# Program:

WAP to implement insertion sort using c/c++ and write the complexity.

# Pseudo code:

```
InsertionSort(A)
 for j \leftarrow 2 to length[A]
  do key \leftarrow A[j]
  i \leftarrow j - 1
  while i > 0 and A[i] > key
    do \ A[i+1] \leftarrow A[i]
   i \leftarrow i - 1
  A[i + 1] \leftarrow key
Input:
#include <math.h>
#include <stdio.h>
#define N 100
void insertionSort(int arr[], int n)
{
          int i, key, j;
          for (i = 1; i < n; i++)
                    key = arr[i];
                   j = i - 1;
                   while (j \ge 0 \&\& arr[j] > key)
                              arr[j + 1] = arr[j];
                             j = j - 1;
                   }
                    arr[j + 1] = key;
          }
}
```

```
void printArray(int arr[], int n)
       int i;
       for (i = 0; i < n; i++)
               printf("%d ", arr[i]);
       printf("\n");
}
int main()
{
       printf("Boddu Asmitha Bhavya_A2305221386");
  int a[N],i,n;
  printf("\nThe Number of elements in the array:");
  scanf("%d",&n);
  printf("\nEnter the elements in the array:");
  for(i=0;i<n;i++)
  {
    scanf("%d",&a[i]);
  }
  insertionSort(a,n);
  printf("\nThe sorted array is:");
  printArray(a,n);
  return 0;
}
Output:
Boddu Asmitha Bhavya A2305221386
The Number of elements in the array:5
Enter the elements in the array:2 6 8 3 6
The sorted array is:2 3 6 6 8
```

# Complexity:

Time complexity is:O(N^2)

# Program:

WAP to implement Fractional Knapsack problem using c/c++ and write the complexity.

#### Pseudo code:

```
GREEDY_FRACTIONAL_KNAPSACK (X, V, W, M)
1. for i <- 1 to size (V)
2. calculate cost [i] <- V [i] / W [i]
3. Sort-Descending (cost)
4. i ← 1
5. while (i <= size (V))
6. if W [i] <= M
7. M \leftarrow M - W[i]
8. total \leftarrow total + V [i];
9. if W [i] > M
10. i ← i+1
Input:
#include <stdio.h>
void main()
  int capacity, no_items, cur_weight, item;
  int used[10];
  float total_profit;
  int i;
  int weight[10];
  int value[10];
  printf("Boddu Asmitha Bhavya_A2305221386");
  printf("\nEnter the capacity of knapsack:");
  scanf("%d", &capacity);
  printf("\nEnter the number of items:");
  scanf("%d", &no_items);
  printf("\nEnter the weight and value of %d item:", no_items);
```

```
for (i = 0; i<no_items; i++)
  {
    printf("\nWeight[%d]:", i);
    scanf("%d", &weight[i]);
    printf("\nValue[%d]:", i);
    scanf("%d", &value[i]);
  }
  for (i = 0; i < no_items; ++i)
  used[i] = 0;
  cur_weight = capacity;
  while (cur_weight > 0)
  {
    item = -1;
    for (i = 0; i < no_items; ++i)
      if ((used[i] == 0) \&\&
         ((item == -1) | | ((float) value[i] / weight[i] > (float) value[item] / weight[item])))
         item = i;
    used[item] = 1;
    cur_weight -= weight[item];
    total_profit += value[item];
    if (cur weight >= 0)
       printf("\nAdded object %d (%d Rs., %dKg) completely in the bag. Space left: %d.", item + 1,
value[item], weight[item], cur_weight);
    else
      int item_percent = (int) ((1 + (float) cur_weight / weight[item]) * 100);
       printf("\nAdded %d%% (%d Rs., %dKg) of object %d in the bag.", item_percent, value[item],
weight[item], item + 1);
      total_profit -= value[item];
      total_profit += (1 + (float)cur_weight / weight[item]) * value[item];
    }
```

```
}
printf("\nFilled the bag with objects worth %.2f Rs.", total_profit);
}
```

# Output:

```
Boddu Asmitha Bhavya_A2305221386
Enter the capacity of knapsack:50

Enter the number of items:3

Enter the weight and value of 3 item:
Weight[0]:20

Value[0]:30

Weight[1]:40

Value[1]:50

Weight[2]:10

Value[2]:20

Added object 3 (20 Rs., 10Kg) completely in the bag. Space left: 40.
Added object 1 (30 Rs., 20Kg) completely in the bag. Space left: 20.
Added 50% (50 Rs., 40Kg) of object 2 in the bag.
Filled the bag with objects worth 75.00 Rs.
```

# Complexity:

Time Complexity is: O(N \* logN)

# Program: WAP to implement the Kruskal's Algorithm using c/c++. Pseudo code: KRUSKAL (G): $A = \emptyset$ For each vertex $v \in G.V$ : MAKE-SET(v) For each edge $(u, v) \in G.E$ ordered by increasing order by weight (u, v): if FIND-SET(u) ≠ FIND-SET(v): $A = A \cup \{ (u, v) \}$ UNION(u, v) return A Input: #include <stdio.h> #include <stdlib.h> #define MAX\_VERTICES 100 #define MAX\_EDGES 1000 int find(int subsets[], int i) { if (subsets[i] != i) subsets[i] = find(subsets, subsets[i]); return subsets[i]; void unionSets(int subsets[], int x, int y) { int xroot = find(subsets, x); int yroot = find(subsets, y); subsets[xroot] = yroot; int compare(const void\* a, const void\* b) { return (\*(int\*)a - \*(int\*)b);

```
}
void kruskalMST(int V, int E, int edges[][3]) {
  qsort(edges, E, sizeof(edges[0]), compare);
  int subsets[MAX_VERTICES];
  for (int v = 0; v < V; v++) {
    subsets[v] = v;
  }
  printf("\nMinimum Spanning Tree:\n");
  int totalCost = 0;
  for (int i = 0, e = 0; e < V - 1 & i < E; i++) {
    int src = edges[i][0];
    int dest = edges[i][1];
    int x = find(subsets, src);
    int y = find(subsets, dest);
    if (x != y) {
       unionSets(subsets, x, y);
       printf("%d - %d : %d\n", src, dest, edges[i][2]);
       totalCost += edges[i][2];
       e++;
    }
  }
  printf("\nTotal cost of Minimum Spanning Tree: %d\n", totalCost);
}
int main() {
  int V, E;
  printf("Boddu Asmitha Bhavya_A2305221386");
```

```
printf("\nEnter the number of vertices and edges: ");
scanf("%d %d", &V, &E);

int edges[MAX_EDGES][3];
for (int i = 0; i < E; i++) {
    printf("\nEnter edge %d (source destination weight): ", i + 1);
    scanf("%d %d %d", &edges[i][0], &edges[i][1], &edges[i][2]);
}

kruskalMST(V, E, edges);
return 0;
}</pre>
```

### **Output:**

```
Boddu Asmitha Bhavya_A2305221386
Enter the number of vertices and edges: 6 10

Enter edge 1 (source destination weight): 1 2 5

Enter edge 2 (source destination weight): 2 6 3

Enter edge 3 (source destination weight): 6 5 4

Enter edge 4 (source destination weight): 5 3 3

Enter edge 5 (source destination weight): 3 1 4

Enter edge 6 (source destination weight): 1 5 2

Enter edge 7 (source destination weight): 4 1 6

Enter edge 8 (source destination weight): 4 2 2

Enter edge 9 (source destination weight): 4 6 2

Enter edge 10 (source destination weight): 4 5 1

Minimum Spanning Tree:
1 - 2 : 5
1 - 5 : 2
2 - 6 : 3
3 - 1 : 4
4 - 1 : 6

Total cost of Minimum Spanning Tree: 20
```

# **Complexity:**

Time Complexity is O(E \* logE) or O(E \* logV)

# Program:

WAP to implement the Prism's algorithm using c/c++ and write the complexity.

#### Pseudo code:

```
Prim(G, w, s)
1. T = \emptyset; U = \{ s \};
2. while (U ≠ V)
3. let (u, v) be the lowest cost edge such that u \in U and v \in V - U;
4. T = T \cup \{(u, v)\};
5. U = U \cup \{v\};
6. return T;
Input:
#include <stdio.h>
#include <stdbool.h>
#define MAX_VERTICES 10
int graph[MAX_VERTICES][MAX_VERTICES];
int parent[MAX_VERTICES];
int key[MAX_VERTICES];
bool mstSet[MAX_VERTICES];
int findMinKeyVertex(int vertices) {
  int minKey = __INT_MAX__;
  int minIndex = -1;
  for (int v = 0; v < vertices; v++) {
    if (!mstSet[v] && key[v] < minKey) {
      minKey = key[v];
      minIndex = v;
    }
  }
  return minIndex;
}
```

```
void printMST(int vertices) {
  printf("\nEdge \tWeight\n");
  for (int v = 1; v < vertices; v++) {
     printf("%d - %d\t%d\n", parent[v], v, graph[parent[v]][v]);
  }
}
void primMST(int vertices) {
  for (int v = 0; v < vertices; v++) {
    key[v] = __INT_MAX__;
    mstSet[v] = false;
  }
 key[0] = 0;
  parent[0] = -1;
  for (int count = 0; count < vertices - 1; count++) {
    int u = findMinKeyVertex(vertices);
    mstSet[u] = true;
    for (int v = 0; v < vertices; v++) {
       if (graph[u][v] \&\& !mstSet[v] \&\& graph[u][v] < key[v]) {
         parent[v] = u;
         key[v] = graph[u][v];
       }
    }
  }
  printMST(vertices);
}
int main() {
  int vertices;
  printf("Boddu Asmitha Bhavya_A2305221386");
  printf("\nEnter the number of vertices: ");
  scanf("%d", &vertices);
```

```
printf("\nEnter the adjacency matrix:\n");
for (int i = 0; i < vertices; i++) {
    for (int j = 0; j < vertices; j++) {
        scanf("%d", &graph[i][j]);
    }
}
primMST(vertices);
return 0;
}</pre>
```

# **Output:**

```
Boddu Asmitha Bhavya_A2305221386
Enter the number of vertices: 4

Enter the adjacency matrix:
0 2 5 0
2 0 5 3
0 8 2 6
4 8 0 1

Edge Weight
0 - 1 2
0 - 2 5
1 - 3 3
```

# Complexity:

Time Complexity is O(E\*log(E)) where E is the number of edges