

numberFun

In this problem you will implement four static methods that manipulate ints.

The first static method is `partialSumDivisor(int num)`, which returns true if the parameter `num` has the partial sum property. A number is said to have the partial sum property if it is divisible by the sum exactly two of its digits

The following code shows the results of the `partialSumDivisor` method.

The following code	Returns
<code>NumberFun.partialSumDivisor(63) // 63 % (6+3) == 0</code>	true
<code>NumberFun.partialSumDivisor(14989) // 14989 % (4+9) == 0</code>	true
<code>NumberFun.partialSumDivisor(1423)</code>	false
<code>NumberFun.partialSumDivisor(90473)</code>	false

The second static method is `sumProd(int sum, int prod, int x)` which finds two `int` values `m` and `n` such that `sum = m + n` and `prod = mn`, and returns $m^x + n^x$. If no two values are found, return -1.

You may assume `prod != 0` (yes, `sum` may equal 0) and `x > 0`.

The following code shows the results of the `sumProd` method.

The following code	Returns
<code>NumberFun.sumProd(1, -12, 3)</code>	-27+64
<code>NumberFun.sumProd(4, -5, 2)</code>	1+25
<code>NumberFun.sumProd(-2, -15, 3)</code>	-98
<code>NumberFun.sumProd(-4, -32, 2)</code>	80
<code>NumberFun.sumProd(2, 1, 1)</code>	2
<code>NumberFun.sumProd(10, 16, 2)</code>	68
<code>NumberFun.sumProd(-5, 6, 3)</code>	-35
<code>NumberFun.sumProd(-8, 15, 5)</code>	-3368

numberFun

The third static method is `getNumDigitSums(int low, int high, int target)`, which returns the number of ints greater than or equal to `low` and less than or equal to `high` that the sum of all digits equal the parameter `target`.

The following code shows the results of the `getNumDigitSums` method.

The following code	Returns
<code>NumberFun.getNumDigitSums (1339, 1505, 9)</code>	8
<code>NumberFun.getNumDigitSums(112, 1905, 5)</code>	29
<code>NumberFun.getNumDigitSums(1075, 1301, 11)</code>	21

The fourth static method is `factorialFun(int n, int k)`, which returns the number of times `k` is a factor of `n!` (`n` factorial).

Recall: $n! = n * (n-1) * (n-2) * \dots * 3 * 2 * 1$

For example:

- given $6!$ and $k = 3$: $6! = 6 * 5 * 4 * 3 * 2 * 1 = 2^4 * 3^2 * 5$, return 2
- given $16!$ and $k = 15$: $16! = 16 * 15 * 14 * \dots * 3 * 2 * 1 = 2^{15} * 3^6 * 5^3 * 7^2 * 11 * 13$, return 3

you may assume $0 \leq n < 100$ and $k > 1$.

The following code shows the results of the `factorialFun` method.

The following code	Returns
<code>NumberFun.factorialFun(6, 3)</code>	2
<code>NumberFun.factorialFun(16, 15)</code>	3
<code>NumberFun.factorialFun(29, 5)</code>	6
<code>NumberFun.factorialFun(10, 2)</code>	8