



INDIAN INSTITUTE OF TECHNOLOGY, GUWAHATI

CE 607 – Random Vibration

Date of submission: 20th March 2016

Total Marks: 80

Note: Submit report & codes. Assume any other data that you feel relevant and clearly mention in the report.

Problem 1

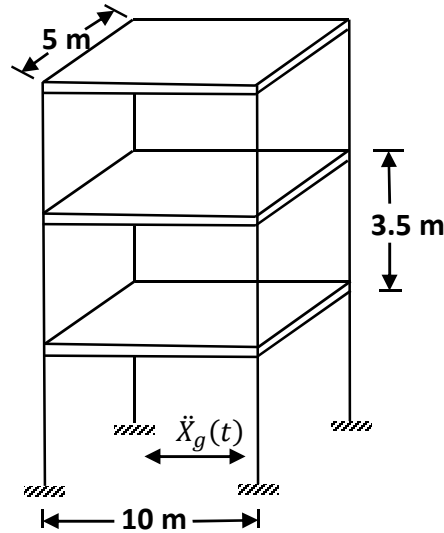


Figure 1

Above frame has 100mm thick slab with grade of concrete M25. The column size is 200mm*200mm. $\ddot{X}_g(t)$ is modelled as zero mean Gaussian process with Kanai-Tajimi spectrum with $\omega_g = 20 \text{ rad/s}$ and $\xi_g = 20\%$

- Check the base column against shear and evaluate the failure probability.
- Design the column against inter-story drift for a $p_f = 0.001$. Allowable inter story drift is $h/250$.
- Validate all your results using time domain simulation.

Problem 2

- $y(t) = \cos 5t$
- $y(t) = e^{-0.5t}(\sin 10t + \cos 15t)$
- $y(t) = \text{Band limited white noise}$
- $y(t) = e^{-0.5t}$

Evaluate the auto correlation in each case and plot them. Select band width of your choice.



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Problem 3

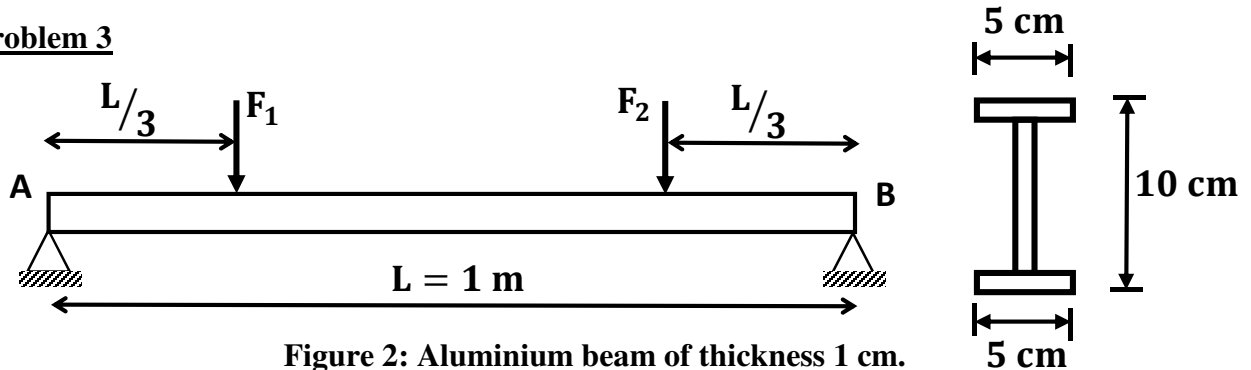


Figure 2: Aluminium beam of thickness 1 cm.

F_1 and F_2 are modelled as a un-correlated Gaussian white noise of intensity I and $0.75I$ respectively. Develop the model for bending stress and shear stress. Design the intensity of the load for a p_f of 10^{-4} .

Problem 4

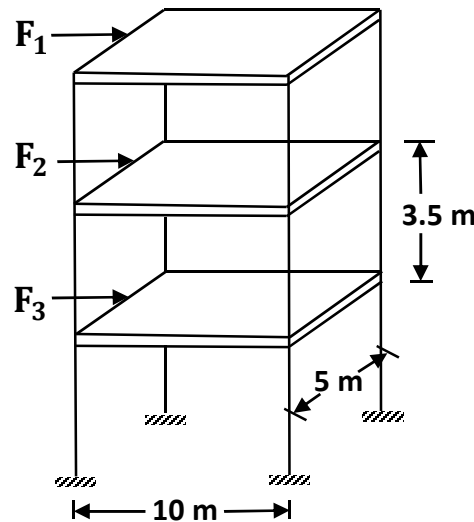


Figure 3

Evaluate peak rms value of the combined shear and bending stress at the base column of the frame shown in figure 3 and compare with time history simulation. Loads are zero mean Gaussian white noise of equal intensity. Design the structure for a failure probability of $1E-4$. (Note: shear building assumption is not enough). Other properties are same as on Figure 1.