

Quiz09 Solutions

FD Properties

1. Select all the FD's that follow from Armstrong's Axioms *

if $X \rightarrow Y$ and $Z \rightarrow W$, then $XZ \rightarrow YW$

if $X \rightarrow Y$ and $WY \rightarrow Z$, then $WX \rightarrow Z$

if $X \rightarrow YZ$, then $X \rightarrow Y$ and $X \rightarrow Z$

if $XZ \rightarrow YZ$, then $X \rightarrow Y$ (Incorrect)

if $X \rightarrow Y$ and $W \rightarrow Y$, then $X \rightarrow W$ (Incorrect)

FD Example

We have a relation $R(A, B, C, D, E)$. We are told that the set of functional dependencies is $F = \{E \rightarrow BC, A \rightarrow B, C \rightarrow D, AD \rightarrow C\}$.

Find the attribute closures for each of the attributes. If the attribute closure for X was WXZ , you would fill in "WXZ" without quotes in the answer box.

We will be grading with a script so *please submit your answers in alphabetical order* and without any whitespace.

- 2. A+: AB
- 3. B+: B
- 4. C+: CD
- 5. D+: D
- 6. E+: BCDE

7. Select the attribute set(s) that are keys for relation R *

- E (Incorrect)
- ABC (Incorrect)
- BCD (Incorrect)
- ACE (superkey)
- ABCDE (superkey)

8. The attribute closure of $(AD)^+$ is equivalent to the attribute closure of $(AC)^+$. *

True. AD^+ covers ABCD, AC^+ covers ABCD.

9. Is relation R already in Boyce-Codd Normal Form (BCNF)? *

No. - None of the the FDs are a superkey of R and none of them are trivial FDs.

Normalization

Assume the decomposition is performed using the algorithm described in lecture.

10. Putting a relation in Boyce-Codd Normal Form will always guarantee a dependency preserving decomposition.

False

11. Putting a relation in Boyce-Codd Normal Form (BCNF) will always guarantee a lossless decomposition.

True

12. Determine whether the decomposition is lossless or not.

If relation $R(A, B, C, D, E)$ is decomposed into $R(A, C, D)$ and $R(A, B, C, E)$ with the set of functional dependencies $F = \{BC \rightarrow A, C \rightarrow D\}$. Note: the decomposition might not follow the BCNF algorithm discussed in class.

We see that $R_1 \cap R_2$ is AC. Since, since the FD $AC \rightarrow ACD$ is in F^+ , then the decomposition is lossless.