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Title

Mechatronic Project 478
Final Report

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February 25, 2024

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Executive summary

Title of Project
...
Objectives
...
What is current practice and what are its limitations?
...
What is new in this project?
...
If the project is successful, how will it make a difference?
...
What are the risks to the project being a success? Why is it expected to be successful?
...
What contributions have/will other students made/make?
...
Which aspects of the project will carry on after completion and why?
...
What arrangements have been/will be made to expedite continuation?
...

Acknowledgements

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Constants

$$L_0 = 300 \text{ mm}$$

Variables

Re_D	Reynolds number (diameter)	[]
x	Coordinate	[m]
\ddot{x}	Acceleration	[m/s ²]
θ	Rotation angle	[rad]
τ	Moment	[N·m]

Vectors and Tensors

\vec{v} Physical vector, see equation ...

Subscripts

a	Adiabatic
a	Coordinate

Abbreviations

DEM	Discrete Element Method
FEA	Finite Element Analysis

Chapter 1

Introduction

1.1 Background

Helicopters are said to be the only aircrafts that, since its conception, has saved more lives then they have taken. Their high level of mobility, vertical take off and landings and their ability to hover give helicopters great versatility. Helicopters are the most common example of a rotary aircraft and are used in environments ranging from rocky, mountainous to stormy seas. With such high stakes it is vital to minimise points of potential failure. One of these failure points is the helicopter's tail rotor. It is required to counter the torque produced by the engine which rotates the main rotor to produce lift. If the tail rotor were stop working, the helicopter would lose its controlability and would have to land immediately. A jet-tipped rotary aircraft places the propulsion on the tips of the aircraft's rotor and thus does not produce any torque that needs to be canceled, eliminating the need of a tail rotor. As the tail rotor uses the same engine, which turns the rotor, to rotate it's blades, high speed gearboxes, clutches and transmission shafts are required, which can all be omitted in a jet-tipped rotary aircraft, reducing both its weight and its complexity.

IM TRYING TO SEE IF THIS WORKS YO

1.2 Objectives

The objectives of the project (in some cases the objectives of the report). If necessary describe limitations to the scope.

1.3 Motivation

Why this specific project/report is worthwhile.

Chapter 2

Literature Review

2.1 Historical development

The advantage of the [[Jet-Tipped Helicopter]] is the omission of the transmission and [[tail rotor]], thus making it more simple and cheaper to produce. The decreased weight allows it to have a larger payload. No need for a high-speed gear boxes, clutches, transmission shafts, oil system w/ tanks .

2.2 Rotary wing control system and stability

The objectives of the project (in some cases the objectives of the report). If necessary describe limitations to the scope.

2.3 Current state of the art

Why this specific project/report is worthwhile.

Chapter 3

Research questions

3.1 Can the blade pitched be controlled using propulsion and a spring?

We will see...

Appendix A

Mathematical proofs

A.1 Euler's equation

Euler's equation gives the relationship between the trigonometric functions and the complex exponential function.

$$e^{i\theta} = \cos \theta + i \sin \theta \quad (\text{A.1})$$

Inserting $\theta = \pi$ in (A.1) results in Euler's identity

$$e^{i\pi} + 1 = 0 \quad (\text{A.2})$$

A.2 Navier Stokes equation

The Navier–Stokes equations mathematically express momentum balance and conservation of mass for Newtonian fluids. Navier-Stokes equations using tensor notation:

$$\frac{\partial \rho}{\partial t} + \frac{\partial}{\partial x_j} [\rho u_j] = 0 \quad (\text{A.3a})$$

$$\frac{\partial}{\partial t} (\rho u_i) + \frac{\partial}{\partial x_j} [\rho u_i u_j + p \delta_{ij} - \tau_{ji}] = 0, \quad i = 1, 2, 3 \quad (\text{A.3b})$$

$$\frac{\partial}{\partial t} (\rho e_0) + \frac{\partial}{\partial x_j} [\rho u_j e_0 + u_j p + q_j - u_i \tau_{ij}] = 0 \quad (\text{A.3c})$$

Appendix B

Experimental results