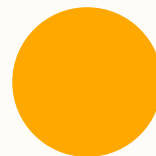




CS 1181

Week Eleven

Reese Hatfield

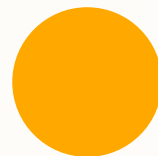


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Sorting

Reese Hatfield



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Sorting

- Comparable/ator
- Collections.sort()
 - Uses comparable/ator
- But how does it actually do that?





Sorting

- If I asked you to write a program that sorted a list, how would you do it?
 - Without `Collections.sort()`
 - How would you do this IRL?





Sorting

- First, let's put this into more concise terms
- What are we actually trying to
- Writing the code for a process
 - Series of steps
 - General purpose for any list
 - Of any type $\langle T \rangle$





Sorting

- This is called an *Algorithm*
- What makes something an algorithm?
 - Finite → can't run forever
 - Correct → works for all input
 - Deterministic → not entirely* random





Sorting

- Specifically, we are writing a sorting algorithm
 - Sort of given list of type $\langle T \rangle$
 - In reasonable time
 - Programmatically
- IRL, you probably wouldn't do use a programmatic system





Sorting

- There is not just a single correct algorithm to sort a list
- Let's talk about a few of them
- We'll do them all on OneNote
- Categorize them based on properties
- Photosensitivity warning





Bubble Sort

- Easiest to program
- Steps:
 - While list not sorted
 - Swap adjacent elements if out of order
- That the entire algorithm
- $O(n^2)$





Selection Sort

- Partition array into two parts
 - Sorted part
 - Unsorted part
- *For item in arr:*
 - *Select* the smallest piece from the unsorted part
 - Move it to the sorted part
- $O(n^2)$





Insertion Sort

- `sorted_arr = []`
- For item in `unsorted_arr`
 - *Insert* item into `sorted_arr` at correct position
- Also pretty easy to program
- $O(n^2)$





Sorting

- Algorithms we've seen so far
 - Same time complexity
 - $O(n^2)$
- These are all famously bad
- `Collections.sort()` does not do any of that
- Two algorithms that are better





Quick Sort

- Let a “pivot” be an element that we are trying to find the *final* position of
- Repeatedly pick pivots
- Find its canon, sorted position
- Repeat on left and right of pivot





Quick Sort

- Pick a pivot
- Ignore it for a second, put it at the end
- Find the following items in the *rest* of the list
 - itemFromLeft $>$ the pivot
 - itemFromRight $<$ the pivot
- Swap them





Quick Sort

- Repeat this process until:
 - Index of itemFromLeft > index of itemFromRight
- Then, swap itemFromLeft with the pivot
- With that, we can guarantee that our pivot is at the correct index
- Repeat on smaller halves of the list





Merge Sort

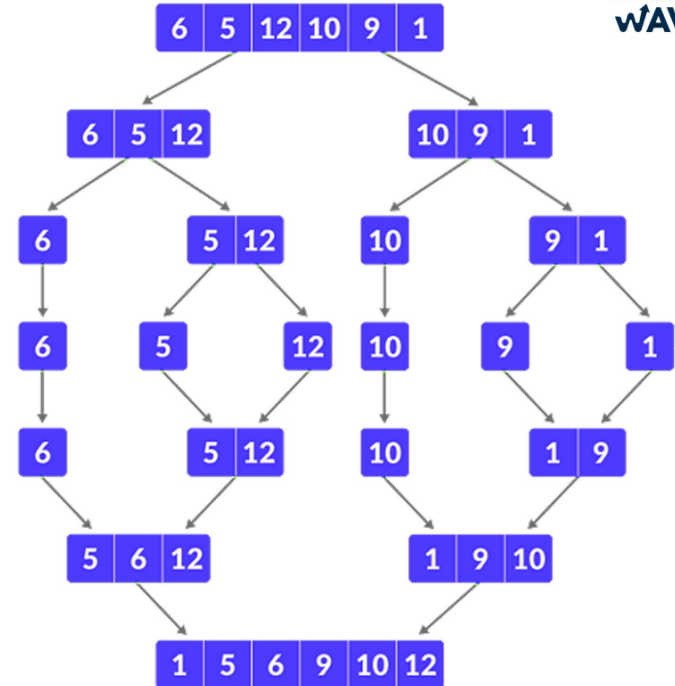
- Recursive algorithm
- Break the list into two halves
- Sort each half
- Combine them
- Return combined list





Merge Sort

- Easier to visualize
- Partition into sublists recursively
- Sometimes lists will only be size of 1





Merge Sort

- Base case is usually list of size 1 or 2
- List of size 1 is always sorted
- Size 2 would be only swap
- Combine step is the secret
 - This is much faster than it seems
- Let's do it





Sleep Sort

- Sleep a thread for time interval based on value
- Once joined, put into a list
- That's it
- This is silly and should not be used
- Interesting use + review of threads





Sorting

- Quick sort and merge sort are much faster
- $O(n * \log n)$
- Collections.sort() → modified quick sort
- Actually both usually recursive
 - Merge sort often more commonly so





Sorting

- That's it
- Exam is on the July 31st
- What now?
 - Final will be comprehensive
 - Try to lean heavier on newer topics
 - We can review whatever

