



Pattern Recognition Image Segmentation System

Prepared by

Mennatullah Ibrahim Mahmoud **6221**

Abdelrahman Salem **6309**

Reem Abdelhaleem **6114**

Supervised by **Dr. Marwan Torki**

Overview:

This project focuses on applying image segmentation using Kmeans and spectral clustering. The clustering is done using the values of the RGB vector for each pixel. In the last part of the project, we take into consideration the spatial aspect as well as the colors to compare the results.

1. Reading the dataset on Colab:

▼ Reading from Google Drive

```
[ ] # Code to read file into Colaboratory:
! pip install -U -q PyDrive
from pydrive.auth import GoogleAuth
from pydrive.drive import GoogleDrive
from google.colab import auth
from oauth2client.client import GoogleCredentials
# Authenticate and create the PyDrive client.
auth.authenticate_user()
gauth = GoogleAuth()
gauth.credentials = GoogleCredentials.get_application_default()
drive = GoogleDrive(gauth)
```

▼ Upload the dataset

```
[ ] link = 'https://drive.google.com/file/d/1gDh0lyglElhgXjXLkEJALhVsEYXSZ1Kw/view?usp=sharing' # The shareable link
# to get the id part of the file
id = link.split("/")[-2]
downloaded = drive.CreateFile({'id':id})
downloaded.GetContentFile('BSR_bsds500.tgz')
```

▼ Unzipping

```
[ ] import tarfile
!tar -xvf 'BSR_bsds500.tgz' -C '/content/'
```

The zip file was uploaded on google drive and a connection between colab notebook and google drive is set and the zip file is downloaded.

The necessary imports are then made which will be used throughout the project.

▼ Imports

```
[ ] from scipy import io
import scipy
import os
from PIL import Image as im
import matplotlib.pyplot as plt
import matplotlib.image as mpimg
import numpy as np
import math
import random
from sklearn.metrics.pairwise import euclidean_distances
import cv2 as cv
from google.colab.patches import cv2_imshow
from skimage import data, color
from skimage.transform import resize
from sklearn.neighbors import NearestNeighbors
```

2. Reading Dataset

▼ Read the data

```
[ ] root = '/content/BSR/BSDS500/data/'
gt_PATH = os.path.join(root, 'groundTruth/')
data_PATH = os.path.join(root, 'images/')
ground_truth = []
dataset = []

# read only test data we can change this later
for sub_dir_name in ['test']:
    sub_pth = os.path.join(gt_PATH, sub_dir_name)
    for filename in os.listdir(sub_pth):
        mat_file = io.loadmat(os.path.join(sub_pth, filename))
        ground_truth.append(mat_file['groundTruth'])

# not the best way but to perserve the index order !!
img_file = mpimg.imread(os.path.join(os.path.join(data_PATH, sub_dir_name), filename.split('.')[0] + ".jpg"))
dataset.append(img_file)
```

3. Visualizing images and ground truth

▼ Function to generate all the available ground truth for an image

```
[ ] def get_GT(index):
    n = len(ground_truth[index][0])
    results = []

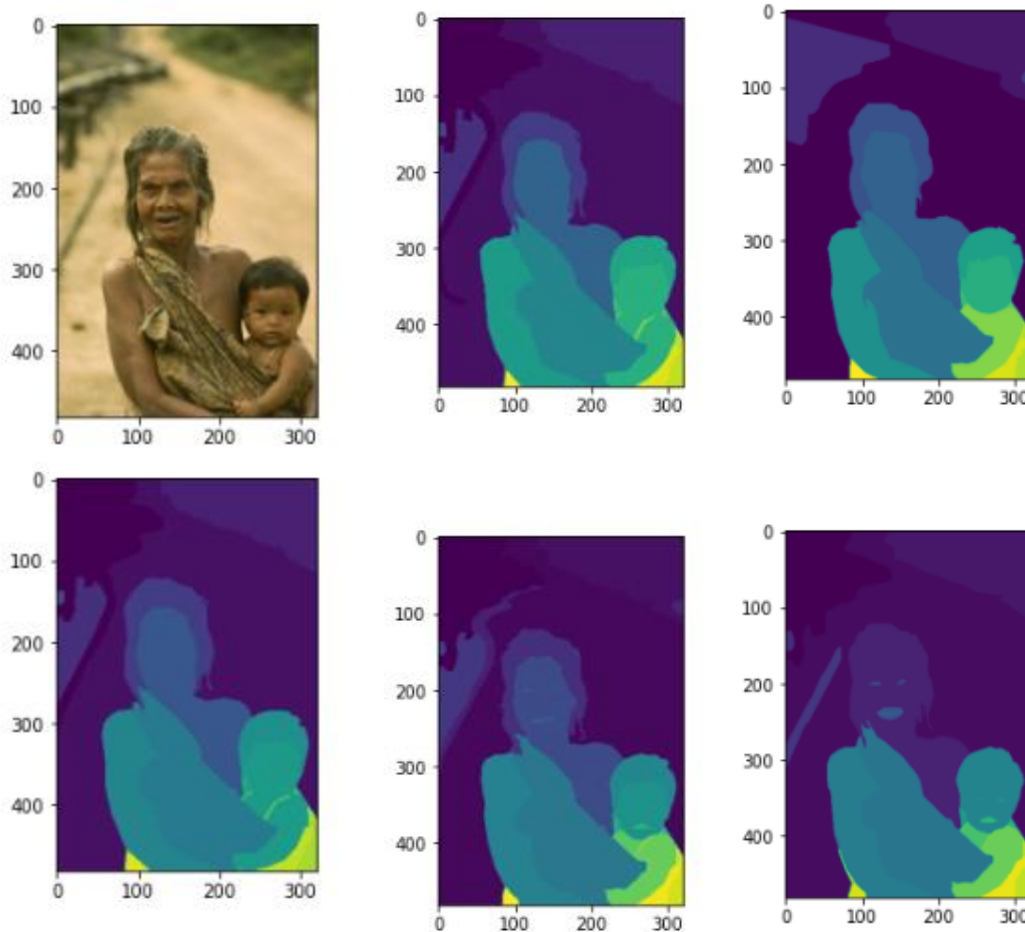
    for i in range(n):
        results.append(ground_truth[index][0][i][0][0][0])
    return results
```

▼ Visualize the available ground truth of an image

```
[ ] def show_GT(index):
    gt = get_GT(index)

    fig = plt.figure(figsize=(25, 15))
    rows = 1
    columns = len(gt)
    for i in range(len(gt)):
        fig.add_subplot(rows, columns, i+1)
        plt.imshow(gt[i])
        plt.title("Ground Truth " + str(i+1))
```

```
[ ] def view_image_only(n):
    fig1=plt.figure()
    plt.imshow(dataset[n])
```



4. Implementing Kmeans

▼ K-Means Implementation

```
[ ] def Kmeans(dataset,k):
    #define constants in this function which determine its accuracy
    max_iterations=20
    tolerance=0.0001
    max_repetition=3

    #reshaping image to 1D instead of 2D
    dataset2=np.array(dataset)
    dataset2=dataset2.reshape(dataset2.shape[0]*dataset2.shape[1],dataset2.shape[2])

    flag=1 #flag to make sure all clusters are not empty
    iterate=0 #keep track how many times we repeat the reclustering to set a limit
    empty=[] #array to keep track of empty clusters

    while(flag==1):
        iterate+=1
        #initialize variables
        centroids=[]
        flag=0

        #choosing a random centroids from the dataset
        for i in range(k):
            if np.unique(dataset2, axis=0).shape[0]>=k: #if there is more than (k) colors, let's pick different k centroids
                ready=0
                while ready==0:
                    ready=1
                    c=random.choice(dataset2)
                    for centroid in centroids:
                        for e in range(dataset2.shape[-1]):
                            if c[e]==centroid[e]:
                                ready+=1
                    if ready==c.shape[0]+1:
                        ready=0
                else: #if the image doesn't contain k unique colors, we will ignore the condition of different centroids
                    c=random.choice(dataset2)
            centroids.append(c)
```

```

#starting the clustering algorithm
for i in range(max_iterations):
    #preparing the clusters array
    clusters=[]
    for j in range(k):
        clusters.append([])
    #cluster assignment (adding the index of the pixel not the pixel itself in the cluster)
    for d in range(dataset2.shape[0]):
        min=math.inf
        for m in range(k):
            distance=np.linalg.norm(centroids[m]-dataset2[d])
            if(distance<min):
                min=distance
                j=m
        clusters[j].append(d)
    #check if any clusters is empty
    for m in range(k):
        if len(clusters[m])==0:
            empty.append(m)
            flag=1

    #if a cluster is empty choose another random k points and repeat the clustering
    if flag==1 and iterate<=max_repetition:
        flag=0
        break
    #if the reclustering is executed more than 10 times, assign a random centroid for the empty clusters only
    if flag==1 and iterate>max_repetition:
        flag=0
        for e in empty:
            np.append(centroids[e],random.choice(dataset2))
        empty=[] #reset empty array
    #centroids update
    centroids_copy=np.array(centroids)
    for m in range(k):
        ind=np.array(clusters[m])
        centroids[m]=dataset2[ind].mean(axis=0)
    #tolerance check
    sum=0.0
    for m in range(k):
        sum+=pow(np.linalg.norm(centroids[m]-centroids_copy[m]),2)
    if sum<tolerance:
        break
    for i in range(k):
        dataset2[clusters[i]]=i
    dataset2=dataset2[:,0].reshape((dataset.shape[0],dataset.shape[1]))
    return dataset2

```

K-means function starts with k random different centroids from the image and starts assigning pixels to clusters using the minimum distance between the pixel and the centroid. After this we calculate the mean of each cluster and update the centroids. We test if the centroids haven't moved significantly. This means that we can return this clusters and label them. If they have moved, we repeat the same loop again.

If an empty cluster is found, we choose another random k centroids. If this has been repeated for more than 3 times, we will assign a random point to the centroid corresponding to the empty cluster and continue on for a max number of times specified by max iterations variable.

5. Coloring Labeled Images

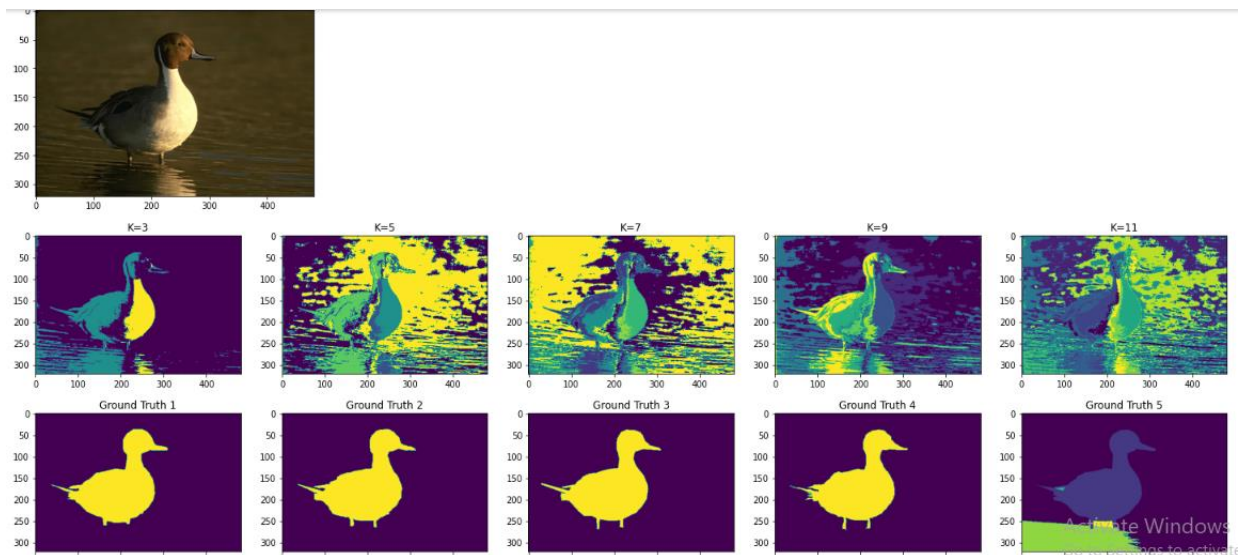
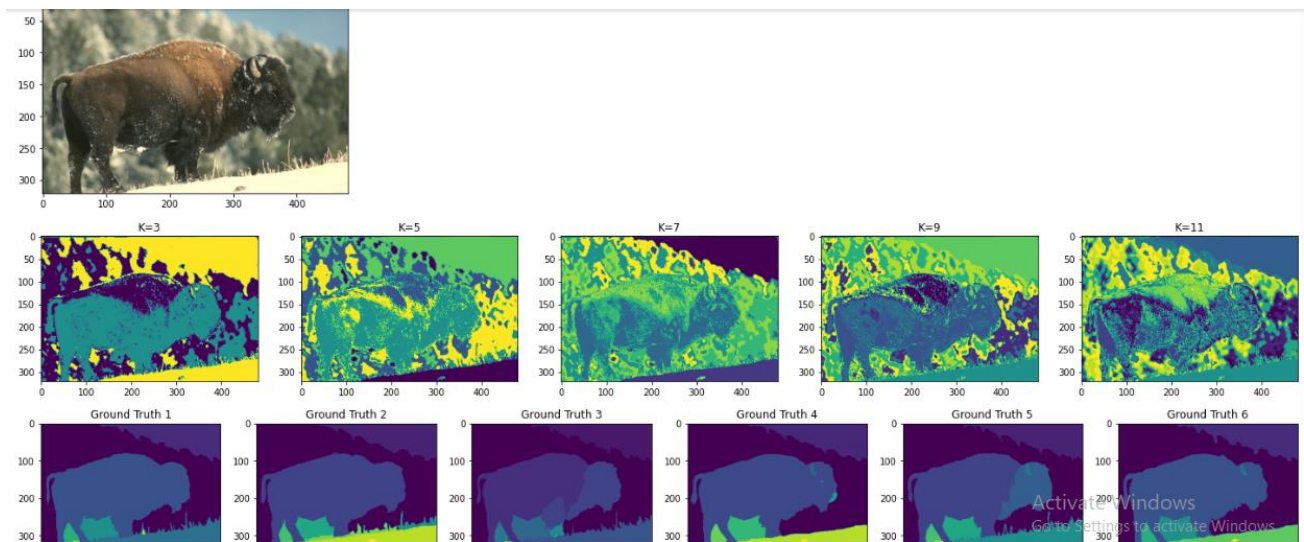
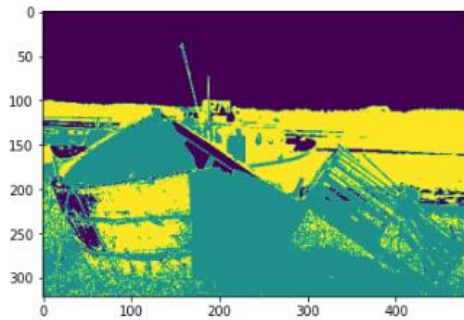
```
[ ] def color_clustered_image(image,k):
    image=np.array(image,dtype=np.int64)
    colors=[[255,255,0],[0,255,255],[255,0,255],[255,255,255],[0,0,0],[0,0,255],[0,255,0],[255,0,0],[50,0,50],[50,255,0],[0,50,0]]
    for row in image:
        for pixel in row:
            pixel=colors[pixel.round()]
    return image

[ ] def apply_kmeans(n,k):
    image=dataset[n]
    clustered_image=Kmeans(image,k)
    colored_clustered_image=color_clustered_image(clustered_image,k)
    return colored_clustered_image

[ ] def show_img(img):
    fig=plt.figure()
    plt.imshow(img)
```



```
[ ] n=5
    k=3
    img=apply_kmeans(n,k)
    show_img(img)
```



6. Spectral Clustering

Building 5NN Similarity matrix

▼ K-NN Similarity Function

```
[ ] def nn_similarity(n,dataset):
    data=np.array(dataset)
    data=data.reshape(data.shape[0]*data.shape[1],data.shape[2])
    dist_matrix=euclidean_distances(data,data)
    A=np.zeros(dist_matrix.shape)
    for i in range(dist_matrix.shape[0]):
        ind=dist_matrix[i,:].argsort()
        temp=dist_matrix[i,ind]
        y=temp[n]
        vectorizer = np.vectorize(lambda x: 1 if x <= y and x!=0 else 0)
        A[i]=np.vectorize(vectorizer)(dist_matrix[i])
    return A
```

It can be substituted using nn_neighbors from sklearn which produces the same results. To minimize the running time, we used the sklearn function for testing.

We also built a resizing function to minimize the dimensions of the image because of the limited RAM resources.

▼ Resizing Function

```
[ ] def resize_img(img):
    return resize(img, (img.shape[0] // 4, img.shape[1] // 4,3),anti_aliasing=True)
```

Normalized Cut Function:

▼ Normalization Function

```
[ ] def normalization(vec):
    results = []
    for i in range(vec.shape[0]):
        norm=np.linalg.norm(vec[i])
        results.append(vec[i]/norm)
    return np.array(results)
```

▼ Normalized Cut function

```
[ ] def normalized_cut(nn_neighbors,k,img):
    #reshape img to 1D instead of 2D
    img2=img.reshape(img.shape[0]*img.shape[1],img.shape[2])

    # build K-NN graph for the samples
    nbrs = NearestNeighbors(n_neighbors=(nn_neighbors+1), algorithm='auto').fit(img2)
    A = nbrs.kneighbors_graph(img2).toarray()

    # reject the self neighbour for the point -> zeroing the diagonal
    np.fill_diagonal(A,0)

    # build degree matrix --> nn_neighbors*I
    delta = np.identity(A.shape[0]) * nn_neighbors

    # Laplacian Matrix
    A = delta - A

    # compute the eigen_values and eigen vectors and pick the k vectors corresponding to the smallest k eigen values
    eigen_val, eigen_vec = np.linalg.eig(np.dot(np.linalg.inv(delta),A))
    idx = np.real(eigen_val).argsort()[1:k+1]
    eigen_vec = np.real(eigen_vec[:,idx])

    # normalization
    normalized_eigen_vec = normalization(eigen_vec)

    #return new coordinates
    img2=normalized_eigen_vec.reshape(img.shape[0],img.shape[1],k)
    return img2
```

We calculate the A matrix using 5NN graph. We set the k for 6 then we set the diagonal by zeros. We then calculate the degree matrix and the Laplacian matrix and calculate the eigen vectors for $\text{delta}^{-1} * L$ and take the smallest K vectors. We normalize these values then return the new normalized vectors.

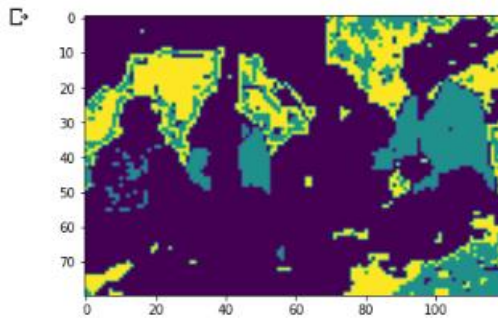
We pass these new coordinates to the K-means and map the colors once again.

```
def apply_our_spectral(k,n):
    img=normalized_cut(5,k,resize_img(dataset[n]))
    img=Kmeans(img,k)
    img=color_clustered_image(img,k)
    return img
```

```

n=21
k=3
img=apply_our_spectral(k,n)
show_img(img)

```



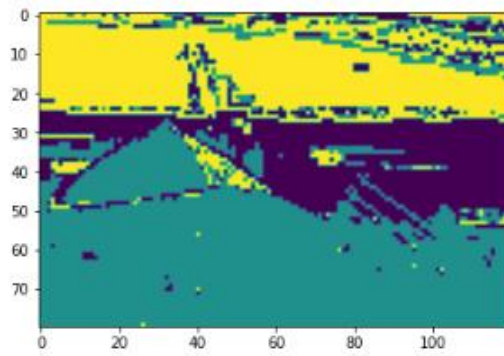
```
[ ] view_image_only(21)
```



```

[ ] n=5
k=3
img=apply_our_spectral(k,n)
show_img(img)

```



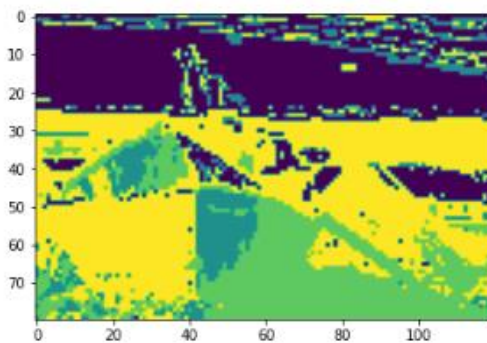
```
[ ] view_image_only(5)
```



```

[ ] n=5
k=5
img=apply_our_spectral(k,n)
show_img(img)

```

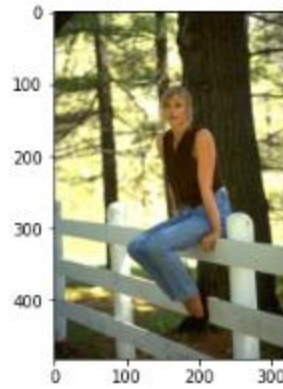
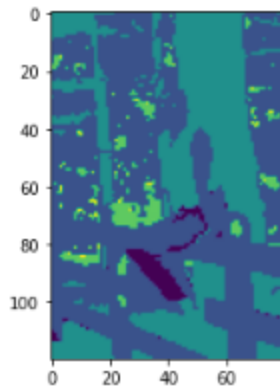


```
[ ] view_image_only(5)
```



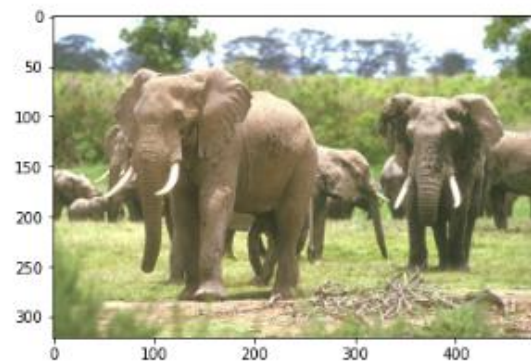
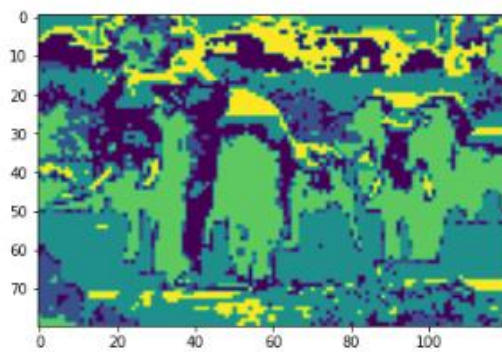

```
[ ] n=1
    k=5
    img=apply_our_spectral(k,n)
    show_img(img)
```

```
[ ] view_image_only(1)
```



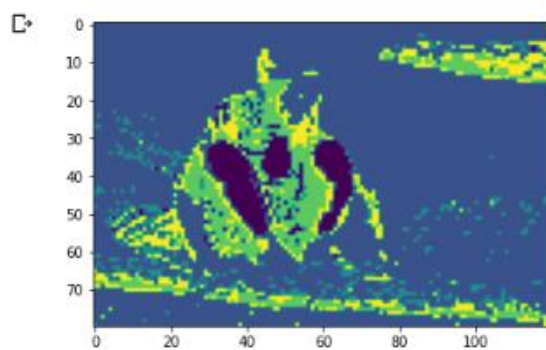
```
[ ] n=35
    k=5
    img=apply_our_spectral(k,n)
    show_img(img)
```

```
[ ] view_image_only(35)
```



```
▶ n=9
   k=5
   img=apply_our_spectral(k,n)
   show_img(img)
```

```
view_image_only(9)
```



7. Adding Spatial Attributes

```
[ ] def add_x_y(data):
    x_max = data.shape[1]
    y_max = data.shape[0]
    coord = np.array([ [x,y] for x in range(x_max) for y in range(y_max)]).reshape((y_max,x_max,2))

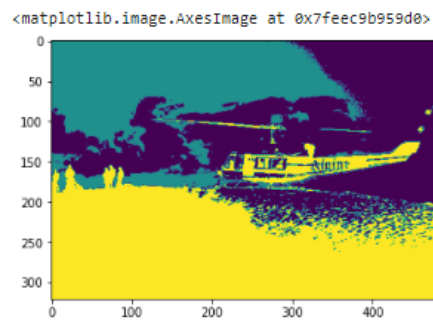
    return np.concatenate((data,coord),axis=2)
```

▼ Attribute Scaling

```
[ ] def scale_arr(image):
    arr=image.reshape(image.shape[0]*image.shape[1],image.shape[2])
    min=arr.min(axis=0)
    max=arr.max(axis=0)
    diff=max-min
    arr=(arr-min)/ diff
    arr=arr.reshape(image.shape)
    return arr
```

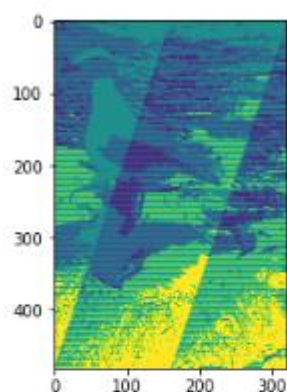
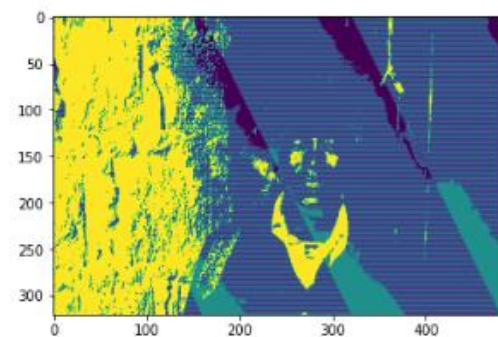
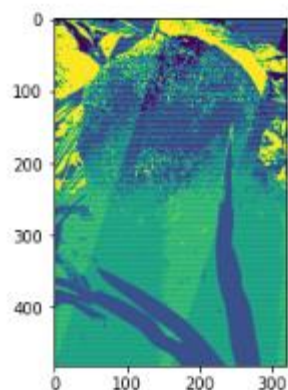
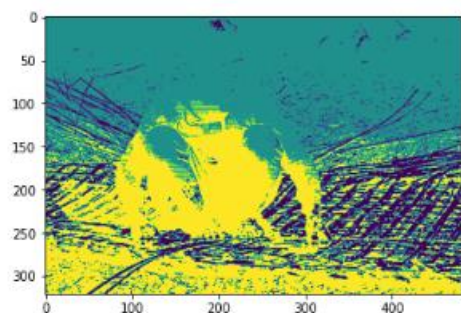
Adding (x,y) attributes to the vector and then scaling attributes to avoid biasing in low values for x, y or high values.

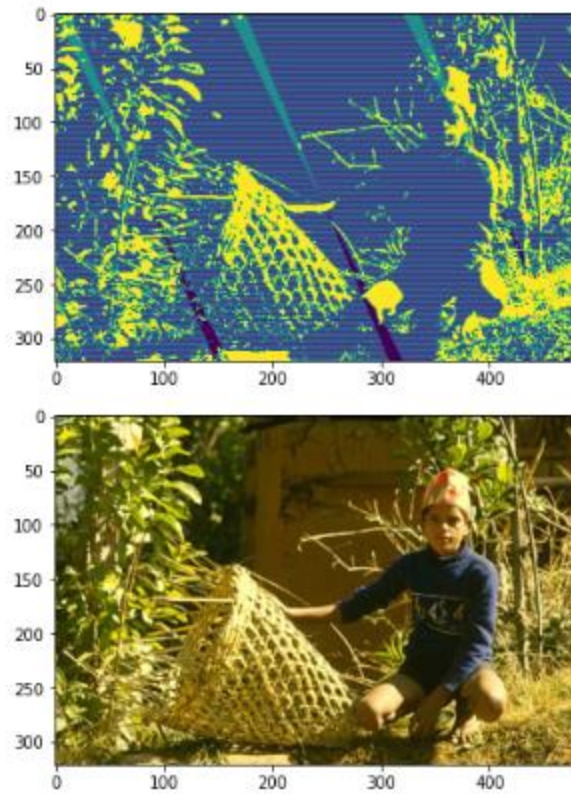
```
[ ] n=30
k=3
image=add_x_y(dataset[n])
image=scale_arr(image)
clustered_image=Kmeans(image,k)
clustered_image=color_clustered_image( clustered_image ,k)
fig=plt.figure()
plt.imshow(clustered_image)
```



```
[ ] view_image_only(n)
```







8. Comparing the results (Big Picture)

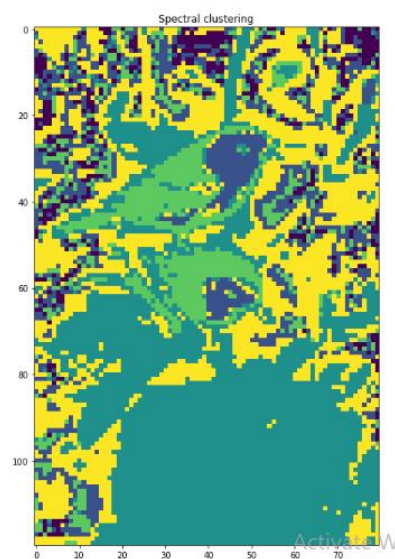
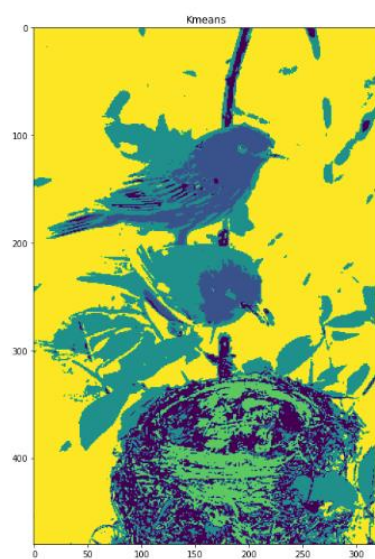
```

n=11
k=5
img = apply_kmeans(n,k)
img2=apply_our_spectral(k,n)

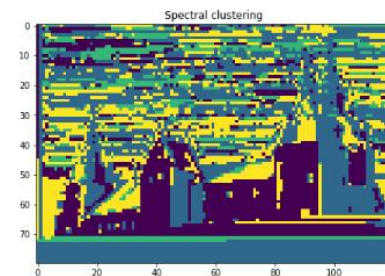
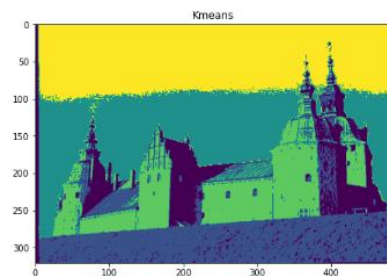
fig = plt.figure(figsize=(25, 15))

fig.add_subplot(1, 3, 1)
plt.imshow(dataset[n])
plt.title("Original photo")
fig.add_subplot(1, 3, 2)
plt.imshow(img)
plt.title("Kmeans")
fig.add_subplot(1, 3, 3)
plt.imshow(img2)
plt.title("Spectral clustering")

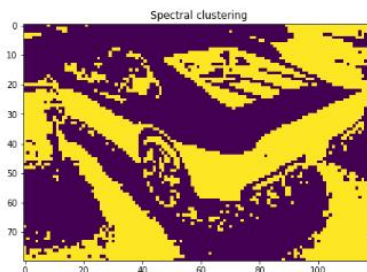
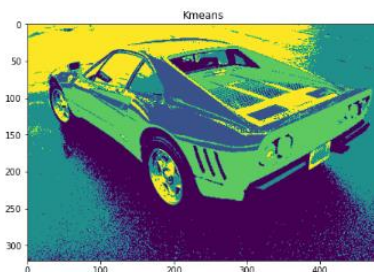
```

Text(0.5, 1.0, 'Spectral clustering')



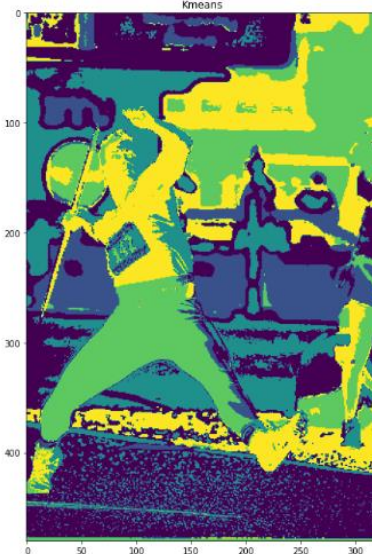
Text(0.5, 1.0, 'Spectral clustering')



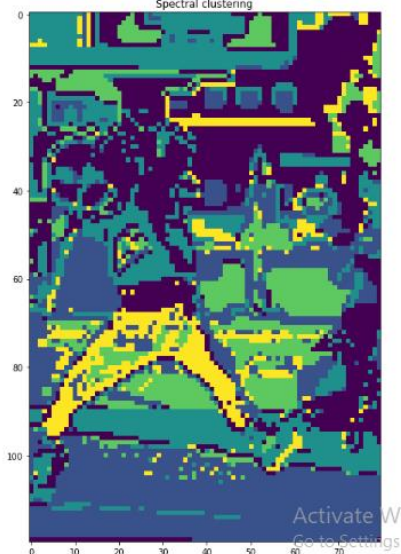
Text(0.5, 1.0, 'Spectral clustering')
Original photo



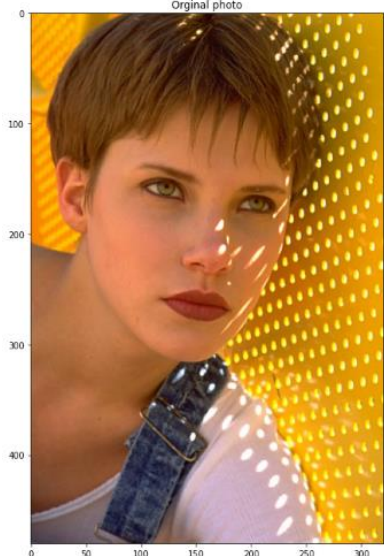
Kmeans



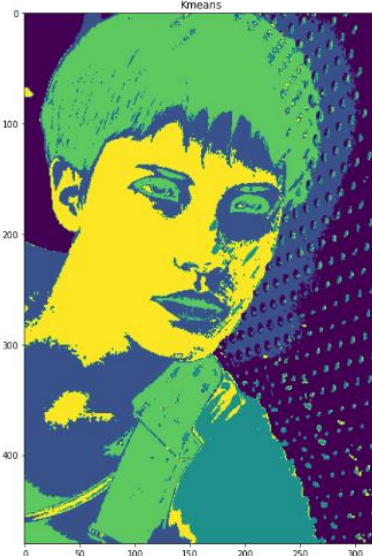
Spectral clustering



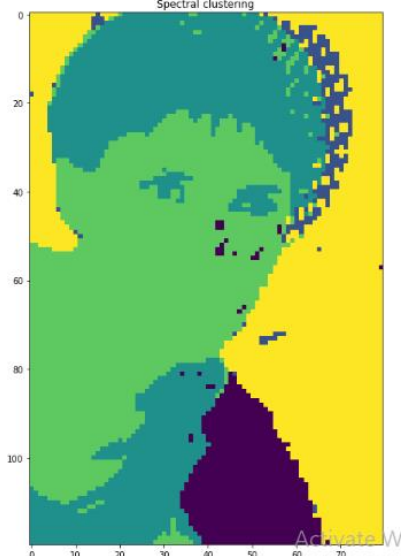
Original photo



Kmeans



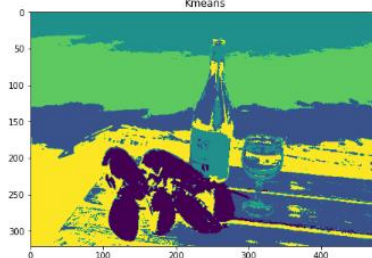
Spectral clustering



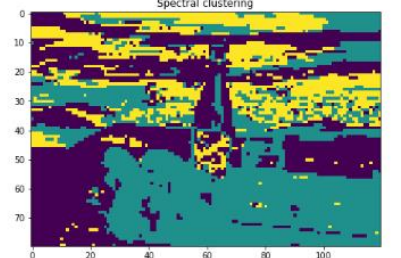
Text(0.5, 1.0, 'Spectral clustering')
Original photo



Kmeans



Spectral clustering



9. Evaluating Results

We used two measures: Fmeasure and Entropy

▼ Evaluations

```
def evaluation(cluster, groundtruth):

    clustering_labels = cluster
    ground_truth_labels = groundtruth.flatten()

    # K x 3 Matrix for every cluster counting the the TP
    contingency_mat = contingency_matrix(ground_truth_labels, clustering_labels)
    ## rows->>> predicted. , cols->>> ground_truth
    contingency_mat = contingency_mat.T
    precision = np.zeros((contingency_mat.shape[0],1))
    recall = np.zeros((contingency_mat.shape[0],1))
    ##rows represent predicted clusters with kmeans
    ## columns represents ground truth classes
    ## precision Tp of max no. / sigma(col)
    ## precision Tp of max no. / sigma(row)
    for i in range(contingency_mat.shape[0]):
        index_max = np.argmax(contingency_mat[i])
        precision[i] = contingency_mat[i][index_max]/np.sum(contingency_mat[i])
        recall[i] = contingency_mat[i][index_max]/np.sum(contingency_mat[:,index_max])
    F_score = (2*precision*recall) / (precision + recall)
    F_score_total = np.mean(F_score)

    count_per_cluster = np.sum(contingency_mat,axis =1)#total number of pixels per cluster
    count_total = np.sum(count_per_cluster)
    cont_entropy = np.where(np.copy(contingency_mat) == 0, 1, np.copy(contingency_mat))
    entropy_mat = np.zeros((cont_entropy.shape[0],1))
    for i in range(cont_entropy.shape[0]):
        entropy_mat[i] = count_per_cluster[i]*np.sum(-contingency_mat[i]*np.log10(cont_entropy[i]/np.sum(contingency_mat[i])))/np.sum(contingency_mat[i])
    entropy = np.sum(entropy_mat)/count_total
    return round(F_score_total,6),round(entropy,6)
```

```
[ ] def show_evaluation(clusters,gt):

    f_measures_means = []
    entropy_means = []
    for i in range(len(clusters)):
        f_measures_sum = 0
        entropy_sum = 0
        for j in range(len(gt)):
            clusters[i],gt[j] = equal_clusters(clusters[i],gt[j])
            f_measures_sum += evaluation(clusters[i],gt[j])[0]
            entropy_sum += evaluation(clusters[i],gt[j])[1]
        f_measures_means.append(f_measures_sum/len(gt))
        entropy_means.append(entropy_sum/len(gt))

    table = PrettyTable()
    table.add_column("K",[3,5,7,9,11])
    table.add_column("F_measures mean",f_measures_means)
    table.add_column("Conditional Entropy mean",entropy_means)
    print(table)
```



```

def test_kmeans(start,end):
    k = [3,5,7,9,11]
    clusters = []

    for sample in range(start,end+1,1):

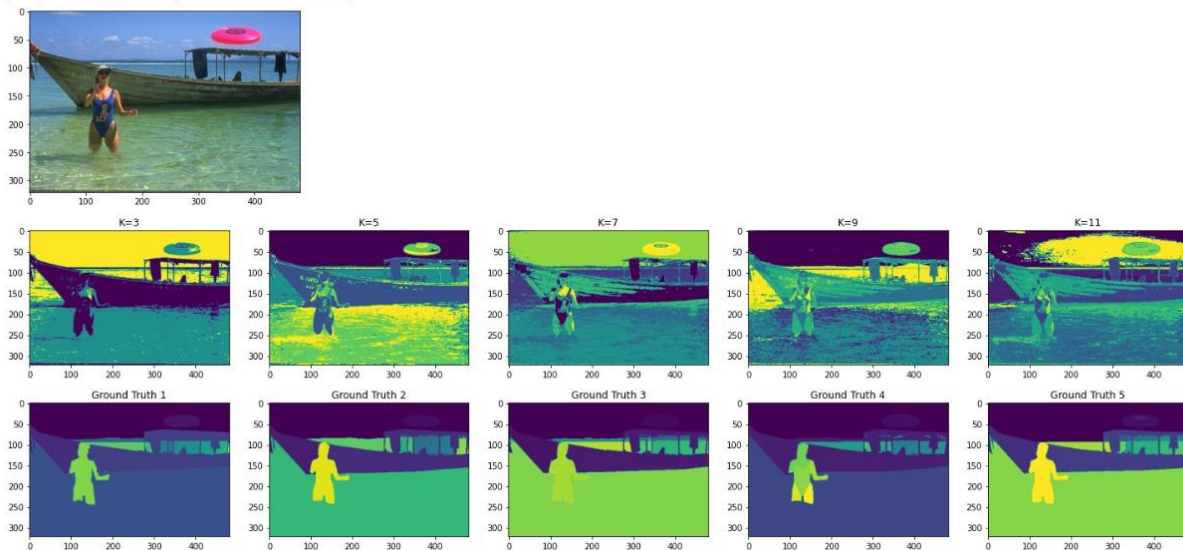
        ci = []
        view_image_only(sample)
        for ki in k:
            ci.append(Kmeans(dataset[sample],ki))

        # Segmentations and GroundTruth Visualization
        show_clusters(ci,sample)
        show_GT(sample)
        show_evaluation(ci,get_GT(sample))
        clusters.append(ci)

```

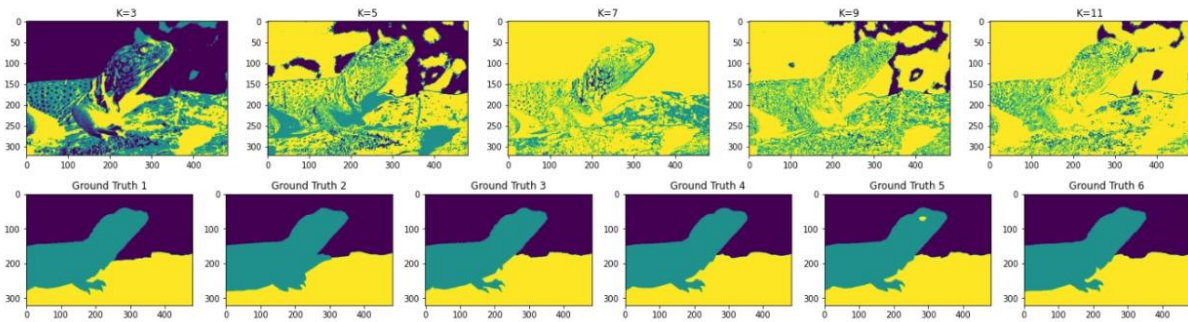
K	F_measures mean	Conditional Entropy mean
3	0.6918658	0.1059342
5	0.7385424	0.060845
7	0.39375940000000004	0.23875100000000002
9	0.7138458	0.0595402
11	0.5548676	0.19130019999999998

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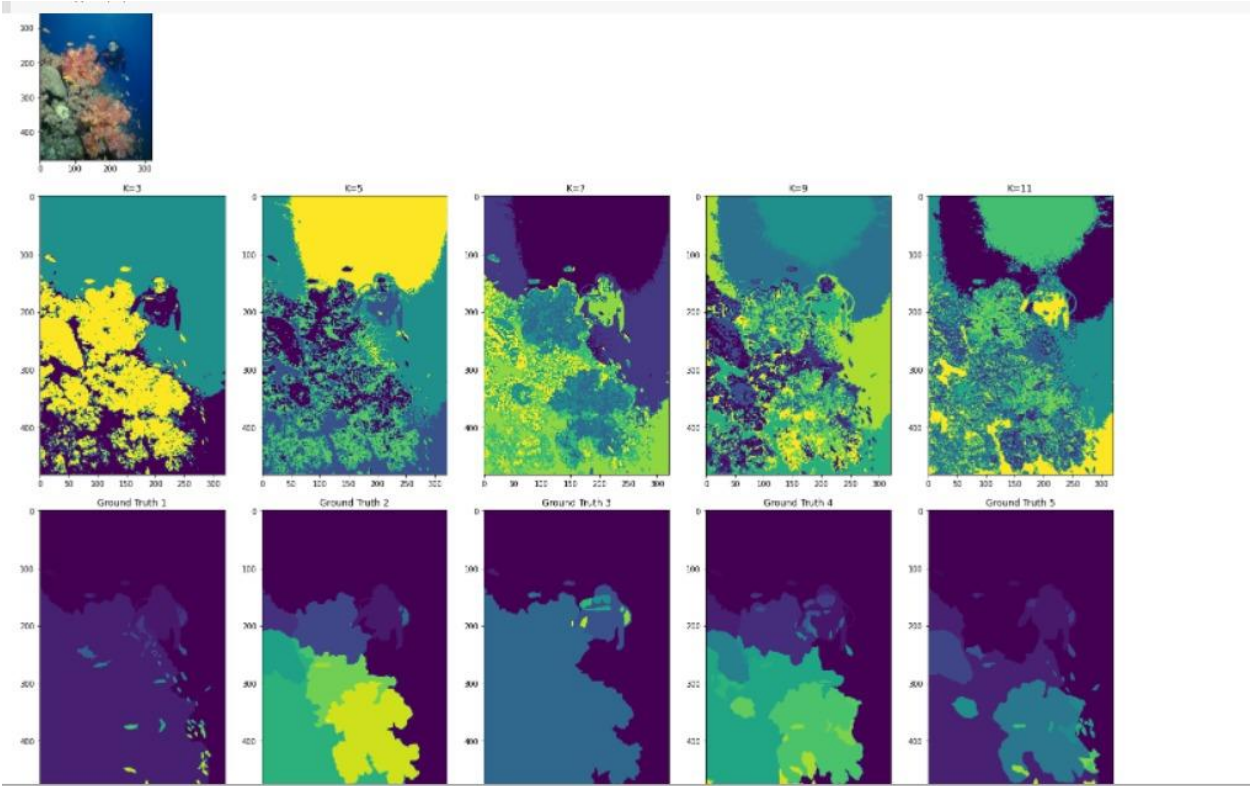


K	F_measures mean	Conditional Entropy mean
3	0.6192296666666666	0.31837150000000003
5	0.44299483333333334	0.4206706666666667
7	0.4051076666666667	0.4222810000000001
9	0.39286883333333334	0.4412585
11	0.30720333333333334	0.4585515

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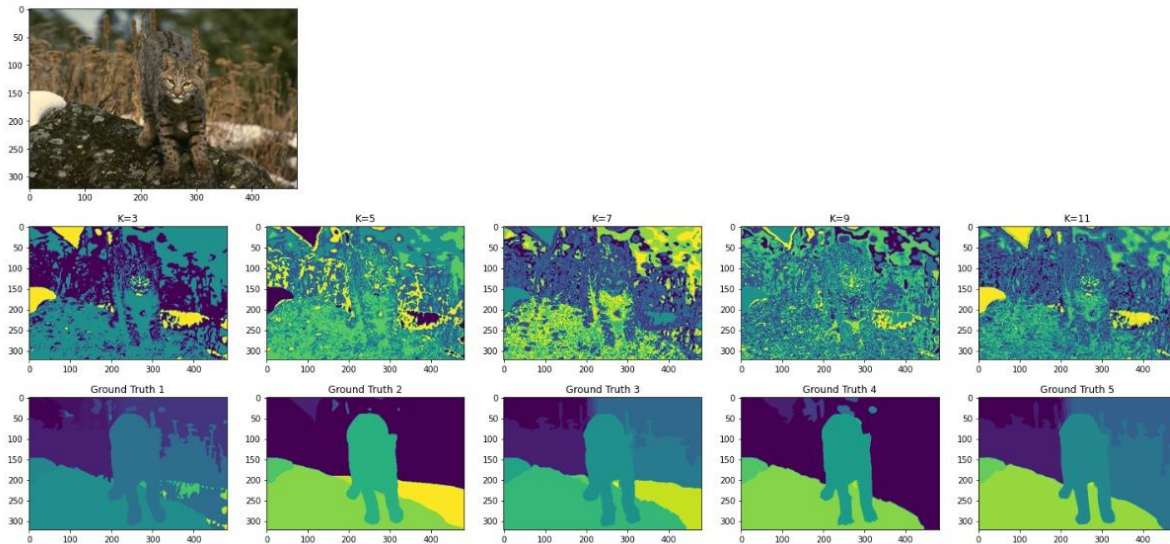


K	F_measures mean	Conditional Entropy mean
3	0.4415808	0.2367282
5	0.409729	0.24577419999999997
7	0.4073722	0.25787
9	0.3768132	0.25629399999999997
11	0.3888932	0.2557522

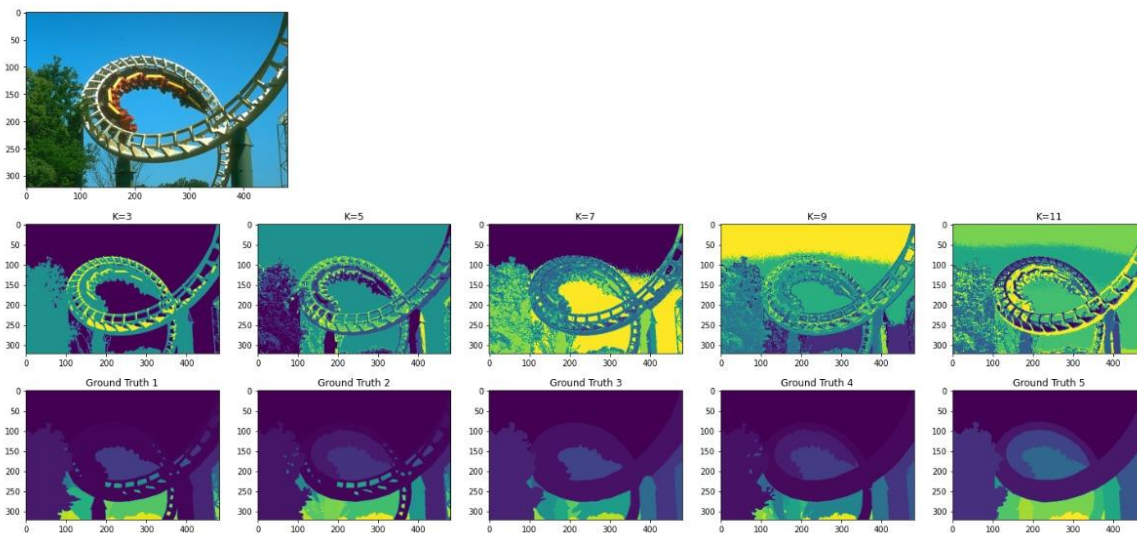


K	F_measures mean	Conditional Entropy mean
3	0.7055020000000001	0.12795600000000001
5	0.5409271999999999	0.24355279999999996
7	0.7025838	0.13174999999999998
9	0.407718	0.27648160000000005
11	0.48608019999999996	0.2457282

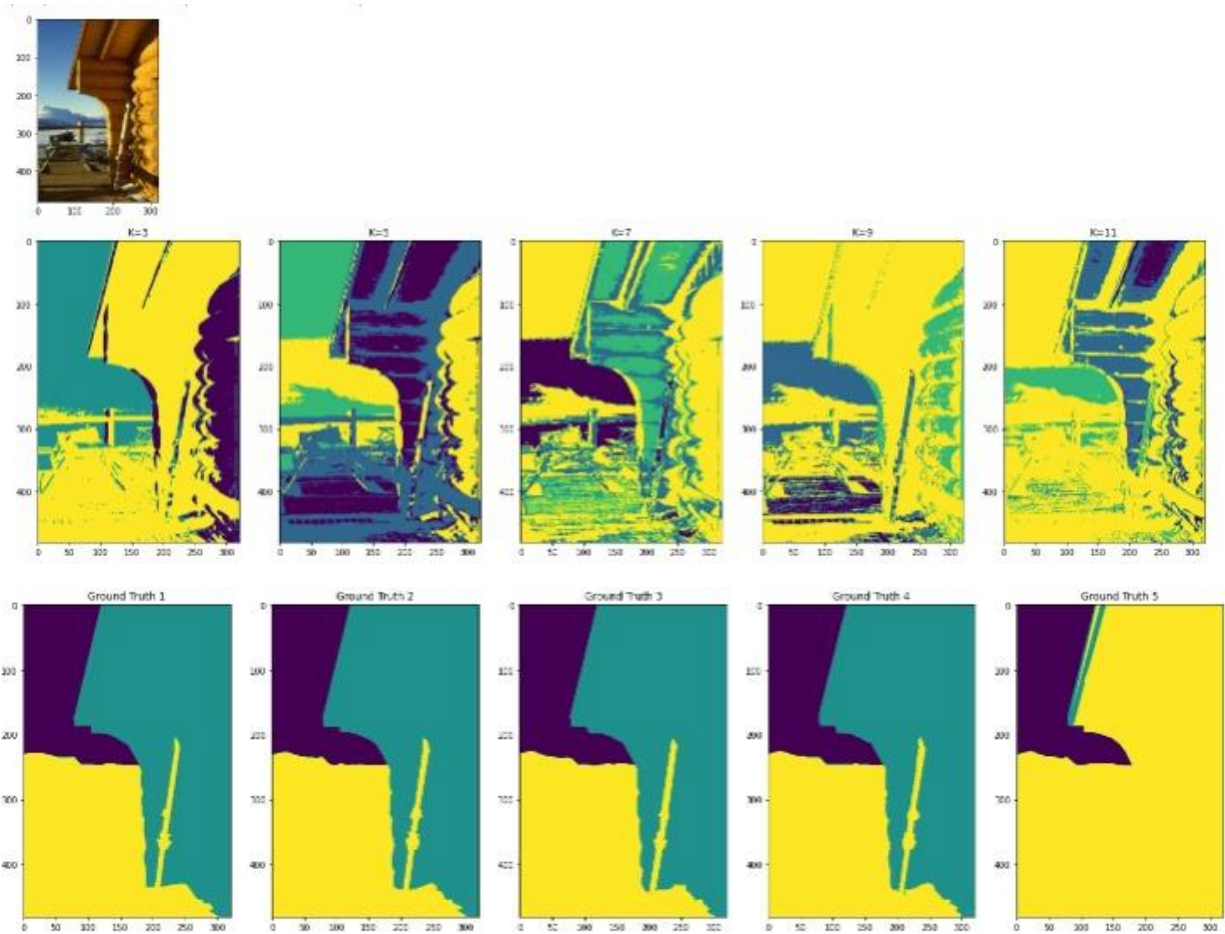
K	F_measures mean	Conditional Entropy mean
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5	0.409729	0.24577419999999997
7	0.4073722	0.25787
9	0.3768132	0.25629399999999997
11	0.3888932	0.2557522



K	F_measures mean	Conditional Entropy mean
3	0.5649398000000001	0.3217314
5	0.49695900000000004	0.3704858
7	0.6665528000000001	0.2353538
9	0.3375978	0.4279116
11	0.3516108000000001	0.42966679999999996



K	F_measures mean	Conditional Entropy mean
3	0.63146	0.23281739999999998
5	0.48582380000000003	0.28848900000000005
7	0.42846600000000007	0.326974
9	0.42725359999999996	0.3221718
11	0.3625758	0.334625



Colab link:

<https://colab.research.google.com/drive/1w5kXbAaOp9td6FtIKd2Z-jQ1iszCoxVW?usp=sharing#scrollTo=9aUu8wMEd8D7>