

Name and ID: SolutionSection: BCS-3G

Marks: 15

**Question#01 [6 Marks]**

- a. Write a recursive function that takes a Binary Search Trees (BST) root pointer and return height of the given tree. [4+1]

i. `int HeightOfTheTree(const BTreeNode *tree)`

Height of a Binary Tree: The height for a null tree is 0, which the height of a binary tree is the distance from root to the farthest leaf node.

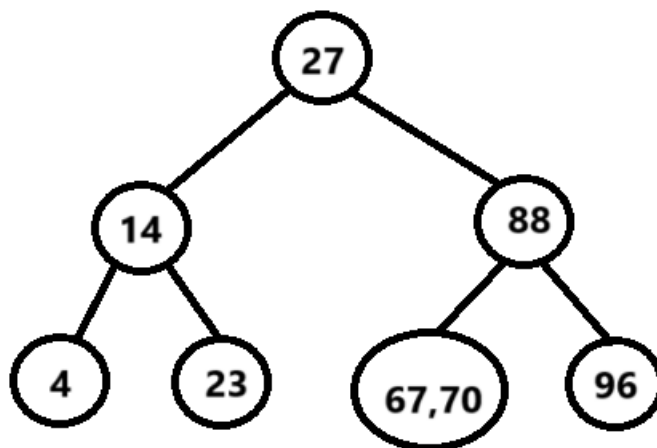
```
int HeightOfTheTree(BTreeNode* root) {  
    // Base case: empty tree has height 0  
    if (root == 0)  
        return 0;  
    // recur for left and right subtree and consider farthest  
    // each call add one to the height  
    return 1 + max(HeightOfTheTree(root->left), HeightOfTheTree(root->right));  
}
```

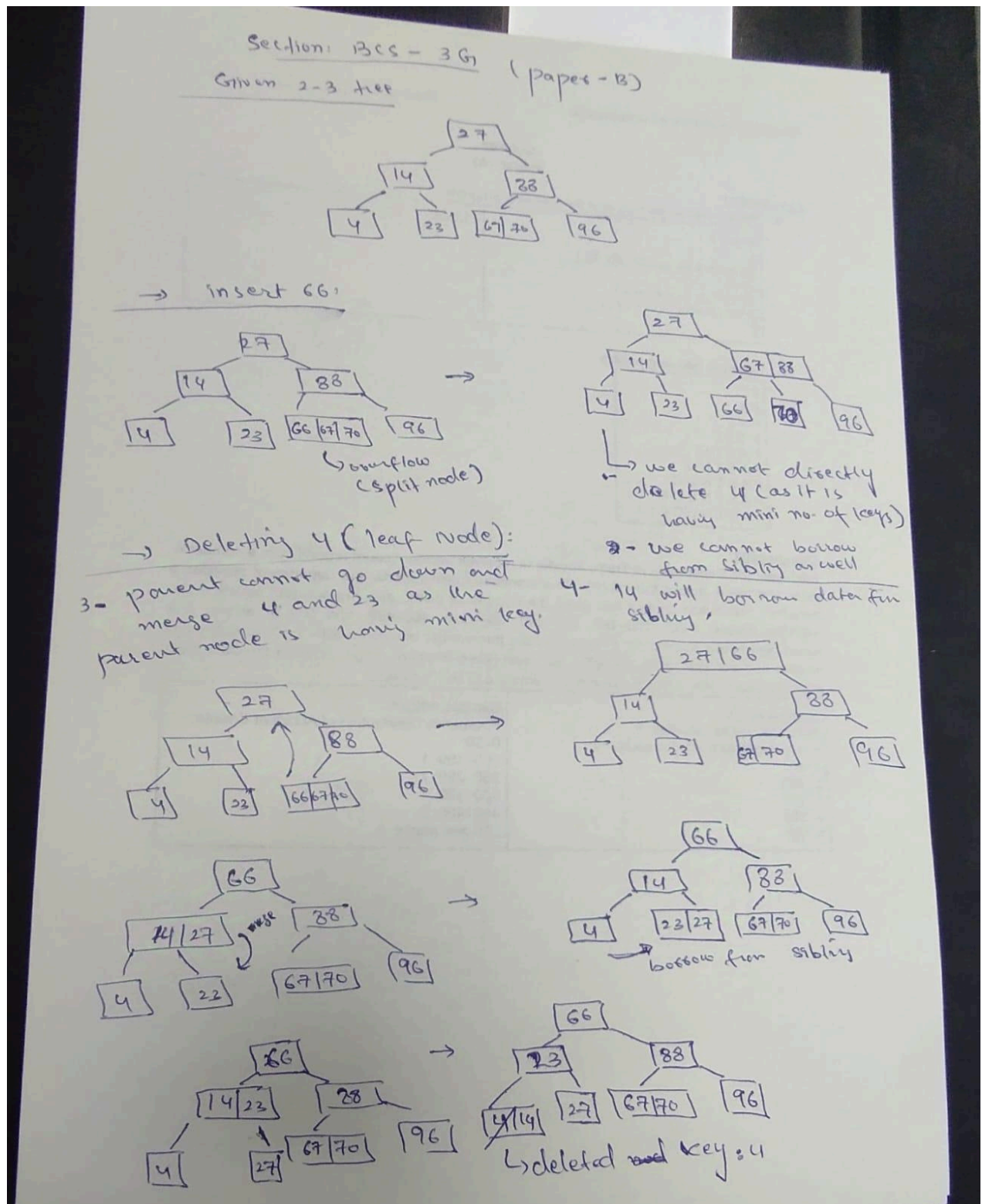
- ii. What will be the time complexity of this operation?  $O(n)$
- b. What are the postfix forms of the expression? [1]  
 $A+B*(C-D)/(P-R)$

Postfix form:  $ABCD-*PR-/+$

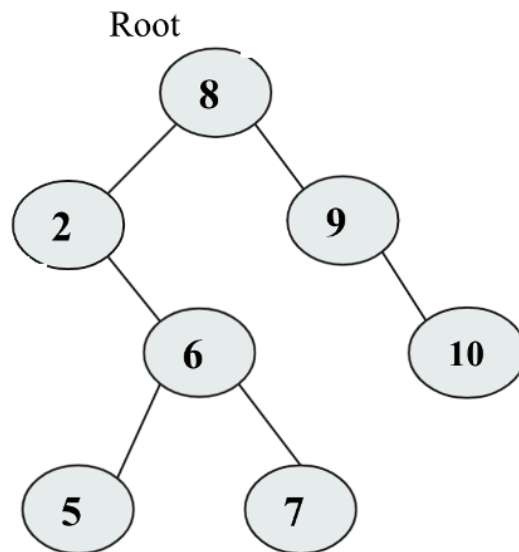
**Question#02 [4+5 Marks]**

- a. Given the 2-3 tree below, insert 66 and delete 4. Show each step of the process clearly and the final resulting tree by drawing each step clearly.

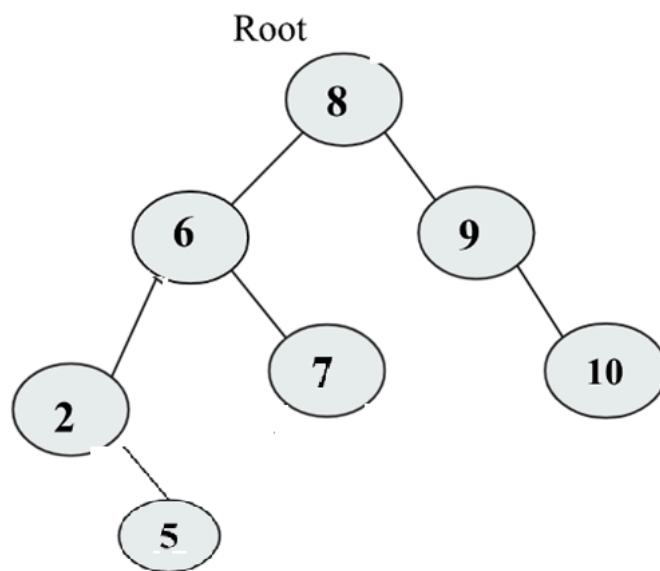




- a. Find which node is imbalance in the following tree and which AVL rotation is used to balance the node. Show rotation dry run and write C++ function for that rotation case.



Rotation case: RR imbalance (left rotate)



#### left rotation

```
Node* RR_rotation(Node* node) {  
    Node* child = node->right_node;  
    node->right_node = child->left_node;  
    child->left_node = node;  
  
    node->height = max(get_height(node->left_node), get_height(node->right_node)) + 1;  
    child->height = max(get_height(child->left_node), get_height(child->right_node)) + 1;  
  
    return child;  
}
```