

# 1 Time-Domain Response

The time domain response is generated by numerical inversion of the transfer function. Two algorithms have been implemented in laplace explorer yet. The Gaver-Stehfest and the week's method. Gaver-Stehfest seems to be a robust and fast algorithm though is unable to process time-shifts accurately. Week's method is much more complicated and several parameters have to be selected correctly to gain over Gaver-Stehfest.

Explanations to Gaver-Stehfest:

<http://www.cs.hs-rm.de/~weber/lapinv/gavsteh/gavsteh.htm>

Explanations to Week's algorithm:

<http://www.cs.hs-rm.de/~weber/lapinv/weeks/weeks.htm>

Gaver-Stehfest is now not available any more.

After creating the time domain response the algorithm can be adjusted. By right-mouse click onto the Curve in the list-view an pulldown-menu opens. By selecting setup, a setup-dialog opens.

## 2 Week's algorithm

$$F(s) = \int e^{-st} f(t) dt$$
$$\operatorname{Re}(s) \geq \sigma_0$$

$f(t)$  is the inverse Laplace transform of  $F(s)$ .

### 2.1 Abscissa ( $\sigma_0$ )

The value  $\sigma_0$  is referred to as the abscissa of convergence of the Laplace transform; it is the rightmost real part of the singularities of  $F(s)$ .

So for a stable system  $\sigma_0$  can be selected  $\sigma_0 \geq 0$ .

## **2.2 Number of Laguerre expansion coefficients**

The number of Coeffizients is specified by  $2^p$  where p has to be selected.

## **2.3 Evaluation Pos**

$F(s+c)$  is evaluated where c has to be selected  $c > 0$  for singularities on/right of the imaginary axis.

## **2.4 Scale Parameter**

For bettering the convergence.