

DEPARTMENT OF COMPUTER SCIENCE & ENGINEERING



Generative Inference System Optimization

COMP6211J

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Generative Inference

Recall Generative Inference Workflow



- State-of-the-art implementation splits the computation to two phrases:
 - <u>Prefill phase</u>: the model takes a prompt sequence as input and engages in the generation of a key-value cache (KV cache) for each Transformer layer.
 - <u>Decode phase</u>: for each decode step, the model updates the KV cache and reuses the KV to compute the output.
- Analyze the arithmetic intensity:
 - Prefill phrase: arithmetic bounded;
 - Decode phrase: memory bounded.
- Assume the computation is in fp16, the concrete analysis in next two slides.
 - *L* is the input sequence length;
 - *D* is the model dimension;
 - Multi-head attention $D = n_H \times H$; H is the head dimension; n_h is the number of heads.

Prefill Phrase



No.	Computation	Input	Output	Arithmetic Intensity
1	$Q = xW^Q$	$x \in \mathbb{R}^{L \times D}$, $\mathbf{W}^Q \in \mathbb{R}^{D \times D}$	$Q \in \mathbb{R}^{L \times D}$	$\frac{L \times D^2}{L \times D + D^2 + L \times D} = \frac{L \times D}{2L + D}$
2	$K = xW^K$	$x \in \mathbb{R}^{L \times D}$, $\mathbf{W}^K \in \mathbb{R}^{D \times D}$	$K \in \mathbb{R}^{L \times D}$	$\frac{L \times D^2}{L \times D + D^2 + L \times D} = \frac{L \times D}{2L + D}$
3	$V = xW^V$	$x \in \mathbb{R}^{L \times D}$, $\mathbf{W}^V \in \mathbb{R}^{D \times D}$	$V \in \mathbb{R}^{L \times D}$	$\frac{L \times D^2}{L \times D + D^2 + L \times D} = \frac{L \times D}{2L + D}$
4	$[Q_1, Q_2 \dots, Q_{n_h}] = Partition_{-1}(Q)$	$Q \in \mathbb{R}^{L \times D}$	$Q_i \in \mathbb{R}^{L \times H}, i = 1, \dots n_h$	-
5	$[K_1, K_2 \dots, K_{n_h}] = Partition_{-1}(K)$	$K \in \mathbb{R}^{L \times D}$	$K_i \in \mathbb{R}^{L \times H}, i = 1, \dots n_h$	-
6	$[V_1, V_2 \dots, V_{n_h}] = Partition_{-1}(V)$	$V \in \mathbb{R}^{L \times D}$	$V_i \in \mathbb{R}^{L \times H}, i = 1, \dots n_h$	-
7	$Score_i = softmax(\frac{Q_i K_i^T}{\sqrt{D}}), i = 1, n_h$	$Q_i, K_i \in \mathbb{R}^{L \times H}$	$score_i \in \mathbb{R}^{L \times L}$	$\frac{L^2 \times H}{L \times H + L^2 + L \times H} = \frac{L \times H}{2H + L}$
8	$Z_i = \operatorname{score}_i V_i, i = 1, \dots n_h$	$score_i \in \mathbb{R}^{L \times L}, V_i \in \mathbb{R}^{L \times H}$	$Z_i \in \mathbb{R}^{L \times H}$	$\frac{L^2 \times H}{L \times H + L^2 + L \times H} = \frac{L \times H}{2H + L}$
9	$Z = \text{Merge}_{-1} ([Z_1, Z_2, Z_{n_h}])$	$Z_i \in \mathbb{R}^{L \times H}, i = 1, \dots n_h$	$Z \in \mathbb{R}^{L \times D}$	-
10	Out = ZW^O	$Z \in \mathbb{R}^{L \times D}$, $\mathbb{W}^O \in \mathbb{R}^{D \times D}$	Out $\in \mathbb{R}^{L \times D}$	$\frac{L \times D^2}{L \times D + D^2 + L \times D} = \frac{L \times D}{2L + D}$
11	$A = \text{Out } W^1$	Out $\in \mathbb{R}^{L \times D}$, $\mathbb{W}^1 \in \mathbb{R}^{D \times 4D}$	$A \in \mathbb{R}^{L \times 4D}$	$\frac{4L \times D^2}{L \times D + 4D^2 + L \times 4D} = \frac{4L \times D}{5L + 4D}$
12	$A' = \operatorname{relu}(A)$	$A \in \mathbb{R}^{L \times 4D}$	$A' \in \mathbb{R}^{L \times 4D}$	-
13	$x' = A'W^2$ $A' \in \mathbb{R}^{L \times 4D}, W^2 \in \mathbb{R}^{4D \times D}$ $x' \in \mathbb{R}^{L \times D}$		$\frac{4L \times D^2}{L \times D + 4D^2 + L \times 4D} = \frac{4L \times D}{5L + 4D}$	

Decoding Phrase



No	Computationt	Input	Output	Arithmetic Intensity
1	$Q = Q_d = tW^Q$	$t \in \mathbb{R}^{1 \times D}, \mathbf{W}^Q \in \mathbb{R}^{D \times D}$	$Q,Q_d \in \mathbb{R}^{1 \times D}$	$\frac{1 \times D^2}{1 \times D + D^2 + 1 \times D} = \frac{D}{2 + D}$
2	$K_d = tW^K$	$t \in \mathbb{R}^{1 imes D}$, $\mathbb{W}^K \in \mathbb{R}^{D imes D}$	$K_d \in \mathbb{R}^{1 \times D}$	$\frac{1\times D^2}{1\times D + D^2 + 1\times D} = \frac{D}{2+D}$
3	$K = \operatorname{concat}(K_{\operatorname{cache}}, K_d)$	$K_{\text{cache}} \in \mathbb{R}^{L \times D}, K_d \in \mathbb{R}^{1 \times D}$	$K \in \mathbb{R}^{(L+1) \times D}$	-
4	$V_d = tW^V$	$t \in \mathbb{R}^{1 imes D}$, $\mathbb{W}^V \in \mathbb{R}^{D imes D}$	$V_d \in \mathbb{R}^{1 \times D}$	$\frac{1\times D^2}{1\times D + D^2 + 1\times D} = \frac{D}{2+D}$
5	$V = \text{concat}(V_{\text{cache}}, V_d)$	$V_{\text{cache}} \in \mathbb{R}^{L \times D}, V_d \in \mathbb{R}^{1 \times D}$	$V \in \mathbb{R}^{(L+1) \times D}$	-
6	$[Q_1, Q_2 \dots, Q_{n_h}] = Partition_{-1}(Q)$	$Q \in \mathbb{R}^{1 \times D}$	$Q_i \in \mathbb{R}^{1 \times H}, i = 1, \dots n_h$	-
7	$[K_1, K_2 \dots, K_{n_h}] = Partition_{-1}(K)$	$K \in \mathbb{R}^{(L+1) \times D}$	$K_i \in \mathbb{R}^{(L+1) \times H}, i = 1, \dots n_h$	-
8	$[V_1, V_2 \dots, V_{n_h}] = Partition_{-1}(V)$	$V \in \mathbb{R}^{(L+1) \times D}$	$V_i \in \mathbb{R}^{(L+1) \times H}, i = 1, \dots n_h$	-
9	$Score_{i} = softmax(\frac{Q_{i}K_{i}^{T}}{\sqrt{D}}), i = 1, n_{h}$	$Q_i \in \mathbb{R}^{1 \times H}, K_i \in \mathbb{R}^{(L+1) \times H}$	$score_i \in \mathbb{R}^{1 \times (L+1)}$	$\frac{1\times(L+1)\times H}{1\times H+(L+1)\times H+L+1} = \frac{H+LH}{2H+L+LH+1}$
10	$Z_i = \operatorname{score}_i V_i, i = 1, \dots n_h$	$score_i \in \mathbb{R}^{1 \times (L+1)}, V_i \in \mathbb{R}^{(L+1) \times H}$	$Z_i \in \mathbb{R}^{1 \times H}$	$\frac{(L+1)\times H}{L+1+(L+1)\times H+1\times H} = \frac{H+LH}{2H+L+LH+1}$
11	$Z = \text{Merge}_{-1} ([Z_1, Z_2 \dots, Z_{n_h}])$	$Z_i \in \mathbb{R}^{1 \times H}, i = 1, \dots n_h$	$Z \in \mathbb{R}^{1 \times D}$	-
12	Out = ZW^O	$Z \in \mathbb{R}^{1 \times D}$, $\mathbb{W}^O \in \mathbb{R}^{D \times D}$	Out $\in \mathbb{R}^{1 \times D}$	$\frac{1 \times D^2}{1 \times D + D^2 + 1 \times D} = \frac{D}{2 + D}$
13	$A = \text{Out } W^1$	Out $\in \mathbb{R}^{1 \times D}$, $W^1 \in \mathbb{R}^{D \times 4D}$	$A \in \mathbb{R}^{1 \times 4D}$	$\frac{1 \times 4D^2}{1 \times D + 4D^2 + 1 \times 4D} = \frac{4D}{5 + 4D}$
14	$A' = \operatorname{relu}(A)$	$A \in \mathbb{R}^{1 \times 4D}$	$A' \in \mathbb{R}^{1 \times 4D}$	-
15	$t' = A'W^2$	$A' \in \mathbb{R}^{1 \times 4D}$, $W^2 \in \mathbb{R}^{4D \times D}$	$t' \in \mathbb{R}^{1 \times D}$	$\frac{1 \times 4D^2}{1 \times 4D + 4D^2 + 1 \times D} = \frac{4D}{5 + 4D}$





- Algorithm optimization:
 - "Slightly" change the original computation at its bottleneck to make it run much faster;
- Decrease the I/O volume:
 - Model compression, i.e., quantization;
 - Knowledge distillation.
 - KV cache optimization.

Optimization Goal



- System optimization:
 - Improve the system efficiency without changing the original computation;
- What is the measurement for generative inference?
 - From the user's perspective:
 - First token generation latency;
 - Generation throughput;
 - From the system's perspective:
 - Serving throughput for each model replica;
 - SLO (service-level objective):
 - For example, 90% of the requests can be accomplished within 1.5X of the time when they are running alone on the same hardware.

Optimization Overview



- System optimization:
 - Improve the system efficiency without changing the original computation;
- General ideas
 - For each request, generate multiple tokens simultaneously:
 - Speculative decoding;
 - Parallel decoding.
 - For multiple requests, effectively batching them:
 - Continuous batching;
 - Disaggregated inference.



Speculative Decoding

Speculative Decoding Overview

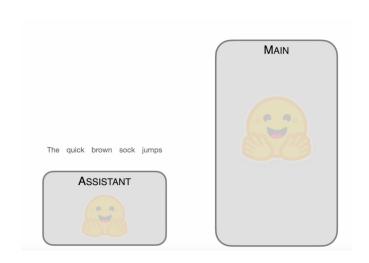


• Observation:

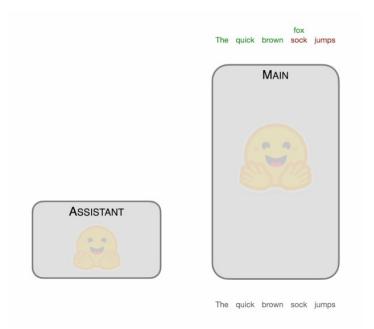
- A small <u>assistant/speculative model</u> very often generates the same tokens as the large original LLM (sometime s referred to as the <u>main/target model</u>).
- Speculative decoding overview:
 - The assistant model auto-regressively generates a sequence of N candidate tokens;
 - The candidate tokens are passed to the original LLM to be verified. The original model takes the candidate tokens as input and performs *a single forward pass*:
 - All candidate tokens up to the first mismatch are correct;
 - After the first mismatch, replace the first incorrect candidate token with the correct token from the main model (fox), and discard all predicted tokens that come after this mismatched token.
 - Repeat this process until the end condition is reached.

Speculative Decoding Example





1. The assistant model auto-regressively generates sequence: [The quick brown sock jumps].



2. The first three tokens predicted by the original LLM agree with those from the assistant model: [The quick brown]. However, the fourth candidate token from the assistant model (sock), mismatches with the correct token from the main model (fox).



MAIN

3. We replace the first incorrect candidate token (sock) with the correct token from the main model (fox) and discard all predicted tokens that come after this. The corrected sequence, [The quick brown fox] now forms the new input to the assistant model for the next step.





- We auto-regressively generate using the fast, assistant model, and only perform verification forward passes with the slow, main model, the decoding process is spedup substantially.
- The verification forward passes performed by the main model ensures that <u>exactly the</u> <u>same outputs are achieved</u> as if we were using the main model standalone.
- Trade-off:
 - "The assistant model should be significantly faster." V.S. "The assistant model should predict the same token distribution as often as possible."
 - Since 70-80% of all predicted tokens tend to be "easier" tokens, this trade-off is heavily biased towards selecting a faster model, rather than a more accurate one.





Example Code

```
from transformers import AutoModelForCausalLM, AutoTokenizer
prompt = "What is Apple?"
model id = "EleutherAI/pythia-160m"
assistant model id = "EleutherAI/pythia-14m"
tokenizer = AutoTokenizer.from pretrained(model id)
inputs = tokenizer(prompt, return tensors="pt")
model = AutoModelForCausalLM.from pretrained(model id)
assistant model = AutoModelForCausalLM.from pretrained(assistant model id)
outputs = model.generate(**inputs, max new tokens=20, assistant model=assistant model,
return dict in generate=True)
input length = inputs.input ids.shape[1]
token = outputs.sequences[0, input length+1:]
print(f"[INFO] raw token: {token}")
output = tokenizer.decode(token)
print(f"[Context]: {prompt} \n[Output]:{output}\n")
```





- We have two distribution now:
 - $x \sim p(x)$ sampling from the distribution of original model;
 - $x \sim q(x)$ sampling from the distribution of the assistant model;
- Speculative sampling:
 - To sample $x \sim p(x)$,
 - We instead sample from $x \sim q(x)$:
 - If $q(x) \le p(x)$, keep x;
 - Otherwise (q(x) > p(x)), reject the sample with probability $1 \frac{p(x)}{q(x)}$ and sample x again from an adjusted distribution p'(x).

$$p'(x) = \frac{p(x) - \min(q(x), p(x))}{\sum_{x'} (p(x') - \min(q(x'), p(x')))}$$

Fast Inference from Transformers via Speculative Decoding

Yaniy Leviathan *1 Matan Kalman *1 Yossi Matias

Inference from large autoregressive models like Transformers is slow - decoding K tokens takes K serial runs of the model. In this work we introduce speculative decoding - an algorithm to sample from autoregressive models faster without any changes to the outputs, by computing several tokens in parallel. At the heart of our approach lie the observations that (1) hard language-modeling tasks often include easier subtasks that can be approximated well by more efficient models, and (2) using speculative execution and a novel sampling method, we can make exact decoding from the large models faster, by running them in parallel on the outputs of the approximation models, potentially generating several tokens concurrently, and without changing the distribution. Our method can accelerate existing off-the-shelf models without retraining or architecture changes. We demonstrate it on T5-XXL and show a 2X-3X acceleration compared to the standard T5X implementation, with identical outputs.

Abstract

1. Introduction

Large autoregressive models, notably large Transformers (Vaswani et al. 2017), are much more capable than smaller models, as is evidenced countless times in recent years e.g., in the text or image domains, like GPT-3 (Brown et al. 2020), LaMDA (Thoppilan et al. 2022), DaT and Vi et al. 2022), and Pal.M (Chowdhery et al. 2022). Unfortunately, a single decode step from these larger models is significantly slower than a step from their smaller counterparts, and makings worse, these steps are done serially - decoding K tokens takes K serial runs of the model.

Given the importance of large autoregressive models and specifically large Transformers, several approaches were

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Proceedings of the 40th International Conference on Machine Learning, Honolulu, Hawaii, USA. PMLR 202, 2023. Copyright 2023 by the author(s).

developed to make inference from them faster. Some approaches aim to reduce the inference cost for all inputs equally (e.g. Hinton et al., 2015; Jaszczur et al., 2021; Hubara et al., 2016; So et al., 2021; Shazeer, 2019). Other approaches stem from the observation that not all inference steps are born alike - some require a very large model, while others can be approximated well by more efficient models. These adaptive computation methods (e.g. Han et al., 2021; Sukhbaatar et al., 2019; Schuster et al., 2021 Scardapane et al., 2020; Bapna et al., 2020; Elbayad et al. 2019 Schwartz et al. 2020) aim to use less compute resources for easier inference steps. While many of these solutions have proven extremely effective in practice, they usually require changing the model architecture, changing the training-procedure and re-training the models, and don't maintain identical outputs.

The key observation above, that some inference steps are "harder" and some are "easier", is also a key motivator for our work. We additionally observe that inference from large models is often not bottlenecked on arithmetic operations, but rather on memory bandwidth and communication, so additional computation resources might be available. Therefore we suggest increasing concurrency as a complementary approach to using an adaptive amount of computation. Specifically, we are able to accelerate inference without changing the model architectures, without changing the training-procedures or needing to re-train the models, and without changing the model output distribution. This is accomplished via speculative execution.

Speculative execution (Burton) [1985] Hennessy & Patterson [2012) is an optimization technique, common in processors, where a task is performed in parallel to verifying if it's actually needed - the payoff being increased concurrency. A well-known example of speculative execution is branch prediction. For speculative execution to be effective, we need an efficient mechanism to suggest tasks to execute that are likely to be needed. In this work, we generalize speculative execution to the stochastic setting - where a task might be needed with some probability. Applying this to decoding from autoregressive models like Transformers, we sample generations from more efficient approximation models as speculative prefixes for the slower target models. With a novel sampling method, speculative sampling, we maximize the probability of these speculative tasks to

https://arxiv.org/pdf/2211.17192.pdf





- If the assistant model is asked to output the length m draft sequence, and the original LLM accepts n, n < m, the (m n) tokens are automatically discarded.
- If $n \ll m$, every LLM forward leads to only a limited number of tokens being decoded.
- Optimization, e.g., [SpecInfer https://arxiv.org/pdf/2305.09781.pdf]:
 - Let the assistant model(s) sample multiple plausible draft sequences for the original LLM to evaluate in parallel.
 - Sampling from multiple small assistant model drafts.
 - Organize the draft sequences as a tree to reuse the KV-cache. [Tree Attention]



Parallel Decoding

Parallel Decoding Overview



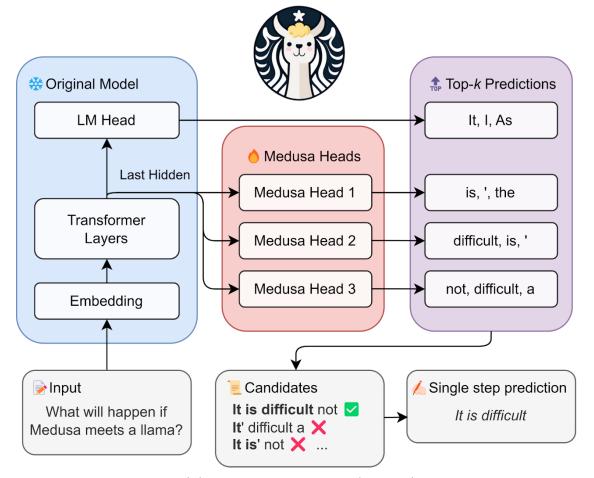
- Speculative decoding generates multiple token sequences using the assistant model for verification by the original LLM.
- <u>Parallel decoding</u> enables multiple token predictions directly from one forward pass of the original LLM.
- How to enable this?
 - [Medusa https://arxiv.org/pdf/2401.10774.pdf, https://github.com/FasterDecoding/Medusa]
 - Medusa heads (last layer projection);
 - Tree Attention.







- Rather than pulling in an entirely new assistant model to predict subsequent tokens, Medusa simply extends the original LLM itself.
- Medusa heads are the additional decoding heads built on top of the last hidden states of the LLM, enabling the prediction of several subsequent tokens in parallel.
- Each Medusa head is a single layer of feedforward network, augmented with a residual connection.
- Training these heads is straightforward: for a relatively small dataset, the original model remains static; only the Medusa heads are updated.

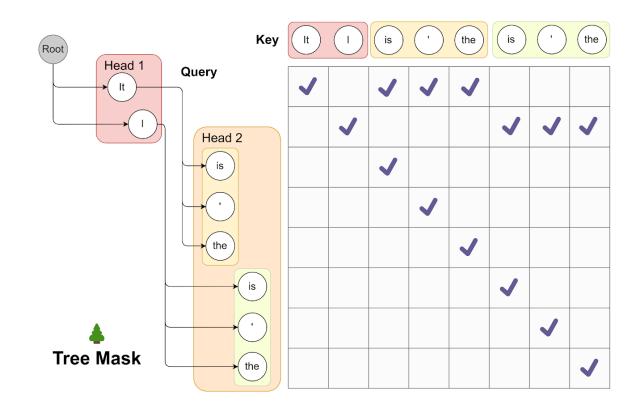


https://www.together.ai/blog/medusa

Tree Attention



- Tree Attention in Medusa:
 - The top-1 accuracy for predicting the 'next-next' token hovers around 60%;
 - The top-5 accuracy soars to over 80%.
 - This substantial increase indicates that leveraging the multiple top-ranked predictions made by the Medusa heads can significantly amplify the number of tokens generated per decoding step.
 - Construct the Cartesian product of the top predictions from each Medusa head and encode the dependency graph into the attention.

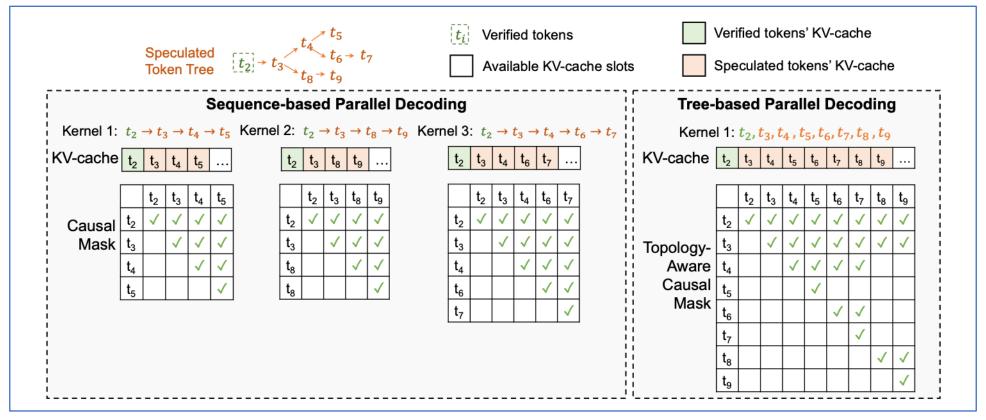


Modified from https://www.together.ai/blog/medusa to avoid confusion when compared with SpecInfer





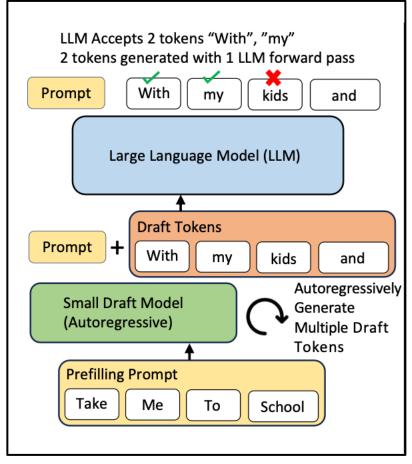
• A similar idea can also be leveraged in speculative decoding when you organize multiple sequences as a prefix tree.



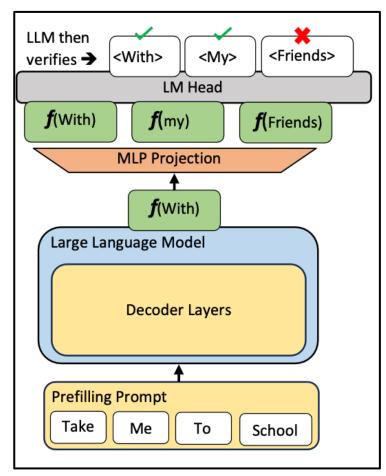
[Figure from SpecInfer.]







Speculative Decoding



Parallel Decoding



Continuous Batching





- The naïve approach is static batching:
 - The size of the batch remains constant until the inference is complete.
- Issue:
 - The inference process of an LLM is iterative.
 - Some requests may 'end' before the completion of the batch
 - This means that the GPU may be underutilized.

T, T2 T3 T4 T5 T6 T9 T8	T, T2 T3 T4 T5 T6 T7 T8
Si Si Si	S. S. S. S. S.
Sa Sa Sa	Sa Sa Sa Sa Sa Sa Sa END
Sy Sy Sy Sy	Sy Sy Sy EUD
Sy Sy Sy Sy	Sy Sy Sy Sy





- Orca: https://www.usenix.org/conference/osdi22/presentation/yu
- Key idea:
 - Instead of waiting until every sequence in a batch has completed generation, Orca implements iteration-level scheduling;
 - Once a sequence in a batch has completed generation, a new sequence can be inserted in its place;
 - Higher GPU utilization than static batching.

T,	Tz	T3	Ty	Ts	To	To	TB
Si	Si	Si	SAL				
Si	Sz	SX					
S ₃	Si	Si	S				
Sy	Sy	Sy	Sy	Sy			

T_{i}	Tz	T3	Ty	Ts	T6	To	Tg
Si	Si	Si	SA	\$,	EM	8	SG
Sa	Sz	SX	SX	Si	SA	SA	END
S_3	Si	Si	S	END	Ss	55	85
Sy	Sy	Sy	Sy	Sy	Sy	end	Sy



Disaggregated Inference



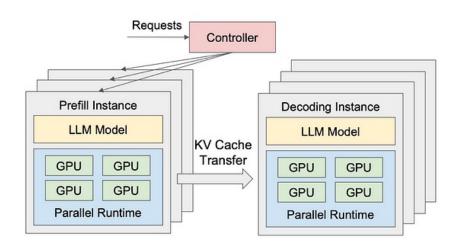


- Issues with batching based approach:
 - Prefill:
 - Computation-bounded => Batching's benefit is marginal;
 - Decoding:
 - Memory-bounded => Batching's benefit is significant.
 - Prefill-decoding interference:
 - You feel some sudden stall for some output token when you are using the streaming inference API.
 - Perhaps this is when a new request's prefill step is injected to your batch for decoding.





- DistServe:
 - https://www.usenix.org/system/files/osdi24-zhong-yinmin.pdf
- Key ideas:
 - Prefill computation on some GPUs;
 - Decoding computation on some other GPUs;
 - Prefill and decoding instances can have different parallel configurations;
 - Dynamic configuration of the prefill / decoding ratio;
 - Overhead: KV-cache communication.



References



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- https://medium.com/@yohoso/llm-inference-optimisation-continuous-batching-2d66844c19e9
- https://www.usenix.org/conference/osdi22/presentation/yu
- https://www.usenix.org/system/files/osdi24-zhong-yinmin.pdf