## Simulation of the geometric Brownian motion

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### 1 Importing some basic libraries

```
[1]: import numpy as np import matplotlib.pyplot as plt
```

#### 2 Defining the parameters, Sigma is the volatility

```
[16]: mu = 0.1

n = 100

T = 1

M = 100

S0 = 100

sigma = 0.3
```

# 3 Simulation of the geometric Brownian motion

### 4 Viewing one of the stacks

```
[18]: St[1]

[18]: array([102.04420083, 109.80626616, 98.99541203, 97.1118513, 96.47168329, 100.61905122, 100.83590932, 101.3369178, 104.8569994, 102.5197927, 98.95257577, 99.26049979, 97.85937488, 92.55197053, 99.44987543, 101.22146811, 98.10633137, 100.15463116, 95.75956377, 98.03851726, 99.66204828, 97.29506211, 97.14142841, 101.15790961,
```

```
100.00487378, 99.35831172, 100.54026921, 100.2766185,
99.56286846, 100.80857454, 98.50813018, 99.72674018,
96.40209878, 102.35217527, 96.19300915,
                                          99.85957292,
101.98500138, 101.97272516, 100.81674954, 100.75452755,
97.86216117, 102.09667759, 96.1109805, 99.80137208,
99.22531014, 103.45569586, 99.55350729, 100.27390119,
101.40905318, 102.99687868, 100.74523207, 100.49999279,
99.30312908, 101.90076629, 99.87094821, 99.20456694,
95.72725768, 98.57237388, 98.09482475, 103.63000336,
102.71246968, 100.73714009, 95.87050297,
                                          99.69294066,
94.02464647, 100.39079069, 99.33674463, 97.58274558,
97.57290311, 100.05504523, 101.00057507, 99.39657056,
94.39484908, 99.88578207, 100.09119026, 96.93794753,
98.58425622, 100.03116484, 99.47307778, 102.62004579,
107.14331129, 100.10441481, 101.04890175, 99.77566073,
102.47934761, 98.73213513, 99.77344284, 101.74784507,
102.86310998, 99.84713645, 97.7353472, 102.63860285,
94.77715796, 97.8544595, 104.57940974, 96.05937354,
99.67370986, 100.97860494, 102.48682482, 96.49112272])
```

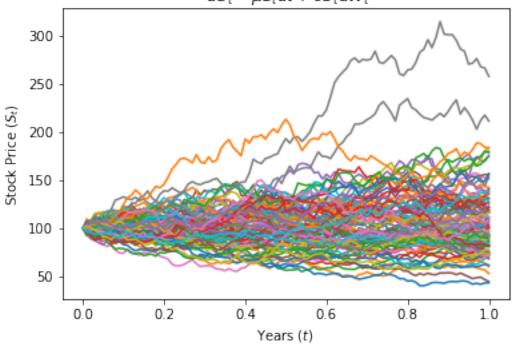
Time intervals in years

plt.show()

```
[19]: time = np.linspace(0,T,n+1)
    array = np.transpose(np.full((M,n+1), fill_value = time))

[20]: plt.plot(array, St)
    plt.xlabel("Years $(t)$")
    plt.ylabel("Stock Price $(S_t)$")
    plt.title("realization of the geometric Brownian motion \n $dS_t = \mu S_tdt_\[ \]
    \[ \rightarrow +\sigma S_t dW_t$")
```

realization of the geometric Brownian motion  $dS_t = \mu S_t dt + \sigma S_t dW_t$ 



[]: