

# *Lecture #32*

## *Code Optimization*

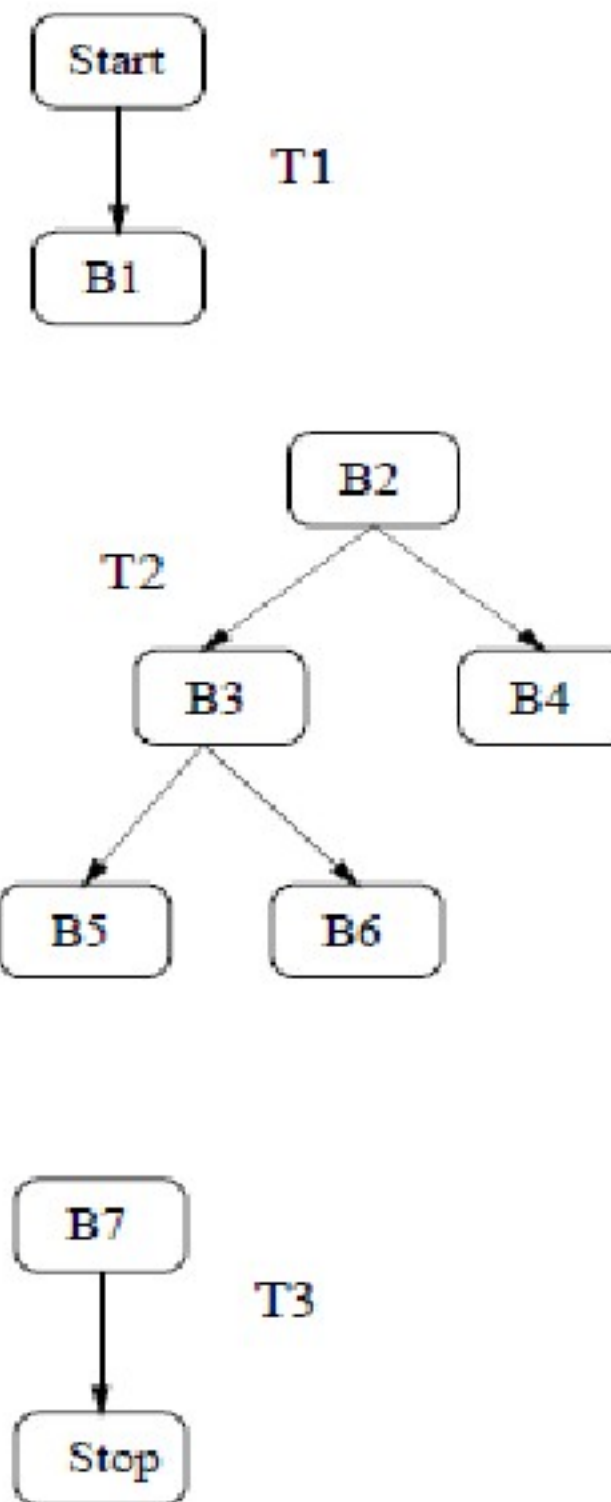
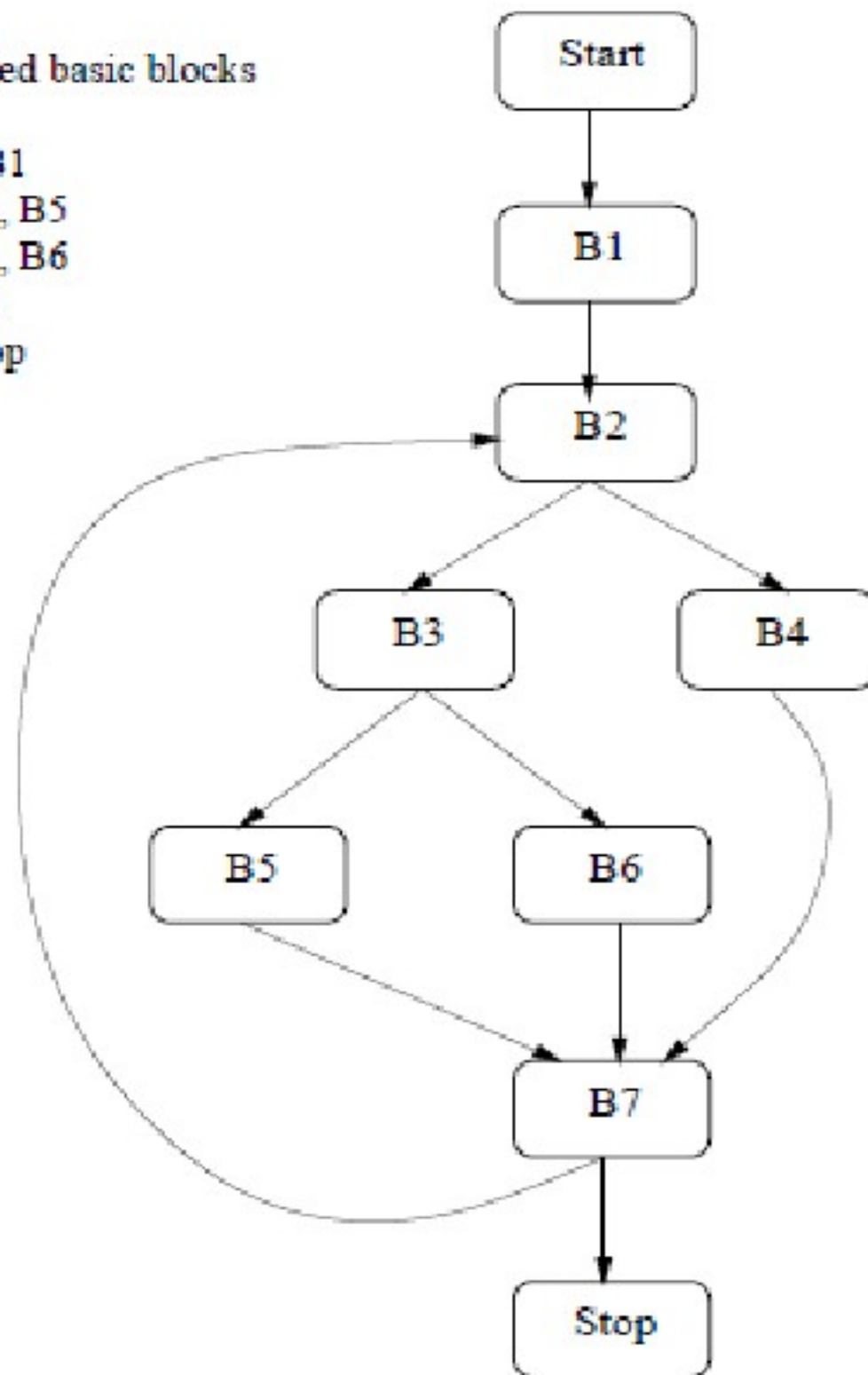
## *Extended Basic Blocks*

- A sequence of basic blocks  $B_1, B_2, \dots, B_k$ , such that  $B_i$  is the unique predecessor of  $B_{i+1}$  ( $1 \leq i < k$ ), and  $B_1$  is either the start block or has no unique predecessor
- Extended basic blocks with shared blocks can be represented as a tree
- Shared blocks in extended basic blocks require scoped versions of tables
- The new entries must be purged and changed entries must be replaced by old entries
- Preorder traversal of extended basic block trees is used

# Extended Basic Blocks

Extended basic blocks

Start, B1  
B2, B3, B5  
B2, B3, B6  
B2, B4  
B7, Stop





# *Extended Basic Blocks*

```
function visit-ebb-tree(e) // e is a node in the tree
begin
    // From now on, the new names will be entered with a new scope into the tables.
    // When searching the tables, we always search beginning with the current scope
    // and move to enclosing scopes. This is similar to the processing involved with
    // symbol tables for lexically scoped languages
    value-number(e.B);
    // Process the block e.B using the basic block version of the algorithm
    if (e.left  $\neq$  null) then visit-ebb-tree(e.left);
    if (e.right  $\neq$  null) then visit-ebb-tree(e.right);
    remove entries for the new scope from all the tables
    and undo the changes in the tables of enclosing scopes;
end

begin // main calling loop
    for each tree t do visit-ebb-tree(t);
    // t is a tree representing an extended basic block
end
```

# *Peephole Optimization*

- A machine dependent optimization technique
- Peephole optimizations are replacement rules of the form:

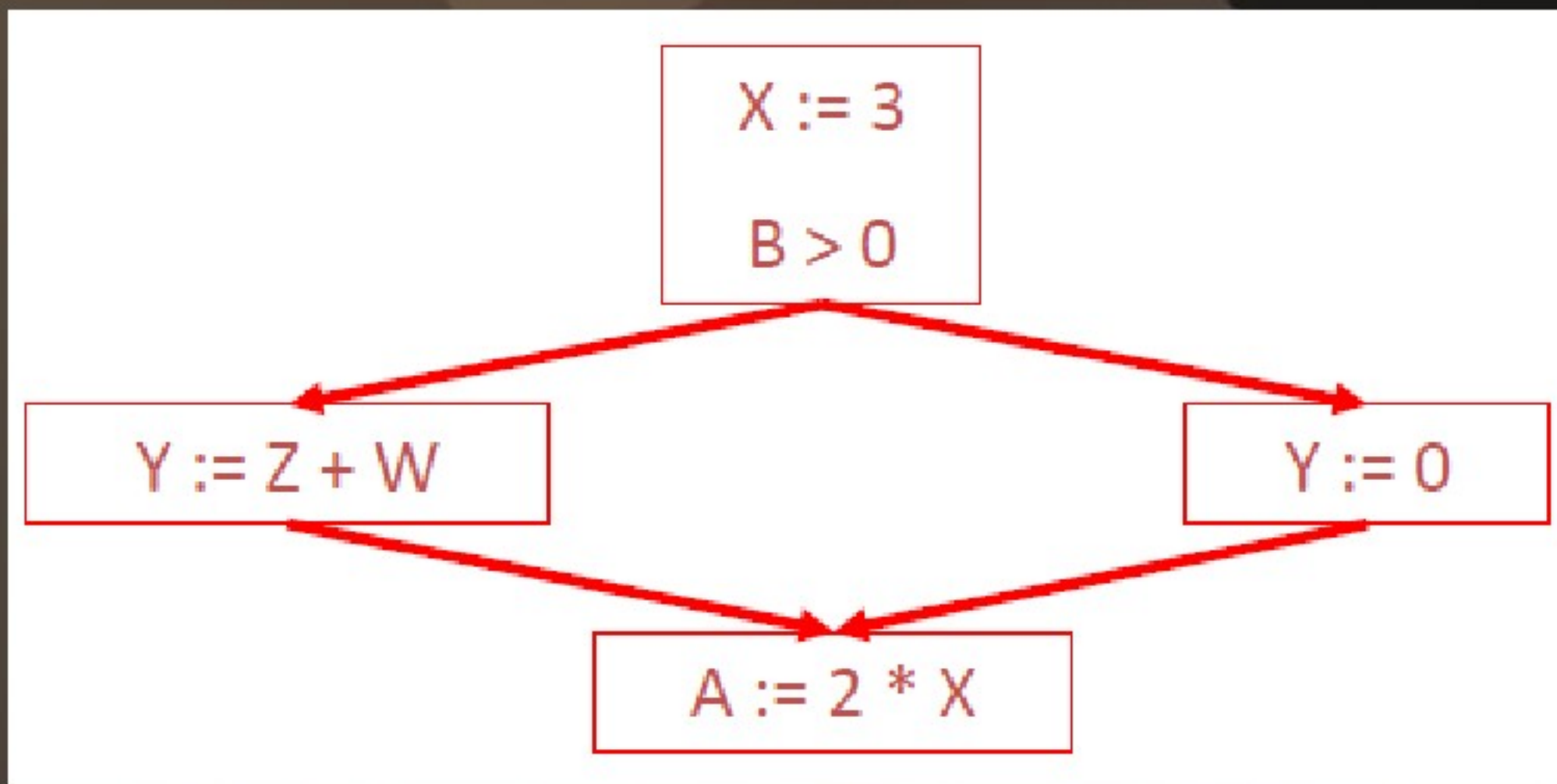
$$i_1, \dots, i_n \rightarrow j_1, \dots, j_m$$

where the RHS is the improved version of the LHS

- Example:
  - `move $a $b, move $b $a`  $\rightarrow$  `move $a $b`
  - Works if `move $b $a` is not the target of a jump
- Another example
  - `addiu $a $a i, addiu $a $a j`  $\rightarrow$  `addiu $a $a i+j`

# *Dataflow Analysis*

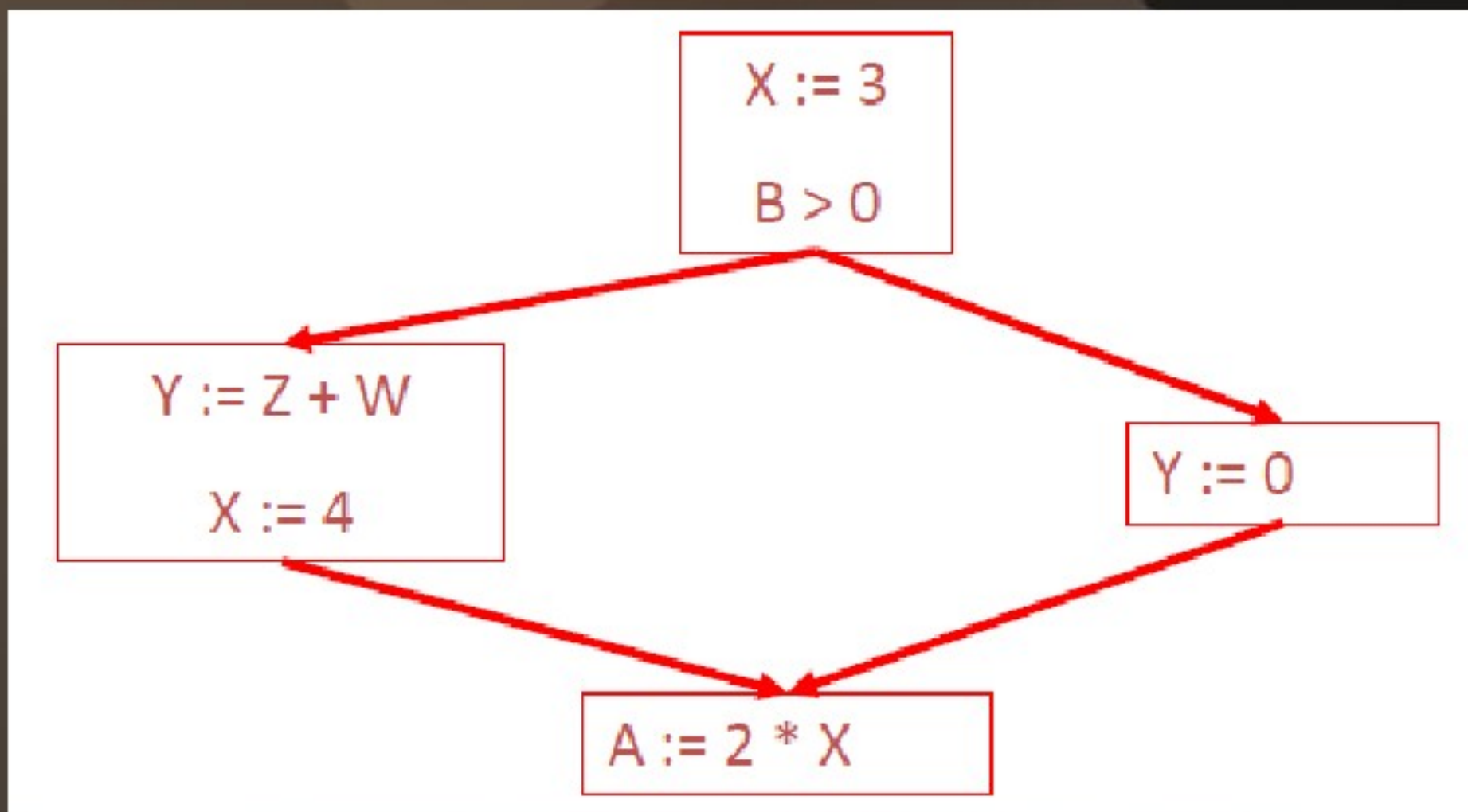
- Simple optimizations over a basic block may be extended over the entire CFG
- Example: Global Constant Propagation





# Dataflow Analysis

- To replace a use of **x** by a constant **k** we must know:
  - On every path to the use of **x**, the last assignment to **x** is **x = k**



# *Global Optimization*

- The correctness condition is not trivial to check
  - *Paths* include paths around loops and through branches of conditionals
- Generally global optimization depends on knowing a property **X** at a particular point in program execution
  - Proving **X** at any point requires knowledge of the entire program
- It is OK to be conservative. If the optimization requires **X** to be true, then want to know either
  - **X** is definitely true
  - Don't know if **X** is true
    - It is always safe to say “don't know”

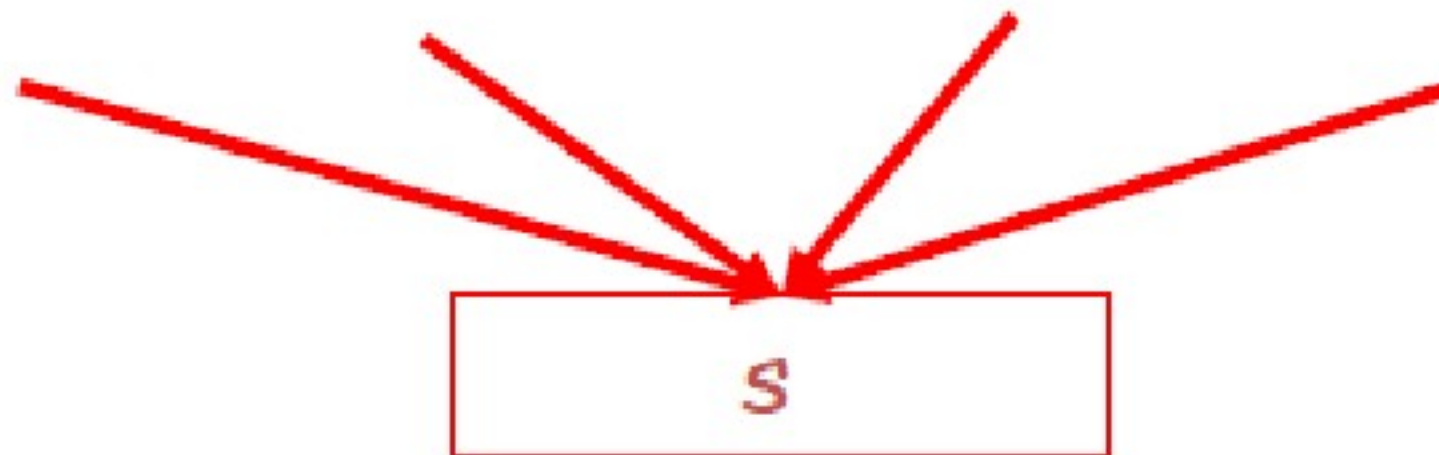


# *Global Constant Propagation*

- We must know whether:
  - On every path to the use of  $x$ , the last assignment to  $x$  is  $x = k$
- We associate one of the following values with  $x$  at every program point:
  - $\perp$  (Bottom) : This statement never executes
  - $C$  :  $x$  equals to constant  $C$
  - $\top$  (Top) :  $x$  is not a constant
- For each statement  $s$ , the value of  $x$  immediately before and after  $x$  is calculated
  - $C(s, x, \text{in})$ : Value of  $x$  before  $s$
  - $C(s, x, \text{out})$ : Value of  $x$  after  $s$

# Global Constant Propagation

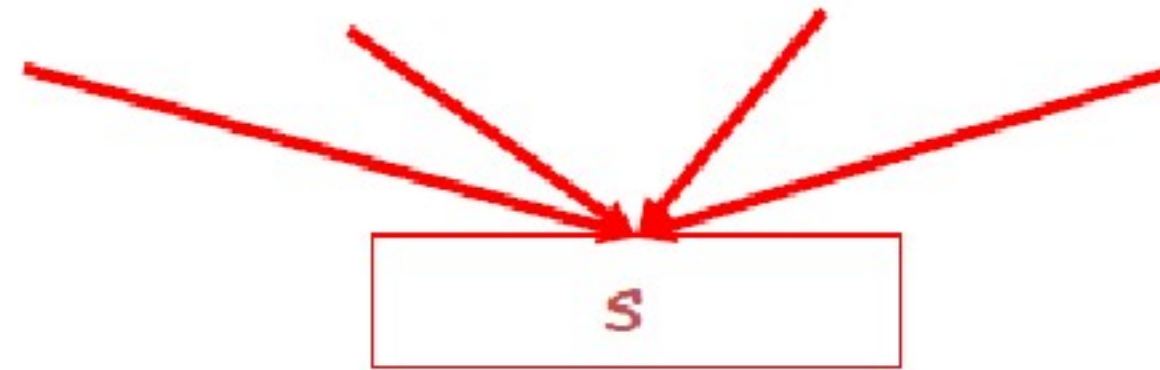
- Rule #1



if  $C(p_i, x, \text{out}) = \tau$   
for any  $i$ , then  $C(s, x, \text{in}) = \tau$

# Global Constant Propagation

- Rule #2

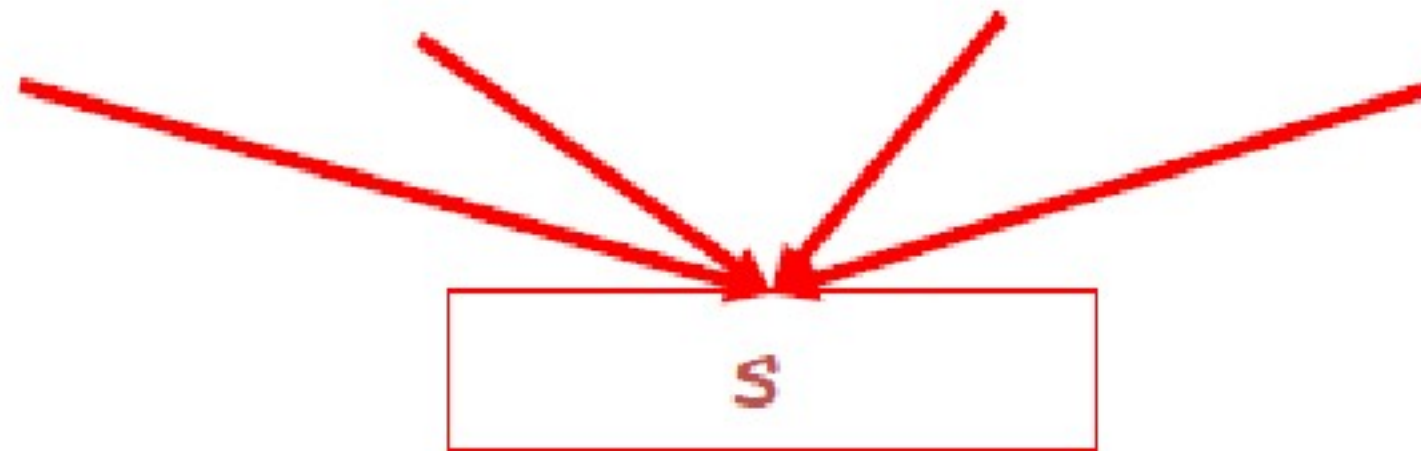


if  $C(p_i, x, \text{out}) = c$  &  $C(p_j, x, \text{out}) = d$  &  $d \neq c$   
then  $C(s, x, \text{in}) = \top$



# *Global Constant Propagation*

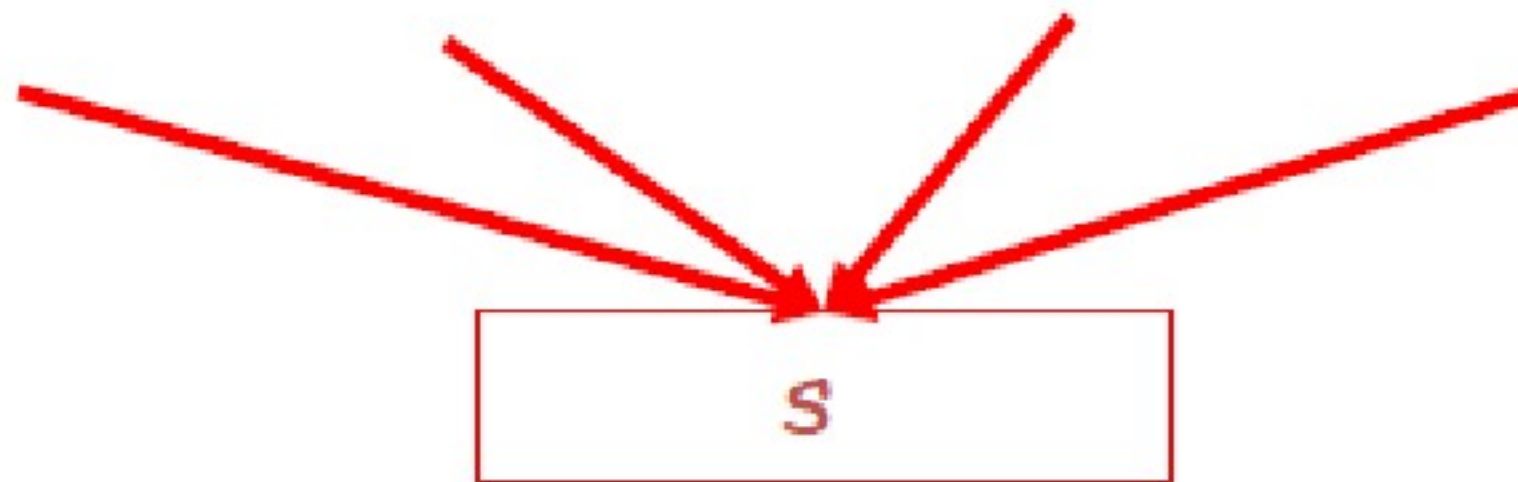
- Rule #3



if  $C(p_i, x, \text{out}) = c$  or  $\perp$  for all  $i$ ,  
then  $C(s, x, \text{in}) = c$

# *Global Constant Propagation*

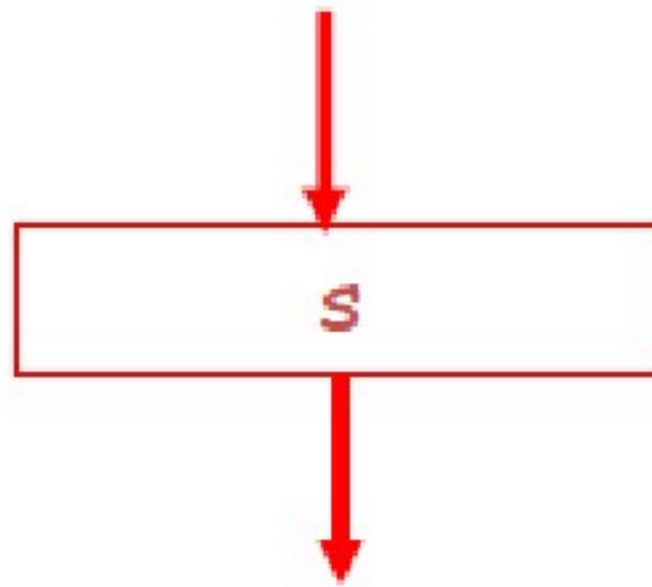
- Rule #4



if  $C(p_i, x, \text{out}) = \perp$  for all  $i$ ,  
then  $C(s, x, \text{in}) = \perp$

# *Global Constant Propagation*

- Rule #5

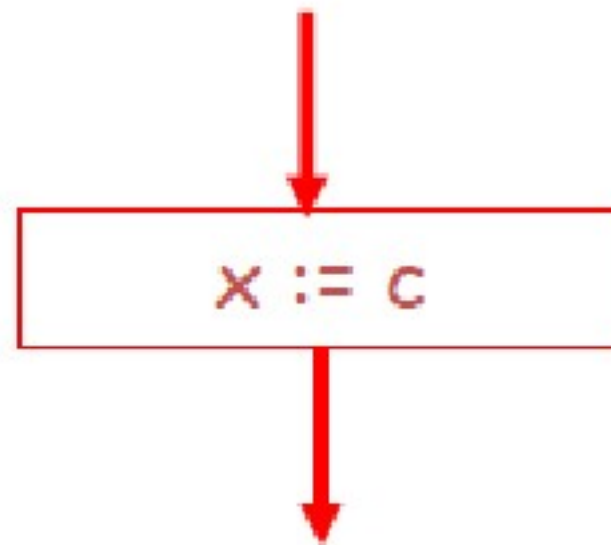


$$C(s, x, \text{out}) = \perp \text{ if } C(s, x, \text{in}) = \perp$$



# *Global Constant Propagation*

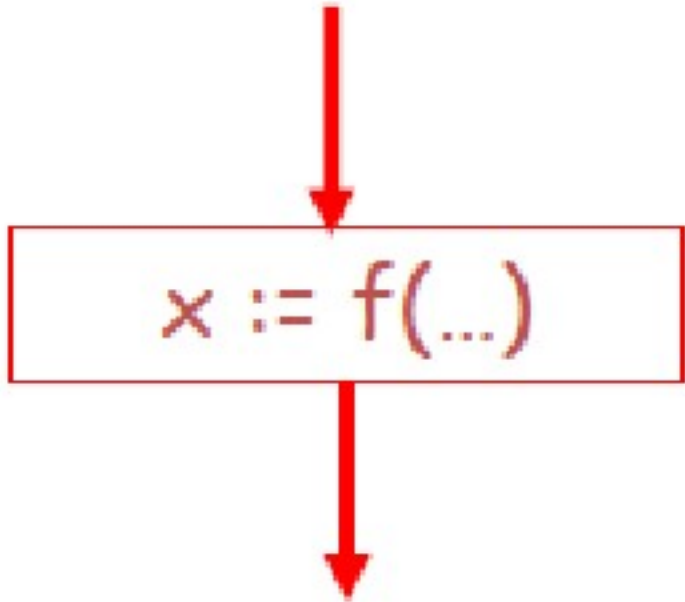
- Rule #6



$C(x := c, x, \text{out}) = c$  if  $c$  is a constant

# *Global Constant Propagation*

- Rule #7

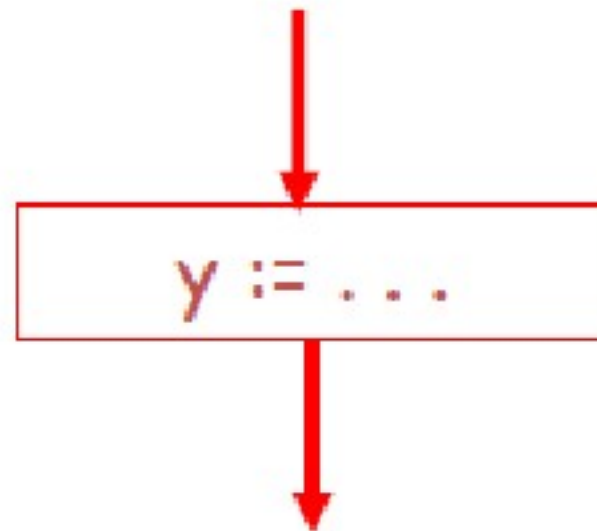


$x := f(\dots)$

$$C(x := f(\dots), x, \text{out}) = \tau$$

# *Global Constant Propagation*

- Rule #8

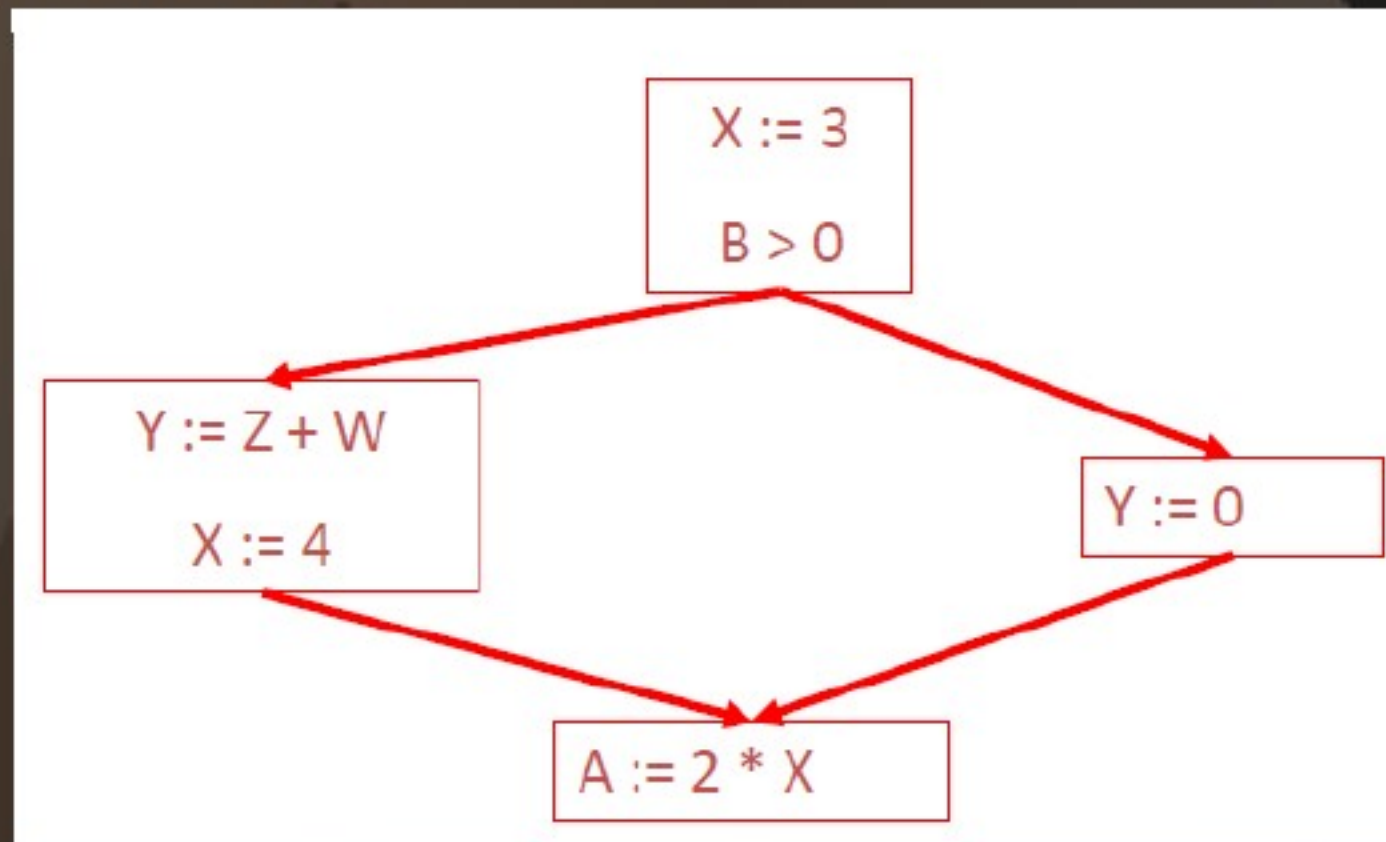


$$C(y := \dots, x, \text{out}) = C(y := \dots, x, \text{in}) \text{ if } x \neq y$$



# Global Constant Propagation

- For every entry  $s$  to the program, set  $C(s, x, \text{in}) = \top$
- Set  $C(s, x, \text{in}) = C(s, x, \text{out}) = \perp$  everywhere else
- Repeat until all points satisfy 1-8:
  - Pick  $s$  not satisfying 1-8 and update using the appropriate rule



# Analysis of Loops

- How can global constant propagation for the following CFG be performed?

