Volumes of Bevolution & Mean Values

1 locumulation of Volumes magne robating y= fcxx around the x-axis. Bendution To calculate the volume of the shape formed, you would split the curve nto an infinite number of cylinders. point Et h is the h of a cylinder. Let h= doc Csome small value of ∞ . > volume of one cylinder = TT (flow) doc however, you wont to sum all the cylinder between oc=a lel $\lim_{\infty \to 0} \sum_{s \in \infty} T(f(s))^2 ds = \int_{\infty}^{\infty} T(f(s))^2 ds$ = Jo Try2da = Tr Jb y2da

Applying the same logico robabing around the grocis, you get:

The scholy

Robabing $q = 1/\alpha$ 360° around the oc-closes between $\infty = 1$ Example acound ec-aocis $y = 1/\alpha \Rightarrow V = \pi \int_{-\pi}^{\pi} (1/\alpha)^2 d\alpha = \pi \int_{-\pi}^{\pi} (1/\alpha)^2 d\alpha = \pi \int_{-\pi}^{\pi} (1/\alpha)^2 d\alpha = \pi \int_{-\pi}^{\pi} (1/\alpha)^2 d\alpha$ $= \pi \left[-9c^{-1} \right]^{\frac{1}{4}} = \pi \left[-\frac{1}{4} \right]^{\frac{1}{4}} = \frac{3}{1} \pi \left[\frac{3}{4} \right]^{\frac{3}{4}} = \frac{3}{4} \pi \left[\frac{3}{4} \right]^{\frac{3}{4}} = \frac{3}{4} \pi \left[\frac{1}{4} \right]^{\frac{3}{4}} = \frac{3}$ hoboting y= 202+2 360° around the y-aous between ac=0 and oc=2 Example acound y-decis $\Rightarrow x = \sqrt{y-2} \quad \text{ all when } x = 0, y = 2$ x = 2, y = 6 $\Rightarrow \pi \int_{\alpha}^{b} dy \Rightarrow \pi \int_{\alpha}^{b} (1y-2)^2 dy$ $= \pi \int_0^{\infty} y - 2 dy = 8\pi \text{ units}^3$ rectapgle with the same the cures The rectangle Essentally about finding a area cas the ands on Mean Values has the base of the (with Escample) E.g., $f(x) = 6^2 (86+1)(6-2)$ between 15643 $\alpha = \alpha$ $\alpha = 6$ β β $\alpha = 418/s$ units α base = 2 => height = 418 = 2 = 209