3):
        if board[0][i] == board[1][i] == board[2][i] == board[0][0]:
            return board[0][0]
        if board[0][i] == board[1][i] == board[2][i] == board[0][2]:
            return board[0][2]

```

### Code:

```

# Initialize the board
board = [' ' for _ in range(9)]

# Function to draw the board
def draw_board():
    row1 = '| {} | {} | {} |'.format(board[0], board[1], board[2])
    row2 = '| {} | {} | {} |'.format(board[3], board[4], board[5])
    row3 = '| {} | {} | {} |'.format(board[6], board[7], board[8])
    print()
    print(row1)
    print(row2)
    print(row3)
    print()

```

```

# Function for player's move
def player_move(icon):
    if icon == 'X':
        number = 1
    elif icon == 'O':
        number = 2
    print("Your turn, player {}".format(number))
    choice = int(input("Enter your move (1-9): ").strip())
    if board[choice - 1] == '':
        board[choice - 1] = icon
    else:
        print()
        print("That space is taken!")

# Function to check for victory
def is_victory(icon):
    if (board[0] == icon and board[1] == icon and board[2] == icon) or \
       (board[3] == icon and board[4] == icon and board[5] == icon) or \
       (board[6] == icon and board[7] == icon and board[8] == icon) or \
       (board[0] == icon and board[3] == icon and board[6] == icon) or \
       (board[1] == icon and board[4] == icon and board[7] == icon) or \
       (board[2] == icon and board[5] == icon and board[8] == icon) or \
       (board[0] == icon and board[4] == icon and board[8] == icon) or \
       (board[2] == icon and board[4] == icon and board[6] == icon):
        return True
    else:
        return False

# Function to check for a draw
def is_draw():
    if '' not in board:
        return True
    else:
        return False

# Function to play the game
def play_game():
    draw_board()
    while True:
        player_move('X')
        draw_board()
        if is_victory('X'):
            print("Player 1 wins! Congratulations!")
            break
        elif is_draw():
            print("It's a draw!")

```

```

break

player_move('O')
draw_board()
if is_victory('O'):
    print("Player 2 wins! Congratulations!")
    break
elif is_draw():
    print("It's a draw!")
    break

# Start the game
play_game()

```

**Output:**

```

[x] ┌─────────┐
  |         |
  |         |
  |         |
  └─────────┘
Your turn player 1
Enter your move (1-9): 1
  | X |   |
  |   |   |
  |   |   |
  └─────────┘
Your turn player 2
Enter your move (1-9): 9
  | X |   |
  |   |   |
  |   | O |
  └─────────┘
Your turn player 1
Enter your move (1-9): 2
  | X | X |   |
  |   |   |   |
  |   |   |   |
  └─────────┘
Your turn player 2
Enter your move (1-9): 8
  | X | X |   |
  |   |   |   |
  |   | O | O |
  └─────────┘
Your turn player 1
Enter your move (1-9): 3
  | X | X | X |
  |   |   |   |
  |   | O | O |
  └─────────┘
Player 1 wins! Congratulations!
  ┌─────────┐
  |         |
  |         |
  |         |
  └─────────┘

```

28s completed at 11:34 AM

```

[x] ┌─────────┐
  |         |
  |         |
  |         |
  └─────────┘
Your turn player 1
Enter your move (1-9): 1
  | X |   |
  |   |   |
  |   |   |
  └─────────┘
Your turn player 2
Enter your move (1-9): 9
  | X |   |
  |   |   |
  |   | O |
  └─────────┘
Your turn player 1
Enter your move (1-9): 3
  | X |   | X |
  |   |   |   |
  |   |   | O |
  └─────────┘
Your turn player 2
Enter your move (1-9): 2
  | X | O | X |
  |   |   | O |
  |   |   |   |
  └─────────┘
Your turn player 1
Enter your move (1-9): 7
  | X | O | X |
  | X |   | O |
  |   |   |   |
  └─────────┘
Your turn player 2
Enter your move (1-9): 4
  | X | O | X |
  | X |   | O |
  |   |   |   |
  └─────────┘
Your turn player 1
Enter your move (1-9): 6
  | X | O | X |
  | X |   | X |
  |   |   | O |
  └─────────┘
Your turn player 2
Enter your move (1-9): 5
  | X | O | X |
  | O | O | X |
  | X |   | O |
  └─────────┘
Your turn player 1
Enter your move (1-9): 8
  | X | O | X |
  | X | O | X |
  | X | X | O |
  └─────────┘
it's a draw!
  ┌─────────┐
  |         |
  |         |
  |         |
  └─────────┘

```

## Program 2

### Implement vacuum cleaner agent

Lab - 02      Date : 11/10/24

Write a program for implementation of a AI controlled vacuum cleaner.

Algorithm:

Step 1: Create two rooms A and B  
Step 2: Take input from the user whether the room is clean or dirty. i.e., Clean → C & Dirty → D  
Step 3: Initially both the rooms are dirty initially.

Step 4: The vacuum cleaner agent in room A checks if it is dirty if yes - cleans if not then A → cleaned and moves right i.e., next room B.

def check\_if\_clean(vac): (i.e., A@)  
    while (true):  
        if (roomval == D):  
            clean(vac):  
        else  
            move(vac)  
    end .  
end def

→ If the room A is in status dirty, the loop executes implementing clean(A); if else the agent will move to the next room i.e. to its right and again checks the room's status  
 if  $B == D$ :  
     clean B;  
 else  
     move(A);  
 → If both of them are cleaned then it breaks the loop  
 ↗  
 11/10/24

→ Program:  
 print("0 - dirty and 1 - clean")  
 roomA = int(input("Enter status for room A:"))  
 roomB = int(input("Enter status for room B:"))  
 def clean(room, RoomName):  
     if cleanRoom == 0:  
         room = 1  
         print(RoomName + " cleaned")

### Code:

```

# Reflex function for vacuum cleaner
def reflex(loc, status, cost):
    s = status # Track the current status of the location
    if status == 1: # If the location is dirty
        cost += 1
        print(f"SUCK at {loc}")
    s = 0 # The location is now clean
  
```

```

if loc == "A":
    print("Move RIGHT to B")
    loc = "B" # Move to B
elif loc == "B":
    print("Move LEFT to A")
    loc = "A" # Move to A
return cost, loc, s # Return updated cost, location, and status

# Function to check goal state
def goal(a_status, b_status):
    if a_status == 0 and b_status == 0:
        print("Goal reached")
    else:
        print("Goal not reached")

# Input for the starting location and statuses
loc = input("Enter the starting location of the vacuum (A or B): ").strip()
cost = 0
a_status = int(input("Enter the status of location A (0 for clean, 1 for dirty): "))
b_status = int(input("Enter the status of location B (0 for clean, 1 for dirty): "))

# Simulate cleaning process
if loc == "A":
    cost, loc, a_status = reflex("A", a_status, cost)
    cost, loc, b_status = reflex("B", b_status, cost)
elif loc == "B":
    cost, loc, b_status = reflex("B", b_status, cost)
    cost, loc, a_status = reflex("A", a_status, cost)

# Output the total cost and goal status
print(f"Total cost: {cost}")
goal(a_status, b_status)

```

**Output:**

---

```
Enter the starting location of the vacuum (A or B): A
Enter the status of location A (0 for clean, 1 for dirty): 0
Enter the status of location B (0 for clean, 1 for dirty): 0
Move RIGHT to B
Move LEFT to A
Total cost: 0
Goal reached
```

---

```
Enter the starting location of the vacuum (A or B): B
Enter the status of location A (0 for clean, 1 for dirty): 1
Enter the status of location B (0 for clean, 1 for dirty): 1
SUCK at A
Move RIGHT to B
SUCK at B
Move LEFT to A
Total cost: 2
Goal reached
```

```
Enter the starting location of the vacuum (A or B): A
Enter the status of location A (0 for clean, 1 for dirty): 1
Enter the status of location B (0 for clean, 1 for dirty): 0
SUCK at A
Move RIGHT to B
Move LEFT to A
Total cost: 1
Goal reached
```

```
Enter the starting location of the vacuum (A or B): A
Enter the status of location A (0 for clean, 1 for dirty): 0
Enter the status of location B (0 for clean, 1 for dirty): 1
Move RIGHT to B
SUCK at B
Move LEFT to A
Total cost: 1
Goal reached
```

### Program 3

Implement 8 puzzle problems using DFS and BFS:

LAB - 03.

Date \_\_\_\_\_  
Page \_\_\_\_\_  
08/10/24

⇒ write an algorithm and a program  
to solve 8-puzzle game.

→ Algorithm to find manhattan distance.

Step 1: A 2D array to represent the current state of the puzzle ( $3 \times 3$ )  
A 2D array to represent the goal state of the puzzle ( $3 \times 3$ )

goal state =

1	2	3
4	5	6
7	8	

=  $[(1, 2, 3), (4, 5, 6), (7, 8, -)]$

possible moves =  $[(-1, 0), (1, 0), (0, -1), (0, 1)]$

Step 2: def manhattan(state):  
 for i in range(3):  
 for j in range(3):  
 if (state[i][j] != '-'):   
 goal\_i, goal\_j = divmod(  
 state[i][j] - 1, 3)  
 distance += abs(i - goal\_i) +  
 abs(j - goal\_j)

end if  
 end for  
 end for.  
 return distance.

step 3: checking for the goal state in current state (if current state == goal state)  
def check(state):  
    return goalstate == current state

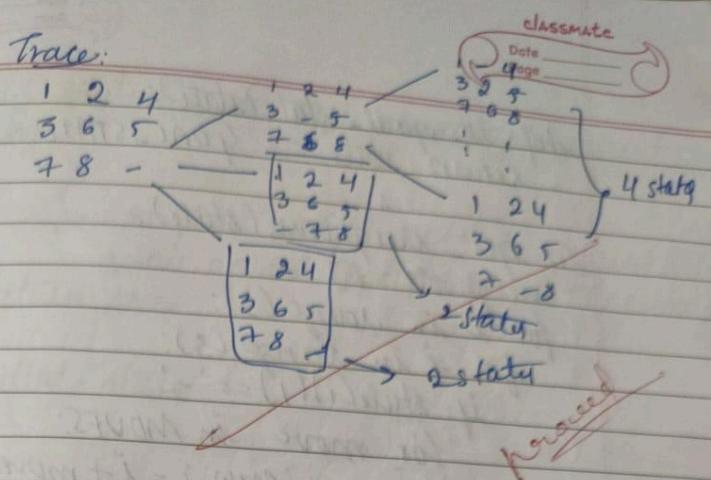
=> O+5 Algorithm.

step 4:

def neighbours(state):  
    → Loop the matrix from i to 3  
    → where if state[i][j] = '-' →  
        then check all the four directions  
        using the move matrix, we can do it.  
    → add those to a new array.  
    → Return the neighbours array

Step 5: DFS.

→ declare a queue  
→ visited array to mark visited positions  
→ loop it until the queue is empty  
→ check if the current state is the goal state.  
→ skip already visited state using visited array  
→ if not visited - add to the visited array  
→ Again get the neighbours  
→ end. if no neighbours → none.



⇒ role implementation:

from collections import deque

GOAL-STATE = [ [ 1, 2, 3 ],  
[ 4, 5, 6 ],  
[ 7, 8, '-' ] ]

MOVES = [ (-1, 0), # Up  
 (1, 0), # down  
 (0, -1), # Left  
 (0, 1) ] # Right.

def manhattan\_distance(state):

distance = 0

for i in range(3):

~~for j in range(3):~~

if state[i][j] != '-'

$\text{goal-}i, \text{goal-}j = \text{climod}(\text{state}[i][j] - 1, 3)$

distance += abs(i - goal\_i) + abs(j - goal\_j)

**Code:**

**BFS:**

```
from collections import deque

# Goal state for the 8-puzzle
goal_state = [[1, 2, 3],
              [4, 5, 6],
              [7, 8, 0]]

# Possible moves
moves = {'up': (-1, 0), 'down': (1, 0), 'left': (0, -1), 'right': (0, 1)}

# Function to find the position of the blank (0)
def find_blank(state):
    for i in range(len(state)):
        for j in range(len(state[i])):
            if state[i][j] == 0:
                return i, j

# Function to check if a state is the goal state
def is_goal(state):
    return state == goal_state

# Function to generate neighbors by moving the blank tile
def get_neighbors(state):
    neighbors = []
    blank_row, blank_col = find_blank(state)
    for move, (dr, dc) in moves.items():
        new_row, new_col = blank_row + dr, blank_col + dc
        if 0 <= new_row < 3 and 0 <= new_col < 3:
            # Create a new state by swapping tiles
            new_state = [row[:] for row in state]
            new_state[blank_row][blank_col], new_state[new_row][new_col] =
            new_state[new_row][new_col], new_state[blank_row][blank_col]
            neighbors.append((new_state, move))
    return neighbors

# Function to print the puzzle state
def print_puzzle(state):
    for row in state:
        print(row)
    print()

# BFS algorithm to solve the puzzle
def bfs(start_state):
    queue = deque([(start_state, [])]) # Queue stores (current state, path to reach it)
```

```

visited = set() # To avoid revisiting states
visited.add(tuple(tuple(row) for row in start_state)) # Convert state to a tuple for
hashing

while queue:
    current_state, path = queue.popleft()

    # Check if the goal is reached
    if is_goal(current_state):
        return current_state, path

    # Explore neighbors
    for neighbor, move in get_neighbors(current_state):
        state_tuple = tuple(tuple(row) for row in neighbor)
        if state_tuple not in visited:
            visited.add(state_tuple)
            queue.append((neighbor, path + [move]))

return None, None

# Function to get user input for the initial state
def get_user_input():
    print("Enter the initial state of the 8-puzzle (row by row):")
    state = []
    for i in range(3):
        while True:
            try:
                row = list(map(int, input(f"Enter row {i+1} (3 integers, space-separated):").split()))
                if len(row) != 3 or any(x not in range(9) for x in row):
                    raise ValueError
                state.append(row)
                break
            except ValueError:
                print("Invalid input. Please enter 3 integers between 0 and 8.")
    return state

# Function to demonstrate the solution step by step
def demonstrate_solution(start_state, solution_path):
    current_state = start_state
    print("Initial state:")
    print_puzzle(current_state)
    for move in solution_path:
        print(f"Move: {move}")
        for neighbor, move_name in get_neighbors(current_state):
            if move_name == move:
                current_state = neighbor

```

```

print_puzzle(current_state)
break

# Main function
if __name__ == "__main__":
    start_state = get_user_input()
    final_state, solution_path = bfs(start_state)
    if solution_path:
        print("Solution found. Steps are demonstrated below:")
        demonstrate_solution(start_state, solution_path)
    else:
        print("No solution found.")

```

**Output:**

```

Enter the initial state of the 8-puzzle (row by row):
Enter row 1 (3 integers, space-separated): 1 2 3
Enter row 2 (3 integers, space-separated): 0 4 6
Enter row 3 (3 integers, space-separated): 7 5 8
Solution found. Steps are demonstrated below:
Initial state:
[1, 2, 3]
[0, 4, 6]
[7, 5, 8]

Move: right
[1, 2, 3]
[4, 0, 6]
[7, 5, 8]

Move: down
[1, 2, 3]
[4, 5, 6]
[7, 0, 8]

Move: right
[1, 2, 3]
[4, 5, 6]
[7, 8, 0]

```

---

```

Enter the initial state of the 8-puzzle (row by row):
Enter row 1 (3 integers, space-separated): 1 3 2
Enter row 2 (3 integers, space-separated): 4 6 0
Enter row 3 (3 integers, space-separated): 7 5 8
No solution found.

```

---

## DFS:

```
from copy import deepcopy

# Directions for moving the blank space (0): up, down, left, right
DIRECTIONS = [(-1, 0), (1, 0), (0, -1), (0, 1)]

class PuzzleState:
    def __init__(self, board, parent=None, move=""):
        self.board = board
        self.parent = parent
        self.move = move

    # Find the position of the blank (0)
    def get_blank_position(self):
        for i in range(3):
            for j in range(3):
                if self.board[i][j] == 0:
                    return i, j

    # Generate successor states by moving the blank space
    def generate_successors(self):
        successors = []
        x, y = self.get_blank_position()
        for dx, dy in DIRECTIONS:
            new_x, new_y = x + dx, y + dy
            if 0 <= new_x < 3 and 0 <= new_y < 3:
                new_board = deepcopy(self.board)
                new_board[x][y], new_board[new_x][new_y] = new_board[new_x][new_y], new_board[x][y]
                successors.append(PuzzleState(new_board, parent=self))
        return successors

    # Check if the current state matches the goal state
    def is_goal(self, goal_state):
        return self.board == goal_state

    # String representation of the puzzle state
    def __str__(self):
        return "\n".join([" ".join(map(str, row)) for row in self.board])

    # Depth-limited search (DLS)
    def depth_limited_search(current_state, goal_state, depth):
        if depth == 0 and current_state.is_goal(goal_state):
            return current_state
```

```

if depth > 0:
    for successor in current_state.generate_successors():
        found = depth_limited_search(successor, goal_state, depth - 1)
        if found:
            return found
    return None

# Iterative deepening search (IDS)
def iterative_deepening_search(start_state, goal_state):
    depth = 0
    while True:
        print(f"\nSearching at depth level: {depth}")
        result = depth_limited_search(start_state, goal_state, depth)
        if result:
            return result
        depth += 1

# Get user input for start and goal states
def get_user_input():
    print("Enter the start state (use 0 for the blank):")
    start_state = []
    for _ in range(3):
        row = list(map(int, input().split()))
        start_state.append(row)
    print("Enter the goal state (use 0 for the blank):")
    goal_state = []
    for _ in range(3):
        row = list(map(int, input().split()))
        goal_state.append(row)
    return start_state, goal_state

# Main function
def main():
    start_board, goal_board = get_user_input()
    start_state = PuzzleState(start_board)
    goal_state = goal_board
    result = iterative_deepening_search(start_state, goal_state)
    if result:
        print("\nGoal reached!")
        path = []
        while result:
            path.append(result)
            result = result.parent
        path.reverse()
        for state in path:
            print(state, "\n")
    else:

```

```
print("Goal state not found.")

if __name__ == "__main__":
    main()
```

**Output:**

```
Enter the start state (use 0 for the blank):
2 8 3
1 6 4
7 0 5
Enter the goal state (use 0 for the blank):
1 2 3
8 0 4
7 6 5

Searching at depth level: 0
Searching at depth level: 1
Searching at depth level: 2
Searching at depth level: 3
Searching at depth level: 4
Searching at depth level: 5

Goal reached!
2 8 3
1 6 4
7 0 5

2 8 3
1 0 4
7 6 5

2 0 3
1 8 4
7 6 5

0 2 3
1 8 4
7 6 5

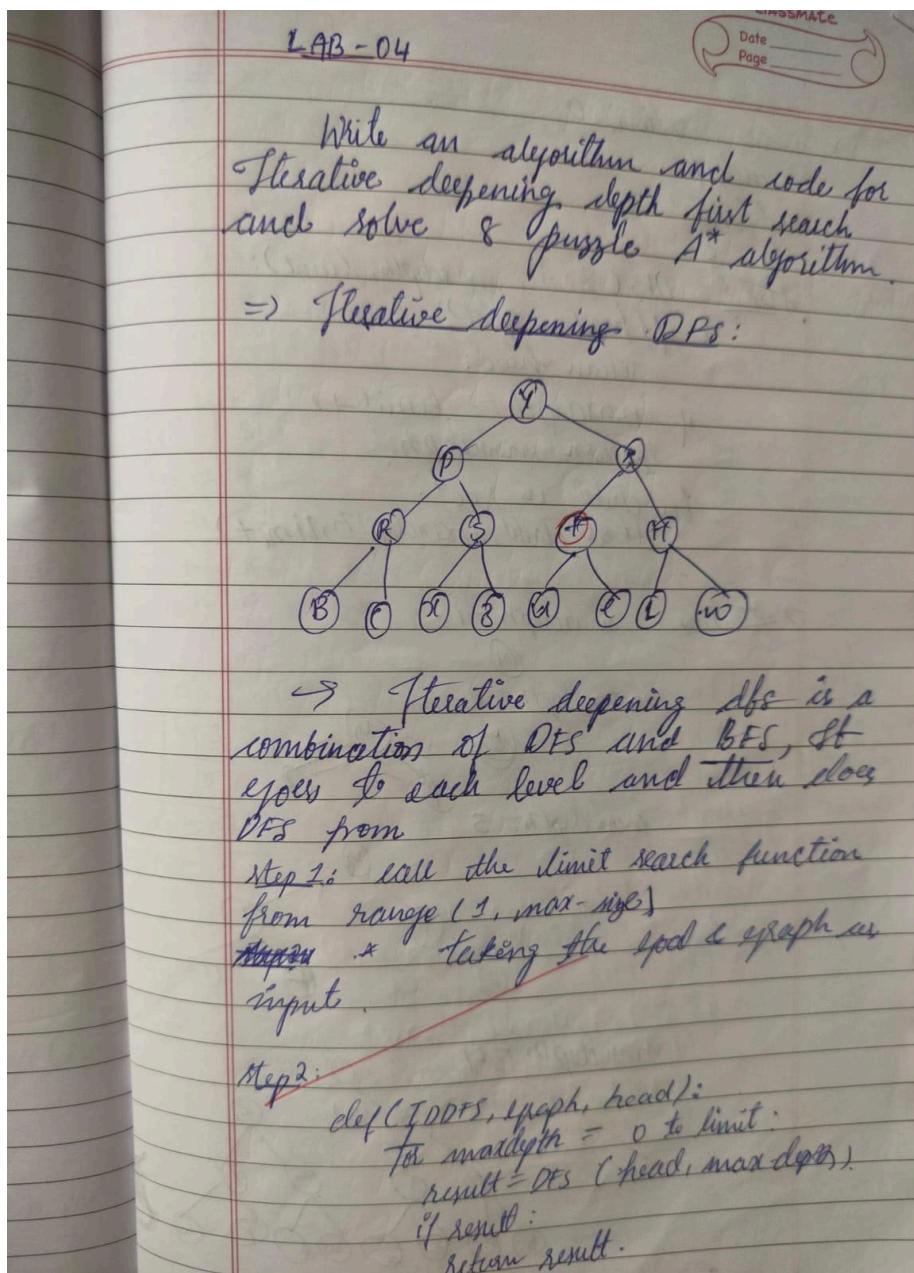
1 2 3
0 8 4
7 6 5

1 2 3
8 0 4
7 6 5
```

## Program 4

Implement A\* search algorithm

**Algorithm:**

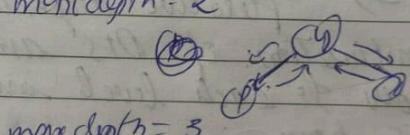


return 0  
end if  
end for.

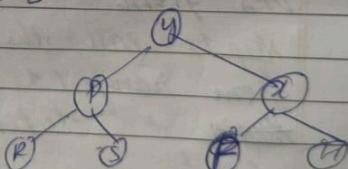
Step 3: DFS(head, maxdepth, limit):  
 if (head == goal):  
 return head:  
 if maxdepth == limit + 1  
 return maxdepth.  
 for child in root:  
 DFS(child, maxdepth, limit).

Iteration: maxdepth = 1

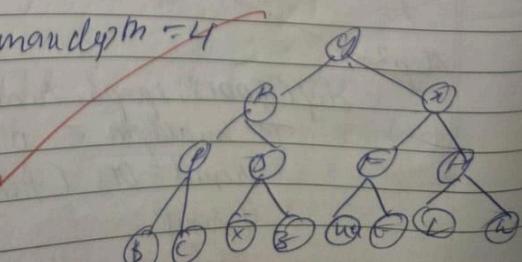
maxdepth = 2



maxdepth = 3



maxdepth = 4



Algorithm for 8 puzzle using A\*.

Initial state

1	2	3
8		4
7	6	5

2	8	1
	4	3
7	6	5

goal state

1	3
8	2
7	6

1	2	3
8	4	
7	6	5

1	2	3
8	4	
7	6	5

4	2	3
8	6	4
7	5	

$$h(n) = 8$$

$$f(n) = 9$$

$$h(n) = 6$$

$$f(n) = 7$$

$$h(n) = 6$$

$$f(n) = 7$$

$$h(n) = 8$$

$$f(n) = 9$$

$$h(n) = 7$$

$$f(n) = 9$$

$$h(n) = 7$$

$$f(n) = 9$$

$$h(n) = 5$$

$$f(n) = 7$$

$$h(n) = 7$$

$$f(n) = 9$$

$$h(n) = 9$$

$$f(n) = 9$$

$$h(n) = 9$$

$$f(n) = 9$$

$$h(n) = 5$$

$$f(n) = 7$$

$$h(n) = 7$$

$$f(n) = 9$$



1	2	3
8	4	3
7	6	5

$$h(n) = 6$$

$$f(n) = 9$$

1	2	3
8	1	4
7	6	5

$$h(n) = 4$$

$$f(n) = 9$$

**Code:**  
**Misplaced Tiles:**

```
import heapq

# Define the goal state as a tuple of tuples
GOAL_STATE = ((1, 2, 3),
               (8, 0, 4),
               (7, 6, 5))

# Heuristic: Count the number of misplaced tiles
def misplaced_tile(state):
    misplaced = 0
    for i in range(3):
        for j in range(3):
            if state[i][j] != 0 and state[i][j] != GOAL_STATE[i][j]:
                misplaced += 1
    return misplaced

# Find the position of the blank tile (0)
def find_blank(state):
    for i in range(3):
        for j in range(3):
            if state[i][j] == 0:
                return i, j

# Generate neighbors by moving the blank tile
def generate_neighbors(state):
    neighbors = []
    x, y = find_blank(state)
    directions = [(0, 1), (0, -1), (1, 0), (-1, 0)] # Right, Left, Down, Up
    for dx, dy in directions:
        nx, ny = x + dx, y + dy
        if 0 <= nx < 3 and 0 <= ny < 3:
            # Create a new state by swapping tiles
            new_state = [list(row) for row in state]
            new_state[x][y], new_state[nx][ny] = new_state[nx][ny], new_state[x][y]
            neighbors.append(tuple(tuple(row) for row in new_state))
    return neighbors

# Reconstruct the path from the start state to the goal state
def reconstruct_path(came_from, current):
    path = [current]
    while current in came_from:
        current = came_from[current]
        path.append(current)
```

```

path.reverse()
return path

# A* search algorithm
def a_star(start):
    open_list = []
    heapq.heappush(open_list, (0 + misplaced_tile(start), 0, start)) # (f(n), g(n), state)
    g_score = {start: 0} # Cost from start to the current state
    came_from = {}
    visited = set()

    while open_list:
        _, g, current = heapq.heappop(open_list)

        # Check if we have reached the goal
        if current == GOAL_STATE:
            path = reconstruct_path(came_from, current)
            return path, g

        visited.add(current)

        # Explore neighbors
        for neighbor in generate_neighbors(current):
            if neighbor in visited:
                continue

            tentative_g = g_score[current] + 1 # Each move has a cost of 1

            # If this path is better, update scores and add to the queue
            if tentative_g < g_score.get(neighbor, float('inf')):
                came_from[neighbor] = current
                g_score[neighbor] = tentative_g
                f_score = tentative_g + misplaced_tile(neighbor) # f(n) = g(n) + h(n)
                heapq.heappush(open_list, (f_score, tentative_g, neighbor))

    return None, None # No solution found

# Print a given puzzle state
def print_state(state):
    for row in state:
        print(row)
    print()

# Main function
if __name__ == "__main__":
    start_state = ((2, 8, 3),
                  (1, 6, 4),

```

```

(7, 0, 5))

print("Initial State:")
print_state(start_state)
print("Goal State:")
print_state(GOAL_STATE)

solution, cost = a_star(start_state)
if solution:
    print(f"Solution found with cost: {cost}")
    print("Steps:")
    for step in solution:
        print_state(step)
else:
    print("No solution found.")

```

**Output:**

```

▶ Initial State:
⇒ (2, 8, 3)
⇒ (1, 6, 4)
⇒ (7, 0, 5)

Goal State:
(1, 2, 3)
(8, 0, 4)
(7, 6, 5)

Solution found with cost: 5
Steps:
(2, 8, 3)
(1, 6, 4)
(7, 0, 5)

(2, 8, 3)
(1, 0, 4)
(7, 6, 5)

(2, 0, 3)
(1, 8, 4)
(7, 6, 5)

(0, 2, 3)
(1, 8, 4)
(7, 6, 5)

(1, 2, 3)
(0, 8, 4)
(7, 6, 5)

(1, 2, 3)
(8, 0, 4)
(7, 6, 5)

```

## **Manhattan:**

```
import heapq

# Define the goal state as a tuple of tuples
GOAL_STATE = ((1, 2, 3),
               (8, 0, 4),
               (7, 6, 5))

# Heuristic: Calculate the Manhattan distance for each tile
def manhattan_distance(state):
    distance = 0
    for i in range(3):
        for j in range(3):
            value = state[i][j]
            if value != 0:
                goal_x, goal_y = divmod(value - 1, 3) # Find the goal position of the current tile
                distance += abs(goal_x - i) + abs(goal_y - j)
    return distance

# Find the position of the blank tile (0)
def find_blank(state):
    for i in range(3):
        for j in range(3):
            if state[i][j] == 0:
                return i, j

# Generate neighbors by moving the blank tile
def generate_neighbors(state):
    neighbors = []
    x, y = find_blank(state)
    directions = [(0, 1), (0, -1), (1, 0), (-1, 0)] # Right, Left, Down, Up
    for dx, dy in directions:
        nx, ny = x + dx, y + dy
        if 0 <= nx < 3 and 0 <= ny < 3:
            # Create a new state by swapping tiles
            new_state = [list(row) for row in state]
            new_state[x][y], new_state[nx][ny] = new_state[nx][ny], new_state[x][y]
            neighbors.append(tuple(tuple(row) for row in new_state))
    return neighbors

# Reconstruct the path from the start state to the goal state
def reconstruct_path(came_from, current):
    path = [current]
    while current in came_from:
        current = came_from[current]
    path.append(current)
    return path
```

```

    path.append(current)
    path.reverse()
    return path

# A* search algorithm
def a_star(start):
    open_list = []
    heapq.heappush(open_list, (manhattan_distance(start), 0, start)) # (f(n), g(n), state)
    g_score = {start: 0} # Cost from start to the current state
    came_from = {}
    visited = set()

    while open_list:
        f, g, current = heapq.heappop(open_list)

        # Check if we have reached the goal
        if current == GOAL_STATE:
            path = reconstruct_path(came_from, current)
            return path, g

        visited.add(current)

        # Explore neighbors
        for neighbor in generate_neighbors(current):
            if neighbor in visited:
                continue

            tentative_g = g_score[current] + 1 # Each move has a cost of 1

            # If this path is better, update scores and add to the queue
            if tentative_g < g_score.get(neighbor, float('inf')):
                came_from[neighbor] = current
                g_score[neighbor] = tentative_g
                f_score = tentative_g + manhattan_distance(neighbor) # f(n) = g(n) + h(n)
                heapq.heappush(open_list, (f_score, tentative_g, neighbor))

    return None, None # No solution found

# Print a given puzzle state
def print_state(state):
    for row in state:
        print(row)
    print()

# Main function
if __name__ == "__main__":
    start_state = ((2, 8, 3),

```

```

(1, 6, 4),
(7, 0, 5))

print("Initial State:")
print_state(start_state)
print("Goal State:")
print_state(GOAL_STATE)

solution, cost = a_star(start_state)
if solution:
    print(f"Solution found with cost: {cost}")
    print("Steps:")
    for step in solution:
        print_state(step)
else:
    print("No solution found.")

```

### Output:

```

Initial State:
(2, 8, 3)
(1, 6, 4)
(7, 0, 5)

Goal State:
(1, 2, 3)
(8, 0, 4)
(7, 6, 5)

Solution found with cost: 5
Steps:
(2, 8, 3)
(1, 6, 4)
(7, 0, 5)

(2, 8, 3)
(1, 0, 4)
(7, 6, 5)

(2, 0, 3)
(1, 8, 4)
(7, 6, 5)

(0, 2, 3)
(1, 8, 4)
(7, 6, 5)

(1, 2, 3)
(0, 8, 4)
(7, 6, 5)

(1, 2, 3)
(8, 0, 4)
(7, 6, 5)

```

## Program 5

Simulated Annealing to Solve 8-Queens problem

Algorithm:

LAB-05

Simulation of Annealing.

Objective function :  $x^2 + 5 \sin x$ .

Step 1: Define a function called "Simulation-Annealing".

```
def simulationAnnealing(initialState,
                        initialTemp, coolingRate,
                        current = initialState,
                        best = current,
                        best = objective(current),
                        temp = initialTemp,
                        while temp > 1:
                            for i ← 1 to it:
                                new = neighbours(current)
                                current = objective(new)
                                newCost = object(new)
                                if function(curr, newCost,
                                            temp) > Rand(0, 1):
                                    current = new
                                if new < best:
                                    best = new
                                    temp * = cooling
                                    retain(best, best - cost).
```

Step 2: Now define a objective function to change the state

```

def objective(state):
    cost = 0
    for element in state:
        cost += ele * ( + circle)
    return cost

```

Step 3: Next function is to check / search for neighbours

```

def neighbour(state):
    new = state.copy()
    index = rand(0, len(state)-1)
    new[index] += Rand(-1,1)
    return new

```

Step 4: A function for acceptance probability

```

def AP(current_cost, new_cost, temp):
    if (new_cost < current_cost):
        return 1
    else:
        return e^(new_cost - current_cost) / T

```

circle:

```

def main():
    initial_temp = 1000
    cooling_rate = 0.9
    iterations = 1000

```

Don't worry

### Code:

```

import numpy as np
from scipy.optimize import dual_annealing

```

```
def queens_max(position):
```

# This function calculates the number of pairs of queens that are not attacking each other

```

position = np.round(position).astype(int)
n = len(position)
queen_not_attacking = 0

for i in range(n - 1):
    for j in range(i + 1, n):
        # Check if queens i and j are not attacking each other
        if position[i] != position[j] and abs(position[i] - position[j]) != (j - i):
            queen_not_attacking += 1

return -queen_not_attacking # Return negative for maximization

# Bounds for each queen's position (0 to 7 for an 8x8 chessboard)
bounds = [(0, 7) for _ in range(8)]

# Use dual_annealing for simulated annealing optimization
result = dual_annealing(queens_max, bounds)

# Display the results
best_position = np.round(result.x).astype(int)
best_objective = -result.fun

print("The best position found is:", best_position)
print('The number of queens that are not attacking each other is:', best_objective)

```

### Output:

→ The best position found is: [3 5 7 2 0 6 4 1]  
 The number of queens that are not attacking each other is: 28

### Example: SUDOKU PROBLEM

```

import numpy as np
import random
import math

def is_valid(puzzle, row, col, num):
    """Check if a number can be placed at a specific position."""
    if num in puzzle[row] or num in puzzle[:, col]:
        return False
    box_x, box_y = row // 3 * 3, col // 3 * 3
    if num in puzzle[box_x:box_x + 3, box_y:box_y + 3]:
        return False
    return True

```

```

def initial_fill(puzzle):
    """Fill the empty cells in the puzzle with valid random values."""
    filled = puzzle.copy()
    for row in range(9):
        for col in range(9):
            if filled[row][col] == 0:
                possible_values = [num for num in range(1, 10) if is_valid(filled, row, col, num)]
                if possible_values:
                    filled[row][col] = random.choice(possible_values)
    return filled

def objective(puzzle):
    """Calculate the number of conflicts in the Sudoku puzzle."""
    conflicts = 0
    # Row conflicts
    for row in range(9):
        conflicts += 9 - len(set(puzzle[row]))
    # Column conflicts
    for col in range(9):
        conflicts += 9 - len(set(puzzle[:, col]))
    # Box conflicts
    for box_x in range(0, 9, 3):
        for box_y in range(0, 9, 3):
            box = puzzle[box_x:box_x+3, box_y:box_y+3].flatten()
            conflicts += 9 - len(set(box))
    return conflicts

def simulated_annealing(puzzle, max_iter=100000, start_temp=1.0, end_temp=0.01, alpha=0.99):
    """Solve the Sudoku puzzle using simulated annealing."""
    current_state = initial_fill(puzzle)
    current_score = objective(current_state)
    temp = start_temp

    for iteration in range(max_iter):
        if current_score == 0: # Solution found
            break
        # Randomly pick an empty cell
        row, col = random.randint(0, 8), random.randint(0, 8)
        while puzzle[row][col] != 0:
            row, col = random.randint(0, 8), random.randint(0, 8)

        # Create a new state with a random value in the chosen cell
        new_state = current_state.copy()
        new_value = random.randint(1, 9)
        if is_valid(new_state, row, col, new_value):
            new_state[row][col] = new_value

```

```

new_score = objective(new_state)
delta_score = new_score - current_score

# Accept new state based on simulated annealing criteria
if delta_score < 0 or random.uniform(0, 1) < math.exp(-delta_score / temp):
    current_state, current_score = new_state, new_score

# Decrease temperature
temp *= alpha
if temp < end_temp:
    break

return current_state

# Example usage:
puzzle = np.array([
    [5, 3, 0, 0, 7, 0, 0, 0, 0],
    [6, 0, 0, 1, 9, 5, 0, 0, 0],
    [0, 9, 8, 0, 0, 0, 0, 6, 0],
    [8, 0, 0, 0, 6, 0, 0, 0, 3],
    [4, 0, 0, 8, 0, 3, 0, 0, 1],
    [7, 0, 0, 0, 2, 0, 0, 0, 6],
    [0, 6, 0, 0, 0, 0, 2, 8, 0],
    [0, 0, 0, 4, 1, 9, 0, 0, 5],
    [0, 0, 0, 0, 8, 0, 0, 7, 9]
])
solved_puzzle = simulated_annealing(puzzle)
print("Solved Sudoku:\n", solved_puzzle)

```

## Output:

```

Solved Sudoku:
[[5 3 4 2 7 6 9 1 0]
[6 2 7 1 9 5 4 3 8]
[1 9 8 3 4 0 5 6 2]
[8 1 2 7 6 4 0 9 3]
[4 0 9 8 5 3 7 2 1]
[7 0 3 9 2 1 8 5 6]
[3 6 5 0 0 7 2 8 4]
[2 8 0 4 1 9 3 0 5]
[0 4 1 5 8 2 6 7 9]]

```

## Program 6

Implement Hill Climbing search algorithm to solve N-Queens problem

Algorithm:

29/10/24.

Hill climbing to implement 8-queens.

Step 1: Initialize a random configured  $8 \times 8$  chessboard with ~~each row~~ ~~one~~ a queen placed in each row - call it start state.

Step 2: calculate all possible conflicts of all the respective states. i.e no two queens should be in same row & same diagonal.

def calculate\_attacks(state):  
 attacks = 0  
 for i in range(len(state)):  
 for j in range(i+1, len(state)):  
 if state[i] == state[j] or abs(state[i] - state[j]) == j - i:  
 attacks += 1  
 return attacks

Step 3: Initialize current state  
→ set current\_state to initial\_state.  
→ calculate current\_attacks by counting conflict in current\_state.

Function hill\_climbing():  
 current\_state = randomly place queens in each row  
 current\_attacks = calculate\_attacks(current\_state)

step 4: Heuristic to find improved state

for i in range(100):

    neighbors = []

    for row in range(8):

        for col in range(8):

            if state[row] != col:

                neighbor = state[i]

                neighbor[row] = col

                neighbors.append(neighbor)

step 5: choose the best neighbor and return result.

current\_state = next\_state

current\_attacks = next\_attacks

Return current\_state, current\_attacks

output:

Best solution found (with 0 attacks) :

.....  
..Q....  
.....  
.....Q..  
.....  
.....Q.  
.....  
..Q....

Code:

```
import random
```

```
def get_attacking_pairs(state):
```

```
    """Calculates the number of attacking pairs of queens."""
```

```

attacks = 0
n = len(state)
for i in range(n):
    for j in range(i + 1, n):
        # Check if queens are in the same column or diagonals
        if state[i] == state[j] or abs(state[i] - state[j]) == abs(i - j):
            attacks += 1
return attacks

def generate_successors(state):
    """Generates all possible successors by moving each queen to every other column in
    its row."""
    n = len(state)
    successors = []
    for row in range(n):
        for col in range(n):
            if col != state[row]: # Only generate new states with different columns
                new_state = state[:]
                new_state[row] = col
                successors.append(new_state)
    return successors

def hill_climbing(n):
    """Hill climbing algorithm for N-Queens problem."""
    # Start with a random state
    current = [random.randint(0, n - 1) for _ in range(n)]
    steps = 0

    while True:
        current_attacks = get_attacking_pairs(current)
        successors = generate_successors(current)

        # Find the neighbor with the minimum attacks
        neighbor = min(successors, key=get_attacking_pairs)
        neighbor_attacks = get_attacking_pairs(neighbor)
        steps += 1

        print(f"Step {steps}: Current State: {current}, Attacks: {current_attacks}")

        # If no better neighbor is found, return the current state
        if neighbor_attacks >= current_attacks:
            return current, current_attacks

        # Move to the better neighbor
        current = neighbor

def print_board(state):

```

```

"""Prints the board with queens placed."""
n = len(state)
board = [".." for _ in range(n)] for _ in range(n)]
for row in range(n):
    board[row][state[row]] = "Q"
for row in board:
    print(" ".join(row))
print("\n")

# Set the size of the board
n = 8 # Change this value to test with different board sizes

solution, attacks = hill_climbing(n)
print("Final State (Solution):", solution)
print("Number of Attacking Pairs:", attacks)
print_board(solution)

```

**Output:**

```

Step 1: Current State: [0, 0, 0, 2], Attacks: 4, Cost: 4
Step 2: Current State: [0, 3, 0, 2], Attacks: 1, Cost: 1
Step 3: Current State: [1, 3, 0, 2], Attacks: 0, Cost: 0
Final State (Solution): [1, 3, 0, 2]
Number of Attacking Pairs: 0
. Q .
. . . Q
Q . . .
. . Q .

```

## Implement A-star algorithm to solve N-Queens problem

Algorithm:

⇒ A-star algorithm to implement  
8. Queens

Step 1: Initialize a starting state where 8x8 board is empty.

→ Define it where each row is set to -1 i.e., no queens are placed

→ Add this as starting node in a priority queue i.e., priority-set with  $f=0$  and  $h=\text{number of conflicts}$ .

~~Step 2~~

Step 2: Define heuristic function which gives the computation of attacking pairs for given state.

Def def heuristic(state): →

    attacks = 0

    for i in range(len(state)):

        for j in range(i+1, len(state)):

            if state[i] == state[j] or

            abs(state[i] - state[j]) == j - i)

            attacks += 1

    return attacks.

Step 3: search for solution by removing node with lowest f (heuristic function)  
if  $h = 0$ :  
return solution.

Function a-star

initial-state = [-1, -1, -1, -1, -1, 1, -1, -1]

priority-set = []

visited = empty set

while priority-set is not empty.

current-node = heap.heap.pop(priority-set)

current-state = current-node.state

If heuristic(current-state) == 0

return current-state

If current-state is in visited.

continue

Add current-state to visited

next-row = index of first empty row  
in current-state

if next-row > 8:

for column in range(8):

new-state = list(current-state)

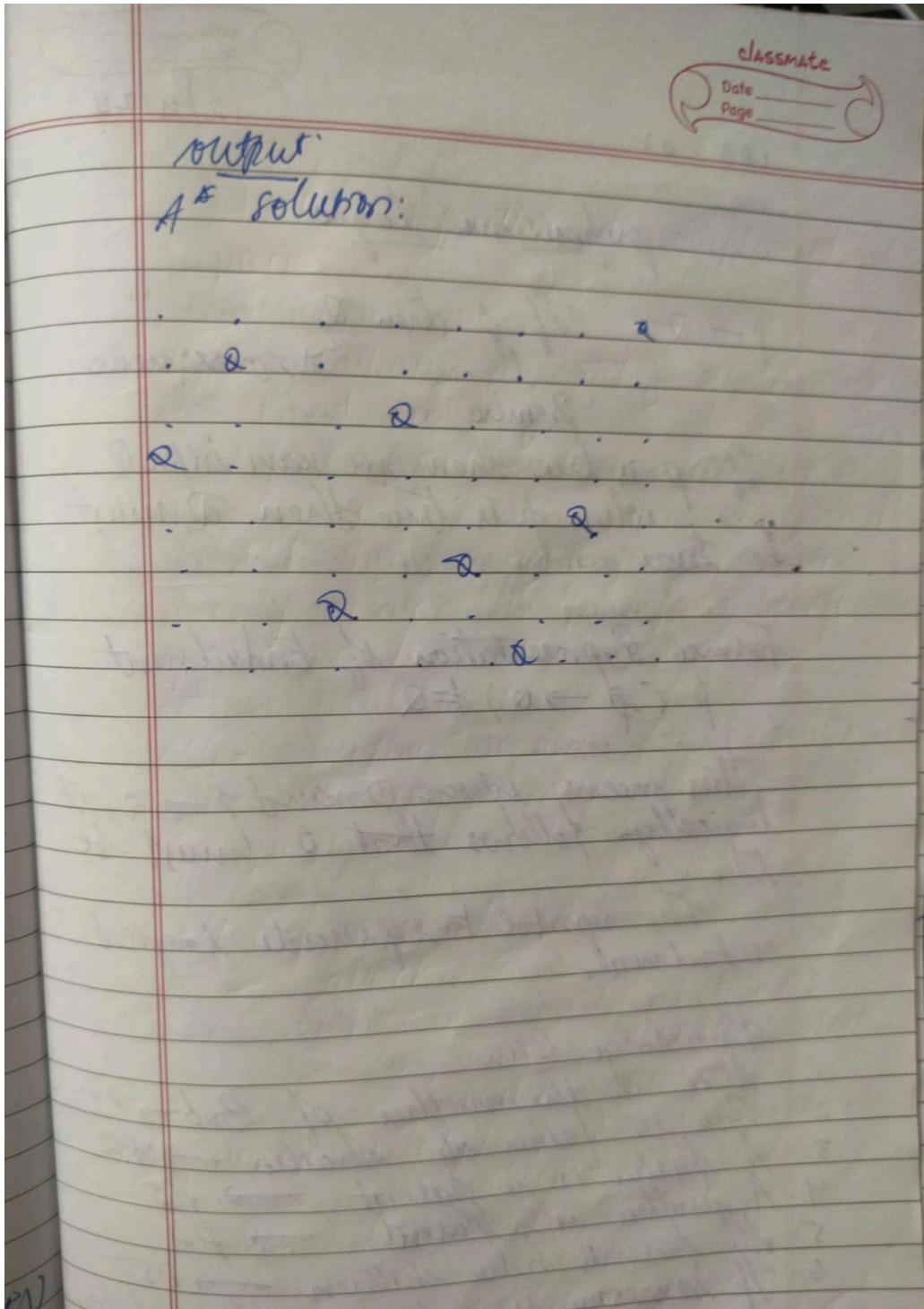
new-state[next-row][column] = 0

new-state = tuple(new-state)

if new-state is not in visited:

h = heuristic(new-state)

return heap.push(priority-set, h, new-state)



**code:**

```
import heapq
```

```

# Helper function to calculate the heuristic (number of conflicts)
def heuristic(board):
    conflicts = 0
    for i in range(len(board)):
        for j in range(i + 1, len(board)):
            if board[i] == board[j] or abs(board[i] - board[j]) == j - i:
                conflicts += 1
    return conflicts

# A* Search for 8-queens
def a_star_8_queens():
    n = 8
    open_set = []
    # Initial state: empty board
    heapq.heappush(open_set, (0, [])) # (f, board)

    while open_set:
        f, board = heapq.heappop(open_set)

        # Goal check
        if len(board) == n and heuristic(board) == 0:
            return board

        # Generate successors
        row = len(board)
        for col in range(n):
            new_board = board + [col]
            if heuristic(new_board) == 0: # No conflicts so far
                g = row + 1
                h = heuristic(new_board)
                heapq.heappush(open_set, (g + h, new_board))

    return None # No solution found

# Run A* search
solution = a_star_8_queens()
print("Solution board (column positions for each row):", solution)

```

**output:**

```
Solution board (column positions for each row): [0, 4, 7, 5, 2, 6, 1, 3]
```

## Program 7

Implement propositional logic

Algorithm:

LAB - 02                    12/11/24

propositional logic.

$p \rightarrow q$       If  $p$  then  $q$   
                        ↑                        → consequence  
                        Premise

If  $p$  is true then we can infer  $q$ .  
when  $p$  is true then  $q$  must be true.

Formal Representation of Entailment  
 $p, (p \rightarrow q) \models q$

This means, given  $p$  and  $p \rightarrow q$ , it logically follows that  $q$  must be true.

The symbol  $\models$  represents logical entailment.

Knowledge Base:

1. Alice is the mother of Bob  $\rightarrow p_1$
2. Bob is father of Charlie  $\rightarrow p_2$
3. A father is a parent  $\rightarrow p_3$
4. A mother is a parent  $\rightarrow p_4$
5. All parents have children  $\rightarrow p_5$
6. If someone is a parent, their children are siblings  $\rightarrow p_6$
7. Alice is married to David  $\rightarrow p_7$

Hypothesis:

- Charlie is a sibling of bob

$\Rightarrow$  Implications:

1. From P1: if Alice is the mother of bob then bob is a child of Alice.  
 $P1 \rightarrow Q1$ : Bob is a child of Alice

2. From P2: Bob is father of Charlie  
 $P2 \rightarrow Q2$ : Charlie is a child of Bob

3. From P3 & P4  
 $P3 \rightarrow P4$ : Bob is a parent and Alice is a parent.

4. From P5:  
 $P5 \rightarrow Q3$ : Bob & Alice have children

5. From P6:  
 ~~$P6 \rightarrow H$ : Charlie & Bob are siblings~~

$\Rightarrow$  Conclusion:  $P1 \wedge P2 \wedge P3 \wedge P4 \wedge P5 \wedge P6 \rightarrow H$ .

Done  
10/11/19

### code:

```
class KnowledgeBase:
```

```
    def __init__(self):
        self.facts = []
        self.rules = []
```

```
    def add_fact(self, fact):
```

```

    self.facts.append(fact)

def add_rule(self, premise, conclusion):
    self.rules.append((premise, conclusion))

def infer(self):
    new_inferences = True

    while new_inferences:
        new_inferences = False

        for premise, conclusion in self.rules:
            if all(fact in self.facts for fact in premise) and conclusion not in self.facts:
                self.facts.append(conclusion)
                new_inferences = True

def entails(self, hypothesis):
    return hypothesis in self.facts

# Example Usage
kb = KnowledgeBase()

# Adding facts
kb.add_fact("Alice is mother of Bob")
kb.add_fact("Bob is father of Charlie")
kb.add_fact("A father is a parent")
kb.add_fact("A mother is a parent")
kb.add_fact("All parents have children")
kb.add_fact("Alice is married to Davis")

# Adding rules
kb.add_rule(["Bob is father of Charlie", "A father is a parent"], "Bob is parent")
kb.add_rule(["Alice is mother of Bob", "A mother is a parent"], "Alice is parent")
kb.add_rule(["Bob is parent", "All parents have children"], "Charlie and Bob are siblings")

# Perform inference
kb.infer()

# Hypothesis
hypothesis = "Charlie and Bob are siblings"

if kb.entails(hypothesis):
    print(f"The hypothesis '{hypothesis}' is entailed by the knowledge base.")
else:
    print(f"The hypothesis '{hypothesis}' is not entailed by the knowledge base.")

```

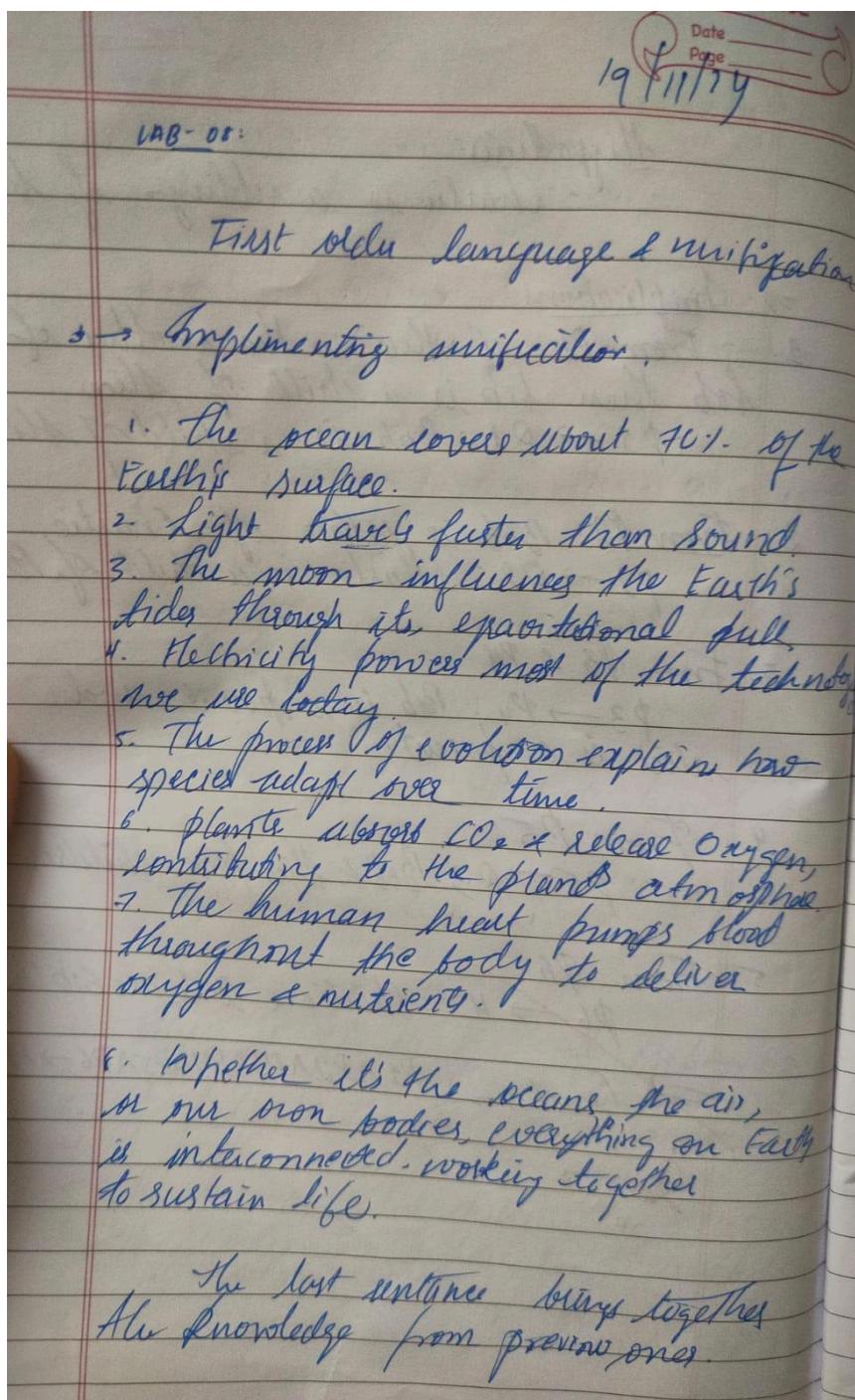
**output:**

Output	Clear
The hypothesis 'Charlie and Bob are siblings' is entailed by the knowledge base.	

## Program 8

### Implement unification in first order logic

**Algorithm:**



1.  $\rightarrow \forall x (\text{ocean}(x) \rightarrow \text{covers}(x, \text{Earth})) \wedge \forall y (\text{Marine Life}(y) \rightarrow \text{sustains}(x, y))$
2.  $\rightarrow \forall x \forall y (\text{Lightning}(x) \wedge \text{Thunder}(y) \rightarrow (\text{speed}(x) > \text{speed}(y)))$
3.  $\rightarrow \forall x \forall y (\text{Moon}(x) \wedge \text{Tides}(y) \rightarrow \text{Influence}(x, y))$
4.  $\rightarrow \exists x (\text{Electricity}(x) \wedge \forall y (\text{Technology}(y) \rightarrow \text{powers}(x, y)))$
5.  $\rightarrow \forall x (\text{Species}(x) \exists y (\text{adaptation}(y) \wedge \text{leadsTo}(x, y)))$
6.  $\rightarrow \forall x (\text{plants}(x) \rightarrow \exists y (\text{photosynthesis}(y) \wedge \text{contributesTo}(y, \text{oxygen}) \wedge \text{regulates}(y, \text{atmosphere})))$
7.  $\rightarrow \forall x (\text{heat}(x) \rightarrow \forall y (\text{organism}(y) \rightarrow (\text{circulates}(x, y) \wedge \text{delivers}(x, y, \text{oxygen}))))$

8.  $\rightarrow \text{unified}$

$\rightarrow \forall x \forall y \forall z (\text{Earth}(x) \wedge \text{air}(y) \wedge \text{oxygen}(z) \wedge \text{interconnected}(x, y, z) \wedge \text{worksTogether}(x, y, z))$

$\rightarrow \text{ocean}$

$\rightarrow \text{organisms}$  *Dom  
idulim*

2

### Code:

```
class UnificationError(Exception):
    """Custom exception for unification errors."""
    pass
```

```
def occurs_check(var, term, subst):
```

```

"""Check if `var` occurs in `term` (to prevent circular substitutions)."""
if var == term:
    return True
elif isinstance(term, (list, tuple)):
    return any(occurs_check(var, t, subst) for t in term)
elif isinstance(term, str) and term in subst:
    return occurs_check(var, subst[term], subst)
return False

def is_variable(term):
    """Check if `term` is a variable (starting with '?')."""
    return isinstance(term, str) and term.startswith('?')

def unify(psi1, psi2, subst=None):
    """Attempt to unify two terms, `psi1` and `psi2`, under the given substitution."""
    if subst is None:
        subst = {}
    if psi1 == psi2:
        return subst
    elif is_variable(psi1):
        if psi1 in subst:
            return unify(subst[psi1], psi2, subst)
        elif occurs_check(psi1, psi2, subst):
            raise UnificationError(f"Occurs check failed: {psi1} in {psi2}")
        else:
            subst[psi1] = psi2
            return subst
    elif is_variable(psi2):
        if psi2 in subst:
            return unify(psi1, subst[psi2], subst)
        elif occurs_check(psi2, psi1, subst):
            raise UnificationError(f"Occurs check failed: {psi2} in {psi1}")
        else:
            subst[psi2] = psi1
            return subst
    elif isinstance(psi1, list) and isinstance(psi2, list):
        if psi1[0] != psi2[0]:
            raise UnificationError(f"Predicate symbols don't match: {psi1[0]} != {psi2[0]}")
        if len(psi1) != len(psi2):
            raise UnificationError(f"Argument lengths don't match: {len(psi1)} != {len(psi2)}")
        for arg1, arg2 in zip(psi1[1:], psi2[1:]): # Skip the predicate symbol (first element)
            subst = unify(arg1, arg2, subst)
        return subst
    else:
        raise UnificationError(f"Cannot unify {psi1} with {psi2}")

```

```

def get_input():
    """Get input from the user and perform unification."""
    try:
        term1 = eval(input("Enter the first term (e.g., ['P', 'b', 'x', ['f', ['g', 'z']]]): "))
        term2 = eval(input("Enter the second term (e.g., ['P', 'z', ['f', 'y'], ['f', 'y']]): "))
        substitution = unify(term1, term2)
        print("Unification successful!")
        print("Substitution:", substitution)
    except UnificationError as e:
        print("Unification failed:", e)
    except Exception as e:
        print("Invalid input or error:", e)

# Run the unification input prompt
get_input()

```

## Output:

---

Enter the first term (e.g., ['P', 'b', 'x', ['f', ['g', 'z']]]): ['P', ['f', ['a']], ['g', ['?y']]]
Enter the second term (e.g., ['P', 'z', ['f', 'y'], ['f', 'y']]): ['P', '?x', '?x']
Unification failed: Predicate symbols don't match: g != f

---

+ Code + Text

---

Enter the first term (e.g., ['P', 'b', 'x', ['f', ['g', 'z']]]): ['P', 'b', '?x', ['f', ['g', '?z']]]
Enter the second term (e.g., ['P', 'z', ['f', 'y'], ['f', 'y']]): ['P', '?z', ['f', '?y'], ['f', '?y']]
Unification successful!
Substitution: {'?z': 'b', '?x': ['f', 'y'], '?y': ['g', '?z']}

---

## Program 9

**Forward Chaining:**

**Algorithm:**

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1) Using first order logic - prove the given query using forward chaining or forward reasoning.

→ It starts with a knowledge base. To that base we put logic and using the inference rules we extract new information from the existing base.

→ Using this forward chaining method we will extract the goal step by step given query.

~~Given~~ As per the law, it is a crime for an American to sell weapons to hostile nations. Country A is an enemy of America, has some missiles, and all the missiles were sold to it by Robert, who is an American citizen.

To prove: Robert is criminal.

Representation in FOL

It is a crime for an American to sell weapons to hostile nations

American - p       $\exists p \text{ American}$   
Weapons - v       $\exists v \text{ Weapons}$   
Hostile - r       $\exists r \text{ Hostile}$

$p \wedge v \wedge r \wedge \text{sells}(p, v, r) \wedge \text{Hostile}(r)$   
 $\Rightarrow \text{Criminal}(p)$

2  $\rightarrow$  Country A has some missiles.  
 $\exists x \text{ Owns}(A, x) \wedge \text{Missile}(x)$

anew Constant T1:  
 $\text{Owns}(A, T1)$   
 $\text{Missile}(T1)$

3  $\rightarrow$  All of the missiles were sold to  
Country by Robert.

$\forall x \text{ Missile}(x) \wedge \text{Owns}(A, x) \Rightarrow \text{Sells}(\text{Robert}, x, A)$

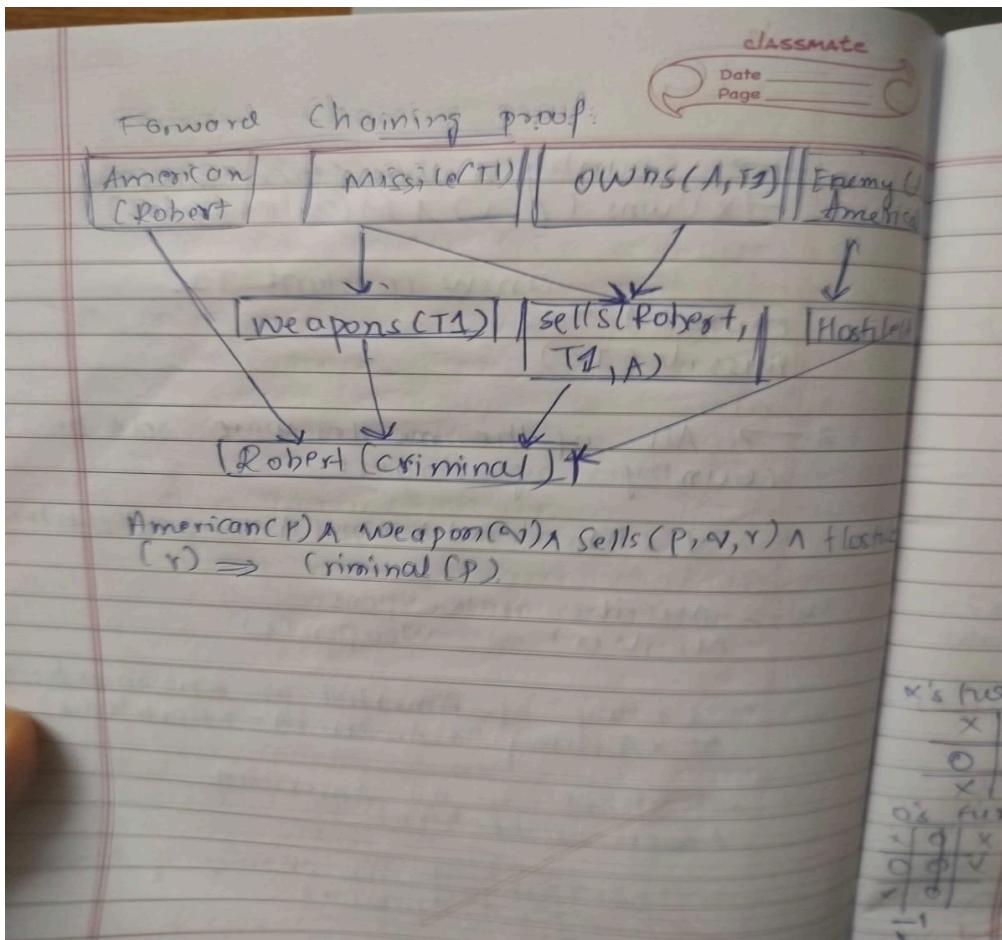
4  $\rightarrow$  Missiles are weapons.  
 $\text{Missile}(x) \Rightarrow \text{Weapon}(x)$

5  $\rightarrow$  Enemy of America is known as hostile  
 $\forall x \text{ Enemy}(x, \text{America}) \Rightarrow \text{Hostile}(x)$

6  $\rightarrow$  Robert is an American  
American (Robert)

7  $\rightarrow$  The country A, an enemy of America  
Enemy (A, America).

To prove:  
Robert is Criminal  
Criminal (Robert).



**Code:**

KB = set()

# Premises based on the provided FOL problem

```

KB.add('American(Robert)')
KB.add('Enemy(America, A)')
KB.add('Missile(T1)')
KB.add('Owns(A, T1)')
  
```

# Define inference rules

```

def modus_ponens(fact1, fact2, conclusion):
  
```

"""" Apply modus ponens inference rule: if fact1 and fact2 are true, then conclude conclusion """"  
 if fact1 in KB and fact2 in KB:

```

    KB.add(conclusion)
    print(f"Inferred: {conclusion}")
  
```

```

def forward_chaining():
  
```

"""" Perform forward chaining to infer new facts until no more inferences can be made """"

```

# 1. Apply: Missile(x) → Weapon(x)
if 'Missile(T1)' in KB:
    KB.add('Weapon(T1)')
    print(f"Inferred: Weapon(T1)")

# 2. Apply: Sells(Robert, T1, A) from Owns(A, T1) and Weapon(T1)
if 'Owns(A, T1)' in KB and 'Weapon(T1)' in KB:
    KB.add('Sells(Robert, T1, A)')
    print(f"Inferred: Sells(Robert, T1, A)")

# 3. Apply: Hostile(A) from Enemy(A, America)
if 'Enemy(America, A)' in KB:
    KB.add('Hostile(A)')
    print(f"Inferred: Hostile(A)")

# 4. Now, check if the goal is reached (i.e., if 'Criminal(Robert)' can be inferred)
if 'American(Robert)' in KB and 'Weapon(T1)' in KB and 'Sells(Robert, T1, A)' in KB and
'Hostile(A)' in KB:
    KB.add('Criminal(Robert)')
    print("Inferred: Criminal(Robert)")

# Check if we've reached our goal
if 'Criminal(Robert)' in KB:
    print("Robert is a criminal!")
else:
    print("No more inferences can be made.")

# Run forward chaining to attempt to derive the conclusion
forward_chaining()

```

### Output:

#### Output

```

Inferred: Weapon(T1)
Inferred: Sells(Robert, T1, A)
Inferred: Hostile(A)
Inferred: Criminal(Robert)
Robert is a criminal!

```

## Program 10:

Alpha Beta Pruning(Tic-Tac-Toe):

Algorithm:

(AB TD :-)

→ Solving minimax Tic-Tac-Toe game using minimax ~~with~~ alpha beta pruning.

In this pruning happens when we can confidently say that a given path will not affect the final result (because the opponent will avoid it)

Example:-

X's turn :-

X	0	X
0	X	
0		

O's turn :-

X	0	X
0	X	
X	0	X

X	0	X
0	X	
X	0	X

X	0	X
0	X	
X	0	X

\* X

Y 0.

Code:

```
import math
```

```
def minimax(node, depth, is_maximizing):
    """
```

Implement the Minimax algorithm to solve the decision tree.

Parameters:

node (dict): The current node in the decision tree, with the following structure:

```
{  
    'value': int,  
    'left': dict or None,  
    'right': dict or None  
}
```

depth (int): The current depth in the decision tree.

is\_maximizing (bool): Flag to indicate whether the current player is the maximizing player.

Returns:

int: The utility value of the current node.

"""

# Base case: Leaf node

if node['left'] is None and node['right'] is None:

```
    return node['value']
```

# Recursive case

if is\_maximizing:

```
    best_value = -math.inf
```

if node['left']:

```
        best_value = max(best_value, minimax(node['left'], depth + 1, False))
```

if node['right']:

```
        best_value = max(best_value, minimax(node['right'], depth + 1, False))
```

```
    return best_value
```

else:

```
    best_value = math.inf
```

if node['left']:

```
        best_value = min(best_value, minimax(node['left'], depth + 1, True))
```

if node['right']:

```
        best_value = min(best_value, minimax(node['right'], depth + 1, True))
```

```
    return best_value
```

# Example usage

decision\_tree = {

```
    'value': 5,
```

```
    'left': {
```

```
        'value': 6,
```

```
        'left': {
```

```
            'value': 7,
```

```
            'left': {
```

```
                'value': 4,
```

```
                'left': None,
```

```
                'right': None
```

```
            },
```

```

    'right': {
      'value': 5,
      'left': None,
      'right': None
    }
  },
  'right': {
    'value': 3,
    'left': {
      'value': 6,
      'left': None,
      'right': None
    },
    'right': {
      'value': 9,
      'left': None,
      'right': None
    }
  }
},
'right': {
  'value': 8,
  'left': {
    'value': 7,
    'left': {
      'value': 6,
      'left': None,
      'right': None
    },
    'right': {
      'value': 9,
      'left': None,
      'right': None
    }
  },
  'right': {
    'value': 8,
    'left': {
      'value': 6,
      'left': None,
      'right': None
    },
    'right': None
  }
}

```

```
# Find the best move for the maximizing player
best_value = minimax(decision_tree, 0, True)
print(f"The best value for the maximizing player is: {best_value}")
```

**Output:**

→ The best value for the maximizing player is: 6

**Alpha Beta Pruning(8-queens):**

**Algorithm:**

Algorithm for 8-Queens :

```
def alphabeta(board, row, alpha, beta):
    if row == 8:
        if is_valid(board):
            return True
        else:
            return False
    # try placing a queen in each col of current row
    for col in range(8):
        if is_safe(board, row, col):
            board[row] = col
            if alpha >= beta:
                break
            if alphabeta(board, row+1, alpha, beta):
                return True
            board[row] = -1
    return False

conflict checking :-
```

~~if~~

```
def is_safe(board, row, col):
    for r in range(row):
        c = board[r]
        if c == col or abs(c - col) == abs(r - row):
            return False
    return True
```

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```

def is_valid(board):
    return True

def solve_8queens():
    board = [-1] * 8
    alpha = -float('inf')
    beta = float('inf')

    if alpha_beta(board, 0, alpha, beta):
        print("solution found.")
        print(board)
    else:
        print("no sol found")

solution:-
    . Q . . . . .
    . . . . Q . . .
    . . . . . . Q .
    Q . . . . . .
    . . Q . . . .
    . . . . . . Q .
    . . . . Q . .
    . . . . . . .
  
```

**code:**

```

def is_valid(board, row, col):

    for i in range(row):
        if board[i] == col or \
           abs(board[i] - col) == abs(i - row):
            return False
    return True

def alpha_beta(board, row, alpha, beta, isMaximizing):
  
```

```

if row == len(board):
    return 1

if isMaximizing:
    max_score = 0
    for col in range(len(board)):
        if is_valid(board, row, col):
            board[row] = col
            max_score += alpha_beta(board, row + 1, alpha, beta, False)
            board[row] = -1
            alpha = max(alpha, max_score)
            if beta <= alpha:
                break
    return max_score
else:
    min_score = float('inf')
    for col in range(len(board)):
        if is_valid(board, row, col):
            board[row] = col
            min_score = min(min_score, alpha_beta(board, row + 1, alpha, beta, True))
            board[row] = -1
            beta = min(beta, min_score)
            if beta <= alpha:
                break
    return min_score

def solve_8_queens():

    board = [-1] * 8
    alpha = -float('inf')
    beta = float('inf')
    return alpha_beta(board, 0, alpha, beta, True)

solutions = solve_8_queens()
print(f'Number of solutions for the 8 Queens problem: {solutions}')

```

**output:**

**Output**

Number of solutions for the 8 Queens problem: 6