

```

> restart;
1. a)
> ec1:=diff(x(t),t)=x(t)+4*y(t)

$$ec1 := \frac{d}{dt} x(t) = x(t) + 4 y(t) \quad (1)$$


> ec2:=diff(y(t),t)=x(t)+y(t)

$$ec2 := \frac{d}{dt} y(t) = x(t) + y(t) \quad (2)$$


> sist:=ec1,ec2

$$sist := \frac{d}{dt} x(t) = x(t) + 4 y(t), \frac{d}{dt} y(t) = x(t) + y(t) \quad (3)$$


> with(DEtools)
[AreSimilar, Closure, DENormal, DEplot, DEplot3d, DEplot_polygon, DFactor, DFactorLCLM,
DFactorsols, Dchangevar, Desingularize, FindODE, FunctionDecomposition, GCRD, Gosper,
Heunsols, Homomorphisms, IVPsol, IsHyperexponential, LCLM, MeijerGsols,
MultiplicativeDecomposition, ODEInvariants, PDEchangecoords, PolynomialNormalForm,
RationalCanonicalForm, ReduceHyperexp, RiemannPsols, Xchange, Xcommutator, Xgauge,
Zeilberger, abelsol, adjoint, autonomous, bernoullisol, buildsol, buildsym, canoni, caseplot,
casesplit, checkrank, chinisol, clairautsol, constcoeffsols, convertAlg, convertsys, dalembertsol,
dcoeffs, de2diffop, dfieldplot, diff_table, diffop2de, dperiodic_sols, dpolyform, dsubs, eigenring,
endomorphism_charpoly, equinv, eta_k, eulersols, exactsol, expsols, exterior_power, firint,
firtest, formal_sol, gen_exp, generate_ic, genhomosol, gensys, hamilton_eqs,
hypergeometricsols, hypergeomsols, hyperode, indicialeq, infgen, initialdata, integrate_sols,
intfactor, invariants, kovacicsols, leftdivision, liesol, line_int, linearsol, matrixDE,
matrix_riccati, maxdimsystems, moser_reduce, muchange, mult, mutest, newton_polygon,
normalG2, ode_int_y, ode_y1, odeadvisor, odepde, parametricsol, particularsol, phaseportrait,
poincare, polysols, power_equivalent, rational_equivalent, ratsols, redode, reduceOrder,
reduce_order, regular_parts, regularsp, remove_RootOf, riccati_system, riccatisol, rifread,
rifsimp, righdivision, rtaylor, separablesol, singularities, solve_group, super_reduce, symgen,
symmetric_power, symmetric_product, symtest, transinv, translate, untranslate, varparam,
zoom]

> with(plots)
[animate, animate3d, animatecurve, arrow, changecoords, complexplot, complexplot3d, conformal,
conformal3d, contourplot, contourplot3d, coordplot, coordplot3d, densityplot, display,
dualaxisplot, fieldplot, fieldplot3d, gradplot, gradplot3d, implicitplot, implicitplot3d, inequal,
interactive, interactiveparams, intersectplot, listcontplot, listcontplot3d, listdensityplot, listplot,
listplot3d, loglogplot, logplot, matrixplot, multiple, odeplot, pareto, plotcompare, pointplot,
pointplot3d, polarplot, polygonplot, polygonplot3d, polyhedra_supported, polyhedraplot,
rootlocus, semilogplot, setcolors, setoptions, setoptions3d, shadebetween, spacecurve,

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sparsematrixplot, surfdata, textplot, textplot3d, tubeplot]

> sist

$$\frac{d}{dt} x(t) = x(t) + 4y(t), \frac{d}{dt} y(t) = x(t) + y(t) \quad (6)$$

> dsolve({sist},{x(t),y(t)})

$$\left\{ x(t) = c_1 e^{3t} + c_2 e^{-t}, y(t) = \frac{c_1 e^{3t}}{2} - \frac{c_2 e^{-t}}{2} \right\} \quad (7)$$

> sol:=dsolve({sist},{x(t),y(t)})

$$sol := \left\{ x(t) = c_1 e^{3t} + c_2 e^{-t}, y(t) = \frac{c_1 e^{3t}}{2} - \frac{c_2 e^{-t}}{2} \right\} \quad (8)$$

1b

> ec1:=diff(x(t),t)=2*x(t)-y(t)

$$ec1 := \frac{d}{dt} x(t) = 2x(t) - y(t) \quad (9)$$

> ec2:=diff(y(t),t)=x(t)+2*y(t)

$$ec2 := \frac{d}{dt} y(t) = x(t) + 2y(t) \quad (10)$$

> sist:=ec1,ec2

$$sist := \frac{d}{dt} x(t) = 2x(t) - y(t), \frac{d}{dt} y(t) = x(t) + 2y(t) \quad (11)$$

> sol:=dsolve({sist},{x(t),y(t)})

$$sol := \left\{ x(t) = e^{2t} (c_2 \cos(t) + c_1 \sin(t)), y(t) = -e^{2t} (\cos(t) c_1 - \sin(t) c_2) \right\} \quad (12)$$

1c

> ec1:=diff(x(t),t)=x(t)-y(t)+z(t)

$$ec1 := \frac{d}{dt} x(t) = x(t) - y(t) + z(t) \quad (13)$$

> ec2:=diff(y(t),t)=x(t)+y(t)-z(t)

$$ec2 := \frac{d}{dt} y(t) = x(t) + y(t) - z(t) \quad (14)$$

> ec3:=diff(z(t),t)=-y(t)+2*z(t)

$$ec3 := \frac{d}{dt} z(t) = -y(t) + 2z(t) \quad (15)$$

> sist:=ec1,ec2,ec3

$$sist := \frac{d}{dt} x(t) = x(t) - y(t) + z(t), \frac{d}{dt} y(t) = x(t) + y(t) - z(t), \frac{d}{dt} z(t) = -y(t) + 2z(t) \quad (16)$$

> sol:=dsolve({sist},{x(t),y(t),z(t)})

$$sol := \left\{ x(t) = c_1 e^{2t} + c_2 e^t + c_3 e^t t + c_3 e^t, y(t) = e^t (c_3 t + c_2 - c_3), z(t) = c_1 e^{2t} + c_2 e^t + c_3 e^t t \right\} \quad (17)$$

1d

```
> ec1:=diff(x(t),t)=5*x(t)+3*y(t)+1
```

$$ec1 := \frac{d}{dt} x(t) = 5x(t) + 3y(t) + 1 \quad (18)$$

```
> ec2:=diff(y(t),t)=-6*x(t)-4*y(t)+exp(-t)
```

$$ec2 := \frac{d}{dt} y(t) = -6x(t) - 4y(t) + e^{-t} \quad (19)$$

```
> sist:=ec1,ec2
```

$$sist := \frac{d}{dt} x(t) = 5x(t) + 3y(t) + 1, \frac{d}{dt} y(t) = -6x(t) - 4y(t) + e^{-t} \quad (20)$$

```
> sol:=dsolve({sist},{x(t),y(t)})
```

$$sol := \left\{ x(t) = e^{2t} c_2 + e^{-t} c_1 - 2 - t e^{-t} - \frac{e^{-t}}{3}, y(t) = -e^{2t} c_2 - 2 e^{-t} c_1 + \frac{e^{-t}}{3} + 2 t e^{-t} + 3 \right\} \quad (21)$$

1e

```
> ec1:=diff(x(t),t)=x(t)+3*y(t)+cos(t)
```

$$ec1 := \frac{d}{dt} x(t) = x(t) + 3y(t) + \cos(t) \quad (22)$$

```
> ec2:=diff(y(t),t)=x(t)-y(t)+2*t
```

$$ec2 := \frac{d}{dt} y(t) = x(t) - y(t) + 2t \quad (23)$$

```
> sist:=ec1,ec2
```

$$sist := \frac{d}{dt} x(t) = x(t) + 3y(t) + \cos(t), \frac{d}{dt} y(t) = x(t) - y(t) + 2t \quad (24)$$

```
> sol:=dsolve({sist},{x(t),y(t)})
```

$$sol := \left\{ x(t) = 3 e^{2t} c_2 - e^{-2t} c_1 + \frac{\sin(t)}{5} - \frac{\cos(t)}{5} - \frac{3t}{2}, y(t) = e^{2t} c_2 + e^{-2t} c_1 - \frac{\cos(t)}{5} + \frac{t}{2} - \frac{1}{2} \right\} \quad (25)$$

1f

```
> ec1:=diff(x(t),t)=x(t)-2*y(t)-2*z(t)+exp(-t)
```

$$ec1 := \frac{d}{dt} x(t) = x(t) - 2y(t) - 2z(t) + e^{-t} \quad (26)$$

```
> ec2:=diff(y(t),t)=-2*x(t)+y(t)+2*z(t)
```

$$ec2 := \frac{d}{dt} y(t) = -2x(t) + y(t) + 2z(t) \quad (27)$$

```
> ec3:=diff(z(t),t)=2*x(t)-y(t)-3*z(t)+exp(-t)
```

$$ec3 := \frac{d}{dt} z(t) = 2x(t) - y(t) - 3z(t) + e^{-t} \quad (28)$$

```
> sist:=ec1,ec2,ec3
```

$$sist := \frac{d}{dt} x(t) = x(t) - 2y(t) - 2z(t) + e^{-t}, \frac{d}{dt} y(t) = -2x(t) + y(t) + 2z(t), \frac{d}{dt} z(t) \quad (29)$$

$$= 2x(t) - y(t) - 3z(t) + e^{-t}$$

> sol:=dsolve({sist},{x(t),y(t),z(t)})

$$\begin{aligned} sol := & \left\{ x(t) = -c_2 e^{\sqrt{3}t} - c_3 e^{-\sqrt{3}t} + e^{-t} c_1 + t e^{-t}, y(t) = c_2 e^{\sqrt{3}t} + c_3 e^{-\sqrt{3}t}, z(t) \right. \\ & \left. = \frac{c_2 \sqrt{3} e^{\sqrt{3}t}}{2} - \frac{c_3 \sqrt{3} e^{-\sqrt{3}t}}{2} - \frac{3 c_2 e^{\sqrt{3}t}}{2} - \frac{3 c_3 e^{-\sqrt{3}t}}{2} + e^{-t} c_1 + t e^{-t} \right\} \end{aligned} \quad (30)$$

2a

> ec1:=diff(x(t),t)=x(t)+4*y(t)

$$ec1 := \frac{d}{dt} x(t) = x(t) + 4y(t) \quad (31)$$

> ec2:=diff(y(t),t)=x(t)+y(t)

$$ec2 := \frac{d}{dt} y(t) = x(t) + y(t) \quad (32)$$

> sist:=ec1,ec2

$$sist := \frac{d}{dt} x(t) = x(t) + 4y(t), \frac{d}{dt} y(t) = x(t) + y(t) \quad (33)$$

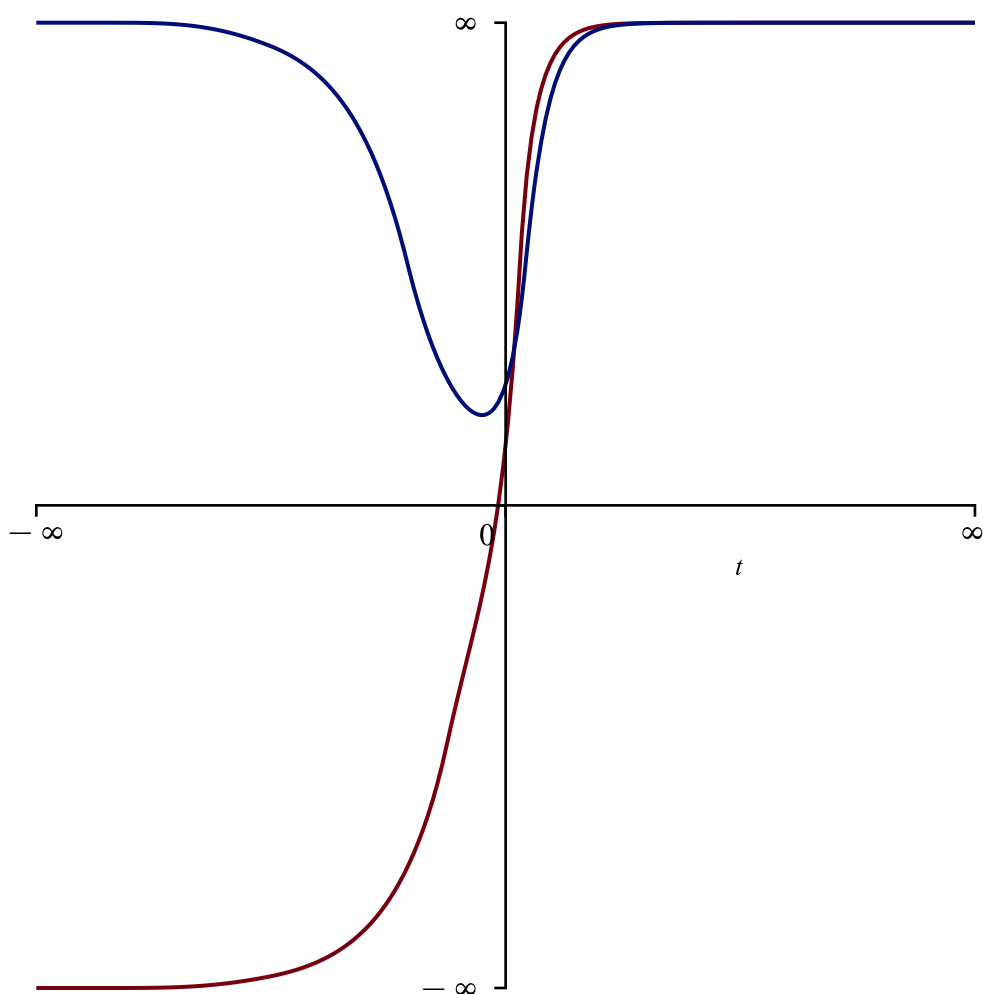
> cond_in:=x(0)=1,y(0)=2

$$cond_in := x(0) = 1, y(0) = 2 \quad (34)$$

> sol:=dsolve({sist,cond_in},{x(t),y(t)})

$$sol := \left\{ x(t) = \frac{5 e^{3t}}{2} - \frac{3 e^{-t}}{2}, y(t) = \frac{5 e^{3t}}{4} + \frac{3 e^{-t}}{4} \right\} \quad (35)$$

> plot([unapply(rhs(sol[1]), t)(t), unapply(rhs(sol[2]), t)(t)], t=-infinity..infinity)



2b

> **ec1:=diff(x(t),t)=x(t)-y(t)+t-1**

$$ec1 := \frac{d}{dt} x(t) = x(t) - y(t) + t - 1 \quad (36)$$

> **ec2:=diff(y(t),t)=-2*x(t)+4*y(t)+cos(t)**

$$ec2 := \frac{d}{dt} y(t) = -2x(t) + 4y(t) + \cos(t) \quad (37)$$

> **sist:=ec1,ec2**

$$sist := \frac{d}{dt} x(t) = x(t) - y(t) + t - 1, \frac{d}{dt} y(t) = -2x(t) + 4y(t) + \cos(t) \quad (38)$$

> **cond_in:=x(0)=0,y(0)=1**

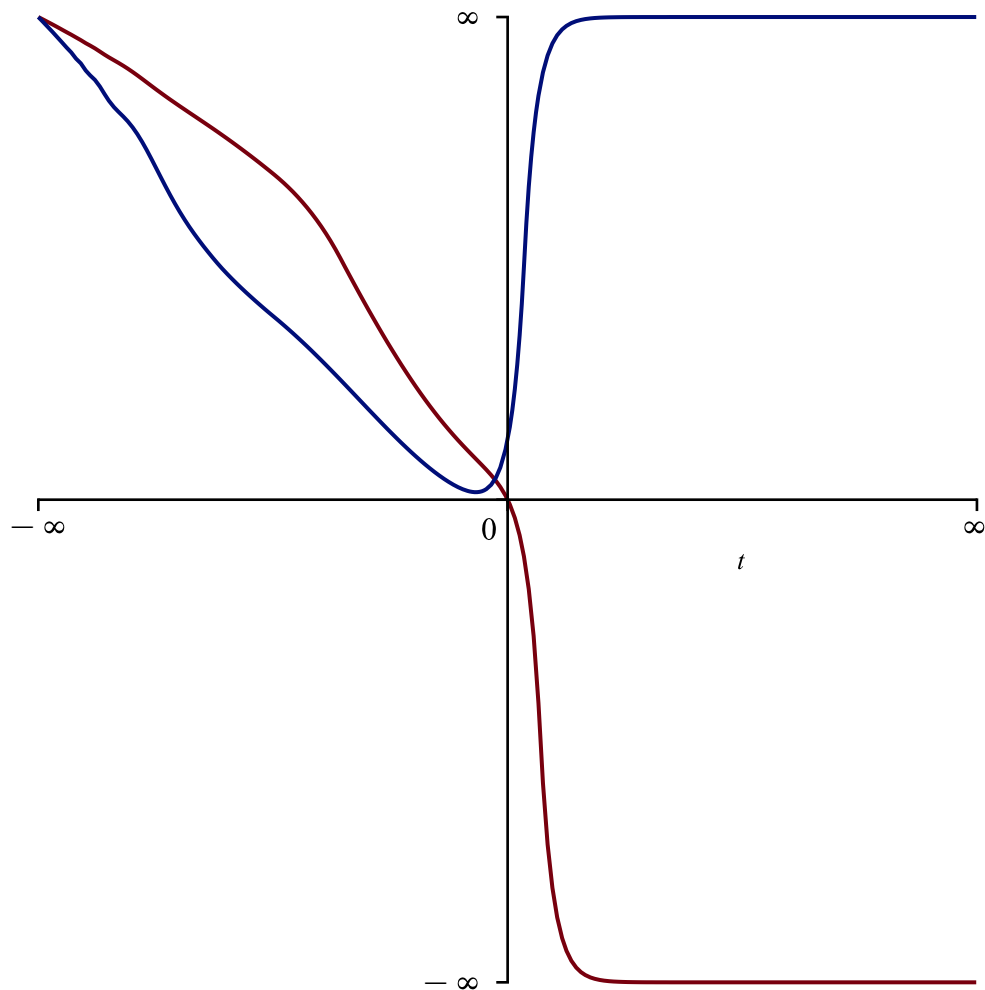
$$cond_in := x(0) = 0, y(0) = 1 \quad (39)$$

> **sol:=dsolve({sist,cond_in},{x(t),y(t)})**

$$sol := \begin{cases} x(t) = e^{\frac{(5+\sqrt{17})t}{2}} \left(\frac{33}{26} - \frac{5\sqrt{17}}{13} \right) + e^{\frac{(-5+\sqrt{17})t}{2}} \left(\frac{33}{26} + \frac{5\sqrt{17}}{13} \right) + \frac{5 \sin(t)}{26} \end{cases} \quad (40)$$

$$\begin{aligned}
 -\frac{\cos(t)}{26} - 2t - \frac{5}{2}, y(t) = & -\frac{e^{\frac{(5+\sqrt{17})t}{2}} \left(\frac{33}{26} - \frac{5\sqrt{17}}{13} \right) \sqrt{17}}{2} \\
 & + \frac{e^{-\frac{(-5+\sqrt{17})t}{2}} \left(\frac{33}{26} + \frac{5\sqrt{17}}{13} \right) \sqrt{17}}{2} - \frac{3e^{\frac{(5+\sqrt{17})t}{2}} \left(\frac{33}{26} - \frac{5\sqrt{17}}{13} \right)}{2} \\
 & - \frac{3e^{-\frac{(-5+\sqrt{17})t}{2}} \left(\frac{33}{26} + \frac{5\sqrt{17}}{13} \right)}{2} - \frac{3\cos(t)}{13} + \frac{2\sin(t)}{13} - t - \frac{3}{2} \Bigg\}
 \end{aligned}$$

```
> plot([unapply(rhs(sol[1]), t)(t), unapply(rhs(sol[2]), t)(t)], t=-infinity..infinity)
```



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2c
```

```
> ec1:=diff(x(t),t)=x(t)+2*y(t)+exp(-t)
```

$$ec1 := \frac{d}{dt} x(t) = x(t) + 2y(t) + e^{-t}$$

(41)

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> ec2:=diff(y(t),t)=-2*x(t)+y(t)+1
```

$$ec2 := \frac{d}{dt} y(t) = -2x(t) + y(t) + 1 \quad (42)$$

> sist:=ec1,ec2

$$sist := \frac{d}{dt} x(t) = x(t) + 2y(t) + e^{-t}, \frac{d}{dt} y(t) = -2x(t) + y(t) + 1 \quad (43)$$

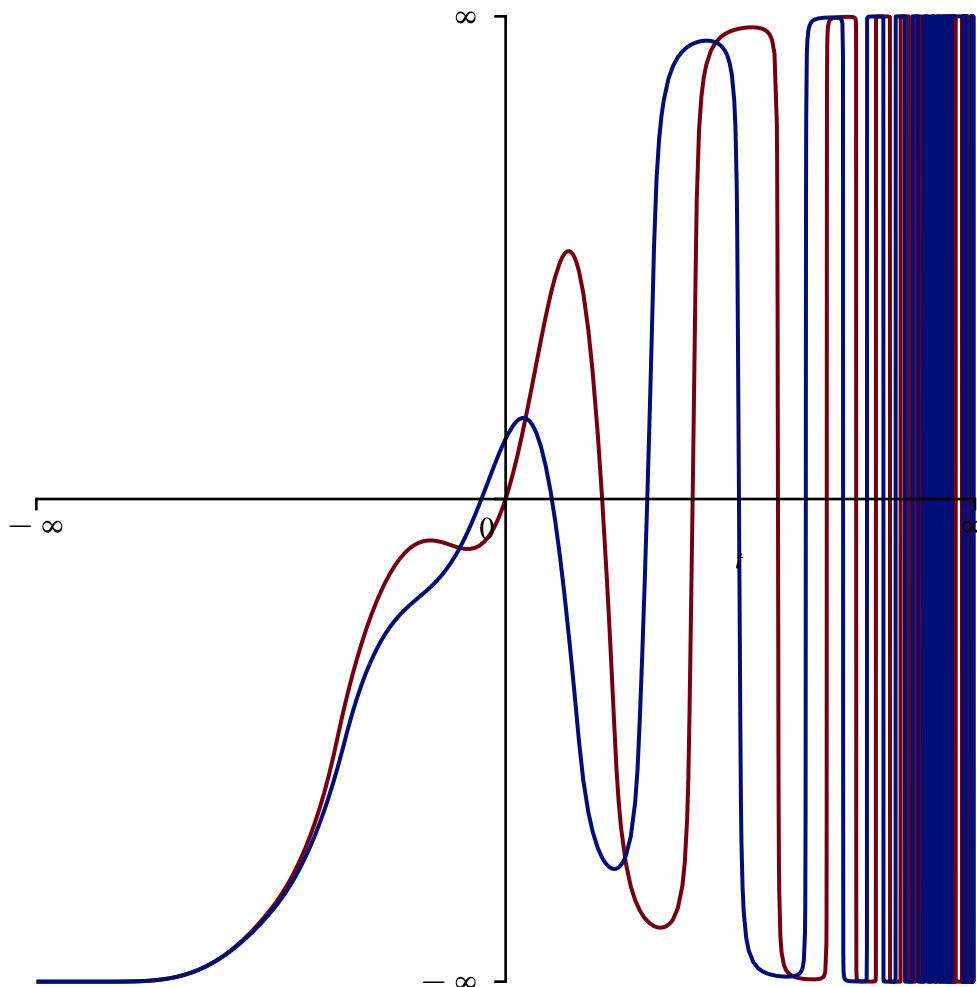
> cond_in:=x(0)=0,y(0)=1

$$cond_in := x(0) = 0, y(0) = 1 \quad (44)$$

> sol:=dsolve({sist,cond_in},{x(t),y(t)})

$$sol := \left\{ x(t) = -\frac{3e^t \cos(2t)}{20} + \frac{29e^t \sin(2t)}{20} - \frac{e^{-t}}{4} + \frac{2}{5}, y(t) = \frac{3e^t \sin(2t)}{20} + \frac{29e^t \cos(2t)}{20} - \frac{1}{5} - \frac{e^{-t}}{4} \right\} \quad (45)$$

> plot([unapply(rhs(sol[1]), t)(t), unapply(rhs(sol[2]), t)(t)], t=-infinity..infinity)



2d

> ec1:=diff(x(t),t)=-x(t)+3*y(t)+3*z(t)+27*t*t

$$ec1 := \frac{d}{dt} x(t) = -x(t) + 3y(t) + 3z(t) + 27t^2 \quad (46)$$

```
> ec2:=diff(y(t),t)=2*x(t)-2*y(t)-5*z(t)+3*t
```

$$ec2 := \frac{d}{dt} y(t) = 2x(t) - 2y(t) - 5z(t) + 3t \quad (47)$$

```
> ec3:=diff(z(t),t)=-2*x(t)+3*y(t)+6*z(t)+3
```

$$ec3 := \frac{d}{dt} z(t) = -2x(t) + 3y(t) + 6z(t) + 3 \quad (48)$$

```
> sist:=ec1,ec2,ec3
```

$$sist := \frac{d}{dt} x(t) = -x(t) + 3y(t) + 3z(t) + 27t^2, \frac{d}{dt} y(t) = 2x(t) - 2y(t) - 5z(t) + 3t, \frac{d}{dt} z(t) = -2x(t) + 3y(t) + 6z(t) + 3 \quad (49)$$

$$z(t) = -2x(t) + 3y(t) + 6z(t) + 3$$

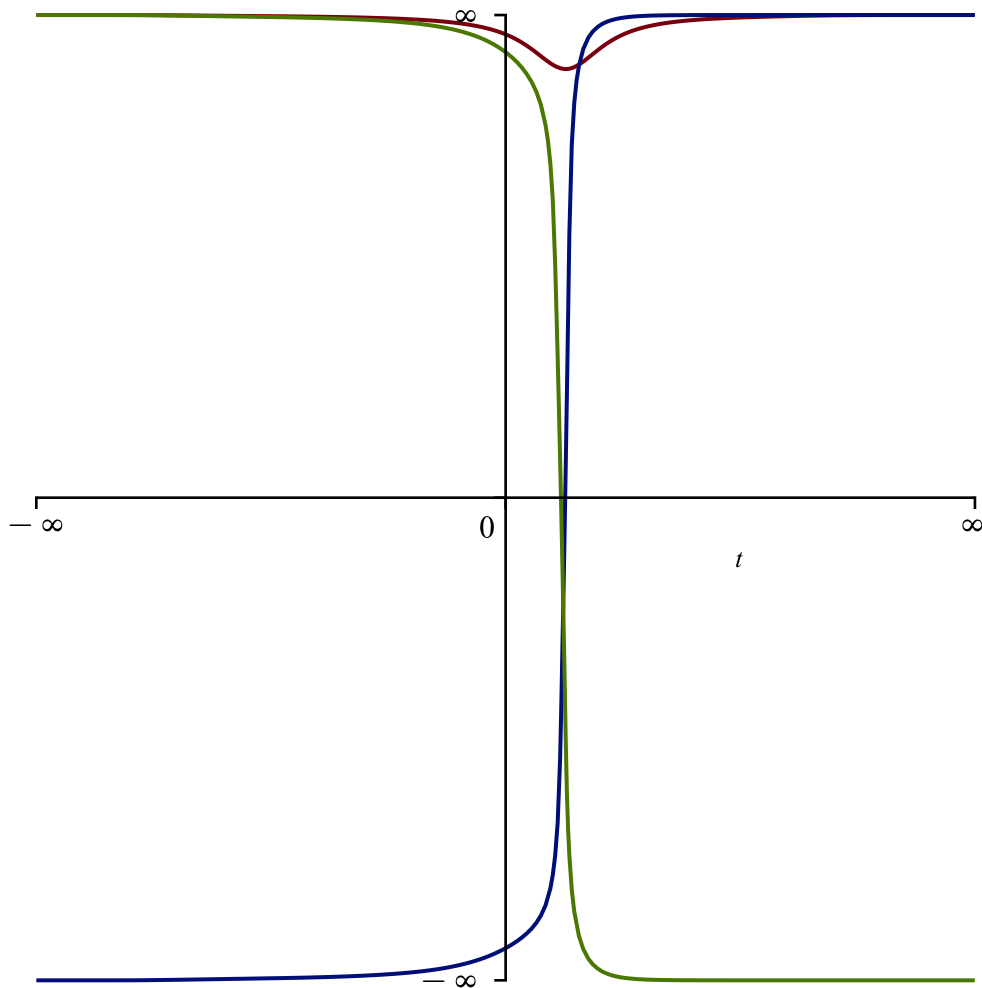
```
> cond_in:=x(0)=50,y(0)=-30,z(0)=26
```

$$cond_in := x(0) = 50, y(0) = -30, z(0) = 26 \quad (50)$$

```
> sol:=dsolve({sist,cond_in},{x(t),y(t),z(t)})
```

$$sol := \{x(t) = 3e^t + 2e^{-t} + 27t^2 - 63t + 45, y(t) = e^{3t} + 2e^t - 18t^2 + 24t - 32 - e^{-t}, z(t) = -e^{3t} - 27t + 26 + 18t^2 + e^{-t}\} \quad (51)$$

```
> plot([unapply(rhs(sol[1]),t)(t),unapply(rhs(sol[2]),t)(t),
unapply(rhs(sol[3]),t)(t)],t=-infinity..infinity)
```



$$\begin{aligned} &> \text{ec1} := \text{diff}(x(t), t) = x(t) + y(t) \\ &\quad \text{ec1} := \frac{d}{dt} x(t) = x(t) + y(t) \end{aligned} \quad (52)$$

$$\begin{aligned} &> \text{ec2} := \text{diff}(y(t), t) = -2*x(t) + 4*y(t) \\ &\quad \text{ec2} := \frac{d}{dt} y(t) = -2x(t) + 4y(t) \end{aligned} \quad (53)$$

$$\begin{aligned} &> \text{sist} := \text{ec1}, \text{ec2} \\ &\quad \text{sist} := \frac{d}{dt} x(t) = x(t) + y(t), \frac{d}{dt} y(t) = -2x(t) + 4y(t) \end{aligned} \quad (54)$$

$$\begin{aligned} &> \text{sol1} := \text{dsolve}(\{\text{sist}, x(0)=3, y(0)=0\}, \{x(t), y(t)\}) \\ &\quad \text{sol1} := \{x(t) = -3e^{3t} + 6e^{2t}, y(t) = -6e^{3t} + 6e^{2t}\} \end{aligned} \quad (55)$$

$$\begin{aligned} &> \text{sol2} := \text{dsolve}(\{\text{sist}, x(0)=0, y(0)=3\}, \{x(t), y(t)\}) \\ &\quad \text{sol2} := \{x(t) = 3e^{3t} - 3e^{2t}, y(t) = 6e^{3t} - 3e^{2t}\} \end{aligned} \quad (56)$$

$$\begin{aligned} &> \text{sol3} := \text{dsolve}(\{\text{sist}, x(0)=-3, y(0)=0\}, \{x(t), y(t)\}) \\ &\quad \text{sol3} := \{x(t) = 3e^{3t} - 6e^{2t}, y(t) = 6e^{3t} - 6e^{2t}\} \end{aligned} \quad (57)$$

$$\begin{aligned} &> \text{sol4} := \text{dsolve}(\{\text{sist}, x(0)=0, y(0)=-3\}, \{x(t), y(t)\}) \\ &\quad \text{sol4} := \{x(t) = -3e^{3t} + 3e^{2t}, y(t) = -6e^{3t} + 3e^{2t}\} \end{aligned} \quad (58)$$

3b

$$\begin{aligned} &> \text{lim1} := \text{limit}(\text{sol1}[1], t=\text{infinity}), \text{limit}(\text{sol1}[2], t=\text{infinity}) \\ &\quad \text{lim1} := \lim_{t \rightarrow \infty} x(t) = -\infty, \lim_{t \rightarrow \infty} y(t) = -\infty \end{aligned} \quad (59)$$

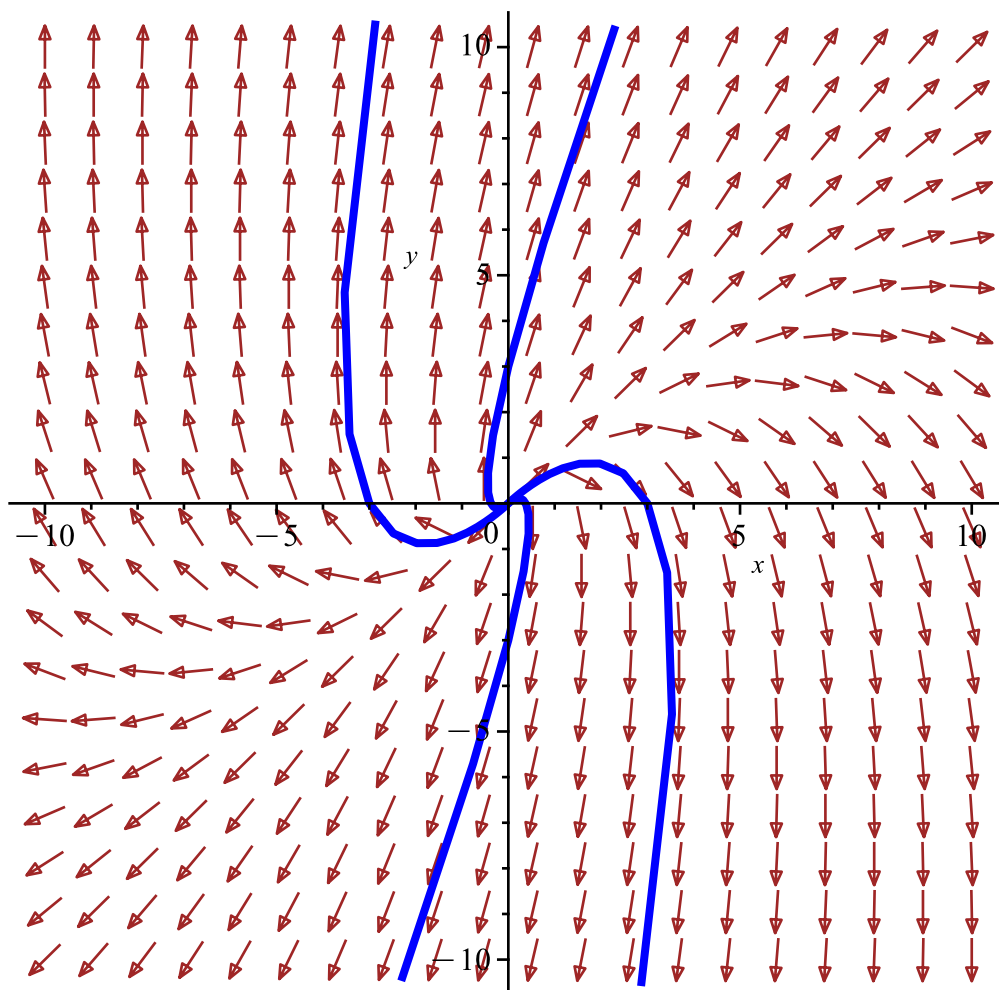
$$\begin{aligned} &> \text{lim2} := \text{limit}(\text{sol2}[1], t=\text{infinity}), \text{limit}(\text{sol2}[2], t=\text{infinity}) \\ &\quad \text{lim2} := \lim_{t \rightarrow \infty} x(t) = \infty, \lim_{t \rightarrow \infty} y(t) = \infty \end{aligned} \quad (60)$$

$$\begin{aligned} &> \text{lim3} := \text{limit}(\text{sol3}[1], t=\text{infinity}), \text{limit}(\text{sol3}[2], t=\text{infinity}) \\ &\quad \text{lim3} := \lim_{t \rightarrow \infty} x(t) = \infty, \lim_{t \rightarrow \infty} y(t) = \infty \end{aligned} \quad (61)$$

$$\begin{aligned} &> \text{lim4} := \text{limit}(\text{sol4}[1], t=\text{infinity}), \text{limit}(\text{sol4}[2], t=\text{infinity}) \\ &\quad \text{lim4} := \lim_{t \rightarrow \infty} x(t) = -\infty, \lim_{t \rightarrow \infty} y(t) = -\infty \end{aligned} \quad (62)$$

3c

```
> DEplot([sist], [x(t), y(t)], t=-4..4, x=-10..10, y=-10..10, [[x(0)=3, y(0)=0], [x(0)=0, y(0)=3], [x(0)=-3, y(0)=0], [x(0)=0, y(0)=-3]], arrows=medium, linecolor=blue);
```



> 1/2

$$\frac{1}{2}$$

(63)

4a

> ec1:=diff(x(t),t)=y(t)

$$ec1 := \frac{d}{dt} x(t) = y(t)$$

(64)

> ec2:=diff(y(t),t)=-x(t)-2*y(t)

$$ec2 := \frac{d}{dt} y(t) = -x(t) - 2y(t)$$

(65)

> sist:=ec1,ec2

$$sist := \frac{d}{dt} x(t) = y(t), \frac{d}{dt} y(t) = -x(t) - 2y(t)$$

(66)

> sol:=dsolve({sist},{x(t),y(t)})

$$sol := \{x(t) = e^{-t} (c_2 t + c_1), y(t) = -e^{-t} (c_2 t + c_1 - c_2)\}$$

(67)

4b

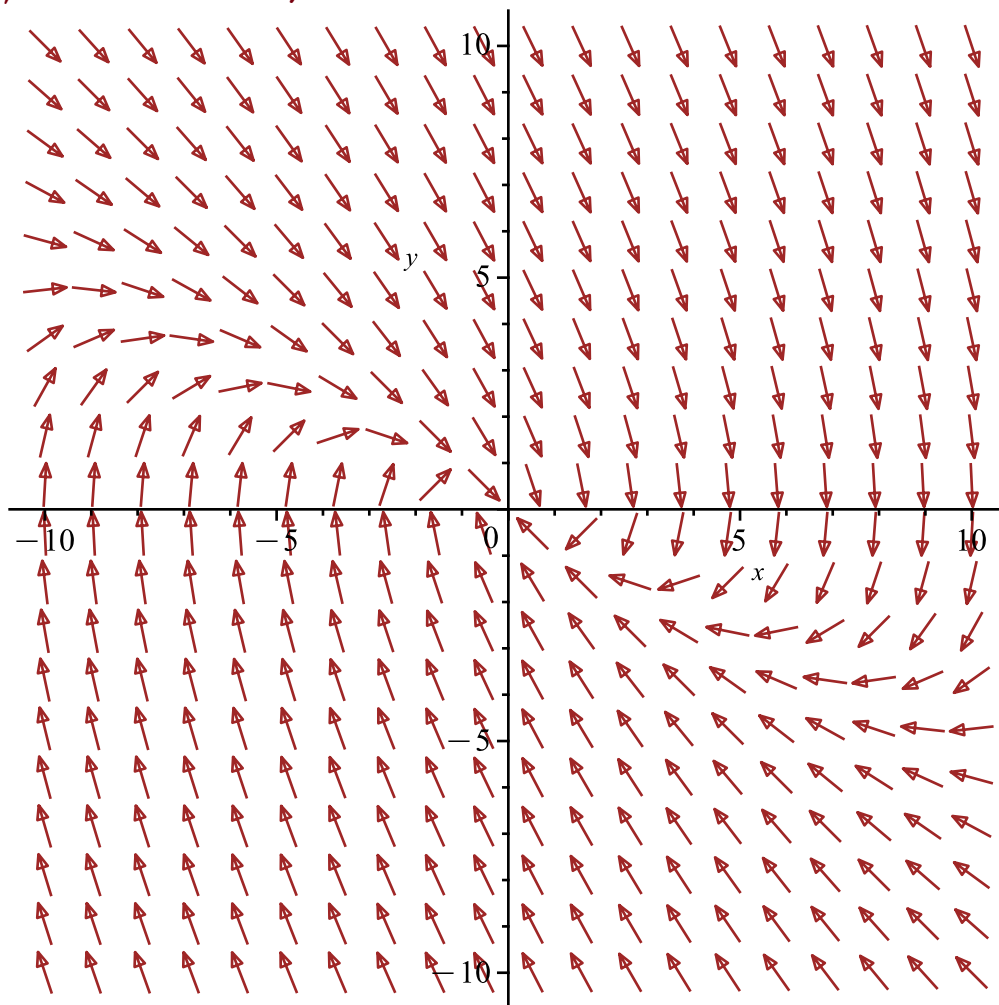
> lim:=limit(sol[1], t=infinity),limit(sol[2],t=infinity)

$$\lim := \lim_{t \rightarrow \infty} x(t) = 0, \lim_{t \rightarrow \infty} y(t) = 0$$

(68)

4c

```
> DEplot([sist],[x(t),y(t)],t=-100..100,x=-10..10,y=-10..10,arrows=
medium,linestyle=blue)
```



5a

```
> ec1:=diff(x(t),t)=2*x(t)+y(t)
```

$$ec1 := \frac{d}{dt} x(t) = 2x(t) + y(t) \quad (69)$$

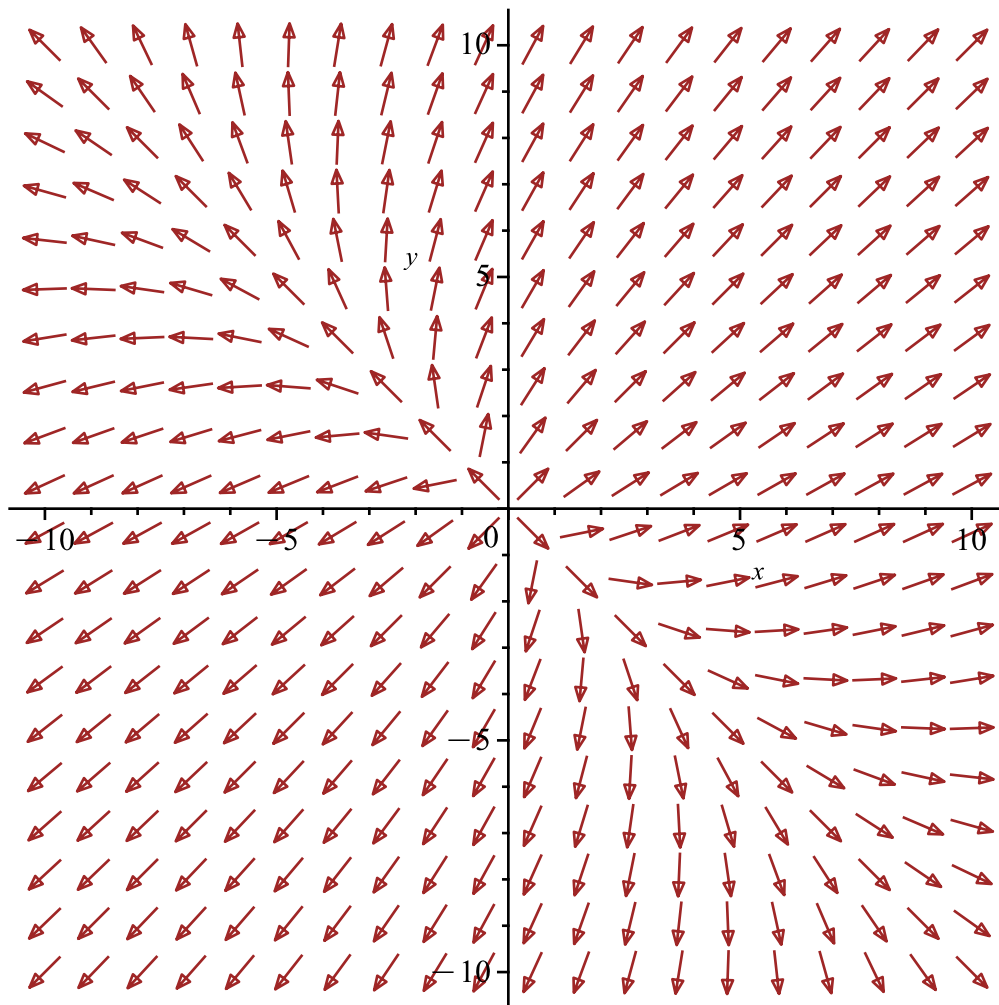
```
> ec2:=diff(y(t),t)=x(t)+2*y(t)
```

$$ec2 := \frac{d}{dt} y(t) = x(t) + 2y(t) \quad (70)$$

```
> sist:=ec1,ec2
```

$$sist := \frac{d}{dt} x(t) = 2x(t) + y(t), \frac{d}{dt} y(t) = x(t) + 2y(t) \quad (71)$$

```
> DEplot([sist],[x(t),y(t)],t=-100..100,x=-10..10,y=-10..10,arrows=
medium,linestyle=blue)
```



Limitele NU tind spre 0

5b

```
> ec1:=diff(x(t),t)=-x(t)-y(t)
```

$$ec1 := \frac{d}{dt} x(t) = -x(t) - y(t) \quad (72)$$

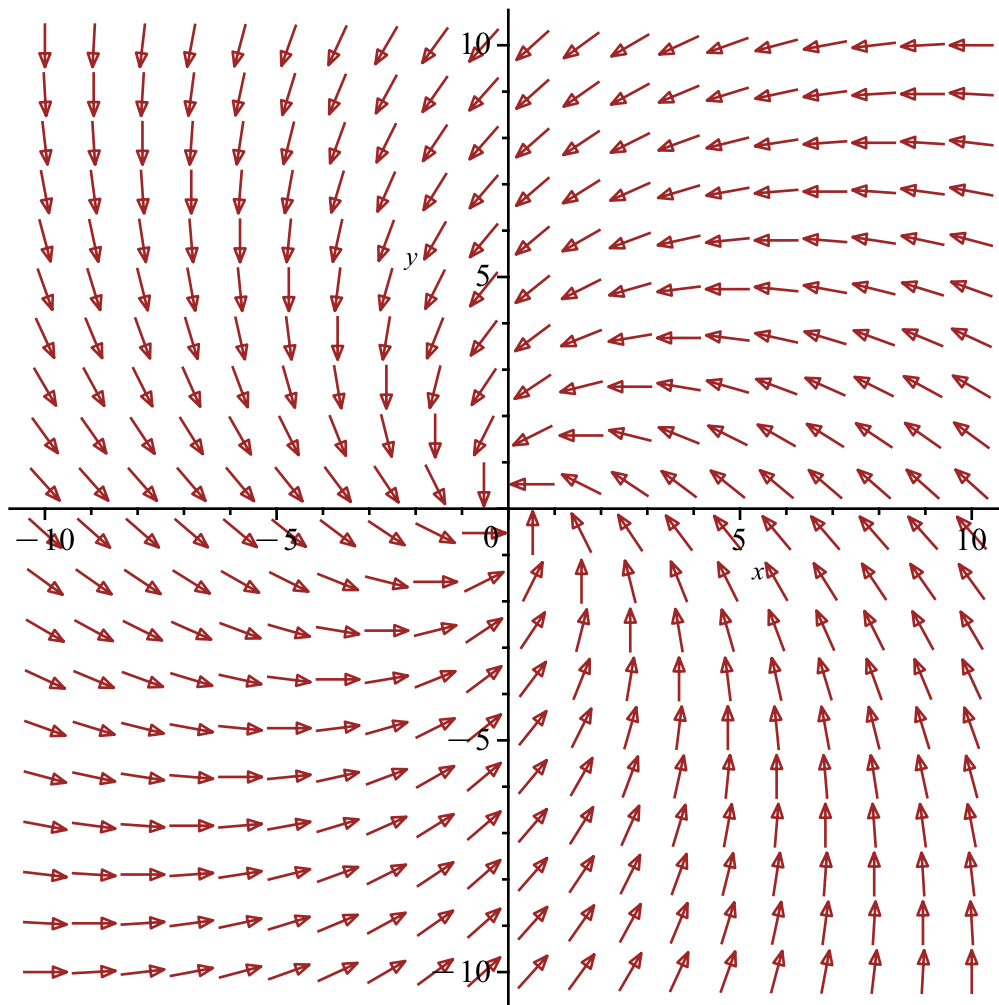
```
> ec2:=diff(y(t),t)=x(t)-y(t)
```

$$ec2 := \frac{d}{dt} y(t) = x(t) - y(t) \quad (73)$$

```
> sist:=ec1,ec2
```

$$sist := \frac{d}{dt} x(t) = -x(t) - y(t), \frac{d}{dt} y(t) = x(t) - y(t) \quad (74)$$

```
> DEplot([sist],[x(t),y(t)],t=-100..100,x=-10..10,y=-10..10,arrows=
medium,linecolor=blue)
```



Limitele tind spre 0

5c

```
> ec1:=diff(x(t),t)=y(t)
```

$$ec1 := \frac{d}{dt} x(t) = y(t) \quad (75)$$

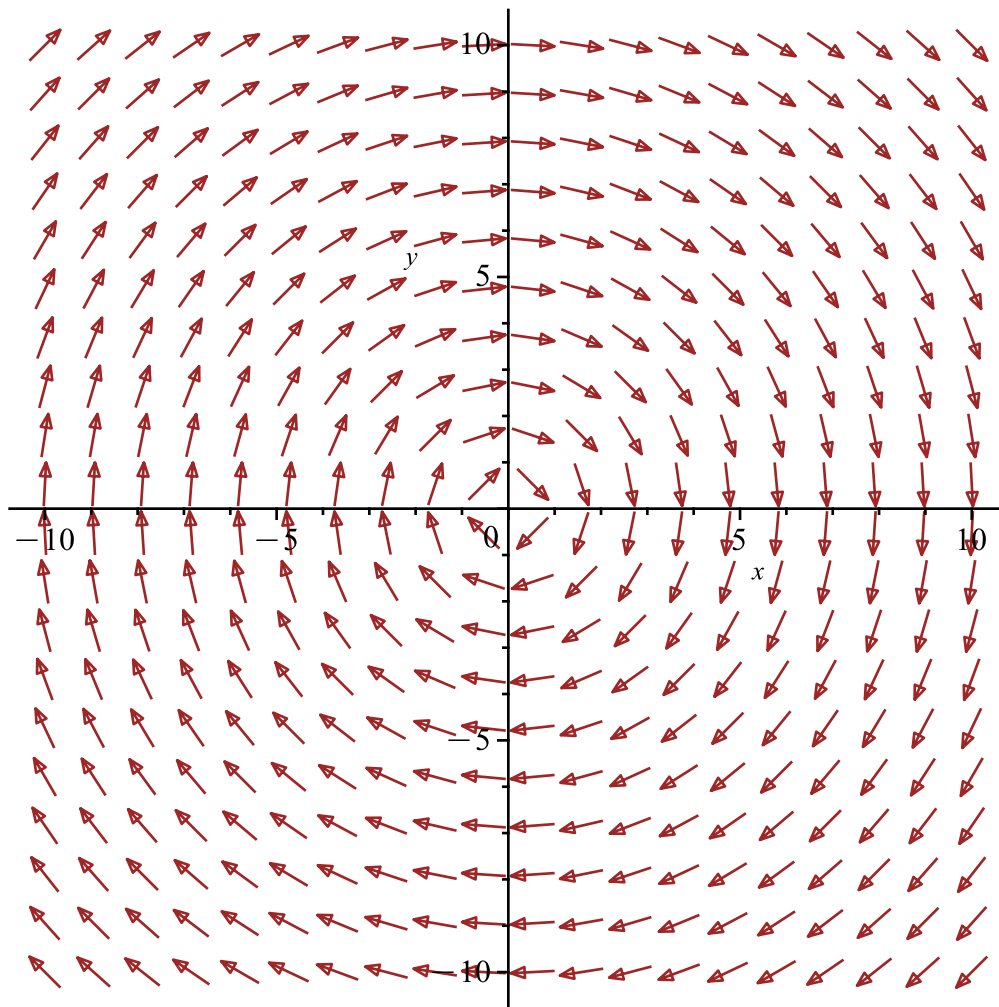
```
> ec2:=diff(y(t),t)=-x(t)
```

$$ec2 := \frac{d}{dt} y(t) = -x(t) \quad (76)$$

```
> sist:=ec1,ec2
```

$$sist := \frac{d}{dt} x(t) = y(t), \frac{d}{dt} y(t) = -x(t) \quad (77)$$

```
> DEplot([sist],[x(t),y(t)],t=-100..100,x=-10..10,y=-10..10,arrows=
medium,linecolor=blue)
```



Limitele NU tind spre 0

5d

```
> ec1:=diff(x(t),t)=-2*x(t)
```

$$ec1 := \frac{d}{dt} x(t) = -2x(t) \quad (78)$$

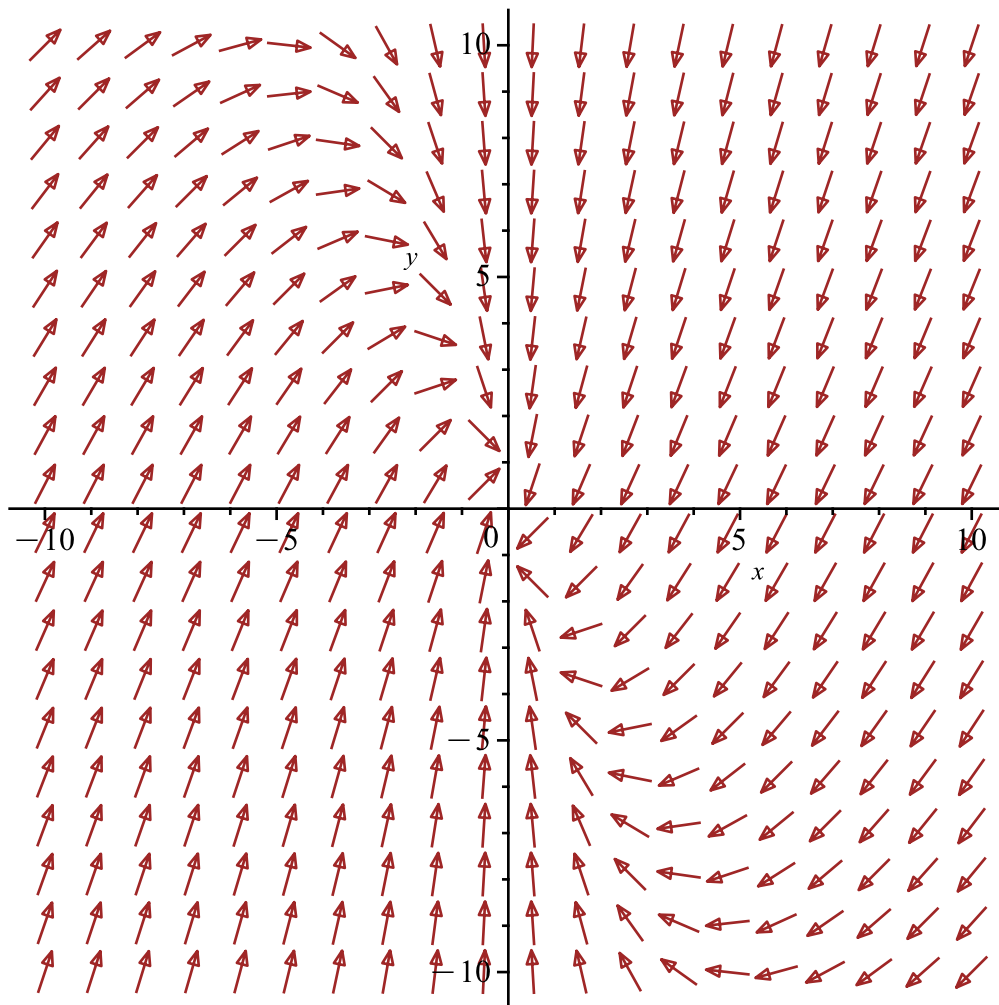
```
> ec2:=diff(y(t),t)=-4*x(t)-2*y(t)
```

$$ec2 := \frac{d}{dt} y(t) = -4x(t) - 2y(t) \quad (79)$$

```
> sist:=ec1,ec2
```

$$sist := \frac{d}{dt} x(t) = -2x(t), \frac{d}{dt} y(t) = -4x(t) - 2y(t) \quad (80)$$

```
> DEplot([sist],[x(t),y(t)],t=-100..100,x=-10..10,y=-10..10,arrows=
medium,linecolor=blue)
```



Limitele tind spre 0

5e

```
> ec1:=diff(x(t),t)=x(t)-4*y(t)
```

$$ec1 := \frac{d}{dt} x(t) = x(t) - 4y(t) \quad (81)$$

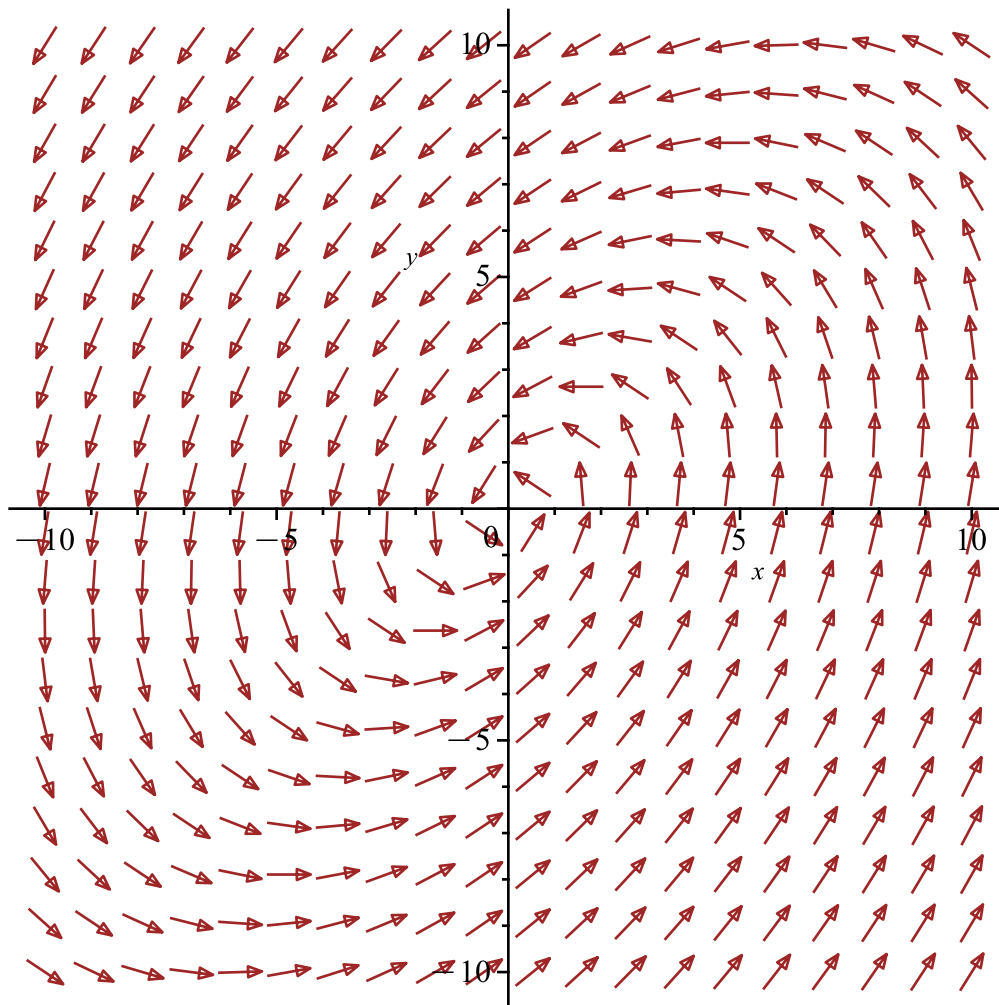
```
> ec2:=diff(y(t),t)=5*x(t)-3*y(t)
```

$$ec2 := \frac{d}{dt} y(t) = 5x(t) - 3y(t) \quad (82)$$

```
> sist:=ec1,ec2
```

$$sist := \frac{d}{dt} x(t) = x(t) - 4y(t), \frac{d}{dt} y(t) = 5x(t) - 3y(t) \quad (83)$$

```
> DEplot([sist],[x(t),y(t)],t=-100..100,x=-10..10,y=-10..10,arrows=
medium,linicolor=blue)
```



Limitele NU tind spre 0

5f

```
> ec1:=diff(x(t),t)=3*x(t)-y(t)
```

$$ec1 := \frac{d}{dt} x(t) = 3x(t) - y(t) \quad (84)$$

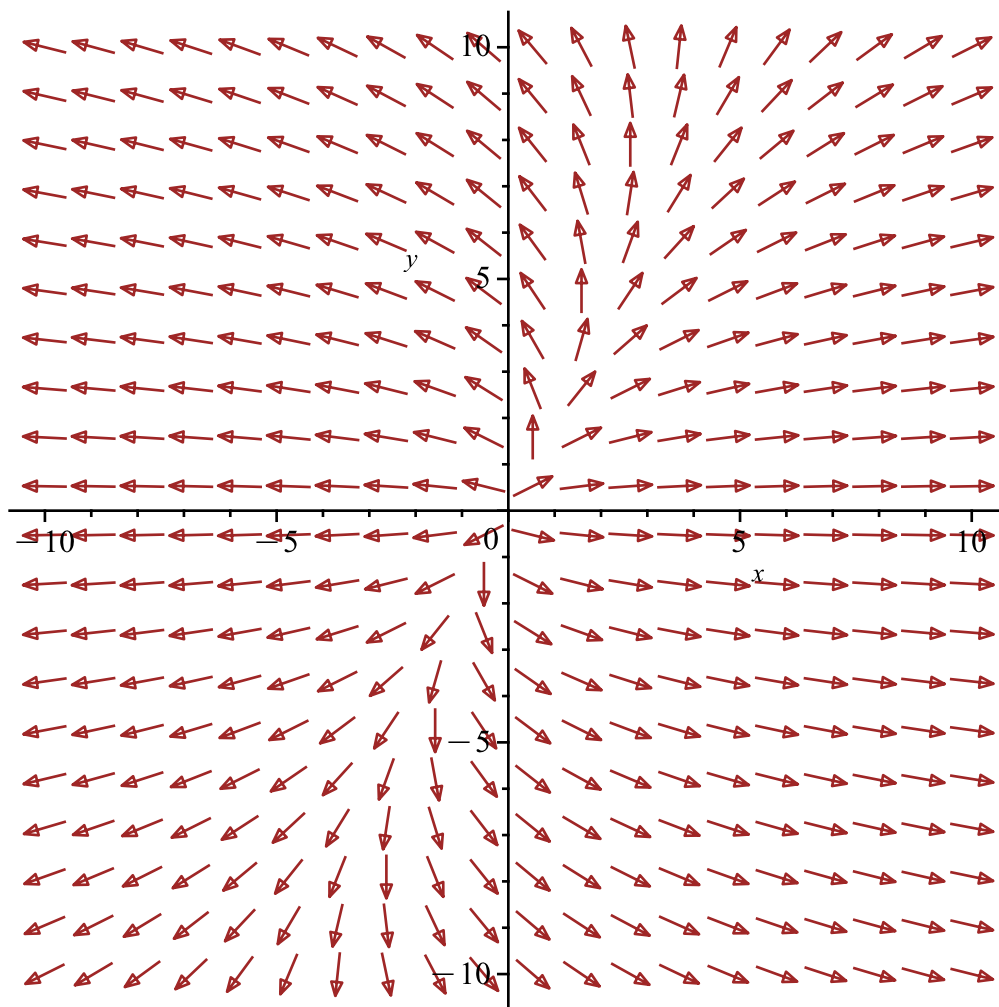
```
> ec2:=diff(y(t),t)=y(t)
```

$$ec2 := \frac{d}{dt} y(t) = y(t) \quad (85)$$

```
> sist:=ec1,ec2
```

$$sist := \frac{d}{dt} x(t) = 3x(t) - y(t), \frac{d}{dt} y(t) = y(t) \quad (86)$$

```
> DEplot([sist],[x(t),y(t)],t=-100..100,x=-10..10,y=-10..10,arrows=
medium,linecolor=blue)
```

Limitele NU tind spre 0