## **Problem Statement: -**

A certain food-based company conducted a survey with the help of a fitne ss company to find the relationship between a person's weight gain and the number of calories they consumed in order to come up with diet plans for these individuals. Build a Simple Linear Regression model with calories consumed as the target variable. Apply necessary transformations and record the RMSE and correlation coefficient values for different model s.

# Data Pre-processing.

```
In [27]:
         # Importing necessary libraries
         import pandas as pd # deals with data frame
         import numpy as np # deals with numerical values
         import seaborn as sns
         import matplotlib.pyplot as plt
         df = pd.read_csv("D:\\360Digi\Simple Resgression Ass\\calories_consumed.csv")
         df.describe()
         df.columns.values[0] = "WT"
         df.columns.values[1] = "CC"
         df.columns
Out[27]: Index(['WT', 'CC'], dtype='object')
In [28]: df.head()
Out[28]:
             WT
                  CC
            108 1500
            200 2300
            900 3400
             200 2200
            300 2500
 In [ ]:
 In [ ]:
```

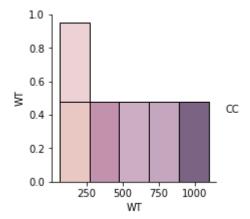
# **Exploratory data analysis:**

```
In [29]: # 1. Measures of central tendency
         # 2. Measures of dispersion
         # 3. Third moment business decision
         # 4. Fourth moment business decision
         # 5. Probability distributions of variables
         # 6. Graphical representations (Histogram, Box plot, Dot plot, Stem & Leaf plot,
         EDA ={"column ": df.columns,
               "mean": df.mean(),
               "median":df.median(),
               "mode":df.mode(),
               "standard deviation": df.std(),
               "variance":df.var(),
               "skewness":df.skew(),
               "kurtosis":df.kurt()}
         EDA
Out[29]: {'column ': Index(['WT', 'CC'], dtype='object'),
           'mean': WT
                          357.714286
          CC
                2340.714286
          dtype: float64,
           'median': WT
                            200.0
          CC
                2250.0
          dtype: float64,
           'mode':
                     WT
                            CC
          0 200 1900,
           'standard deviation': WT 333.692495
                752.109488
          dtype: float64,
           'variance': WT
                             111350.681319
                565668.681319
          dtype: float64,
          'skewness': WT
                            1.255737
          CC
                0.654930
          dtype: float64,
          'kurtosis': WT
                            0.431272
          CC
               -0.290481
          dtype: float64}
```

```
In [30]:
    plt.figure(figsize=(30, 30))
    sns.pairplot(df, hue='CC', height=3, diag_kind='hist')
```

Out[30]: <seaborn.axisgrid.PairGrid at 0x1f399cbcd60>

<Figure size 2160x2160 with 0 Axes>

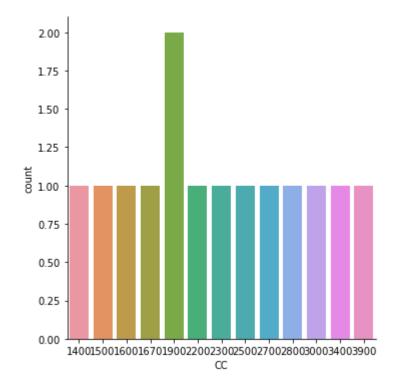


```
In [31]:
    #yes or no count
    sns.catplot('CC', data=df, kind='count')
```

D:\anconda\lib\site-packages\seaborn\\_decorators.py:36: FutureWarning: Pass the following variable as a keyword arg: x. From version 0.12, the only valid posit ional argument will be `data`, and passing other arguments without an explicit keyword will result in an error or misinterpretation.

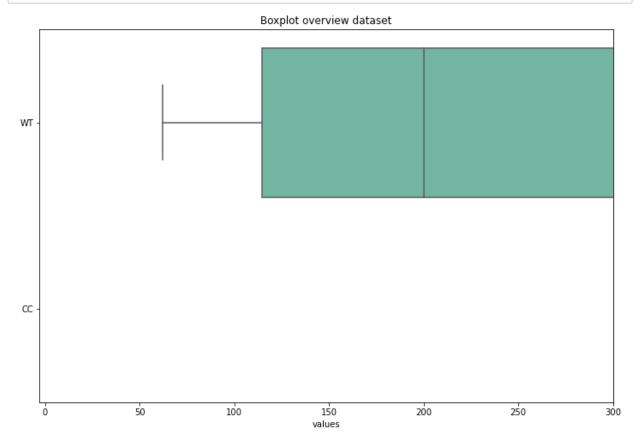
warnings.warn(

Out[31]: <seaborn.axisgrid.FacetGrid at 0x1f399d7e2b0>

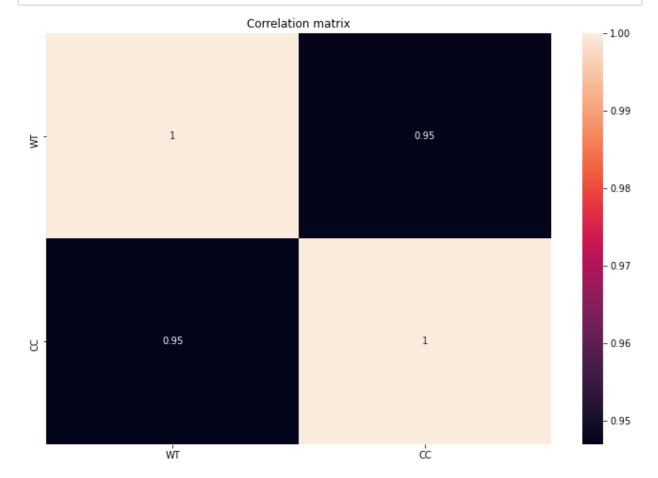


```
In [32]:
    import matplotlib.pyplot as plt

plt.figure(figsize = (12, 8))
    ax = sns.boxplot(data = df, orient = 'h', palette = 'Set2')
    plt.title('Boxplot overview dataset')
    plt.xlabel('values')
    plt.xlim(-3, 300)
    plt.show()
```



```
In [33]:
    plt.figure(figsize = (12, 8))
    sns.heatmap(df.corr(), annot = True)
    plt.title('Correlation matrix')
    plt.show()
```



```
In [34]:

# Normalization function using z std. all are continuous data.

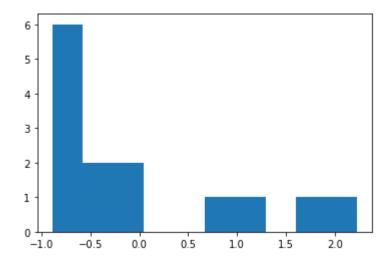
def std_func(i):
    x = (i-i.mean())/(i.std())
    return (x)

# Normalized data frame (considering the numerical part of data)
cal = std_func(df)
cal.describe()
```

### Out[34]:

	WT	CC			
count	1.400000e+01	1.400000e+01			
mean	-6.344132e-17	-1.030921e-16			
std	1.000000e+00	1.000000e+00			
min	-8.861880e-01	-1.250768e+00			
25%	-7.288575e-01	-8.153258e-01			
50%	-4.726336e-01	-1.206131e-01			
75%	5.387766e-01	5.774235e-01			
max	2.224460e+00	2.073216e+00			

# In [35]: #Graphical Representation import matplotlib.pyplot as plt # mostly used for visualization purposes #plt.bar(height = cal.WT, x = np.arange(1, 110, 1)) plt.hist(cal.WT) #histogram



```
In [36]: plt.boxplot(cal.WT) #boxplot
Out[36]: {'whiskers': [<matplotlib.lines.Line2D at 0x1f39a1e8580>,
            <matplotlib.lines.Line2D at 0x1f39a1e88e0>],
           'caps': [<matplotlib.lines.Line2D at 0x1f39a1e8c40>,
            <matplotlib.lines.Line2D at 0x1f39a1e8fa0>],
           'boxes': [<matplotlib.lines.Line2D at 0x1f39a1e8220>],
           'medians': [<matplotlib.lines.Line2D at 0x1f39a1f4340>],
           'fliers': [<matplotlib.lines.Line2D at 0x1f39a1f46a0>],
           'means': []}
            2.0
            1.5
            1.0
            0.5
            0.0
          -0.5
          -1.0
In [37]:
         \#plt.bar(height = cal.CC, x = np.arange(1, 110, 1))
         plt.hist(cal.CC) #histogram
Out[37]: (array([3., 1., 2., 2., 1., 2., 1., 1., 0., 1.]),
          array([-1.25076774, -0.91836933, -0.58597092, -0.2535725 , 0.07882591,
                   0.41122432, 0.74362274, 1.07602115, 1.40841956,
                                                                        1.74081797,
                   2.07321639]),
          <BarContainer object of 10 artists>)
          3.0
          2.5
          2.0
          1.5
          1.0
          0.5
```

-1.0

-0.5

0.0

0.5

1.0

1.5

2.0

0.0

In [38]: plt.boxplot(cal.CC) #boxplot

```
Out[38]: {'whiskers': [<matplotlib.lines.Line2D at 0x1f39a2b3d90>,
            <matplotlib.lines.Line2D at 0x1f39a2c3130>],
           'caps': [<matplotlib.lines.Line2D at 0x1f39a2c3490>,
            <matplotlib.lines.Line2D at 0x1f39a2c37f0>],
           'boxes': [<matplotlib.lines.Line2D at 0x1f39a2b3a30>],
           'medians': [<matplotlib.lines.Line2D at 0x1f39a2c3b50>],
           'fliers': [<matplotlib.lines.Line2D at 0x1f39a2c3eb0>],
           'means': []}
            2.0
            1.5
            1.0
            0.5
            0.0
           -0.5
           -1.0
In [39]: # Scatter plot
          plt.scatter(x = cal.WT, y = cal.CC, color = 'green')
Out[39]: <matplotlib.collections.PathCollection at 0x1f39b2e8520>
            2.0
            1.5
            1.0
            0.5
            0.0
           -0.5
           -1.0
                                                1.5
                     -0.5
                            0.0
                                   0.5
                                          1.0
                                                       2.0
              -1.0
In [40]: # correlation
          np.corrcoef(cal.WT, cal.CC)
```

[0.94699101, 1.

, 0.94699101],

]])

Out[40]: array([[1.

```
In [41]:
    # Covariance
    # NumPy does not have a function to calculate the covariance between two variable
    # Function for calculating a covariance matrix called cov()
    # By default, the cov() function will calculate the unbiased or sample covariance
    cov_output = np.cov(cal.WT, cal.CC)[0, 1]
    cov_output
```

Out[41]: 0.9469910088554455

## **MODEL BUILDING**

```
In [42]:
# Import library
import statsmodels.formula.api as smf

# Simple Linear Regression
model = smf.ols('CC ~ WT', data = cal).fit()
model.summary()
```

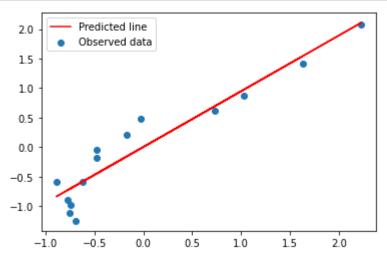
# Out[42]: OLS Regression Results

```
Dep. Variable:
                               CC
                                          R-squared:
                                                          0.897
           Model:
                              OLS
                                      Adj. R-squared:
                                                          0.888
         Method:
                     Least Squares
                                           F-statistic:
                                                          104.3
            Date: Fri, 18 Jun 2021 Prob (F-statistic): 2.86e-07
            Time:
                          23:13:29
                                      Log-Likelihood:
                                                        -3.4493
No. Observations:
                                14
                                                 AIC:
                                                          10.90
    Df Residuals:
                                                 BIC:
                                12
                                                          12.18
        Df Model:
                                 1
```

```
In [43]:
    pred1 = model.predict(pd.DataFrame(cal.WT))

# Regression Line
    plt.scatter(cal.WT, cal.CC)
    plt.plot(cal.WT, pred1, "r")
    plt.legend(['Predicted line', 'Observed data'])
    plt.show()

# Error calculation
    res1 = cal.CC - pred1
    res_sqr1 = res1 * res1
    mse1 = np.mean(res_sqr1)
    rmse1 = np.sqrt(mse1)
    rmse1
```



Out[43]: 0.30957394442203984

```
In [44]:
          ####### Model building on Transformed Data
          # Log Transformation
          \# x = log(waist); y = at
          plt.scatter(x = np.log(cal.WT), y = cal.CC, color = 'brown')
          np.corrcoef(np.log(cal.WT), cal.CC) #correlation
          model2 = smf.ols('CC ~ np.log(WT)', data = cal).fit()
          model2.summary()
          D:\anconda\lib\site-packages\pandas\core\arraylike.py:358: RuntimeWarning: inva
          lid value encountered in log
            result = getattr(ufunc, method)(*inputs, **kwargs)
          D:\anconda\lib\site-packages\statsmodels\stats\stattools.py:74: ValueWarning: o
          mni normtest is not valid with less than 8 observations; 4 samples were given.
            warn("omni normtest is not valid with less than 8 observations; %i "
Out[44]:
          OLS Regression Results
              Dep. Variable:
                                      CC
                                               R-squared:
                                                           0.960
                    Model:
                                     OLS
                                           Adj. R-squared:
                                                           0.940
                   Method:
                             Least Squares
                                                F-statistic:
                                                           47.72
                      Date: Fri, 18 Jun 2021
                                          Prob (F-statistic): 0.0203
                     Time:
                                 23:13:29
                                           Log-Likelihood: 3.0757
           No. Observations:
                                                     AIC:
                                                         -2.151
               Df Residuals:
                                                     BIC: -3.379
                                       2
                  Df Model:
            Covariance Type:
                                nonrobust
                       coef std err
                                            P>|t| [0.025 0.975]
             Intercept 0.9253
                              0.092 10.100
                                           0.010
                                                  0.531
                                                         1.320
           np.log(WT) 1.2798
                              0.185
                                     6.908 0.020
                                                  0.483
                                                         2.077
```

Omnibus: nan Durbin-Watson: 1.943

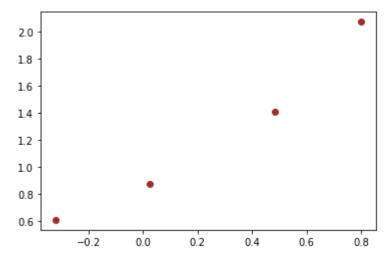
Prob(Omnibus): nan Jarque-Bera (JB): 0.569

 Skew:
 -0.069
 Prob(JB):
 0.753

 Kurtosis:
 1.158
 Cond. No.
 2.51

#### Notes:

[1] Standard Errors assume that the covariance matrix of the errors is correctly specified.



```
In [45]: | pred2 = model2.predict(pd.DataFrame(cal.WT))
         # Regression Line
         plt.scatter(np.log(cal.WT), cal.CC)
         plt.plot(np.log(cal.WT), pred2, "r")
         plt.legend(['Predicted line', 'Observed data'])
         plt.show()
         # Error calculation
         res2 = cal.CC - pred2
         res sqr2 = res2 * res2
         mse2 = np.mean(res sqr2)
         rmse2 = np.sqrt(mse2)
         rmse2
         #### Exponential transformation
         \# x = waist; y = log(at)
         plt.scatter(x = cal.WT, y = np.log(cal.CC), color = 'orange')
         np.corrcoef(cal.WT, np.log(cal.CC)) #correlation
         model3 = smf.ols('np.log(CC) ~ WT', data = cal).fit()
         model3.summary()
         pred3 = model3.predict(pd.DataFrame(cal.WT))
         pred3 at = np.exp(pred3)
         pred3_at
         # Regression Line
         plt.scatter(cal.WT, np.log(cal.CC))
         plt.plot(cal.WT, pred3, "r")
         plt.legend(['Predicted line', 'Observed data'])
         plt.show()
         # Error calculation
         res3 = cal.CC - pred3 at
         res sqr3 = res3 * res3
         mse3 = np.mean(res_sqr3)
         rmse3 = np.sqrt(mse3)
         rmse3
         #### Polynomial transformation
         \# x = waist; x^2 = waist*waist; y = log(at)
         model4 = smf.ols('np.log(CC) ~ WT + I(WT*WT)', data = cal).fit()
         model4.summary()
         pred4 = model4.predict(pd.DataFrame(cal))
         pred4 at = np.exp(pred4)
         pred4 at
         # Regression line
         from sklearn.preprocessing import PolynomialFeatures
         poly reg = PolynomialFeatures(degree = 2)
```

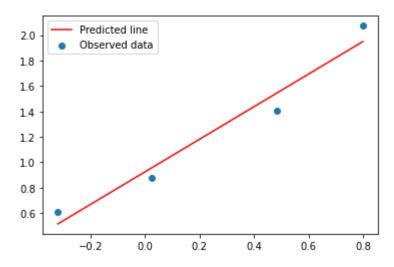
```
X = cal.iloc[:, 0:1].values
X_poly = poly_reg.fit_transform(X)
# y = wcat.iloc[:, 1].values

plt.scatter(cal.WT, np.log(cal.CC))
plt.plot(X, pred4, color = 'red')
plt.legend(['Predicted line', 'Observed data'])
plt.show()

# Error calculation
res4 = cal.CC - pred4_at
res_sqr4 = res4 * res4
mse4 = np.mean(res_sqr4)
rmse4 = np.sqrt(mse4)
rmse4
'''
```

D:\anconda\lib\site-packages\pandas\core\arraylike.py:358: RuntimeWarning: invalid value encountered in log

result = getattr(ufunc, method)(\*inputs, \*\*kwargs)



'\n#### Exponential transformation\n# x = waist; y = log(at)\n\nplt.scatter(x = cal.WT, y = np.log(cal.CC), color = \'orange\')\nnp.corrcoef(cal.WT, np.log(ca 1.CC)) #correlation\n\nmodel3 = smf.ols(\'np.log(CC) ~ WT\', data = cal).fit() \nmodel3.summary()\n\npred3 = model3.predict(pd.DataFrame(cal.WT))\npred3\_at = np.exp(pred3)\npred3 at\n\n# Regression Line\nplt.scatter(cal.WT, np.log(cal.C C))\nplt.plot(cal.WT, pred3, "r")\nplt.legend([\'Predicted line\', \'Observed d ata\'])\nplt.show()\n\n# Error calculation\nres3 = cal.CC - pred3\_at\nres\_sqr3 = res3 \* res3\nmse3 = np.mean(res sqr3)\nrmse3 = np.sqrt(mse3)\nrmse3\n\n\n#### Polynomial transformation\n# x = waist;  $x^2 = waist*waist$ ;  $y = log(at)\n\nmodel$  $4 = smf.ols(\np.log(CC) \sim WT + I(WT*WT)\', data = cal).fit()\nmodel4.summary()$ \n\npred4 = model4.predict(pd.DataFrame(cal))\npred4 at = np.exp(pred4)\npred4 at\n\n# Regression line\nfrom sklearn.preprocessing import PolynomialFeatures\n poly\_reg = PolynomialFeatures(degree = 2)\nX = cal.iloc[:, 0:1].values\nX\_poly = poly reg.fit transform(X)\n# y = wcat.iloc[:, 1].values\n\n\nplt.scatter(cal. WT, np.log(cal.CC))\nplt.plot(X, pred4, color = \'red\')\nplt.legend([\'Predict ed line\', \'Observed data\'])\nplt.show()\n\n# Error calculation\nres4 = cal.C C - pred4 at\nres sqr4 = res4 \* res4\nmse4 = np.mean(res sqr4)\nrmse4 = np.sqrt  $(mse4)\nrmse4\n'$ 

```
In [46]:
```

```
# Choose the best model using RMSE
data = {"MODEL":pd.Series(["SLR","Log"]), "RMSE":pd.Series([rmse1,rmse2])}
table_rmse = pd.DataFrame(data)
table_rmse
```

## Out[46]:

	MODEL	RMSE		
0	SLR	0.309574		
1	Log	0.112155		

D:\anconda\lib\site-packages\scipy\stats.py:1603: UserWarning: kurtosiste st only valid for n>=20 ... continuing anyway, n=11 warnings.warn("kurtosistest only valid for n>=20 ... continuing "

## Out[47]:

**OLS Regression Results** 

Dep. Variable:	CC		R-squared		ed:	0.911
Model:		OLS		Adj. R-squared		0.901
Method:	Least	Least Squares		F-statistic		92.27
Date:	Fri, 18 Jun 2021		Prob (F-statistic):		ic):	5.00e-06
Time:	2	23:13:30		Log-Likelihood:		-2.7884
No. Observations:		11		A	IC:	9.577
Df Residuals:		9		BIC:		10.37
Df Model:		1				
Covariance Type:	nonrobust					
coef	std err	t	P> t	[0.025	0.97	<b>'</b> 5]
Intercept -0.0387	0.104	-0.372	0.718	-0.274	0.1	96
<b>WT</b> 0.9525	0.099	9.606	0.000	0.728	1.1	77
Omnibus:	0.636	Durbin-\	<i>N</i> atson:	1.322		
Prob(Omnibus):	0.728 <b>J</b>	arque-Be	era (JB):	0.556		
Skew:	-0.092	Pı	ob(JB):	0.757		

#### Notes:

Kurtosis: 1.914

[1] Standard Errors assume that the covariance matrix of the errors is correctly specified.

1.05

Cond. No.

```
In [48]:
    # Predict on test data
    test_pred = finalmodel.predict(pd.DataFrame(test))
    pred_test_AT = np.exp(test_pred)
    pred_test_AT

# Model Evaluation on Test data
    test_res = test.CC - pred_test_AT
    test_sqrs = test_res * test_res
    test_mse = np.mean(test_sqrs)
    test_rmse = np.sqrt(test_mse)
    print(test_rmse)
```

#### 1.0297464508770553

```
In [49]:
    # Prediction on train data
    train_pred = finalmodel.predict(pd.DataFrame(train))
    pred_train_AT = np.exp(train_pred)
    pred_train_AT

# Model Evaluation on train data
    train_res = train.CC - pred_train_AT
    train_sqrs = train_res * train_res
    train_mse = np.mean(train_sqrs)
    train_rmse = np.sqrt(train_mse)
    print(train_rmse)
```

2.329778495018364

# **Summary**

Model having highest R-Squared value is better i.e. (model=0.897 is not better than model1=0.960). There has good relationship>0.85

RMSE- lower the RMSE incidcate better fit. RMSE is a good measure of how accuaracy the model predict the reponse. In Linear regression RMSE value between 0.2 to 0.5

But in final model training and training we choose SLR CC ~ WT beacause the training rmse was show good result in SLR rather than Log.

```
In [ ]:
```