

Day – 30 of the 101 days of coding challenge

Problem:

The **complement** of an integer is the integer you get when you flip all the 0's to 1's and all the 1's to 0's in its binary representation.

- For example, The integer 5 is "101" in binary and its **complement** is "010" which is the integer 2.

Given an integer n, return *its complement*.

Example 1:

Input: n = 5

Output: 2

Explanation: 5 is "101" in binary, with complement "010" in binary, which is 2 in base-10.

Example 2:

Input: n = 7

Output: 0

Explanation: 7 is "111" in binary, with complement "000" in binary, which is 0 in base-10.

Example 3:

Input: n = 10

Output: 5

Explanation: 10 is "1010" in binary, with complement "0101" in binary, which is 5 in base-10.

Constraints:

- $0 \leq n < 10^9$

Code:

```
int bitwiseComplement(int n) {  
  
    int num = n;  
    int mask = 0;  
    if(n == 0) // if n = 0  
        return 1;  
    while(num!=0){  
        mask = (mask<<1) | 1;  
        num = num>>1;  
    }  
}
```

```

int ans = (~n) & mask;
return ans;

}

```

Working Procedure-

Suppose value $n = 5 \rightarrow 0000000101$, last 3 value rev- $\rightarrow 010$
(2)

If $\sim n = \sim 5 \Rightarrow 11111111-1010$

Created mask $\Rightarrow 00000000000111$ after applying & -
 $\rightarrow 000000010$ (got the answer)

Now creating the mask-

Mask = 0000000000 left shif-

1^{st} - $\rightarrow 0000000000$ (as many time will shift will give only 0)

So with or 1 operator applying $(0|1) \Rightarrow 1$

Accordingly----

1^{st} - $\rightarrow (\text{mask} \ll 1) | 1 \Rightarrow 0000000010$

2^{nd} - $\rightarrow 0000000110$

3^{rd} - $\rightarrow 0000000111$ (got the desired value)