Game Engine Development II

Week 9

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Objectives

- To become familiar with the terminology of animated skinned meshes.
- To learn the mathematics of mesh hierarchy transformations and how to traverse tree based mesh hierarchies.
- To understand the idea and mathematics of vertex blending.
- To find out how to load animation data from file.
- To discover how to implement character animation in Direct3D.

FRAME HIERARCHIES

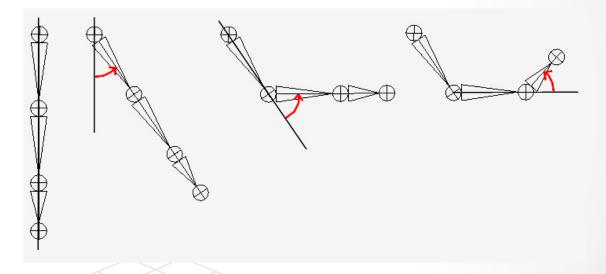
Consider an arm divided into the parts: upper arm, forearm, and hand.

The hand can rotate in isolation about its wrist joint;

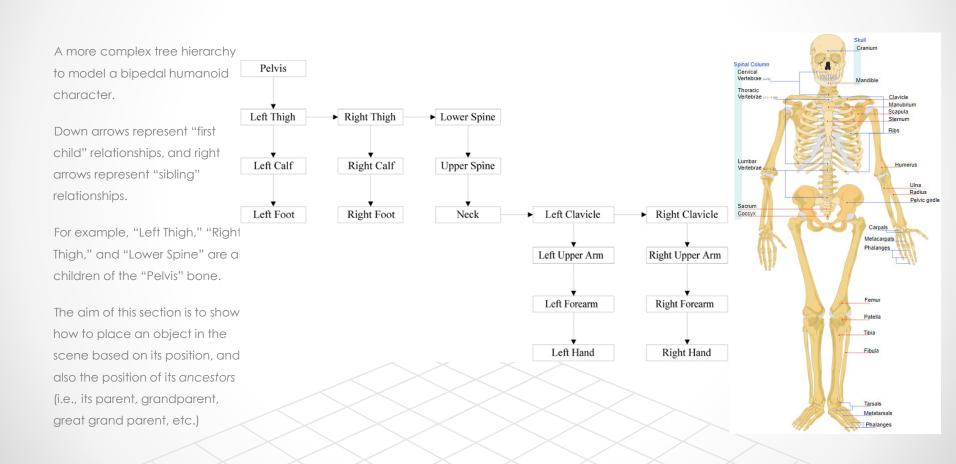
However, if the forearm rotates about its elbow joint, then the hand must rotate with it.

Similarly, if the upper arm rotates about the shoulder joint, the forearm rotates with it, and if the forearm rotates, then the hand rotates with it.

we see a definite object hierarchy: The hand is a child of the forearm; the forearm is a child of the upper arm, and if we extended our situation, the upper arm would be a child of the torso.



Modelling a bipedal humanoid character



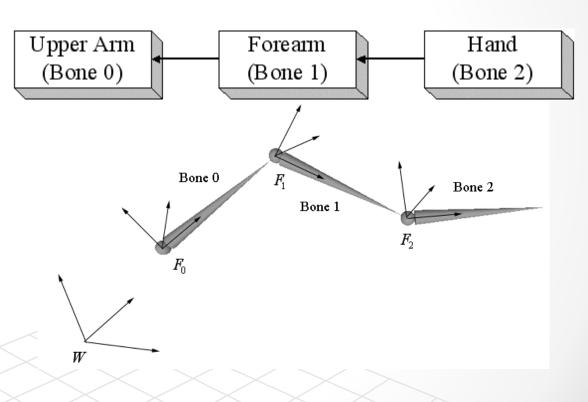
The upper arm (the root), forearm, and hand hierarchy

Given an object in the hierarchy, how do we correctly transform it to world space?

We cannot just transform it directly into the world space because we must also take into consideration the transformations of its ancestors.

Each object in the hierarchy is modeled about its own local coordinate system with its pivot joint at the origin to facilitate rotation.

The geometry of each bone is described relative to its own local coordinate system. Furthermore, because all the coordinate systems exist in the same universe, we can relate them to one another.



Transforming objects into world space

we describe each coordinate system relative to its parent coordinate system.

The parent coordinate system of the root frame F0 is the world space coordinate system W.

We transform from the local space to the space of the parent.

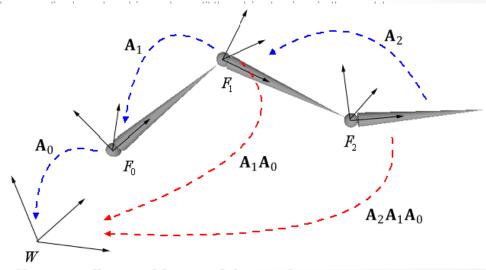
Let A2 be a matrix that transforms geometry from frame F2 into F1, let A1 be a matrix that transform geometry from frame F1 into F0, and let A0 be a matrix that transform geometry from frame F0 into W.

We call **A**i a to-parent matrix since it transforms geometry from a child's coordinate system into its parent's coordinate system.

Then, we can transform the *i*th object in the arm hierarchy into world space by the matrix $\mathbf{M}_i = A_i \ A_{i-1} \ A_{i-2} \dots \ A_2 \ A_1$

Specifically, in our example, $\mathbf{M}_2 = \mathbf{A}_2 \mathbf{A}_1 \mathbf{A}_0$, $\mathbf{M}_1 = \mathbf{A}_1 \mathbf{A}_0$ and $\mathbf{M}_0 = \mathbf{A}_0$ transforms the hand into world space, the forearm into world space, and the upper arm into world space, respectively.

Essentially, to transform an object in the arm hierarchy, we just apply the to-parent transform of the object and all of its ancestors (in ascending order) to percolate up



SKINNED MESHES

Figure shows a character mesh. The highlighted chain of bones in the figure is called a *skeleton*.

A skeleton provides a natural hierarchal structure for driving a character animation system.

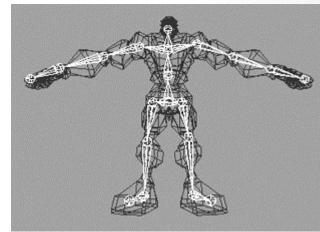
The dark colored polygons represent the character's skin.

The skeleton is surrounded by an exterior skin, which we model as 3D geometry (vertices and polygons).

Initially, the skin vertices are relative to the bind space.

The bind space is the local coordinate system that the entire skin is defined relative to (usually the root coordinate system).

Each bone in the skeleton influences the shape and position of the subset of skin it influences (i.e., the vertices it influences).



Reformulating the Bones To-Root Transform

- Instead of finding the to-world matrix for each bone, we find the to-root (i.e., the transformation that transforms from the bone's local coordinate system to the root bone's coordinate system) matrix for each bone.
- We start at the root and move down the tree. Labeling the n bones with an integer number 0, 1, ..., n - 1, we have the following formula for expressing the ith bone's to-root transformation:
- $toRoot_i = toParent_i.toRootp$
- p is the bone label of the parent of bone i.
- **toRoot**_p gives us a direct map that sends geometry from the coordinate system of bone p to the coordinate system of the root.
- Why Top-down approach is more efficient?
- \Box For any bone *i*, we already have the to-root transformation matrix of its parent;
- ☐ We are only one step away from the to-root transformation for bone i.
- With a bottom-up technique, we'd traverse the entire ancestry for each bone.
- Many matrix multiplications would be duplicated when bones share common ancestors.

The Offset Transform

The vertices influenced by a bone are not relative to the coordinate system of the bone.

They are relative to the bind space, which is the coordinate system the mesh was modeled in.

We first need to transform the vertices from bind space to the space of the bone that influences the vertices.

The offset transformation does this.

Once in the space of the bone, we apply the bone's to-root transformation to transform the vertices from the space of the bone to the space of the root bone.

The final transformation is the combination of the offset transform, followed by the to-root transform.

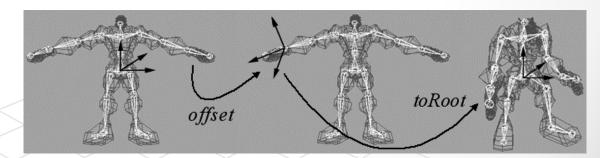
By transforming the vertices by the offset matrix of some arbitrary bone B, we move the vertices from the bind space to the bone space of B.

Then, once we have the vertices in bone space of B, we can use B's to-root transform to position it back in character space in its current animated pose.

We now introduce a new transform, call it the *final transform*, which combines a bone's offset transform with its to-root transform.

Mathematically, the final transformation matrix of the ith bone ${\bf F}{\bf i}$ is given by:

$$F_i = offset_i.toRoot_i$$



Animating the Skeleton

We defined that a key frame specifies the position, orientation, and scale of an object at an instance in time

An animation is a list of key frames sorted by time.

We interpolate between key frames to calculate the placement of the object at times between key frames.

We now extend our animation system to animating skeletons. These animation classes are defined in *SkinnedData.h/.cpp* in the "Skinned Mesh" demo

To animate a skeleton, we just animate each bone locally.

Then after each bone has done its local animation, we take into consideration the movement of its ancestors, and transform it to the root space.

We define an *animation clip* to be a list of animations (one for each bone in the skeleton) that work together to form a specific animation of the skeleton. For example, "walking," "running," "fighting," "ducking," and "jumping" are examples of animation clips.

```
struct AnimationClip
{
float GetClipStartTime()const;
float GetClipEndTime()const;

    void Interpolate(float t, std::vector<DirectX::XMFLOAT4X4>&boneTransforms)const;

    std::vector<BoneAnimation> BoneAnimations;
};
```

A data structure for storing our skeleton animation data

A character will generally have several animation clips for all the animations the character needs to perform in the application.

All the animation clips work on the same skeleton using the same number of bones.

We can use an unordered_map data structure to store all the animation clips and to refer to an animation clip:

```
std::unordered_map<std::string,AnimationClip>
mAnimations;
```

AnimationClip& clip = mAnimations["attack"];

Each bone needs an offset transform to transform the vertices from bind space to the space of the bone; and additionally, we need a way to represent the skeleton hierarchy:

```
class SkinnedData
public:
UINT BoneCount()const;
float GetClipStartTime(const std::string& clipName)const;
float GetClipEndTime(const std::string& clipName)const;
void Set(
std::vector<int>& boneHierarchy,
std::vector<DirectX::XMFLOAT4X4>& boneOffsets,
std::unordered map<std::string, AnimationClip>& animations);
 // In a real project, you'd want to cache the result if there was a chance
 // that you were calling this several times with the same clipName at
 // the same timePos.
    void GetFinalTransforms(const std::string& clipName, float timePos,
 std::vector<DirectX::XMFLOAT4X4>& finalTransforms)const;
private:
    // Gives parentIndex of ith bone.
std::vector<int> mBoneHierarchy;
std::vector<DirectX::XMFLOAT4X4> mBoneOffsets;
std::unordered_map<std::string, AnimationClip> mAnimations;
```

Calculating the Final Transform

Our frame hierarchy for a character will generally be a tree.

We model the hierarchy with an array of integers such that the *i*th array entry gives the parent index of the *i*th bone.

The *i*th entry corresponds to the *i*th BoneAnimation in the working animation clip and the *i*th entry corresponds to the *i*th offset transform.

The root bone is always at element 0 and it has no parent.

For example, the animation and offset transform of the grandparent of bone *i* is obtained by:

```
int parentIndex = mBoneHierarchy[i];
int grandParentIndex = mBoneHierarchy[parentIndex];

XMFLOAT4X4 offset = mBoneOffsets[grandParentIndex];
AnimationClip& clip = mAnimations["attack"];

BoneAnimation& anim = clip.BoneAnimations[grandParentIndex];
```

Compute the final transform for each bone

```
void SkinnedData::GetFinalTransforms(const std::string& clipName, float timePos, std::vector<XMFLOAT4X4>& finalTransforms)const
UINT numBones = mBoneOffsets.size();
std::vector<XMFLOAT4X4> toParentTransforms(numBones);
// Interpolate all the bones of this clip at the given time instance.
auto clip = mAnimations.find(clipName);
clip->second.Interpolate(timePos, toParentTransforms);
// Traverse the hierarchy and transform all the bones to the root space.
std::vector<XMFLOAT4X4> toRootTransforms(numBones);
// The root bone has index 0. The root bone has no parent, so its toRootTransform is just its local bone transform.
toRootTransforms[0] = toParentTransforms[0];
// Now find the toRootTransform of the children.
for(UINT i = 1; i < numBones; ++i)</pre>
XMMATRIX toParent = XMLoadFloat4x4(&toParentTransforms[i]);
int parentIndex = mBoneHierarchy[i];
XMMATRIX parentToRoot = XMLoadFloat4x4(&toRootTransforms[parentIndex]);
XMMATRIX toRoot = XMMatrixMultiply(toParent, parentToRoot);
XMStoreFloat4x4(&toRootTransforms[i], toRoot);
// Premultiply by the bone offset transform to get the final transform.
for(UINT i = 0; i < numBones; ++i)</pre>
XMMATRIX offset = XMLoadFloat4x4(&mBoneOffsets[i]);
XMMATRIX toRoot = XMLoadFloat4x4(&toRootTransforms[i]);
XMMATRIX finalTransform = XMMatrixMultiply(offset, toRoot);
XMStoreFloat4x4(&finalTransforms[i], XMMatrixTranspose(finalTransform));
```

Bones order

When we traverse the bones in the loop, we look up the to-root transform of the bone's parent:

int parentIndex = mBoneHierarchy[i];

XMMATRIX parentToRoot = XMLoadFloat4x4(&toRootTransforms[parentIndex]);

This only works if we are guaranteed that the parent bone's to-root transform has already been processed earlier in the loop.

Ensure that the bones are always ordered in the arrays such that a parent bone always comes before a child bone.

Here is some sample data of the first ten bones in the hierarchy array of some character model:

So take Bone9. Its parent is Bone8, the parent of Bone8 is Bone5, the parent of Bone5 is Bone4, the parent of Bone4 is Bone3, the parent of Bone3 is Bone2, and the parent of Bone2 is the root node Bone0.

Notice that a child bone never comes before its parent bone in the ordered array.

ParentIndexOfBone1: 0
ParentIndexOfBone2: 0
ParentIndexOfBone3: 2
ParentIndexOfBone4: 3
ParentIndexOfBone5: 4
ParentIndexOfBone6: 5
ParentIndexOfBone7: 6
ParentIndexOfBone8: 5

ParentIndexOfBone0: -1

ParentIndexOfBone9: 8

VERTEX BLENDING

The algorithm for animating the skin of vertices that cover the skeleton is called vertex blending.

The skin is one continuous mesh.

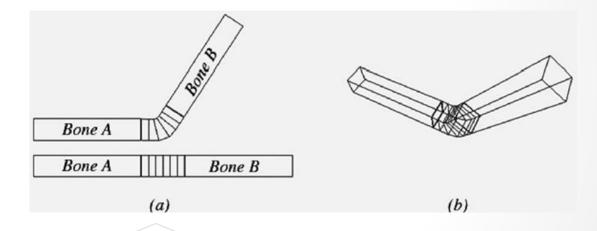
One or more bones can influence a vertex of the skin.

The net result being determined by a weighted average of the influencing bones' final transforms.

The weights are specified by an artist when the model is being made and saved to file.

With this setup, a smooth transitional blend can be achieved at joints (which are typically the troubled areas), thereby making the skin feel elastic.

Note that the vertices near the joint are influenced by both bone A and bone B to create a smooth transitional blend to simulate a flexible skin.



Vertex Blending

We will consider a maximum of four influential bones per vertex.

Each vertex contains up to four indices that index into a *bone matrix palette*, which is the array of final transformation matrices (one entry for each bone in the skeleton).

A skinned mesh: A continuous mesh whose vertices have this format (i.e. ready for vertex blending)

The matrix palette stores the final transformation for each bone.

The "maximum" 4 bone indices identify the bones of the skeleton that influence the vertex.

We can set a bone weight (index) to zero to effectively remove the bone from influencing the vertex.

```
Final Transform 0
                              Matrix Palette
                                                   Final Transform 1
struct PosNormalTexTanSkinned
                                                   Final Transform 2
                                                   Final Transform 3
    XMFLOAT3 Pos;
    XMFLOAT3 Normal;
                                                   Final Transform 4
    XMFLOAT2 Tex;
    XMFLOAT4 TangentU;
    XMFLOAT3 Weights;
    BYTE BoneIndices[4];
};
                                                   Final Transform n-2
                                                   Final Transform n-1
```

Vertex Shader

The vertex-blended position \mathbf{v}' of any vertex \mathbf{v} , relative to the root frame can be calculated with the following weighted average formula:

$$v' = w_0 v F_0 + w_1 v F_1 + w_2 v F_2 + w_3 v F_3$$

The sum of the weights sums to one.

We transform a given vertex v individually by all of the final bone transforms that influence it (i.e., matrices \mathbf{F}_0 , \mathbf{F}_1 , \mathbf{F}_2 , \mathbf{F}_3).

Transforming normals and tangents are done similarly:

$$n' = normalize(w_0 n F_0 + w_1 n F_1 + w_2 n F_2 + w_3 n F_3)$$

$$\dagger' = normalize(w_0tF_0 + w_1tF_1 + w_2tF_2 + w_3tF_3)$$

The following vertex shader fragment shows the key code that does vertex blending with a maximum of four bone influences per vertex:

```
cbuffer cbSkinned : register(b1)
   float4x4 gBoneTransforms[96];
};
struct VertexIn
float3 PosL
               : POSITION;
float3 NormalL : NORMAL;
float2 TexC
              : TEXCOORD;
float3 TangentL : TANGENT;
#ifdef SKINNED
   float3 BoneWeights : WEIGHTS;
   uint4 BoneIndices : BONEINDICES;
#endif
};
struct VertexOut
float4 PosH
               : SV_POSITION;
float4 ShadowPosH : POSITION0;
float4 SsaoPosH : POSITION1;
float3 PosW : POSITION2;
float3 NormalW : NORMAL;
float3 TangentW : TANGENT;
float2 TexC : TEXCOORD;
};
```

Vertex Shader

```
VertexOut VS(VertexIn vin)
VertexOut vout = (VertexOut)0.0f;
// Fetch the material data.
                                                             #endif
MaterialData matData = gMaterialData[gMaterialIndex];
#ifdef SKINNED
   float weights[4] = { 0.0f, 0.0f, 0.0f, 0.0f };
   weights[0] = vin.BoneWeights.x;
   weights[1] = vin.BoneWeights.y;
   weights[2] = vin.BoneWeights.z;
 weights[3] = 1.0f - weights[0] - weights[1] -
weights[2];
   float3 posL = float3(0.0f, 0.0f, 0.0f);
   float3 normalL = float3(0.0f, 0.0f, 0.0f);
   float3 tangentL = float3(0.0f, 0.0f, 0.0f);
   for(int i = 0; i < 4; ++i)
       posL += weights[i] * mul(float4(vin.PosL, 1.0f),
gBoneTransforms[vin.BoneIndices[i]]).xyz;
       normalL += weights[i] * mul(vin.NormalL,
(float3x3)gBoneTransforms[vin.BoneIndices[i]]);
        tangentL += weights[i] * mul(vin.TangentL.xyz,
(float3x3)gBoneTransforms[vin.BoneIndices[i]]);
```

```
vin.PosL = posL;
   vin.NormalL = normalL;
   vin.TangentL.xyz = tangentL;
  // Transform to world space.
   float4 posW = mul(float4(vin.PosL, 1.0f), gWorld);
   vout.PosW = posW.xvz;
   vout.NormalW = mul(vin.NormalL, (float3x3)gWorld);
   vout.TangentW = mul(vin.TangentL, (float3x3)gWorld);
   // Transform to homogeneous clip space.
   vout.PosH = mul(posW, gViewProj);
   // Generate projective tex-coords to project SSAO map onto scene.
   vout.SsaoPosH = mul(posW, gViewProjTex);
    // Output vertex attributes for interpolation across triangle.
   float4 texC = mul(float4(vin.TexC, 0.0f, 1.0f), gTexTransform);
    vout.TexC = mul(texC, matData.MatTransform).xy;
   // Generate projective tex-coords to project shadow map onto scene.
   vout.ShadowPosH = mul(posW, gShadowTransform);
   return vout;
```

LOADING ANIMATION DATA FROM FILE

We use a text file to store a 3D skinned mesh with animation data.

We call this an.m3d file for "model 3D."

The format has been designed for simplicity in loading and readability—not for performance.

At the beginning, the .m3d format defines a header which specifies the number of materials, vertices, triangles, bones, and animations that make up the model:

#Materials 5

#Vertices 13748

#Triangles 22507

#Bones 58

#AnimationClips 1

- 1. #Materials: The number of distinct materials the mesh uses.
- 2. #Vertices: The number of vertices of the mesh.
- 3. #Triangles: The number of triangles in the mesh.
- 4. #Bones: The number of bones in the mesh.
- 5. #AnimationClips: The number of animation clips in the mesh.

Materials

The next "chunk" in the .m3d format is a list of materials.

The file contains the material data we are familiar with (diffuse, roughness, etc.), but also contains additional information such as the textures to apply, whether alpha clipping needs to be applied, and the material type name.

The material type name is used to indicate which shader programs are needed for the given material.

In our demo, the "Skinned" type indicates that the material will need to be rendered with shader programs that support skinning.

Name: soldier_head Diffuse: 1 1 1 Fresnel0: 0.05 0.05 0.05 Roughness: 0.5 AlphaClip: 0 MaterialTypeName: Skinned DiffuseMap: head_diff.dds NormalMap: head_norm.dds

Name: soldier_jacket Diffuse: 1 1 1 Fresnel0: 0.05 0.05 0.05 Roughness: 0.8 AlphaClip: 0 MaterialTypeName: Skinned DiffuseMap: jacket_diff.dds NormalMap: jacket_norm.dds

Name: soldier_pants Diffuse: 0.8 0.8 0.8 Fresnel0: 0.01 0.01 0.01 Roughness: 0.8 AlphaClip: 0 MaterialTypeName: Skinned DiffuseMap: pants_diff.dds NormalMap: pants_norm.dds

Name: soldier_upBody1 Diffuse: 1 1 1 Fresnel0: 0.05 0.05 0.05 Roughness: 0.4 AlphaClip: 0 MaterialTypeName: Skinned DiffuseMap: upBody_diff.dds NormalMap: upBody_norm.dds

Name: soldier_upBody2 Diffuse; 1-1 1 Fresnel0: 0.05 0.05 0.05 Roughness: 0.3 AlphaClip: 0 MaterialTypeName: Skinned DiffuseMap: upBody_diff.dds NormalMap: upBody_norm.dds

Subsets

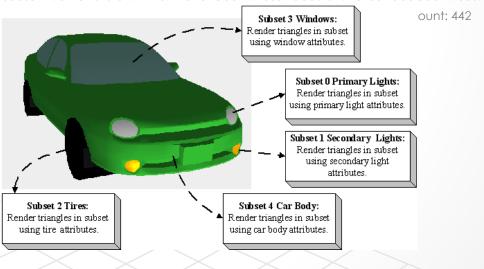
A mesh consists of one or more subsets. A subset is a group of triangles in a mesh that can all be rendered using the same material.

There is a subset corresponding to each material and the *i*th subset corresponds to the *i*th material. The ith subset defines a contiguous block of geometry that should be rendered with the ith material.

The first 7230 triangles of the mesh (which reference vertices [0,3915)) should be rendered with material 0, and the next 4449 triangles of the mesh (which reference vertices [3915, 6899)) should be rendered with material 1.

Figure illustrates how a mesh representing a car may be divided into several subsets.

SubsetID: 0 VertexStart: 0 VertexCount: 3915 FaceStart: 0 FaceCount: 7230 SubsetID: 1 VertexStart: 3915 VertexCount: 2984 FaceStart: 7230 FaceCount: 4449 SubsetID: 2 VertexStart: 6899 VertexCount: 4270 FaceStart: 11679 FaceCount: 6579 SubsetID: 3 VertexStart: 11169 VertexCount: 2305 FaceStart: 18258 FaceCount: 3807



Vertex Data and Triangles

The next two chunks of data are just lists of vertices and indices (3 indices per triangle):

**

Position: -0.9983482 67.88861 4.354969

Tangent: -0.257403 0.5351538 -

0.80458311

Normal: 0.5368453 0.7715151 0.3414111

Tex-Coords: 0.695366 0.9909569

BlendWeights: 0.7470379 0.2529621 0 0

BlendIndices: 7 9 0 0

012

3 4 5

678

9 10 11

12 13 14

15 16 17

Bone Offset Transforms

The bone offset transformation chunk, just stores a list of 4×4 matrices, one for each bone.

***********BoneOffsets**********

BoneOffset0 -0.8669753 0.4982096 0.01187624 0

0.04897417 0.1088907 -0.9928461 0

-0.4959392 -0.8601914 -0.118805 0

-10.94755 -14.61919 90.63506 1

BoneOffset1 1 4.884964E-07 3.025227E-07 0

-3.145564E-07 2.163151E-07 -1 0

4.884964E-07 0.9999997 -9.59325E-08 0

3.284225 7.236738 1.556451 1

. . .

Hierarchy

The hierarchy chunk stores the hierarchy array—an array of integers such that the *i*th array entry gives the parent index of the *i*th bone.

************BoneHierarchy***********

ParentIndexOfBone0: -1

ParentIndexOfBone1:0

ParentIndexOfBone2: 1

ParentIndexOfBone3: 2

ParentIndexOfBone4: 3

ParentIndexOfBone5: 4

ParentIndexOfBone6: 5

ParentIndexOfBone7: 6

ParentIndexOfBone8: 7

Animation Data

The last chunk we need to read are the animation clips.

Each animation has a readable name and a list of key frames for each bone in the skeleton.

Each key frame stores the time position, the translation vector specifying the position of the bone, the scaling vector specifying the bone scale, and the quaternion specifying the orientation of the bone.

AnimationClip run_loop
{
Bone0 #Keyframes: 18
{

Time: 0 Pos: 2.538344 101.6727 -0.52932

Scale: 1 1 1

Quat: 0.4042651 0.3919331 -0.5853591 0.5833637

Time: 0.0666666

Pos: 0.81979 109.6893 -1.575387

Scale: 0.9999998 0.9999998 0.9999998

Quat: 0.4460441 0.3467651 -0.5356012 0.6276384

M3DLoader::ReadAnimationClips

```
void M3DLoader::ReadAnimationClips(std::ifstream& fin, UINT numBones, UINT
numAnimationClips,
   std::unordered map<std::string, AnimationClip>& animations)
std::string ignore;
    fin >> ignore; // AnimationClips header text
    for(UINT clipIndex = 0; clipIndex < numAnimationClips; ++clipIndex)</pre>
        std::string clipName;
        fin >> ignore >> clipName;
        fin >> ignore; // {
AnimationClip clip;
clip.BoneAnimations.resize(numBones);
        for(UINT boneIndex = 0; boneIndex < numBones; ++boneIndex)</pre>
            ReadBoneKeyframes(fin, numBones, clip.BoneAnimations[boneIndex]);
        fin >> ignore; // }
        animations[clipName] = clip;
```

The following code shows how we read the animation clips from file:

M3DLoader

The code to load the data from an .m3d file is contained in LoadM3D.h/.cpp, in the LoadM3d function:

The helper functions ReadMaterials, and etc., are straightforward text file parsing using std::ifstream.

```
bool M3DLoader::LoadM3d(const std::string& filename,
std::vector<Vertex>& vertices,
std::vector<USHORT>& indices,
std::vector<Subset>& subsets,
std::vector<M3dMaterial>& mats)
std::ifstream fin(filename);
UINT numMaterials = 0:
UINT numVertices = 0:
UINT numTriangles = 0;
UINT numBones = 0;
UINT numAnimationClips = 0;
std::string ignore;
if( fin )
fin >> ignore; // file header text
fin >> ignore >> numMaterials;
fin >> ignore >> numVertices;
fin >> ignore >> numTriangles;
fin >> ignore >> numBones;
fin >> ignore >> numAnimationClips;
ReadMaterials(fin, numMaterials, mats);
ReadSubsetTable(fin, numMaterials, subsets);
ReadVertices(fin, numVertices, vertices);
ReadTriangles(fin, numTriangles, indices);
return true;
    return false;
```

CHARACTER ANIMATION DEMO

As we saw in the skinned mesh shader code, the final bone transforms are stored in a constant buffer where they are accessed in the vertex shader to do the animation transformations.

```
cbuffer cbSkinned : register(b1)
{
    float4x4 gBoneTransforms[96];
};
```

We therefore need to add these new constant buffers, one for each skinned mesh object, to our frame resources:

```
struct SkinnedConstants
{
```

DirectX::XMFLOAT4X4 BoneTransforms[96];

std::unique_ptr<UploadBuffer<SkinnedConstants>> SkinnedCB = nullptr;
SkinnedCB = std::make_unique<UploadBuffer<SkinnedConstants>>(
device, skinnedObjectCount, true);

We will need one SkinnedConstants for each instance of an animated character.

An animated character instance will generally be composed of multiple render-items (one per material), but all render-items for the same character instance can share the same SkinnedConstants since they all use the same underlying animated skeleton.

To represent an animated character instance at an instance in time, we define the following structure:

RenderItem

```
struct RenderItem
RenderItem() = default;
    RenderItem(const RenderItem& rhs) = delete;
XMFLOAT4X4 World = MathHelper::Identity4x4();
XMFLOAT4X4 TexTransform = MathHelper::Identity4x4();
int NumFramesDirty = gNumFrameResources;
// Index into GPU constant buffer corresponding to the ObjectCB for this render item.
UINT ObjCBIndex = -1;
Material* Mat = nullptr;
MeshGeometry* Geo = nullptr;
   // Primitive topology.
   D3D12_PRIMITIVE_TOPOLOGY PrimitiveType = D3D11_PRIMITIVE_TOPOLOGY_TRIANGLELIST;
   // DrawIndexedInstanced parameters.
   UINT IndexCount = 0;
   UINT StartIndexLocation = 0;
   int BaseVertexLocation = 0;
// Only applicable to skinned render-items.
   UINT SkinnedCBIndex = -1;
   // nullptr if this render-item is not animated by skinned mesh.
   SkinnedModelInstance* SkinnedModelInst = nullptr;
```

Then we add the following data members to our render-item structure:

};

SkinnedMeshApp::Updat eSkinnedCBs

Every frame we update the animated character instances (in our demo we only have one):

```
void SkinnedMeshApp::UpdateSkinnedCBs(const GameTimer& gt)
{
    auto currSkinnedCB = mCurrFrameResource->SkinnedCB.get();

    // We only have one skinned model being animated.
    mSkinnedModelInst->UpdateSkinnedAnimation(gt.DeltaTime());

    SkinnedConstants skinnedConstants;
    std::copy(
        std::begin(mSkinnedModelInst->FinalTransforms),
        std::end(mSkinnedModelInst->FinalTransforms),
        &skinnedConstants.BoneTransforms[0]);

    currSkinnedCB->CopyData(0, skinnedConstants);
```

"Skinned Mesh" demo

Figure shows a screenshot or our demo.
The original animated model and
textures were taken from the DirectX
SDK and converted to the .m3d format
for demoing purposes.

This sample model only has one animation clip called *Take 1*.

