

## CPT\_S 575 Data Science: Assignment 2

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### Exercise 1

- (a) Use the `read.csv()` function to read the data into R, or the `csv` library to read in the data with python. In R you will load the data into a dataframe. In python you may store it as a list of lists or use the `pandas` dataframe. Call the loaded data `college`. Ensure that your column headers are not treated as a row of data.

```
college = read.csv("https://scads.eecs.wsu.edu/wp-content/uploads/2017/09/College.csv")
head(college)
```

			X	Private	Apps	Accept	Enroll	Top10perc	
##	1	Abilene Christian University		Yes	1660	1232	721	23	
##	2	Adelphi University		Yes	2186	1924	512	16	
##	3	Adrian College		Yes	1428	1097	336	22	
##	4	Agnes Scott College		Yes	417	349	137	60	
##	5	Alaska Pacific University		Yes	193	146	55	16	
##	6	Albertson College		Yes	587	479	158	38	
##		Top25perc	F.Undergrad	P.Undergrad	Outstate	Room.Board	Books	Personal	PhD
##	1	52	2885	537	7440	3300	450	2200	70
##	2	29	2683	1227	12280	6450	750	1500	29
##	3	50	1036	99	11250	3750	400	1165	53
##	4	89	510	63	12960	5450	450	875	92
##	5	44	249	869	7560	4120	800	1500	76
##	6	62	678	41	13500	3335	500	675	67
##		Terminal	S.F.Ratio	perc.alumni	Expend	Grad.Rate			
##	1	78	18.1	12	7041	60			
##	2	30	12.2	16	10527	56			
##	3	66	12.9	30	8735	54			
##	4	97	7.7	37	19016	59			
##	5	72	11.9	2	10922	15			
##	6	73	9.4	11	9727	55			

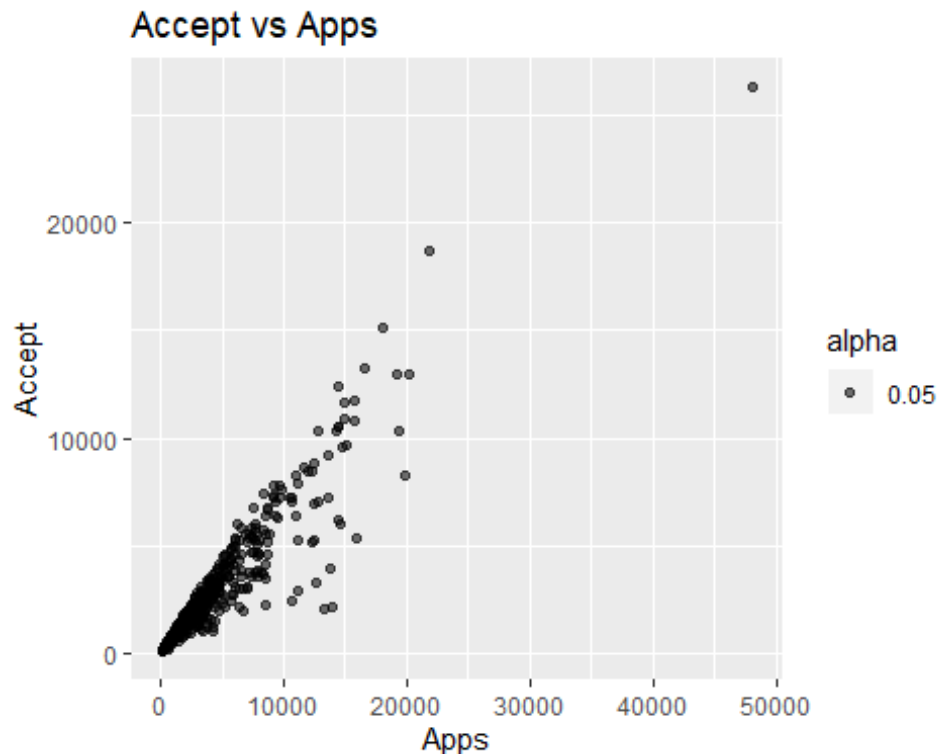
- (b) Find the median cost of books for all schools in this dataset.

```
books = summary(college$Books)
books['Median']

## Median
## 500
```

- (c) Produce a scatterplot that shows a relationship between two features of your choice in the dataset. Ensure it has appropriate axis labels and a title.

Relationship between Acceptance and Applications :



- (d) Produce a histogram showing the overall enrollment numbers (P.Undergrad plus F.Undergrad) for both public and private (Private) schools. Ensure it has appropriate axis labels and a title.

Adding both the fields P.Undergrad and F.Undergrad gives us the overall enrollment

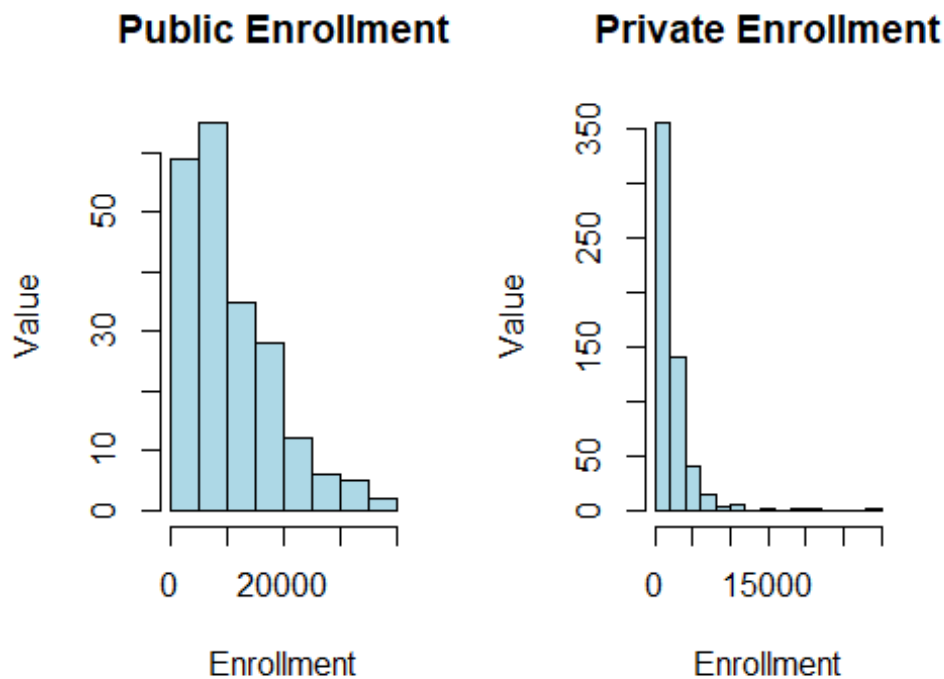
```
enrollTotal = college$P.Undergrad+college$F.Undergrad
```

Splitting public and private colleges

```
pub = which(college$Private=="No")
pri = which(college$Private == "Yes")
```

Overall Enrollment plots

```
par(mfcol = c(1,2))
hist(enrollTotal[pub], col="light Blue", main="Public Enrollment",
     xlab="Enrollment", ylab="Value")
hist(enrollTotal[pri], col="light Blue", main="Private Enrollment",
     xlab="Enrollment", ylab="Value")
```



- (e) Create a new qualitative variable, called Top, by binning the Top25perc variable into two categories. Specifically, divide the schools into two groups based on whether or not the proportion of students coming from the top 25% of their high school classes exceeds 50%. Now produce side-by-side boxplots of acceptance rate (based on Accept and Apps) with respect to the two Top categories (Yes and No). How many top universities are there?

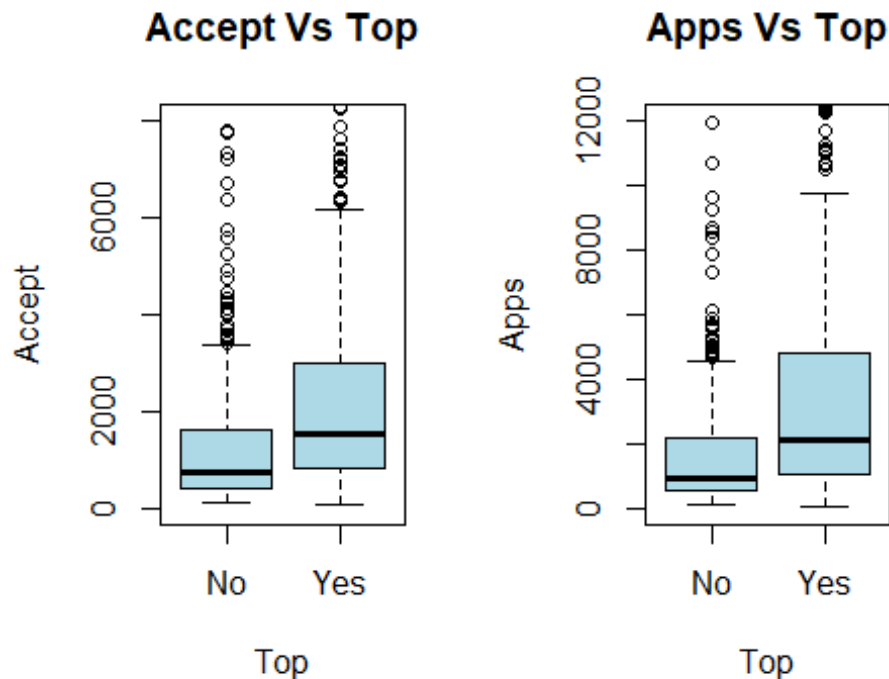
```
top = rep("No", nrow(college))
top[college$Top25perc > 50] = "Yes"
top = as.factor(top)
college = data.frame(college, top)
summary(college$top)
```

```
## No Yes
## 328 449
```

Acceptance and Applications for Top

```
par(mfcol = c(1,2))

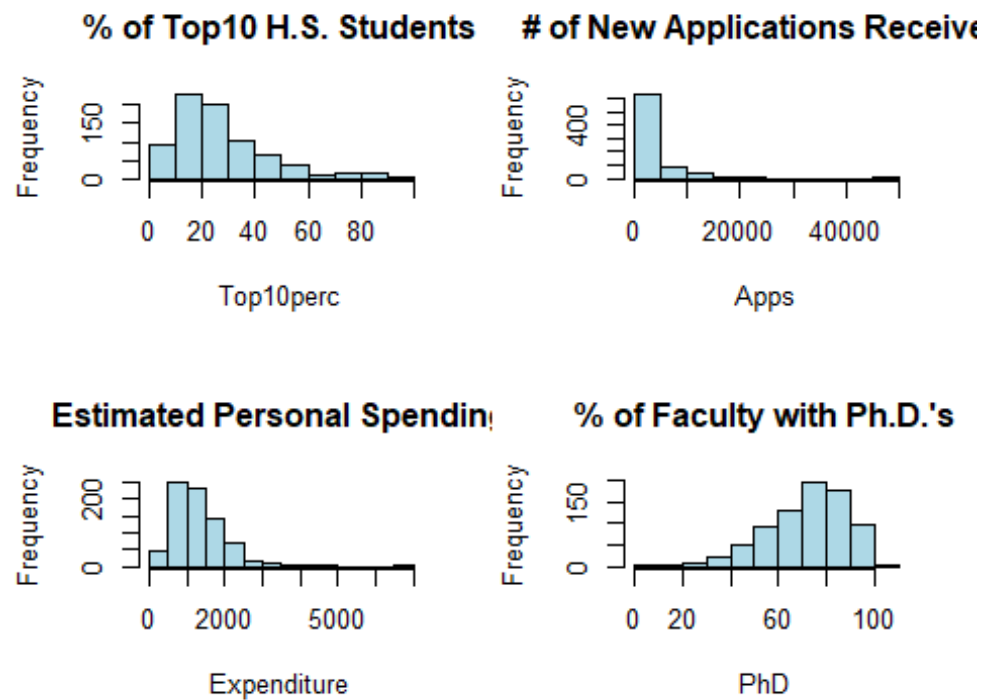
topUni = boxplot(college$Accept ~ college$top, col = "light blue", main =
"Accept Vs Top", xlab = "Top", ylab = "Accept", ylim = c(0, 8000))
boxplot(college$Apps ~ college$top, col = "light blue", main = "Apps Vs Top",
xlab = "Top", ylab = "Apps", ylim = c(0, 12000))
```



From the above, it is observed that number of top universities are 449.

- (f) Continue exploring the data, producing two or more new plots of any type, and provide a brief summary of your hypotheses and what you discover. You may use additional plots or numerical descriptors as needed. Feel free to think outside the box on this one but if you want something to point you in the right direction, look at the summary statistics for various features, and think about what they tell you. Perhaps try plotting various features from the dataset against each other and see if any patterns emerge.

The following 4 histograms show us the frequency distribution over the variables 'Top10perc', 'Apps', 'Personal' and 'PhD'. This gives us some idea of the demographic of the total college population in terms of the mentioned features.



## Exercise 2

Handling missing values using `na.strings` parameter and `na.omit` function

```
auto = read.csv("https://scads.eecs.wsu.edu/wp-
content/uploads/2017/09/Auto.csv",
na.strings = "?")
auto <- na.omit(auto)
head(auto)
```

##	mpg	cylinders	displacement	horsepower	weight	acceleration	year	origin
## 1	18	8	307	130	3504	12.0	70	1
## 2	15	8	350	165	3693	11.5	70	1
## 3	18	8	318	150	3436	11.0	70	1
## 4	16	8	304	150	3433	12.0	70	1
## 5	17	8	302	140	3449	10.5	70	1
## 6	15	8	429	198	4341	10.0	70	1

```
##
## name
## 1 chevrolet chevelle malibu
## 2 buick skylark 320
## 3 plymouth satellite
## 4 amc rebel sst
## 5 ford torino
## 6 ford galaxie 500
```

- (a) Specify which of the predictors are quantitative, and which are qualitative? Keep in mind that a qualitative variable may be represented as a quantitative type in the

dataset, or the reverse. You may wish to adjust the types of your variables based on your findings.

Quantitative variables are numeric while qualitative variables are descriptions, which categorizes the data

- Quantitative variables
  - mpg
  - Cylinders
  - Displacement
  - Horsepower
  - Weight
  - Acceleration
  - Year
  - Origin
- Qualitative variables
  - Name

(b) What is the range, mean and standard deviation of each quantitative predictor?

Range:

```
sapply(auto[, -9], range)

##      mpg cylinders displacement horsepower weight acceleration year
## [1,]  9.0         3          68         46   1613          8.0   70
## [2,] 46.6         8         455        230   5140         24.8   82
##      origin
## [1,]      1
## [2,]      3
```

Mean:

```
sapply(auto[, -9], mean)

##      mpg      cylinders displacement      horsepower      weight
## 23.445918  5.471939   194.411990   104.469388  2977.584184
## acceleration      year      origin
## 15.541327   75.979592   1.576531
```

Standard Deviation:

```
sapply(auto[, -9], sd)

##      mpg      cylinders displacement      horsepower      weight
##  7.8050075  1.7057832  104.6440039   38.4911599  849.4025600
## acceleration      year      origin
##  2.7588641  3.6837365   0.8055182
```

- (c) Now remove the 45th through 85th (inclusive) observations from the dataset. What is the range, mean, and standard deviation of each predictor in the subset of the data that remains?

```
auto_d = auto[-c(45:85), -9]
```

Range:

```
sapply(auto_d, range)
```

```
##      mpg cylinders displacement horsepower weight acceleration year
## [1,]  9.0         3           68         46   1649          8.0   70
## [2,] 46.6         8          455        230   5140         24.8   82
##      origin
## [1,]      1
## [2,]      3
```

Mean:

```
sapply(auto_d, mean)
```

```
##      mpg      cylinders displacement      horsepower      weight
## 23.780057  5.470085   194.048433   103.863248  2977.233618
## acceleration      year      origin
## 15.541880   76.475783   1.578348
```

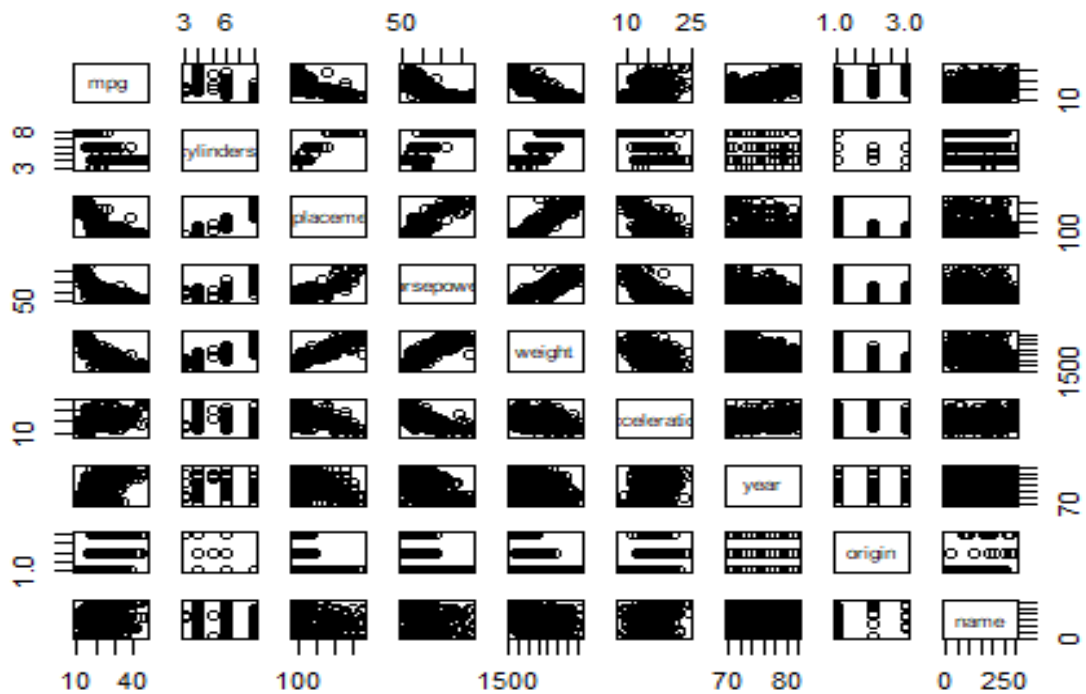
Standard Deviation:

```
sapply(auto_d, sd)
```

```
##      mpg      cylinders displacement      horsepower      weight
##  7.9008789  1.6830550   103.2050688   38.2367600   835.3627353
## acceleration      year      origin
##  2.7525751  3.5735313    0.8099302
```

- (d) Using the full data set, investigate the predictors graphically, using scatterplots, correlation scores or other tools of your choice. Create some plots highlighting the relationships you find among the predictors. Explain briefly what the relationships between variables are, and what they mean.

```
pairs(auto)
```

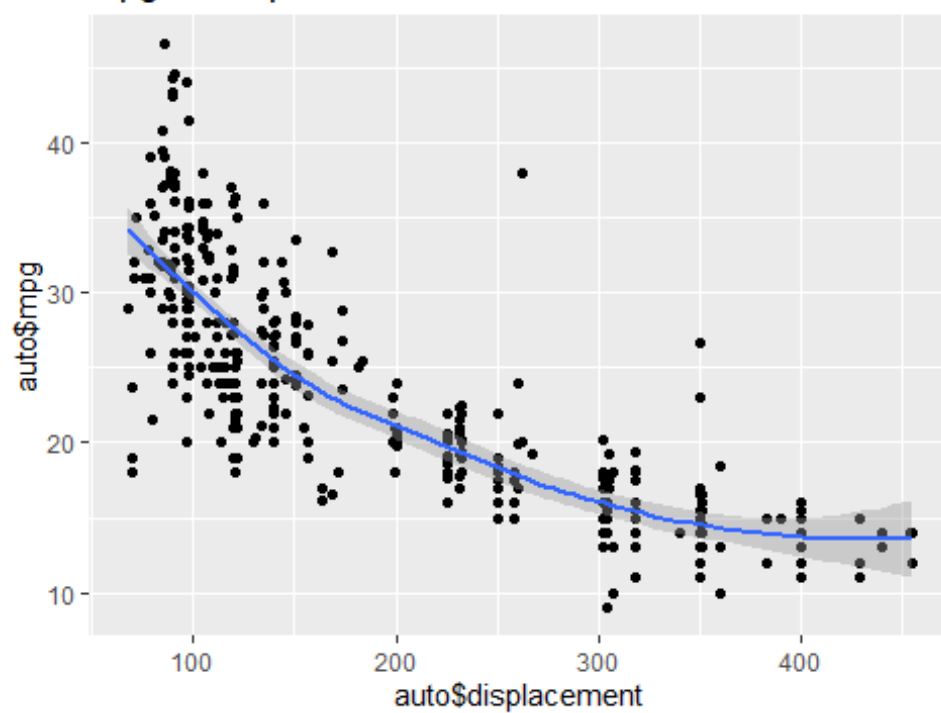


From the scatterplots, we find that there might be a relationship between the following features: \* mpg vs displacement \* mpg vs horsepower \* mpg vs weight \* weight vs horsepower \* weight vs displacement \* horsepower vs displacement \* acceleration vs horsepower

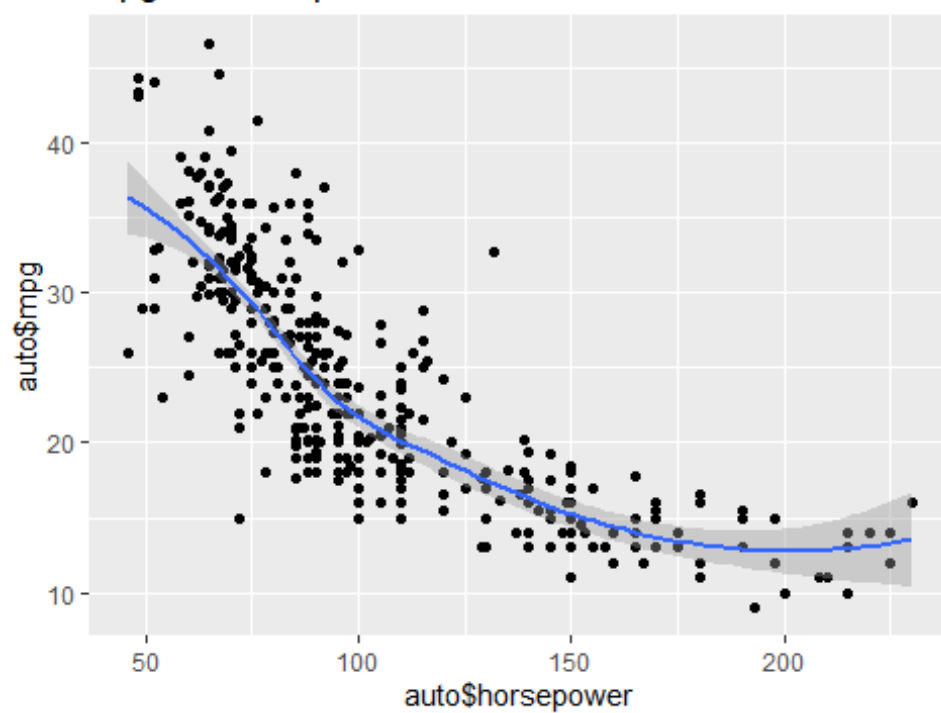
Taking a closer look at the dependence between 'mpg' and other features:

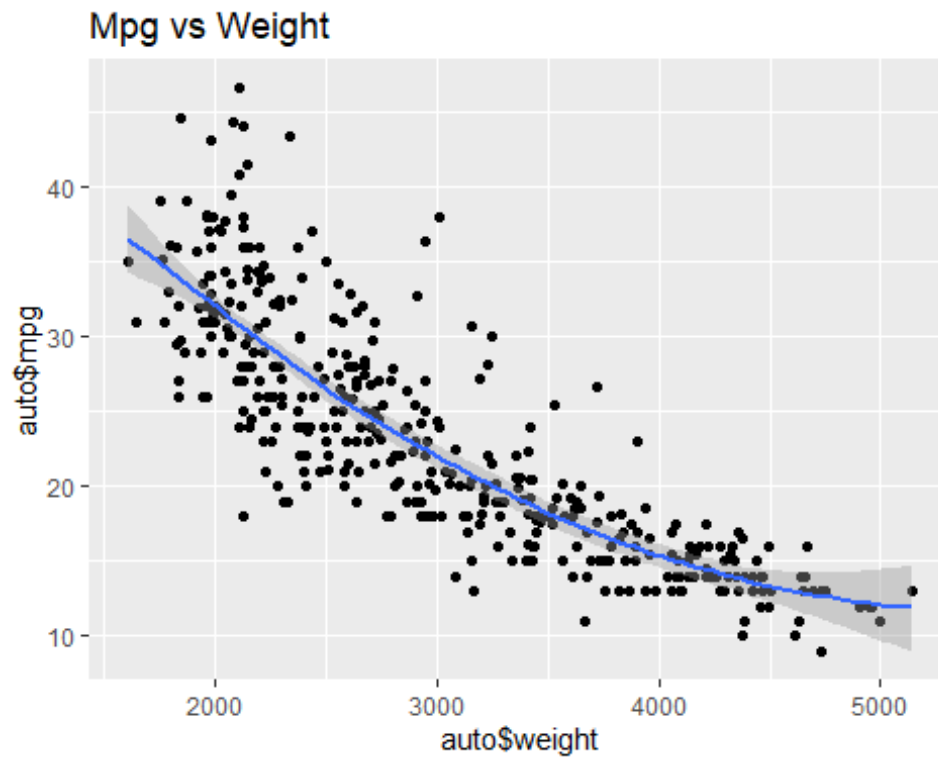


Mpg vs Displacement

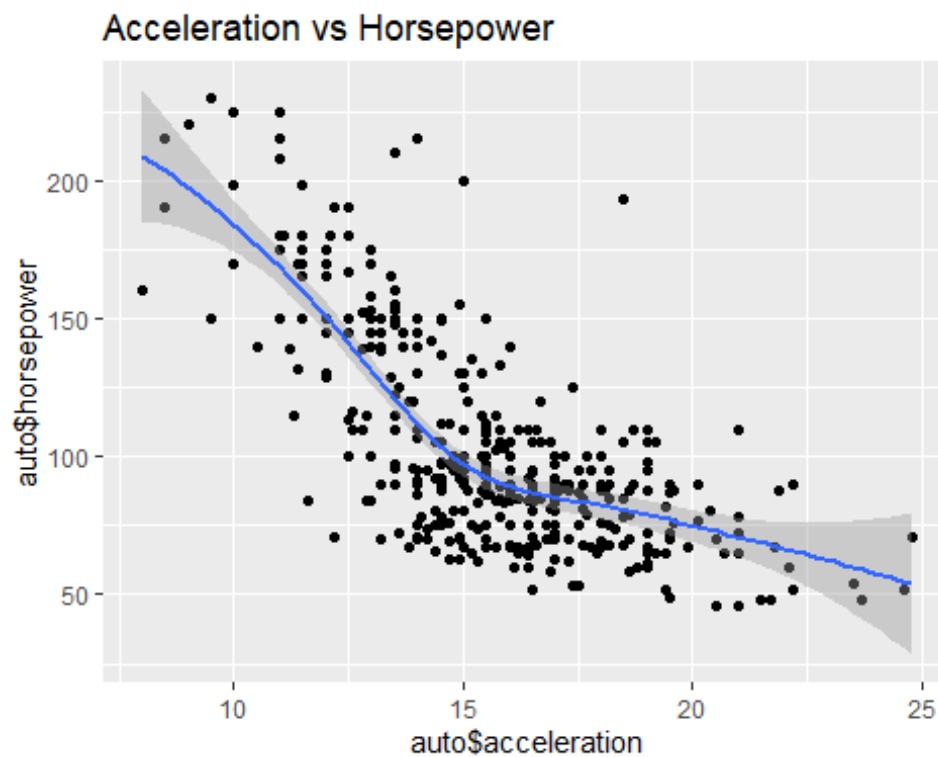


Mpg vs Horsepower





From the following plot, we also see that acceleration and horsepower are inversely proportional:



This seems to follow basic physics which says that at lower gears, where horsepower is more, acceleration is less.

- (e) Suppose that we wish to predict gas mileage (mpg) on the basis of the other variables. Which, if any, of the other variables might be useful in predicting mpg? Justify your answer.

Horsepower, cylinders, year and origin can be used as predictors for mpg. Displacement and Weight can not be used as they are highly correlated to each other and to horsepower as seen from the scatterplot.