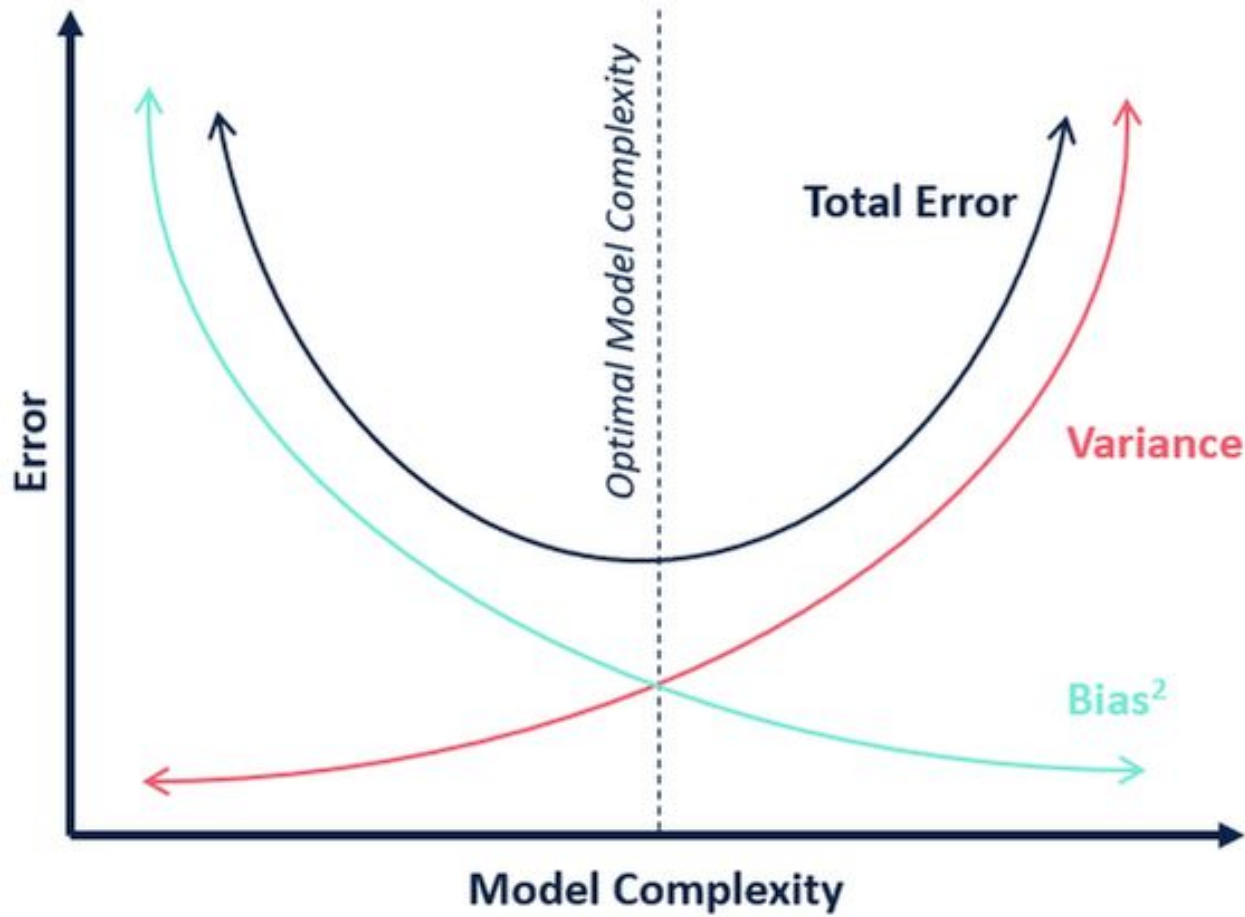


# Random Forests

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Bagging, ensembling

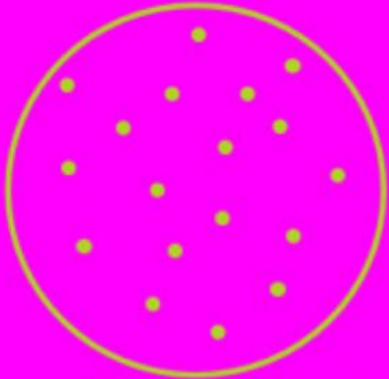


# Ensemble models

- Voting or Averaging of predictions of multiple pre-trained models
- Instead of training different models on same data, train same model multiple times on different data sets, and “combine” these “different” models
- We can use some simple/weak model as the base model
- How do we get multiple training data sets (in practice, we only have one data set at training time)?

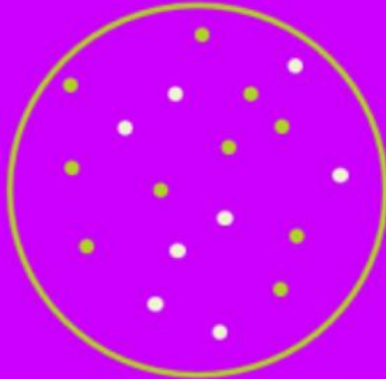


single



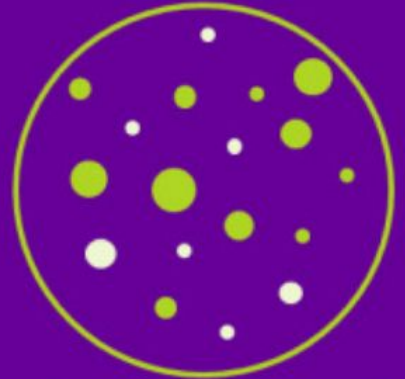
complete training set

bagging



random sampling with  
replacement

boosting



random sampling with  
replacement  
over weighted data



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# Bagging

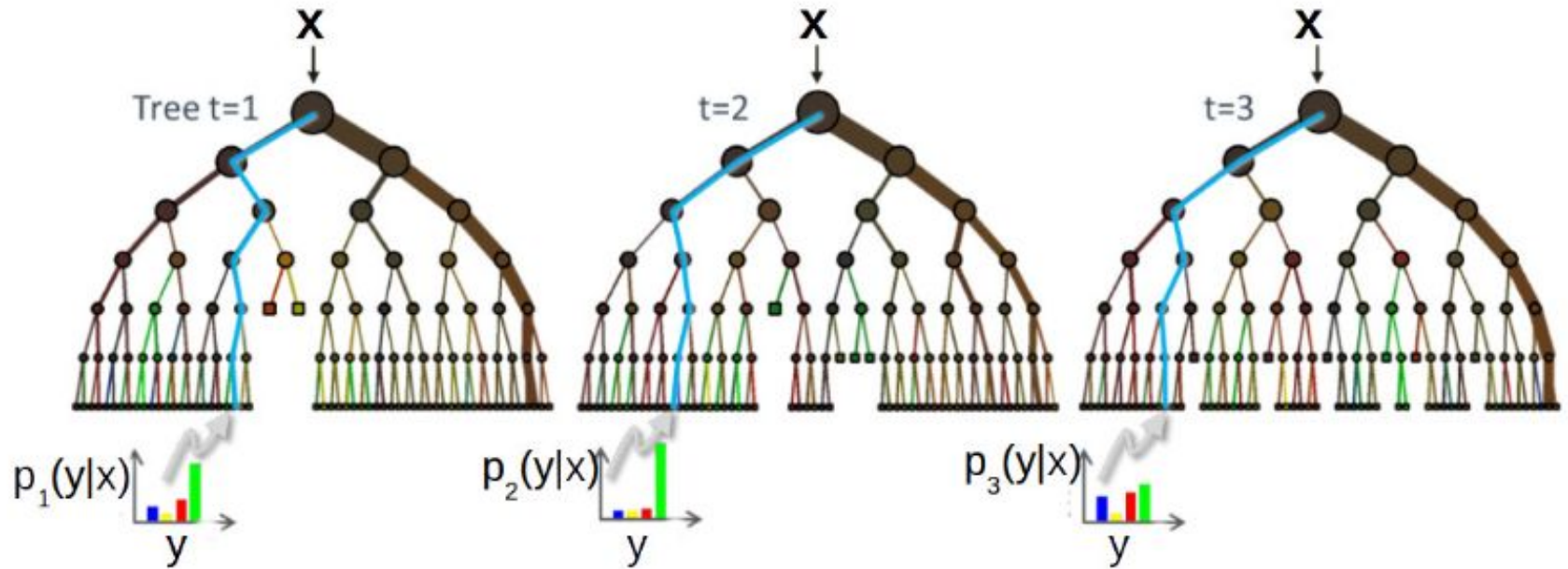
- Bagging stands for Bootstrap Aggregation
- Takes original data set  $D$  with  $N$  training examples
- Creates  $M$  copies:
  - Each  $\tilde{D}_m$  is generated from  $D$  by sampling with replacement
  - Each data set  $\tilde{D}_m$  has the same number of examples as in data set  $D$
- Train models  $h_1, \dots, h_m$  using  $\tilde{D}_1, \dots, \tilde{D}_M$ , respectively
- Use an averaged model

$$h = \frac{1}{M} \sum_{m=1}^M h_m$$

as the final model



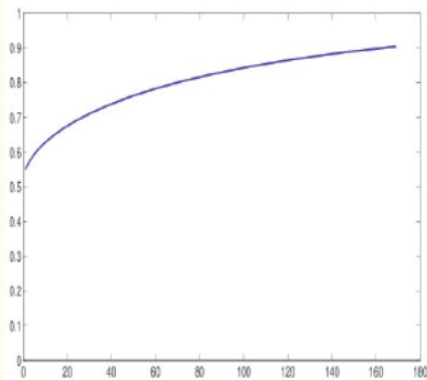
# Random Forests



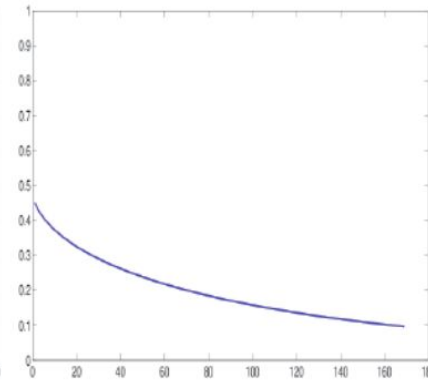
- An ensemble of decision tree (DT) classifiers
- Uses bagging on features (each DT will use a random set of features)
  - Given a total of  $D$  features, each DT uses  $\sqrt{D}$  randomly chosen features
- All DTs usually have the same depth
- Each DT will split the training data differently at the leaves
- Prediction for a test example votes on/averages predictions from all the DTs

- Given  $n$  voters, the probability the majority makes the right

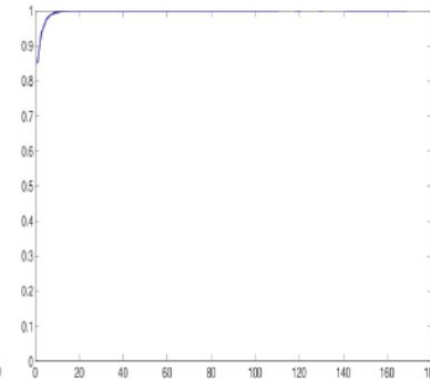
choice: 
$$\Pr(\text{majority correct}) = \sum_{j=\frac{m+1}{2}}^m \frac{m!}{j!(m-j)!} p^j (1-p)^{m-j}$$



$p = 0.55$



$p = 0.45$



$p = 0.85$



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# Bagging example

