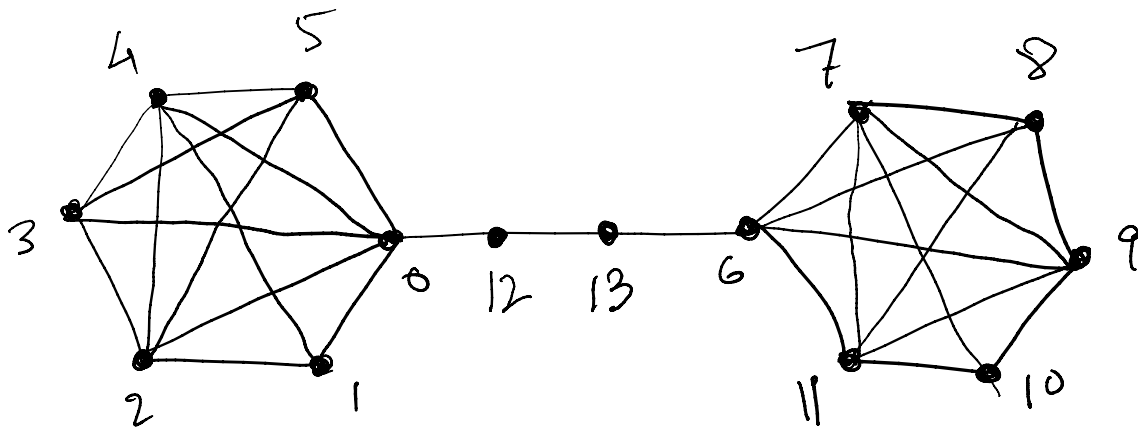


Experiments

13 May 2020 15:09

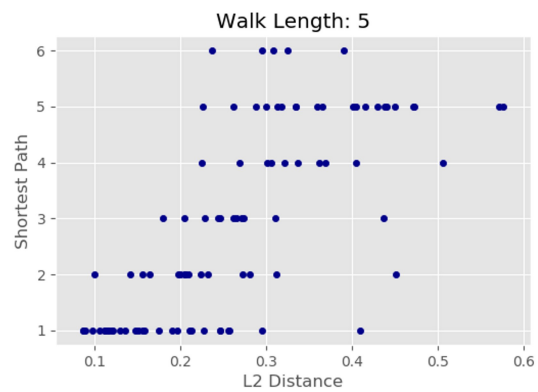
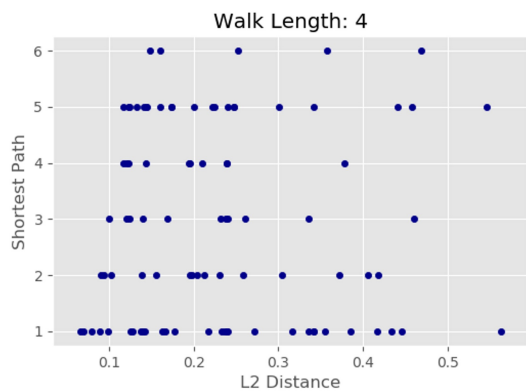
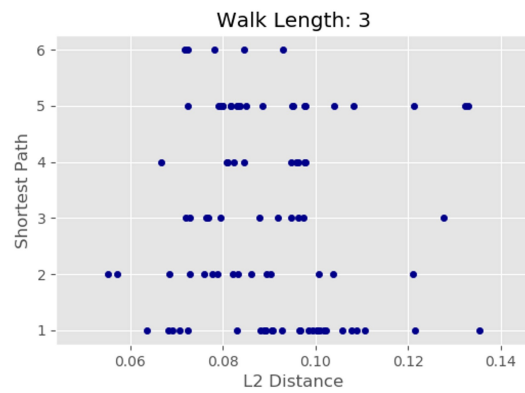
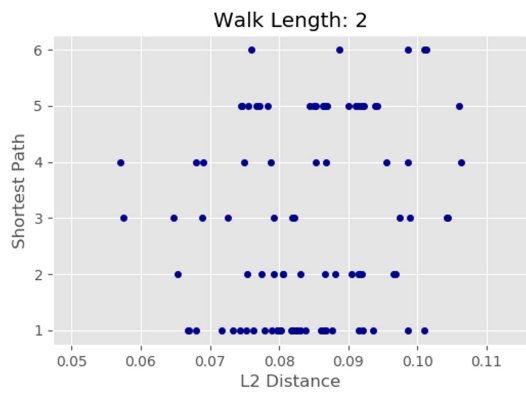
1. Input graph:

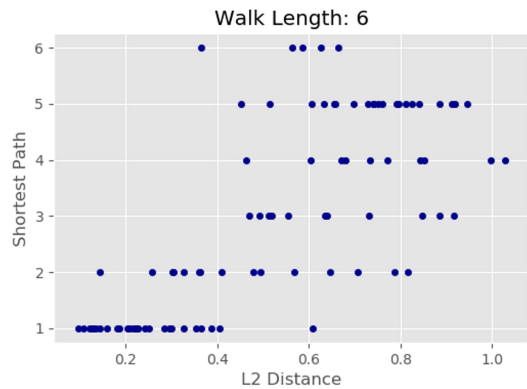
Nodes: 14, Edges: 29, Communities: 2, Diameter: 6



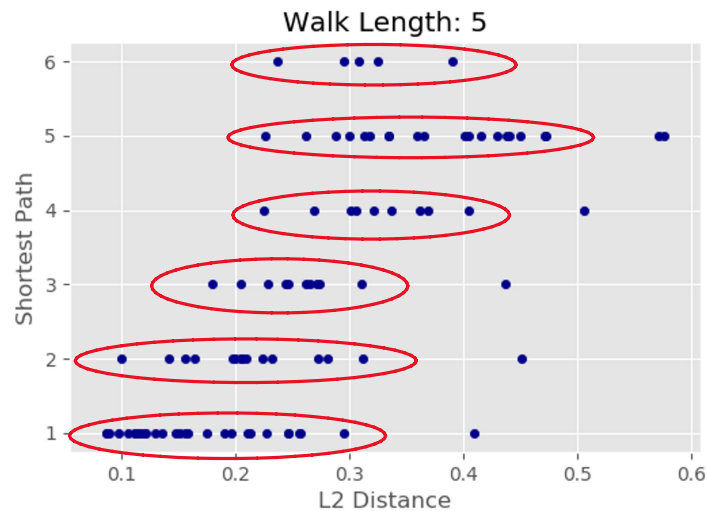
Experiment 1.1: Check effect of Node2vec random walker's length of walk on quality of embedding:

Result: Effect of length of walk (dimensions = 24):



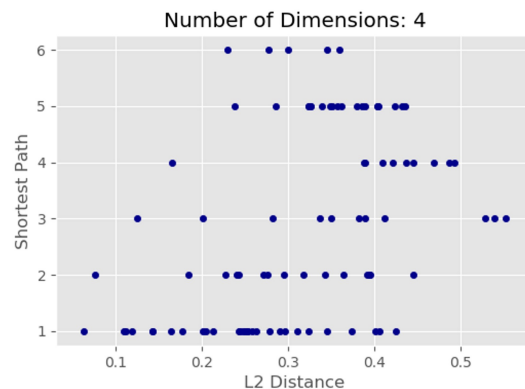
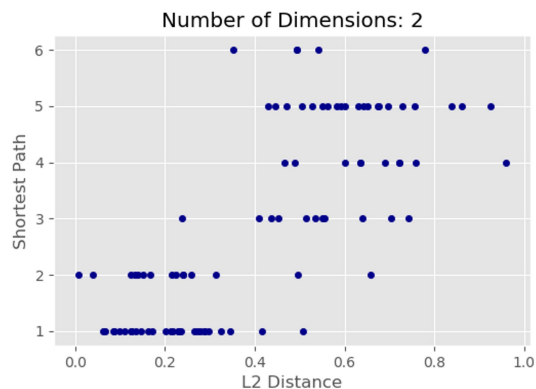


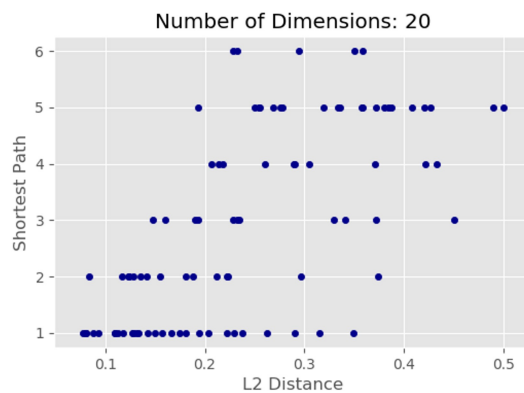
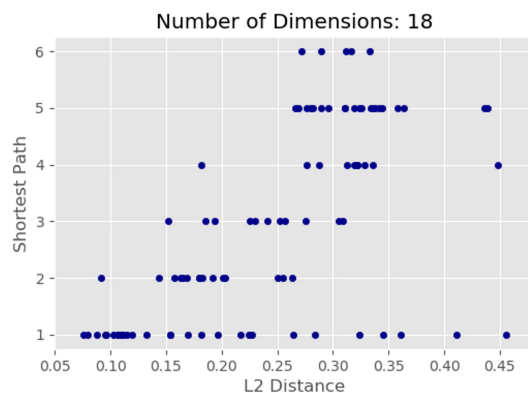
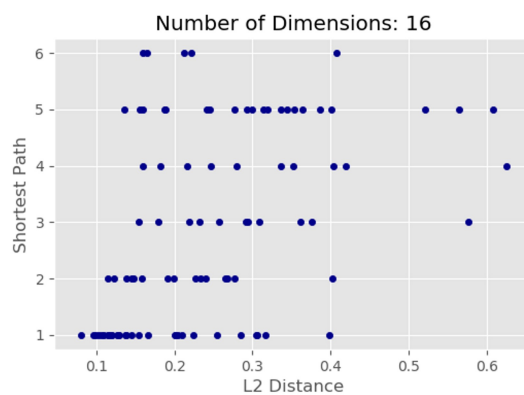
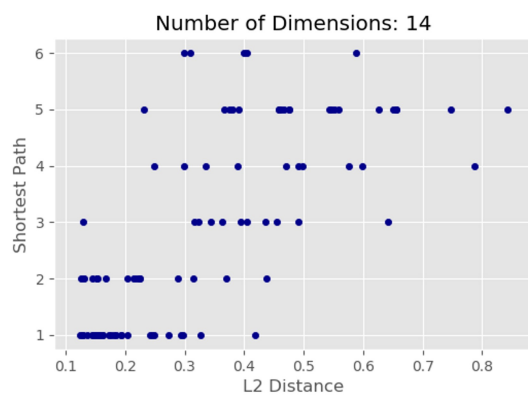
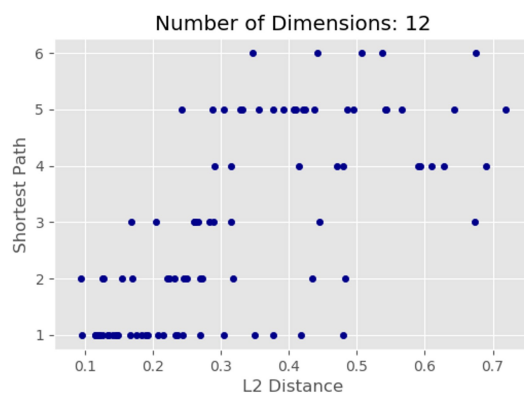
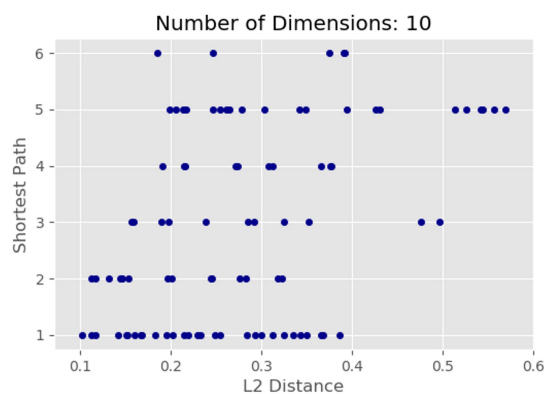
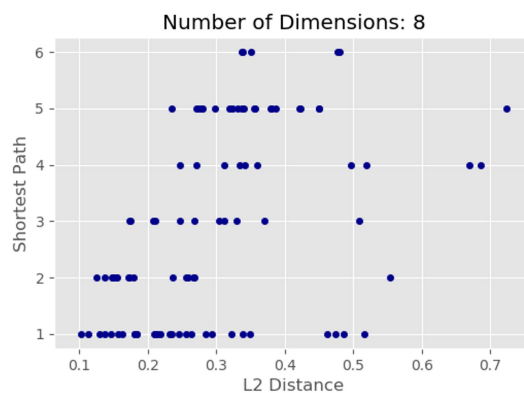
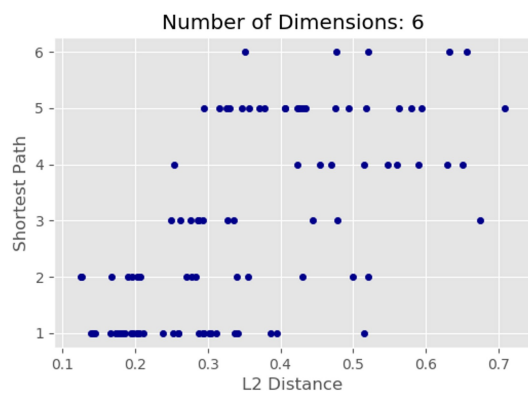
Observation: The quality of embeddings improve as the length of walk is increased till it is the same as the graph diameter. The walk length of 5 gives embeddings good enough to clearly see the adjacent node pairs having shortest distance of 1 having the lowest L2 distances. This pattern still holds for node pairs 2,3,... Hops away from each other.

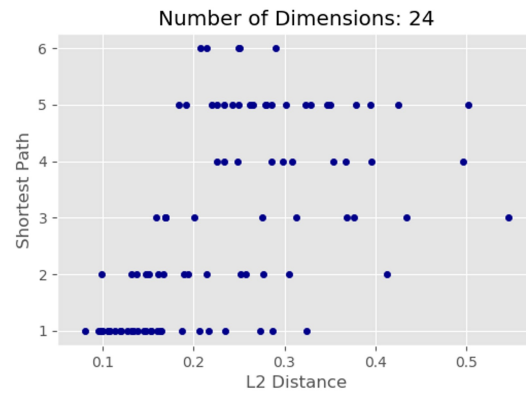
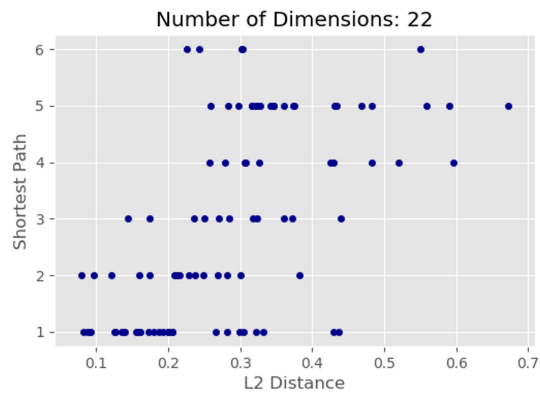


Experiment 1.2: Check effect of Node2vec's input parameter 'd' (dimension of embedding) on the quality of embedding.

Result: Effect of #dimension (length of walk = 5):





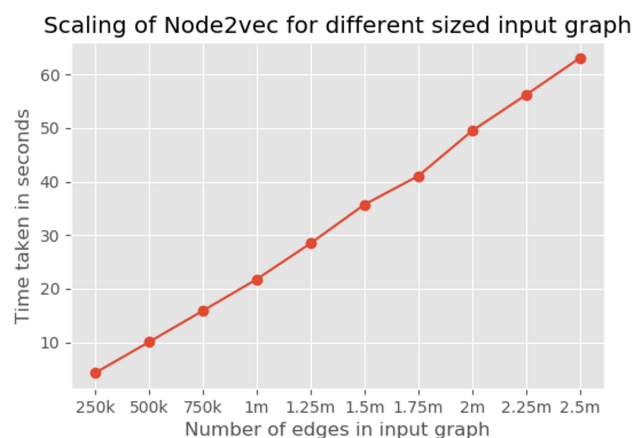


Observation: Maybe I am missing something but I couldn't find any pattern which might indicate a negative or a positive effect on the quality of embedding by increasing the dimensionality of the embedding.

2. Input Graph: Twitter dataset (taken from Snap)

| Dataset statistics | |
|----------------------------------|-----------------|
| Nodes | 81306 |
| Edges | 1768149 |
| Nodes in largest WCC | 81306 (1.000) |
| Edges in largest WCC | 1768149 (1.000) |
| Nodes in largest SCC | 68413 (0.841) |
| Edges in largest SCC | 1685163 (0.953) |
| Average clustering coefficient | 0.5653 |
| Number of triangles | 13082506 |
| Fraction of closed triangles | 0.06415 |
| Diameter (longest shortest path) | 7 |
| 90-percentile effective diameter | 4.5 |

Experiment: Check Node2vec's scalability by using it on graphs of different size (obtained by snowballing the Twitter graph)



Observation: Node2vec scales linearly with the increasing number of edges.