

## Theory of Automata

ମାତ୍ରମ୍ୟ କାଳେ ଧାରାରେ

6.  $\text{bal} \rightarrow \text{bal} \text{zer} \text{zer}$  in machine A

7.  $\frac{1}{2}, \frac{6}{9}, \frac{10}{10}$

$$\text{output} = 3$$

→ ପରିକଳ୍ପଣା

$$7 - (10/9) + (6/2)$$

$$7 - 18 \quad 7 - 9$$

$$= 3$$

Automata theory is branch of theory  $(10/2) \times 9$  -  
of computation that deals with abstract machines  
and their capacities to of computations.

Abstract machines mean automata that  
performs computation on string of symbols  
according to the rules.

## Grammer in ToC :

Grammer is a formal system that defines a set  
of rules for generating valid string within the  
language

Z elements

⇒ Terminal component (Small letters a, b, c...)

⇒ Non-terminal Component (Capital letter A, B, C...)

A grammar is represented by 4-Tuples

$$G(N, T, P, S)$$

$N = \text{Finite number of Non terminals}$  গুরুত্বপূর্ণ এবং উচিত রকম

$T = \text{Finite number of terminals} \rightarrow$

$P = \text{Production rules} \rightarrow \text{Non terminal} \rightarrow \text{terminal}$

$S = \text{Start}$  ৩ Non terminal এর মধ্যে  
কোনটি প্রারম্ভ

[Such as]

$$N = \{A\}$$

$$T = \{a, b\}$$

$$P = \{A \rightarrow Aa, A \rightarrow Ab, A \rightarrow Ac, A \rightarrow \epsilon\}$$

$$S = \{A\}$$

ab e

Not in grammar

$$S \rightarrow A$$

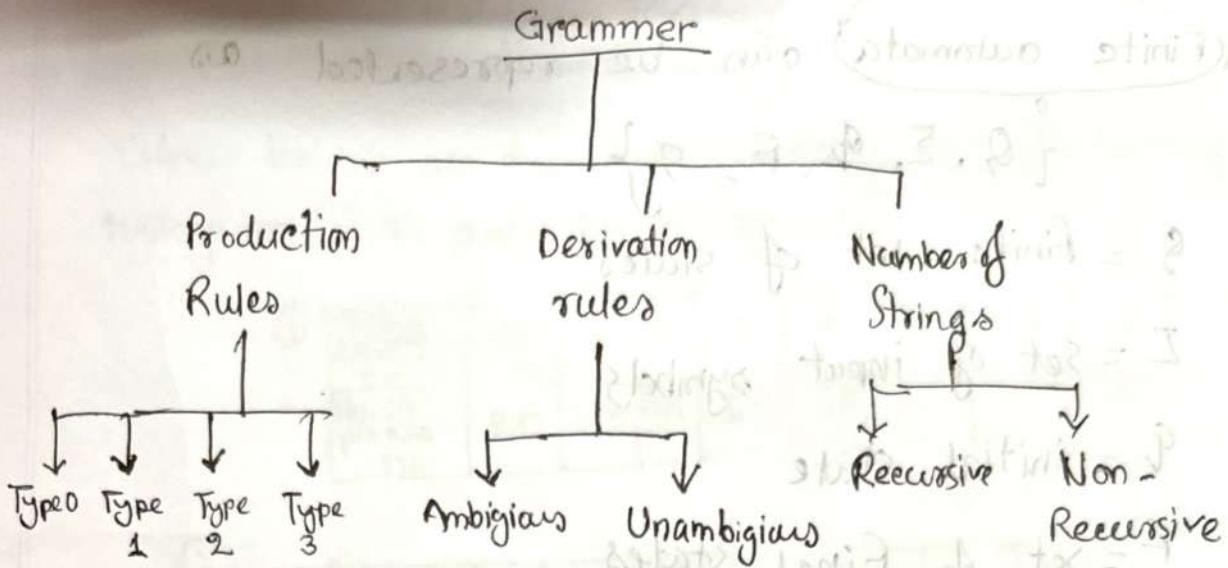
$$Ac$$

$$Abc$$

$$Aabc$$

$$Babc$$

startles S



### Chomsky hierarchy

Type 0 → Unrestricted

Type 1 → Context-sensitive

Type 2 → context-free

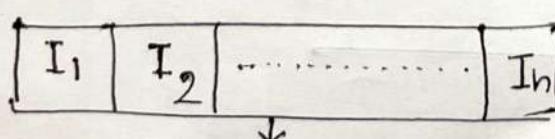
Type 3 → Regular

### Finite Automata

recognize patterns in inputs

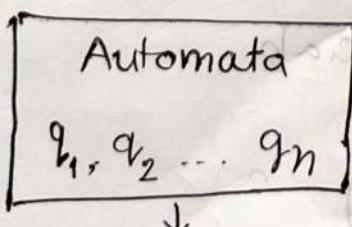
### Characteristics

consist of states, transitions and input symbols, preparing each symbol step by step. It ends in an accepting state after processing all inputs.



inputs

the input is accepted  
otherwise rejected

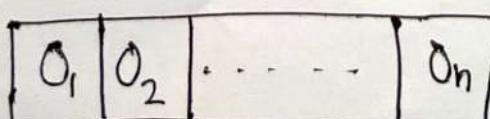


states of Automata

2 types

⇒ Deterministic FA

⇒ Non Deterministic FA



outputs

$\rightarrow$  (state machine)

A Finite automata can be represented as

$$\{Q, \Sigma, \delta, F, S\}$$

$Q$  = finite set of states

$\Sigma$  = set of input symbols

$S$  = initial state

$F$  = set of final states

$\delta$  = transition function

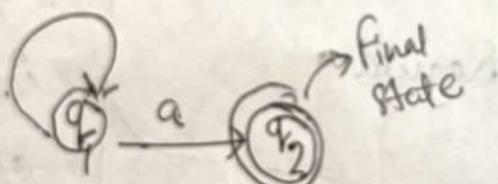
build an FA for the inputs that ends with 'a'  
like - ba, bba, aba

$\Sigma \{a, b\} \rightarrow$  input

$$Q = \{q_1, q_2\}$$

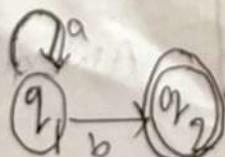
$$F = \{q_2\}$$

$$Q = \{q_1, q_2\}$$



'ab'

ab, abab, bbab-, acab



string	[ ]	[ ]	[ ]	[ ]
	[ ]	[ ]	[ ]	[ ]