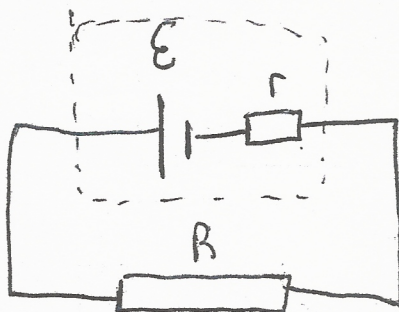


∴ no voltage involved



$$P = I^2 R \quad \& \quad \epsilon = I(R + r) \Rightarrow I = \frac{\epsilon}{R + r}$$

$$I^2 = \frac{\epsilon^2}{(R + r)^2}$$

$$\Rightarrow \text{into } P \Rightarrow P = \frac{\epsilon^2}{(R + r)^2} R$$

ignore ϵ^2 ∵ it is constant for the battery & let $r = 1$ & $R = x$
& $P = y$ non-linear

$$\Rightarrow y = \frac{x}{(x+1)^2} \quad \text{will peak when } \frac{d}{dx}(R) = 1$$

$$\text{Power}_T = \text{Power}_{\text{battery}} + \text{Power}_{\text{load}} = I \epsilon = I^2 R + I^2 r$$

$$\Rightarrow \text{load power} \quad I^2 R = I \epsilon - I^2 r$$

$\frac{I^2 R}{I} = IV$

& ∵ r (internal resistance) affects current, & it will affect everything else (∵ current is involved in everything) \Rightarrow you need the correct balance when $r = R$

$$IR = \epsilon - Ir \quad \text{OR} \quad \epsilon = I(R + r)$$