

SAS PROGRAMMING FOR BUSINESS ANALYTICS

ASSIGNMENT 2



SUBMITTED BY:

TANAY BHALERAO

U47707491

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UNIVERSITY OF SOUTH FLORIDA
Management Information Systems

Homework 2

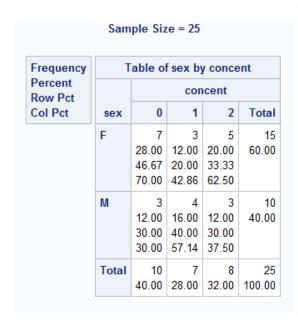
Refer to DOGS1 data. The investigator may want to ensure that the dogs allocated to each
treatment group were of similar compositions with respect to gender and hair coat. Use PROC
FREQ to conduct Fisher's exact test to see if the concentration of the drug received was
statistically independent of the gender of the dog. Likewise, see if the length of the coat and the
drug treatment were statistically independent with Fisher's exact test. Write your
interpretation of the results of these tests.

```
DATA infile_dogs1;
    infile
"\Client\C$\Users\Tanay\Documents\Sem2\BusinessAnalytics\dogs1.txt" LRECL=
200 firstobs=2;
    input
    dog $ 1-8 concent 16 sex $ 17 age 31-32 haircoat $ 33-37 weight 45-48;
RUN;

PROC FREQ DATA=infile_dogs1;
    TITLE "FISHER'S EXACT TEST";
    TABLES (haircoat sex)*concent /EXACT;
    RUN;
```

| F | ISHER'S | EXA | CT TE | ST | |
|--------------------|----------|--------|----------|--------|--------|
| | The FRE | EQ Pro | cedure | | |
| Frequency | Table | of hai | ircoat b | y conc | ent |
| Percent Row Pct | | | con | cent | |
| Col Pct | haircoat | 0 | 1 | 2 | Total |
| | Med | 2 | 3 | 5 | 10 |
| | | 8.00 | 12.00 | 20.00 | 40.00 |
| | | 20.00 | 30.00 | 50.00 | |
| | | 20.00 | 42.86 | 62.50 | |
| | Short | 8 | 4 | 3 | 15 |
| | | 32.00 | 16.00 | 12.00 | 60.00 |
| | | 53.33 | 26.67 | 20.00 | |
| | | 80.00 | 57.14 | 37.50 | |
| | Total | 10 | 7 | 8 | 25 |
| | | 40.00 | 28.00 | 32.00 | 100.00 |





| Statistic | | DF | Value | Prob |
|--|-----------------------|-----|--------|--------|
| Chi-Square | | 2 | 1.2946 | 0.5234 |
| Likelihood | Ratio Chi-Square | 2 | 1.2876 | 0.5253 |
| Mantel-Hae | nszel Chi-Square | 1 | 0.1435 | 0.7048 |
| Phi Coeffic | ient | | 0.2276 | |
| Contingency Coefficient | | | 0.2219 | |
| Cramer's V | | | 0.2276 | |
| WARNING: 83% of the cells have expected counts les than 5. Chi-Square may not be a valid test. | | | | |
| | Fisher's Exact Test | | | |
| | Table Probability (P) | | 720 | |
| Pr <= P | | 0.5 | 5235 | |

Interpretation:

The size of the dataset is small. Using Fisher's Test for independence we are figuring out if the proportion of one nominal variable is different depending on the value of the other variable.

After carrying out the Fisher's Exact Test we can infer the following:

- The length of the coat and the drug treatment were found to be statistically **dependent** since P-value is less than 0.05 (P-Value: 0.0270). This is less than 5% and hence the null hypothesis can be rejected and the test turned out to be significant.
- Also the concentration of the drug received was found to be statistically **independent** from the sex of the dog since P-value in this case is more than 0.05(P-Value: 0.0720) i.e. more than 5%. In such a situation we do not reject the null hypothesis since the test is insignificant.
- Refer to the following data, obtained from Michael Radelet, in the book Categorical Data Analysis by Alan Agresti. The data describe the circumstances of 326 homicide cases in Florida from 1976-1977.

| Defendant's race | Victim's race | Death penalty | Count |
|------------------|---------------|---------------|-------|
| Black | White | Yes | 11 |
| Black | White | No | 52 |
| Black | Black | Yes | 6 |
| Black | Black | No | 97 |
| White | White | Yes | 19 |
| White | White | No | 132 |
| White | Black | Yes | 0 |
| White | Black | No | 9 |

Use PROC FREQ to create appropriate tables to answer the following questions. Write down your answers to these questions, and mark (circle or highlight) those same numbers on your SAS output. (In other words, make sure that your tables explicitly show the requested percentages.)

- a. When the defendant was white and the victim was black, in what percentage of cases was the death penalty verdict given?
- b. When the defendant was black and the victim was white, in what percentage of cases was the death penalty verdict given?
- c. When the races of the victim and the defendant were the same, in what percentage of cases was the death penalty given?

```
DATA Homicide;
    infile
"\Client\C$\Users\Tanay\Documents\Sem2\BusinessAnalytics\Homicide.txt"
LRECL= 200 DLM="09"x firstobs=2;
    input
    Def_race $ Vic_race $ Death_Penalty $ Count;
RUN;

PROC FREQ DATA=Homicide;
    TITLE "HOMICIDE-DEATH PENALTY PERCENTAGES";
    TABLES Def_race*Vic_race*Death_Penalty;
    TABLES Death_Penalty /NOCUM;
    WEIGHT Count;
    RUN;
```

a) In what percentage of cases was the death penalty verdict given?11.04%

| Death_Penalty | Frequency | Percent |
|---------------|-----------|---------|
| No | 290 | 88.96 |
| Yes | 36 | 11.04 |

b) When the defendant was white and the victim was black, in what percentage of cases was the death penalty verdict given?

0.0%

| Frequency | Table 2 of Vic_race by Death_Penalty | | | |
|--------------------|--------------------------------------|--------|--------|--------|
| Percent Row Pct | Controlling for Def_race=White | | | |
| Col Pct | Death_Penalty | | | Ity |
| | Vic_race | No | Yes | Total |
| | Black | 9 | 0 | 9 |
| | | 5.63 | 0.00 | 5.63 |
| | | 100.00 | 0.00 | |
| | | 6.38 | 0.00 | |
| | White | 132 | 19 | 151 |
| | | 82.50 | 11.88 | 94.38 |
| | | 87.42 | 12.58 | |
| | | 93.62 | 100.00 | |
| | Total | 141 | 19 | 160 |
| | | 88.13 | 11.88 | 100.00 |

c) When the defendant was black and the victim was white, in what percentage of cases was the death penalty verdict given?

17.46%

HOMICIDE-DEATH PENALTY PERCENTAGES The FREQ Procedure Frequency Table 1 of Vic_race by Death_Penalty Percent Controlling for Def_race=Black Row Pct Col Pct Death Penalty Total Vic_race No Yes Black 97 6 103 58.43 3.61 62.05 94.17 5.83 65.10 35.29 White 52 11 63 31.33 6.63 37.95 82.54 17.46 64.71 34.90 149 17 Total 166 89.76 10.24 100.00

d) When the races of the victim and the defendant were the same, in what percentage of cases was the death penalty given?

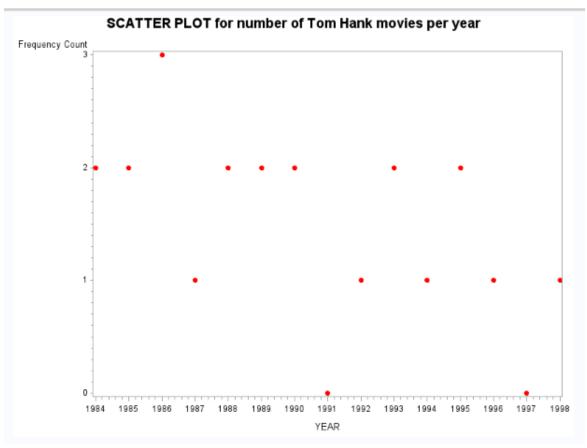
9.84%

```
PROC FREQ DATA=Homicide;
    TITLE "HOMICIDE-DEATH PENALTY PERCENTAGES";
    TABLES Death_Penalty/NOCUM;
    WHERE Def_race=Vic_race;
    WEIGHT Count;
    RUN;
```

HOMICIDE-DEATH PENALTY PERCENTAGES The FREQ Procedure Death_Penalty Frequency Percent No 229 90.16 Yes 25 9.84

3. Refer to the HANKS data. Your task is to use a SAS program to count the number of movies in which Tom Hanks appeared in each of the years from 1984-1998, then make a scatterplot with the number of movies made in each year on the vertical axis versus the year on the horizontal axis. In some years, such as 1997, he did not appear in any movies. On the scatterplot, indicate those years by plotting a point at zero. To do this you could create another dataset with all of the years from 1984-1998 by using a Do loop, then MERGE that dataset with the dataset containing the movie counts. Then, you will need to replace missing values for movie counts with zeroes.

```
DATA Hanks;
      infile
"\\Client\C$\Users\Tanay\Documents\Sem2\BusinessAnalytics\Hanks.txt" LRECL=
200 firstobs = 2;
      Input TITLE $ 1-25 YEAR 26-30 LENGTH 34-37 MPAA $ 42-47 ACTION 50-52
DRAMA 58-60 HUMOR 66-68 SEX 74 VIOLENCE 81-83 SUSPENSE 90 OFFBEAT 98;
RUN;
PROC FREQ DATA=Hanks;
      TABLES YEAR /NOCUM NOPERCENT OUT=Hanks dataset1;
Run:
DATA Hanks dataset2;
      DO YEAR = 1984 to 1998;
      OUTPUT;
      END;
RUN;
DATA Hanks total data;
      MERGE Hanks_dataset1 Hanks_dataset2;
      BY YEAR;
      IF Count=. THEN count=0;
RUN;
SYMBOL VALUE=dot COLOR=red;
PROC GPLOT DATA=Hanks total data;
      PLOT count*YEAR;
      TITLE "SCATTER PLOT for number of Tom Hank movies per year";
RUN:
```



4. Book page 117 Questions 3.10, 3.16, 3.18

3.10)

```
DATA Carotid_Sten;
    INPUT Invasive_M1 $ Non_invasive_M2 $ Count;

DATALINES;

Occuled Occuled 15
Occuled Non-Occuled 8
Non-Occuled Occuled 10
Non-Occuled Non-Occuled 67;

RUN;

PROC FREQ DATA = Carotid_Sten;
    ITTLE "Kappa Coefficient - Carotid Stenosis";
    TABLES Invasive_M1*Non_invasive_M2 /AGREE;
    WEIGHT Count;

RUN;
```

Statistics for Table of Invasive_M1 by Non_invasive_M2

| McNemar's Test | | |
|----------------|--------|--|
| Statistic (S) | 0.2222 | |
| DF | 1 | |
| Pr > S | 0.6374 | |

| Simple Kappa Coefficient | | |
|--------------------------|--------|--|
| Карра | 0.5068 | |
| ASE | 0.1008 | |
| 95% Lower Conf Limit | 0.3092 | |
| 95% Upper Conf Limit | 0.7045 | |

Sample Size = 100

```
3.16) DATA Clinical_trial;
    INPUT TABLET_GR $ OUTCOME $ COUNT_HEART_ATTACK COUNT_STROKE;
DATALINES;
ASPIRIN 1-YES 80 65
ASPIRIN 2-NO 920 935
PLACEBO 1-YES 240 165
PLACEBO 2-NO 1760 1835
;
PROC FREQ DATA=Clinical_trial;
    TITLE "Problem Clinical_trial Data-MI";
```

```
TABLES TABLET_GR*OUTCOME /CMH;
WEIGHT COUNT_HEART_ATTACK;
RUN;
PROC FREQ DATA=Clinical_trial;
TITLE "Problem Clinical_trial Data-Stroke";
TABLES TABLET_GR*OUTCOME /CMH;
WEIGHT COUNT_STROKE;
RUN;
```

Problem Clinical_trial Data-MI

| Common Odds Ratio and Relative Risks | | | | |
|--------------------------------------|---------------------------------|--------|--------|-------------|
| Statistic | Method Value 95% Confidence Lim | | | ence Limits |
| Odds Ratio | Mantel-Haenszel | 0.6377 | 0.4891 | 0.8314 |
| | Logit | 0.6377 | 0.4891 | 0.8314 |
| Relative Risk (Column 1) | Mantel-Haenszel | 0.6667 | 0.5237 | 0.8487 |
| | Logit | 0.6667 | 0.5237 | 0.8487 |
| Relative Risk (Column 2) | Mantel-Haenszel | 1.0455 | 1.0202 | 1.0713 |
| | Logit | 1.0455 | 1.0202 | 1.0713 |

Total Sample Size = 3000

Problem Clinical_trial Data-Stroke

| Common Odds Ratio and Relative Risks | | | | |
|--------------------------------------|-----------------|--------|-------------|-------------|
| Statistic | Method | Value | 95% Confide | ence Limits |
| Odds Ratio | Mantel-Haenszel | 0.7731 | 0.5741 | 1.0411 |
| | Logit | 0.7731 | 0.5741 | 1.0411 |
| Relative Risk (Column 1) | Mantel-Haenszel | 0.7879 | 0.5974 | 1.0391 |
| | Logit | 0.7879 | 0.5974 | 1.0391 |
| Relative Risk (Column 2) | Mantel-Haenszel | 1.0191 | 0.9979 | 1.0407 |
| | Logit | 1.0191 | 0.9979 | 1.0407 |

Total Sample Size = 3000

The Relative Risk of Aspirin with respect to heart attack is 0.667 while with respect to stroke is 0.7879. Both of which are statistically insignificant.

3.18)

```
Data MAG SUR;
      INPUT STUDY $ OUTPUT $ DRUG TYPE$ COUNT;
Datalines;
one survived mgso 20
one survived placebo 25
one died mgso 100
one died placebo 155
two survived mgso 25
two survived placebo 21
two died mgso 150
two died placebo 150
three survived mgso 30
three survived placebo 28
three died mgso 200
three died placebo 240
PROC FREQ DATA = MAG SUR;
      TITLE "Conducting meta-analysis to determine effect of MGSO4";
      TABLES STUDY*DRUG TYPE*OUTPUT /ALL;
      WEIGHT COUNT;
RUN;
```

| Common Odds Ratio and Relative Risks | | | | |
|--------------------------------------|-----------------|--------|-------------|-------------|
| Statistic | Method | Value | 95% Confide | ence Limits |
| Odds Ratio | Mantel-Haenszel | 0.8050 | 0.5695 | 1.1379 |
| | Logit | 0.8050 | 0.5695 | 1.1378 |
| Relative Risk (Column 1) | Mantel-Haenszel | 0.9721 | 0.9288 | 1.0174 |
| | Logit | 0.9722 | 0.9291 | 1.0172 |
| Relative Risk (Column 2) | Mantel-Haenszel | 1.2070 | 0.8942 | 1.6294 |
| | Logit | 1.2068 | 0.8940 | 1.6289 |

| Breslow-Day Test for Homogeneity of the Odds Ratios | | | |
|--|--------|--|--|
| Chi-Square 0.033 | | | |
| DF | 2 | | |
| Pr > ChiSq | 0.9836 | | |

Total Sample Size = 1144

The Overall Relative Risk is <u>0.9721</u> with lower 95% confidence Interval: <u>0.9288</u> and higher 95% confidence Interval: <u>1.01174</u>. Also the Breslow Day Statistic for Homogeneity of the odds is <u>0.9836</u>