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As a reading of Chapter 7 should make clear, many recent advances in dynamical systems research stem from ideas of Stephen Smale, and his 1967 survey article (Smale [5]) has been profoundly influential. Some other surveys that may help to guide further reading on the subject are Nemitskii [1], Palis [2], Robbin [3], Shub [2, 3, 4, 5] and Smale [7, 8]. In the list of references that follows, two conference proceedings appear so often that I have abbreviated them. *"Global Analysis"* denotes "*Global Analysis*, Proc. Symp. in Pure Math. **14** (Providence, Rhode Island: American Math. Soc., 1970)", and *"Dynamical Systems"* denotes *"Dynamical Systems* (Ed. Peixoto, M. M.) (New York: Academic Press, 1973).

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