

1. Left shifting 1:

arr = np.array([1, 2, 3, 4, 5, 6])

for i in range(0, len(arr)-1):

arr[i] = arr[i+1]

arr[i+1] = 0

O = [i] STDO

print(arr)

(STDO) twisty

2. Left shift 2:

arr = np.array([1, 2, 3, 4, 5, 6])

for i in range(1, len(arr)):

arr[i-1] = arr[i]

arr[i] = 0

print(arr)

[L+i] STDO = [i] STDO

O = [i] STDO

3. Right shift 1:

arr = np.array([1, 2, 3, 4, 5, 6])

for i in range(len(arr)-1, 0, -1):

arr[i] = arr[i-1]

arr[i-1] = 0

print(arr)

O = [i] STDO

(STDO) twisty

: SHIFT

O = [i] STDO

[i] STDO = [L-i] STDO

O = [i] STDO

(STDO) twisty

part A (1)

4. Right shifting 2:

arr = np.array([1, 2, 3, 4, 5, 6])
for i in range(len(arr)-2, -10, -1):

$$arr[i+3] = arr[i] \quad i \text{ not}$$

$$arr[i] = 0$$

print(arr)

: I print the FFW . L

arr[0:10:1] = arr

i not in i not

$$0 = [i+3]$$

$$0 = [i+3]$$

(arr) twirg

: S FFW FFU

5. Left shift at any index 1:

arr = np.array([1, 2, 3, 4, 5, 6])
arr[(arr) new, i] = arr[i]

index = 3

for i in range(0, len(arr)-1):

$$arr[i+1] = arr[i] \quad (arr) twirg$$

$$arr[0:1] = 0$$

print(arr) .

Type 2:

6. index = 3

for i in range(index+1, len(arr)):

$$arr[i-1] = arr[i]$$

$$arr[0:1] = 0$$

print(arr)

: I print the FFW . L

arr[0:10:1] = arr

i not in i not

$$0 = [i+3]$$

$$0 = [i+3]$$

(arr) twirg

: S FFW FFU

7. Right shifting at any index i:
- $\text{arr} = \text{np.array}([1, 2, 3, 4, 5, 6, 7])$
- $\text{index} = 3$
- for i in range($(\text{len}(\text{arr}) - 1, \text{index}, -1)$):
- $\text{arr}[i] = \text{arr}[i+1] = [i]$
- $\text{arr}[i-1] = 0$
- print (arr)
8. type2:
- $\text{arr} = \text{np.array}([1, 2, 3, 4, 5, 6, 7])$
- $\text{index} = 3$
- for i in range($(\text{len}(\text{arr}) - 2, \text{index} - 1, -1)$):
- $\text{arr}[i+1] = \text{arr}[i]$
- $\text{arr}[i] = 0$
- print (arr)

- Q. Left rotate:
if you want to without help
 $\text{arr} = \text{np.array}([1, 2, 3, 4, 5, 6])$
 $\text{temp} = \text{arr}[0]$
 $\delta = \text{temp}$
for i in range(1, len(arr) - 1):
 $\text{arr}[i] = \text{arr}[i+1]$
 $\text{arr}[i+1] = \text{temp}$.
 $\delta = [1-i] \text{ from}$
10. Left rotate at any indexs (start from):
 $\text{arr} = \text{np.array}([1, 2, 3, 4, 5, 6, 7])$
 $\text{index} = 3$
for i in range(index + 1):
: (for $\text{temp} = \text{arr}[0]$
: for i in range(0, len(arr) - 1) if $i \neq \text{index}$)
 $\text{arr}[\text{index}] = \text{arr}[\text{index} + 1]$
 $\text{arr}[\text{index} + 1] = \text{temp}$.
 $\delta = [i] \text{ from}$
print (arr)
(ans) printing

11. Right rotate:

$\text{arr} = \text{np.array}([1, 2, 3, 4, 5, 6, 7])$

$\text{temp} = \text{arr}[\text{len(arr)} - 1]$

for i in range($\text{len(arr)} - 1, 0, -1$):

$\text{arr}[i+1] = \text{arr}[i]$

$\text{arr}[0] = \text{temp}$

print(arr)

12. Right rotate at any index:

$\text{arr} = \text{np.array}([1, 2, 3, 4, 5, 6, 7])$

$\text{index} = 4$

for i in range($\text{index} + 1, \text{len(arr)}$):

$\text{index} = \text{len(arr)} - \text{index}$

for i in range($(\text{index}) + 1$):

$\text{temp} = \text{arr}[\text{len(arr)} - 1]$

for j in range($\text{len(arr)} - 1, 0, -1$):

$\text{arr}[j] = \text{arr}[j-1]$

$\text{arr}[0] = \text{temp}$

print(arr)

13. Reverse in place

intervor kippt

~~arr = np.array([1, 2, 3, 4, 5, 6])~~

left = 0

$\left[\begin{matrix} 1 & (arr) \text{ auf} \end{matrix} \right] \rightarrow \text{arr red} \rightarrow \text{arr}$

right = len(arr) - 1

$\left(\begin{matrix} 1 & 0 & 1 & (arr) \text{ auf} \end{matrix} \right) \rightarrow \text{most in first}$

while left < right:

$\left[\begin{matrix} left & right \end{matrix} \right] \rightarrow \left[\begin{matrix} right & left \end{matrix} \right]$

left += 1

right -= 1

(arr) twirg

print(arr)

gib mir zwei statoren kippt

14. Reverse in place

~~arr = np.array([1, 2, 3, 4, 5, 6, 7])~~

~~reversed = np.array([0] * len(arr))~~

pointer = 0

gib mir (arr) auf = gib mir

for i in range(len(arr) - 1, -1, -1):

~~reversed[pointer] = arr[i]~~

$\left(\begin{matrix} 1 & 0 & 1 & (pointer) + 1 \end{matrix} \right) \rightarrow \text{most in first}$

print(reversed)

$\left[\begin{matrix} 7 & 6 & 5 & 4 & 3 & 2 & 1 \end{matrix} \right] \rightarrow \left[\begin{matrix} 1 & 2 & 3 & 4 & 5 & 6 & 7 \end{matrix} \right]$

gib mir = [1-7] auf

15. Insertion

```
def resize (array, size):
```

```
: (size = array[:size], array [size:] = [None] * (size+1))
```

```
for i in range (len(array)):
```

```
    array [i] = array [i]
```

```
return array
```

```
def insertion (array, size, value, index):
```

```
if index < 0 or index > size:
```

```
: return "Invalid" if i not
```

```
elif index == size:
```

```
array = resize (array, size)
```

```
array [index] = value
```

```
return array
```

```
else:
```

```
array = resize (array, size)
```

```
for i in range (len (array)-1, index, -1):
```

```
    array [i] = array [i-1]
```

```
array [i-1] = value
```

```
return array
```

16. deletion:

```
def deletion (array, size, index):  
    if size <= 0 or (index > 0 and index > size):  
        return "Invalid"  
    elif index == size - 1:  
        array [index] = 0  
    else:  
        for i in range(index + 1, len(array) - 1):  
            array [i] = array [i + 1]  
        array [len(array) - 1] = 0  
    return array
```

Duplicate remove:

arr = np.array ([1, 1, 1, 2, 2, 2, 4, 4, 7, 8, 9, 9])

~~left = 0~~

right = 0

for i in range (0, len(arr)-1):

if arr[right] == arr[right+1]:

for j in range (right, len(arr)-1):

arr[j] = arr[j+1]

arr[j+1] = 0

else:

right += 1

print (arr)

[i] [j] ~~arr~~ = +0

: ([arr] ~~arr~~ + 0) ~~arr~~ ni i not

([0] ~~arr~~ + 0) ~~arr~~ ni i not

[i] [j] ~~arr~~ = +0

Compress Matrix in 2x2:

$$a, b, c, d = 0, 0, 0, 0$$

$$\text{Outmiddle} = \text{int}(\text{len}(\text{array})/2)$$

$$\text{Inmiddle} = \text{int}(\text{len}(\text{array}[0])/2)$$

for i in range (0, Outmiddle):

: for j in range (0, Inmiddle):

$$at = \text{array}[i][j]$$

: (1 - (1/2)) * (1/2) * (1/2) represent ni in start

for i in range (0, Outmiddle):

: for j in range (Inmiddle, len(array[0])):

$$bt = \text{array}[i][j]$$

for i in range (Outmiddle, len(array)): :

: for j in range (0, Inmiddle):

$$ct = \text{array}[i][j]$$

for i in range (Outmiddle, len(array)): :

: for j in range (Inmiddle, len(array[0])):

$$dt = \text{array}[i][j]$$

2D Array

1. 2D array \rightarrow 1D array row major

arr2D = np.array([[1, 2, 3, 4], [5, 6, 7, 8]])

arr1D = np.array([0] * (len(arr2D[0]) * len(arr2D)))

pointer = 0

for i in arr2D:

 for j in i:

 arr1D[pointer] = j

 pointer += 1

print(arr1D)

2. 2D array \rightarrow 1D array column major

arr2D = np.array([[1, 2, 3, 4], [5, 6, 7, 8]])

arr1D = np.array([0] * (len(arr2D[0]) * len(arr2D)))

pointer = 0

for i in range(len(arr2D[0])):

 for j in range(len(arr2D)):

 arr1D[pointer] = arr2D[j][i]

 pointer += 1

print(arr1D)

3. Diagonal Matrix primary: α ist am Programm 2
 $\text{arr} = \text{np.array}([[[1, 2, 3, 4], [5, 6, 7, 8], [9, 10, 11, 12], [13, 14, 15]]])$

pointer = 0

for sum = 0

for i in arr:

sum += arr[i][pointer]

pointer += 1

print(sum)

(arr[0][0] + arr[1][1])	1	2	3	4
(arr[0][1] + arr[1][2])	5	6	7	8
(arr[0][2] + arr[1][3])	9	10	11	12
(arr[0][3] + arr[1][4])	13	14	15	16

4. Diagonal Matrix Secondary [arr][two] Programm

$\text{arr} = \text{np.array}([[1, 2, 3], [4, 5, 6], [7, 8, 9]])$

pointer = arr[0][0] - 1

sum = 0

for i in arr:

sum += arr[i][pointer]

pointer -= 1

print(sum)

$p = 1 + 0$	2	3
$p = 1 + 5$	4	6
$p = 1 + 8$	7	9

6. Sum of rows:

$\text{arr} = \text{np.array}([[1, 2, 3, 4], [5, 6, 7, 8]])$

~~rowArr = np.array([0])~~

~~rowArr = np.zeros((1))~~

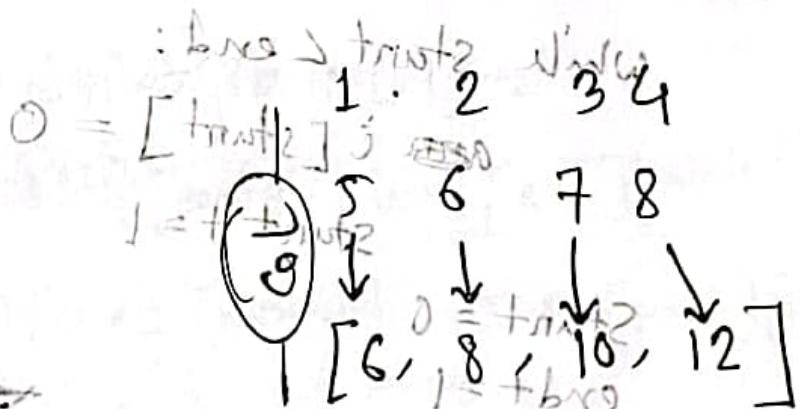
~~sum = 0~~

~~pointer = 0~~

~~for i in arr:~~

~~for j in i:~~

~~sum += j~~



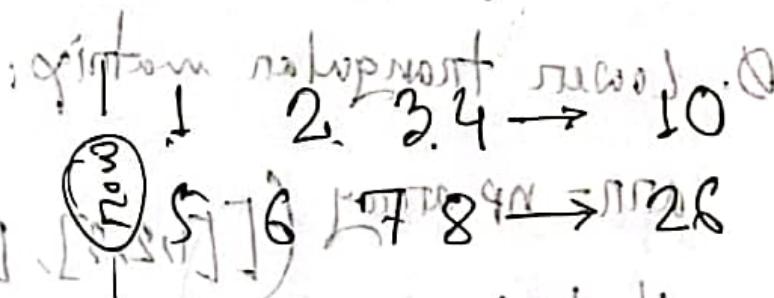
~~rowArr[pointer] = sum~~

(print) trut2

~~sum = 0~~

~~pointer += 1~~

~~print(rowArr)~~



7. Sum of Columns:

$\text{arr} = \text{np.array}([[1, 2, 3, 4], [5, 6, 7, 8]])$

~~colArr = np.array([0] * len(arr[0]))~~

~~sum = 0~~

~~for i in arr:~~

~~for j in range(len(arr[0])):~~

~~sum += arr[i][j]~~

~~colArr[i] = sum~~

8. Operate triangular matrices: : 2005i To max

$\text{arr} = \text{np.array}([[[1, 2, 3], [4, 5, 6], [7, 8, 9]]])$

start = 0

end = 0

for i in arr:

while start < end:

~~arr~~ i[start] = 0

start += 1

[start = 0
end += 1]

print(arr)

~~5 6 7 8
0 10 11 12
13 14 15 16~~

: i or j not

~~i = max~~

~~arr = [[1, 2, 3, 4,
6, 7, 8],
[9, 10, 11, 12],
[13, 14, 15, 16]]~~

9. Lower triangular matrix:

~~arr = np.array([[1, 2, 3], [4, 5, 6], [7, 8, 9]])~~

start = 1

for i in arr[1:]:

for j in range(start, len(i)):

i[j] = 0

start += 1

print(arr)

~~arr = [[1, 2, 3, 4,
6, 7, 8],
[9, 10, 11, 12],
[13, 14, 15, 16]]~~

~~: 2005i / 0~~

~~0 = max~~

~~xi i not~~

10. Swipe Rows :

$\text{arr} = \text{mp.array}([[[1, 2, 3, 4], [5, 6, 7, 8], [9, 10, 11, 12]]])$

pointer = 0

start = 0

end = len(arr) - 1

while start < end :

while pointer <= len(arr[0]) - 1:

$[b_{\text{root}}], [b_{\text{left}}], [b_{\text{right}}], [b_{\text{top}}], [b_{\text{bottom}}]$ = arr[start][pointer], arr[end][pointer]

$= arr[end][pointer], arr[start][pointer]$

$b_{\text{top}} = b_{\text{bottom}}$

(row) turning

pointer += 1

pointer = 0

start += 1

end -= 1

print(arr)

1 2 3 4

5 6 7 8

9 10 11 12

↓

5 6 7 8

1 2 3 4

$(1, 2, 3, 4)$
 \downarrow
 $(5, 6, 7, 8)$
 $(9, 10, 11, 12)$

9 10 11 12

5 6 7 8

1 2 3 4

11. Swipe column:

: 2nd step

arr = input array ($\begin{bmatrix} [1, 2, 3, 4], [5, 6, 7, 8], [9, 10, 11, 12] \end{bmatrix}$)

start = 0

end = len(arr[0]) - 1

while start < end:

fun([0] min max) := 3 rotating swivels

[rotaries][bowl] and [start], i[end] = i[end], i[start]

[minia][bowl2] start, first, [bowl] min =

end -= 1

print (arr)

L = + rotating

1 2 3 4

0 = rotating

1 = + swivel

1 9 10 11 12

(min) swivel

(P) 2 3 1
8 F 3 2
S 1 11 01 C

↓

S 1 11 01 C
8 F 3 2
P 2 3 1

4 3 2 1
8 7 6 5
12 11 10 9

12. Row rotate:

$\text{arr} = \text{np.array}([[[1, 2, 3, 4], [5, 6, 7, 8], [9, 10, 11, 12]]])$

$\text{start} = 0$

for v in $\text{range}(3)$:

$\text{newArr} = \text{np.array}([0] + \text{arr}[v][\text{start}:])$

$(1 - \text{pointer})$ pointer in arr

for i in $\text{range}(\text{len}(\text{arr}) - 1)$:

$\text{newArr}[\text{pointer}] = \text{arr}[i]$

$\text{pointer} += 1$

(arr) turns

8XNXP for i in $\text{range}(\text{len}(\text{arr}) - 1, 0, -1)$:

while $\text{start} < \text{len}(\text{arr}[i])$:

$\text{arr}[i][\text{start}] = \text{arr}[i-1][\text{start}]$

$\text{start} += 1$

$\text{start} = 0$

$2F8AP.C = \text{arr}[i-1] = \text{rowArr} = (8 \times A) \setminus M = M$

$\text{pointer}(\text{arr})$

$2F8AP.O =$

$8C \times 2F8AP.O =$

$\overline{M} =$

$2F8.A = \overline{M}$

$8X2F2.O =$

$F =$

$L = 2F8.A = (8 \times A) \setminus M = M$

$F = 8 \cdot A$

$F = M \setminus F = 0$

13. Column Swap: note:

: transfer word

$\text{arr} = \text{np.array}([[[1, 2, 3, 4], [5, 6, 7, 8], [9, 10, 11, 12]]])$

for i in range(2):

$O = \text{frwt2}$

 for j in ~~range~~(i): $\text{arr}[:, j] \leftarrow \text{arr}[:, j][\text{len}(j)-1 : 0]$

 for k in range($(\text{len}(j)-1) : -1$):

$\text{arr}[:, j][k] \leftarrow \text{arr}[:, j][k+1]$

$\text{arr}[:, j][k+1] = \text{temp}$

print(arr)

$I = +\text{frwt2}$

14. Linear Array of length 128 3D array = $4 \times 4 \times 8$

$[x][y][z] \rightarrow \text{linear arr index} = 111$

~~24~~

$$x * (4 * 8) + y * (8) + z = 111$$

$O = \text{frwt2}$

$$x = 111 // (4 * 8) = 111 // 32$$

$$= 3.46875$$

or, 3

$$111 // (4 * 8) = 15$$

$$\left| \begin{array}{l} 111 \\ 32 \end{array} \right. = 3.46875$$

$$3.46875 - 3,$$

$$= 0.46875$$

$$= 0.46875 * 32$$

$$= 15$$

$$y = 15 // 8 = 1.875 = 1$$

$$15 * 8 = 7$$

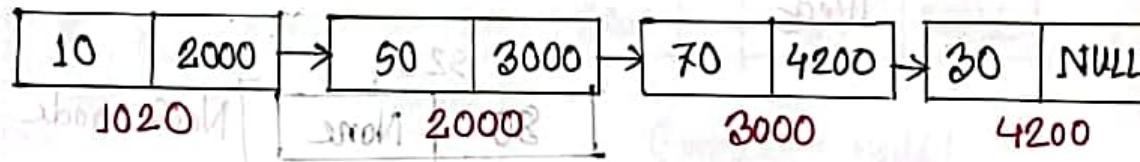
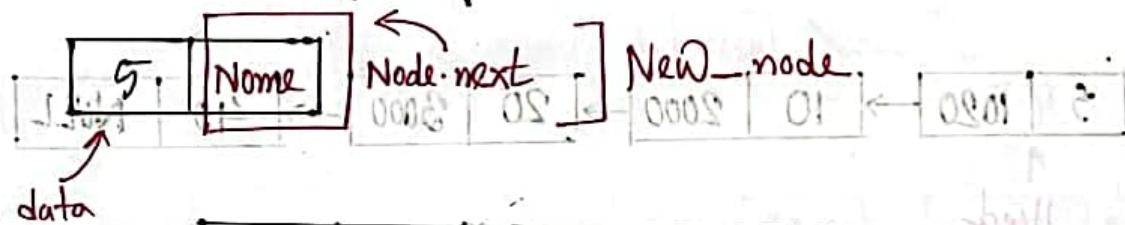
$$z = 7 // 1 = 7$$

$$\left| \begin{array}{l} 15 \\ 8 \end{array} \right. = 1.875$$

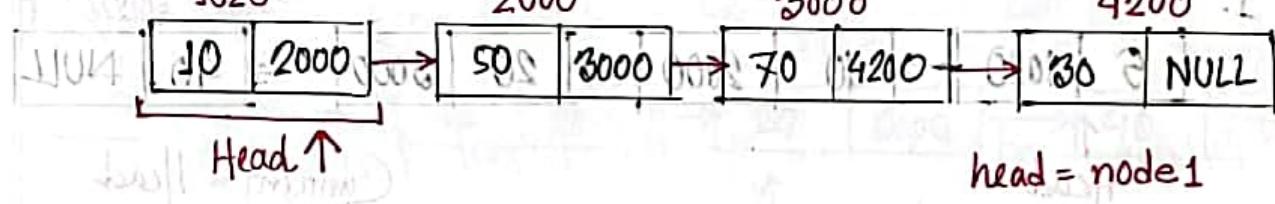
$$= 0.875 * 8$$

Linked List

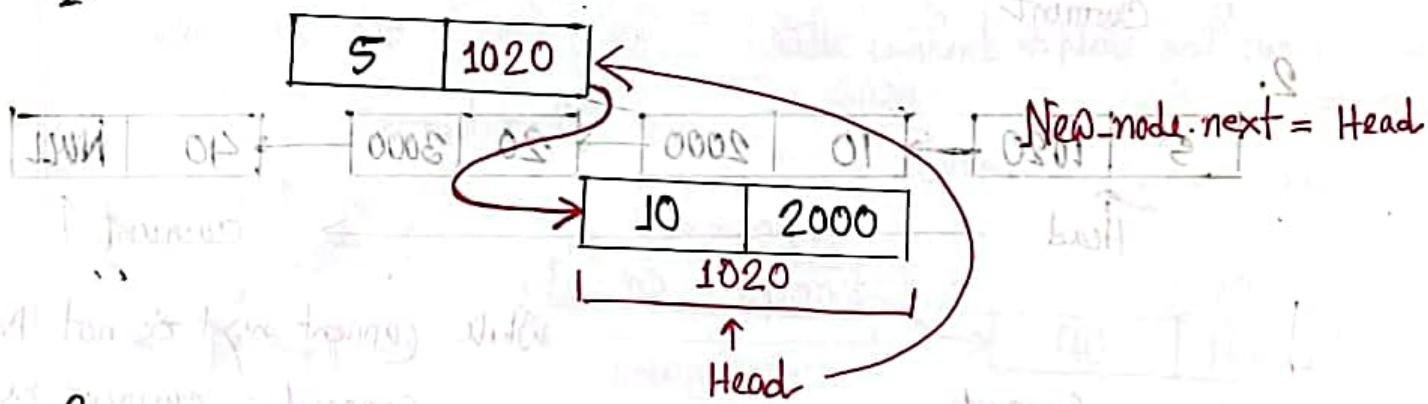
1. Insertion at the beginning of the list: has what to do?



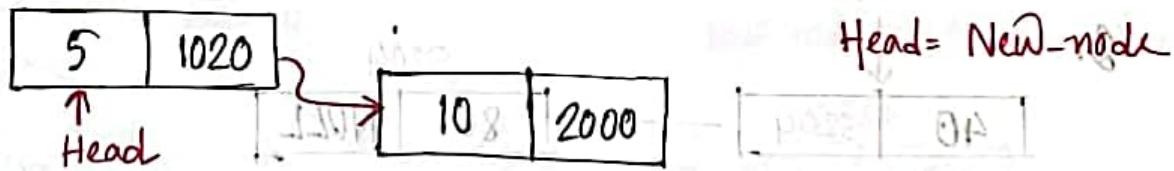
1. **1020**



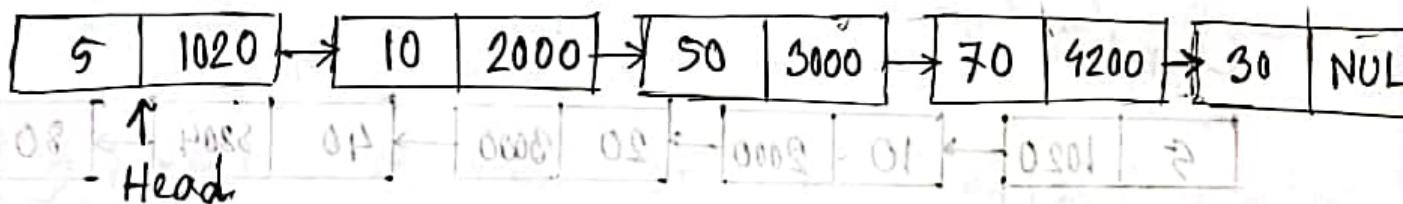
2.



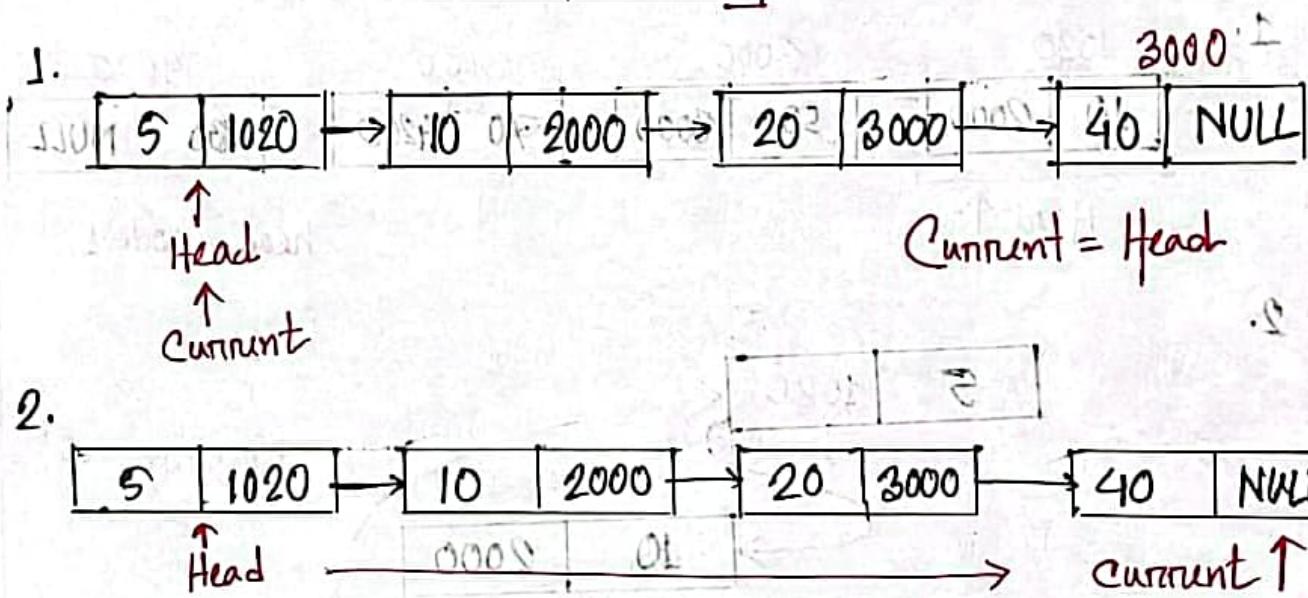
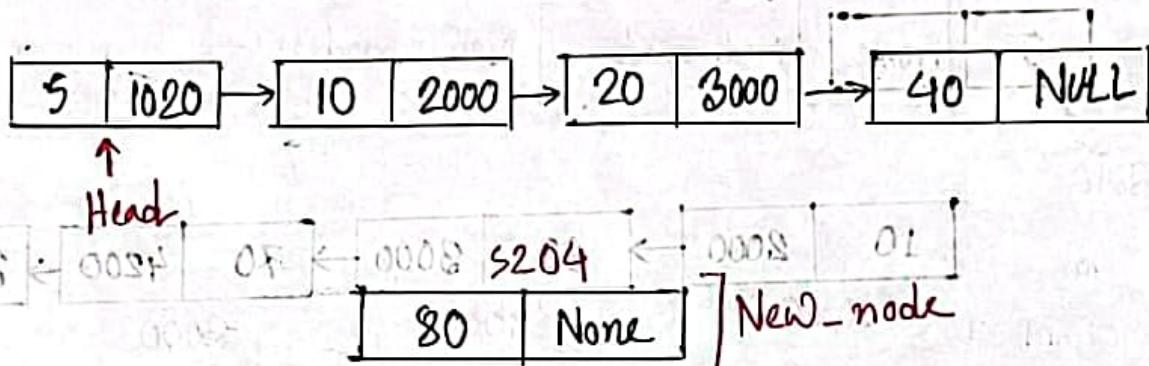
3.



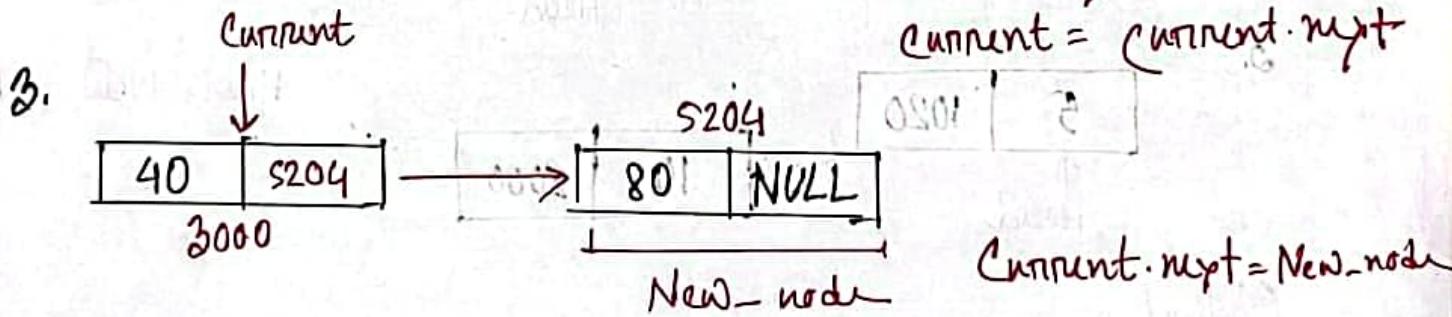
Output:



2. Inserting at the end of the linked list: will be straightforward

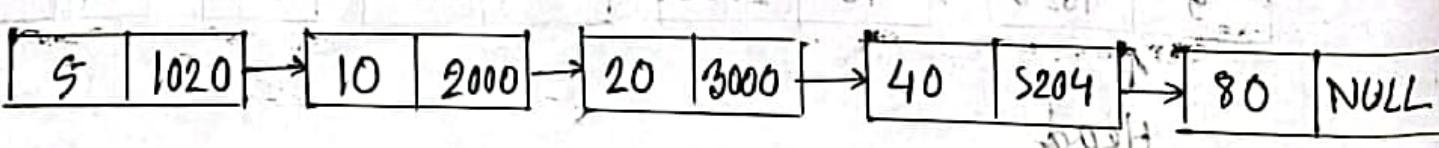


While current.next is not None:
current = current.next

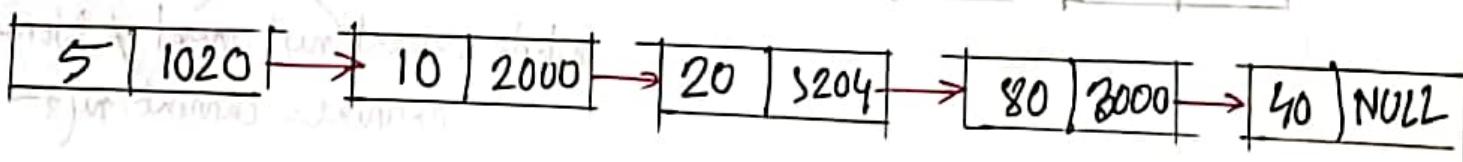
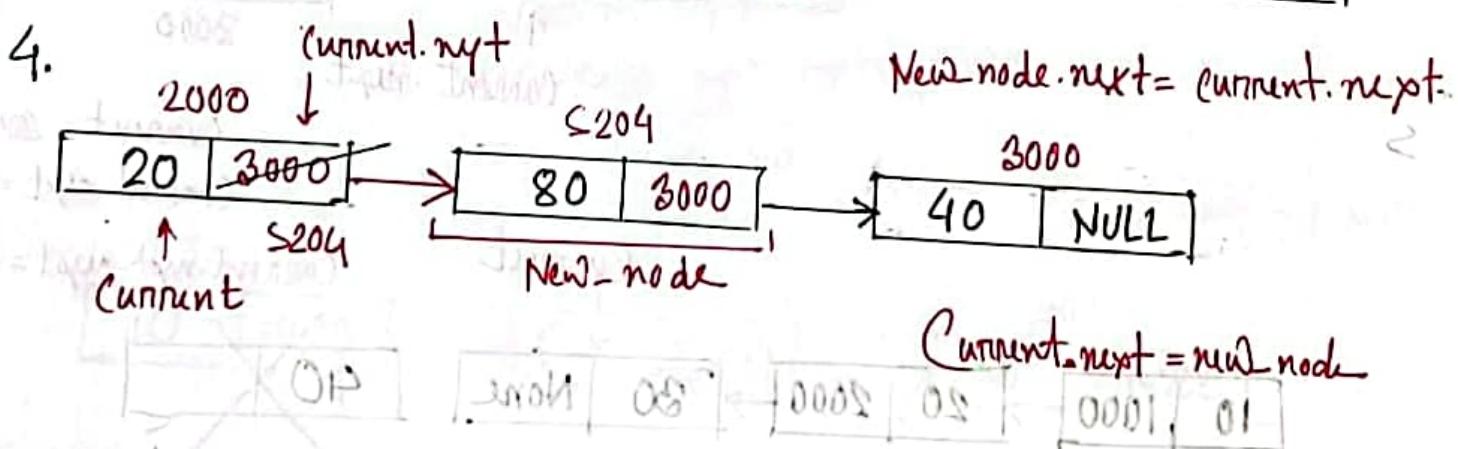
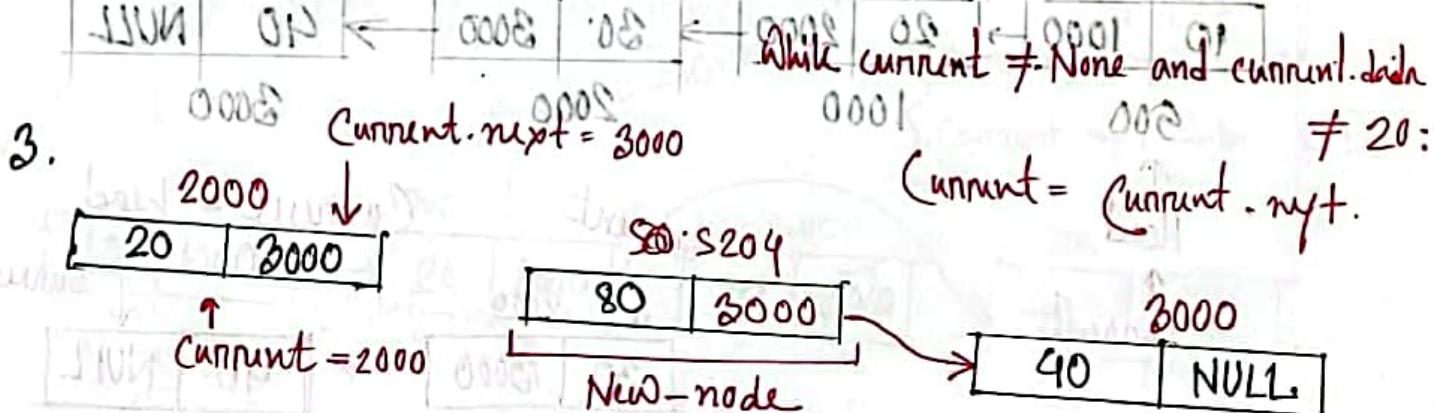
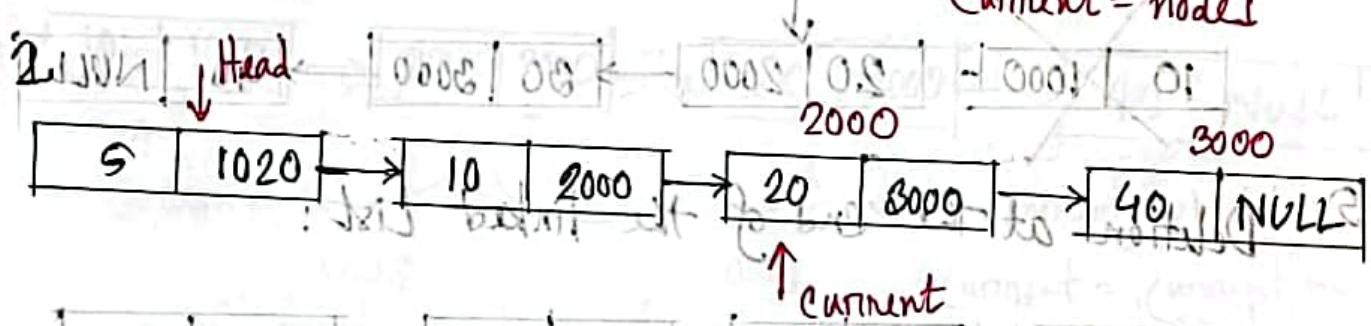
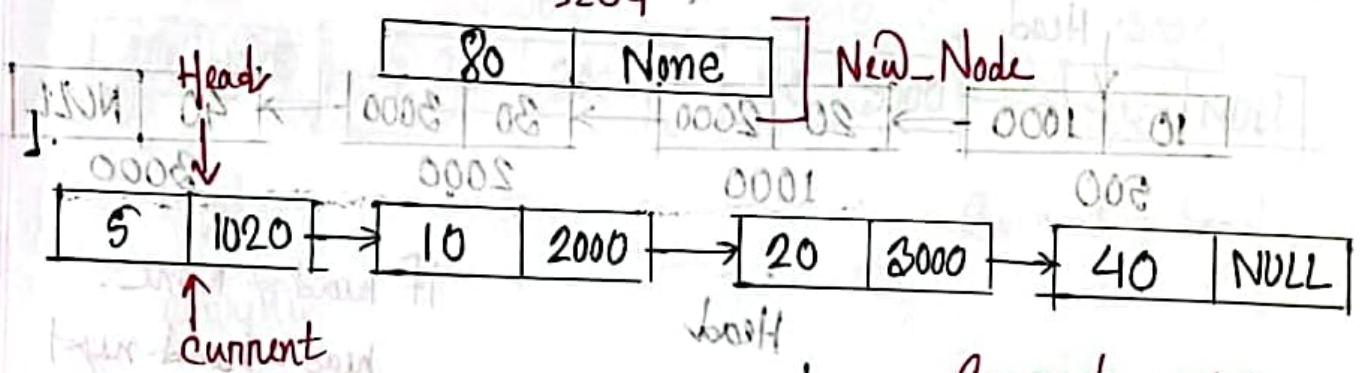


current.next = New-node

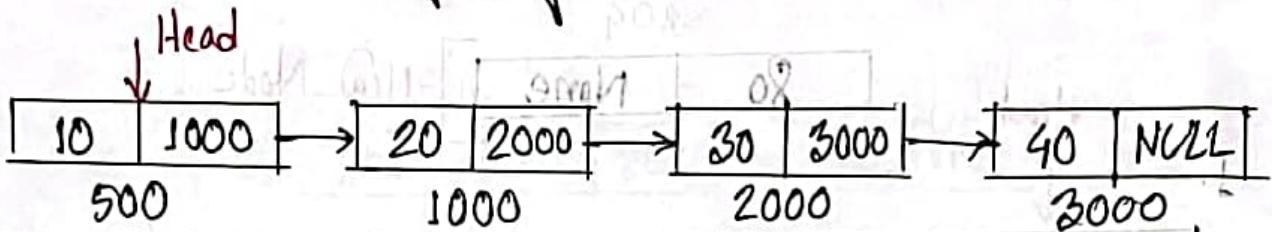
Output: 05 < 002F 02 < 0008 01 < 0001 | ?



3. Insert at the middle of the linked List:

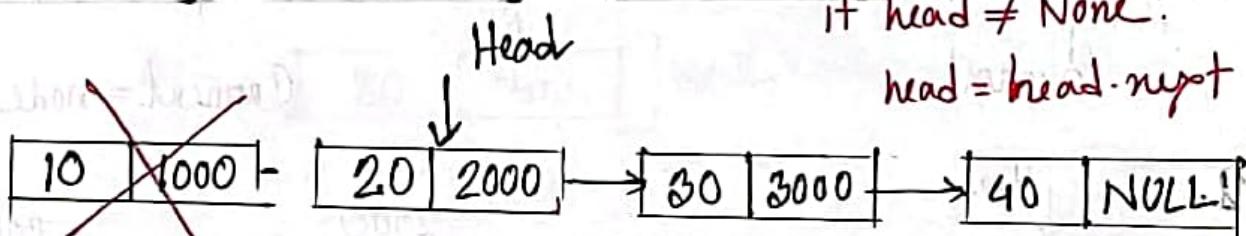


4. Deletion at the beginning of the linked list:

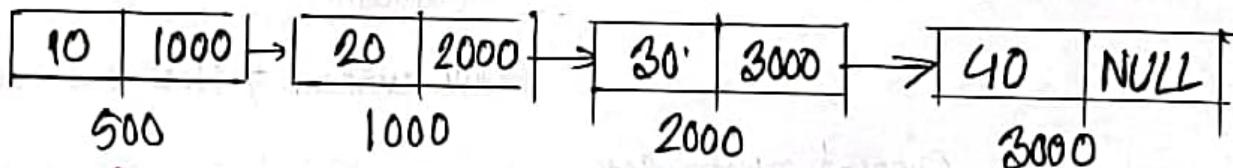


if $\text{head} \neq \text{None}$:

$$\text{head} = \text{head} \cdot \text{next}$$



5. Deletion at the end of the linked list:

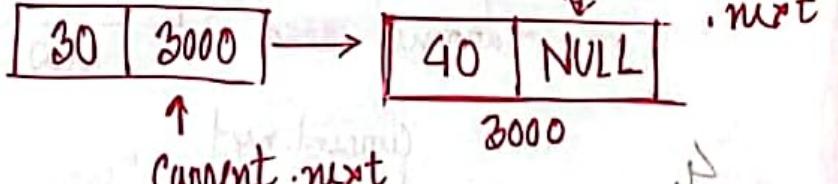
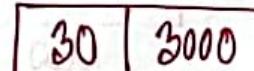


↑
Head

↑
Current

current

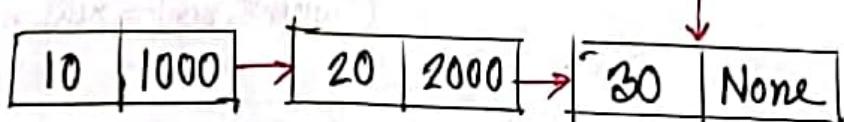
Current = head



Current = 2000

Current.next = 3000

Current.next.next = NULL

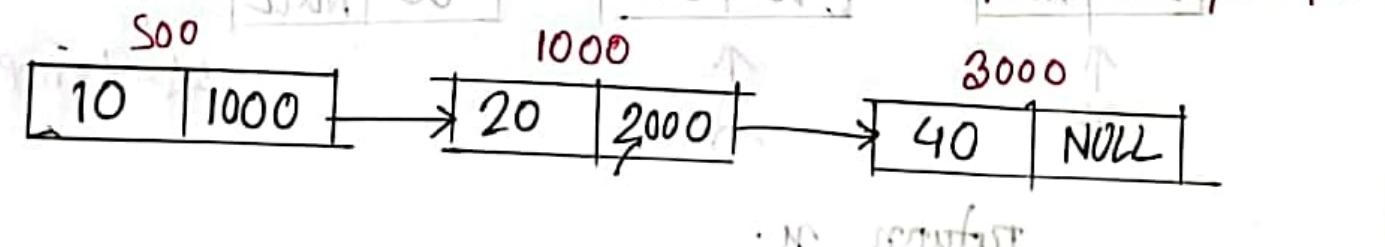
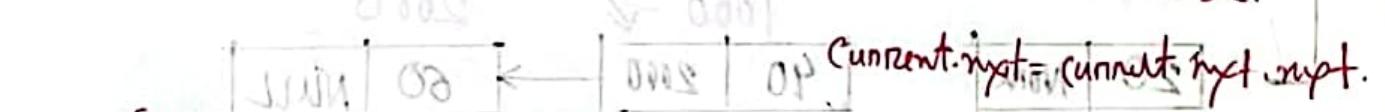
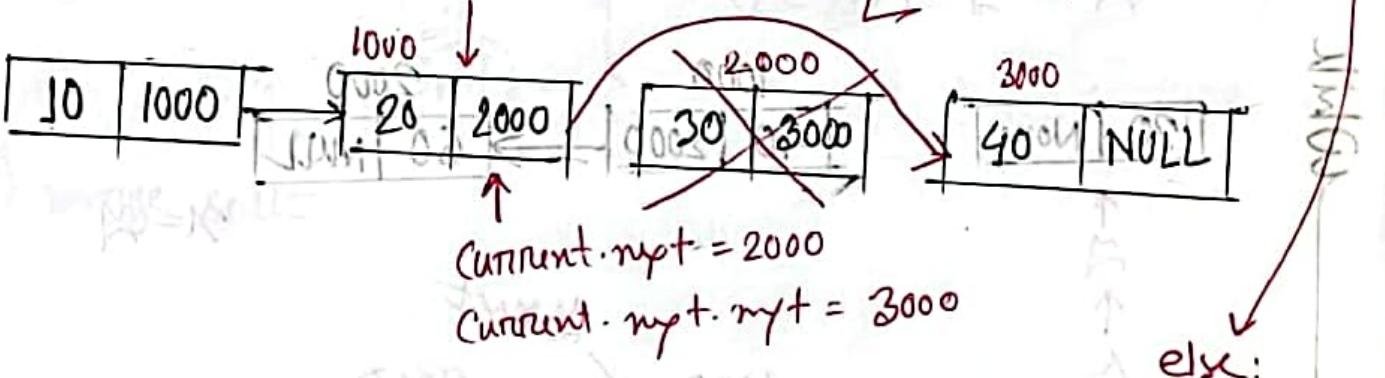
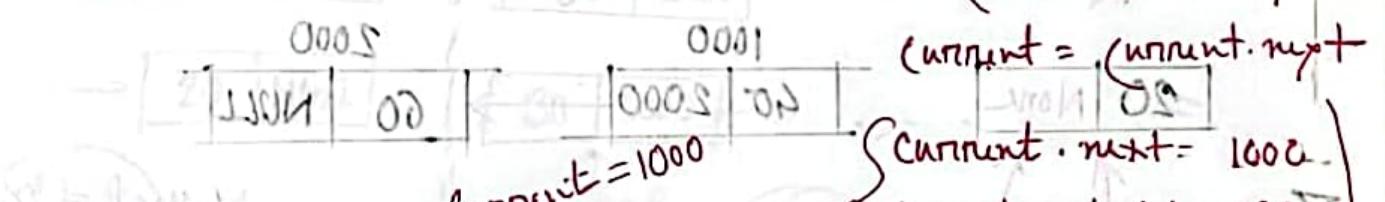
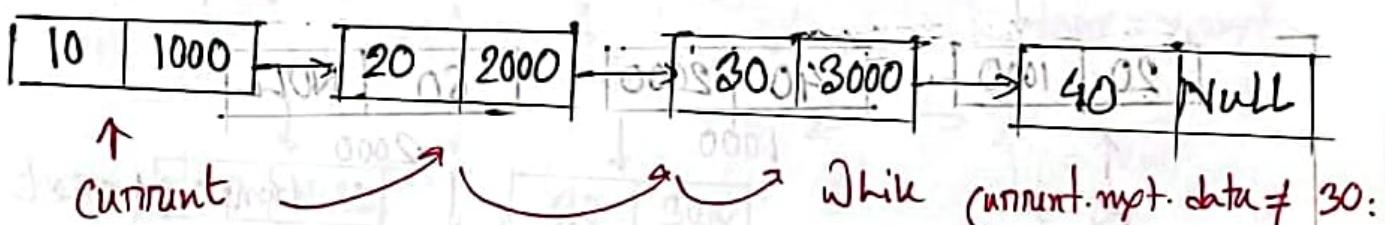
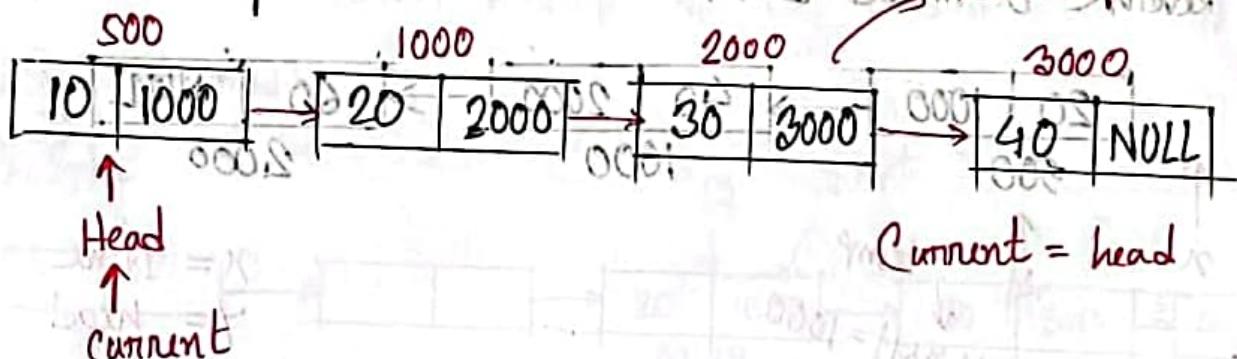


While $\text{current.next.next} \neq \text{None}$:

current = current.next

current.next = None

6. Deletion at a particular node:



class Node:
 def __init__(self, value, next=None):
 self.value = value
 self.next = next

Length of a linked list:
def length(head1):
 count = 0
 tail = head1
 while tail:
 count += 1
 tail = tail.next
 return count

nodeAt function to find any node with index:
def nodeA(head1, index):
 count = 0
 tail = head1
 while tail:
 if count == index:
 return tail
 count += 1
 tail = tail.next

j2i1 b3n1]

: short code

3. Change value with index:

def changeValue(head1, value, index):

count = 0

tail = head1

while tail:

if count == index:

breaks

count += 1

tail = tail.next

tail.value = value

return head1

— tail — 2eb

value - and tail 7eb

tail = tail.next

: j2i1 b3n1] o To step 1

: (1bowl) step 1 7eb

o = fruog

1bowl = just

; just wine

l = + fruog

tail.just = just

fruog constant

4. def search(head1, element):

tail = head1

while tail.value != element:

tail = tail.next

return tail

o = fruog

1bowl = just

; just wine

: j2i1 == fruog 71

just constant

l = + fruog

tail.just = just

5. Insertion:

: Java code

```
def insertion (head1, index, value, size): Java code
```

```
    if index < 0 or index > size:
```

```
        print("Invalid Index")
```

```
    else:
```

```
        n = Node (value)
```

```
        if index == 0:
```

```
            node = NodeAt (head1, index)
```

```
            n.next = node
```

```
            head1 = n
```

```
        elif index == size:
```

```
            node = NodeAt (head1, index - 1)
```

```
            node.next = n
```

```
        else:
```

```
            node = NodeAt (head1, index)
```

```
            prevNode = NodeAt (head1, index - 1)
```

```
            prevNode.next = n
```

```
(prevNode.next = n) node
```

```
return head1
```

```
(L+jabri + Lburi) + Aabur = Viss
```

```
Jxur = Jxur + Viss
```

```
zroki = Jxur + abur
```

```
node = zroki + abur
```

6. Removal:

```
def removal (head1, index, size):
    if index < 0 or index >= size:
        print("Invalid Index")
        return None
    else:
        if index == 0:
            node = nodeAt (head1, index)
            current = node
            head1 = head1.next
            current.next = None
            current.value = None
        elif index == size - 1:
            node = nodeAt (head1, index - 1)
            current = node.next
            node.next = None
            current.value = None
        else:
            node = nodeAt (head1, index)
            prev = nodeAt (head1, index - 1)
            nxt = nodeAt (head1, index + 1)
            prev.next = nxt
            node.next = None
            node.value = None
    return head1
```

7. find center of the linked list:

def center(head1):

 fast = head1

 slow = head1

 while fast and fast.next:

 fast = fast.next.next

 slow = slow.next

 return slow

8. Copy a linked list:

def copyList(head1):

 head2 = None

 tail = head1

 while tail:

 if head2 == None:

 node = Node(tail.value)

 head2 = node

 current = head2

 else:

 node = Node(tail.value)

 current.next = node

 current = current.next

 tail = tail.next

 return head2

Q. Reverse In Place: : first bullet left to reverse b6
 def reverseInPlace(head): : (1b6w) reverse b6
 dummy = None : 1b6w = first
 previous = dummy : 1b6w = 6b01
 current = head : first, last b6 is last with
 while current != None: first, last = last
 next = current.next : 6b01, 6b01 -> 6b01
 current.next = previous : 6b01, 6b01 -> 6b01
 previous = current : work on rest
 current = ~~next~~ next : 6b01 behind o p90
 return previous : (1b6w) tri p90 b6

Reverse Out Place: : 6b01 = 6b01
 def reverseOutPlace(head): : 1b6w = first
 head = Node(head, value) : first node
 tail = head.next : error == 6b01 if
 while tail: : 6b01 = 6b01
 node = Node(tail.value, head) : 6b01 = 6b01
 head = node : 6b01
 tail = tail.next : 6b01 = 6b01
 return head : 6b01 -> 6b01
 return head : 6b01 -> 6b01
 first, last = first, last

def leftRotate

left Rotate:

def leftRotate (head1, rotation):

for i in range (rotation):

newHead = head1.next

tail = newHead

while tail.next:

tail = tail.next

tail.next = head1

head1.next = None

head1 = newHead

return head1

Right Rotate:

def rightRotate (head1, rotation):

for i in range (rotation):

: bow = previous.next

current = head1.next

while current.next:

current = current.next

previous = previous.next

current.next = head1

head1 = current

previous.next = None

return head1

Circular Linked List

1. find length:

def length(head):

counter = 1

fast = head.next

slow = head

while fast != slow:

counter += 1

fast = fast.next.next

slow = slow.next

return counter

2. find center:

def center(head):

fast = head.next

slow = head

while fast != head and fast.next != head:

slow = slow.next

fast = fast.next.next

return slow.value

slow = type.function

function = slow

slow = fast.function

find a node:

def nodeAt(head); index):

count = 0

tail = head

while tail:

if count == index:

return tail

count += 1

(~~return tail~~) tail = tail.next

above tail = tail.next

above tail = tail

tail = type.list

: tail == qubit file

above tail = tail.next

above tail = tail

tail = type.list

(qubit list) above tail = above tail

(1-qubit list) tail = above tail

above tail = tail.above tail

above tail = tail.above tail

tail = tail.above tail

5. Insertion:

```
def insertion(head, value, index, size):
    if index < 0 or index > size:
        print("Invalid")
    else:
        newnode = Node(value)
        if index == 0:
            currentNode = nodeAt(head, index)
            newnode.next = currentNode
            head = newnode
            tail.next = head
        elif index == size:
            tail.next = currentNode.next
            tail = newnode
            tail.next = head
        else:
            currentnode = nodeAt(head, index)
            previousnode = nodeAt(head, index - 1)
            previousnode.next = newnode
            newnode.next = currentnode
    return head
```

tail = head

head = first
tail = last

6. Deletion:

6. Deletion:

```
def remove(head, index, size):
    if index < 0 or index > size:
        print("Invalid index")
    else:
        if index == 0:
            node = Node(head, index)
            current = node
            head = head.next
            current.next = None
            current.value = None
            tail.next = head
        elif index == size - 1:
            node = Node(head, index - 1)
            current = node.next
            node.next = head
            current.value = None
        else:
            (Same)
```

tail = head.next
while tail.next != head:
 tail = tail.next

: behind node
size) — tail — tail
size · tail
size for
weak — tail
size · tail

Class Tree:

```
{def createNode(self, data):  
    return Node(data)  
  
def insert(self, node, data):  
    if node is None:  
        return self.createNode(data)  
  
    if data < node.data:  
        node.left = self.insert(node.left, data)  
    else:  
        node.right = self.insert(node.right, data)  
  
    return node
```

Diagram illustrating the insertion process:

- ① "Check if the node is empty"
- ② "Create newnode with the data"
- ③ "Assign the new node into left or right instead of storing the node address like linked list"

Class Node:

```
def __init__(self, Value):  
    self.left = None  
    self.data = Value  
    self.right = None
```

Diagram showing the Node structure:

```
graph LR  
    Node1[None Data None]  
    Node2[None Data None]  
    Node3[None Data None]
```

1. Inorder traversal:

result = []

def inOrder(root):

global result

if not root:

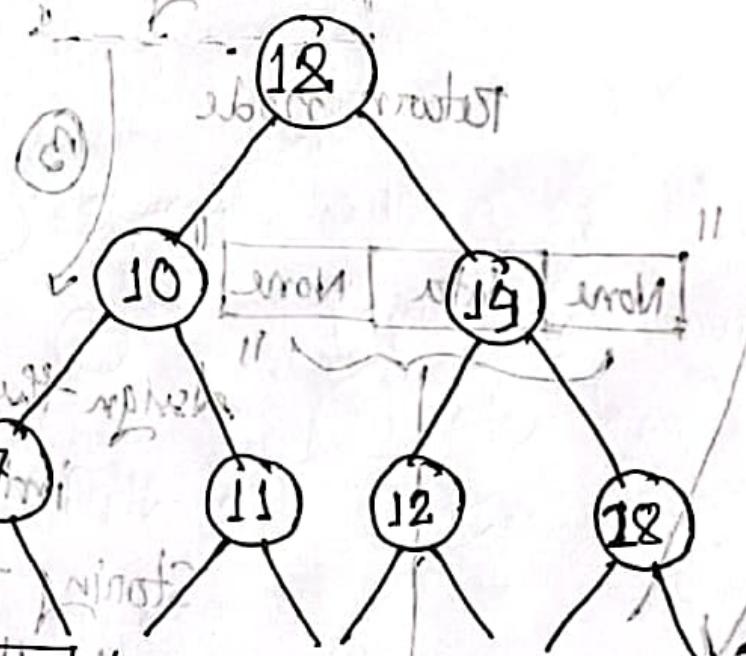
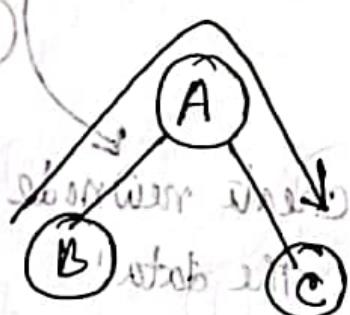
return

inOrder(root.left)

result.append(root.value)

inOrder(root.right)

(inOrder(root))



↳ boxtari dupiri no fhi

bekaii wil orribba abor ett pirof?

L10

mettatahoo

pattatahoo

ebon

ebon

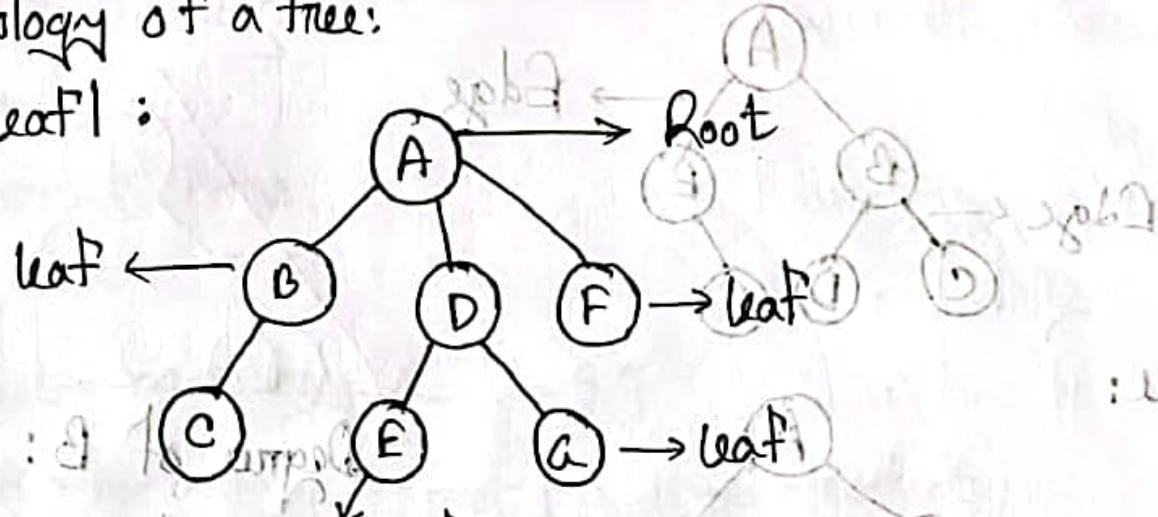
ebon fhi fhi

wlav = stab fib

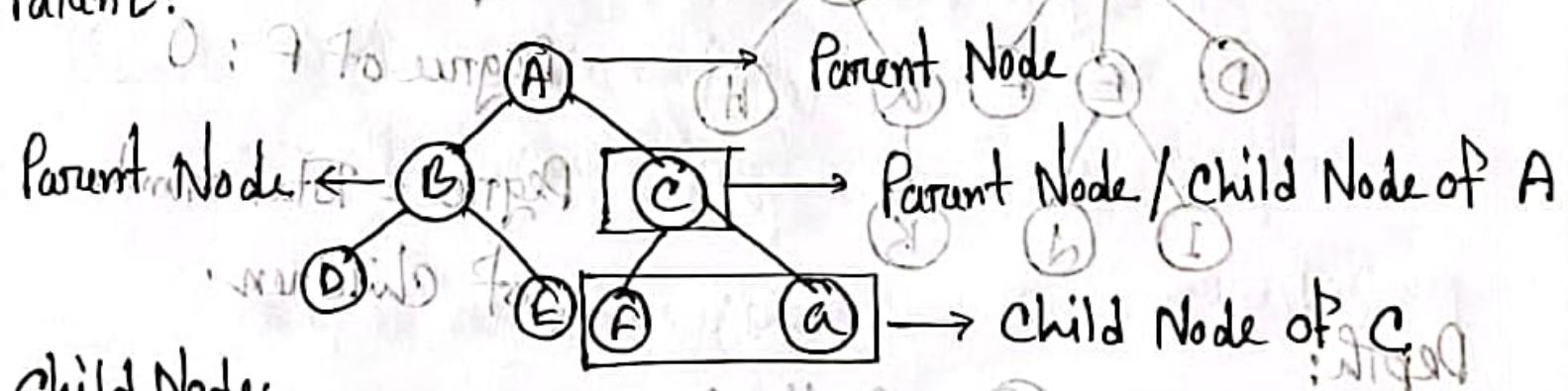
ebon stab fib

Terminology of a tree:

Root / leaf :

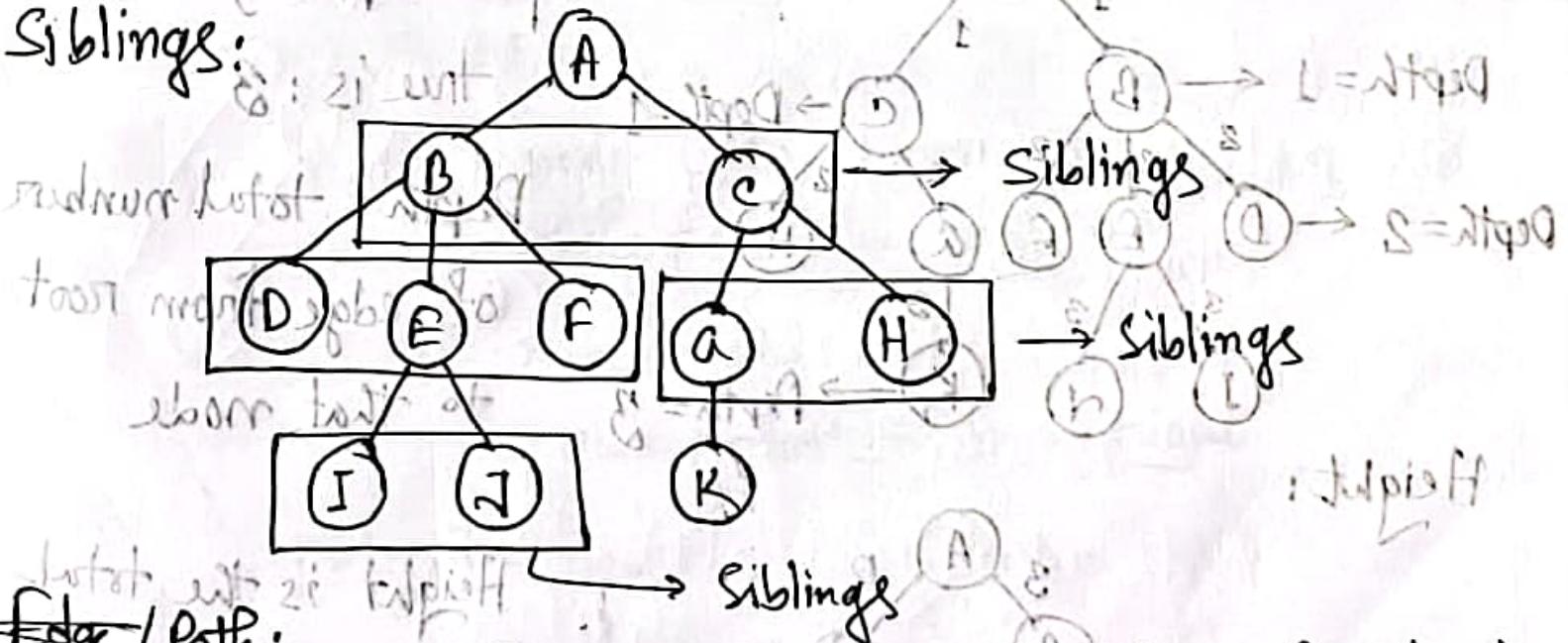


Parent:

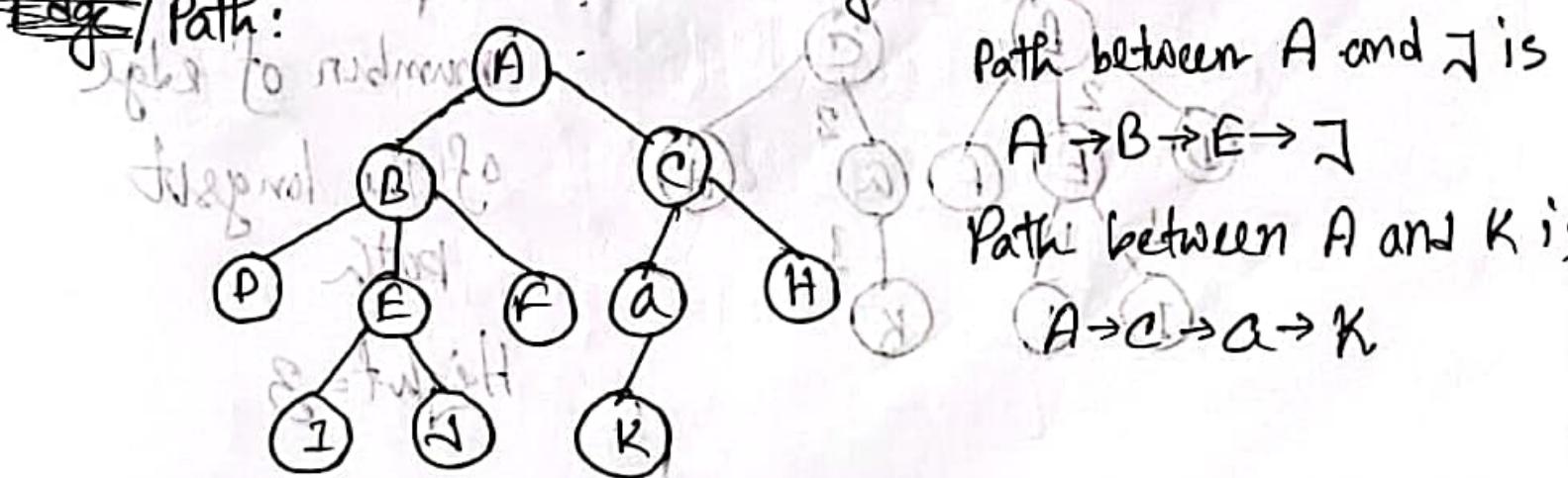


Child Node:

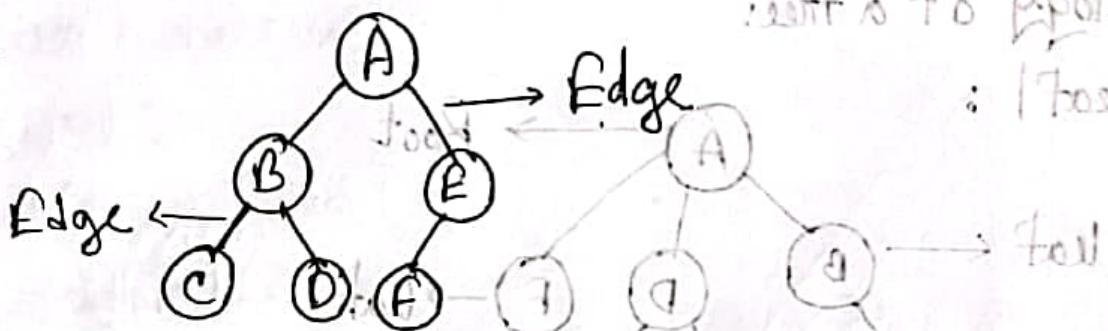
Siblings:



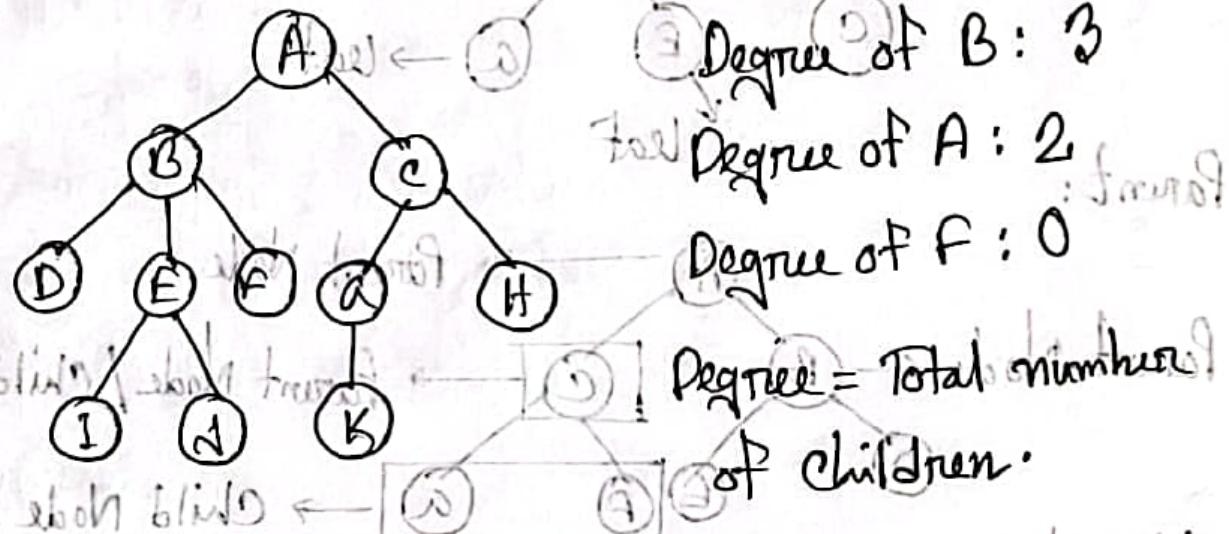
Edge / Path:



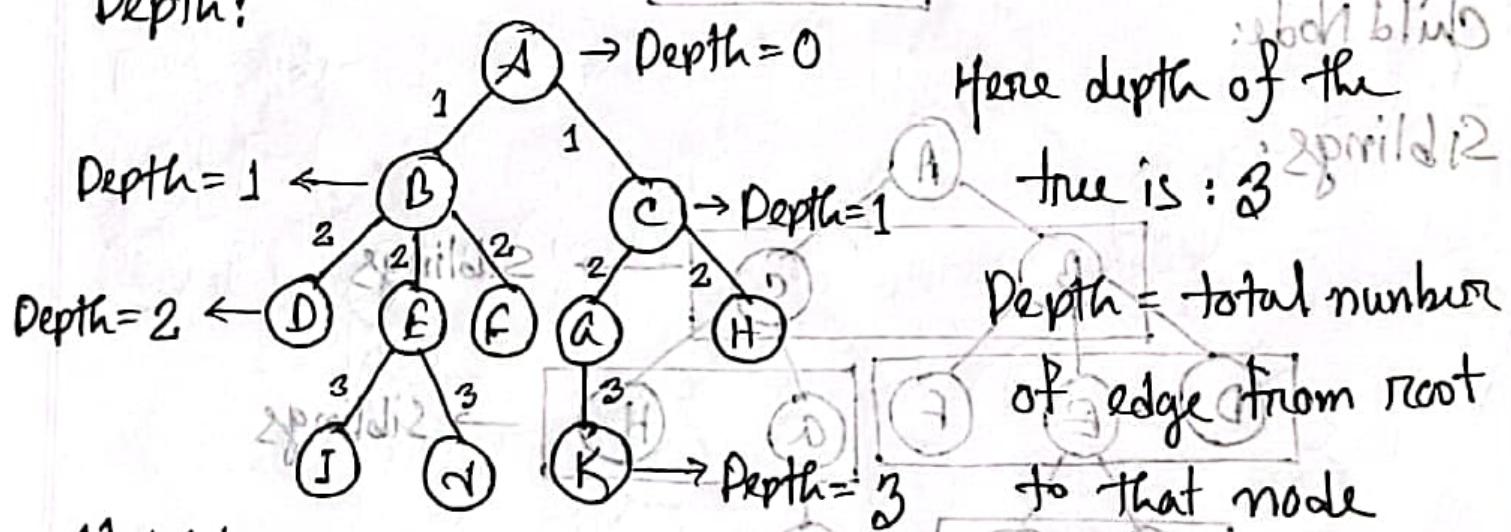
Edge:



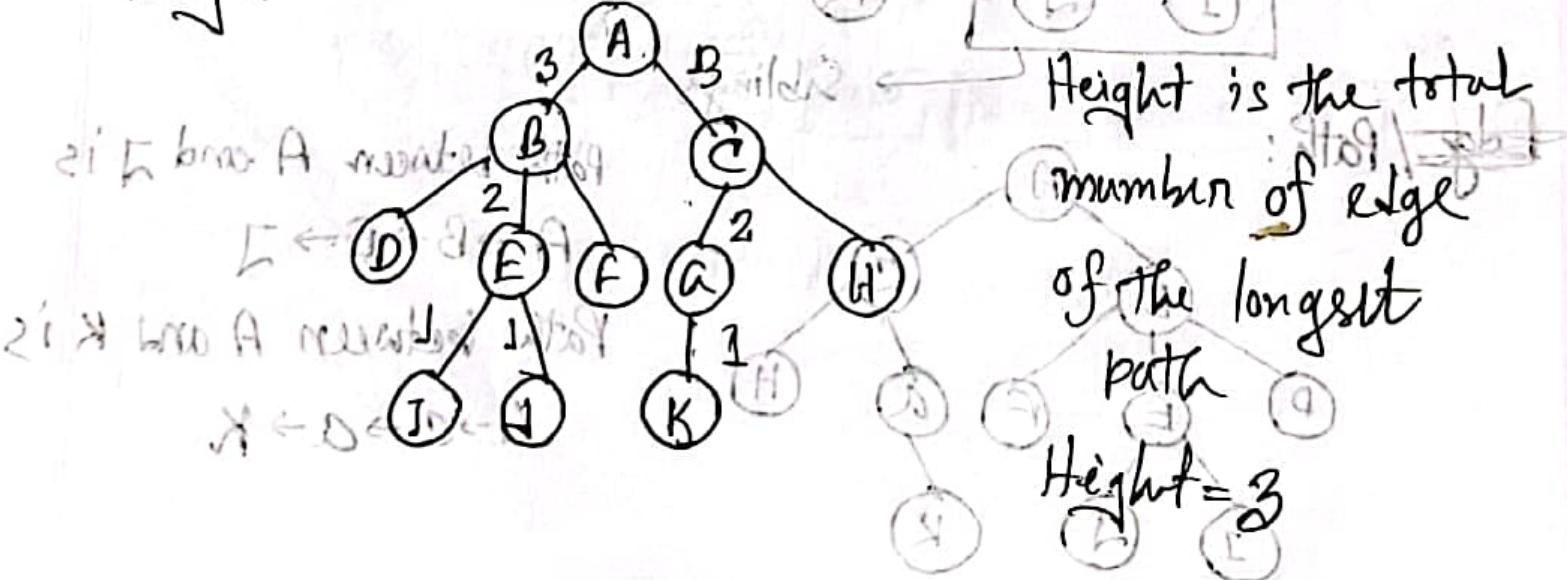
Degree:



Depth:



Height:



Level Order Traversal

```
def LOT (root):
    if root is None:
        return []
```

result = np.array ([]) : (root) rubnOng Lib

queue = np.array ([root], dtype=object)

start = 0

while start < len(queue):

size = len(queue) - start

for i in range(size):

node = queue[start]

start += 1

if node.left:

queue [start] = node.left

if node.right:

queue [start] = node.right

d [start] = node

return d

2. PreOrder Traversal:

res = []

def preOrder(root):

global res

if not root:

(return)

res.append(root.value)

.preOrder(root.left)

.preOrder(root.right)

preOrder(root)

Java code: static void preOrder

(Node root) {

System.out.println(root.value);

preOrder(root.left);

preOrder(root.right);}

}

o = first2

{ p = b }

return

[first]

first2

first3

first4

first5

first6

first7

first8

first9

first10

first11

first12

first13

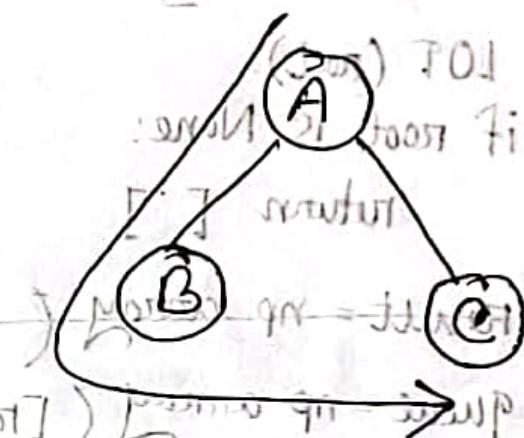
first14

first15

first16

first17

first18



3. postOrder Traversal:

res = []

def postOrder(root):

global res = [first2] wwp

if not root:

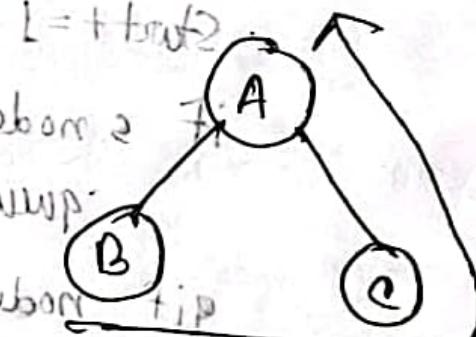
return

postOrder(root.left)

postOrder(root.right)

res.append(root.value)

postOrder(root)



Invert a Binary Tree: [35]

```
def invertTree(root):
```

```
    if not root:
```

```
        return None
```

```
    root.left, root.right = root.right, root.left
```

```
    invertTree(root.left)
```

```
    invertTree(root.right)
```

```
    return root
```

Maximum depth of a Binary tree: [36]

```
def maxDepth(root):
```

```
    if not root:
```

```
        return 0
```

```
    return 1 + max(maxDepth(root.left), maxDepth(root.right))
```

Total number of nodes: Minimum depth of a binary tree [37]

```
def minDepth(root):
```

```
    if root is None: total = float('inf')
```

```
        return 0
```

```
    if root.left is None:
```

```
        return minDepth(root.right) + 1
```

```
    if root.right is None:
```

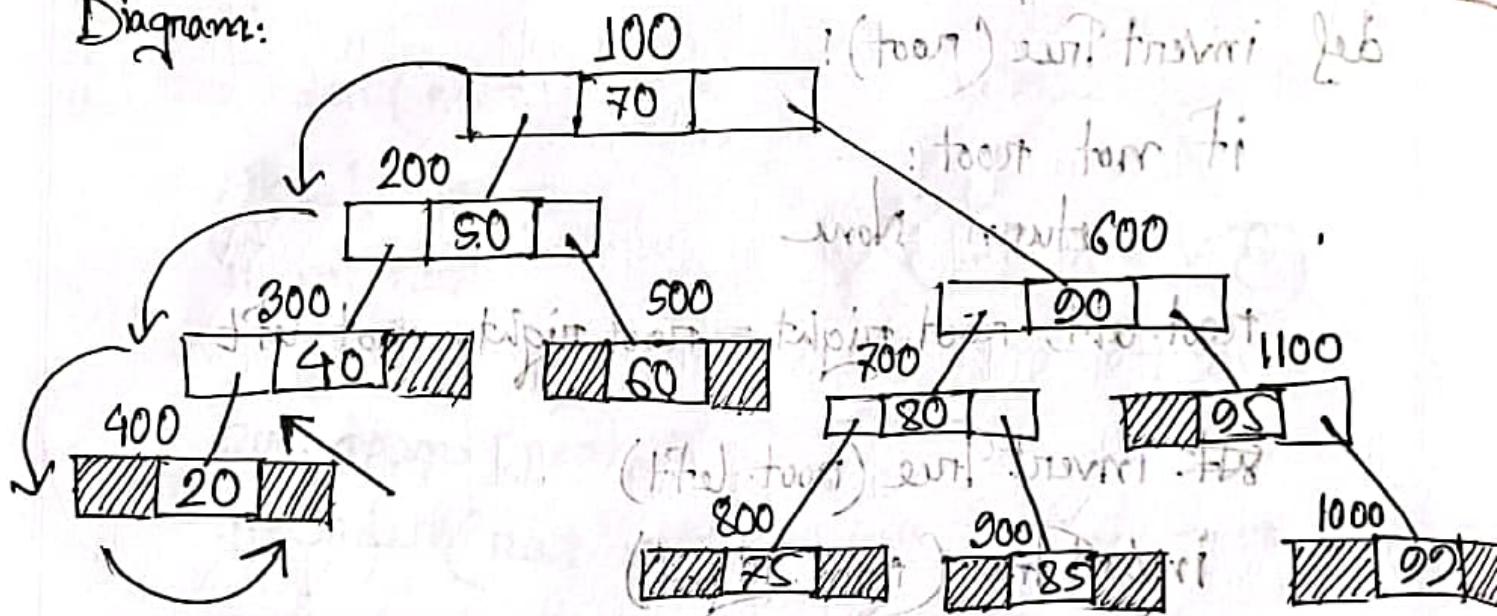
```
        return minDepth(root.left) + 1
```

```
    return min(minDepth(root.left), minDepth(root.right)) + 1
```

```
return min(minDepth(root.left), minDepth(root.right)) + 1
```

F Check if balanced or unbalanced binary tree: [34]

Diagram:



Steps:

1. Depth first search [go to bottom node]
2.
 - a) find the difference of left and right and check either its less than or equal or not
 - b) if true then count the depth with $1 + \max(\text{left}, \text{right})$

def balanced(root):
 if not root:
 return [True, 0]

left = balanced(root.left)
 right = balanced(root.right)

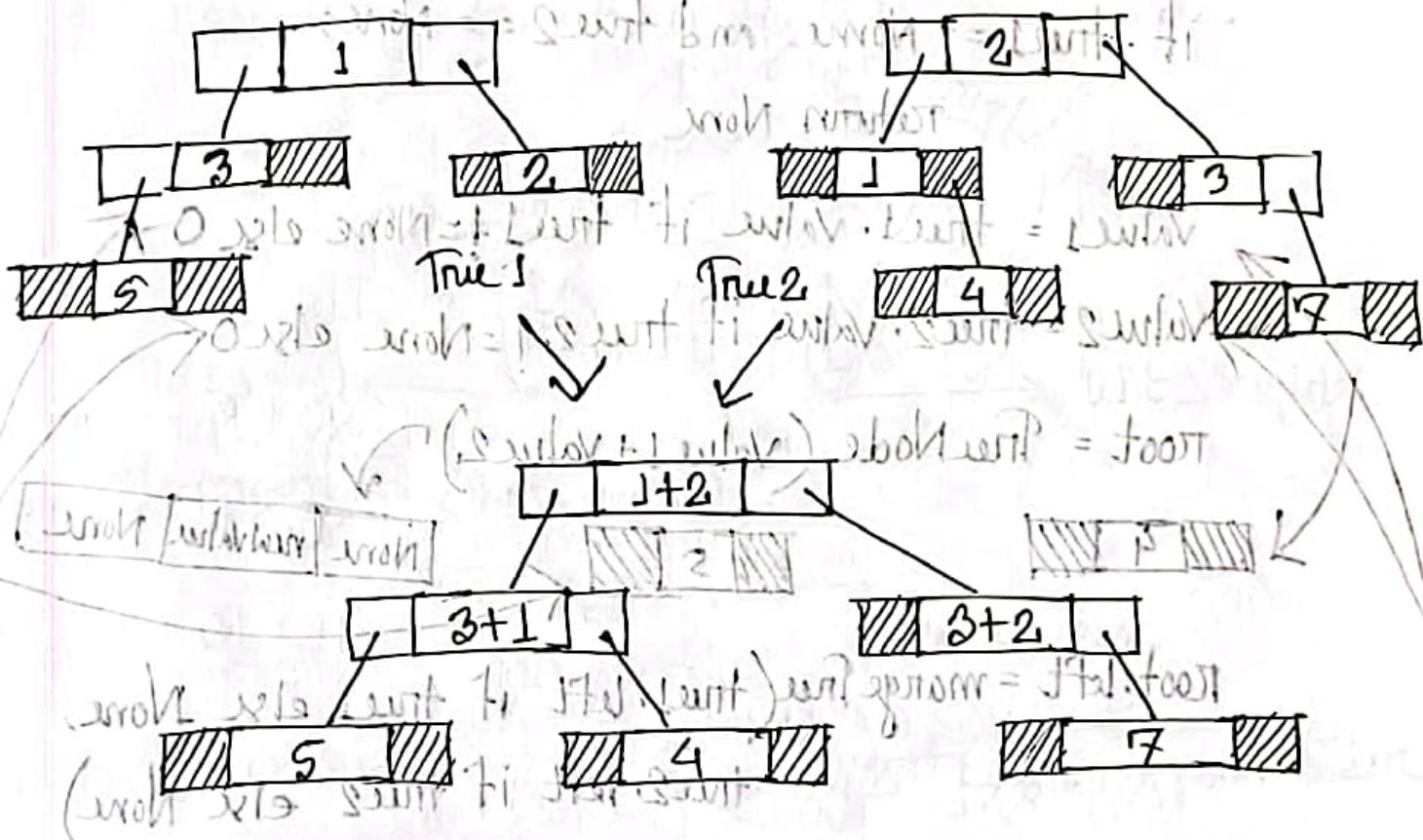
if (check = (left[0] and right[0]) and

(abs(left[1] - right[1]) <= 1)):

return [check, 1 + max(left[1], right[1])]

balanced(root)

8. Merge two binary tree:



Steps:

- if rroot has a valid value then save the values in a variable simultaneously for both trees else save zero.
- Create a new node with the sum of two values.
- recursive call for left and right sub trees:
if left and right have any node then pass the node else pass None.
None will convert into zero in point 1.

def mergeTree(tree1, tree2): [33]

if tree1 == None and tree2 == None:

return None

value1 = tree1.value if tree1 != None else 0

value2 = tree2.value if tree2 != None else 0

root = TreeNode(value1 + value2)

4

5

None newvalue None

root.left = mergeTree(tree1.left if tree1 else None,
tree2.left if tree2 else None)

root.right = mergeTree(tree1.right if tree1 else None,
tree2.right if tree2 else None)

return root

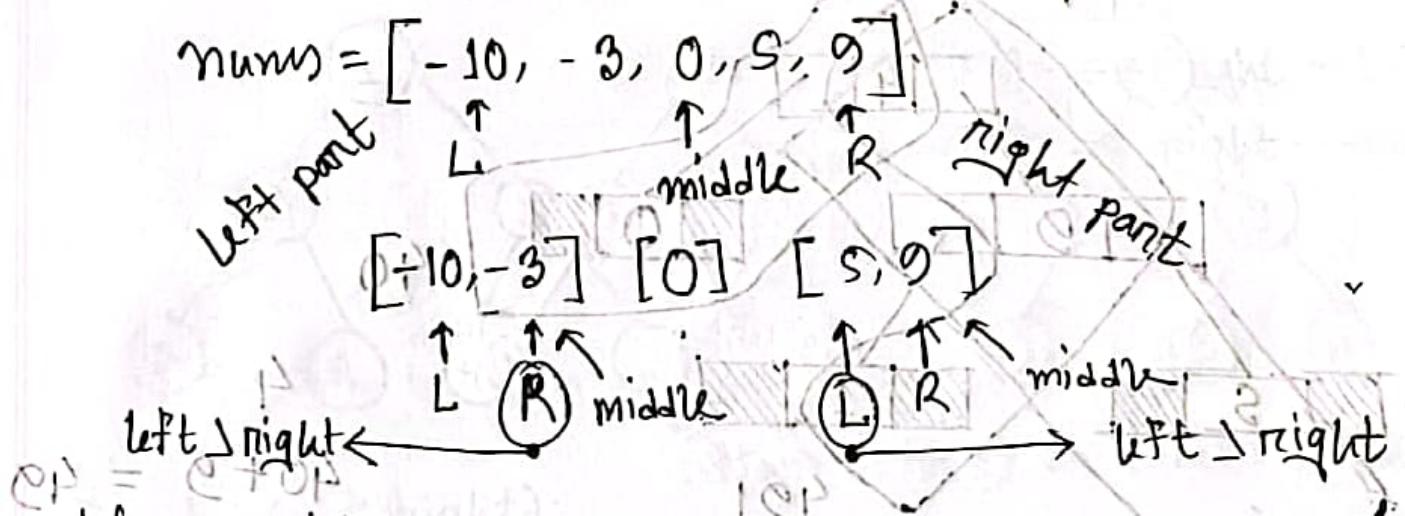
3

2

1

3

Q. Convert sorted Array into a binary search tree:



def convertTree(left, right):

if left > right:

return None

middle = $(left + right) // 2$

rroot = TreeNode(nums[middle])

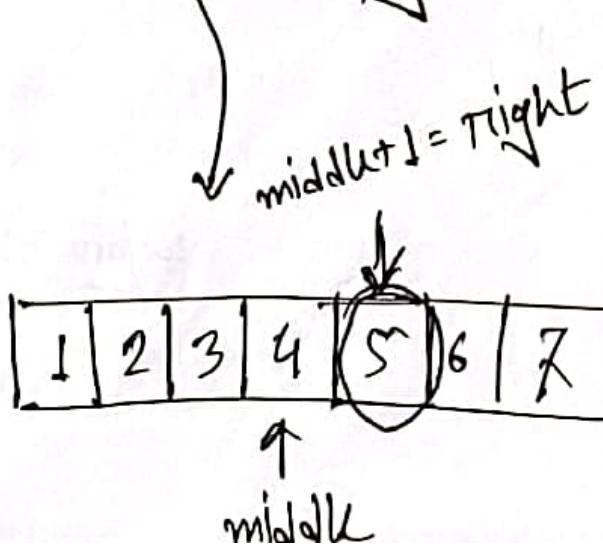
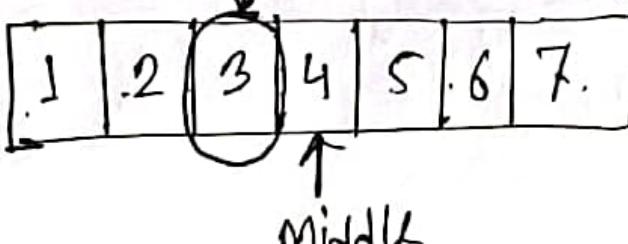
rroot.left = convertTree(left, middle-1)

rroot.right = convertTree(middle+1, right)

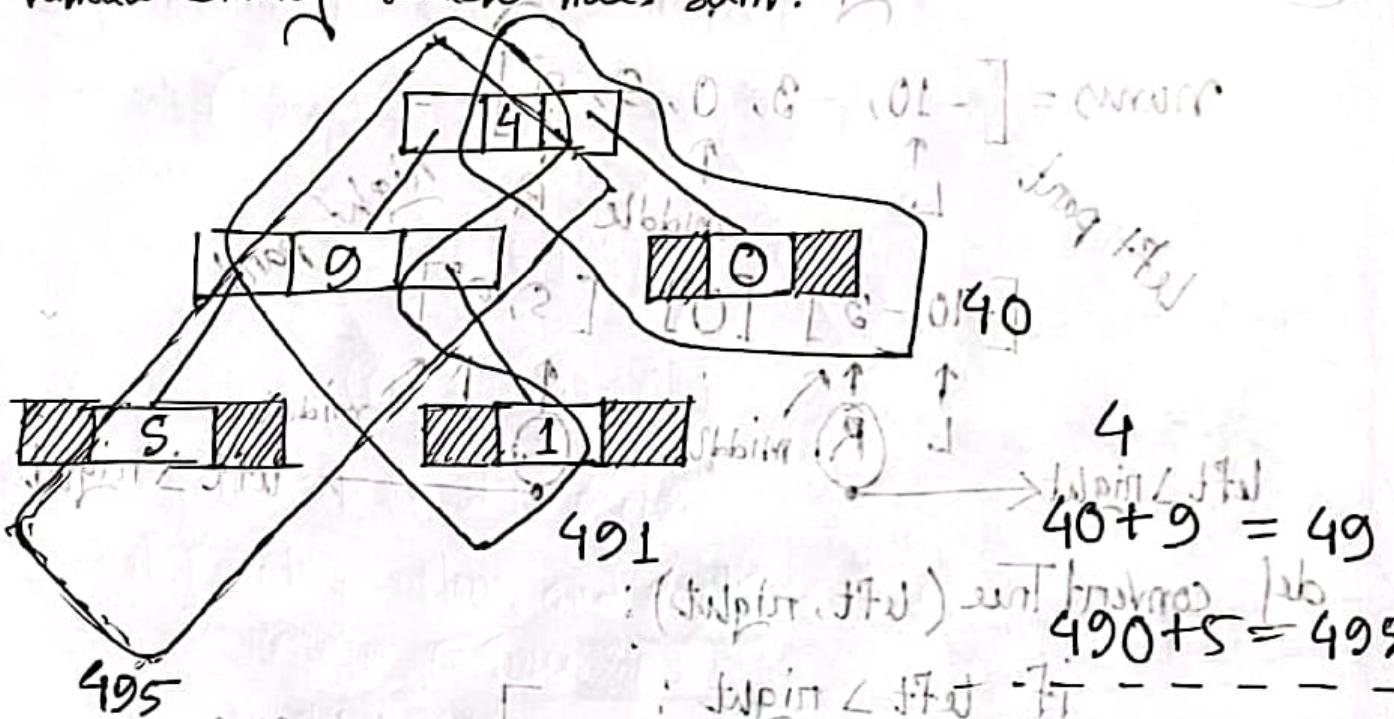
return rroot

ConvertTree(0, len(nums)-1)

middle-1 = right



⑩ Validate Binary Search Tree: Sum: (Validate binary tree)



def sumNumbers (curr, num):
 if curr == None:

return 0

num = num * 10 + curr.val

if not curr.left and curr.right:

return num

{

return sumNumbers (curr.left, num) + sumNumbers (curr.right,

(l - (curr.left), 0)) will traverse

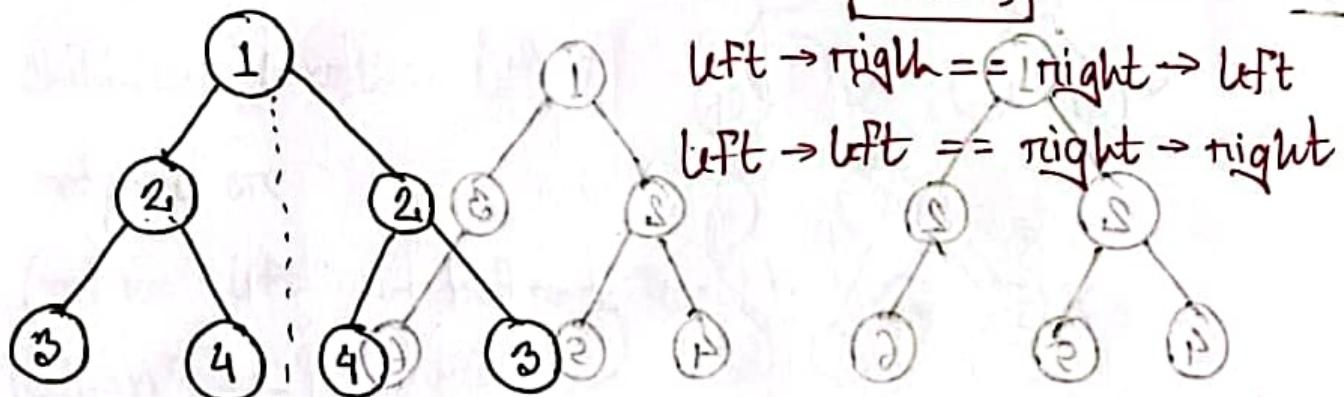
topleft = l - rbbim

8 | 3 | 2 | 1 | 5 | 4 | 6 |

5 | 3 | 2 | 1 | 4 | 6 | 7 |

11. Binary Tree is Symmetric or not: [24]

Values



def dfs(left, right):
 if not left and not right:
 return True

: (left.val == right.val) & (dfs(left.left, right.right) &
 (left.left == right.right) & (left.right == right.left))

(left == right) & (dfs(left.left, right.right) &

(left == right) & (dfs(left.right, right.left))

return ((left.val == right.val)) and

dfs(left.left, right.right) and

dfs(left.right, right.left))

dfs(root.left, root.right)

: not root

def symmetric(root):

if root == None:

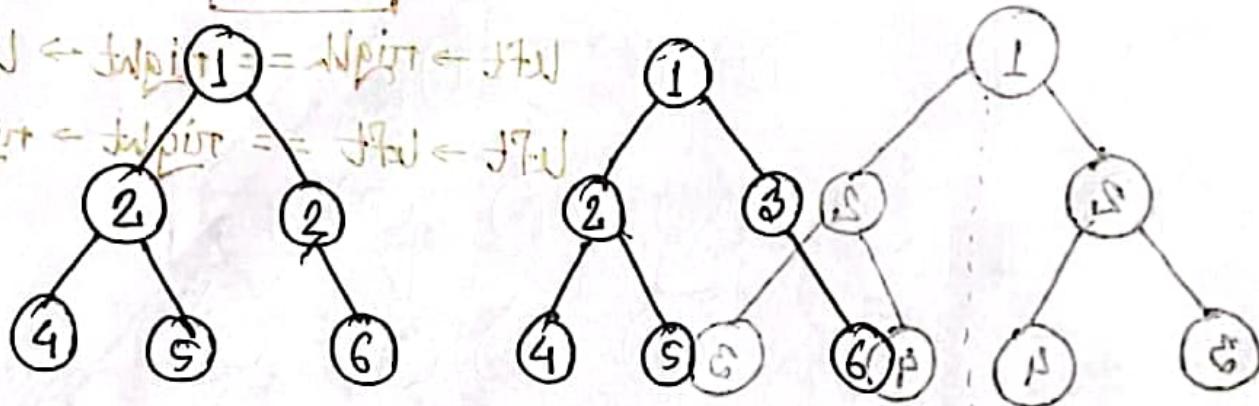
return True

return dfs(root.left, root.right)

12. Identical or not [22] [FSI]: Jumma sistaung 2i est pavid

$f7u \leftarrow f7u$ $f7u = \text{None} \leftarrow f7u$

$f7upr \leftarrow f7upr = f7u \leftarrow f7u$



def is_identical (root1, root2):

if (root1 == None and root2 == None):
 return True
 if (root1 != None and root2 != None and root1.val == root2.val):
 L = is_identical (root1.left, root2.left)
 R = is_identical (root2.right, root1.right)
 if ((L and R) == (True, True)):

return (True, True)

else:

else:

return False.

: (f005) disturbance Feb

: root = f005 Fi

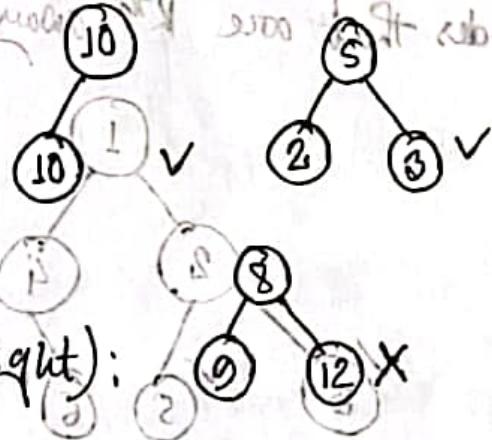
with minf005

(f7upr:f005, f7u:f005) Feb minf005

13. Children Sum property of [23] ~~root~~ ~~max~~ ~~min~~ ~~sum~~ ~~it~~ ~~which~~ ~~is~~ ~~11~~

def child_sum(root):

$\boxed{f = k}$



if not root or

(not root.left and not root.right):

return True

left_value = 0

right_value = 0

if root.left:

left_value = root.left.value ~~value~~ ~~root~~ True

: (1, root) ~~return~~ Feb

: root 2i ~~root~~ fi

return

: 0 == k fi

if root.right:

right_value = root.right.value ~~value~~ ~~root~~ True

if root.value == left_value + right_value ~~(L-S, R-S, root)~~ ~~return~~

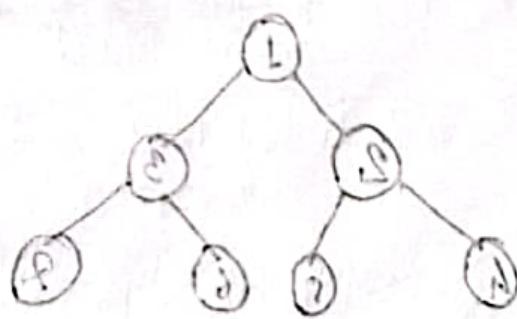
return child_sum(root.left) and child_sum(root.right)

else:

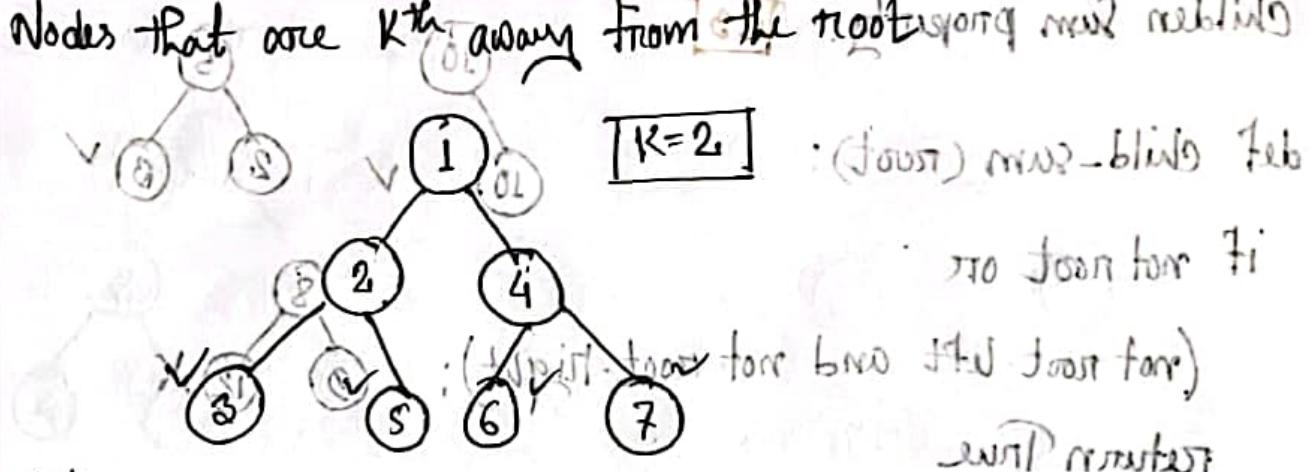
return False

child_sum(root)

L, S, R, P



Q1. Nodes that are Kth away from the root (using max height) S1



def nodesK (root, k):

if root is None:

return

if $k == 0$:

print (root.value).ffl.foan = wolv-tlpj

return

: ffl.foan fi

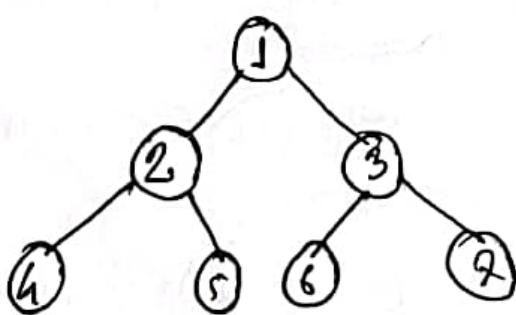
nodesK (root.left, k-1).ffl.foan = wolv-tlpj

nodesK (root.right, k-1)

wolv-tlpj + wolv.flj == wolv.foan fi

(Upst-tox bno fflj foan for) max-blkd remt

A) Print All the ancestors of a key



Key 7: 1, 3 number

key 6: 1, 3

(Joust) max-blkd

key 4: 2, 1

key 5: 2, 1

5. def *ancestors* (root, key):

if root is None:

return false

if root.value == key:

return True

if `ancestors(root, left, key)` or `ancestors(root, right, key)`:

`print(roottkng value)`

return (file, lib) now = file

(tipper shore) river = fjord

find a key in BST

def search (root, key):

while root is not None:

if key > root.key:

~~root = root.left~~

elif key < root.key:

$$\text{root} = \text{root} \cdot \text{left}$$

else: return root {
 if key found }

return None

:~~return None~~ \Leftarrow (~~if J.ebor~~) \times ~~or bne result =~~ (~~if J.ebor~~) Ji

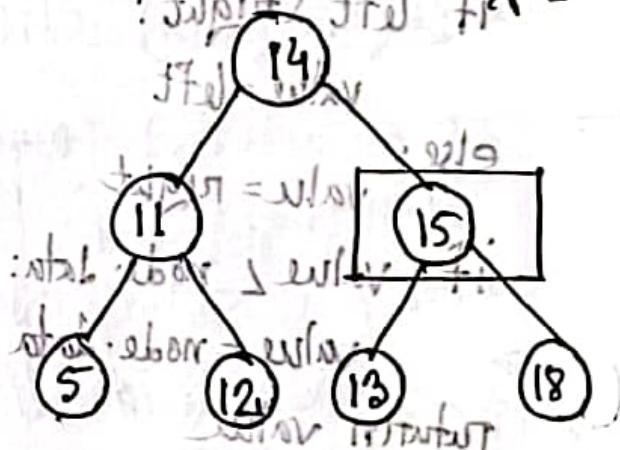
NET NATURE

$\vdash (\text{stab_above} \Delta (\text{bipart_above})) \text{inner_box} \rightarrow \text{width}(\text{bipart_above}) \leq 1$

Digitized by srujanika@gmail.com

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:(abon) T282i 716

71

18. Binary tree to binary search tree Conversion

```
def storeInorder(root, inorder):
```

if root is None:

return

```
storeInorder(root.left, inorder)
```

inorder.append(root.data)

```
storeInorder(root.right, inorder)
```

```
def countNodes(root):
```

if root is None:

return 0

```
return countNodes(root.left) + countNodes(root.right) + 1
```

```
def arrayToBST(arr, root):
```

if root is None:

return

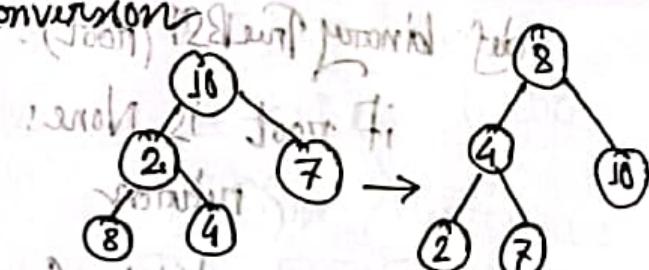
```
arrayToBST(arr, root.left)
```

root.data = arr[0]

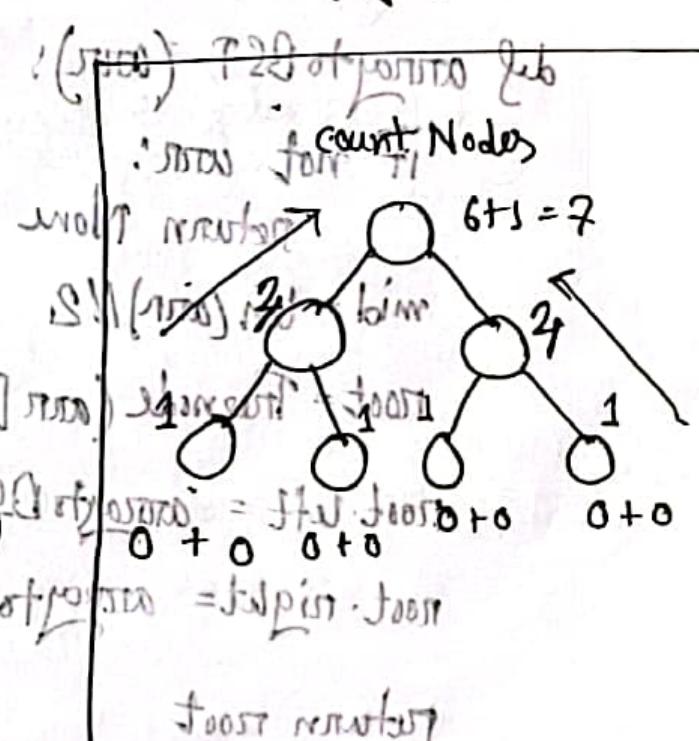
arr.pop(0)

```
arrayToBST(arr, root.right)
```

($[1, 2, 3, 4, 5]$) \rightarrow ($[1, 2, 3, 4]$)



21. Size of a binary tree



Root node

- Count nodes
- Store binary tree value to an array (in inorder)
- Sort the array
- Convert the sorted array to BST [49]

def binaryTreeBST(root):
 if root is None:
 return
 n = countNodes(root)
 arr = []
 storeInorder(root, arr)
 arr, cont()
 arrayToBST(arr, root)

binaryTreeBST(root)

def arrayToBST(arr):
 if not arr:
 f = 0
 mid = len(arr) // 2
 root = TreeNode(arr[mid])
 if root.left:
 root.left = arrayToBST(arr[:mid])
 if root.right:
 root.right = arrayToBST(arr[mid+1:])
 return root

(root, ri) position no of arr with journal note
 [ef] T2Q of journal note 1
 [ef] T2Q of journal note 2
 [ef] T2Q of journal note 3
 [ef] T2Q of journal note 4

18. Find the node with minimum value in BST
19. Get the level of the node in Binary tree: (Input: 10, 15, 20, 25, 30, 35, 40, 45, 50, 55, 60, 65, 70, 75, 80, 85, 90, 95, 100) Level 0
 10
 / \ 15
 15 20
 / \ / \ Level 1
 20 25 25 30
 / \ / \ / \ / \ Level 2
 25 30 35 40 40 45 50
 / \ / \ / \ / \ / \ / \ / \
 35 40 45 50 55 60 65 70
 / \ / \ / \ / \ / \ / \ / \ / \
 40 45 50 55 60 65 70 75
 / \ / \ / \ / \ / \ / \ / \ / \
 50 55 60 65 70 75 80 85
 / \ / \ / \ / \ / \ / \ / \ / \
 60 65 70 75 80 85 90 95
 / \ / \ / \ / \ / \ / \ / \ / \
 70 75 80 85 90 95 100 100
- ```

def get_level(root, target, level=0):
 if root is None:
 return -1
 if root.value == target:
 return level
 left_level = get_level(root.left, target, level+1)
 if left_level != -1:
 return left_level
 return get_level(root.right, target, level+1)

```
20. Diameter of a binary tree:
- ```

def height(root):
    if root is None:
        return 0
    return 1 + max(height(root.left), height(root.right))
  
```
- ```

def diameter(root):
 if root is None:
 return 0
 L = height(root.left)
 R = height(root.right)
 dL = diameter(root.left)
 dR = diameter(root.right)
 return max(L+R+1, max(dL, dR))

```

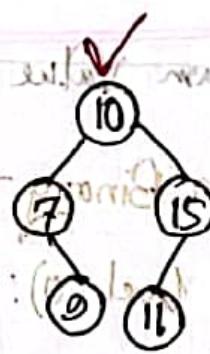
25. foldable Binary tree:

def mirror(left, right):

if left is None and

right is None:

return True



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27 Perfect Binary tree: A binary tree where every node has either zero or two children.

def depth (node):

(Training Level Report Form) Unit 26

:38604721 Joom Bi

while depth is node is not None:

depth+=1

Japwot == Joorr Ti

node = node.left() having visitors

(~~return~~) : ~~return~~

def printet (root, depth, level=0):

if root.left is None and root.right is None: if  
return depth + 1 + left + right

if (root.left is None or root.right is None) is None:

return false

return (perfect (root-left, depth, level+1)) and  
return (perfect (root-right, depth, level+1))

( $\text{msh}, \text{O}_{\text{Slope}}, \text{foot})$  drift = Slevel, Strata

def check\_perfect(root):

$$N_{\text{depth}} = \text{depth}(\text{root})$$

return parent(root, depth) {  
    if (root == null) return null;  
    if (depth == 0) return root;  
    return parent(parent(root.left), depth - 1);  
}

28. Check if two nodes are cousin nodes or not.

@ two nodes are at the same level  
 ⑥ different parents

def find (root, target, level, parent):

if root is None:
 return None, 0
 if root == target:
 return parent, level
 pL, Llvl = find (root.left, target, level+1, root)
 if parent != pL:
 return pL, Llvl
 return find (root.right, target, level+1, root)

def are\_cousin (root, node1, node2):

parent1, level1 = find (root, node1, 0, None)
 parent2, level2 = find (root, node2, 0, None)
 return level1 == level2 and parent1 != parent2

29

Lowest Common Ancestor in a Binary tree

def LCA(root, n1, n2):

if root is None:

return None

if root.value == n1 or root.value == n2:

return root

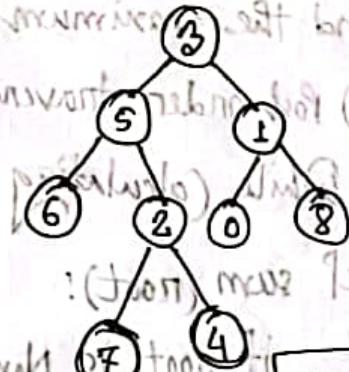
left = LCA(root.left, n1, n2)

right = LCA(root.right, n1, n2)

if left and right:

return root

return left if left is not None else right



LCA of 3 and 8 is 5  
LCA of 7 and 4 is 2

30

find the distance between two nodes in a Binary tree

① find the Lowest Common Ancestor [29]

② find the distance from LCA to each node [19]

③ sum of the distances from the LCA to each node [30]

def distance(root, n1, n2):

lca = LCA(root, n1, n2)

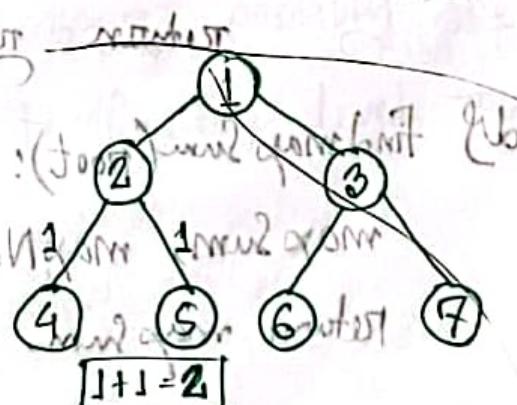
if lca is None:

return -1

d1 = get\_level(lca, n1, 0)

d2 = get\_level(lca, n2, 0)

return d1 + d2



$$1+1=2$$

31. Find the maximum sum of a subtree in a binary tree.
- (a) Post order traversal to calculate the sum of a subtree.
  - (b) While calculating keep track the maximum sum
- def sum( $\text{root}$ ):  
    if root is None:  
        return 0, None  
    left sum, left Node = sum( $\text{root.left}$ )  
    right sum, right Node = sum( $\text{root.right}$ )  
    current sum =  $\text{root.data} + \text{left sum} + \text{right sum}$   
    if left Node is None:  
        if current sum > left sum, and current sum > right sum:  
            return current sum,  $\text{root}$   
        else if left sum > right sum:  
            return left sum, left Node  
        else:  
            return right sum, right Node
- def findmaxSum( $\text{root}$ ):  
    maxSum, maxNode = sum( $\text{root}$ )  
    return maxSum, maxNode.data
- maxSum, maxNode Data = findmaxSum( $\text{root}$ )

32. flip a binary tree clockwise:

- ① Identify the left most node.
- ② Recursive call

def flip (root):

if root is None or (root.left is None and root.right is None):  
    return root

new\_root = flip (root.left)

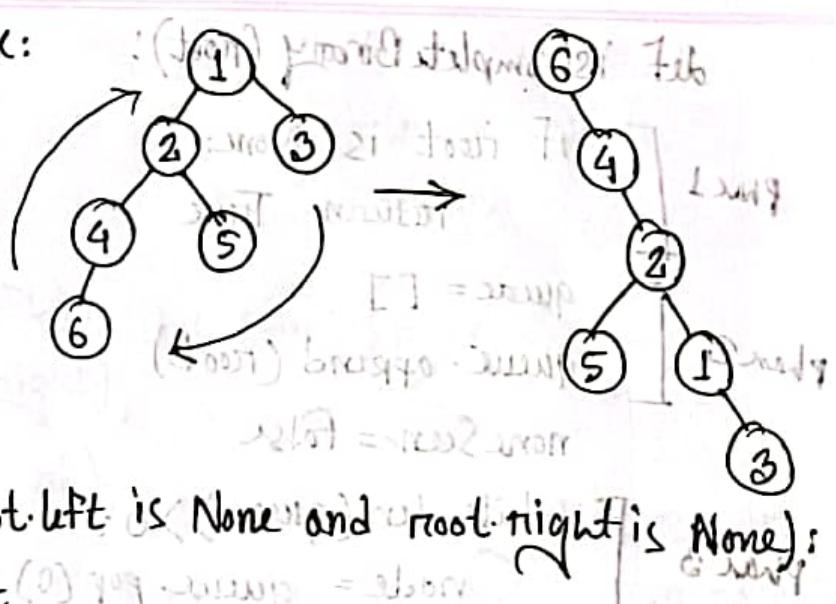
root.left = left = root.right

root.left.right = root

root.left = None

root.right = None

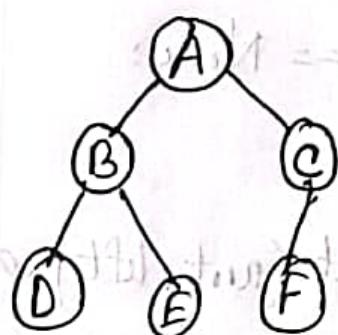
return new\_root



38.

Complete binary tree:

A complete binary tree, every level except possibly the last is completely filled and all nodes in the last level are as far left as possible.



def isCompleteBinary (root):

: check if all nodes with parent are left

phase 1 [if root is None:  
return True]

team tree left profitable ①

phase 2 [queue = []  
queue.append (root)]

abor

noneSeen = False

:(root) profit 26

: len(queu) > 0 : if J.J.foott no wall 2i foott fi

phase 3 [node = queue.pop(0) foott minbot

if node == None:

noneSeen = True

(J.J.foott) profit = foott curr

else:

J.J.foott = J.J.foott

if noneSeen == True curr = J.J.foott

return False

curr = J.J.foott

queue.append (node.left)

curr = J.J.foott

queue.append (node.right)

curr curr is minbot

return True

with parent already

27. Perfect Binary tree:

and have . with parent already &

def isPerfect (root): ni aborr the bmo built j.J.Ngmo i

if root == None:

. J.J. not

return True

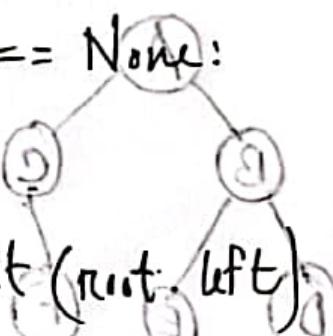
elif root.left == None and root.right == None:

return True

else:

return isPerfect (root.right) and isPerfect (root.left), and

height (root.left) == height (root.right)



```
def height (root):
 if root == None:
 return -1
```

else:

lh = height (root.left)

rh = height (root.right)

return 1 + max (lh, rh)

39. Full Binary Tree:

```
def fullBinary (root):
```

if root is None:

return True

if root.left is None and root.right is None:

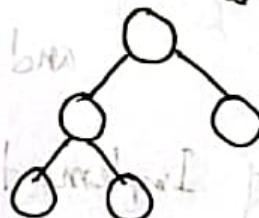
return True

if root.left != None and root.right != None:

return fullBinary (root.left) and

fullBinary (root.right)

return False



either two

or no children

7. def isBalanced (root):

if root == None:

return True

else:

lh = height (root.left)

rh = height (root.right)

return abs(lh - rh) <= 1 and isBalanced (root.left)

and isBalanced (root.right)

40. Array Implementation

tree = [None]\*20

def left (i):

return 2\*i+1

def right (i):

return 2\*i+2

def parent (i):

return (i-1)/2

def buildTree (tree, root, i):

if root != None:

tree[i] = root.data

buildTree (tree, root.left, left(i))

buildTree (tree, root.right, right(i))

buildTree (tree, root, 0)

print (tree)

#### 41. Tree Implementation:

tree = [1, 2, 3, 4, 5, 6, 7, 8, None, None, 9, 10, 11, 12]

def TreeBuild (tree, i):  
 if i < len (tree):  
 if i >= len (tree):  
 if

def TreeBuild (tree, i):

if i < len (tree):

if tree[i] == None:

return None

else:

root = BNode (tree[i]). root

L = buildTree (tree, left[i]). left

R = buildTree (tree, right[i]). right

root.addLeft(L). left = + self.left

(self.left, self.right, self.root). parent = self.parent

return root

root = buildTree (tree, 0)

```
def addleft(self, node):
```

```
 self.left = node
```

```
def addright(self, node):
```

```
 self.right = node
```

```
def left(i):
```

```
 return 2*i+1
```

```
def right(i):
```

```
 return 2*i+2
```

Merge two binary tree:

```
def merge(tree1, tree2):
```

```
 if not tree1:
```

```
 return tree2
```

```
 if not tree2:
```

```
 return tree1
```

```
 tree1.value += tree2.value
```

```
 tree1.left = merge(tree1.left, tree2.left)
```

```
 tree1.right = merge(tree1.right, tree2.right)
```

# 1. n Binary Search Tree

1. To BST is searching b/w

```
def search(root, key):
 if key == root.value:
 return root
```

```
else:
 if key < root.data:
```

```
 if root.left == None:
 return root
```

```
 else:
 return search(root.left, key)
```

return search(root.left, key)

else:

if root.right == None:

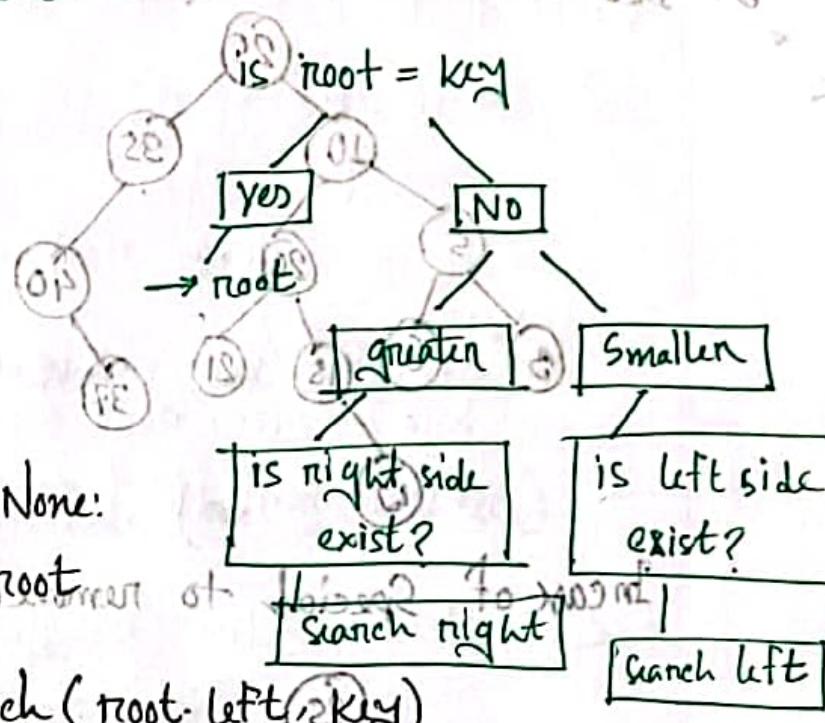
return root

else:

return search(root.right, key)

2. Insertion

```
def insert(root, key):
 if root == None:
 return BNode(key)
 node = search(root, key)
 if node and node.data == key:
 return
 n_node = BNode(key)
 if key < node.data:
 node.addLeft(n_node)
 else:
 node.addRight(n_node)
 return root
```



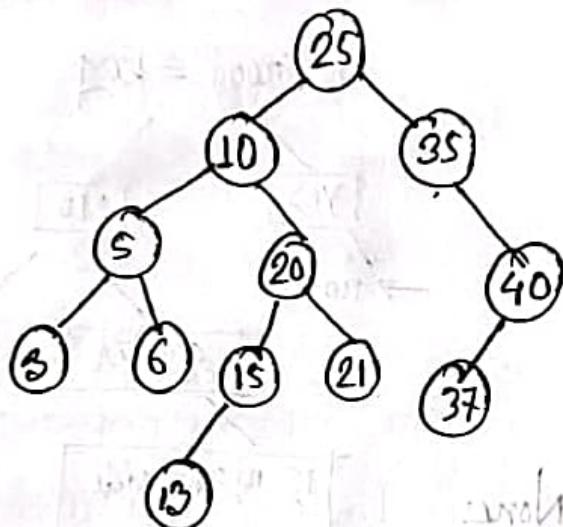
def addLeft(self, node):

self.left = node

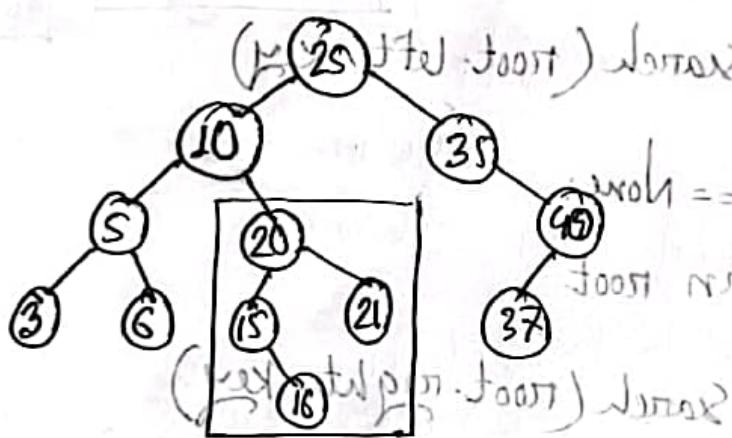
def addRight(self, node):

self.right = node

### 3. Deletion:



In case of Special to remove 10



Case 1:

Deleted Node is Leaf  
then just delete the node.

Case 2:

Not leaf and have one child. then delete the node and connect the child to its grandparent.

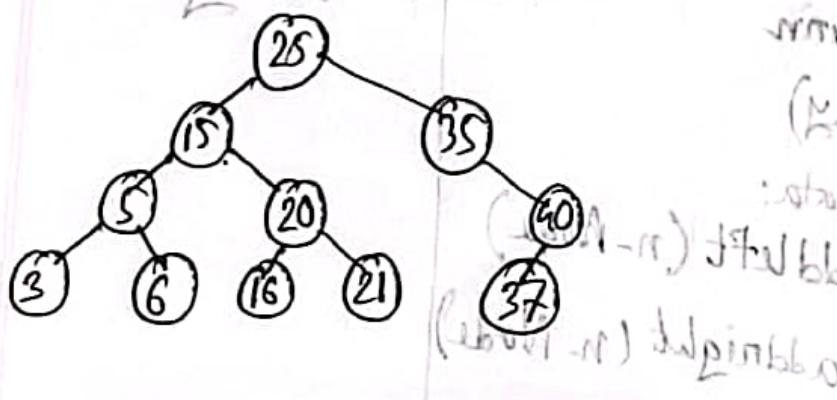
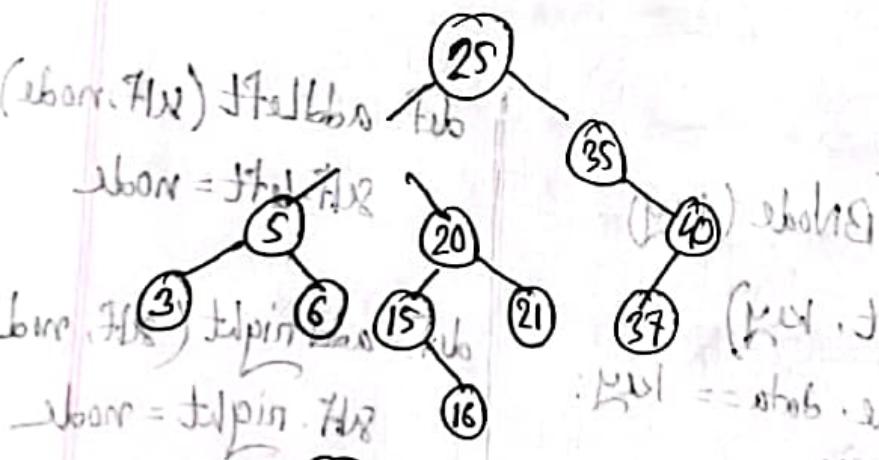
case 3:

Not leaf and had 2 children. then delete the node and

(a) choose the max value from the left subtree

(b) choose the min value from the right subtree

Either replace with this or replace with this



```
def deleteNode (root, key):
```

```
 if root == None:
```

```
 return None
```

```
 if root < root.data:
```

```
 if key < root.data:
```

```
 root.left = deleteNode (root.left, key)
```

```
 elif key > root.data:
```

```
 root.right = deleteNode (root.right, key)
```

```
 else:
```

```
 if root.left == None:
```

```
 return root.right = root.right
```

```
 if root.right == None:
```

```
 return root.left = getSuccessor (root)
```

Pre-decessor

```
successor = getSuccessor (root)
```

```
root.data = successor.data
```

```
root.left = deleteNode (root.right, successor.data)
```

```
return root
```

```
def getSuccessor (root):
```

```
curr = curr.right
```

curr = curr.left

```
while curr is not None and curr.left = None:
```

```
curr = curr.right
```

curr = curr.right

```
return curr
```

```
(curr, left, right) T28b1102 = tipi - root
```

drop next up

#### 4. Balanced BST:

```
def balancedBST(root):
```

```
 if root == None:
```

```
 return root
```

```
 array = []
```

```
 stoneInorder(root, array)
```

```
 return sortedBST(array, 0, len(array)-1)
```

```
→ def stoneInorder(root, array):
```

```
 if root == None:
```

```
 return
```

```
 stoneInorder(root.left, array)
```

```
 array.append(root.data)
```

```
 stoneInorder(root.right, array)
```

```
def sortedBST(array, start, end):
```

```
 if start > end:
```

```
 return None
```

```
 mid = (start + end) // 2
```

```
 root = BTNode(array[mid])
```

```
 root.left = sortedBST(array, start, mid-1)
```

```
 root.right = sortedBST(array, mid+1, end)
```

```
 return root
```

Sum of ~~the~~<sup>inorder</sup> ~~K~~<sup>th</sup> smallest elements of a BST is out for ~~now~~<sup>T2D</sup> ②  
 def ~~inorder~~<sup>inorder</sup>(node, ~~k~~<sup>key</sup>, K, result): ~~None~~<sup>None</sup> ~~None~~<sup>None</sup> ~~None~~<sup>None</sup>  
 if node == None or len(result) == K:  
 return  
 (1. ~~return~~<sup>return</sup>, 2. ~~return~~<sup>return</sup>) ~~None~~<sup>None</sup>  
 inorder(node.left, ~~(k, result)~~<sup>(K, result)</sup>) ~~None~~<sup>None</sup>  
 if len(result) < K: ~~return~~<sup>return</sup> result  
 result.append(node.value) ~~None~~<sup>None</sup> ~~None~~<sup>None</sup>  
 inorder(node.right, K, result) ~~None~~<sup>None</sup>  
 def KthSum(root, K): ~~(None, None, None)~~<sup>(None, None, None)</sup>  
 result = [] ~~(None, None)~~<sup>(None, None)</sup>  
 inorder(~~root~~<sup>root</sup>, K, result) ~~None~~<sup>None</sup>  
 countSum(result) ~~None~~<sup>None</sup> T2D  
~~None~~<sup>None</sup> ~~None~~<sup>None</sup>  
 countSum(result); index = 0 ~~None~~<sup>None</sup> T2D-2i  
 if index == len(result):  
 return 0 ~~None~~<sup>None</sup> T2D-2f  
 return result[index] + countSum(result, index+1) ~~None~~<sup>None</sup>  
~~None~~<sup>None</sup> ~~None~~<sup>None</sup>  
~~None~~<sup>None</sup> ~~None~~<sup>None</sup>

⑥ Check if two BST have the same set of elements

def checkElem(bst1, bst2): ~~(if not None)~~ fib

result1 = [ ] ~~(if not None)~~ and no such == None fib

result2 = [ ] ~~(if not None)~~

inorder(bst1, result1)

inorder(bst2, result2) ~~(if not None)~~ subproblem

return result1 == result2 ~~(if not None)~~ fib

def inorder(node, result): ~~(if not None)~~ bugfix. fib

if node == None: ~~(if not None)~~ subproblem  
return

inorder(node.left, result) : (l, root) and not fib

result.append(node.value) [ ] = fib

inorder(node.right, result) ~~(if not None)~~

⑦ BST check

def is-BST(node, left=-999999, right=999999): ~~(if not None)~~ and true

if node is None: ~~(if not None)~~ and true fib true  
return True

if not (left < node.value < right): ~~(if not None)~~ fib false

return False

~~(if not None)~~ and true). + [ ] fib true remaint

return is-BST(node.left, left, node.value) and

is-BST(node.right, node.value, right)

7) find the distance between two nodes in a BST

def find\_distance(root, a, b):  
    if a > b:  
        a, b = b, a  
    return nodeDistance(root, a, b)

def nodeDistance(root, a, b):  
    if root is None:  
        return 0  
    if root.data > b:  
        return nodeDistance(root.left, a, b)  
    if root.data < a:  
        return nodeDistance(root.right, a, b)  
    return nodeDistance(root.left, a, b) + nodeDistance(root, b)

def rootDistance(root, x):  
    if root is None:  
        return 0  
    if root.data == x:  
        return 0  
    elif x < root.data:  
        return 1 + rootDistance(root.left, x)  
    else:  
        return 1 + rootDistance(root.right, x)

Remove all the leaf nodes from the BST

```
def leafDelete(root):
 if root == None:
 return None
 if (root.left == None) and (root.right == None):
 return None
 root.left = leafDelete(root.left)
 root.right = leafDelete(root.right)
```

Find a key in BST

```
def search(root, key):
 if root is None or root.value == key:
 return root
```

if key > root.value:

```
 return search(root.right, key)
```

```
return search(root.left, key)
```

```
(X, HU, toos) & nati(Toos) + 1, nati
```

```
(X, HU, toos) & nati(Toos) + 1, nati
```

10. Height Balanced Binary Search Tree:

11. LCA of a binary search tree:

def LCA (root, a, b):

if not root:

    return None

if (a.val > root.val) and (b.val > root.val):

    return LCA (root.right, a, b)

elif (a.val < root.val) and (b.val < root.val):

    return LCA (root.left, a, b)

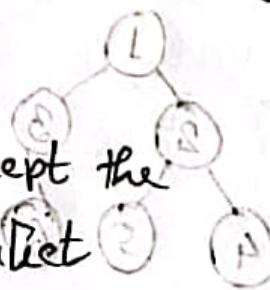
else:

    return root

- (A) Complete Tree
  - (B) Max / Min heap
  - (C) All the levels except the last one must be perfect

# HEAP

~~short~~ Ordered. True

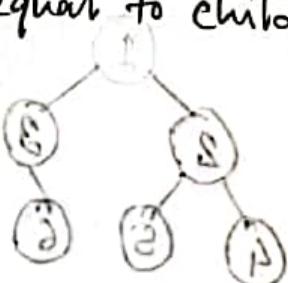


## MAX HEAP

parent is greater than  
or equal to child

## MIN HEAP

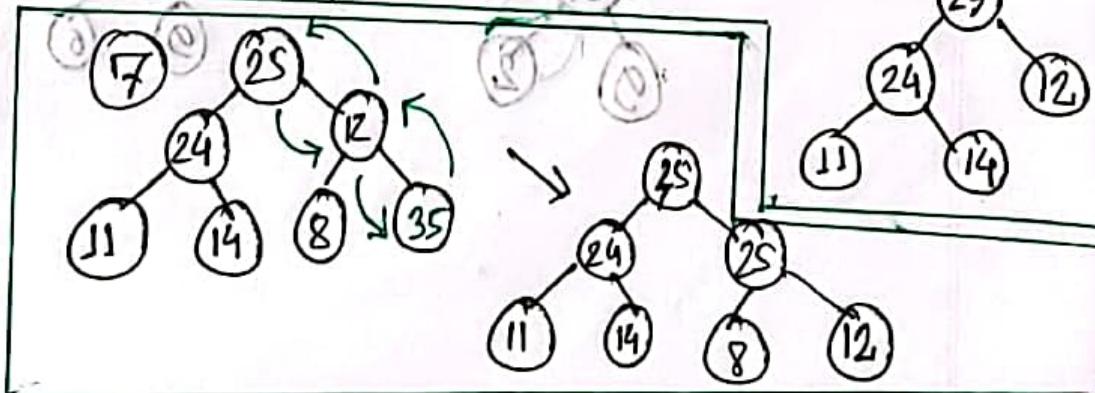
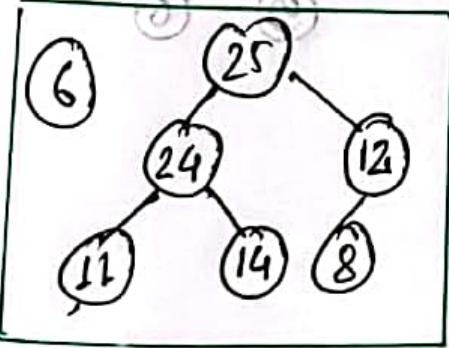
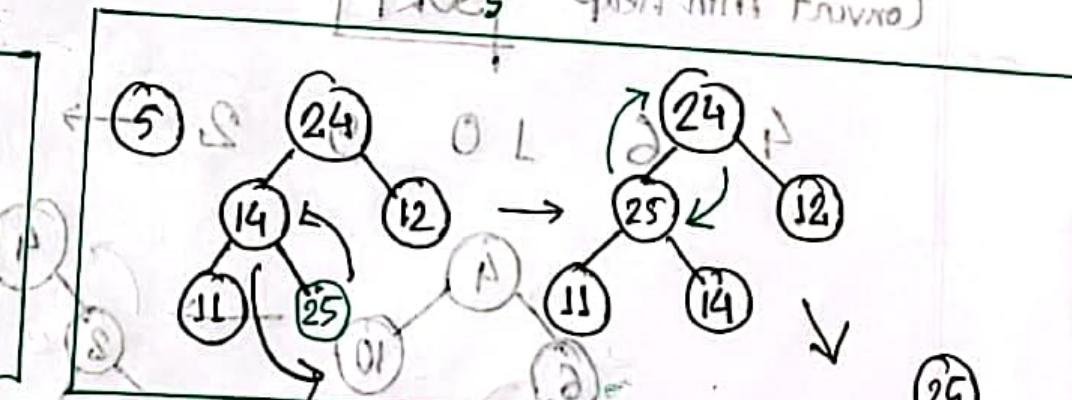
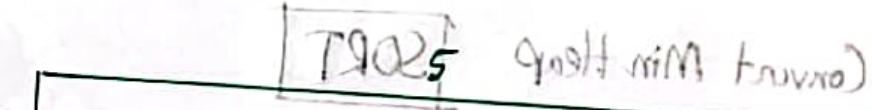
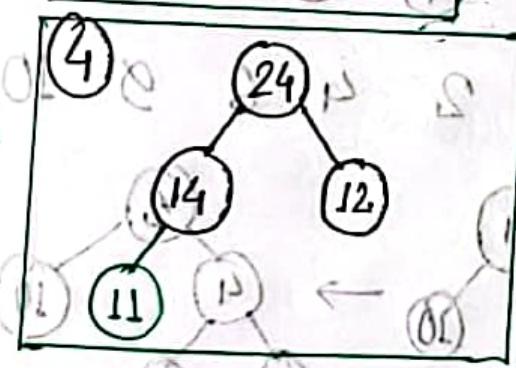
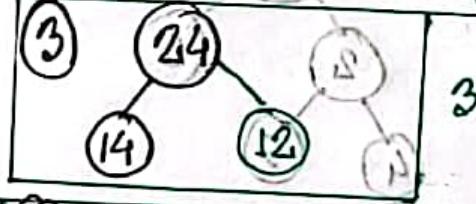
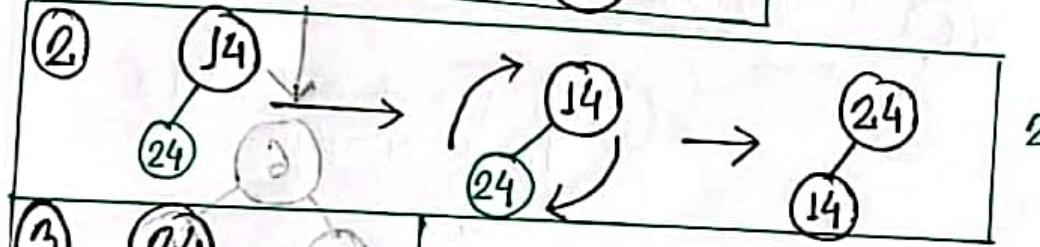
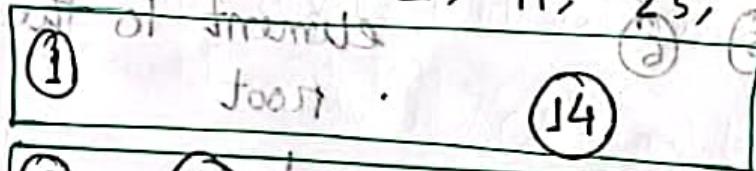
parent is less than or equal to child

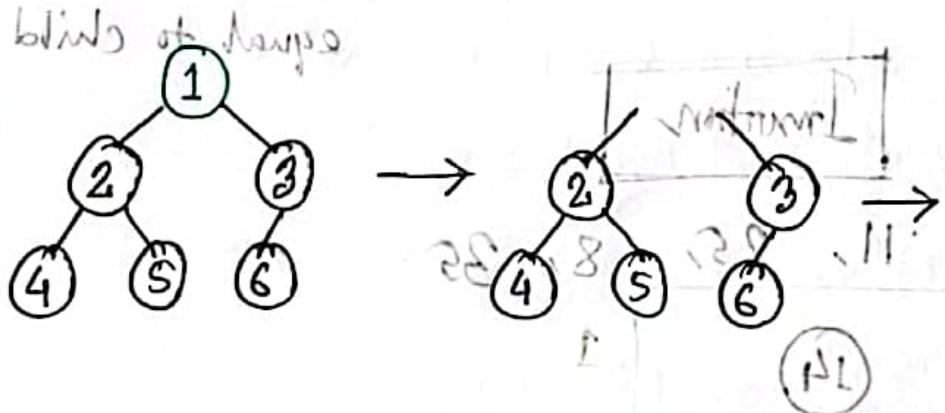
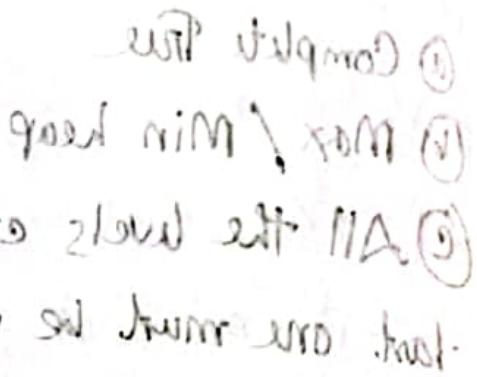
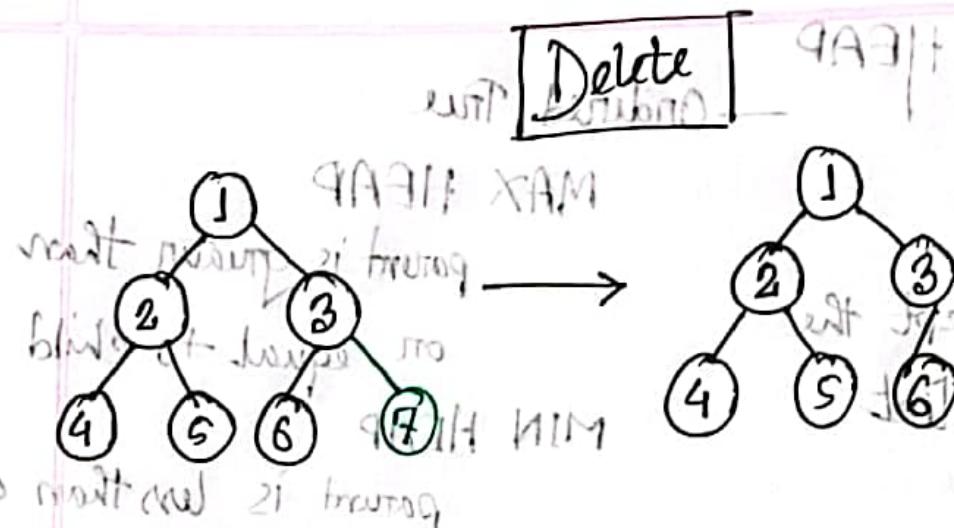


Jalpur wt 220gsm

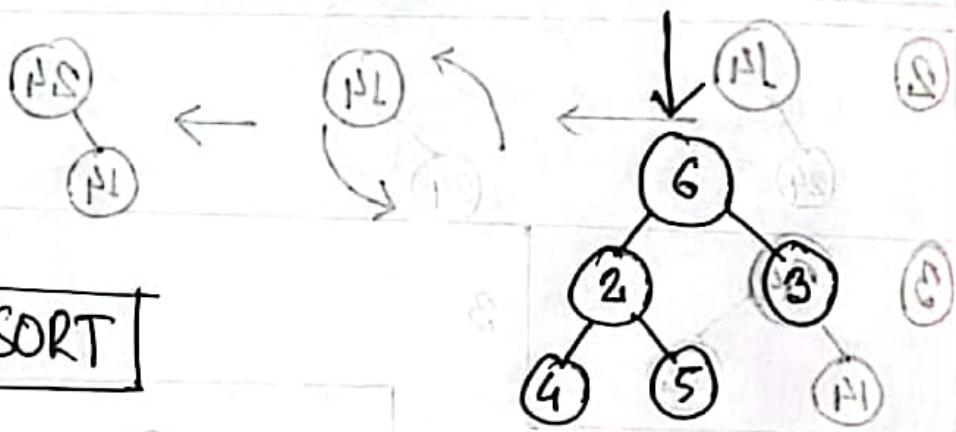
## Involution

14, 24, 12, 11, 25, 8, 26

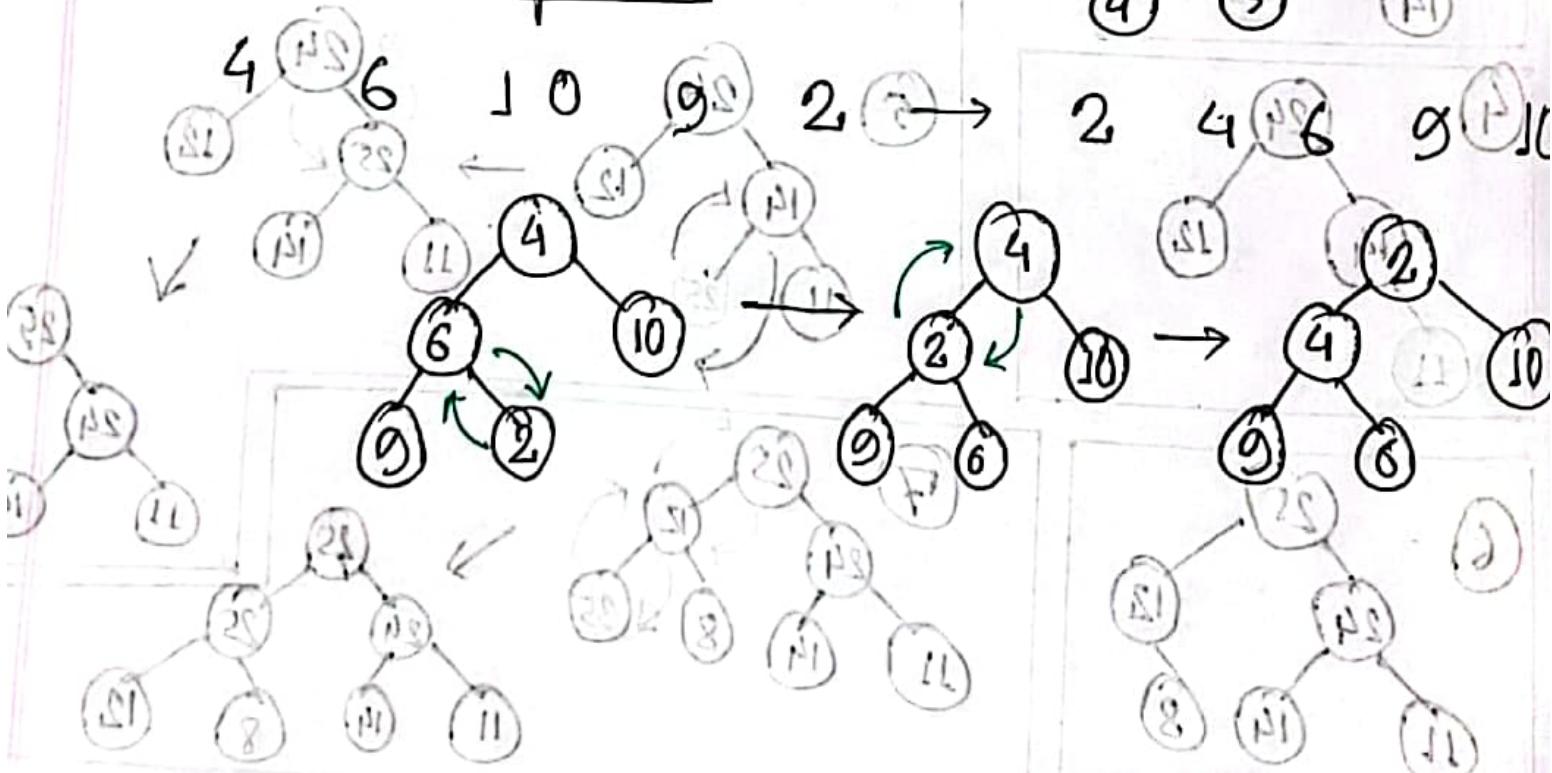




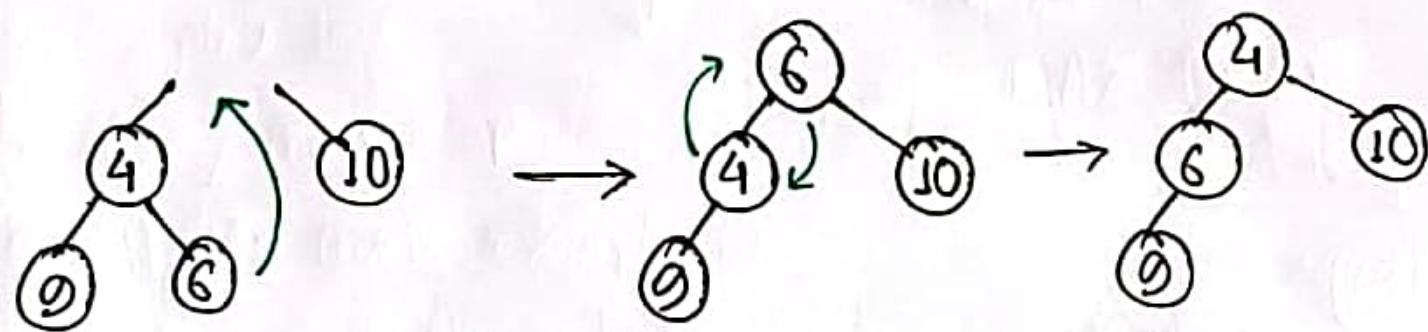
Replace the right  
most element to the  
root



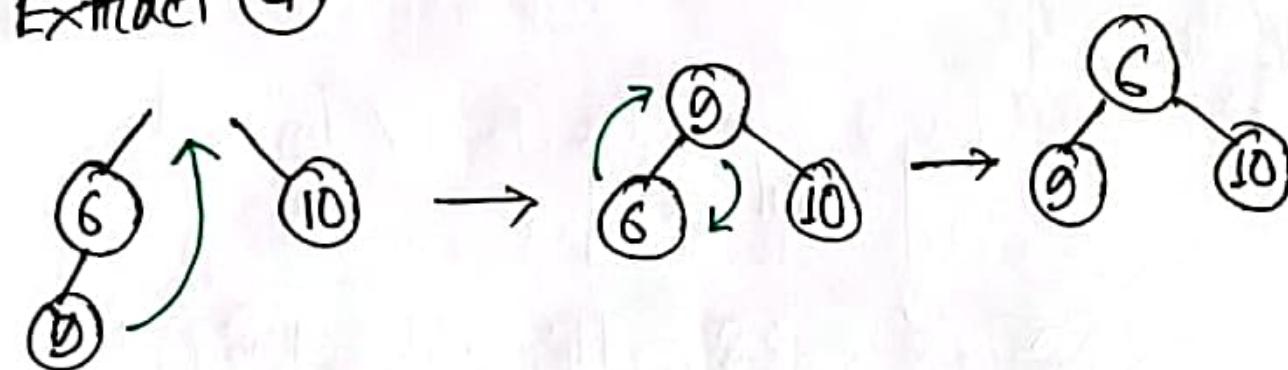
Convert Min Heap SORT



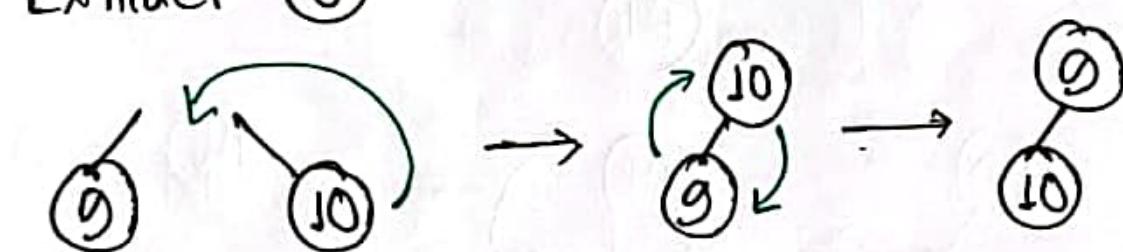
Extract (2)



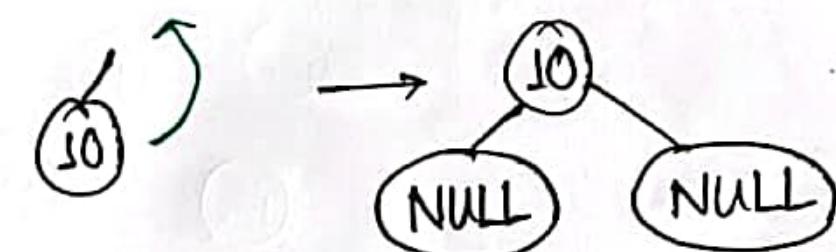
Extract (4)



Extract (6)



Extract (9)



Extract (10)