| | In the first part, NDVI was extracted from time-series Landsat 8 data image data in Google Earth Engine (GEE) platform through Python API. In the next part, predictive models were built to forecast NDVI using conventional ARIMA and state of the art FBProphet models. Comparison of the performance metrics puts |
|----------------------------------|--|
| In [2]: | FBProphet ahead of the ARIMA model. 1. Data Loading # Import relevant libraries import ee, datetime # Google Earth Engine import pandas as pd import numpy as np |
| | <pre>import folium import geehydro from datetime import datetime as dt from IPython.display import Image from statsmodels.tsa.seasonal import seasonal_decompose from pmdarima.arima import auto_arima from statsmodels.tsa.arima_model import ARIMA from sklearn.metrics import mean_squared_error, mean_absolute_error from fbprophet import Prophet import matplotlib.pyplot as plt import seaborn as sns import warnings warnings.filterwarnings('ignore')</pre> |
| In [3]: | Select Region Okanagan valley, BC, Canada was chosen as test site. Out of BC, this region gets the most sunshine throught the year. This is desired as optical satellite image data will be used and least cloud cover is highly dersirbale. # Visualize the Area Of Interest (AOI) in the map |
| Out[3]: | okanagan_map = folium.Map(location=[49.888056, -119.495556], zoom_start=10) okanagan_map H Bear Creek Recreation Site Okanagan Lake Lake Lake Okanagan |
| | West Kelowna Myro Bellevue Provincial Park Leaflet (https://leafletjs.com) Data by © OpenStreetMap (http://openstreetmap.org), under ODbL (http://www.openstreetmap.org/copyright)/rovincial |
| In [4]: | Landsat 8 Image Collection Landsat 8 is operational since 2013. we will be taking every images till date with maximum allowable cloud cover of 20% # Landsat 8 surface reflectance imagery # Take images upto 20% cloud coverage # Take 7 years image data starting at 2013 landsat = ee.ImageCollection("LANDSAT/LC08/C01/T1_SR").\ |
| In [5]: | <pre>filter(ee.Filter.lt('CLOUD_COVER', 20)).\ filterDate('2013-01-01','2021-01-01') # setting the Area of Interest (AOI) okanagan_AOI = ee.Geometry.Rectangle([-119.28, 49.99,</pre> |
| In [5]: In [6]: | Total number of images : ', landsat_AOI.size().getInfo()) Band Information # Names of each Landsat 8 band landsat_AOI.first().bandNames().getInfo() ['B1', 'B2', |
| | 'B3', 'B4', 'B5', 'B6', 'B7', 'B10', 'B11', 'sr_aerosol', 'pixel_qa', 'radsat_qa'] B5 is the Near Infrared (NIR) band B4, B3 and B2 are the Red, green and Blue bands respectively |
| In [7]: | <pre>Plot the First Image # Plot the 'first' image in the collection # List of images listOfImages = landsat_AOI.toList(landsat_AOI.size()) # Plot in RGB color composite palette = ['red', 'green', 'blue'] parameters = {'min': 0,</pre> |
| Out[7]: | <pre>pands: ['B4', 'B3', 'B2'],</pre> |
| | |
| | Leaflet (https://leafletis.com) Data by © OpenStreetMap (http://openstreetmap.org); under ODbL (http://www.openstreetmap.org/copyright) Google Earth Engine • The image is down centred around Okanagan lake 2. NDVI Analysis NDVI of every image pixels in the images will be calculated by the equation: $NDVI = \frac{NIR - Red}{NIR + Red}$ (1 |
| In [8]: | Where, NIR is B5 band and Red is B4 band. Average NDVI will be calculated on every images to get time- series NDVI of the AOI. **NDVI Calculation** # Function to calculate 'NDVI' and add a additional band to every images in the cold def addNDVI(image): ndvi = image.normalizedDifference(['B5', 'B4']).rename('NDVI') return image.addBands(ndvi) |
| In [9]: | <pre>with_ndvi = landsat_AOI.map(addNDVI) # Function to calculate 'average NDVI' on every images in the collection def meanNDVI(image): image = ee.Image(image) meanDict = image.reduceRegion(reducer = ee.Reducer.mean().setOutputs(['NDVI']),</pre> |
| n [10]: | <pre># Calculate 'average NDVI' for every images listOfImages_ndvi = with_ndvi.select('NDVI').toList(with_ndvi.size()) ndvi_coll = [] for i in range(listOfImages_ndvi.length().getInfo()): image = ee.Image(listOfImages_ndvi.get(i-1)) temp_ndvi = meanNDVI(image) ndvi_coll.append(temp_ndvi)</pre> |
| n [11]: n [12]: | <pre># Extract 'dates' from the image collection dates = np.array(with_ndvi.aggregate_array("system:time_start").getInfo()) day = [datetime.datetime.fromtimestamp(i/1000).strftime('%Y-%m-%d') for i in (dates) Time-series NDVI Dataframe # Make a dataframe with 'day' and 'NDVI' columns ndvi_df = pd.DataFrame(ndvi_coll, index = day, columns = ['ndvi'])</pre> |
| ut[12]: | <pre>ndvi_df.index = pd.to_datetime(ndvi_df.index, format="%Y/%m/%d") ndvi_df.sort_index(ascending = True, inplace = True) ndvi 2013-03-30 0.305561 2013-07-03 0.724109 2013-07-19 0.388507 2013-07-28 0.555191</pre> |
| n [13]: | Up-sample to Get Daily NDVI Data Our goal is to train algorithm to predict NDVI which requires the data to have regular interval such as daily weekly and such. Filtering the data by cloud cover percentage yields irregular interval NDVI data. In this section, we will up-sample to get daily NDVI data with linear interpolation. # Up-sampple the date column ndvi_df_daily = ndvi_df.resample('D').median() |
| ut[13]: | <pre># Linear interpolate NDVI data ndvi_df_daily.interpolate(method='polynomial', order = 1, inplace = True) ndvi_df_daily.head(5) ndvi 2013-03-30 0.305561 2013-03-31 0.309967 2013-04-01 0.314373</pre> |
| n [14]: | <pre>2013-04-02 0.318779 2013-04-03 0.323185 Plot Interpolated NDVI Data plt.figure(figsize=(10,5), dpi=100) plt.plot(ndvi_df, '*') plt.plot(ndvi_df_daily) plt.xlabel('Year', fontsize=15) plt.ylabel('Average NDVI', fontsize=15) plt.legend(['Original Data', 'Interpolated Data'])</pre> |
| | plt.title("Interpolated NDVI", fontsize=15) plt.ylim([-1, 1]) plt.show() Interpolated NDVI 1.00 0.75 0.50- |
| | 0.25 -0.25 -0.50 -0.75 -1.00 2013 2014 2015 2016 2017 Year |
| | • Interpolated data aligns well with the original data which is sufficient to train algorithm for prediction 3. NDVI Prediction Modelling There are many popular algorithms for time-series modelling of which ARIMA is the most popular conventional model. We will be using this for NDVI prediction modleling. Another state of the art tool for prediction is FBProphet which takes into account uncertain events that the conventional model fails to account for. ARIMA Model |
| | ARIMA stands for Auto Regressive Integrated Moving Average. General ARIMA model can be expressed as predicted Y(t) = constant + linear combination lags of Y(t) (p lags) + linear combination lags of error in prediction terms (q lags) For example, Y(t) = $5 + 3$ Y(t-1) + 2 ϕ (t-1). Here, p=q=1. d stands for differencing needed for Y(t) to make the stationary. There are many ways to determine best possible combinations of p, d and q values for a ARIMA model given a time seris data. One way would be manually plotting auto correlation function (ACF) and partial |
| | autocorrelation function (PACF) for combinations of p, d and q parameters and determine the case for near zero ACF and PACF values. Here we will use auto_arima function that will output best optimized model parameters for ranges of p, q values based on Akaike Information Criterion (AIC). AIC is an estimator which assess the statistical quality of a model. Model with a lower AIC value results in the best fit with the training data with least features. The auto_arima function can do the grid search over p, d, q (related to ARIMA model) and P, D and Q (related to seasonal components) parameters then report back the model with best AIC value. Seasonal Decomposition |
| n [15]: | Trend: NDVI tendency over a period of time. e.g. if the NDVI is increasing/decreasing over a year Seasonality: periodic variation in the NDVI that we see every year. It tells which part of the year NDVI increases/decreases and that happens in cyclic manner over the years Residual: non systematic component of the NDVI value which is not structured and termed as noise # Apply decompomposition on NDVI data decomposition = seasonal_decompose (ndvi_df_daily, model= 'additive', period = 365) # compared to multiplic |
| | <pre># assign trend, seasonal components from decomposed data trend = decomposition.trend seasonal = decomposition.seasonal # Plot the original data, the trend, the seasonality, and the residual plt.figure(figsize=(12,10)) plt.subplot(411) plt.plot(ndvi_df_daily, label = 'original', linewidth=4) plt.legend(loc = 'best', fontsize=15)</pre> |
| | <pre>plt.ylabel('NDVI', fontsize=15) plt.title('Time-series NDVI decomposition', fontsize=15) plt.subplot(412) plt.plot(trend, label = 'Trend', linewidth=4) plt.legend(loc = 'best', fontsize=15) plt.ylabel('NDVI', fontsize=15) plt.subplot(413) plt.plot(seasonal, label = 'seasonal', linewidth=4) plt.legend(loc = 'best', fontsize=15) plt.ylabel('NDVI', fontsize=15) plt.xlabel('Year', fontsize=15)</pre> |
| | Time-series NDVI decomposition 0.6 0.7 0.9 0.9 0.9 0.9 0.9 0.9 0.9 |
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| 2 [16]. | • The NDVI has decreasing trend from 2015 to 2019. From 2019 till today it shows increasing trend. This interesting trend could be further explored to relate causations. • Seasonality is constant over time but follows strictly cyclic manner. That is every year there are specific times when NDVI rises and falls NDVI Trend for Two Years Let's look closely at what is happeing in two years window. We will have broader picture on the seasonality |
| n [16]: | Trend 2014 2015 2016 2017 2018 2019 2020 Seasonal **Pear* The NDVI has decreasing trend from 2015 to 2019. From 2019 till today it shows increasing trend. This interesting trend could be further explored to relate causations. Seasonality is constant over time but follows strictly cyclic manner. That is every year there are specific times when NDVI rises and falls **NDVI Trend for Two Years** Let's look closely at what is happeing in two years window. We will have broader picture on the seasonality for the original data, the trend, the seasonality data over two years two_year = (ndvi_df_daily.index>='2017-01-01') (ndvi_df_daily.index<='2019-01-01') plt.figure (figsize=(12,10)) plt.subplot(411) plt.plot(ndvi_df_daily[two_year], label = 'original', linewidth=4) plt.legend(loc = 'best', fontsize=15) plt.ylabel('NDVI', fontsize=15) plt.ylabel('NDVI', fontsize=15) plt.subplot(412) plt.plot(trend[two_year], label = 'Trend', linewidth=4) |
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| n [16]: | The NDVI has decreasing trend from 2015 to 2019. From 2019 till today it shows increasing trend could be further explored to relate causations. • The NDVI has decreasing trend from 2015 to 2019. From 2019 till today it shows increasing trend. This interesting trend could be further explored to relate causations. • Seasonality is constant over time but follows strictly cyclic manner. That is every year there are specific times when NDVI roses and falls NDVI Trend for Two Years Let's look closely at what is happeing in two years window. We will have broader picture on the seasonality # Plot the original data, the trend, the seasonality data over two years two year = (indvi_df_daily.indexp='2017-01-01') & (indvi_df_daily.indexc='2019-01-01') plt. figure (figusize=(12, 10)) plt. subplot (dil) plt. plot (indvi_df_daily.two_year), label = 'original', linewidth=4) plt. legend(loo = 'best', fontsize=15) plt. subplot (red') plt. legend(lor = 'best', fontsize=15) plt. subplot (dil) plt. legend(lor = 'best', fontsize=15) plt. subplot (asaonalityo_year), label = 'seasonal', linewidth=4) Time-series NDVI decomposition Time-series NDVI decomposition |
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