



## **Assignment-03**

**Course Name: Physics**

**Course code: Phy-201**

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Question: prove that  $pV^\gamma = \text{constant}$ ?

Ans:

we know from the 1st law of Thermodynamics

$$dQ = du + dw$$

for an adiabatic process, we can say  $dQ = 0$

$$\text{So, } du + dw = 0 \Rightarrow du + p dv \dots \textcircled{1}$$

$$\text{we know } du = nC_v dT \dots \textcircled{2}$$

$$\text{For an ideal gas } pV = nRT$$

$$\Rightarrow T = \frac{pV}{nR}$$

$$\Rightarrow dT = \frac{p dv + v dp}{nR}$$

Putting (in) (2) we get,

$$du = \frac{C_v}{R} (p dv + v dp)$$



Putting this value of  $du$  in (1) we get,

$$\frac{dp}{p} = -\frac{dv}{v} \frac{C_v + R}{C_v}$$

$$\Rightarrow \frac{dp}{p} = -\frac{dv}{v} \cdot r \left[ \text{as } r = \frac{C_p}{C_v} = \frac{C_v + R}{C_v} \right]$$

$$\Rightarrow \int \frac{dp}{p} = -r \int \frac{dv}{v}$$

$$\Rightarrow \ln p = -r \ln v + C$$

$$\Rightarrow \ln p + r \ln v = K$$

$$\Rightarrow \ln p + \ln v^r = K$$

$$\Rightarrow \ln (p v^r) = K$$

$$\therefore p v^r = \text{constant}$$

(proved)

Question: prove that  $TV^{\gamma-1} = \text{constant}$ ,

Ans. we know

for an ideal gas,  $pV = RT$   
 $\therefore p = \frac{RT}{V}$

Again; we know  $pV^{\gamma} = \text{constant}$

Putting the value of  $p$  in the above equation  
we get.

$$\frac{RT}{V} \times V^{\gamma} = \text{constant}$$

$$\text{or } RTV^{\gamma-1} = \text{constant}$$

$$\text{or } T, V^{\gamma-1} = \text{constant} \quad [\because R = \text{constant}]$$

(Proved)



Question Prove that  $TP^{\frac{1-\gamma}{\gamma}} = \text{constant}$ ?

Ans. we know

$$P_1 V_1 = RT_1 \text{ and } P_2 V_2 = RT_2$$

From, above equation, we get.

$$V_1/V_2 = P_2 T_1 / P_1 T_2$$

Putting this value in equation.

$$\frac{T_2}{T_1} = \left( \frac{P_2 T_1}{P_1 T_2} \right)^{\gamma-1}$$

After solving this we get,

$$\frac{T_2}{T_1} = \left( \frac{P_1}{P_2} \right)^{(1-\gamma)}$$

taking  $\gamma$  root on both side.

$$TP^{\frac{1-\gamma}{\gamma}} = \text{constant}$$

(proved)