The Tips Data Set

Fundamentals of Data Analysis Assessment 2019

→ 1. Introduction

This notebook begins with a description of the tips data set obtained using summary statistics. There follows a section on regression to investigate if there is a relationship between the total bill and the tip amount. Finally, any interesting relationships between variables within the data set are teased out and investigated further. Findings from each part of the analysis are summarized in the accompanying README file.

Preliminaries

Load the various packages required to complete the work and set up the matplotlib plotting environment.

```
%matplotlib inline
import numpy as np
import pandas as pd
import matplotlib.pyplot as plt
import seaborn as sns
import statsmodels.api as sm
import sklearn.linear_model as lm
from scipy import stats
```

2. Description of the data set

Load the data set to a dataframe and take a quick look at it by printing the first and last five lines.

```
# Load the data set.
tips = sns.load_dataset("tips")

# Size?
shape = tips.shape
print("Data frame shape", shape, "r,c")

# Print the first/last five lines.
tips.head()

Data frame shape (244, 7) r,c

total bill tips sex smoken day time size
```

	(, -, -, -,												
	total_bill	tip	sex	smoker	day	time	size						
0	16.99	1.01	Female	No	Sun	Dinner	2						
1	10.34	1.66	Male	No	Sun	Dinner	3						
2	21.01	3.50	Male	No	Sun	Dinner	3						
3	23.68	3.31	Male	No	Sun	Dinner	2						
4	24.59	3.61	Female	No	Sun	Dinner	4						

tips.tail()

→ *		total_bill	tip	sex	smoker	day	time	size
	239	29.03	5.92	Male	No	Sat	Dinner	3
	240	27.18	2.00	Female	Yes	Sat	Dinner	2
	241	22.67	2.00	Male	Yes	Sat	Dinner	2
	242	17.82	1.75	Male	No	Sat	Dinner	2
	243	18.78	3.00	Female	No	Thur	Dinner	2

The rows of the data set contain **244** observations of the total bill and tip left in a resaurant, along with information about party size, day of the week, time of day, gender of the tipper, and whether or not they are a smoker. Three columns contain numeric data with class labels *total_bill*, *tip*, and *size*. The remaining four columns contain categorical data (divided into discrete groups) with class labels *sex*, *smoker*, *day*, and *time*.

```
# Check for NaNs etc
tips.count()
→ total_bill
                  244
    tip
                  244
    sex
    smoker
                  244
                  244
    day
    time
                  244
                  244
    size
    dtype: int64
```

Looks like there are no funny values in the data set so we can proceed without dealing with NaN values and other cleaning.

```
# Look at some quick descriptive statistics of the numeric data.
print(tips.describe())
```

```
₹
          total_bill
                            tip
                                       size
    count 244.000000 244.000000 244.000000
                                 2.569672
    mean
          19.785943 2.998279
                      1.383638
1.000000
    std
            8.902412
                                  0.951100
                                  1.000000
            3.070000
    min
                      2.000000
2.900000
                                   2.000000
    25%
           13.347500
    50%
           17.795000
                                   2.000000
    75%
           24.127500
                       3.562500
                                   3.000000
           50.810000 10.000000
    max
                                   6.000000
```

Calculate tip as a fraction of total_bill

Although the tip amount was recorded, when we think of tips we usually imagine a percentage of the bill. I would say that the most important information contained in the data set is the tip as a fraction of the total bill. For this I will assume that the total_bill is the bill before the tip has been added in.

```
# Make an empty data frame to hold tip as fraction of total bill.
ftip = pd.DataFrame(columns=['ftip'])
ftip['ftip'] = tips['tip']/tips['total_bill']

# Attach it to tips dataframe I think so can use groupby etc, work with df from now on.
df = pd.concat([ftip, tips], axis=1)

df.head( )
```

₹	ftip		total_bill tip		sex	smoker	day	time	size	
	0	0.059447	16.99	1.01	Female	No	Sun	Dinner	2	
	1	0.160542	10.34	1.66	Male	No	Sun	Dinner	3	
	2	0.166587	21.01	3.50	Male	No	Sun	Dinner	3	
	3	0.139780	23.68	3.31	Male	No	Sun	Dinner	2	
	4	0.146808	24.59	3.61	Female	No	Sun	Dinner	4	

Pandas describe()

Get descriptive statistics for all columns, not just the numeric ones. df.describe(include="all")

_ →		ftip	total_bill	tip	sex	smoker	day	time	size
	count	244.000000	244.000000	244.000000	244	244	244	244	244.000000
	unique Nat		NaN	NaN	2	2	4	2	NaN
	top	NaN	NaN	NaN	Male	No	Sat	Dinner	NaN
	freq	NaN	NaN	NaN	157	151	87	176	NaN
	mean	0.160803	19.785943	2.998279	NaN	NaN	NaN	NaN	2.569672
	std	0.061072	8.902412	1.383638	NaN	NaN	NaN	NaN	0.951100
	min	0.035638	3.070000	1.000000	NaN	NaN	NaN	NaN	1.000000
	25%	0.129127	13.347500	2.000000	NaN	NaN	NaN	NaN	2.000000
	50%	0.154770	17.795000	2.900000	NaN	NaN	NaN	NaN	2.000000
	75%	0.191475	24.127500	3.562500	NaN	NaN	NaN	NaN	3.000000
	max	0.710345	50.810000	10.000000	NaN	NaN	NaN	NaN	6.000000

- It looks as if the average tip is about 16% of the total bill, although some very generous diner tipped 70% and a stingy one left only 3%.
- The 50th percentile, or median, fractional tip is very similar to the mean fractional tip. This implies that the mean value is a typical value in the data set.
- The average tip amount is \$2.99, similar to the median of \$2.90.
- The average total bill amount is \$19.79, similar to the median of \$17.80.
- There are two unique values of sex, which we know to be Male and Female. Of the 244 observations, 157 concern males.
- There are two unique values of smoker, which we know to be Yes or No. Of the 244 observations, 151 concern non-smokers.
- Four unique values of day, Saturday being the most frequent with 87 of the 244 observations.
- Two unique values of time, with most meals being dinner: 176 of the total.
- Party size varied from 1 to 6.

Plot preferences

```
## To pick color palette
# sns.choose_colorbrewer_palette(data_type="q")

# Set up my plotting preferences.
current_palette = sns.color_palette()
sns.palplot(current_palette)
sns.set_style('whitegrid')

# This just sets the default plot size to be bigger.
plt.rcParams['figure.figsize'] = (10, 6)
# Set font size for axes labels etc.
plt.rcParams['font.size'] = (14)
```

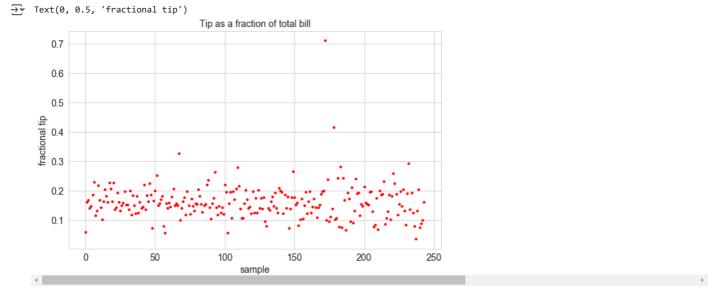
We now start plotting some columns of the data set.

```
# How does tip vary with total_bill?
g = sns.relplot(x="total_bill", y="tip", hue='day', data=df) #size='time' makes the plot crowded.
g.fig.suptitle('tip vs total bill', fontsize=14)
# Save the plot if required.
#g.savefig("images/tipVSbill.png") # Comment out after figure saved.
```

```
→ Text(0.5, 0.98, 'tip vs total bill')
                              tip vs total bill
          10
           8
                                                                 dav
           6
                                                                 Thur
      9
                                                                 Fri
                                                                 Sat
          4
                                                                 Sun
          2
                    10
                                     30
                            20
                                              40
                                                      50
                               total_bill
```

In this plot each color refers to a different day. It appears that the tip does increase as the total_bill goes up. We'll be looking at this in more detail in the section on regression. For now, we'll plot the tip as a fraction of the total bill. This should be roughly a constant with some spread reflecting the range of straight lines that could be drawn through the data in the plot above. If every diner left a 15% tip say, then the plot below would be a horizontal line at y = 0.15.

```
# Tip as a fraction of the total_bill.
plt.plot(df['ftip'], '.r')
plt.title('Tip as a fraction of total bill', fontsize='14')
plt.xlabel('sample', fontsize='14')
plt.ylabel('fractional tip', fontsize='14')
```



Identify max (outlier) and min fractional tip

There seems to be one outlier - the 70% tip. It might be better to ignore it, we'll see later. For now just find it's location and who it refers to.

```
# Identify the outlier.
df.iloc[df.index[df['ftip'] > 0.5]]
₹
              ftip total_bill tip
      172 0.710345
                                                   Sun Dinner
# Identify the lowest fractional tip
# df.min(axis=0)['ftip']
df.iloc[df.index[df['ftip'] == df.min(axis=0)['ftip'] ]]
\overline{z}
              ftip total_bill tip
      237 0.035638
                                                                  2
                         32 83
                               1 17
                                                   Sat Dinner
                                     Male
# What are the days and dining times contained in the data set?
print("Dining times are: ", df.time.unique())
print("Days are: ", df.day.unique())
→ Dining times are: [Dinner, Lunch]
     Categories (2, object): [Dinner, Lunch]
     Days are: [Sun, Sat, Thur, Fri]
     Categories (4, object): [Sun, Sat, Thur, Fri]
```

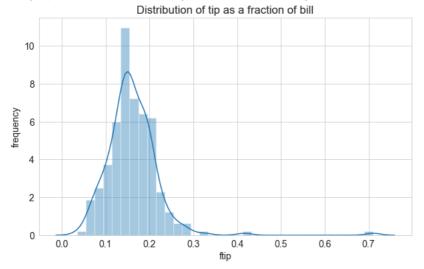
Dig deeper into the data set.

I will now look at how some of the other variables affect tip size. Although Seaborn allows for some very complicated visualizations, I prefer not to put too much information on one plot at this stage.

```
# Histogram of all fractional tips.
ax = sns.distplot(df['ftip'])
ax.set(xlabel= 'ftip', ylabel= 'frequency')
plt.title("Distribution of tip as a fraction of bill")
```



→ Text(0.5, 1.0, 'Distribution of tip as a fraction of bill')

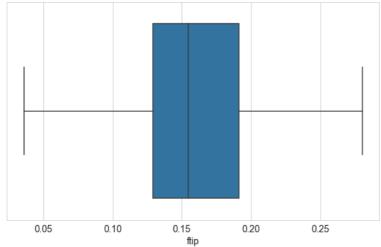


That outlier at 0.7 is going to mess up my plots if I leave it in place. I'm tempted to ignore it/replace it with something. I don't think it will affect calculations of mean etc too much though, it just doesn't look nice.

Look at the same information in a boxplot, but with outliers ignored.

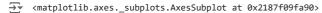
```
# Ignore outliers from:
# https://github.com/mwaskom/seaborn/issues/1271
sns.boxplot(x=df['ftip'], showfliers=False)
```

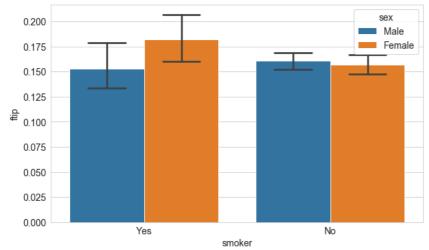




Look at fractional tip for sex and smoker categories

```
# Plot the fractional tip for smokers/non-smokers and male/female.
# Ignoring outlier doesn't have much effect. I checked that with commented code.
\# sns.barplot(x= 'smoker', y= 'ftip', hue='sex', data = df[df.ftip < 0.6], capsize=.2)
sns.barplot(x= 'smoker', y= 'ftip', hue='sex', data = df, capsize=.2)
# Save the plot if required.
#plt.savefig("images/barSmokerSex.png")
```

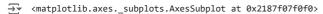


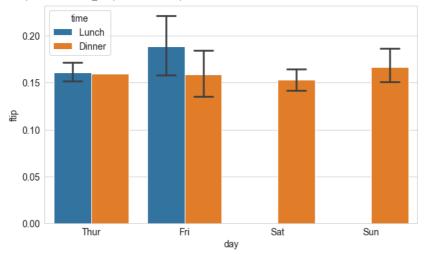


This Seaborn barplot shows the mean fractional tip for male/female smokers/non-smokers. The error bars mark the 95% confidence interval: range within which there is a 95% chance of finding the mean. Looks like male and female non-smokers leave very similar fractional tips. However, female smokers leave larger tips on average, as a fraction of the total bill, than male smokers.

Fractional tip as a function of day and time

```
# How does the time affect the fractional tip?
sns.barplot(x="day", y="ftip", hue="time", data=df, capsize=.2) #data=df[df.ftip < 0.6] to ignore outlier
# Save the plot if required.
#plt.savefig("images/barDayTime.png")</pre>
```

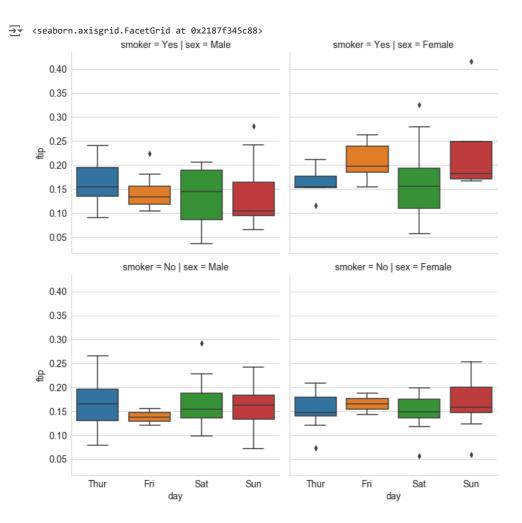




From the above plot we see that while data from only dinner is recorded on Saturday and Sunday, both lunch and dinner are recorded on Fridays, and there seems to be only one observation relating to dinner on Thursday. On average, the largest fractional tips are left on Fridays at lunchtime - maybe happy end of week work lunches? We will look at how the variables are intertwined later on in the notebook.

Look at variation in fractional tip with day, sex, and smoker variables

```
# Try to combine the categorical variables using catplot to make a grid of plots.
# Ignore outlier.
sns.catplot(x='day', y='ftip', row='smoker', col='sex', kind='box', data = df[df.ftip < 0.6])</pre>
```



This faceted box plot attempts to show the fractional tip as a function of day, with the data arranged by categorical variables smoker and sex. Note how all the y axis ranges are identical for ease of comparison. Each box shows the quartiles of the data set, the whiskers show the range, and outliers appear as points. Quartiles divide the data into quarters; the first quartile is the middle of the smallest number and the median, the second quartile is the median value, and the third quarter is the middle of the median and the largest number in the data set. This plot again confirms that non-smokers, regardless of whether they are male or female, leave similar fractional tips (bottom two plots above). There's a bit more variation in the fractional tips left by males and females when they are smokers (top two plots).

Use Pandas groupby() to analyze the data

Confirm this difference in tipping behavior between male and female smokers by using Pandas **agg()** to look at mean values of numeric columns for those two categorical variables. Count the number of observations in each category at the same time; the total of each column should equal 244.

Average over sex and smoker variables

<pre>df.groupby(['smoker', 'sex']).agg(['count', 'mean'])</pre>										
			ftip		total	bill	tip		size	
			count	mean	count	mean	count	mean	count	mean
	smoker	sex								
	Yes	Male	60	0.152771	60	22.284500	60	3.051167	60	2.500000
		Female	33	0.182150	33	17.977879	33	2.931515	33	2.242424
	No	Male	97	0.160669	97	19.791237	97	3.113402	97	2.711340
		Female	54	0.156921	54	18.105185	54	2.773519	54	2.592593

For this combination of categorical variables the largest average fractional tip appears in the female smoker cell. Do the same thing for day and time categorical variables; largest mean fractional tip is left at lunchtime on Friday.

Average over day and time variables

			ftip		total_bill		tip		size	
			count	mean	count	mean	count	mean	count	mean
C	day	time								
TI	hur	Lunch	61	0.161301	61	17.664754	61	2.767705	61	2.459016
		Dinner	1	0.159744	1	18.780000	1	3.000000	1	2.000000
F	ri	Lunch	7	0.188765	7	12.845714	7	2.382857	7	2.000000
		Dinner	12	0.158916	12	19.663333	12	2.940000	12	2.166667
S	at	Dinner	87	0.153152	87	20.441379	87	2.993103	87	2.517241
s	un	Dinner	76	0.166897	76	21.410000	76	3.255132	76	2.842105

How does the size of the dining party affect the tip left?

→

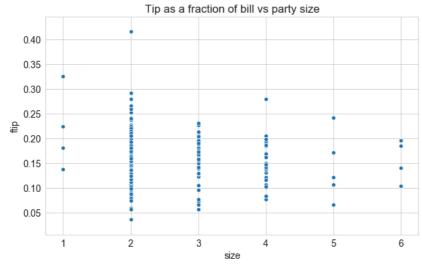
df.groupby(['size']).agg(['count', 'mean'])

₹		ftip		total_	tip		
		count	mean	count	mean	count	mean
	size						
	1	4	0.217292	4	7.242500	4	1.437500
	2	156	0.165719	156	16.448013	156	2.582308
	3	38	0.152157	38	23.277632	38	3.393158
	4	37	0.145949	37	28.613514	37	4.135405
	5	5	0.141495	5	30.068000	5	4.028000
	6	4	0.156229	4	34.830000	4	5.225000

Looks like the best average fractional tip is left for dining parties of one. That's a bit misleading as they account for only 4 out of 244 observations. We can see this on a scatterplot. It looks like there are only a few people dining alone or in groups of 5 or 6. Most party sizes are 2 (156 of 244), with party sizes 3 and 4 also significant at around 15% of the total each. Maybe only look at a single party size? Other ways of grouping data? For last part of assessment perhaps.

```
sns.scatterplot(x='size', y='ftip', data = df[df.ftip < 0.6]) # hue='smoker'
plt.title("Tip as a fraction of bill vs party size")</pre>
```



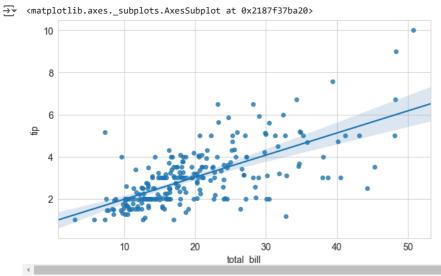


→ 3. Regression

→ 3.1 Linear regression using Seaborn

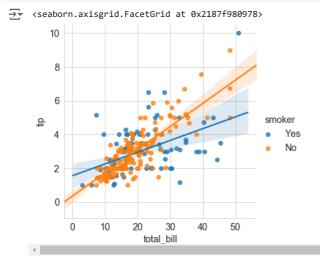
Now we will check to see if there is a relationship between the total bill and tip amount? We'll begin by using Seaborn to graphically look at all rows in the data set and check for a linear relationship on a plot of tip versus total_bill. Seaborn regplot draws a scatterplot of the two variables of interest, then fits a straight line to the data and plots the resulting regression line and a 95% confidence interval for that regression. It is a visual tool only, it does not return any parameters such as the slope and intercept of the fit, or the R^2 value.

```
# Examine all rows first.
sns.regplot(x="total_bill", y="tip", data=df)
```



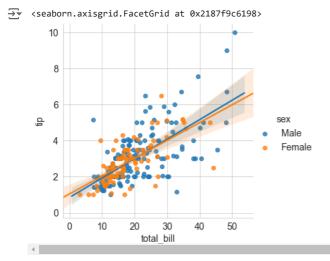
The shaded region in Seaborn regplot represents a 95% confidence interval for the regression. I would say this isn't a great fit, although there appears to be a linear relationship there. I wonder if subsets of the data might give *prettier* looking fits? For example, we can differentiate between smokers and non-smokers in the regplot.

```
# Now differentiate between smokers and non-smokers.
sns.lmplot(x="total_bill", y="tip", hue="smoker", data=df)
# Save the plot if required.
# plt.savefig("images/lmplotSmoke.png")
```



The slopes of these lines are clearly different (although we can't access their values). Confidence intervals don't even overlap here. I wonder if the \mathbb{R}^2 values are very different, signifying a better linear fit for smokers/non-smokers? One to explore later?

```
# Now differentiate between Male and Female.
sns.lmplot(x="total_bill", y="tip", hue="sex", data=df)
```



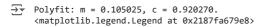
Very good overlap between confidence intervals and the best fit lines here, so probably not worth considering gender alone as an interesting factor? We could continue to look at various factors below. It's difficult to tell what's going on when we set hue = day or size, but hue = time produces a similar plot to hue = sex.

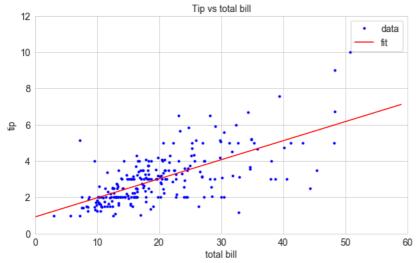
```
# Try other hues. Comment out as clutter.
# sns.lmplot(x="total_bill", y="tip", hue="time", data=df)
```

→ 3.2 Simple linear regression

After listening to the week 9 lectures for this module on simple linear regression, I now include, for the sake of completeness, a simple linear regression model. This section was actually completed after the work in 3.3 and 3.4 below.

```
\# Use numpy.polyfit(x, y, deg of the fit (1 is linear))
\# x is the tip column of the data set.
# y is the total_bill column of the data set.
# Do simple linear regression
slr = np.polyfit(df['total_bill'], df['tip'], 1)
fit_m, fit_c = slr[0], slr[1]
print("Polyfit: m = %8.6f, c = %6.6f." % (fit_m, fit_c))
# Plot the data.
plt.plot(df['total_bill'], df['tip'], '.b', label='data')
# Plot the fitted line.
x = np.arange(0.0, 60.0, 1.0)
plt.plot(x, fit_m * x + fit_c, 'r-', label="fit")
plt.title('Tip vs total bill', fontsize='14')
plt.xlabel('total bill', fontsize='14')
plt.ylabel('tip', fontsize='14')
plt.xlim(0, 60)
plt.ylim(0, 12)
plt.legend()
# Save the plot if required.
# plt.savefig("images/LSQalldata.png")
```





As an aside here, there appear to be lines of points at tip = 2 and tip = 3, and maybe at tip = 1. Looks like some diners are leaving 1, 2, or 3 rounded amounts.

How do we check how good this fit is? As per the lecture on this topic, each fit has a cost. We want to identify the fitting parameters which minimize that cost. The numpy polyfit function above does that automatically for us. If we want to get a metric telling us how good the fit is for these fitting parameters, we can use numpy corrocof to calculate the correlation matrix for the two variables (tip, total_bill); or, how strong is the linear relationship between the two variables? The result is a 2 x 2 matrix (because we have 2 variables), and the off-diagonal elements can be used to calculate the R^2 value.

Note that the off-diagonal elements of this matrix (Pearson correlation coefficients) are positive, which means that as the value of one variable increases, so does the value of the other. If those correlation coefficients are exactly ± 1 , the relationship is perfectly linear. The caveat here is that variables are assumed to be normally distributed - I would say that's not a bad assumption, based on the histogram plotted earlier in the notebook. I'm not going to check that rigorously though, because the fitting process is giving sensible results. It might be worth looking at this in more detail if the fit was producing silly values for slope and intercept.

3.3 Regression using Statsmodels

We continue investigating if the tip amount is proportional to the total bill. We will try some ordinary least squares (OLS) fitting using the statsmodels package. The regression model we will use is OLS(y,X) and we will add a y intercept to the X data. We want to check if

$$y = mx + c$$

where:

- y is the tip
- x is the total bill
- m is the slope
- c is the y intercept. We do not consider any of the categorical variables at this stage.

```
# x values = total_bill and we allow for a y intecept.
c_sm = sm.add_constant(df['total_bill'].values) # used .values to get rid of a warning.
# OLS model y values = tip, x values as above.
model_sm = sm.OLS(df['tip'], c_sm)
# preform the fit
fit_sm = model_sm.fit()
print(fit_sm.summary())
```

```
\overline{2}
                          OLS Regression Results
   Dep. Variable:
                               tip R-squared:
   Model:
                              OLS Adj. R-squared:
                                                              0.454
                     Least Squares F-statistic:
   Method:
                                                              203.4
                  Sun, 24 Nov 2019 Prob (F-statistic):
                                                           6.69e-34
   Date:
                     16:57:29 Log-Likelihood:
   Time:
                                                            -350.54
                              244 AIC:
242 BIC:
   No. Observations:
                                                              705.1
   Df Residuals:
                                                              712.1
   Df Model:
                                1
                         nonrobust
   Covariance Type:
                coef std err
                                         P>|t|
                                                 Γ0.025
                      0.160
9.007
   const 0.9203
                                           0.000
                                                           1.235
                                 5.761
                                                     0.606
                                          0.000
   x1
               0.1050
                                 14.260
                                                     0.091
                                                              0.120
   ______
                           20.185
   Omnibus:
                                   Durbin-Watson:
                                                              2.151
                             0.000
   Prob(Omnibus):
                                   Jarque-Bera (JB):
                                                             37,750
   Skew:
                             0.443
                                    Prob(JB):
                                                            6.35e-09
   Kurtosis:
                             4.711
                                                              53.0
                                   Cond. No.
   Warnings:
```

[1] Standard Errors assume that the covariance matrix of the errors is correctly specified.

This summary produces a lot of information, most of which we are not interested in. Notice that the R^2 value is not great (again) as a value of 1 would imply a perfect fit. It is identical to the value found above with numpy.corrcoef. We are only interested in some parameters:

3.4 Regression using scikit-learn

0.45661658635167657

We expect a tip of \$ 11.42 for a spend of \$ 100

Repeat the fitting process using scikit-learn. LinearRegression() fits a linear model to the data.

```
# OLS model.
model = lm.LinearRegression()
# set up X values.
X = df[['total_bill']]
# set up y values.
y = df['tip']
# perform the regression.
model.fit(X, y)
print('Line slope: \n', model.coef_)
print('y intercept: \n', model.intercept_)
print('R-squared: \n', model.score(X,y))
# What tip do we predict for total_bill=$100?
spend = 100
pred = model.coef_ * spend + model.intercept_
print("We expect a tip of $", round(pred[0],2), " for a spend of $", spend )
→ Line slope:
     [0.10502452]
     y intercept:
      0.9202696135546731
     R-squared:
```

So, polyfit, Statsmodels, and scikit-learn give the same fitting parameters; slope = 0.105, y intercept = 0.92, and R^2 = 0.46. The tip is indeed linearly proportional to the total bill but the R^2 value is not great. We might get a better fit if we consider subsets of the data? For now we can say that, based on the analysis above, we would expect a \$11.42 tip if the total bill was \$100. See the README for more detail on R^2 and our predictions.

3.5 Consider linear regression with scikit-learn on subsets of the data

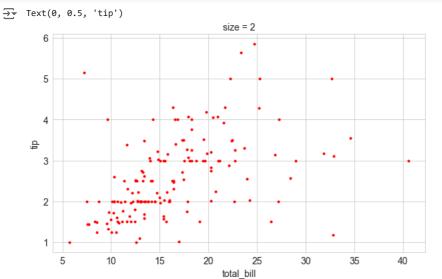
First, consider a single party size

We can try doing regression where we consider only party sizes of 2 as they cover 156 of the 244 observations.

```
# Checking subsets of df
\# y1 = df.loc[(df['tip'] > 0) & (df['size'] == 2)] \# ok but long-winded
\# y2 = y1['tip'] \# just one col ok
# y3 = df.loc[df['size'] == 2] #ok
# y4 = y3['tip']
# Select only those rows with party size = 2
s2 = df.loc[df['size'] == 2] # all columns, certain rows
X = s2[['total_bill']]
# print(X)
y = df.loc[df['size'] == 2]['tip'] # all in one ok
model.fit(X, y) # do fit
print('Line slope size=2: \n', model.coef_)
print('y intercept size=2: \n', model.intercept_)
print('R-squared \ size=2: \ \ \ ', \ model.score(X,y))
→ Line slope size=2:
      [0.07845734]
     y intercept size=2:
      1.2918403397466431
     R-squared size=2:
      0.23150628080392022
```

The R^2 is even worse now. Plot the data and see that there's huge spread in the points, so it's not surprising that the fit to a line isn't great. I had been thinking that I could use the size = 2 subset of data for predictions instead of the full data set, but clearly not.

```
# PLot tip vs total bill for this party size
plt.plot(df.loc[df['size'] == 2]['total_bill'], df.loc[df['size'] == 2]['tip'], '.r')
plt.title('size = 2', fontsize='14')
plt.xlabel('total_bill', fontsize='14')
plt.ylabel('tip', fontsize='14')
```



How about regression for party sizes of 2, 3, 4 combined?

```
s3 = df.loc[df['size'].isin([2, 3, 4])] # all columns, certain rows
X = s3[['total_bill']]
# print(X)
y = df.loc[df['size'].isin([2, 3, 4])]['tip'] # all in one ok
model.fit(X, y) # do fit

print('Line slope size=2,3,4: \n', model.coef_)
print('y intercept size=2,3,4: \n', model.intercept_)
print('R-squared size=2,3,4: \n', model.score(X,y))
```

```
Line slope size=2,3,4:
[0.10472345]
y intercept size=2,3,4:
0.9202481221900891
R-squared size=2,3,4:
0.4377621135583911
```

It's not a surprise to see that the fit on including party sizes of 2, 3, and 4 is almost identical to that for the full data set. These party sizes combined cover all but 13 rows of the data frame. We haven't gained any extra information by doing this.

Regression with various combinations of categorical variables.

Sex and smoker

```
# Select sex and smoker combinations to compare linear regression results.
fs = df.loc[(df['sex'] == 'Male') & (df['smoker'] == 'No')]
print(fs.shape) # check numbers correspond to pivot table data below.
X = fs[['total_bill']]
y = fs['tip']
model.fit(X, y) # do fit
print('Line slope : \n', model.coef_)
print('y intercept : \n', model.intercept_)
print('R-squared : \n', model.score(X,y))
# What tip do we predict for total bill=$100?
spend = 100
pred = model.coef_ * spend + model.intercept_
print("We expect a tip of $", round(pred[0],2), " for a spend of $", spend )
→ (97, 8)
     Line slope
      [0.13971878]
     y intercept :
      0.3481945382935785
     R-squared:
      0.6700097355989045
     We expect a tip of $ 14.32 for a spend of $ 100
```

Day

```
# Select certain days.
print("Days are: ", df.day.unique())
d = df.loc[df['day'] == 'Sun'] # all columns, certain rows
X = d[['total_bill']]
# print(X)
y = df.loc[df['day'] == 'Sun']['tip'] # all in one ok
model.fit(X, y) # do fit
print('Line slope day: \n', model.coef_)
print('y intercept day: \n', model.intercept_)
print('R-squared day: \n', model.score(X,y))
# What tip do we predict for total_bill=$100?
spend = 100
pred = model.coef_ * spend + model.intercept_
print("We expect a tip of $", round(pred[0],2), " for a spend of $", spend )
→ Days are: [Sun, Sat, Thur, Fri]
     Categories (4, object): [Sun, Sat, Thur, Fri]
     Line slope day:
      [0.07015353]
     y intercept day:
      1.7531444940283958
     R-squared day:
```

I realize that this part of the notebook has become long, but I don't want to just delete it because this is an assignment. Rather than including lots of results here, I'll summarize the findings of this section (regression using only certain subsets of the data) in the README. Looks like the highest R^2 occurs for M or F non-smokers. The slope of the regression line for non-smokers: regardless of sex, is larger than for smokers. I could keep going looking at various combinations of day and time, but I think I'll leave it for now. I will just note here that good fitting parameters are also obtained for day = Thursday.

4. Relationships between variables

We expect a tip of \$ 8.77 for a spend of \$ 100

0.25175578021289746

In the section on regression above, we investigated if the tip amount is related to the total bill. We found that it was. We also started looking as subsets of the data set chosen by categorical variable, in particular how choosing different combinations of diner affected the quality of the linear regression fit. What other questions can we ask of the data at this stage?

4.1 Visualize relationships between numerical variables with pairplot

```
# I'll start with a pairplot to see if anything jumps out from the numeric variables.
sns.pairplot(df, vars=["tip", "total_bill", "ftip", "size"], hue='sex')
## Save the plot if required.
plt.savefig("images/Pairplot.png")
₹
          10
       ф
           5
          40
       Εq
       total
          20
           0
                                                                                                                  sex
                                                                                                                   Male
                                                                                                                   Female
         0.6
      <sub>을</sub> 0.4
         0.2
         0.0
           6
           2
              0
                             10
                                        0
                                                                          0.5
                                                                                        0
                                                                                                     5
                      5
                                              25
                                                     50
                                                               0.0
                      tip
                                            total bill
                                                                        ftip
                                                                                                size
```

Immediately we can see (top row second column) that there appears to be a relationship between the total bill and tip amount. Indeed, that was the relationship we investigated in the section on regression. Apart from that observation, I don't know if this Seaborn pairplot is much more use to us, because most variables in the data set are categorical. I ran the code cell cycling through different *hue* keywords; there is *possibly* a bit of separation between the sex and smoker groups in some of the plots. Maybe we could use this information for classification later on?

4.2 Investigate relationships between tip amount and the categorical variables

If we are just interested in cold hard cash we can look at the tip amount rather than tip percentage. Wes McKinney's video "10 minutes to Pandas" talks about the pivot_table as a method to aggregate the numerical data by categorical variable. The default function is mean. We can use this to differentiate between the sexes, and further between smokers and non-smokers for example. I will use the pivot_table to investigate the relationship between the tip amount and the various categorical variables. I will assume \$ when listing tip amounts.

4.2.1 Look at sex, smoker, and size first

```
# Summarize data using sex and smoker keys AND group by size.
# Replace any empty cells with 0.
df.pivot_table(['tip'], index=['sex', 'smoker'], columns = 'size', fill_value=0)

## Recall outlier = male, smoker, Sunday, dinner, size=2.
## See a tiny change in that cell, not worth going to the trouble of ignoring it.
# df[df.ftip < 0.6].pivot_table(['ftip'], index=['sex', 'smoker'], columns='size') # columns='day' or'time' # ignore outlier</pre>
```

```
₹
                     tip
             size
                     1
                           2
                                    3
                                                            6
         sex smoker
                     1.920 2.692927 4.272857 3.981111 2.50 0.00
       Male
               Yes
                     0.000 2.557544 3.148824 4.262632 5.00 5.85
               Nο
                     1.000 2.736800 3.846000 4.045000 0.00 0.00
     Female
               Yes
               No
                     1.415 2.370606 2.918889 4.014286 5.14 4.60
# Find the maximum
print("Max values:", df.pivot_table(['tip'], index=['sex', 'smoker'], columns = 'size').max())
# Find the minumum (don't fill with zeros now)
print("Min values:", df.pivot_table(['tip'], index=['sex', 'smoker'], columns = 'size').min())
    Max values:
                 1.920000
    tip
         1
                 2.736800
         3
                 4.272857
                 4.262632
                 5.140000
         5
                 5.850000
         6
    dtype: float64
    Min values:
                     size
    tip
         1
                 1.000000
         2
                 2.370606
         3
                 2.918889
         4
                 3.981111
                 2.500000
                 4.600000
         6
    dtype: float64
# How many in each group?.
df.pivot_table(['tip'], index=['sex', 'smoker'], columns='size', aggfunc='count', fill_value=0) # To count group sizes.
₹
                     tip
             size
                     1 2 3 4 5 6
         sex smoker
                            7
                                9 2 0
       Male
               Yes
                     1 41
                           17 19 2 2
               Nο
                     0 57
                               2 0 0
     Female
               Yes
                     1 25
                            5
               No
                     2 33
                            9 7 1 2
```

- The highest average tip is for male non-smokers in a party of 6 (\$5.85, count = 2).
- The lowest average tip is for female smokers dining alone (\$1.00, count = 1).


```
\mbox{\#} Summarize the tip column using sex AND smoker keys and group by day.
df.pivot_table(['tip'], index=['sex', 'smoker'], columns='day', fill_value=0) # To count group sizes: aggfunc='count'
\rightarrow
                       tip
                       Thur
                              Fri
                                        Sat
              day
                                                  Sun
         sex smoker
       Male
                Yes
                      3.0580 2.741250 2.879259 3.521333
                      2.9415 2.500000 3.256563 3.115349
                No
      Female
                Yes
                      2.9900 2.682857 2.868667 3.500000
                      2.4596 3.125000 2.724615 3.329286
                Nο
```

```
# Find the maximum
print("Max values:", df.pivot_table(['tip'], index=['sex', 'smoker'], columns = 'day').max())
# Find the minumum (don't fill with zeros now)
print("Min values:", df.pivot_table(['tip'], index=['sex', 'smoker'], columns = 'day').min())
```

```
→ Max values: day
tip Thur 3.058000
```

```
Fri
             3,125000
     Sat
             3.256563
     Sun
             3.521333
dtype: float64
Min values:
                 day
tip Thur
             2.459600
     Fri
             2.500000
             2.724615
     Sat
             3.115349
     Sun
dtype: float64
```

```
# How many in each of these groups?.

df.pivot_table(['tip'], index=['sex', 'smoker'], columns='day', aggfunc='count', fill_value=0) # To count group sizes
```



- The largest average tip occurs for male smokers on Sundays (\$3.52, count = 15).
- The lowest average tip occurs for female non-smokers on Thursdays (\$2.46, count = 25).

```
## Summarize tip column using sex AND smoker keys and group by time.
#df.pivot_table(['tip'], index=['sex', 'smoker'], columns='time', fill_value=0) # To count group sizes: aggfunc='count'
#print(df.pivot_table(['tip'], index=['sex', 'smoker'], columns='time', fill_value=0).max())
#print(df.pivot_table(['tip'], index=['sex', 'smoker'], columns='time').min())
## How many in each of these groups?.
#df.pivot_table(['tip'], index=['sex', 'smoker'], columns='time', aggfunc='count', fill_value=0) # To count group sizes
```

I could also analyze by sex and smoker key and group by time. I've commented out the code cell above to avoid cluttering the notebook.

- The largest average tip occurs for male non-smokers at dinner (\$3.15, count = 77).
- The lowest average tip occurs for female non-smokers at lunch (\$2.45, count = 25).

4.2.3 Bring it all together: look at sex, smoker, day, time and size.

This will consolidate all of the information for the last few code cells. In hindsight, I could have done this at the start but I needed to make sense of it. I didn't realize I could do so much grouping in a single command.

```
# Summarize tip column using sex AND smoker AND day keys and group by time.
# Leave out the fill value here, think it confuses things.
df.pivot_table(['tip'], index=['sex', 'smoker', 'day', 'time'], columns='size', fill_value=0)
```

 $\overline{\Rightarrow}$

tip 1

2

3

size

```
time
                  sex smoker
                                               day
                                                         Lunch 0.00 2.822500 4.000000 4.000000 0.00 0.0
              Male
                                Yes
                                             Thur
                                                         Lunch 1.92 1.890000 0.000000 0.000000 0.00 0.0
                                              Fri
                                                         Dinner 0.00 2.875000 0.000000 4.730000 0.00 0.0
                                              Sat
                                                         Dinner 0.00 2.318235 4.602500
                                                                                                                         3.384000
                                                                                                                                             3.00
                                                                                                                                                        0.0
                                                         Dinner 0.00 3.314000 3.750000 5.090000 2.00 0.0
                                             Sun
                                                         Lunch 0.00 2.559375 2.180000 4.000000 5.00 6.7
                                             Thur
                                                         Fri
                                              Sat
                                                         Dinner 0.00 2.520588 3.356667 5.191667 0.00 0.0
                                             Sun
                                                         Dinner 0.00 2.590000 3.020000
                                                                                                                         3.820000
                                                                                                                                           5.00 5.0
            Female
                               Yes
                                             Thur
                                                         Lunch 0.00 2.540000 3.230000
                                                                                                                         5.000000 0.00 0.0
                                                         Lunch 0.00 2.660000 0.000000
                                                                                                                         0.000000
                                                         Dinner 1.00 2.721818 4.500000
                                                                                                                         3.090000
                                                                                                                                            0.00 0.0
                                             Sun
                                                         Dinner 0.00 3.500000 3.500000
                                                                                                                         0.000000
                                                                                                                                            0.00 0.0
                                No
                                             Thur Lunch 1.83
                                                                                   2.111667 1.360000
                                                                                                                         4.045000
                                                                                                                                           0.00 4.6
                                                         Dinner 0.00 3.000000 0.000000 0.000000 0.00 0.0
                                                         Lunch 0.00 0.000000 3.000000 0.000000 0.00 0.0
                                              Fri
                                                         Dinner 0.00 3.250000 0.000000 0.000000
                                                                                                                                           0.00 0.0
                                              Sat Dinner 1.00 2.653750 3.580000 2.450000 0.00 0.0
                                             Sun
                                                       Dinner 0.00 2.548000 2.792500 4.390000 5.14 0.0
# Find the maximum
print("Max values:", df.pivot_table(['tip'], index=['sex', 'smoker', 'day', 'time'], columns='size').max())
# Find the minumum (don't fill with zeros now)
print("Min values:", df.pivot_table(['tip'], index=['sex', 'smoker', 'day', 'time'], columns='size').min())
         Max values:
                                     1.920000
          tip
                                     3.500000
                                     4.602500
                    3
                                     5.191667
                    4
                                     5.140000
                    5
                    6
                                     6.700000
          dtype: float64
          Min values:
          tip
                   1
                                     1.00
                                     1.89
                    3
                                     1.36
                                     2.45
                    5
                                     2.00
                    6
                                     4.60
          dtype: float64
# How many in each of these groups?.
 df.pivot\_table(['tip'], index=['sex', 'smoker', 'day', 'time'], columns='size', aggfunc='count', fill\_value=0) \# Count group sizes for the column of the
```

5 6

			ti	р				
		size	1	2	3	4	5	6
oker	day	time						
es -	Thur	Lunch	0	8	1	1	0	0
	Fri	Lunch	1	2	0	0	0	0
		Dinner	0	4	0	1	0	0
	Sat	Dinner	0	17	4	5	1	0
	Sun	Dinner	0	10	2	2	1	0
No '	Thur	Lunch	0	16	1	1	1	1
	Fri	Dinner	0	2	0	0	0	0
	Sat	Dinner	0	17	9	6	0	0
	Sun	Dinner	0	22	7	12	1	1
es ·	Thur	Lunch	0	5	1	1	0	0
	Fri	Lunch	0	3	0	0	0	0
		Dinner	0	4	0	0	0	0
	Sat	Dinner	1	11	2	1	0	0
	Sun	Dinner	0	2	2	0	0	0
No '	Thur	Lunch	1	18	1	2	0	2
		Dinner	0	1	0	0	0	0
	Fri	Lunch	0	0	1	0	0	0
		Dinner	0	1	0	0	0	0
	No '	Yes Thur Fri Sat Sun No Thur Fri Sat Sun Fri Sat Sun Thur Fri Thur Fri Thur Thur	res Thur Lunch Fri Lunch Sun Dinner Thur Lunch Fri Lunch Dinner Sun Dinner Fri Lunch Dinner	res Thur Lunch 0 Fri Lunch 0 Sun Dinner 0 Sun Dinner 0 Fri Dinner 0 Sun Dinner 0 Thur Lunch 0 Fri Lunch 0 Dinner 0 Sat Dinner 1 Sun Dinner 0 Thur Lunch 1 Dinner 0 Fri Lunch 1	Oker day time fes Thur Lunch 0 8 Fri Lunch 1 2 Dinner 0 4 Sat Dinner 0 10 No Thur Lunch 0 16 Fri Dinner 0 2 Sat Dinner 0 2 Yes Thur Lunch 0 3 Dinner 0 4 Sat Dinner 0 2 No Thur Lunch 1 11 Sun Dinner 0 2 No Thur Lunch 1 18 Dinner 0 1 1 Fri Lunch 0 0	Oker day time fes Thur Lunch 0 8 1 Fri Lunch 1 2 0 Dinner 0 4 0 Sat Dinner 0 10 2 No Thur Lunch 0 16 1 Fri Dinner 0 2 0 Sat Dinner 0 22 7 Yes Thur Lunch 0 3 0 Dinner 0 3 0 0 1 Sat Dinner 0 2 2 No Thur Lunch 1 11 2 Sun Dinner 0 2 2 No Thur Lunch 1 18 1 Dinner 0 1 0 1 0 Fri Lunch 0 0 1	Oker day time Tes Thur Lunch 0 8 1 1 Fri Lunch 1 2 0 0 Dinner 0 4 0 1 Sat Dinner 0 10 2 2 No Thur Lunch 0 16 1 1 Fri Dinner 0 2 0 0 Sat Dinner 0 22 7 12 Tes Lunch 0 3 0 0 Sat Dinner 0 3 0 0 Sat Dinner 0 4 0 0 Sat Dinner 1 11 2 1 Sun Dinner 0 2 2 0 Thur Lunch 1 18 1 2 Dinner 0 1 0 0 <th>Oker day time Tes Thur Lunch 0 8 1 1 0 Fri Lunch 1 2 0 0 0 Dinner 0 4 0 1 0 Sat Dinner 0 10 2 2 1 No Thur Lunch 0 16 1 1 1 Fri Dinner 0 2 0 0 0 Sun Dinner 0 22 7 12 1 Yes Thur Lunch 0 3 0 0 0 Sat Dinner 0 3 0 0 0 0 Sun Dinner 1 11 2 1 0 Fri Lunch 1 18 1 2 0 No Thur Lunch 1 18 1 2<!--</th--></th>	Oker day time Tes Thur Lunch 0 8 1 1 0 Fri Lunch 1 2 0 0 0 Dinner 0 4 0 1 0 Sat Dinner 0 10 2 2 1 No Thur Lunch 0 16 1 1 1 Fri Dinner 0 2 0 0 0 Sun Dinner 0 22 7 12 1 Yes Thur Lunch 0 3 0 0 0 Sat Dinner 0 3 0 0 0 0 Sun Dinner 1 11 2 1 0 Fri Lunch 1 18 1 2 0 No Thur Lunch 1 18 1 2 </th

Sat Dinner 1 8 3 1 0 0

5 4 4 1 0

Sun Dinner 0

To summarize, we could have run this pivot_table command at the start of the notebook and it would have broken down the dataset into every combination of categorical variable! But it is not easy to read these complicated pivot tables.

- The highest average tip is for male non-smokers at lunch on Thursday in a party of six (\$6.70, count = 1).
- The lowest average tip occurs for female smokers and non-smokers dining alone at dinner on Saturdays (\$1.00, count = 1 each).

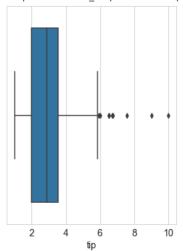
Finally, we note that the largest number of observations apply to male, non-smokers, dining with one other person at dinner on Sundays. There are 22 of them. They leave, on average, a tip of \$2.59. This is similar to the average tip left when considering all 244 observations, \$2.99.

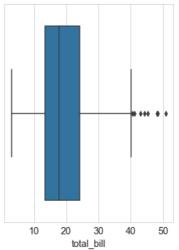
4.3 Does the total bill or tip depend on party size?

We will now look for a relationship between total_bill, tip, and size. I would expect there to be one, but what form does it take? We may also analyze the total bill and tip per person. First a reminder of the tip and total bill for the whole data set.

```
plt.subplot(1,2,1)
sns.boxplot(x=df['tip'] ) #showfliers=False
plt.subplot(1,2,2)
sns.boxplot(x=df['total_bill'] ) #showfliers=False
```

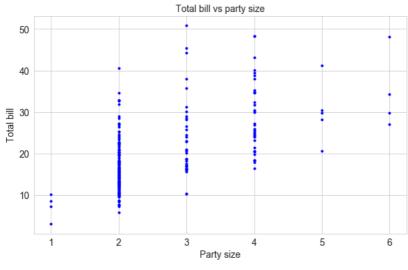
→ <matplotlib.axes._subplots.AxesSubplot at 0x21801a14b70>





```
# plot total_bill vs size
plt.plot(df['size'], df['total_bill'], 'b.')
plt.title("Total bill vs party size", fontsize='14')
plt.xlabel("Party size", fontsize='14')
plt.ylabel("Total bill", fontsize='14')
## Save the plot if required.
#plt.savefig("images/TotalBill_Size.png")
```

→ Text(0, 0.5, 'Total bill')



```
# Calculate the correlation matrix to see how these variables are related.
# Square off-diagonal element to get Rsquared. [row=0][col=1]
print("R squared:", round(np.corrcoef(df['total_bill'], df['size'])[0][1] ** 2, 3))
```

→ R squared: 0.358

We now calculate the total bill per person and add it to the dataframe as a column.

```
# Calculate the bill per person (bpp) and add it to the data frame.
df['bpp'] = df['total_bill'] / df['size']
df.head(3)
```

₹		ftip	total_bill	tip	sex	smoker	day	time	size	bpp
	0	0.059447	16.99	1.01	Female	No	Sun	Dinner	2	8.495000
	1	0.160542	10.34	1.66	Male	No	Sun	Dinner	3	3.446667
	2	0.166587	21.01	3.50	Male	No	Sun	Dinner	3	7.003333
	4									

Calculate the tip per person and add it to the dataframe also.

```
# Calculate the tip per person (tpp) and add it to the data frame.
df['tpp'] = df['tip'] / df['size']
df.head(3)
```

```
₹
           ftip total_bill tip
                                   sex smoker day time size
                                                                     bpp
                                                                              tpp
     0 0.059447
                      16.99 1.01 Female
                                            No Sun Dinner
                                                              2 8.495000 0.505000
                                                              3 3.446667 0.553333
     1 0.160542
                     10.34 1.66
                                   Male
                                           No Sun Dinner
     2 0.166587
                      21.01 3.50
                                   Male
                                            No Sun Dinner
                                                              3 7.003333 1.166667
```

Use pandas groupby to find the average of each variable for each party size.

```
# I'd like average values of everything for each size; create a new dataframe with results.
# Got stuck here for a bit until I reset_index() so that size could be a column name in the result.
df1 = df.groupby(['size']).mean().reset_index()
df1 #check
```

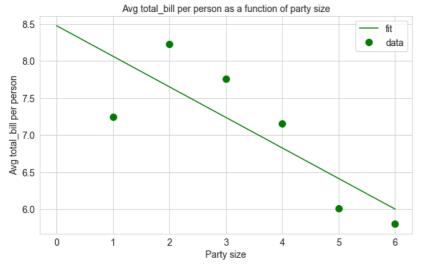
₹		size	ftip	total_bill	tip	bpp	tpp
	0	1	0.217292	7.242500	1.437500	7.242500	1.437500
	1	2	0.165719	16.448013	2.582308	8.224006	1.291154
	2	3	0.152157	23.277632	3.393158	7.759211	1.131053
	3	4	0.145949	28.613514	4.135405	7.153378	1.033851
	4	5	0.141495	30.068000	4.028000	6.013600	0.805600
	5	6	0.156229	34.830000	5.225000	5.805000	0.870833
	5 ■	б	0.156229	34.830000	5.225000	5.805000	0.870833

How does the average total bill per person vary with party size?

Save the plot if required.
#plt.savefig("images/LSQbpp.png")

```
# Do simple linear regression using polyfit
fit = np.polyfit(df1['size'], df1['bpp'], 1)
m, c = fit[0], fit[1]
print("Polyfit: m = %8.6f, c = %6.6f." % (m, c))
\rightarrow Polyfit: m = -0.412130, c = 8.475404.
# correlation coefficient
print("R squared:", round(np.corrcoef(df1['size'], df1['bpp'])[0][1] ** 2, 3))
→ R squared: 0.653
# Plot fitted line with the data.
x = np.arange(0.0, 7.0, 1.0)
#print(m)
#print(c)
plt.plot(x, m * x + c, 'g-', label="fit")
plt.plot(df1['size'], df1['bpp'], '.g', markersize=20, label="data")
plt.title('Avg total_bill per person as a function of party size', fontsize='14')
plt.xlabel('Party size', fontsize='14')
plt.ylabel('Avg total_bill per person', fontsize='14')
plt.legend()
```





What can we say about this plot? There is a downward trend to the average total bill per person as the party size increases. That isn't really what I was expecting. The data is fit well with a straight line ($R^2=0.653$), bearing in mind that there are only a handful of observations for party sizes of 1, 5, and 6. So, as party size increases, the average amount spent per person decreases.

How does the average tip per person vary with party size?

```
# Do simple linear regression using polyfit
fit2 = np.polyfit(df1['size'], df1['tpp'], 1)
m2, c2 = fit2[0], fit2[1]
print("Polyfit: m = %8.6f, c = %6.6f." % (m2, c2))

Polyfit: m = -0.125348, c = 1.533718.

# correlation coefficient
print("R squared:", round(np.corrcoef(df1['size'], df1['tpp'])[0][1] ** 2, 3))

R squared: 0.933
```

Oooh, a very good fit.

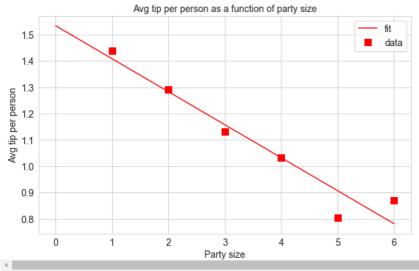
```
# Plot fitted line with the data for average tip per person vs size.
x = np.arange(0.0, 7.0, 1.0)
plt.plot(x, m2 * x + c2, 'r-', label="fit")

plt.plot(df1['size'], df1['tpp'], 'sr', markersize=10, label="data")

plt.title('Avg tip per person as a function of party size', fontsize='14')
plt.xlabel('Party size', fontsize='14')
plt.ylabel('Avg tip per person', fontsize='14')
plt.legend()

## Save the plot if required.
#plt.savefig("images/LSQtpp.png")
```

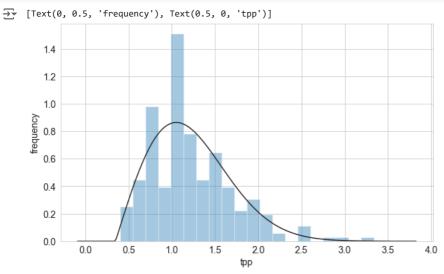




What can we conclude from this plot? There is a clear decrease in average tip per person as party size increases. The data is fit very well with a straight line ($R^2=0.933$), bearing in mind that there are only a handful of observations for party sizes of 1, 5, and 6.

Take a quick look at the distribution of tips per diner

```
#plt.hist(df['tpp'], 50, density=True, facecolor='b', alpha=0.75)
ax = sns.distplot(df['tpp'], bins=20, kde=False, fit=stats.rayleigh)
ax.set(xlabel= 'tpp', ylabel= 'frequency')
```



Looks like the distribution of tips per person is not symmetrical, but is slightly skewed towards higher values. I played around with distributions from the SciPy statistics package until I found one that looks ok on top of the histogram. It doesn't mean that's actually the correct distribution to use to model tip per person.

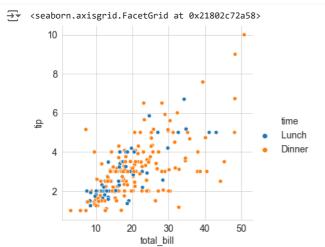
4.4 Classification: can we predict the time from tip, total bill, and size?

As we approach the end of the notebook, I want to see if we use any of the numerical variables to predict some of the categories like sex, smoker etc. For this we will use sklearn, a machine learning package for Python. We need to import the necessary packages first.

```
import sklearn.neighbors as nei
import sklearn.model_selection as mod
import sklearn.metrics as metrics
```

We need to decide which numerical variables to use as inputs, and which classes to attempt to predict. A Seaborn relplot which distinguishes between members of a class can help with selection. In the plot below lunch and dinner are not really well-separated, but we'll give it a go anyway. I feel like we have neglected the time variable a little in the analysis so we'll look at it now.

```
sns.relplot(x="total_bill", y="tip", hue='time', data=df)
```



We will use tip, total_bill and size as inputs and try to predict time.