

NOTES

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|----|---|--|--|-------------|-----|
| 1) | Vector $V_1: a_1i+b_1j+c_1k$ | | | | |
| | Vector $V_2: a_2i+b_2j+c_2k$ | | | | |
| | Vector $V_3: a_3i+b_3j+c_3k$ | | | | |
| 2) | Expr=Expression | No equality or inequality sign | | | |
| | Name | Function | Example | Menu | |
| | 1st Derivative | de(Expr,Var) | Find derivative of x^3 | | |
| | 2nd Derivative | dd(Expr,Var) | Find 2 nd derivative of x^3 | | |
| | 1nd Derivative at a Point | nde(Expr,Var,Point) | Find 1 st derivative of x^3 at $x=2$ | | |
| | 2nd Derivative at a Point | ndd(Expr,Var,Point) | Find 2 nd derivative of x^3 at $x=2$ | | |
| A | Absolute Area | aa(Expr,Lower.B,Upper.B) | Find Area of $\sin(x)$, from 0 to 2π | | |
| | All points of a function | all(Expr) | Find all stationary points. | | |
| | Angle (Vector) | ang(a_1,b_1,c_1,a_2,b_2,c_2) *Only for vectors, not for Complex Number. | Find angle between $\sqrt{3}i+4j-k$ and $i-4j+\sqrt{3}k$ | | |
| | Approximate To Fraction | ►approxFraction | | 1 | 2 |
| C | Cartesian to Polar | ctp(Real component,Imaginary comp.) | Convert $2+\sqrt{3}i$ to Polar form | | |
| | Cisroot | cr(radius,angle,root power) | Find roots of $z^5=-26$ | | |
| | Complete Square (Circle & Ellipse) | cs(5 Coefficients) See Example | Find the circle graphed by $x^2-6x+y^2+4y=b$ | | |
| | Complex Factor | cFactor(Expr,Var) | Factorize z^2+zi | 3 | C 2 |

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|---|--|--|--|---|---|---|
| | Complex Roots of Polynomial | cPolyroots (<i>Polynomial,Var</i>) cPolyroots (<i>{List all coefficients}</i>) | Find roots of $z^4+3z^3+5z^2-z-8$ $\text{cPolyRoots}(z^4+3 \cdot z^3+5 \cdot z^2-z-8,z)$ $\text{cPolyRoots}(\{1,3,5,-1,-8\})$ | 3 | 8 | 3 |
| | CompleteSquare | completeSquare (<i>Expr,Var,DepVar</i>) | $\text{completeSquare}(4 \cdot x^2+8 \cdot x+y^2-6 \cdot y+12,x,y)$ | 3 | 5 | |
| | Complex Solve | cSolve (<i>Equation,Var</i>) *Avoid using z as it is already defined as x+yi | Find roots of $x^3=-1$ $\text{cSolve}(x^3=-1,x)$ | 3 | C | 1 |
| D | Derivative at a Point | nde (<i>Expr,Var,Point</i>) | Find derivative of x^2 at $x=2$ $\text{nde}(x^2,x,2)$ | | | |
| | Differential Equation Solver | Desolve ($1^{\text{st}}/2^{\text{nd}}$ DE equation, <i>Var,DepVar</i>) or Desolve (DE equation and other conditions, <i>Var,DepVar</i>) | $\text{deSolve}(2 \cdot x^4-x^2-4=0,t,x)$ $\text{deSolve}(y''=2 \cdot e^x \cdot \sin(x) \text{ and } y'(0)=0 \text{ and } y(0)=0,x,y)$ *Use Prime Symbol | 4 | D | |
| | Domain | Domain (<i>Expr,Var</i>) | Find vertical Asymptote of $\frac{x-4}{x(x-4)}$ $\text{domain}(\frac{x-4}{x \cdot (x-4)},x)$ | | | |
| E | Euler's Method | eu (<i>Expr,x₀,y₀,Step</i>) | $\text{eu}(\frac{1}{3+3 \cdot x+x^2},0,1,0.1)$ | | | |
| I | Implicit Differentiation | impDif (<i>Equation,Var,DepVar</i>) | Find 1 st derivative of $x^2+y=8$ $\text{impDif}(x^2+y=8,x,y')$ | 4 | E | |
| | Initial differential Eq. Solver | ids (<i>Expr,Var,DepVar,Var_iValue,Depvar_iValue</i>) | $\text{ids}(\frac{x^2+4}{2},t,x,0,2)$ | | | |
| L | Linear Dependency | dep ($a_1,b_1,c_1,a_2,b_2,c_2,a_3,b_3,c_3$) | Find m if $m\mathbf{i}+\mathbf{j}+\mathbf{k}$, $\mathbf{i}+m\mathbf{j}+\mathbf{k}$ and $\mathbf{i}+\mathbf{j}+m\mathbf{k}$ are independent $\text{dep}(m,1,1,1,m,1,1,1,m)$ | | | |
| | Linear Solution | ls (<i>6 Coefficients,Var</i>) See Example. | Find a for $ax-3y=5$ and $-ax+(8-a)y=a$ to have no solution. $\text{ls}(a,-3,5,3,-a,8-a,a)$ | | | |
| M | Magnitude (Vector) | mag (a_1,b_1,c_1) | Find magnitude of $2\mathbf{i}+6\mathbf{j}-(\sqrt{3}-2)\mathbf{k}$ $\text{mag}(2,6,2-\sqrt{3})$ | | | |
| N | Normal Line | NormalLine (<i>Expr,Var,Point</i>) | Find equation for the normal, for x^2 at $x=1$. $\text{normalLine}(x^2,x,1)$ | 4 | A | |

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|---|--------------------------------------|---|---|---|---|---|
| P | Perpendicular | pd ($a_1, b_1, c_1, a_2, b_2, c_2, Var$) | Find m if $m\mathbf{i}+5\mathbf{j}+6\mathbf{k}$ and $7\mathbf{i}+2\mathbf{j}+m\mathbf{k}$ are perpendicular $\boxed{pd(m, 5, 6, 7, 2, m, m)}$ | | | |
| | Polar to Cartesian | ptc ($Radius, Angle$) | Convert $2\text{cis}(\frac{7\pi}{2})$ to cartesian form. $\boxed{ptc(2, \frac{7 \cdot \pi}{2})}$ | | | |
| | Proper Fraction | pf ($Expr$) | Find asymptotes of $\frac{2x^3+x^2-1}{x^2-x-2}$ $\boxed{pf(\frac{2 \cdot x^3+x^2-1}{x^2-x-2})}$ | | | |
| T | Tangent Line | TangentLine ($Expr, Var, Point$) | Find the tangent of x^2 at $x=1$ $\boxed{tangentLine(x^2, x, 1)}$ | 4 | 9 | |
| | Test Function | tf ($Equation, var1, var2, var1_value, var2_value$) | If $f(x)=2f(x)$, a possible rule for f is? $\boxed{tf(f(x)=2 \cdot f(x), x, 3, y, 6)}$ *Since there isn't a 2 nd variable, just type a random variable and assign a random value. | | | |
| | Trigonometry Collect | tExpand ($Expr$) | $\boxed{tExpand(\cos(2 \cdot x))}$ | 3 | B | 2 |
| | Trigonometry Expand | tCollect ($Expr$) | $\boxed{tCollect(2 \cdot (\cos(x))^2 - 1)}$ | 3 | B | 1 |
| U | Unit Vector | Unit Vector of V_1 uv (a_1, b_1, c_1) | Unit Vector of $2\mathbf{i}+4\mathbf{j}+7\mathbf{k}$ $\boxed{uv(2, 4, 7)}$ | | | |
| V | Vector Resolute Parallel | Vector Resolute of V_1 in the direction of V_2 vp1 ($a_1, b_1, c_1, a_2, b_2, c_2$) | Vector resolute of $5\mathbf{i}+3\mathbf{j}+7\mathbf{k}$ in the direction of $6\mathbf{i}+2\mathbf{j}+6\mathbf{k}$ $\boxed{vp1(5, 3, 7, 6, 2, 6)}$ | | | |
| | Vector Resolute Perpendicular | Vector Resolute of V_1 perpendicular to V_2 vpd ($a_1, b_1, c_1, a_2, b_2, c_2$) | Vector resolute of $\mathbf{i}-2\mathbf{j}+\mathbf{k}$ perpendicular to $2\mathbf{i}-3\mathbf{j}$ $\boxed{vpd(1, -2, 1, 2, -3, 0)}$ | | | |
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