## Week 2

## Feature scaling / Mean Normalization

- Input values for gradient descent should be in roughly the same range, ideally something like:  $-1 \le x_1 \le 1$
- Feature scaling: divide the input values by the range (max min) or std\_dev (guarantees distribution has a range of 1)
- $\bullet$  Mean Normalization: subtract the mean from the observation, resulting in a dsitribution centered on 0
- Putting it together:  $x_i := \frac{x_1 \mu_i}{s_i}$  (where  $s_i$  is the std\_dev or the range)

## Learning Rate

- Learning rate is the parameter  $\alpha$
- Debugging gradient descent: if the cost function  $J(\theta)$  ever increases over time, the learning rate is probably too large
- Automatic convergence test: declare convergence if  $J(\theta)$  ever decreases by less than  $\epsilon$  in an iteration

## Normal Equation

- Can be used to compute the minimum for the cost function analytically
- Equation:  $\theta = (X^T \hat{X})^{-1} X^T y$
- Runtime  $O(n^3)$  and requires matrix inversion, will be slow if n is large
- Does not require  $\alpha$  or a learning rate