

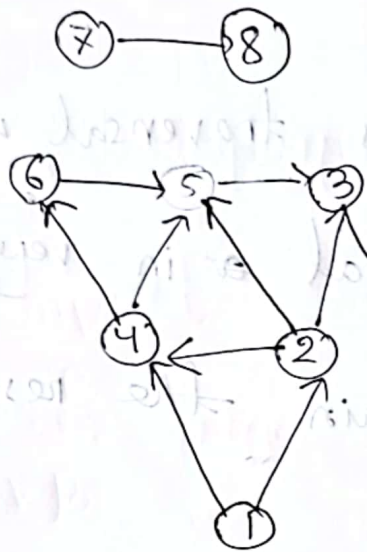
Name: Rarin Sution

ID: 22301219

See: 16

LAB assignment 5
code explanation

Task 101



1
 2
 3
 4
 5
 6
 7
 8

1 2 3 4 5 6 7 8

node	indegne
1	0
2	1 + 0
3	2 + 1 + 0
4	2 + 1 + 0
5	3 + 2 + 0
6	1 + 0
7	0
8	0

where first we have count all the indegrees of every node. the if any node's indegree is 0 we add to the queue and visit all his neighbours And updated the indegree count of that visited nodes (-1). the queue is our answer.

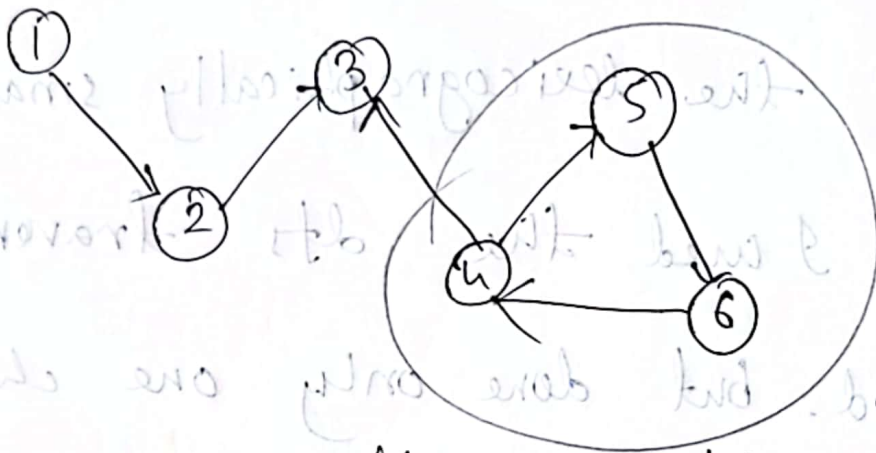
1. (a)

Here ~~not~~ for the dfs traversal we would just do a normal dfs traversal in every unvisited node and maintain the recursion stack.

The recursion stack in the opposite order of $[: : -1]$ will be our answer.

But we will face problems while detecting the "Impossible" cases.

An impossible case :



here we can see it's a impossible case.

we can detect impossible cases if

any circle is found. So, I have

take a rec-stack ~~list~~ \Rightarrow boolean

list to detect any circle. if

we find any circle we just
return "Impossible".

Task 2

to get the lexicographically smaller path: I used the dfs traversal method. but done only one change

before deque anything for the queue we just ~~not~~ made the queue sorted; so that we can maintain the lexicographically smaller path

queue = deque(sorted(queue))

Tasks:

find see:

fun:dfs;

- ① it's a function give us the dfs recursion stack
- ② the transpose-graph give us the same graph just in the opposite direction.
- ③ then we run dfs - see in the the transpose-graph in ~~the~~ according to the recursion stack, and we find - see to detect every cycle.