2. Strategies for a Great Interview

Approaching the problem

- · clarify the question
- work on concrete examples
- · spell out the brute force solution
- · apply patterns

Presenting the solution

- · use libraries if possible
- · focus on the top-level algorithm
- · manage the whiteboard
- · assume valid inputs
- · test for corner cases
- check syntax
- check memory management (especially in C and C++)
- remember the interviewer cannot process a large amount of code
 - · keep your solution simple if possible

Know your interviewers and the company

General conversation

- can the candidate clearly communicate a complex idea?
- · is the candidate passionate about his/her work?
- is there a potential interest match with some project?

Other advice

- · be honest
- keep a positive spirit
- don't apologize
- · keep money and perks out of the interview
- appearance
- · be aware of your body language

Stress interviews

- may inject stress into situation to test candidate (especially in finance industry)
- · testing to see how interviewee responds
 - do not fall apart
 - do not allow yourself to become belligerent
 - do not allow yourself to be easily swayed

Learning from bad outcomes

Negotiating an offer

- · stick to email
- · try to speak directly with hiring manager
- · remember that long term career is more important than compensation

3. Conducting an Interview

Objective

- determine if candidate will be a successful employee
- do not be indecisive about candidate this wastes interview
- turn candidate into brand ambassador for recruiting
- make interviewee feel positive about experience and company

What to ask

- how much training time does the work environment allow?
- for startups
 - can make sense to test on domain specific knowledge
- for larger organizations
 - data structures
 - algorithms
 - system design
 - problem solving techniques
- remember to choose problems that
 - have no single point of failure do not ask a single question based around a single insight
 - have multiple possible solutions
 - cover multiple areas

- · calibrate on the problems that will be covered by colleagues
- · do not require unnecessary domain knowledge

Conducting the interview

- prepare hints beforehand
- · watch for
 - a candidate that get stuck
 - a verbose candidate
 - an overconfident candidate

Scoring and reporting

4. Problem Solving

Data Structure Review

- particular method for storing or organizing data that allows for efficient manipulation (read, write, modify)
- · primitive types
 - int
 - char
 - double
 - know representation in memory and operations on them
- · arrays
 - constant access by index
 - slow lookups (unless sorted)
 - slow insertions
 - know
 - iteration
 - resizing
 - merging
 - partitioning
- strings
 - know
 - representation in memory
 - comparison
 - copy
 - matching
 - joining

splitting

lists

- know (singly and doubly-linked)
 - trade-offs with respect to arrays
 - iteration
 - insertion
 - deletion
 - dynamic allocation (e.g. new with nodes)
 - arrays
- · stacks and queues
 - know
 - LIFO semantics and usage
 - FIFO semantics and usage
 - array implementation
 - linked list implementation
- · binary trees
 - used to represent hierarchical data
 - know
 - depth
 - height
 - leaves
 - search path
 - traversal sequences
 - successor/predecessor operations
- heaps
 - benefits
 - O(1) lookup of max
 - log n insertion
 - log n deletion of max
 - know
 - node implementation
 - array implementation
 - min-heap variant
- · hash tables
 - benefits
 - O(1) insertion
 - O(1) deletion
 - O(1) lookup
 - disadvantages
 - bad for order-related queries
 - resizing (consider amortized overhead)

- poor worst-case performance
- know
 - separate chaining
 - linear probing
 - hash functions
 - integers
 - strings
 - objects
- binary search trees
 - benefits
 - when height balanced
 - log n insertions
 - log n deletions
 - log n lookup
 - log n find min
 - log n find max
 - log n successor
 - log n predecessor
 - know
 - various node fields
 - pointer implementation
 - balance
 - operations to maintain balance

Primitive Data Types

- · types
 - ∘ char
 - ∘ int
 - double
 - unsigned and long variant
- · types differ among languages
 - Java has no unsigned int
 - int width is machine and compiler dependent in C
- example problems
 - · find set bits in int
 - use x & ~(x 1)
 - right propagate the rightmost set bit
 - x modulo a power of 2
 - check if power of 2
- · remember to use lookup tables of nibbles

Arrays

- maps indexes in range 0 to n 1 to objects of a given type (n is number of objects in array)
- lookup and replacement is constant time
- · many common errors exist
 - bounds/fence errors
 - sizeof errors
- · example problems
 - partitioning (related to quicksort)
 - maintain two regions on either end of array and expand one element at a time

Strings

- generally a character array
- · many common operations are generally not used for arrays
 - · comparison
 - joining
 - splitting
 - substring search
 - replacement
 - parsing
- · example problems
 - look-and-say

Lists

- collection of values (implicitly ordered by relationship between elements) which may include repetitions
- · generally collection of nodes
 - · singly-linked
 - · doubly-linked
- · often used as components of larger data structures
- · example problems
 - zip of a list

Stacks and queues

- stack LIFO
- · queue FIFO
- example problems
 - reverse polish notation
 - parsing
 - order of evaluation

Binary trees

- · search trees keys in a sorted order via hierarchical relationship
- · commonly node-based
- · example problems
 - process/system resource locking

Heaps (aka priority queue)

- · based on binary tree
- each element has a priority associated with it and delete removes element with highest priority
- · min and max variants
- · example problems
 - merging separate stock trade transactions sorted by timestamp
 - trivial when working with heaps

Hash tables

- used for storing keys (and optionally values)
- O(1) (on average)
 - inserts
 - deletes
 - lookups
- requires
 - a good hash function
 - resizing in certain cases
 - may result in O(n) updates
- · example problems
 - check if string can be permuted into palindrome
 - if and only if characters occur only twice with an optional single character
 - check for plagiarism
 - suffix arrays in hash table form

Binary search trees

- used to store comparable objects
 - nodes satisfy BST property, e.g. left children are null or less than, right children are null or greater than
- log n
 - lookup
 - insertion
 - deletion
- supported by balanced types (AVL and red-black)

Algorithm patterns

- analysis patterns
 - concrete examples
 - manually solve concrete instances of the problem and then build a general solution
 - case-analysis
 - split the input/execution into a number of cases and solve each case in isolation
 - iterative refinement
 - find brute force solution and improve upon it
 - reduction
 - use a well-known solution to some other related problem as a subroutine
 - graph modeling
 - describe the problem as a graph and use graph algorithm to solve
- algorithm design patterns
 - sorting
 - uncover structure of problem by sorting input
 - recursion
 - if input is structured in recursive pattern, design recursive algorithm to follow
 - divide-and-conquer
 - divide into two or more independent subproblems and solve original using subproblem solutions
 - dynamic programming
 - compute and cache solutions to smaller subproblems and solve original using subproblem solutions
 - greedy algorithms
 - compute in stages making choices at each stage that are locally optimal
 - invariants
 - identify invariant and use it to remove potential solutions that are suboptimal or contained within other solutions

Intractability

- some problems may not have an efficient solution
- · must prove intractability
- NP complete
 - must be NP and NP-hard
 - NP
 - nondeterministic polynomial time
 - NP-hard
 - at least as hard as the hardest problems in NP

- a problem H is NP-hard when every problem L in NP can be reduced in polynomial time to H
 - assuming a solution for H takes 1 unit time, we can use H's solution to solve L
 in polynomial time
- finding a polynomial algorithm to solve any NP-hard problem would give polynomial algorithms for all the problems in NP, which is unlikely as many of them are considered hard