## 1. BISECTION

```
2. def func(x):
3. return x^{**}2 - 4
4.
5. def bisection(a, b, tol):
6. while (b - a) / 2 > tol:
7.
8.
9.
10.
11.
12.
13.
14.
15.
16.
     a, b, tol = float(input("Enter lower bound (a): ")),
  float(input("Enter upper bound (b): ")), float(input("Enter
18.
      print(f"Root: {root:.6f}")
```

## 2. **NEWTON RAPHSON**

```
3. def func(x):
4. return x**2 - 4
5.
6. def derivative(x):
7. return 2 * x
8.
9. def newton_method(x, tolerance, max_iterations):
10.
          for _ in range(max_iterations):
11.
              x = x - func(x) / derivative(x)
12.
13.
14.
15.
16.
17.
18.
19.
20.
21.
22.
23.
          print(f"Root: {root:.6f}")
24.
          print("Newton's method did not converge.")
25.
```

## 3. FALSE POSITION

```
4. def func(x):
5.
6.
7. def false position method(a, b, tolerance, max iterations):
8. if func(a) * func(b) >= 0:
<u>9.</u>
10.
11.
            for in range(max iterations):
12.
13.
14.
15.
16.
               if func(c) * func(a) < 0:
17.
18.
19.
20.
21.
22.
23.
24.
<u> 25.</u>
26.
        root = false position method(a, b, tolerance,
27.
28.
29.
        print(f"Root: {root:.6f}")
```

#### **4. GAUSS ELIMINATION**

```
def gauss elimination(matrix):
    n = len(matrix)
    for i in range(n):
        for j in range(i + 1, n):
            if abs(matrix[j][i]) > abs(matrix[max_row][i]):
        for j in range(i + 1, n):
            factor = matrix[j][i] / matrix[i][i]
            for k in range(i, n + 1):
                matrix[j][k] -= factor * matrix[i][k]
    for i in range (n - 1, -1, -1):
        x[i] = matrix[i][n] / matrix[i][i]
        for j in range(i - 1, -1, -1):
            matrix[j][n] = matrix[j][i] * x[i]
matrix = [
solution = gauss elimination(matrix)
for sol in solution:
    print(f"{sol:.6f}")
```

# 5. GAUSS SIEDEL

```
def gauss_seidel(A, b, x0, max_iterations, tolerance):
   n = len(A)
    x = x0.copy()
    for in range(max iterations):
       for i in range(n):
            x[i] = (b[i] - sum(A[i][j] * x[j] for j in range(n) if j !=
i)) / A[i][i]
        if all(abs(x[i] - x0[i]) < tolerance for i in range(n)):
        x0 = x.copy()
A = [
b = [9, 7]
x0 = [0, 0]
max iterations = 100
tolerance = 0.0001
solution = gauss_seidel(A, b, x0, max_iterations, tolerance)
if solution is not None:
    print("Solution:", solution)
```

# 6. GAUSS JORDAN

```
def gauss jordan(matrix):
   n = len(matrix)
    for i in range(n):
       pivot = matrix[i][i]
        for j in range(i, n + 1):
            matrix[i][j] /= pivot
        for k in range(n):
                factor = matrix[k][i]
                for j in range(i, n + 1):
                    matrix[k][j] -= factor * matrix[i][j]
    return solutions
matrix = [
solutions = gauss jordan(matrix)
for i, sol in enumerate(solutions):
   print(f"x{i + 1} = {sol:.6f}")
```

## 7. NEWTON FORWARD INTERPOLATION METHOD

```
def newton_forward_interpolation(x, x_values, y_values):
    n = len(x_values)
    h = x_values[1] - x_values[0]
    forward_diff = [y_values]
    for j in range(l, n):
        diff_row = [forward_diff[j - 1][i + 1] - forward_diff[j - 1][i]
    for i in range(n - j)]
        forward_diff.append(diff_row)

    u = (x - x_values[0]) / h
        estimated_value = sum((u ** i) * (forward_diff[i][0] /
math.factorial(i)) for i in range(n))

    return estimated_value

import math

x_values = [0, 1, 2, 3]
y_values = [1, 2, 8, 18]
x = 1.5

estimated_value = newton_forward_interpolation(x, x_values, y_values)
print(f"Estimated_value at x = {x}: {estimated_value:.6f}")
```

Soln= 7.56

```
import math
def newton forward interpolation(x, x values, y values):
   h = x values[1] - x values[0]
    forward_diff = [y_values]
    for j in range(1, n):
        diff\ row = [forward\ diff[j-1][i+1] - forward\ diff[j-1][i]
for i in range(n - j)]
        forward diff.append(diff row)
    u = (x - x values[0]) / h
    estimated value = sum((u ** i) * (forward diff[i][0] /
math.factorial(i)) for i in range(n))
    return estimated value
x_{values} = [0, 1, 2, 3]
y_{values} = [1, 2, 8, 18]
x = 1.5
estimated value = newton forward interpolation(x, x values, y values)
print(f"Estimated value at x = \{x\}: {estimated value:.6f}")
```

Estimated value at x = 1.5: 7.562500

## 8. LAGRANGE METHOD

```
9. def lagrange interpolation(x, x values, y values):
10.
         n = len(x values)
11.
12.
13.
            for i in range(n):
14.
15.
               for j in range(n):
16.
17.
                        term *= (x - x \text{ values}[j]) / (x \text{ values}[i] -
 x values[j])
18.
19.
20.
           return estimated value
21.
22.
23.
24.
25.
26.
        estimated value = lagrange interpolation(x, x values,
27.
        print(f"Estimated value at x = {x}: {estimated_value:.6f}")
28.
```

Estimated value at x = 1.5: 4.437500