

## Homework 10

### due Jan 12, 2023

#### Exercise 10.1 : Lattice setup

In this exercise we continue working on the simulation of a three-dimensional scalar  $\phi^4$  theory for a two-component real scalar field  $\phi$ .

All the routines have to be written keeping in mind that they are going to be reused in the project. Clear coding and modularity are an essential request.

In exercise 9 we set up the geometry of the lattice, and in this exercise we will now set up the communication between the different local lattices.

- Define a structure ‘field’ to represent the scalar field  $\phi = (\phi_1, \phi_2)^T$ , where each element of  $\phi$  is real and should be stored as a double.
- Dynamically initialise the lattice memory. In a random fashion, assign a value of  $\phi$  to each point on the lattice and store the values in an array `fi [ (VOLUME + BNDRY) ]`. The array should be ordered as follows: values at the even points on the local lattice followed by the values at the odd points on the local lattice followed by the boundary points in the -0, +0, -1 and +1 directions. The boundary parts of this array should also be ordered in an even then odd fashion.
- The updating steps will proceed via nearest neighbour interactions and hence, it will be necessary to communicate across the local lattices (processes). Write a routine to do the following:

Send field values at even **or** odd points of the local lattice whose neighbours are physically on a neighbouring local lattice (process).

The neighbor process should receive these values and store them on the exterior boundary. (Think carefully about the index of a given point and where it is placed in the array `fi [ ]`.)

Add a timing function for the send and receives.

- Implement checks of the send and receive steps.

(20 points)

Please hand in a *printout* of your programs together with the input and output of your checks.