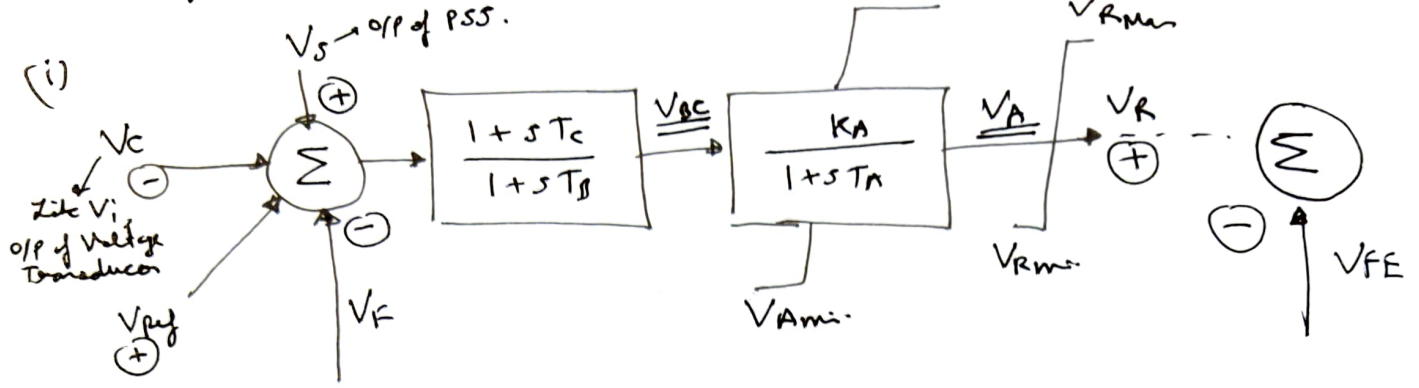
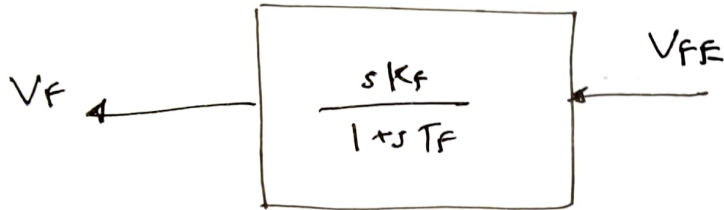


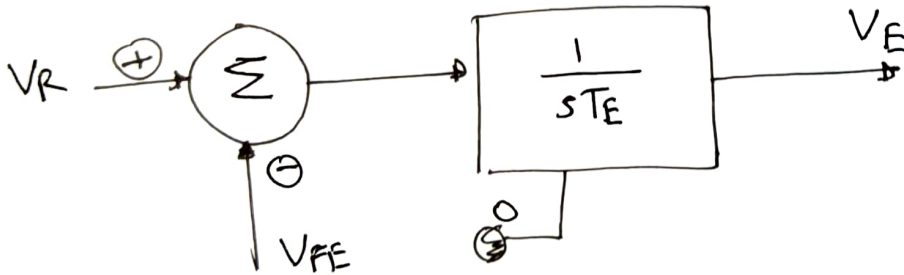
Type AC1A model:



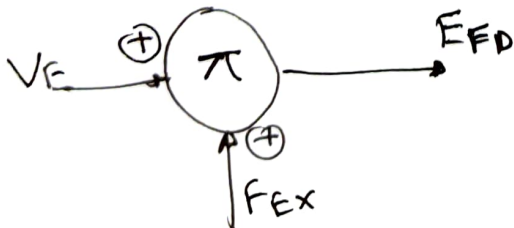
(ii)



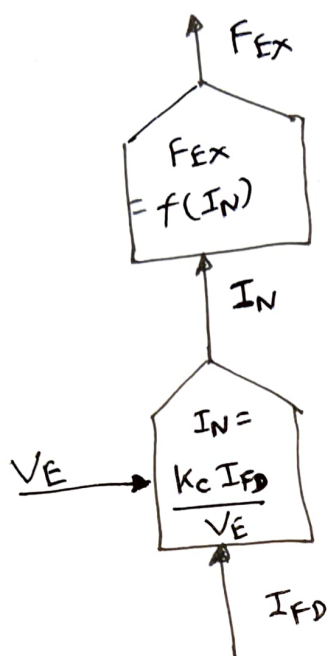
(iii)



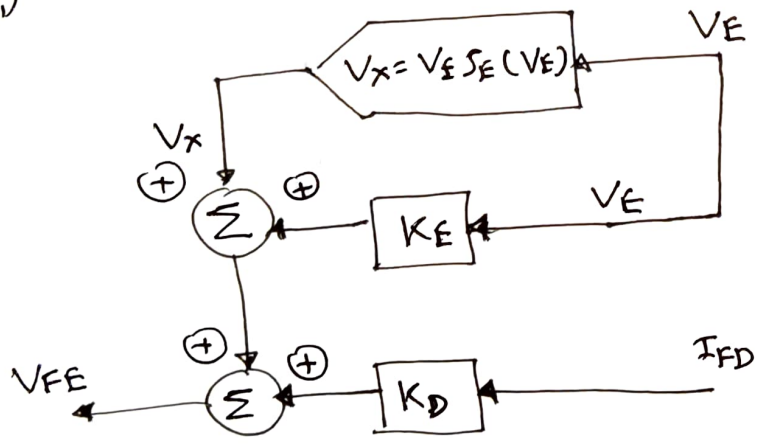
(iv)



(v)



(vi)



$$(V_s + V_{ref} - V_c - V_f) \cdot (1 + s T_c) = V_{bc} \cdot (1 + s T_B)$$

Assuming that V_s, V_{ref} are constant here:

$$(V_s + V_{ref} - V_c - V_f) - T_c(\dot{V}_c + \dot{V}_f) = V_{bc} + s T_B \dot{V}_{bc}$$

$$\dot{V}_{bc} = \frac{1}{T_B} \left\{ -V_{bc} + (V_s + V_{ref} - V_c - V_f) - T_c(\dot{V}_c + \dot{V}_f) \right\}$$

$$\dot{V}_{bc} (1 + s T_B) = K_A \dot{V}_A$$

$$V_{bc} K_A = V_A (1 + s T_A)$$

$$\dot{V}_A - \text{det} = \frac{1}{T_A} \left\{ -V_A + K_A V_{bc} \right\}$$

$$\dot{V}_A = \begin{cases} 0 & V_A > V_{Amax} \text{ \& } V_A - \text{det} > 0 \\ 0 & V_A < V_{Amin} \text{ \& } V_A - \text{det} < 0 \\ V_A - \text{det} & \text{else} \end{cases}$$

$$V_R = \begin{cases} V_{Rmax} & V_A > V_{Rmax} \\ V_{Rmin} & V_A < V_{Rmin} \\ V_A & \text{else} \end{cases}$$

We could also call V_A as some V_{Ro} . (like we call $V_A - \text{det}$).

(i)

$$\dot{V}_F = \frac{1}{T_F} \left\{ -V_F + K_F V_{FE} \right\}$$

(ii)

(ii)

$$V_F \cdot (1 + s T_F) = s K_F V_{FE}$$

$$s V_F = \frac{1}{T_F} (-V_F + K_F V_{FE})$$

$$\dot{V}_F = \frac{1}{T_F} \left\{ -V_F + K_F V_{FE} \right\}$$

(iii) $(V_R - V_{FE}) \cdot 2 = 5 T_E V_E$

or $V_{E-det} = \frac{1}{T_E} \{ V_R - V_{FE} \}$

(2) $V_E = \begin{cases} 0 & V_E < 0 \text{ and } V_{E-det} < 0 \\ V_{E-det} & \text{else} \end{cases}$

(iv) $E_{FD} = F_{EX} \cdot V_E$

(v) $I_N = \frac{K_C I_{FD}}{V_E}$

$F_{EX} = f(I_N) = f\left(\frac{K_C I_{FD}}{V_E}\right)$

(vi) $V_X = V_E S_E(V_E)$

$V_{FE} = K_D I_{FD} + K_E V_E + \cancel{V_{FE}(V_E)} V_X$

5 to Variables: (Four state variables)

V_C (it is V_i), basically } ~~we~~ since it is an I/P, ~~we~~ we do not have an equation for its derivation and so we'll assume it to be a constant.

- 1 a ~~2~~ ~~3~~ V_{BC}
- 2 b ~~3~~ V_R (with $V_{RO} \rightarrow V_A$ and $V_{RO-det} \rightarrow V_A-det$)
- 3 c ~~4~~ V_F
- 4 d ~~5~~ V_E