```
In [1]:
        import numpy as np
        import matplotlib.pyplot as plt
In [2]:
In [8]:
        x=np.array([[1,2],[3,4]], dtype=np.int32)
        y=np.array([[5,6],[7,8]], dtype=np.int32)
        v=np.array([9,10])
        w=np.array([11,12])
        #Inner product
        print("Inner Product:")
        print(v.dot(w))
        print(np.dot(v,w))
        print(np.inner(v,w))
        #outer products of vectors
        print("Outer product:")
        print(np.outer(v,w))
        #Norm of a vector
        print("Norm:")
        print(np.linalg.norm(v))#Euclidean
        print(np.linalg.norm(v,1))#Manhattan
        print(np.linalg.norm(v,np.inf))#Infinite
        print(np.linalg.norm(x))
        print(np.linalg.norm(x,axis=1))
        Inner Product:
        219
        219
        219
        Outer product:
        [[ 99 108]
         [110 120]]
        Norm:
        13.45362404707371
        19.0
        10.0
        5.477225575051661
        [2.23606798 5.
```

Vector matrix and matrix-matrix multiplication

```
In [16]: #matrix/vector product
         print(x.dot(v))
         print(np.dot(x,v))
         print(np.inner(x,v))
         #Matrix/matrix product(multiplication)
         print(x.dot(y))
         print(np.dot(x,y))
         print(np.matmul(x,y))
         print(x@y)
         [29 67]
         [29 67]
         [29 67]
         [[19 22]
          [43 50]]
         [[19 22]
          [43 50]]
         [[19 22]
          [43 50]]
         [[19 22]
          [43 50]]
```

Determiniant ,trace and rank of a matrix

```
In [27]: m=np.array([[2,4,6],[1,5,9],[3,7,8]])

#determiniant of a matrix
print('Determiniant: %.2f'%np.linalg.det(m))

#trace of a matrix
print('Trace: %.2f'%np.trace(m))

#rank of a matrix
print('Rank: ',np.linalg.matrix_rank(m))

Determiniant: -18.00
Trace: 15.00
```

Transpose and Inverse of a matrix

Rank: 3

```
In [30]: #transpose of a matrix
        mt1=m.T
        print(mt1)
        mt2=np.transpose(m)
        print(mt2)
        #Inverse of a matrix
        inv_m=np.linalg.inv(m)
        print(inv_m)
        [[2 1 3]
         [4 5 7]
         [6 9 8]]
        [[2 1 3]
         [4 5 7]
         [6 9 8]]
        [[ 1.27777778 -0.55555556 -0.33333333]
         [-1.0555556 0.1111111 0.6666667]
```

Solving a Linear system

```
In [33]: #solving a kinear system
# Ax=Z=>x=inv(A).Z
A=np.array([[1,2],[3,4]])
Z=np.array([[5],[6]])

#using inverse of a matrix
print('Using inverse :\n',np.linalg.inv(A).dot(Z)) #slow

#using solve function
print('Using solve:\n',np.linalg.solve(A,Z))

Using inverse :
    [[-4. ]
    [ 4.5]]
Using solve:
    [[-4. ]
    [ 4.5]]
```

Least square solution to a linear matrix equation

```
In [45]: x=np.arange(0,9)
#print(x)
A=np.array([x,np.ones(9)])
print(A)

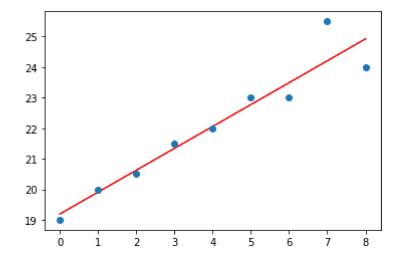
#Linearly generated sequence
y=[19,20,20.5,21.5,22,23,23,25.5,24]

#obtaining the parameters of regression Line
w = np.linalg.lstsq(A.T, y, rcond=None)[0]
print(w)

#plotting the Line
line=w[0]*x+w[1] #regression Line
plt.plot(x,line,'r-')
plt.plot(x,y,'o')
plt.show()

[[0, 1, 2, 3, 4, 5, 6, 7, 8,]
```

```
[[0. 1. 2. 3. 4. 5. 6. 7. 8.]
[1. 1. 1. 1. 1. 1. 1. 1. 1.]]
[ 0.71666667 19.18888889]
```



Eigenvalues and Eigenvectors

Importing the Dataset and Splitting into Train and Test Dataset

```
In [50]: import pandas as pd
#Importing the data set
dataset=pd.read_csv('SimpleLinearRegression.csv')
dataset.describe()
```

Out[50]:

	YearsExperience	Salary
count	30.000000	30.000000
mean	5.313333	76003.000000
std	2.837888	27414.429785
min	1.100000	37731.000000
25%	3.200000	56720.750000
50%	4.700000	65237.000000
75%	7.700000	100544.750000
max	10.500000	122391.000000

```
In [54]: X=dataset[['YearsExperience']]
y=dataset[['Salary']]
#splitting the dataset into training and test dataset
from sklearn.model_selection import train_test_split

X_train,X_test,y_train,y_test=train_test_split(X,y,test_size=1/3,random_state=0)
```

Fitting the dataset into Simple Linear Regression Model

```
In [56]: #Fitting Simple Linear Regression to the Tarining set
    from sklearn.linear_model import LinearRegression
    regressor=LinearRegression()
    regressor.fit(X_train,y_train)

Out[56]: LinearRegression()

In [58]: #predicting the values of the test set
    y_pred=regressor.predict(X_test)
```

visualizing the correlation

```
In [59]: plt.scatter(X_train,y_train,color='red')
    plt.plot(X_train, regressor.predict(X_train),color='blue')
    plt.title('Salary vs Experiance(Training set)')
    plt.xlabel('Years of Experiancs')
    plt.ylabel('Salary')
    plt.show()
```



```
In [60]: plt.scatter(X_test,y_test,color='green')
    plt.plot(X_train, regressor.predict(X_train),color='blue')
    plt.title('Salary vs Experiance(Training set)')
    plt.xlabel('Years of Experiancs')
    plt.ylabel('Salary')
    plt.show()
```



Model Evalution for test dataset

```
In [61]: from sklearn import metrics
# model evaluation for testing set
mae = metrics.mean_absolute_error(y_test, y_pred)
mse = metrics.mean_squared_error(y_test, y_pred)
r2 = metrics.r2_score(y_test, y_pred)
print("The model performance for testing set")
print("-----")
print('MAE is %.2f'% mae)
print('MSE is %.2f'% mse)
print('R2 score is %.2f'% r2)
```

The model performance for testing set
-----MAE is 3426.43
MSE is 21026037.33
R2 score is 0.97