

Q= Generate a list of 100 integers containing values between 90 to 130 and store it in the variable `int_list`. After generating the list, find the following:

(i) Write a Python function to calculate the mean of a given list of numbers.

Create a function to find the median of a list of numbers.

(ii) Develop a program to compute the mode of a list of integers.

(iii) Implement a function to calculate the weighted mean of a list of values and their corresponding weights.

(iv) Write a Python function to find the geometric mean of a list of positive numbers.

(v) Create a program to calculate the harmonic mean of a list of values.

(vi) Build a function to determine the midrange of a list of numbers (average of the minimum and maximum).

(vii) Implement a Python program to find the trimmed mean of a list, excluding a certain percentage of outliers.

```
import random
from collections import Counter

# Generate a list of 100 integers containing values between 90 to 130
int_list = [random.randint(90, 130) for i in range(100)]

# Function to compute the mode
def compute_mode(numbers):
    count = Counter(numbers)
    max_frequency = max(count.values())
    modes = [number for number, frequency in count.items() if
frequency == max_frequency]
    return modes

# Function to calculate the mean
def calculate_mean(numbers):
    return sum(numbers) / len(numbers)

# Function to calculate the median
def calculate_median(numbers):
    sorted_numbers = sorted(numbers)
    n = len(sorted_numbers)
    middle = n // 2

    if n % 2 == 0:
        median = (sorted_numbers[middle - 1] + sorted_numbers[middle])
/ 2
    else:
        median = sorted_numbers[middle]
```

```

    return median

# Compute the mode, mean, and median of the generated list
modes = compute_mode(int_list)
mean = calculate_mean(int_list)
median = calculate_median(int_list)

# Output the generated list and its mode(s), mean, and median
print(f"Generated list: {int_list}")
print(f"The mode(s) of the list is/are: {modes}")
print(f"The mean of the list is: {mean}")
print(f"The median of the list is: {median}")

Generated list: [120, 118, 108, 90, 120, 95, 98, 101, 106, 94, 92,
114, 118, 111, 92, 106, 115, 97, 90, 101, 116, 118, 121, 90, 113, 110,
124, 106, 106, 106, 121, 91, 120, 108, 103, 128, 122, 107, 111, 118,
90, 93, 101, 120, 105, 97, 108, 118, 126, 124, 122, 99, 126, 94, 124,
123, 118, 103, 109, 102, 102, 117, 92, 104, 94, 106, 115, 95, 116,
129, 108, 95, 91, 111, 130, 125, 103, 128, 103, 102, 95, 122, 118, 93,
125, 120, 90, 97, 124, 105, 128, 115, 129, 101, 95, 108, 96, 102, 112,
117]
The mode(s) of the list is/are: [118]
The mean of the list is: 108.85
The median of the list is: 108.0

def calculate_weighted_mean(values, weights):
    if len(values) != len(weights):
        raise ValueError("The length of values and weights must be the
same.")

    total_weighted_value = sum(value * weight for value, weight in
zip(values, weights))
    total_weight = sum(weights)

    return total_weighted_value / total_weight

# Example usage
values = int_list
weights = int_list
weighted_mean = calculate_weighted_mean(values, weights)
print(f"The weighted mean is: {weighted_mean}")

The weighted mean is: 110.1266881028939

def calculate_harmonic_mean(numbers):
    if len(numbers) == 0:
        raise ValueError("The list of numbers cannot be empty.")

    reciprocal_sum = sum(1 / number for number in numbers if number !=

```

```

0)

    if reciprocal_sum == 0:
        raise ValueError("The list contains zero which would cause a
division by zero.")

    harmonic_mean = len(numbers) / reciprocal_sum
    return harmonic_mean

# Example usage
numbers = int_list
harmonic_mean = calculate_harmonic_mean(numbers)
print(f"The harmonic mean is: {harmonic_mean}")

The harmonic mean is: 107.56453198693909

def calculate_midrange(numbers):
    if len(numbers) == 0:
        raise ValueError("The list of numbers cannot be empty.")

    min_value = min(numbers)
    max_value = max(numbers)
    midrange = (min_value + max_value) / 2

    return midrange

numbers = int_list
midrange = calculate_midrange(numbers)
print(f"The midrange is: {midrange}")

The midrange is: 110.0

def calculate_trimmed_mean(numbers, trim_percentage):
    if not 0 <= trim_percentage < 50:
        raise ValueError("Trim percentage must be between 0 and 50.")

    n = len(numbers)
    if n == 0:
        raise ValueError("The list of numbers cannot be empty.")

    # Sort the numbers
    sorted_numbers = sorted(numbers)

    # Calculate the number of elements to trim from each end
    trim_count = int(n * (trim_percentage / 100))

    # Trim the numbers
    trimmed_numbers = sorted_numbers[trim_count:n - trim_count]

```

```

# Calculate the mean of the trimmed list
trimmed_mean = sum(trimmed_numbers) / len(trimmed_numbers)

return trimmed_mean

# Example usage
numbers = int_list
trim_percentage = 10 # Exclude 10% of the smallest and largest values
trimmed_mean = calculate_trimmed_mean(numbers, trim_percentage)
print(f"The trimmed mean is: {trimmed_mean}")

```

The trimmed mean is: 108.7875

1. Generate a list of 500 integers containing values between 200 to 300 and store it in the variable `int_list2`. After generating the list, Find the Following:

```

import matplotlib.pyplot as plt
import seaborn as sns
import numpy as np
from scipy.stats import norm

# Generate a list of 500 integers containing values between 200 to 300
int_list2 = [random.randint(200, 300) for _ in range(500)]

# Frequency Histogram and Gaussian Distribution
plt.figure(figsize=(12, 6))
sns.histplot(int_list2, bins=30, kde=False, color='blue',
stat='density')
mean = np.mean(int_list2)
std_dev = np.std(int_list2)
x = np.linspace(min(int_list2), max(int_list2), 100)
plt.plot(x, norm.pdf(x, mean, std_dev), color='red', linewidth=2)
plt.title('Frequency Histogram and Gaussian Distribution')
plt.xlabel('Value')
plt.ylabel('Density')
plt.legend(['Gaussian Distribution', 'Histogram'])
plt.show()

# Frequency Histogram and Smoothed KDE Plot
plt.figure(figsize=(12, 6))
sns.histplot(int_list2, bins=30, kde=True, color='blue',
stat='density')
plt.title('Frequency Histogram and Smoothed KDE Plot')
plt.xlabel('Value')
plt.ylabel('Density')
plt.legend(['KDE', 'Histogram'])
plt.show()

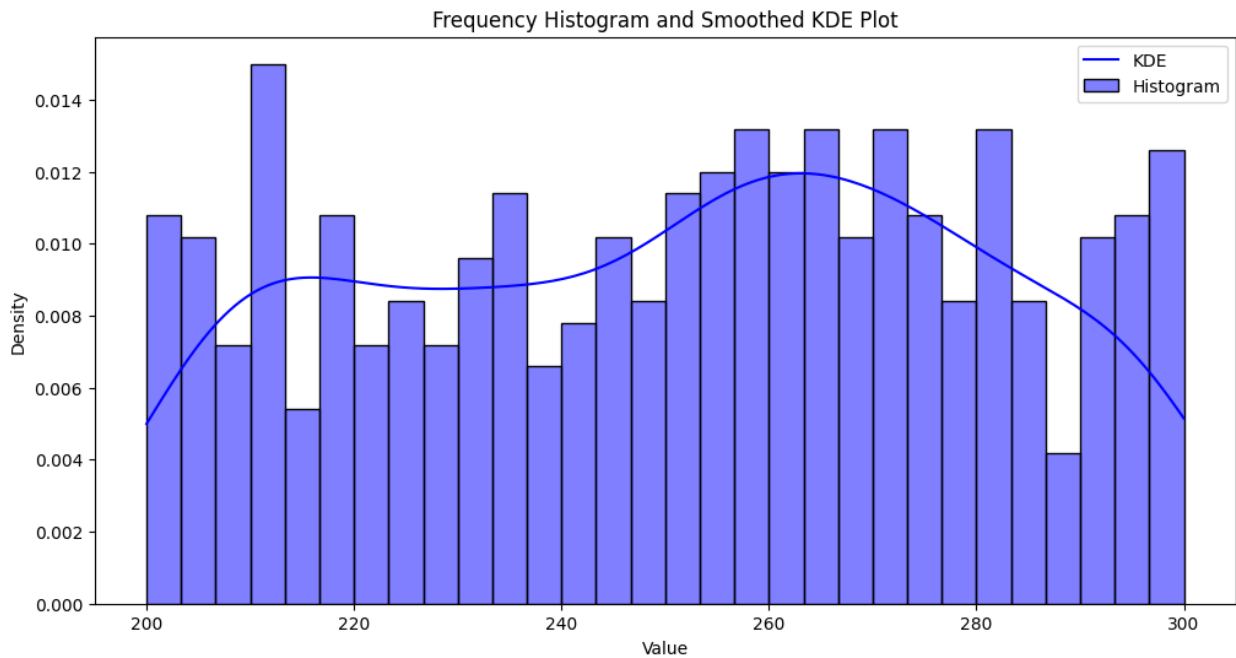
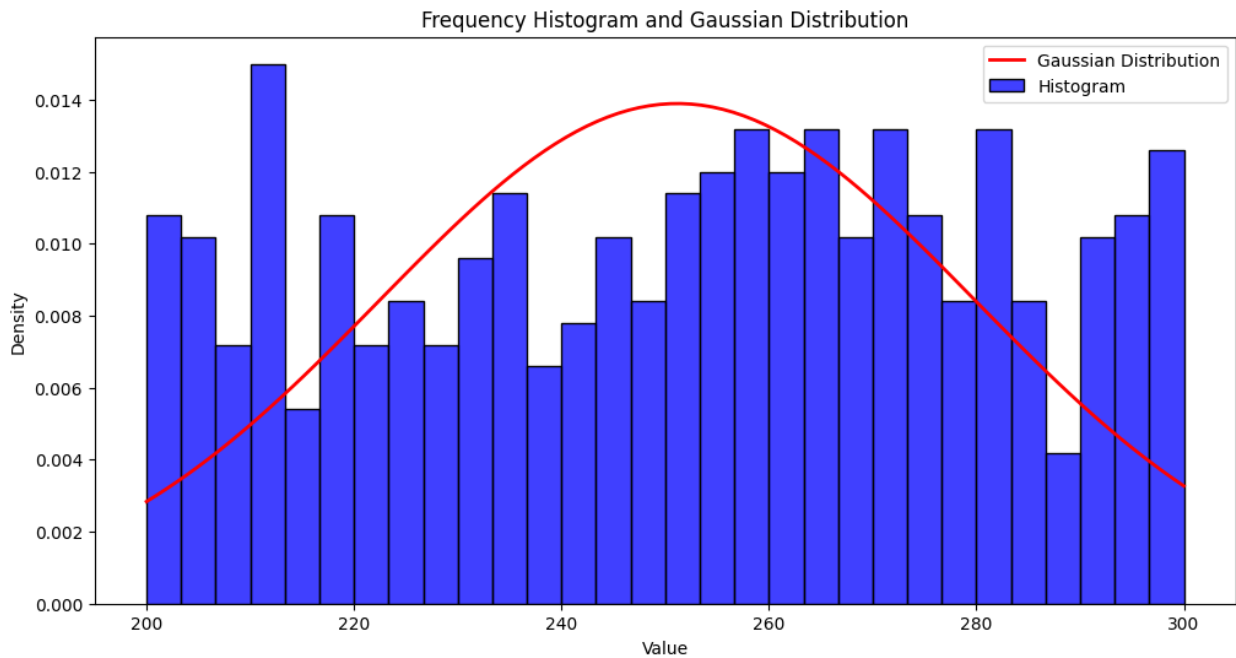
# Gaussian Distribution and Smoothed KDE Plot
plt.figure(figsize=(12, 6))

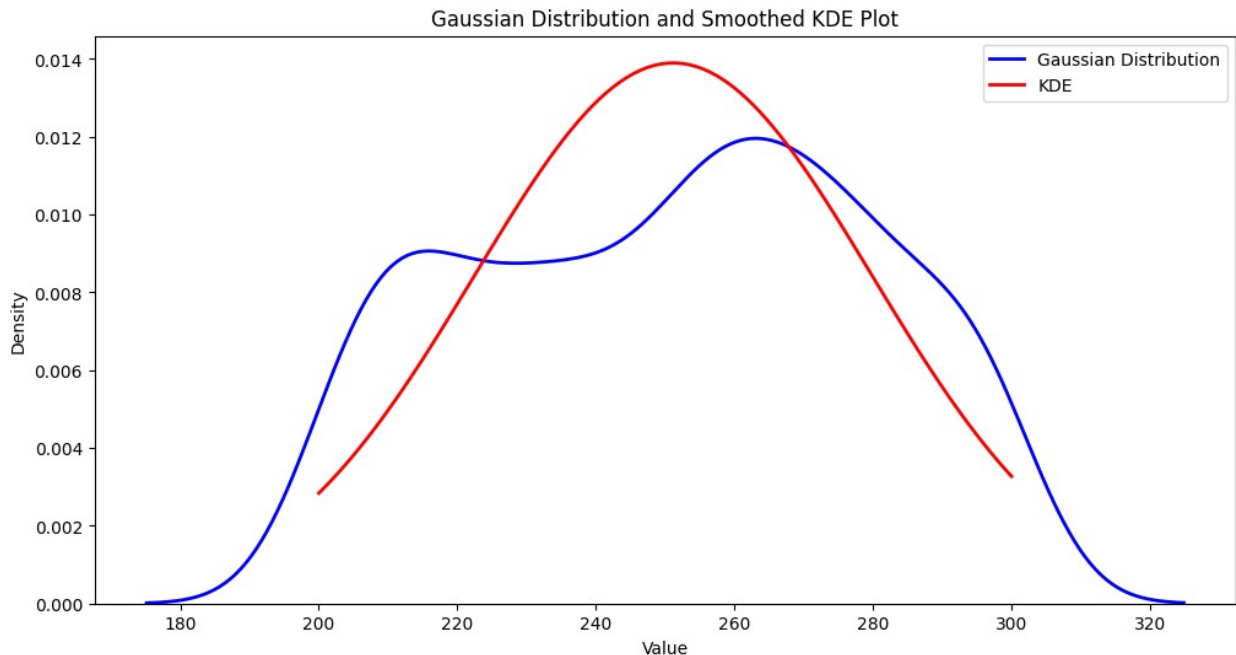
```

```

sns.kdeplot(int_list2, color='blue', linewidth=2)
plt.plot(x, norm.pdf(x, mean, std_dev), color='red', linewidth=2)
plt.title('Gaussian Distribution and Smoothed KDE Plot')
plt.xlabel('Value')
plt.ylabel('Density')
plt.legend(['Gaussian Distribution', 'KDE'])
plt.show()

```





```
def calculate_range(numbers):
    if len(numbers) == 0:
        raise ValueError("The list of numbers cannot be empty.")

    min_value = min(numbers)
    max_value = max(numbers)
    range_value = max_value - min_value

    return range_value

# Example usage
numbers = int_list2
range_value = calculate_range(numbers)
print(f"The range of the list is: {range_value}")

The range of the list is: 100

#Create a program to find the variance and standard deviation of a
list of numbers.
import math

def calculate_mean(numbers):
    return sum(numbers) / len(numbers)

def calculate_variance(numbers):
    mean = calculate_mean(numbers)
    variance = sum((x - mean) ** 2 for x in numbers) / len(numbers)
    return variance

def calculate_standard_deviation(numbers):
```

```
variance = calculate_variance(numbers)
standard_deviation = math.sqrt(variance)
return standard_deviation
```

*# Example usage*

```
numbers = int_list2
variance = calculate_variance(numbers)
standard_deviation = calculate_standard_deviation(numbers)
print(f"The variance of the list is: {variance}")
print(f"The standard deviation of the list is: {standard_deviation}")
```

The variance of the list is: 823.9584159999999

The standard deviation of the list is: 28.704675856034324

*# Implement a function to compute the interquartile range (IQR) of a list of values.*

```
def calculate_iqr(numbers):
    if len(numbers) == 0:
        raise ValueError("The list of numbers cannot be empty.")

    # Sort the numbers
    sorted_numbers = sorted(numbers)
    n = len(sorted_numbers)

    # Calculate Q1 (first quartile)
    q1_index = n // 4
    if n % 4 == 0:
        q1 = (sorted_numbers[q1_index - 1] + sorted_numbers[q1_index])
    / 2
    else:
        q1 = sorted_numbers[q1_index]

    # Calculate Q3 (third quartile)
    q3_index = (3 * n) // 4
    if (3 * n) % 4 == 0:
        q3 = (sorted_numbers[q3_index - 1] + sorted_numbers[q3_index])
    / 2
    else:
        q3 = sorted_numbers[q3_index]

    # Calculate IQR
    iqr = q3 - q1

    return iqr
```

*# Example usage*

```
numbers = int_list2
iqr = calculate_iqr(numbers)
print(f"The interquartile range (IQR) is: {iqr}")
```

The interquartile range (IQR) is: 47.5

*#Write a Python function to find the mean absolute deviation (MAD) of a list of numbers.*

```
def calculate_mean(numbers):
    if len(numbers) == 0:
        raise ValueError("The list of numbers cannot be empty.")
    return sum(numbers) / len(numbers)

def calculate_mad(numbers):
    if len(numbers) == 0:
        raise ValueError("The list of numbers cannot be empty.")

    mean = calculate_mean(numbers)
    mad = sum(abs(x - mean) for x in numbers) / len(numbers)

    return mad
```

*# Example usage*

```
numbers = int_list2
mad = calculate_mad(numbers)
print(f"The Mean Absolute Deviation (MAD) is: {mad:.2f}")
```

The Mean Absolute Deviation (MAD) is: 24.62

*#Create a program to calculate the quartile deviation of a list of values.*

```
def calculate_quartiles(numbers):
    if len(numbers) == 0:
        raise ValueError("The list of numbers cannot be empty.")

    sorted_numbers = sorted(numbers)
    n = len(sorted_numbers)

    q1_index = n // 4
    q3_index = (3 * n) // 4

    if n % 4 == 0:
        q1 = (sorted_numbers[q1_index - 1] + sorted_numbers[q1_index])
        q3 = (sorted_numbers[q3_index - 1] + sorted_numbers[q3_index])
    else:
        q1 = sorted_numbers[q1_index]
        q3 = sorted_numbers[q3_index]

    return q1, q3

def calculate_quartile_deviation(numbers):
    q1, q3 = calculate_quartiles(numbers)
```



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    quartile_deviation = (q3 - q1) / 2
    return quartile_deviation

numbers = int_list2
quartile_deviation = calculate_quartile_deviation(numbers)
print(f"The Quartile Deviation (QD) is: {quartile_deviation:.2f}")

```

The Quartile Deviation (QD) is: 23.75

```

# Implement a function to find the range-based coefficient of dispersion for a dataset.
def calculate_mean(numbers):
    if len(numbers) == 0:
        raise ValueError("The list of numbers cannot be empty.")
    return sum(numbers) / len(numbers)

def calculate_range(numbers):
    if len(numbers) == 0:
        raise ValueError("The list of numbers cannot be empty.")
    return max(numbers) - min(numbers)

def calculate_coefficient_of_dispersion(numbers):
    mean = calculate_mean(numbers)
    if mean == 0:
        raise ValueError("The mean of the numbers cannot be zero for calculating coefficient of dispersion.")
    range_value = calculate_range(numbers)
    coefficient_of_dispersion = range_value / mean
    return coefficient_of_dispersion

```

*# Example usage*

```

numbers = int_list2
coefficient_of_dispersion = calculate_coefficient_of_dispersion(numbers)
print(f"The range-based coefficient of dispersion is: {coefficient_of_dispersion:.2f}")

```

The range-based coefficient of dispersion is: 1.33

```

"""Write a Python class representing a discrete random variable with methods to calculate its expected value and variance."""

class Discrete_random_variable:
    def __init__(self, outcomes, probabilities):
        if len(outcomes) != len(probabilities):
            raise ValueError("Number of outcomes and probabilities must be equal.")
        self.outcomes = outcomes
        self.probabilities = probabilities

```

```

    def expected_value(self):
        return sum(outcome * probability for outcome, probability in
zip(self.outcomes, self.probabilities))

    def variance(self):
        mean = self.expected_value()
        return sum(probability * (outcome - mean) ** 2 for outcome,
probability in zip(self.outcomes, self.probabilities))
outcomes = [1, 2, 3, 4, 5]
probabilities = [0.1, 0.2, 0.3, 0.2, 0.2]

# Create a DiscreteRandomVariable object
rv = Discrete_random_variable(outcomes, probabilities)

# Calculate and print the expected value and variance
print("Expected Value:", rv.expected_value())
print("Variance:", rv.variance())

```

Expected Value: 3.2  
Variance: 1.56

Create a Python function to generate random samples from a given probability distribution (e.g., binomial, Poisson) and calculate their mean and variance.

```

import numpy as np

def generate_samples(distribution, params, sample_size):
    if distribution == 'binomial':
        n, p = params
        samples = np.random.binomial(n, p, sample_size)
    elif distribution == 'poisson':
        lam = params
        samples = np.random.poisson(lam, sample_size)
    else:
        raise ValueError("Unsupported distribution. Supported
distributions are 'binomial' and 'poisson'.")

    return samples

def calculate_mean_and_variance(samples):
    mean = np.mean(samples)
    variance = np.var(samples)
    return mean, variance

# Example usage
sample_size = 1000

# Generate samples from binomial distribution
binomial_samples = generate_samples('binomial', (10, 0.5),

```

```

sample_size)
binomial_mean, binomial_variance =
calculate_mean_and_variance(binomial_samples)
print("Binomial Distribution:")
print("Mean:", binomial_mean)
print("Variance:", binomial_variance)

# Generate samples from Poisson distribution
poisson_samples = generate_samples('poisson', 5, sample_size)
poisson_mean, poisson_variance =
calculate_mean_and_variance(poisson_samples)
print("\nPoisson Distribution:")
print("Mean:", poisson_mean)
print("Variance:", poisson_variance)

Binomial Distribution:
Mean: 5.012
Variance: 2.6458559999999998

Poisson Distribution:
Mean: 4.938
Variance: 4.7821560000000005

"""Write a Python script to generate random numbers from a Gaussian
(normal) distribution and compute
the mean, variance, and standard deviation of the samples."""

import numpy as np

# Parameters
sample_size = 1000
mean = 0
std_dev = 1

# Generate random samples from a Gaussian distribution
samples = np.random.normal(mean, std_dev, sample_size)

# Calculate mean, variance, and standard deviation
sample_mean = np.mean(samples)
sample_variance = np.var(samples)
sample_std_dev = np.std(samples)

# Print results
print("Generated Samples:")
print(samples)
print("\nMean:", sample_mean)
print("Variance:", sample_variance)
print("Standard Deviation:", sample_std_dev)

Generated Samples:
[ 1.38522588e+00 -3.73625628e-01  1.33150172e+00 -1.42658335e-03

```

-8.90058366e-01	1.64964810e+00	-5.11551567e-01	-1.26086905e+00
-9.60903266e-01	1.93062892e+00	-5.11502040e-01	1.43166910e-01
4.33989061e-01	-1.49009105e+00	-2.91088672e-01	1.93887904e-02
-3.68295654e-01	2.99899561e-01	1.39161064e+00	6.70724884e-01
-1.06970441e+00	-9.90798434e-01	2.39957893e-01	1.09080182e+00
-1.63723459e+00	1.55155839e+00	-9.19354999e-02	-1.29907752e+00
7.65093809e-01	1.92127412e-01	-6.74569977e-01	-2.70183846e-02
-1.93062804e+00	-6.44114846e-01	2.40149690e-01	5.60184194e-02
-1.45719325e+00	4.99903402e-01	-1.26690047e-01	-2.22459065e+00
6.23237594e-01	1.80235266e+00	-2.02343478e+00	-1.35964056e+00
-6.08968294e-01	8.49855033e-01	-5.05166370e-01	1.14290425e+00
-4.29399321e-01	-1.05048099e+00	2.23714606e+00	1.15002662e+00
-4.08577764e-01	1.64661727e+00	-1.29106930e-01	-2.90038349e+00
-9.07962450e-01	-4.35144910e-01	-3.59957245e-01	3.41473253e-01
-3.91272813e-01	-2.56850933e-01	-7.64708772e-01	-1.42308549e-01
-1.18171541e+00	2.07401880e+00	-2.31887756e+00	-4.94875009e-01
1.06788938e+00	-6.77200369e-01	8.72413604e-01	5.46876678e-01
1.69811851e-01	6.60764767e-01	-1.91264870e-02	-4.00284275e-02
-1.59775789e+00	2.10340618e-01	1.08491772e-01	-3.80107172e-01
-4.42013832e-01	-1.95443908e+00	-7.34319552e-01	7.20691135e-02
2.03263424e+00	8.12306017e-02	1.82140275e+00	-3.26994792e-01
-4.24179835e-01	-1.38212560e-01	-8.53770646e-01	-5.58919537e-01
1.21125499e+00	-3.48628155e-01	-6.78656856e-01	5.28260161e-01
-9.82510188e-02	4.67517555e-02	2.53574476e-01	-1.82615102e+00
1.95292364e-01	-3.08237377e-01	-1.65529825e+00	2.72553983e+00
9.83986724e-01	5.40791585e-01	1.22608283e+00	9.14852258e-01
1.97673552e+00	-3.35744529e-01	6.49393378e-01	1.85782000e-01
-1.39576713e+00	4.24855292e-01	1.25216610e+00	-1.89587906e-02
-8.52026887e-01	-9.04490494e-01	-7.22411129e-01	-1.13371055e+00
3.21036253e-01	1.80176288e-01	1.56754009e+00	-6.77279142e-01
-2.84244576e-01	-1.12325753e+00	2.47841349e-01	2.35957980e+00
3.09307549e-01	5.30735295e-01	-4.14459340e-01	9.88730102e-01
8.79363108e-01	-1.95379527e+00	-3.27574812e-01	2.77365109e-01
2.51322203e-01	1.24523542e+00	7.63820527e-02	-9.20518189e-01
-1.86092760e-01	-7.08418671e-01	2.12862201e-01	3.69277613e-01
1.26664601e-01	-9.46625943e-01	-6.84724922e-01	2.30139088e+00
-2.92743917e-01	-1.87460573e-01	-2.80769069e-01	2.09011957e+00
1.48645658e+00	-6.69828279e-01	1.49160300e+00	1.01594587e+00
-7.99317922e-01	6.54863685e-02	1.96663589e+00	5.55653787e-01
3.16738274e-01	7.35360880e-01	1.03198323e+00	2.52558381e-01
1.14304160e+00	1.09348221e+00	-5.73963978e-01	8.63684380e-01
-5.35941930e-01	-2.18157323e-02	-9.98843118e-01	5.31677901e-01
-9.89357252e-01	7.02250770e-01	5.78794426e-01	5.93747357e-01
6.37160673e-02	-1.09073605e+00	1.08970876e-02	-7.38976583e-01
-8.94652239e-01	-5.40842931e-01	-6.12317511e-01	1.53195612e-01
2.33555887e-01	-2.12206595e-01	-7.19657840e-01	3.97687475e-02
-9.10740539e-01	2.54009928e-01	-6.05924643e-01	2.88024327e-01
2.46406669e-01	1.05831268e+00	-2.49324922e-01	-2.46486506e-01
-1.29259451e-01	6.43508862e-02	4.07870641e-01	-5.53778264e-02

7.45672543e-02	1.49904658e+00	-1.42849114e+00	-1.32326402e+00
-2.51047670e-01	2.23599051e+00	-1.89408172e+00	-5.22693754e-01
1.44290611e+00	-7.13003720e-01	1.94777825e+00	7.88992017e-01
1.55856028e+00	9.19845828e-01	-1.48691059e+00	-1.07297465e+00
1.42377728e+00	1.88915138e+00	1.53528206e-02	-1.17989359e+00
1.40568892e+00	5.61145784e-01	4.66014311e-01	-4.49886216e-04
-5.95203783e-01	7.35986228e-01	1.86606531e-01	-2.38543622e-01
-2.46668156e-01	-3.38594482e-01	-2.47020146e-01	-1.03897448e+00
-1.36090062e+00	-7.21646218e-01	-1.23473673e+00	-3.41343166e-01
6.01236142e-01	-9.85319549e-01	-3.78325773e-01	-2.80991041e-01
1.30933145e+00	-1.52268499e+00	2.09615814e-02	-2.30243207e+00
-1.88049565e-01	5.44265230e-01	-2.78683822e-01	-5.53400195e-01
-2.53751338e-01	4.94426618e-01	6.18753572e-02	7.60530858e-02
-1.45606068e+00	1.84065033e+00	2.69658651e-01	-1.07194682e-01
1.32294990e+00	-1.07804160e+00	-1.06447570e-01	1.06366431e+00
-4.91866899e-01	1.09377046e+00	2.95770356e+00	-7.95319830e-01
2.38135147e-01	8.74003024e-01	7.33394109e-01	6.05127893e-01
-1.93854465e-01	-4.35621732e-01	1.18420875e-01	-1.68681603e+00
-5.85134657e-01	1.08940437e+00	7.03291067e-01	1.83124155e-01
-1.15011538e-01	3.36904490e-01	-2.39745628e-01	1.22808594e+00
-1.07621969e+00	-4.82165371e-01	6.95305221e-01	-9.20903224e-01
1.12438934e-01	-1.20809032e+00	-5.25116172e-01	3.91437897e-01
-8.15387271e-02	4.02520519e-01	1.63768027e+00	6.24608276e-01
9.68690568e-01	6.66077771e-01	5.30801982e-01	1.16924984e+00
3.49583309e-02	4.52614785e-01	2.81839201e-01	5.63023029e-01
8.03512565e-01	5.92308855e-01	-1.72552121e+00	-1.31195785e+00
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-1.81473155e+00	-1.26693646e+00	1.07109327e-02	1.46361785e-01
-3.39911257e-01	1.08979295e+00	1.09218460e+00	1.49491996e+00
-5.58074944e-01	3.60520581e-01	-3.90486556e-01	-6.37392155e-01
-1.03328704e+00	-3.08010324e-01	-3.48712225e-01	-5.79688451e-01
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-1.46808219e+00	3.65120681e-01	2.07511520e-01	6.92776842e-01
-5.91967858e-01	-1.25459058e+00	-6.27281667e-01	4.43459676e-02
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1.28644148e+00	1.47416993e+00	1.97908433e+00	2.27399898e-01
5.34991950e-01	5.73820809e-01	-9.70448437e-01	3.02010239e-01
1.35630072e+00	-1.07166601e+00	7.91255340e-01	9.39799476e-01
1.77098353e-01	-6.84225910e-01	-2.16178079e+00	-8.18378407e-01
1.95151623e+00	-6.63805657e-01	1.34832629e+00	-7.41571443e-01
2.14190085e+00	-4.09773388e-01	-1.10296080e+00	-4.02110916e-01
3.83732989e-01	-1.43294937e-01	-1.04160451e+00	6.74637679e-01
1.91344456e+00	8.06335677e-01	-7.63169509e-01	1.78025121e+00
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4.70341983e-01	2.80415634e-01	1.36691113e+00	-6.29314440e-01
3.27166912e-01	-1.07703240e+00	-1.59636962e+00	-6.27107986e-01

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6.51632921e-01	1.64381475e+00	-9.63630422e-02	6.15308068e-01
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1.23734272e+00	-5.46041995e-01	-1.28833182e+00	-4.18439522e-01
1.06071034e+00	-1.17836591e+00	-2.25702046e+00	-1.07083815e+00
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6.55881131e-01	-2.35874660e+00	-5.45574641e-01	1.21293007e+00
-1.03481654e+00	9.40567042e-01	8.88395703e-01	-1.35510306e+00
-1.44674457e-01	1.04074657e-01	-1.53205218e+00	-1.27323543e+00
1.01817053e+00	2.08956633e-01	7.16347363e-02	1.16449097e+00
5.71734691e-01	3.79855842e-01	1.39680572e+00	-9.69077280e-01
-1.66008212e+00	-2.26963426e+00	9.45799411e-01	-7.77776863e-01
1.87683666e-02	9.75721669e-01	-4.06836218e-01	-1.39008310e-02
-5.90506578e-01	1.26265974e-01	1.00778197e+00	-5.58046409e-01
4.76753461e-01	7.76597608e-01	3.61549124e-01	1.05729616e-01
3.76824166e-01	-4.49995045e-01	-1.92525131e-01	-2.51022944e-01
-1.07327246e+00	2.39407247e-01	1.62989724e-01	1.83943939e+00
1.08036896e+00	3.71259231e-01	2.39283219e-01	-2.84259639e-01
-1.16408772e+00	-7.63622533e-02	-2.20167174e-01	2.39642502e-01
-6.84846613e-02	-2.06896156e-01	1.28121047e+00	1.32536145e-02
-2.26160443e+00	-6.64849483e-01	-2.66616436e-01	-2.73139477e-01
5.72912343e-01	1.29073574e+00	5.65690268e-01	-1.60182811e+00
9.62477665e-01	7.45656933e-01	1.64184257e-01	-4.20315296e-01
1.37282520e+00	9.49176939e-02	-1.16605320e+00	5.85369148e-01
-2.75766369e-01	6.74811883e-01	1.10038203e+00	2.06376884e+00
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5.27212866e-01	4.60184065e-01	-5.47330839e-01	1.52615013e-01
-5.48415346e-01	-4.97946914e-01	-8.86449322e-01	4.86702706e-01
-1.25128123e+00	-2.10010893e+00	1.89180725e+00	5.73036846e-01
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-3.44709750e-01	-2.69427788e-02	4.56374488e-01	-1.80094609e+00
-1.36106892e+00	-1.08831733e+00	-4.43833906e-01	-1.27068103e+00
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3.57587561e-01	-1.26167618e-01	3.39348116e-01	7.15937023e-01
5.80249604e-01	2.07839935e+00	4.41466119e-01	-7.37114830e-01
6.37232493e-01	1.62555483e+00	8.68112993e-01	-1.96173756e+00
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-1.35777038e+00	6.58291896e-01	3.68658153e-01	-9.26101538e-01
-1.22539359e+00	5.66299161e-01	1.93759089e+00	-1.41480324e-01
1.18786487e-01	1.07788749e+00	6.96867769e-01	-6.51172433e-01
2.38140915e-02	7.72217897e-01	-2.44112295e+00	6.84947714e-02
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7.87382686e-01	-1.31686937e+00	1.08375841e+00	7.30332965e-01
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1.56870077e+00	1.23495789e+00	1.22350083e-01	-5.23775561e-01
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-5.91252585e-01	5.99817487e-01	1.12098344e-01	4.92082100e-01
-8.95045415e-02	-5.73821257e-01	-2.79982131e-02	4.22670922e-01
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-4.81496290e-01	-1.51799632e+00	1.52943104e+00	-1.00837389e+00
1.78389211e-01	-9.31819466e-01	-3.46768748e-01	-9.47295561e-01
-1.57613866e+00	-4.64722702e-01	-2.15352131e+00	-1.25792041e+00
-4.15320365e-01	1.30534258e+00	8.48878210e-01	1.04143489e+00
1.50783502e+00	-4.52823022e-01	-5.64895202e-01	-2.05476643e+00
1.76854580e+00	-3.09404437e+00	-1.11301670e+00	-1.40086403e+00
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-1.12177333e+00	1.52431110e+00	8.27365965e-01	2.01112859e-01
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4.25445722e-01	-1.01320991e-01	1.93704785e+00	7.51853171e-01
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4.53100286e-01	1.57631713e+00	-6.15731142e-01	7.64694719e-02
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1.14186899e+00	7.99089421e-01	-4.58179873e-02	1.05661035e-01
6.36263038e-01	1.07202880e+00	1.06282291e+00	3.32179012e-01
-1.03589575e-01	8.17307523e-01	-1.32024116e+00	-2.29765354e+00
1.37010107e+00	2.32375490e-01	-1.69023664e-01	2.79401731e-01
-1.28279393e+00	8.03846535e-01	-1.29037834e+00	6.70950172e-03
1.01294683e+00	-7.76047815e-02	8.82111755e-01	6.45287755e-02
-1.80861447e+00	1.95319924e+00	-2.01985554e+00	1.36344165e+00
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3.57624325e-01	9.40640078e-01	1.27283950e+00	-7.36394936e-01
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-8.72077219e-02	5.26146108e-01	5.69014951e-01	9.78337152e-02
-1.46451778e-01	6.73280332e-01	2.59740334e-03	-1.21123835e+00
-5.85392748e-01	-1.71424159e+00	-3.16238714e-01	1.02184192e+00
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-5.70351201e-01	-5.89366421e-01	5.34495719e-01	-1.20295159e+00
-1.99880333e+00	1.06716843e+00	6.66780797e-01	-4.94931738e-01
-6.52416896e-01	1.30506531e+00	-5.62122018e-01	1.00473327e+00
-8.92036908e-01	1.10734646e-01	3.19564208e-01	-3.05033279e-01
2.68611949e-01	2.05400012e+00	5.77392957e-01	-8.25961628e-02
-1.97542450e+00	5.39109635e-01	1.85890227e-01	-1.09793698e+00
-6.41085328e-01	-3.63289233e-01	-1.84631144e+00	-4.13746989e-01



```

1.34624888e+00 -6.83532236e-01 -3.77869312e-01 -5.16215049e-01
-2.41838021e+00 -7.90187285e-01 1.62047624e-01 1.10154713e-02
-3.46703458e-01 -1.03586736e+00 -4.56022768e-01 -9.30586831e-01
1.18485263e+00 1.26081279e+00 1.15707243e+00 2.25870321e+00]

```

```

Mean: 0.007968223257593556
Variance: 0.967194252841536
Standard Deviation: 0.9834603463493259

```

Use seaborn libraries to load tips dataset. Find the following from the dataset for the columns total\_bill and tip`:

```

import seaborn as sns
df=sns.load_dataset("tips")

```

```
df
```

	total_bill	tip	sex	smoker	day	time	size
0	16.99	1.01	Female	No	Sun	Dinner	2
1	10.34	1.66	Male	No	Sun	Dinner	3
2	21.01	3.50	Male	No	Sun	Dinner	3
3	23.68	3.31	Male	No	Sun	Dinner	2
4	24.59	3.61	Female	No	Sun	Dinner	4
...	...	...	...	...	...	...	...
239	29.03	5.92	Male	No	Sat	Dinner	3
240	27.18	2.00	Female	Yes	Sat	Dinner	2
241	22.67	2.00	Male	Yes	Sat	Dinner	2
242	17.82	1.75	Male	No	Sat	Dinner	2
243	18.78	3.00	Female	No	Thur	Dinner	2

```
[244 rows x 7 columns]
```

```
tdf=df['total_bill'].describe()
```

```
tdf
```

```

count    244.000000
mean      19.785943
std        8.902412
min        3.070000
25%       13.347500
50%       17.795000
75%       24.127500
max       50.810000
Name: total_bill, dtype: float64

```

```
tdm=df['tip'].describe()
```

```
tdm
```

```
count    244.000000
mean      2.998279
std       1.383638
min       1.000000
25%       2.000000
50%       2.900000
75%       3.562500
max       10.000000
Name: tip, dtype: float64
```

Use seaborn library to load tips dataset. Find the following from the dataset for the columns total\_bill and tip`:

Write a Python function that calculates their skewness.

Create a program that determines whether the columns exhibit positive skewness, negative skewness, or is approximately symmetric.

Write a function that calculates the covariance between two columns.

Implement a Python program that calculates the Pearson correlation coefficient between two columns.

Write a script to visualize the correlation between two specific columns in a Pandas DataFrame using scatter plots

```
import seaborn as sns
import pandas as pd
import numpy as np
import matplotlib.pyplot as plt

# Load the tips dataset
tips = sns.load_dataset('tips')

# Function to calculate skewness
def calculate_skewness(column):
    return column.skew()

# Function to determine skewness type
def skewness_type(skewness):
    if skewness > 0:
        return 'Positive skewness'
    elif skewness < 0:
        return 'Negative skewness'
    else:
        return 'Approximately symmetric'

# Function to calculate covariance between two columns
def calculate_covariance(column1, column2):
    return column1.cov(column2)
```

```

# Function to calculate Pearson correlation coefficient between two columns
def calculate_pearson_correlation(column1, column2):
    return column1.corr(column2)

# Function to visualize the correlation between two columns using scatter plot
def visualize_correlation(data, column1, column2):
    plt.figure(figsize=(10, 6))
    sns.scatterplot(x=column1, y=column2, data=data)
    plt.title(f'Scatter plot between {column1} and {column2}')
    plt.xlabel(column1)
    plt.ylabel(column2)
    plt.show()

# Calculate skewness for total_bill and tip
total_bill_skewness = calculate_skewness(tips['total_bill'])
tip_skewness = calculate_skewness(tips['tip'])

# Determine skewness type for total_bill and tip
total_bill_skewness_type = skewness_type(total_bill_skewness)
tip_skewness_type = skewness_type(tip_skewness)

# Calculate covariance between total_bill and tip
covariance = calculate_covariance(tips['total_bill'], tips['tip'])

# Calculate Pearson correlation coefficient between total_bill and tip
pearson_correlation =
calculate_pearson_correlation(tips['total_bill'], tips['tip'])

# Print the results
print(f"Skewness of total_bill: {total_bill_skewness}
({total_bill_skewness_type})")
print(f"Skewness of tip: {tip_skewness} ({tip_skewness_type})")
print(f"Covariance between total_bill and tip: {covariance}")
print(f"Pearson correlation coefficient between total_bill and tip:
{pearson_correlation}")

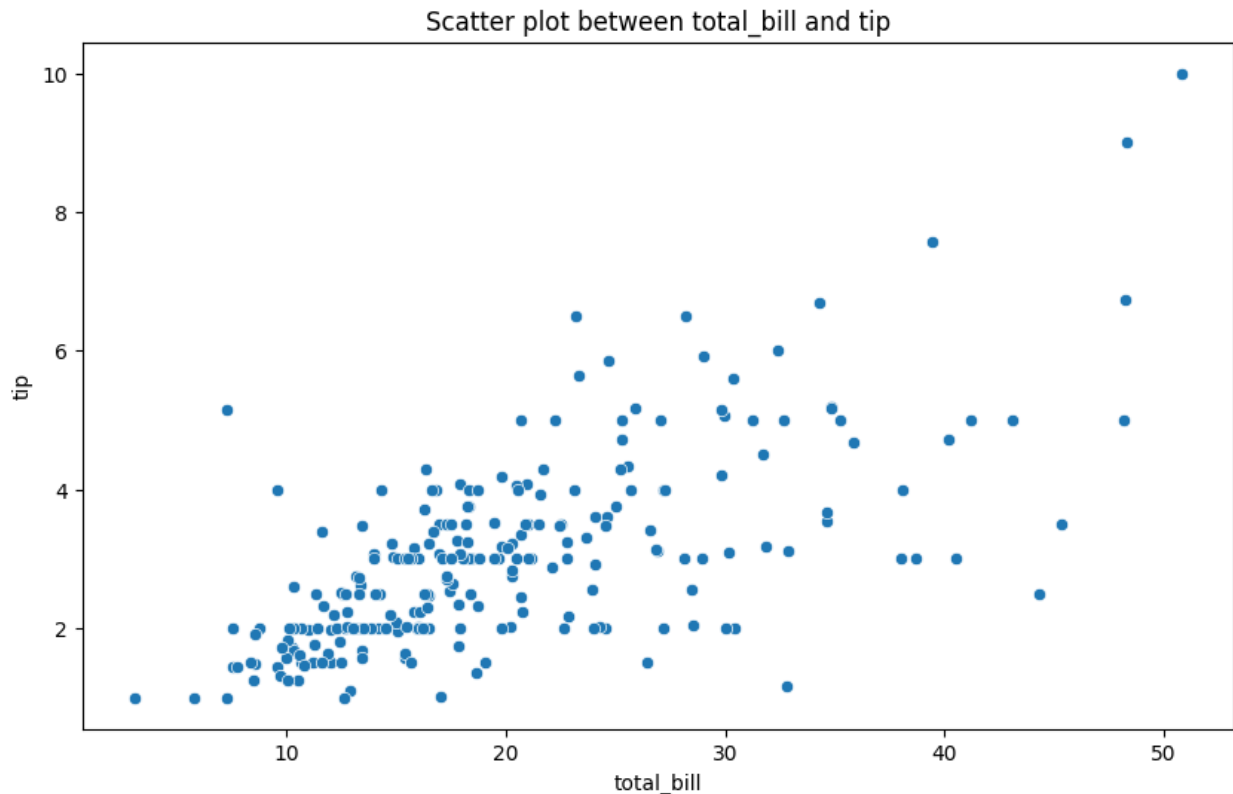
# Visualize the correlation between total_bill and tip
visualize_correlation(tips, 'total_bill', 'tip')

```

```

Skewness of total_bill: 1.1332130376158205 (Positive skewness)
Skewness of tip: 1.4654510370979401 (Positive skewness)
Covariance between total_bill and tip: 8.323501629224854
Pearson correlation coefficient between total_bill and tip:
0.6757341092113645

```



Write a Python function to calculate the probabilites density function (PDF) of a continuous random variable for a given normal distribution.

```
import scipy.stats as stats

def calculate_pdf(mu, sigma, x):
    return stats.norm.pdf(x, loc=mu, scale=sigma)
```

```
mu = 0      # Mean
sigma = 1   # Standard deviation
x = 1       # Value at which to calculate the PDF
```

```
pdf_value = calculate_pdf(mu, sigma, x)
print(f"The PDF value at x={x} for a normal distribution with
mean={mu} and sigma={sigma} is {pdf_value}")
```

```
The PDF value at x=1 for a normal distribution with mean=0 and sigma=1
is 0.24197072451914337
```

Create a program to calculate the cumulative distribution 6unction (CDF) of exponential distribution.

```
import scipy.stats as stats
```

```
def calculate_exponential_cdf(lambd, x):
    # The scale parameter for scipy's expon function is 1/lambda
    scale = 1 / lambd
    return stats.expon.cdf(x, scale=scale)

lambd = 1 # Rate parameter (lambda)
x = 5     # Value at which to calculate the CDF

cdf_value = calculate_exponential_cdf(lambd, x)
print(f"The CDF value at x={x} for an exponential distribution with
lambda={lambd} is {cdf_value}")
```

The CDF value at x=5 for an exponential distribution with lambda=1 is 0.9932620530009145

Write a Python function to calculate the probabilities mass function (PMF) of Poisson distribution.

```
import scipy.stats as stats

def calculate_poisson_pmf(mu, k):
    return stats.poisson.pmf(k, mu)

mu = 3 # Rate parameter (lambda)
k = 8  # Value at which to calculate the PMF

pmf_value = calculate_poisson_pmf(mu, k)
print(f"The PMF value at k={k} for a Poisson distribution with
lambda={mu} is {pmf_value}")
```

The PMF value at k=8 for a Poisson distribution with lambda=3 is 0.008101511794681432

```
pip install statsmodels
```

Collecting statsmodelsNote: you may need to restart the kernel to use updated packages.

```
Downloading statsmodels-0.14.2-cp312-cp312-win_amd64.whl.metadata
(9.5 kB)
Requirement already satisfied: numpy>=1.22.3 in e:\dddowld\lib\site-
packages (from statsmodels) (1.26.4)
Requirement already satisfied: scipy!=1.9.2,>=1.8 in e:\dddowld\lib\
site-packages (from statsmodels) (1.12.0)
Requirement already satisfied: pandas!=2.1.0,>=1.4 in e:\dddowld\lib\
site-packages (from statsmodels) (2.2.1)
Collecting patsy>=0.5.6 (from statsmodels)
```

```
Using cached patsy-0.5.6-py2.py3-none-any.whl.metadata (3.5 kB)
Requirement already satisfied: packaging>=21.3 in c:\users\dell\
appdata\roaming\python\python312\site-packages (from statsmodels)
(23.2)
Requirement already satisfied: python-dateutil>=2.8.2 in c:\users\
dell\appdata\roaming\python\python312\site-packages (from pandas!
=2.1.0,>=1.4->statsmodels) (2.8.2)
Requirement already satisfied: pytz>=2020.1 in e:\dddowld\lib\site-
packages (from pandas!=2.1.0,>=1.4->statsmodels) (2024.1)
Requirement already satisfied: tzdata>=2022.7 in e:\dddowld\lib\site-
packages (from pandas!=2.1.0,>=1.4->statsmodels) (2024.1)
Requirement already satisfied: six in c:\users\dell\appdata\roaming\
python\python312\site-packages (from patsy>=0.5.6->statsmodels)
(1.16.0)
Downloading statsmodels-0.14.2-cp312-cp312-win_amd64.whl (9.8 MB)
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----- 1.8/9.8 MB 3.8 MB/s eta
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```

```

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Using cached patsy-0.5.6-py2.py3-none-any.whl (233 kB)
Installing collected packages: patsy, statsmodels
Successfully installed patsy-0.5.6 statsmodels-0.14.2

```

A company wants to test if a new website layout leads to a higher conversion rate (percentage of visitors who make a purchase). They collect data from the old and new layouts to compare.

To generate the data use the following command:

```
import numpy as np
```



```

# 50 purchases out of 1000 visitors
old_layout = <p.array([1] * 50 + [0] * 950)

# 70 purchases out of 1000 visitors
new_layout = <p.array([1] * 70 + [0] * 930)

```

Apply z-test to find which layout is successful.

```

import numpy as np
from statsmodels.stats.proportion import proportions_ztest

# Generate the data
old_layout = np.array([1] * 50 + [0] * 950) # 50 purchases out of
1000 visitors
new_layout = np.array([1] * 70 + [0] * 930) # 70 purchases out of
1000 visitors

# Calculate the number of successes and the number of trials for both
layouts
successes = np.array([old_layout.sum(), new_layout.sum()])
n_trials = np.array([old_layout.size, new_layout.size])

# Apply the z-test
stat, p_value = proportions_ztest(successes, n_trials)

# Print the results
print(f"Z-statistic: {stat}")
print(f"P-value: {p_value}")

# Interpretation
alpha = 0.05
if p_value < alpha:
    print("Reject the null hypothesis: There is a significant
difference in conversion rates between the old and new layouts.")
else:
    print("Fail to reject the null hypothesis: There is no significant
difference in conversion rates between the old and new layouts.")

Z-statistic: -1.883108942886774
P-value: 0.05968560553242621
Fail to reject the null hypothesis: There is no significant difference
in conversion rates between the old and new layouts.

```

MA tutoring service claims that its program improves students' exam scores. A sample of students who participated in the program was taken, and their scores before and after the program were recorded.

Use the below code to generate samples of respective arrays of marks:

```
before_program = np.array([75, 80, 85, 70, 90, 78, 92, 88, 82, 87])
after_program = np.array([80, 85, 90, 80, 92, 80, 95, 90, 85, 88])
```

Use z-test to find if the claims made by tutor are true or false.

```
import numpy as np
from scipy import stats

# Generate the data
before_program = np.array([75, 80, 85, 70, 90, 78, 92, 88, 82, 87])
after_program = np.array([80, 85, 90, 80, 92, 80, 95, 90, 85, 88])

# Calculate the differences between the scores
differences = after_program - before_program

# Calculate the mean and standard deviation of the differences
mean_diff = np.mean(differences)
std_diff = np.std(differences, ddof=1) # Use ddof=1 for sample standard deviation
n = len(differences)

# Calculate the z-statistic
z_stat = mean_diff / (std_diff / np.sqrt(n))

# Calculate the p-value
p_value = 2 * (1 - stats.norm.cdf(abs(z_stat)))

# Print the results
print(f"Z-statistic: {z_stat}")
print(f"P-value: {p_value}")

# Interpretation
alpha = 0.05
if p_value < alpha:
    print("Reject the null hypothesis: The tutoring program significantly improves exam scores.")
else:
    print("Fail to reject the null hypothesis: There is no significant improvement in exam scores due to the tutoring program.")

Z-statistic: 4.593190894944668
P-value: 4.365194105293568e-06
Reject the null hypothesis: The tutoring program significantly improves exam scores.
```

A pharmaceutical company wants to determine if a new drug is effective in reducing blood pressure. They conduct a study and record blood pressure measurements before and after administering the drug.

Use the below code to generate samples of respective arrays of blood pressure:

```
before_drug = np.array([145, 150, 140, 135, 155, 160, 152, 148, 130, 138])
after_drug = np.array([130, 140, 132, 128, 145, 148, 138, 136, 125, 130])
```

Implement z-test to find if the drug really works or not

```
import numpy as np
from scipy import stats

# Generate the data
before_drug = np.array([145, 150, 140, 135, 155, 160, 152, 148, 130, 138])
after_drug = np.array([130, 140, 132, 128, 145, 148, 138, 136, 125, 130])

# Calculate the differences between the blood pressure measurements
differences = before_drug - after_drug

# Calculate the mean and standard deviation of the differences
mean_diff = np.mean(differences)
std_diff = np.std(differences, ddof=1) # Use ddof=1 for sample standard deviation
n = len(differences)

# Calculate the z-statistic
z_stat = mean_diff / (std_diff / np.sqrt(n))

# Calculate the p-value
p_value = 2 * (1 - stats.norm.cdf(abs(z_stat)))

# Print the results
print(f"Z-statistic: {z_stat}")
print(f"P-value: {p_value}")

# Interpretation
alpha = 0.05
if p_value < alpha:
    print("Reject the null hypothesis: The drug significantly reduces blood pressure.")
else:
```

```
print("Fail to reject the null hypothesis: There is no significant reduction in blood pressure due to the drug.")
```

Z-statistic: 10.049875621120888

P-value: 0.0

Reject the null hypothesis: The drug significantly reduces blood pressure.

A customer service department claims that their average response time is less than 5 minutes. A sample of recent customer interactions was taken, and the response times were recorded.

Implement the below code to generate the array of response time:

```
response_times = np.array([4.3, 3.8, 5.1, 4.9, 4.7, 4.2, 5.2, 4.5, 4.6, 4.4])
```

Implement z-test to find the claims made by customer service department are true or false.

```
import numpy as np
from scipy import stats

# Generate the data
response_times = np.array([4.3, 3.8, 5.1, 4.9, 4.7, 4.2, 5.2, 4.5, 4.6, 4.4])

# Population mean (claimed average response time)
mu = 5

# Calculate the sample mean and standard deviation
sample_mean = np.mean(response_times)
sample_std = np.std(response_times, ddof=1) # Use ddof=1 for sample standard deviation
n = len(response_times)

# Calculate the z-statistic
z_stat = (sample_mean - mu) / (sample_std / np.sqrt(n))

# Calculate the p-value (one-tailed test)
p_value = stats.norm.cdf(z_stat)

# Print the results
print(f"Z-statistic: {z_stat}")
print(f"P-value: {p_value}")

# Interpretation
alpha = 0.05
if p_value < alpha:
    print("Reject the null hypothesis: The average response time is significantly less than 5 minutes.")
```

```

else:
    print("Fail to reject the null hypothesis: There is no significant
evidence that the average response time is less than 5 minutes.")

```

Z-statistic: -3.184457226042963

P-value: 0.0007251287113068958

Reject the null hypothesis: The average response time is significantly less than 5 minutes.

USA company is testing two different website layouts to see which one leads to higher click-through rates. Write a Python function to perform an A/B test analysis, including calculating the t-statistic, degrees of freedom, and p-value.

Use the following data:

```

python

```

```

layout_a_clicks = [28, 32, 33, 29, 31, 34, 30, 35, 36, 37]

```

```

layout_b_clicks = [40, 41, 38, 42, 39, 44, 43, 41, 45, 47]

```

```

import numpy as np
from scipy import stats

def ab_test_analysis(layout_a_clicks, layout_b_clicks):
    """
    Perform an A/B test analysis.

    Parameters:
    layout_a_clicks (list): List of click-through rates for layout A.
    layout_b_clicks (list): List of click-through rates for layout B.

    Returns:
    tuple: (t_statistic, degrees_of_freedom, p_value)
    """
    # Convert lists to numpy arrays
    layout_a_clicks = np.array(layout_a_clicks)
    layout_b_clicks = np.array(layout_b_clicks)

    # Calculate sample statistics
    mean_a = np.mean(layout_a_clicks)
    mean_b = np.mean(layout_b_clicks)
    var_a = np.var(layout_a_clicks, ddof=1)
    var_b = np.var(layout_b_clicks, ddof=1)
    n_a = len(layout_a_clicks)
    n_b = len(layout_b_clicks)

    # Calculate pooled standard deviation and standard error
    pooled_var = ((n_a - 1) * var_a + (n_b - 1) * var_b) / (n_a + n_b
- 2)
    pooled_std = np.sqrt(pooled_var)

```

```

standard_error = pooled_std * np.sqrt(1 / n_a + 1 / n_b)

# Calculate t-statistic
t_statistic = (mean_a - mean_b) / standard_error

# Calculate degrees of freedom
degrees_of_freedom = n_a + n_b - 2

# Calculate p-value
p_value = 2 * (1 - stats.t.cdf(abs(t_statistic),
degrees_of_freedom))

return t_statistic, degrees_of_freedom, p_value

# Example usage
layout_a_clicks = [28, 32, 33, 29, 31, 34, 30, 35, 36, 37]
layout_b_clicks = [40, 41, 38, 42, 39, 44, 43, 41, 45, 47]

t_statistic, degrees_of_freedom, p_value =
ab_test_analysis(layout_a_clicks, layout_b_clicks)
print(f"T-statistic: {t_statistic}")
print(f"Degrees of Freedom: {degrees_of_freedom}")
print(f"P-value: {p_value}")

# Interpretation
alpha = 0.05
if p_value < alpha:
    print("Reject the null hypothesis: There is a significant
difference between layout A and layout B.")
else:
    print("Fail to reject the null hypothesis: There is no significant
difference between layout A and layout B.")

T-statistic: -7.298102156175071
Degrees of Freedom: 18
P-value: 8.833437608046779e-07
Reject the null hypothesis: There is a significant difference between
layout A and layout B.

```

A pharmaceutical company wants to determine if a new drug is more effective than an existing drug in reducing cholesterol levels. Create a program to analyze the clinical trial data and calculate the t-statistic and p-value for the treatment effect.

Use the following data of cholesterol level:

```

existing_drug_levels = [180, 182, 175, 185, 178, 176, 172, 184, 179,
183]

new_drug_levels = [170, 172, 165, 168, 175, 173, 170, 178, 172, 176]

```

```

import numpy as np
from scipy import stats

def compare_drugs(existing_drug_levels, new_drug_levels):
    """
    Analyze clinical trial data to compare the effectiveness of
    existing and new drugs in reducing cholesterol levels.

    Parameters:
    existing_drug_levels (list): Cholesterol levels for patients
    treated with the existing drug.
    new_drug_levels (list): Cholesterol levels for patients treated
    with the new drug.

    Returns:
    tuple: (t_statistic, p_value)
    """
    # Convert lists to numpy arrays
    existing_drug_levels = np.array(existing_drug_levels)
    new_drug_levels = np.array(new_drug_levels)

    # Calculate sample statistics
    mean_existing = np.mean(existing_drug_levels)
    mean_new = np.mean(new_drug_levels)
    var_existing = np.var(existing_drug_levels, ddof=1)
    var_new = np.var(new_drug_levels, ddof=1)
    n_existing = len(existing_drug_levels)
    n_new = len(new_drug_levels)

    # Calculate pooled standard deviation and standard error
    pooled_var = ((n_existing - 1) * var_existing + (n_new - 1) *
var_new) / (n_existing + n_new - 2)
    pooled_std = np.sqrt(pooled_var)
    standard_error = pooled_std * np.sqrt(1 / n_existing + 1 / n_new)

    # Calculate t-statistic
    t_statistic = (mean_existing - mean_new) / standard_error

    # Calculate degrees of freedom
    degrees_of_freedom = n_existing + n_new - 2

    # Calculate p-value
    p_value = 2 * (1 - stats.t.cdf(abs(t_statistic),
degrees_of_freedom))

    return t_statistic, p_value

# Example usage
existing_drug_levels = [180, 182, 175, 185, 178, 176, 172, 184, 179,
183]
new_drug_levels = [170, 172, 165, 168, 175, 173, 170, 178, 172, 176]

```

```

t_statistic, p_value = compare_drugs(existing_drug_levels,
new_drug_levels)
print(f"T-statistic: {t_statistic}")
print(f"P-value: {p_value}")

# Interpretation
alpha = 0.05
if p_value < alpha:
    print("Reject the null hypothesis: The new drug is more effective
than the existing drug in reducing cholesterol levels.")
else:
    print("Fail to reject the null hypothesis: There is no significant
difference in effectiveness between the existing and new drugs.")

T-statistic: 4.14048098620866
P-value: 0.0006143398442373105
Reject the null hypothesis: The new drug is more effective than the
existing drug in reducing cholesterol levels.

```

A school district introduces an educational intervention program to improve math scores. Write a Python function to analyze pre- and post-intervention test scores, calculating the t-statistic and p-value to determine if the intervention had a significant impact.

Use the following data of test scores:

```

'''python
pre_intervention_scores = [80, 85, 90, 75, 88, 82, 92, 78, 85, 87]
post_intervention_scores = [90, 92, 88, 92, 95, 91, 96, 93, 89, 93]'''

```

```

import numpy as np
from scipy import stats

def intervention_effect(pre_intervention_scores,
post_intervention_scores):
    """
    Analyze the impact of an educational intervention program on math
    scores using a paired t-test.

    Parameters:
    pre_intervention_scores (list): List of pre-intervention test
    scores.
    post_intervention_scores (list): List of post-intervention test
    scores.

    Returns:
    tuple: (t_statistic, p_value)
    """
    # Convert lists to numpy arrays

```



```

pre_intervention_scores = np.array(pre_intervention_scores)
post_intervention_scores = np.array(post_intervention_scores)

# Calculate differences between pre- and post-intervention scores
differences = post_intervention_scores - pre_intervention_scores

# Calculate mean and standard deviation of differences
mean_diff = np.mean(differences)
std_diff = np.std(differences, ddof=1) # Use ddof=1 for sample
standard deviation
n = len(differences)

# Calculate standard error
standard_error = std_diff / np.sqrt(n)

# Calculate t-statistic
t_statistic = mean_diff / standard_error

# Calculate degrees of freedom
degrees_of_freedom = n - 1

# Calculate p-value
p_value = 2 * (1 - stats.t.cdf(abs(t_statistic),
degrees_of_freedom))

return t_statistic, p_value

# Example usage
pre_intervention_scores = [80, 85, 90, 75, 88, 82, 92, 78, 85, 87]
post_intervention_scores = [90, 92, 88, 92, 95, 91, 96, 93, 89, 93]

t_statistic, p_value = intervention_effect(pre_intervention_scores,
post_intervention_scores)
print(f"T-statistic: {t_statistic}")
print(f"P-value: {p_value}")
# Interpretation
alpha = 0.05
if p_value < alpha:
    print("Reject the null hypothesis: The intervention had a
significant impact on test scores.")
else:
    print("Fail to reject the null hypothesis: The intervention did
not have a significant impact on test scores.")

T-statistic: 4.428408839657611
P-value: 0.0016509548165795085
Reject the null hypothesis: The intervention had a significant impact
on test scores.

```

An HR department wants to investigate if there's a gender-based salary gap within the company. Develop a program to analyze salary data, calculate the t-statistic, and determine if there's a statistically significant difference between the average salaries of male and female employees.

Use the below code to generate synthetic data

```
# Generate synthetic salary data for male and female employees
np.random.seed(0) # For reproducibility

male_salaries = np.random.normal(loc=50000, scale=10000, size=20)
female_salaries = np.random.normal(loc=55000, scale=9000, size=20)

import numpy as np
from scipy import stats

# Generate synthetic salary data for male and female employees
np.random.seed(0) # For reproducibility

male_salaries = np.random.normal(loc=50000, scale=10000, size=20)
female_salaries = np.random.normal(loc=55000, scale=9000, size=20)

def analyze_salary_gap(male_salaries, female_salaries):
    """
    Analyze salary data to determine if there is a statistically
    significant difference between the average salaries of male and female
    employees.

    Parameters:
    male_salaries (numpy array): Salaries of male employees.
    female_salaries (numpy array): Salaries of female employees.

    Returns:
    tuple: (t_statistic, p_value)
    """
    # Calculate sample statistics
    mean_male = np.mean(male_salaries)
    mean_female = np.mean(female_salaries)
    var_male = np.var(male_salaries, ddof=1)
    var_female = np.var(female_salaries, ddof=1)
    n_male = len(male_salaries)
    n_female = len(female_salaries)

    # Calculate pooled standard deviation and standard error
    pooled_var = ((n_male - 1) * var_male + (n_female - 1) *
var_female) / (n_male + n_female - 2)
    pooled_std = np.sqrt(pooled_var)
    standard_error = pooled_std * np.sqrt(1 / n_male + 1 / n_female)
```

```

# Calculate t-statistic
t_statistic = (mean_male - mean_female) / standard_error

# Calculate degrees of freedom
degrees_of_freedom = n_male + n_female - 2

# Calculate p-value
p_value = 2 * (1 - stats.t.cdf(abs(t_statistic),
degrees_of_freedom))

return t_statistic, p_value

# Analyze the salary data
t_statistic, p_value = analyze_salary_gap(male_salaries,
female_salaries)
print(f"T-statistic: {t_statistic}")
print(f"P-value: {p_value}")

# Interpretation
alpha = 0.05
if p_value < alpha:
    print("Reject the null hypothesis: There is a significant
difference in salaries between male and female employees.")
else:
    print("Fail to reject the null hypothesis: There is no significant
difference in salaries between male and female employees.")

T-statistic: 0.06114208969631383
P-value: 0.9515665020676465
Fail to reject the null hypothesis: There is no significant difference
in salaries between male and female employees.

```

A manufacturer produces two different versions of a product and wants to compare their quality scores. Create a Python function to analyze quality assessment data, calculate the t-statistic, and decide whether there's a significant difference in quality between the two versions.

Use the following dataY

```

version1_scores = [85, 88, 82, 89, 87, 84, 90, 88, 85, 86, 91, 83, 87,
84, 89, 86, 84, 88, 85, 86, 89, 90, 87, 88, 85]

version2_scores = [80, 78, 83, 81, 79, 82, 76, 80, 78, 81, 77, 82, 80,
79, 82, 79, 80, 81, 79, 82, 79, 78, 80, 81, 82]

import numpy as np
from scipy import stats

def analyze_quality(version1_scores, version2_scores):

```

```

# Convert lists to numpy arrays
version1_scores = np.array(version1_scores)
version2_scores = np.array(version2_scores)

# Calculate sample statistics
mean_v1 = np.mean(version1_scores)
mean_v2 = np.mean(version2_scores)
var_v1 = np.var(version1_scores, ddof=1)
var_v2 = np.var(version2_scores, ddof=1)
n_v1 = len(version1_scores)
n_v2 = len(version2_scores)

# Calculate pooled standard deviation and standard error
pooled_var = ((n_v1 - 1) * var_v1 + (n_v2 - 1) * var_v2) / (n_v1 +
n_v2 - 2)
pooled_std = np.sqrt(pooled_var)
standard_error = pooled_std * np.sqrt(1 / n_v1 + 1 / n_v2)

# Calculate t-statistic
t_statistic = (mean_v1 - mean_v2) / standard_error

# Calculate degrees of freedom
degrees_of_freedom = n_v1 + n_v2 - 2

# Calculate p-value
p_value = 2 * (1 - stats.t.cdf(abs(t_statistic),
degrees_of_freedom))

return t_statistic, p_value

version1_scores = [85, 88, 82, 89, 87, 84, 90, 88, 85, 86, 91, 83, 87,
84, 89, 86, 84, 88, 85, 86, 89, 90, 87, 88, 85]
version2_scores = [80, 78, 83, 81, 79, 82, 76, 80, 78, 81, 77, 82, 80,
79, 82, 79, 80, 81, 79, 82, 79, 78, 80, 81, 82]

t_statistic, p_value = analyze_quality(version1_scores,
version2_scores)
print(f"T-statistic: {t_statistic}")
print(f"P-value: {p_value}")

# Interpretation
alpha = 0.05
if p_value < alpha:
    print("Reject the null hypothesis: There is a significant
difference in quality between the two product versions.")
else:
    print("Fail to reject the null hypothesis: There is no significant
difference in quality between the two product versions.")

```

T-statistic: 11.325830417646698  
P-value: 3.552713678800501e-15  
Reject the null hypothesis: There is a significant difference in quality between the two product versions.

A restaurant chain collects customer satisfaction scores for two different branches. Write a program to analyze the scores, calculate the t-statistic, and determine if there's a statistically significant difference in customer satisfaction between the branches.

Use the below data of scores:

```
```python
```

```
branch_a_scores = [4, 5, 3, 4, 5, 4, 5, 3, 4, 4, 5, 4, 4, 3, 4, 5, 5, 4, 3, 4, 5, 4, 3, 5, 4, 4, 5, 3, 4, 5, 4]
```

```
branch_b_scores = [3, 4, 2, 3, 4, 3, 4, 2, 3, 3, 4, 3, 3, 2, 3, 4, 4, 3, 2, 3, 4, 3, 2, 4, 3, 3, 4, 2, 3, 4, 3]
```

```
import numpy as np
from scipy import stats

def analyze_satisfaction(branch_a_scores, branch_b_scores):

    # Convert lists to numpy arrays
    branch_a_scores = np.array(branch_a_scores)
    branch_b_scores = np.array(branch_b_scores)

    # Calculate sample statistics
    mean_a = np.mean(branch_a_scores)
    mean_b = np.mean(branch_b_scores)
    var_a = np.var(branch_a_scores, ddof=1)
    var_b = np.var(branch_b_scores, ddof=1)
    n_a = len(branch_a_scores)
    n_b = len(branch_b_scores)

    # Calculate pooled standard deviation and standard error
    pooled_var = ((n_a - 1) * var_a + (n_b - 1) * var_b) / (n_a + n_b - 2)
    pooled_std = np.sqrt(pooled_var)
    standard_error = pooled_std * np.sqrt(1 / n_a + 1 / n_b)

    # Calculate t-statistic
    t_statistic = (mean_a - mean_b) / standard_error

    # Calculate degrees of freedom
    degrees_of_freedom = n_a + n_b - 2

    # Calculate p-value
    p_value = 2 * (1 - stats.t.cdf(abs(t_statistic), degrees_of_freedom))

    return t_statistic, p_value
```

```

# Example usage
branch_a_scores = [4, 5, 3, 4, 5, 4, 5, 3, 4, 4, 5, 4, 4, 3, 4, 5, 5,
4, 3, 4, 5, 4, 3, 5, 4, 4, 5, 3, 4, 5, 4]
branch_b_scores = [3, 4, 2, 3, 4, 3, 4, 2, 3, 3, 4, 3, 3, 2, 3, 4, 4,
3, 2, 3, 4, 3, 2, 4, 3, 3, 4, 2, 3, 4, 3]

t_statistic, p_value = analyze_satisfaction(branch_a_scores,
branch_b_scores)
print(f"T-statistic: {t_statistic}")
print(f"P-value: {p_value}")

# Interpretation
alpha = 0.05
if p_value < alpha:
    print("Reject the null hypothesis: There is a significant
difference in customer satisfaction between the two branches.")
else:
    print("Fail to reject the null hypothesis: There is no significant
difference in customer satisfaction between the two branches.")

T-statistic: 5.480077554195742
P-value: 8.895290508625919e-07
Reject the null hypothesis: There is a significant difference in
customer satisfaction between the two branches.

```

? A political analyst wants to determine if there is a significant association between age groups and voter preferences (Candidate A or Candidate B). They collect data from a sample of 500 voters and classify them into different age groups and candidate preferences. Perform a Chi-Square test to determine if there is a significant association between age groups and voter preferences.

Use the below code to generate data:

```

```python
np.random.seed(0)

age_groups = np.random.choice(['18-30', '31-50', '51+', '51+'], size=30)
voter_preferences = np.random.choice(['Candidate A', 'Candidate B'], size=30)

```

```

import numpy as np
import pandas as pd
from scipy.stats import chi2_contingency

# Generate data
np.random.seed(0)
age_groups = np.random.choice(['18-30', '31-50', '51+'], size=500)
voter_preferences = np.random.choice(['Candidate A', 'Candidate B'],
size=500)

```

```

# Create a DataFrame
data = pd.DataFrame({'Age Group': age_groups, 'Voter Preference':
voter_preferences})

# Create a contingency table
contingency_table = pd.crosstab(data['Age Group'], data['Voter
Preference'])

# Perform the Chi-Square test
chi2, p, dof, expected = chi2_contingency(contingency_table)

print(f"Chi-Square statistic: {chi2}")
print(f"P-value: {p}")
print(f"Degrees of freedom: {dof}")
print("Expected frequencies:")
print(expected)

# Interpretation
alpha = 0.05
if p < alpha:
    print("Reject the null hypothesis: There is a significant
association between age groups and voter preferences.")
else:
    print("Fail to reject the null hypothesis: There is no significant
association between age groups and voter preferences.")

Chi-Square statistic: 0.8779923945254768
P-value: 0.6446832311860852
Degrees of freedom: 2
Expected frequencies:
[[96.824 85.176]
 [89.908 79.092]
 [79.268 69.732]]
Fail to reject the null hypothesis: There is no significant
association between age groups and voter preferences.

```

1. A company conducted a customer satisfaction survey to determine if there is a significant relationship between product satisfaction levels (Satisfied, Neutral, Dissatisfied) and the region where customers are located (East, West, North, South). The survey data is summarized in a contingency table. Conduct a ChiSquare test to determine if there is a significant relationship between product satisfaction levels and customer regions.

Sample data:

```

#Sample data: Product satisfaction levels (rows) vs. Customer regions
(columns)

```

```

data = np.array([[50, 30, 40, 20], [30, 40, 30, 50], [20, 30, 40, 30]])

import numpy as np
from scipy.stats import chi2_contingency

data = np.array([[50, 30, 40, 20],
                  [30, 40, 30, 50],
                  [20, 30, 40, 30]])

# Perform the Chi-Square test
chi2, p, dof, expected = chi2_contingency(data)

print(f"Chi-Square statistic: {chi2}")
print(f"P-value: {p}")
print(f"Degrees of freedom: {dof}")
print("Expected frequencies:")
print(expected)

# Interpretation
alpha = 0.05
if p < alpha:
    print("Reject the null hypothesis: There is a significant relationship between product satisfaction levels and customer regions.")
else:
    print("Fail to reject the null hypothesis: There is no significant relationship between product satisfaction levels and customer regions.")

Chi-Square statistic: 27.777056277056275
P-value: 0.00010349448486004387
Degrees of freedom: 6
Expected frequencies:
[[34.14634146 34.14634146 37.56097561 34.14634146]
 [36.58536585 36.58536585 40.24390244 36.58536585]
 [29.26829268 29.26829268 32.19512195 29.26829268]]
Reject the null hypothesis: There is a significant relationship between product satisfaction levels and customer regions.

```

A company implemented an employee training program to improve job performance (Effective, Neutral, Ineffective). After the training, they collected data from a sample of employees and classified them based on their job performance before and after the training. Perform a Chi-Square test to determine if there is a significant difference between job performance levels before and after the training.

Sample data:



```

# Sample data: Job performance levels before (rows) and after
(columns) training

data = np.array([[50, 30, 20], [30, 40, 30], [20, 30, 40]])

import numpy as np
from scipy.stats import chi2_contingency

# Sample data: Job performance levels before (rows) and after
(columns) training
data = np.array([[50, 30, 20],
                  [30, 40, 30],
                  [20, 30, 40]])

# Perform the Chi-Square test
chi2, p, dof, expected = chi2_contingency(data)

print(f"Chi-Square statistic: {chi2}")
print(f"P-value: {p}")
print(f"Degrees of freedom: {dof}")
print("Expected frequencies:")
print(expected)

# Interpretation
alpha = 0.05
if p < alpha:
    print("Reject the null hypothesis: There is a significant
relationship between product satisfaction levels and customer
regions.")
else:
    print("Fail to reject the null hypothesis: There is no significant
relationship between product satisfaction levels and customer
regions.")

Chi-Square statistic: 22.161728395061726
P-value: 0.00018609719479882554
Degrees of freedom: 4
Expected frequencies:
[[34.48275862 34.48275862 31.03448276]
 [34.48275862 34.48275862 31.03448276]
 [31.03448276 31.03448276 27.93103448]]
Reject the null hypothesis: There is a significant relationship
between product satisfaction levels and customer regions.

```

A company produces three different versions of a product: Standard, Premium, and Deluxe. The company wants to determine if there is a significant difference in customer satisfaction scores among the three product versions. They conducted a survey and collected customer satisfaction scores for each version from a random sample of customers. Perform an ANOVA test to determine if there is a significant difference in customer satisfaction scores.

Use the following data:

```
```python
```

```
# Sample data: Customer satisfaction scores for each product version
```

```
standard_scores = [80, 85, 90, 78, 88, 82, 92, 78, 85, 87]
```

```
premium_scores = [90, 92, 88, 92, 95, 91, 96, 93, 89, 93]
```

```
deluxe_scores = [95, 98, 92, 97, 96, 94, 98, 97, 92, 99]
```

```
import numpy as np
from scipy.stats import f_oneway

standard_scores = [80, 85, 90, 78, 88, 82, 92, 78, 85, 87]
premium_scores = [90, 92, 88, 92, 95, 91, 96, 93, 89, 93]
deluxe_scores = [95, 98, 92, 97, 96, 94, 98, 97, 92, 99]

# Perform one-way ANOVA
f_statistic, p_value = f_oneway(standard_scores, premium_scores,
deluxe_scores)

print(f"F-statistic: {f_statistic}")
print(f"P-value: {p_value}")

# Interpretation
alpha = 0.05
if p_value < alpha:
    print("Reject the null hypothesis: There is a significant
difference in customer satisfaction scores among the three product
versions.")
else:
    print("Fail to reject the null hypothesis: There is no significant
difference in customer satisfaction scores among the three product
versions.")

F-statistic: 27.03556231003039
P-value: 3.578632885734896e-07
Reject the null hypothesis: There is a significant difference in
customer satisfaction scores among the three product versions.
```