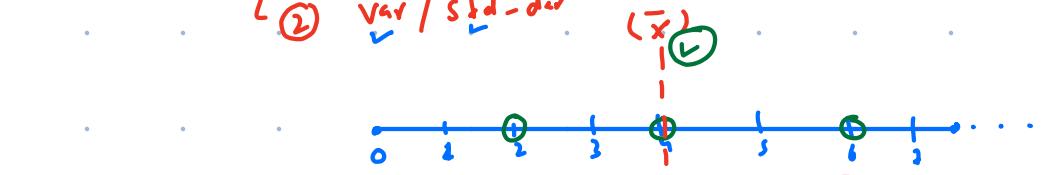


(logic) $\neg(DS) = (\underbrace{\text{Desc p}}_{\text{Stab}})$

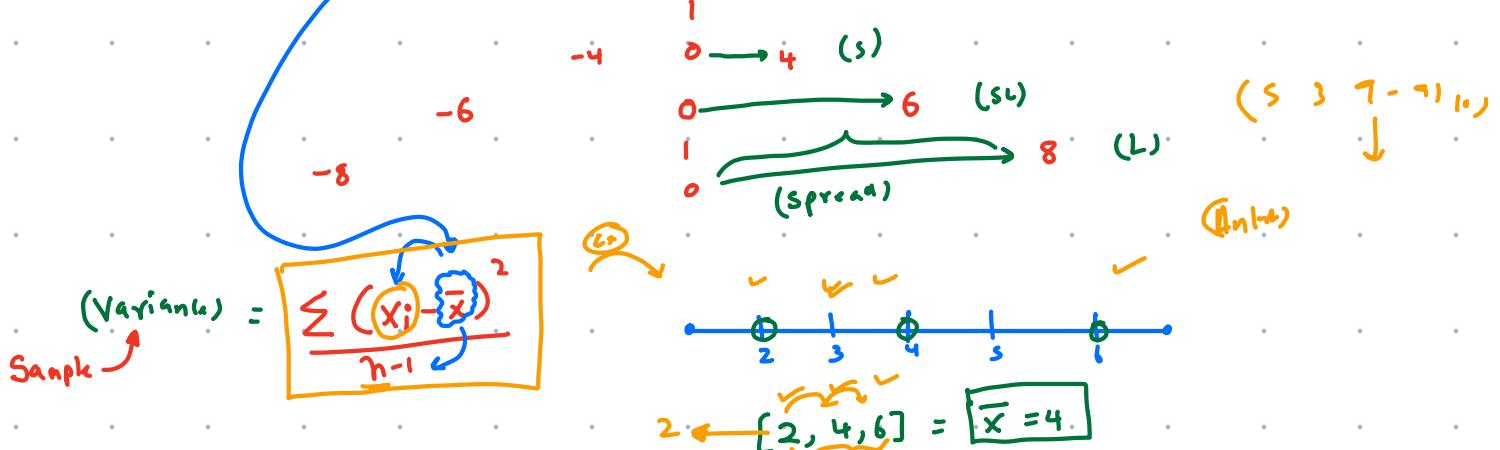
- { ① MCT - Mean / medium / mode }
② Var / Std - dev

(Mean) \Rightarrow (grp)

(problem)



(Mean) \rightarrow (x)



$$\frac{(2-4)^2 + (4-4)^2 + (6-4)^2}{2} = \frac{(-2)^2 + 0 + 2^2}{2}$$

$$(loc) = \frac{Q}{a}$$

(Quantification)

I love you 3000
11 111 800000
... 190000

Count

$$n = [2, 3, 9] \quad v = 3.6$$
$$n = [1, 2, 19] \quad v = 8.3$$

Punish

bless

- ① [1, 2, 9, 10]
② [2, 2, 18, 20]
Why?

Vari



$$\text{Var} = \frac{\sum (x_i - \bar{x})^2}{n-1}$$

$$\text{Std} = \sqrt{\frac{\sum (x_i - \bar{x})^2}{n-1}}$$

$$V_1 = 10,000$$

$$V_2 = 100$$

$$V_1 > V_2$$

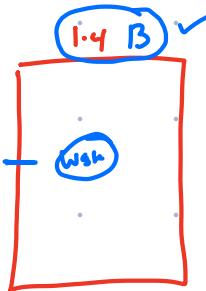
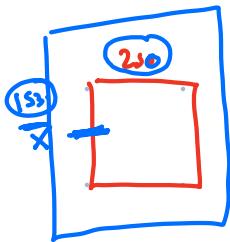
$$V_1 = 100$$

$$V_2 = 10$$

$$V_1 > V_2$$

① (Pop) = diff sizes?

(Pop)
↓
(100)
↓
(100)
↓
Effect



(Pop) $\begin{cases} \text{large} \\ \text{small} \end{cases}$

Yes

(Pop - mean)
(Pop - Std)
(Pop - max)

But, good/bad



✓
representative Sample

biased Sample

(Survey)

(Are you happy with our car?)

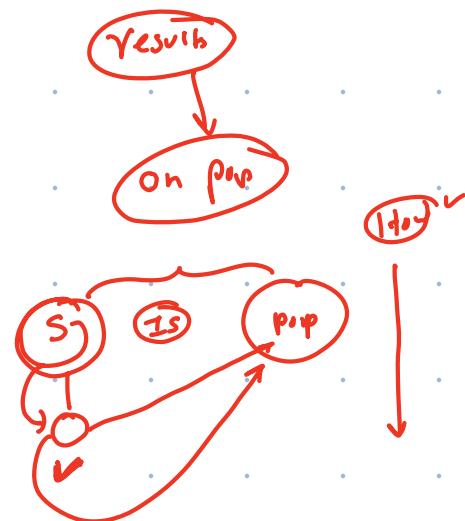


Par

BS = ✓

Chair IS

While descriptive statistics describes the data, inferential statistics is used to draw conclusions about the population based on statistical findings on sample analysis.



CI

$$(3 \cdot 9 x) = \text{Int}$$

Bell's Curve / Gauss / Nor. Dist.

Village (200)
↳ (height)

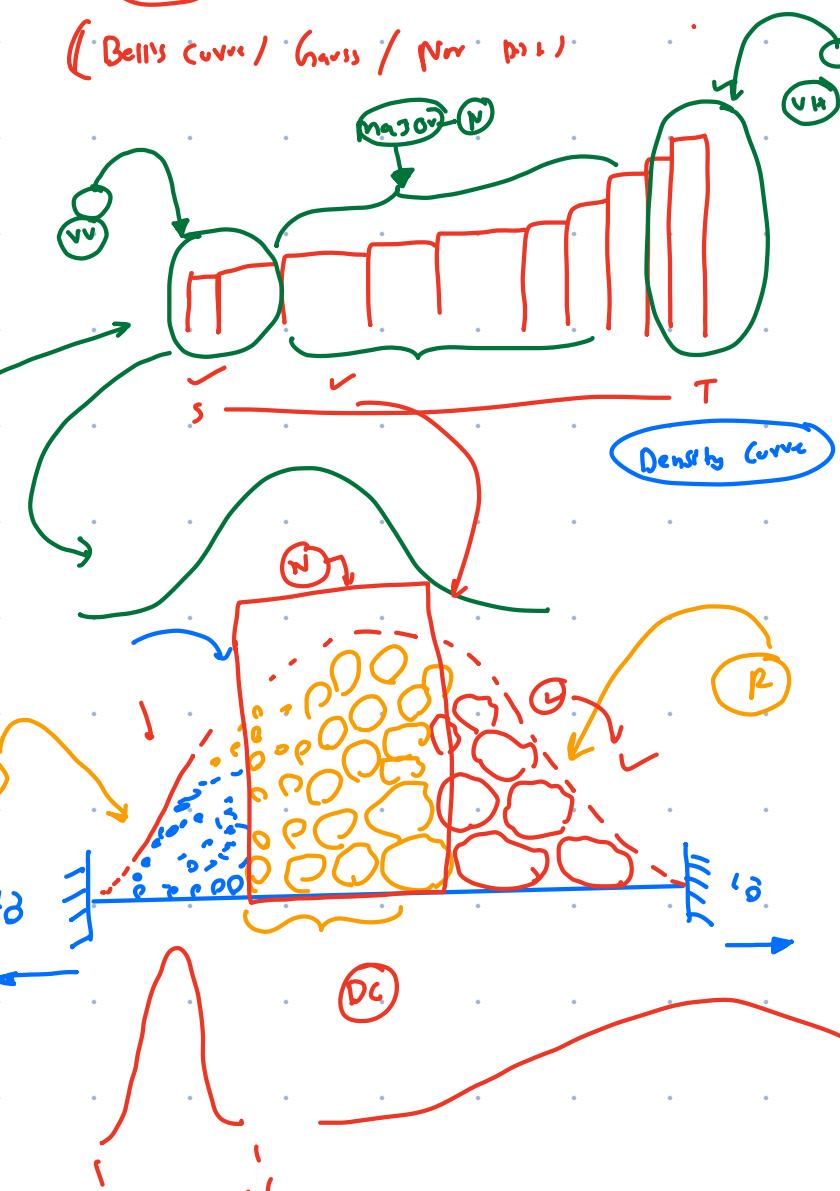
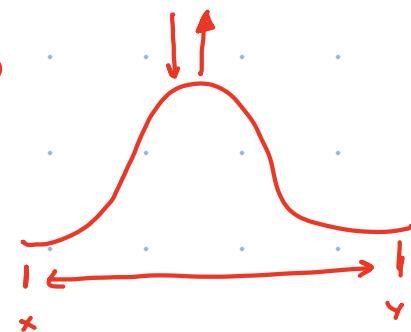
- Shot
- Pattern

A blue circular logo with the letters "SOL" in white.

privaderksh
path

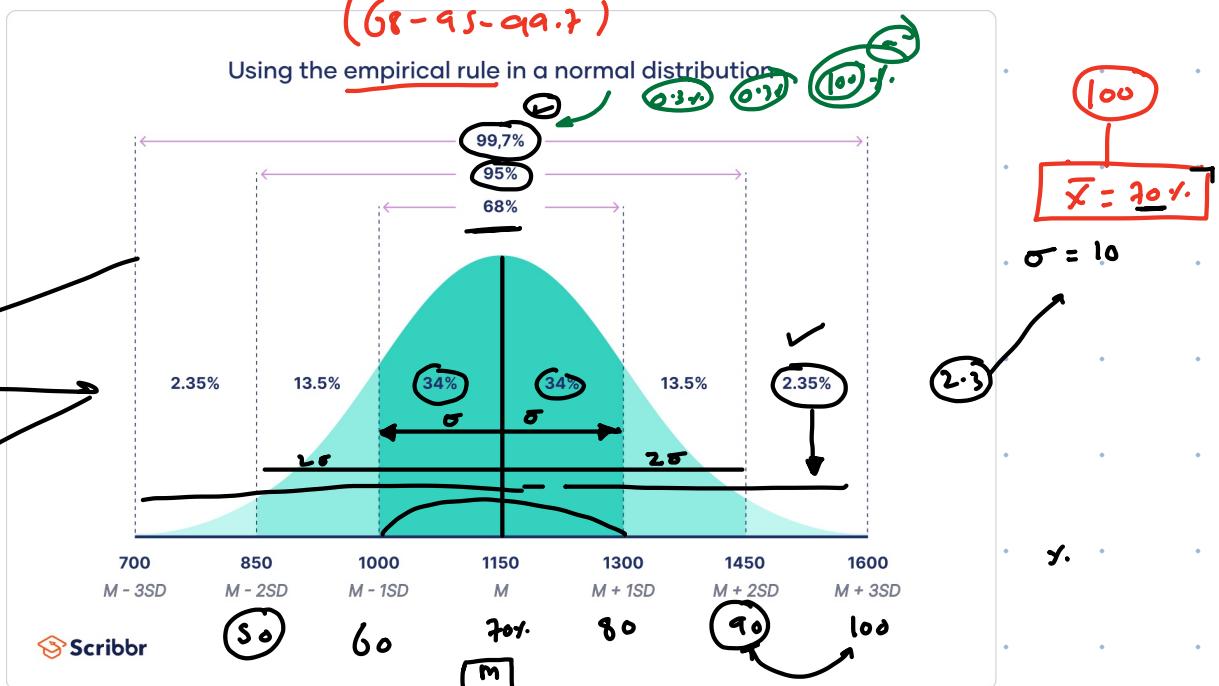
A blue line drawing of a horizontal pipe. On the left side, there is a valve represented by a vertical line with a handle. On the right side, there is a small square opening.

6



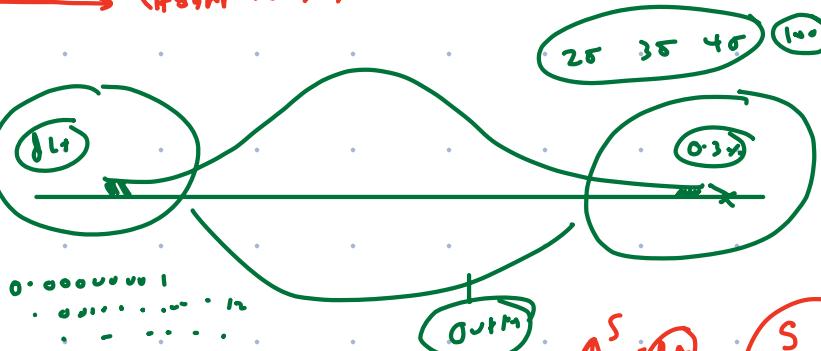
(68-95-99.7)

Using the empirical rule in a normal distribution



(B6)

(99.7% Whr) → 100%
→ Asymmetry



$$\frac{S}{\sqrt{n}}$$

$$\{ CI = \bar{x} \pm z \cdot \frac{S}{\sqrt{n}} \}$$

$$CI = \underline{\text{calculation}} / \underline{\text{assumption}}$$

margin of error

error

Clear

$$CI = \bar{x} \pm z \cdot \frac{S}{\sqrt{n}}$$

Upper Bound

Lower Bound

$$LB = \bar{x} - z \cdot \frac{S}{\sqrt{n}}$$

$$UB = \bar{x} + z \cdot \frac{S}{\sqrt{n}}$$

Ex Det

Par

\bar{x} = Sample mean
 z = Z-Critical Value / Z-Score
 S = Std Dev
 n = Sample Size

1-u Bhavik

(Avg Cons of protein by Indians) = 1.4 5,00,000/-

✓ 5,00,000/- - 5% 5

A random sample of 55 males were taken and they show that their average protein consumption is 122 g of protein with a standard deviation of 14 g at 95% confidence interval, can you calculate the range?

I — 95% 5%

A random sample of 55 males were taken and they show that their average protein consumption is 122 g of protein with a standard deviation of 14 g at 95% confidence interval, can you calculate the range?

YES

$$\begin{cases} \bar{x} = 122 \text{ g} \\ n = 55 \\ S = 14 \\ Z = \text{Z-table} \end{cases}$$

$$UB = \bar{x} + Z \cdot \frac{S}{\sqrt{n}}$$

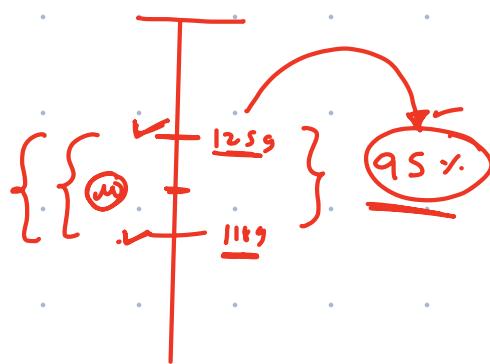
$$= 122 + 1.96 \left(\frac{14}{\sqrt{55}} \right)$$

$$UB = 125 \text{ g}$$

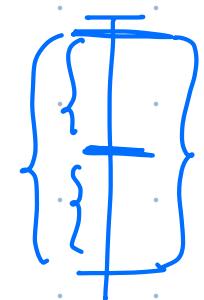
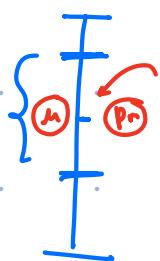
$$LB = \bar{x} - Z \cdot \frac{S}{\sqrt{n}}$$

$$= 122 - 1.96 \left(\frac{14}{\sqrt{55}} \right)$$

$$LB = 118 \text{ g}$$



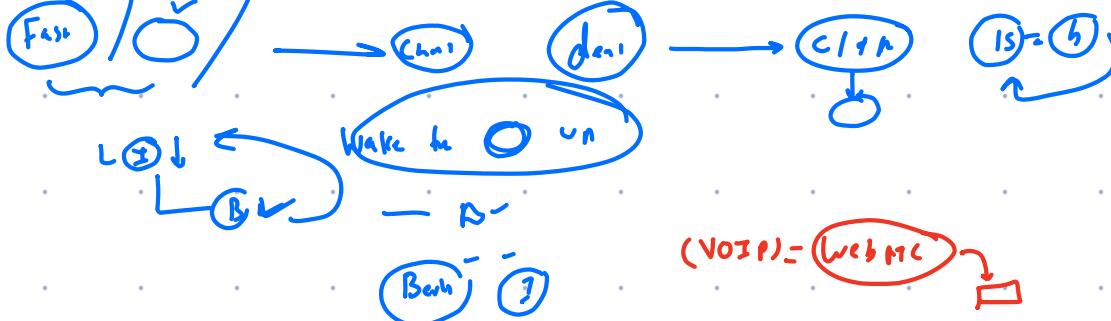
$$\begin{cases} Q5 = \text{ } \\ S.D. = \text{ } \end{cases}$$



less

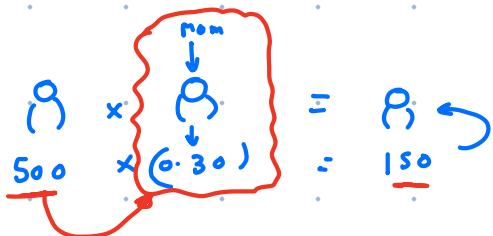
ACC

D

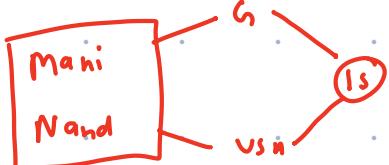


C.I. - Statistical range

A confidence central wall is a statistical range with a specific probability that a population parameter will fall within. It represents the uncertainty in the calculation of an estimate and is expressed as a percentage usually given in the range of 95, 92, 99, 93, 94, 68, it could be any range.



(C.I.) =



(Hyp test)

(assumption)

Mani - Same (H_0)

Two

Mani - Not Same (H_a)

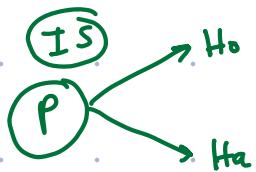
One

(H_0) - Null

(H_a/H_1) = Alternate \rightarrow (Change)

Ex : { Survey 2019, Avg sweet 23g }
 ↓
 2020s, 55 → 48g

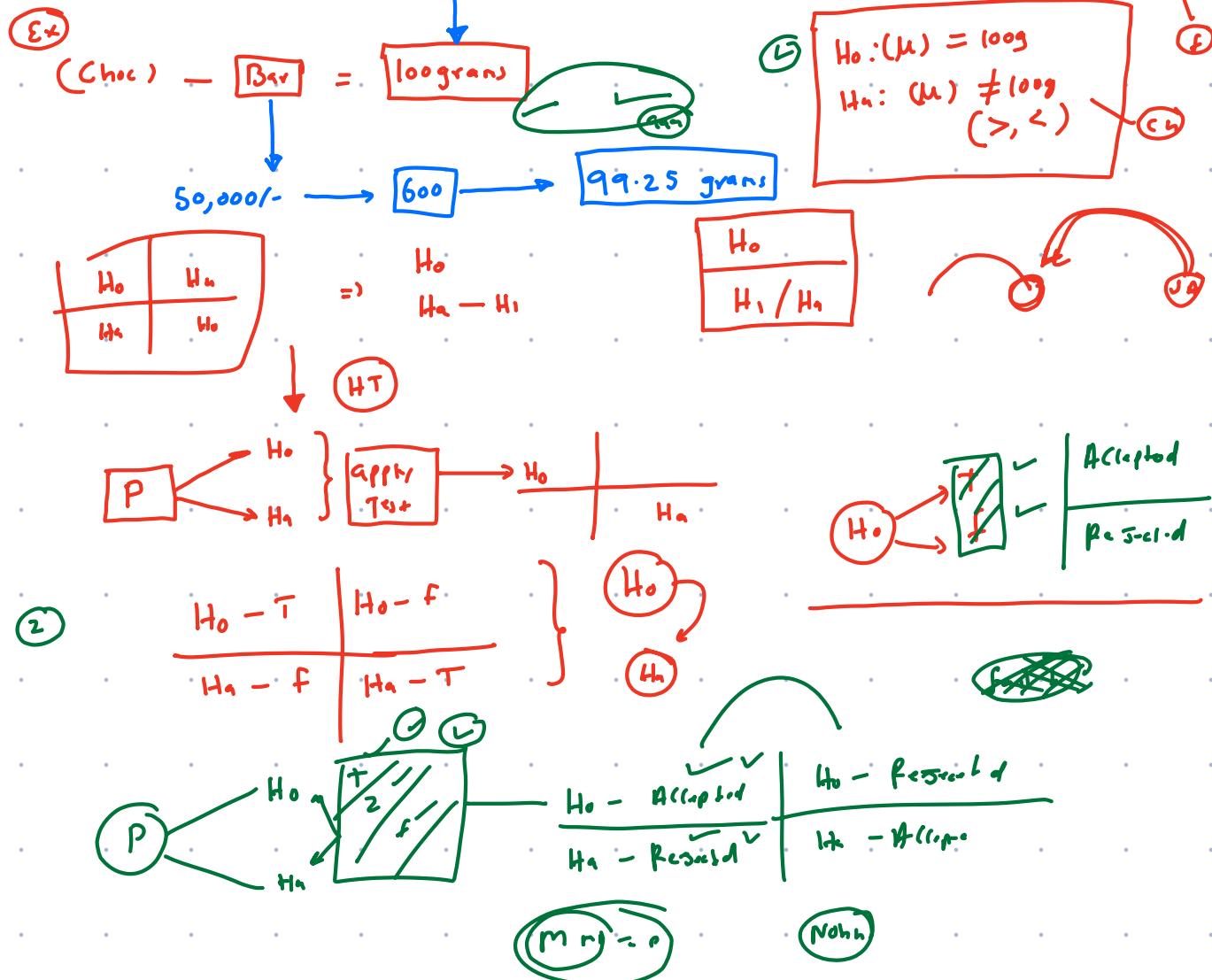
{
 1 H_0 : Null
 2 H_a : Alternate
 Talking assumption }



{
 H_0 : $\text{Avg}(\mu) = 23g$
 H_a : $\text{Avg}(\mu) \neq 23g$
 (>, <)-

(Stand)

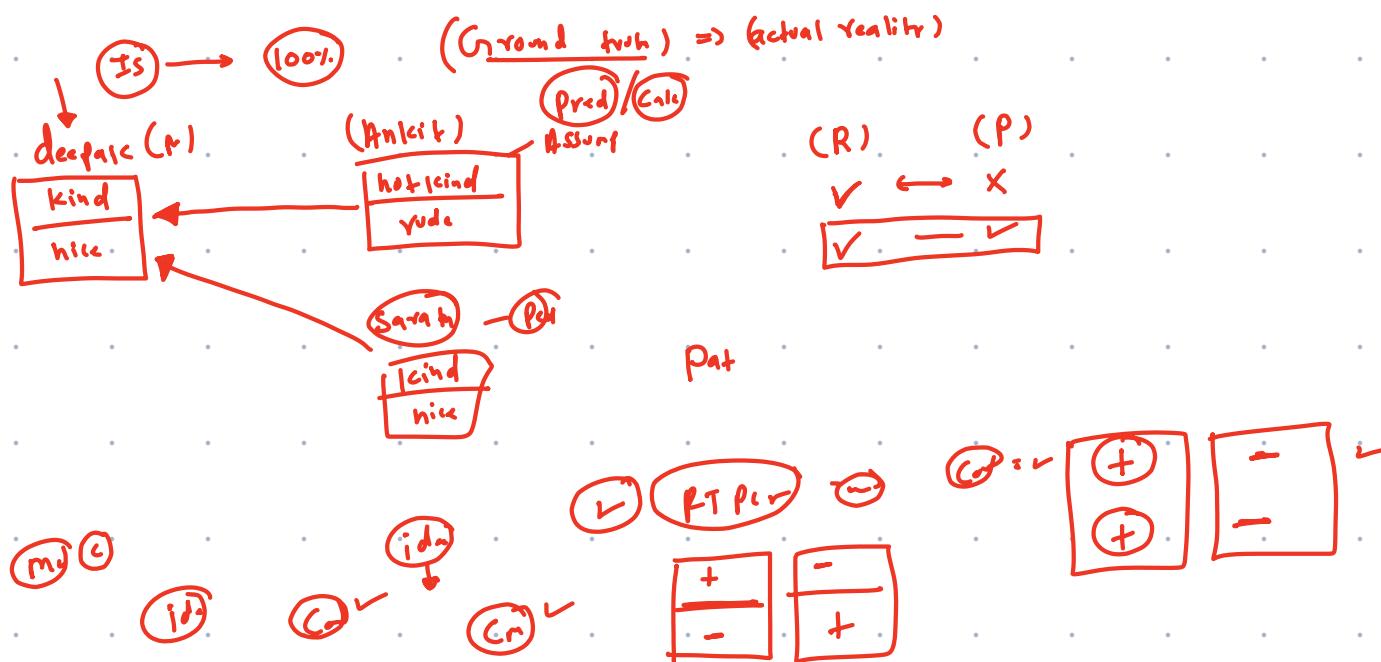
WQ T



Namaste . folks,

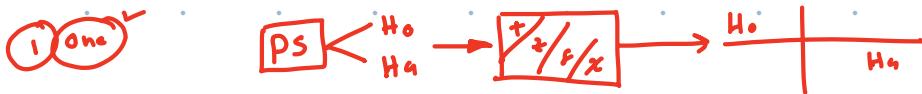
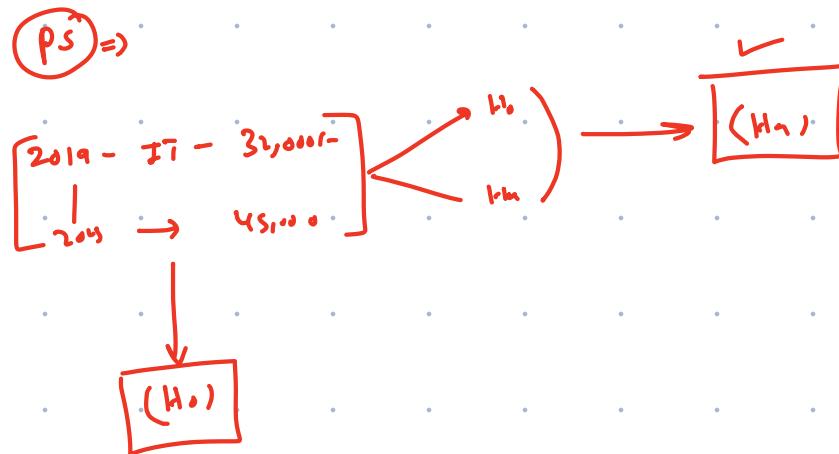
let's Start in 2-4 minutes

(Errors) in (HT) . — wrong → error



<p><input checked="" type="checkbox"/> Pat: + Doc: + (True Positive)</p>	<p>(Pat: -) (Doc: +) → 14 alone <u>[False Positive Error]</u></p>	<p>→ [Type-1 / α / FPE]</p>
<p>Pat: + Doc: - = 100 ✓ <u>[False Negative Error]</u> (Type-2 / β / FNE)</p>	<p>Pat: - Doc: - (True Negative)</p>	<p>↓ Dat = T = 110 Don ✓ idm Cr ↓</p>

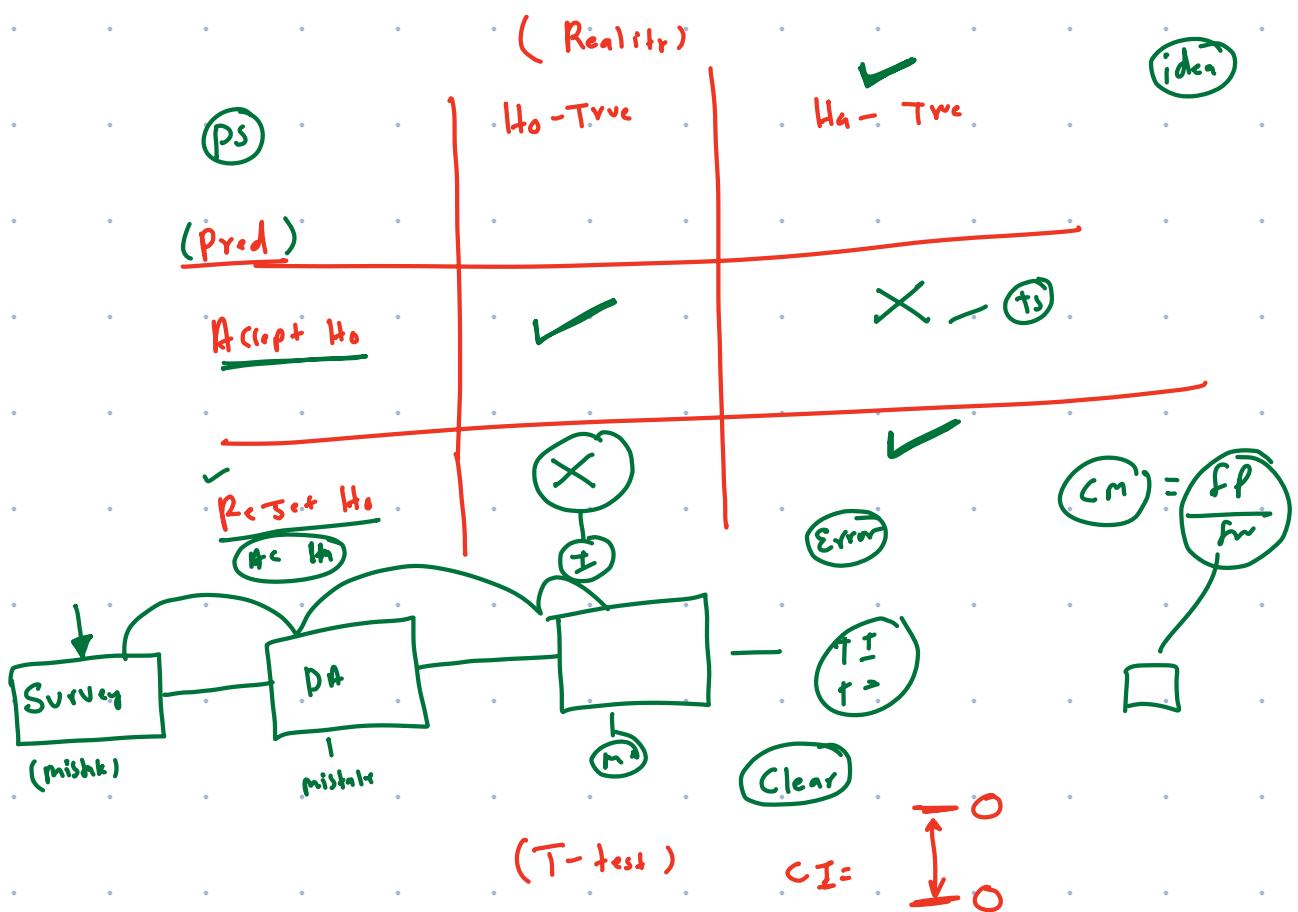
<p>Guy: + Juds: + TP</p>	<p>Guy: - Juds: + FN</p>
<p>Guy: + Juds: -</p>	<p>Guy: - Juds: - TN</p>



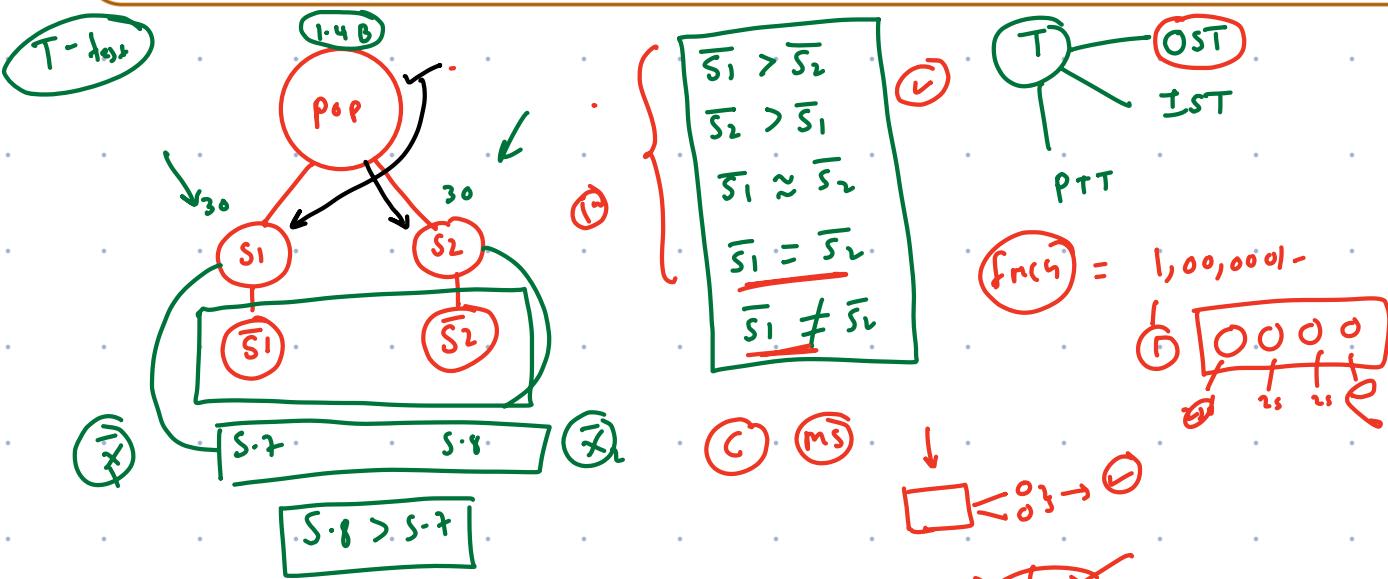
PS (pred)	Null Hypothesis is TRUE		$H_0 = \text{True}$
	Null Hypothesis is TRUE	Null Hypothesis is FALSE	
Reject null hypothesis	Type I Error (False positive)	✓ Correct Outcome! (True positive)	
Fail to reject null hypothesis	✓ Correct Outcome! (True negative)	⚠ Type II Error (False negative)	

Real	pred	Real
$H_0 - T$	$R_{C3} - H_0$	$H_0 -$
$H_0 - T$	$\#H_0 - T$	

$\text{P} = \text{H}_2\text{O}$
 $\text{H}_2\text{O} - \text{T}$



{ T-test is a parametric test that compares the means of the two samples. Ideally, a sample for t test should have less than 30 values. There are a few other assumptions that are taken before we can conduct a t test.



Cm

$$T \text{ (consistent)} \\ S_1 \approx S_2$$

Vaccine n=1

V1

S1

In

V2

S2

2g

(Parameter)

$$(Data) = (ND)$$

T

PT

NPT

$$T = ND \rightarrow PT \times \} \\ Lx - NPT$$

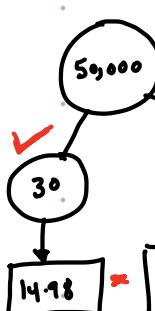
T-test

One Sample T-test ✓

Drug (fever) → (15mg - Paracetamol)

Standard

FNC	\bar{x}
μ	
σ	

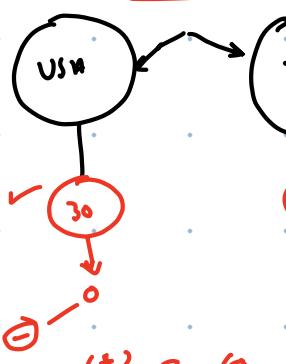
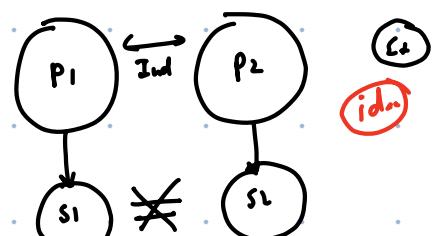


$$t = \frac{\bar{x} - \mu}{\frac{s}{\sqrt{n}}}$$

\bar{x} = S mean
 μ = Pop mean
 s = Std
 n = S1

Ind-Sample T-test

Ind-Sample T-test



$$t = \frac{\bar{x}_1 - \bar{x}_2}{\sqrt{\frac{s_1^2}{n_1} + \frac{s_2^2}{n_2}}}$$

$\bar{x}_1 > \bar{x}_2 =$

$\bar{x}_1 > \bar{x}_2 =$

T = 2

$X > 2$ Clear

cbl

Paired T-test

B

dP

-

-

-

-

-

-

-

-

-

-

-

-

-

-

-

-

-

-

-

-

-

-

-

-

-

-

-

-

-

-

-

-

$$t = \frac{\bar{x}_d}{\frac{s_d}{\sqrt{n}}}$$

B	A	\bar{x}_d
92	81	11
81	72	9

33

C

$$\frac{11+9}{2} = 10$$

Clear

$$(P_{pop}/P_{par}) = 10$$

P ① => ②

$\checkmark S \approx 2r$

①/②

R 13.2

[OST | IS1 | PTT]

done?

- (The average salary of an Indian IT worker is approximately hundred dollars and this survey has been conducted in 2019. If I take a new survey and 30 participants in 2025, we find out that their average salary is \$140 with a standard deviation of \$20. Can you calculate whether the salaries have significantly changed or not and can you do this at a 95% confidence interval, state alternate and null hypothesis for the given question?)

(Data)

$$\text{Pop Mean } (\mu) = 100$$

$$n = 30$$

(Sample Size)

$$\text{Sample mean } (\bar{x}) = 140$$

$$\text{Std-dev} = 20$$

(Standard dev)

$$CI = 95\%$$



One

1 Hyp

$$H_0 : \text{Avg}(\mu) = 100$$

$$H_a : \text{Avg}(\mu) \neq 100$$

Ts

> <

(Two-tailed T-test)

LT dth

$d_{1/2}$ RT 2-S.d.

Note:

① 2-tail test

$$d \rightarrow d_{1/2} =$$

$$\rightarrow d_{1/2} =$$

$$② \alpha - \alpha$$

logic

2 Significance level (α)

$$\alpha = 100\% - CI(\%)$$

$$= 100 - 95$$

$$\alpha = 5\% \quad \text{or} \quad \alpha = 0.05$$

$$\alpha = 0.05$$

3 degrees of freedom

$$df = n-1$$

$$= 30-1$$

$$df = 29$$

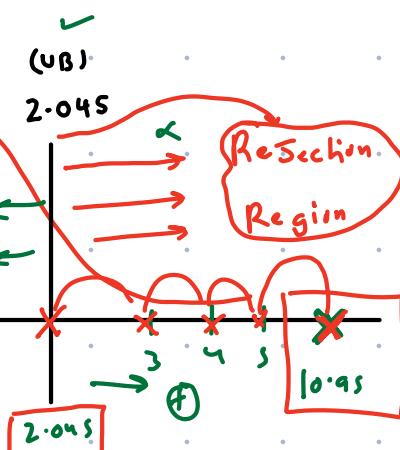
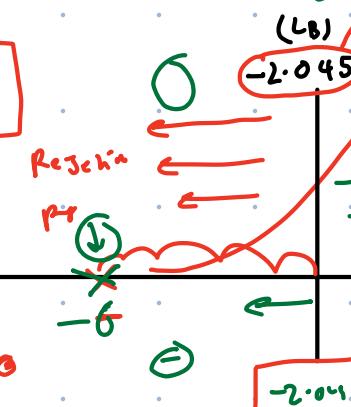
1 α = T-table

p.v

idea

4 Decision Boundary

$$t\text{-critical-value} = \pm 2.045$$



Reject H_0

o

-2.045

2.045

10.45

t Table

cum. prob	$t_{.50}$	$t_{.75}$	$t_{.80}$	$t_{.85}$	$t_{.90}$	$t_{.95}$	$t_{.75}$	$t_{.99}$	$t_{.995}$	$t_{.999}$	$t_{.9995}$
one-tail	0.50	0.25	0.20	0.15	0.10	0.05	0.025	0.01	0.005	0.001	0.0005
two-tails	1.00	0.50	0.40	0.30	0.20	0.10	0.05	0.02	0.01	0.002	0.001
df											
1	0.000	1.000	1.376	1.963	3.078	6.314	12.71	31.82	63.66	318.31	636.62
2	0.000	0.816	1.061	1.386	1.886	2.920	4.303	6.965	9.925	22.327	31.599
3	0.000	0.765	0.978	1.250	1.638	2.353	3.182	4.541	5.841	10.215	12.924
4	0.000	0.741	0.941	1.190	1.533	2.132	2.776	3.747	4.604	7.173	8.610
5	0.000	0.727	0.920	1.156	1.476	2.015	2.571	3.365	4.032	5.893	6.869
6	0.000	0.718	0.906	1.134	1.440	1.943	2.447	3.143	3.707	5.208	5.959
7	0.000	0.711	0.896	1.119	1.415	1.895	2.365	2.998	3.499	4.785	5.408
8	0.000	0.706	0.889	1.108	1.397	1.860	2.306	2.896	3.355	4.501	5.041
9	0.000	0.703	0.883	1.100	1.383	1.833	2.262	2.821	3.250	4.297	4.781
10	0.000	0.700	0.879	1.093	1.372	1.812	2.228	2.764	3.169	4.144	4.587
11	0.000	0.697	0.876	1.088	1.363	1.796	2.201	2.718	3.106	4.025	4.437
12	0.000	0.695	0.873	1.083	1.356	1.782	2.179	2.681	3.055	3.930	4.318
13	0.000	0.694	0.870	1.079	1.350	1.771	2.160	2.650	3.012	3.852	4.221
14	0.000	0.692	0.868	1.076	1.345	1.761	2.145	2.624	2.977	3.787	4.140
15	0.000	0.691	0.866	1.074	1.341	1.753	2.131	2.602	2.947	3.733	4.073
16	0.000	0.690	0.865	1.071	1.337	1.746	2.120	2.583	2.921	3.686	4.015
17	0.000	0.689	0.863	1.069	1.333	1.740	2.110	2.567	2.898	3.646	3.965
18	0.000	0.688	0.862	1.067	1.330	1.734	2.101	2.552	2.878	3.610	3.922
19	0.000	0.688	0.861	1.066	1.328	1.729	2.093	2.539	2.861	3.579	3.883
20	0.000	0.687	0.860	1.064	1.325	1.725	2.086	2.528	2.845	3.552	3.850
21	0.000	0.686	0.859	1.063	1.323	1.721	2.080	2.518	2.831	3.527	3.819
22	0.000	0.686	0.858	1.061	1.321	1.717	2.074	2.508	2.819	3.505	3.792
23	0.000	0.685	0.858	1.060	1.319	1.714	2.069	2.500	2.807	3.485	3.768
24	0.000	0.685	0.857	1.059	1.318	1.711	2.064	2.492	2.797	3.467	3.745
25	0.000	0.684	0.856	1.058	1.316	1.708	2.060	2.485	2.787	3.450	3.725
26	0.000	0.684	0.856	1.058	1.315	1.706	2.056	2.479	2.779	3.435	3.707
27	0.000	0.684	0.855	1.057	1.314	1.703	2.052	2.473	2.771	3.421	3.690
28	0.000	0.683	0.855	1.056	1.313	1.701	2.048	2.467	2.763	3.408	3.674
29	0.000	0.683	0.854	1.055	1.311	1.699	2.045	2.462	2.756	3.396	3.659
30	0.000	0.683	0.854	1.055	1.310	1.697	2.042	2.457	2.750	3.385	3.646
40	0.000	0.681	0.851	1.050	1.303	1.684	2.021	2.423	2.704	3.307	3.551

$\Rightarrow P$

(S)

t-Statistic

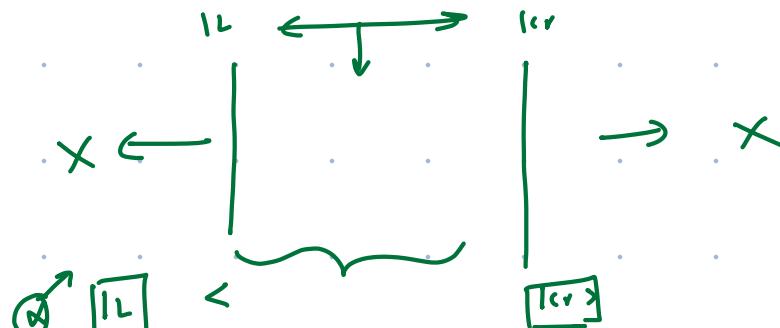
$$t = \frac{\bar{x} - \mu}{\frac{s}{\sqrt{n}}} = \frac{140 - 100}{\frac{20}{\sqrt{30}}}$$

$$= +10.95 = -1.02$$

(+) (-) (-)

mean
μ

σ



(Significant)