



# Numerical Computing (NC-2008)

Course Instructor
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## Lecture # 01

Orientation

About Course, Marking Division (Proposed), Class Protocols

Let's Begin





### **Course Details**

Textbook(s)	Title	Numerical Analysis, 9th Edition	
	Author	Burden and Faires	
	Publisher	BOOKS/COLE (Cengage Learning)	
Ref. Book(s)	Title	Numerical Methods in Engineering with Python 3	
	Author	Jaan Kiusalaas	
	Title	Applied Numerical Methods with Matlab for Engineers and Scientist, 3 <sup>rd</sup> Edition	
	Author	Steven C,Chapra	





### **MARKING DIVISION**

Particulars	% Marks
Sessional I (Theory + Lab)	15
Sessional II (Theory + Lab)	15
Assignment (Theory + Lab + Project)	14
Quiz/Lab Task	06
Final (Theory + Lab)	50
Total	100
	200





### **Protocols**

- o Be in Classroom on time
- o Student who arrive more than 5 minutes late will be marked LATE & after 15 minutes as ABSENT
- o Keep remember to turn off your Cell phone before entering the class
- Avoid conversation during lecture
- Submit your Assignment on time. No submission after the deadline
- o Always bring your Work Book/Note Book and Calculator with you in the class





### **Academic Calendar for Spring 2024 Semester**

### **BS/BBA Program**

S. No.	Week	Description	Date
1.	0	New Faculty Training	Jan 08 – 12 (Mon – Fri)
2.	0	The registration process of the course (s) start and its last date	Jan 17 – 19 (Wed - Fri)
3.	1	Commencement of the Classes	Jan 22 (Mon)
4.	2	Add & Drop of Courses	Feb 03 (Sat)
5.	2	Last Date for Applying Semester's freeze	Feb 03 (Sat)
6.	6	Sessional-I Examinations	Feb 26 – 29 (Mon - Thu)
7.		Procom Days	Mar 08 – Mar 09 (Fri – Sat)
8.	12	Sessional-II Examinations	Apr 08 – 11 (Mon - Thu)
9.	14	Developers Day	April 25 (Thu)
10.	16	Last Day of Classes	May 10 (Fri)
11.	17	Last Date of Withdrawal of Courses	May 17 (Fri)
12.	18-19	Final Examinations	May 20 – 31 (Mon - Fri)
13.	21	Final Result Announcement	June 08 (Sat)

#### Note:

Campus may decide to open on Saturday due to Procom Day, Developers Day, and Public holidays.





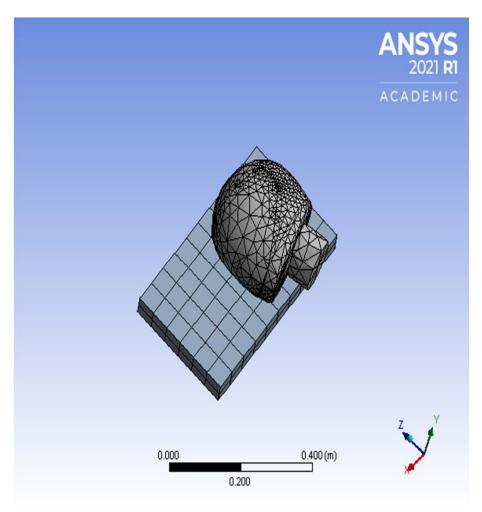
### Why Numerical Methods??

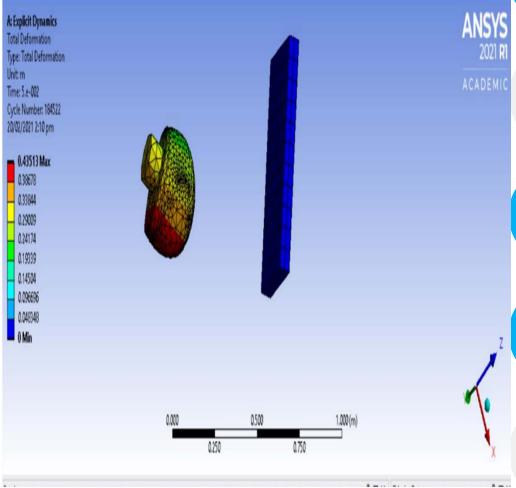
To accurately *approximate* the solutions of problems that cannot be solved exactly (by analytical method).





## **Application of Numerical Computing in your domain??**









### Some of the Applications:

- ✓ Image Processing
- **✓** Computer Vision
- ✓ Computer Graphics (rendering, animation),
- ✓ Climate Modeling,
- ✓ Weather Predictions,
- ✓ "Virtual" crash-testing of cars etc.
- ✓ medical imaging (CT = Computed Tomography),
- ✓ CAD (Computer-Aided Design)
- ✓ And many more





### Some Challenges/Issues in NC:

- √ Accuracy
- **✓** Precision
- ✓ Errors (True & Approximate)
- ✓ Significant Figures etc.





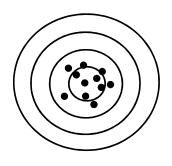
## Accuracy:

Accuracy:

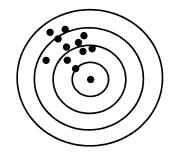
"How closely a computed value agrees with the true value"

Bias/Inaccuracy :

"A systematic deviation from the truth"



Accurate



Biased/Inaccurate

VS.





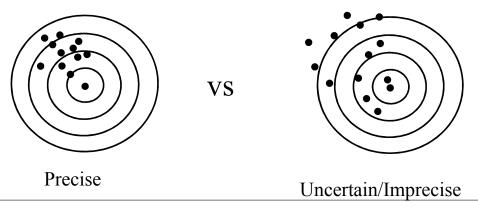
### **Precision:**

• Precision:

"How closely individual computed values agree with each other"

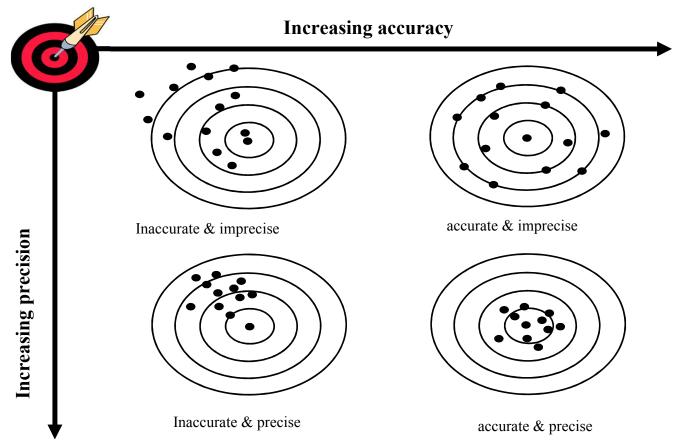
• Uncertainty/Imprecision:

"magnitude of scatter"













### **Measurement of Errors:**

- When the current solution is compared with the *true/exact solution*, the error involved is called **true error**
- When the current solution is compared with the solution obtained in the *previous iteration*, the error involved is called **approximate error**





### **True Errors:**

"It is used to measure the lack of accuracy of an estimate"

• True (absolute) error =  $\mathbf{E_t}$  = True value – Approximation

• True Relative error = 
$$\frac{E_t}{True \ value}$$

• True Percent Relative Error = 
$$\frac{True \, value - approximation}{True \, value} \times 100\%$$





### **Approximate Errors:**

"Used to measure the lack of precision of an estimate"

- Approximate (Absolute) Error
  - $\mathbf{E_a}$  = Current approximation Previous approximation
- Approximate Relative Error =  $E_a$  / Current approx.
- Approx. Percent Relative Error =  $\frac{\text{Current approx.} \text{Previous approx}}{\text{Current approx}} \times 100\%$





### **Practice Problem:**

The following sequence of estimates was obtained when a numerical method was applied to solve the equation:

$$x^4 - 5x - 7 = 0$$

1.8254 1.9633 2.0121 2.0283 2.0335 2.0351 2.0356

2.0358

Calculate the **four errors (True & Relative errors, Approximate & Relative errors)** for these estimates, given that one of the roots of the equation is 2.0359.