

DEPARTMENT OF COMPUTER SCIENCE & ENGINEERING



MoE- & Long Sequence-Parallel Training

COMP4901Y

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MoE Parallelism

Mixture of Expert

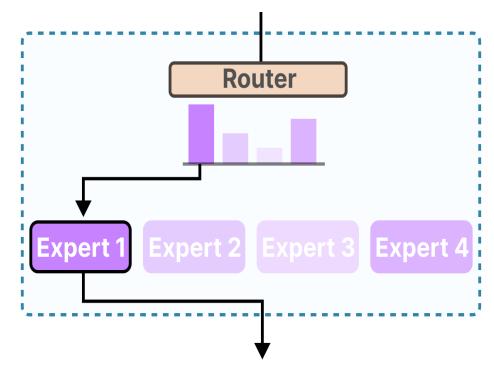


• <u>Intuitive idea of MoE</u>:

• Divide a large model or layer into multiple smaller sub-networks, known as "experts," each specializing in different aspects of the input data or task.

• MoE components:

- Router (Gating Network): This component determines which experts to activate for a given input.
- Experts: individual neural sub-networks trained to handle specific subsets or patterns within the data.

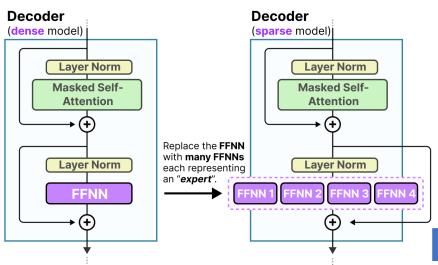


• Benefit:

• Unlike traditional dense models, where all parameters are activated for every input, MoE models use conditional computation to activate only a subset of experts relevant to a specific input.

Replace MLP with MoE in TransformerBlocks





Dense MLP

Computation	Input	Output
$A = \text{Out } W^1$	Out $\in \mathbb{R}^{B \times L \times D}$, $\mathbb{W}^1 \in \mathbb{R}^{D \times 4D}$	$A \in \mathbb{R}^{B \times L \times 4D}$
$A' = \operatorname{relu}(A)$	$A \in \mathbb{R}^{B \times L \times 4D}$	$A' \in \mathbb{R}^{B \times L \times 4D}$
$X' = A'W^2$	$A' \in \mathbb{R}^{B \times L \times 4D}$, $\mathbb{W}^2 \in \mathbb{R}^{4D \times D}$	$X' \in \mathbb{R}^{B \times L \times D}$

MoE

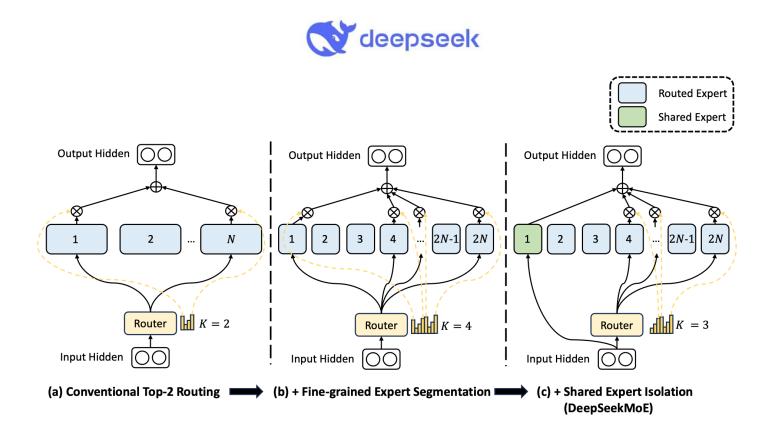
Computation	Input	Output
$S = softmax(Out W^G)$	Out $\in \mathbb{R}^{B \times L \times D}$, $\mathbf{W}^G \in \mathbb{R}^{D \times E}$	$S \in \mathbb{R}^{B \times L \times E}$
$G_{i,j,k} = \begin{cases} S_{i,j,k} & \text{if } S_{i,j,k} \text{ in TopK}(S_{i,j,:}) \\ 0, & \text{otherwise} \end{cases}$	$S \in \mathbb{R}^{B \times L \times E}$	$G \in \mathbb{R}^{B \times L \times E}$
$A_k = \text{Out } W_k^1, k = 1, 2,, E$	Out $\in \mathbb{R}^{B \times L \times D}$, $\mathbb{W}_{k}^{1} \in \mathbb{R}^{D \times H_{E}}$	$A_k \in \mathbb{R}^{B \times L \times H_E}$
${A_k}' = \operatorname{relu}(A_k)$, $k = 1, 2,, E$	$A_k \in \mathbb{R}^{B \times L \times H_E}$	${A_k}' \in \mathbb{R}^{B \times L \times H_E}$
$B_k = A_k' W^2, k = 1, 2,, E$	$A_k' \in \mathbb{R}^{B \times L \times H_E}$, $\mathbb{W}_k^2 \in \mathbb{R}^{H_E \times D}$	$B_k \in \mathbb{R}^{B \times L \times D}$
$X' = \sum_{k=1}^{E} G_{:,:,k} * B_k$	$G \in \mathbb{R}^{B \times L \times E}$, $B_k \in \mathbb{R}^{B \times L \times D}$	$X' \in \mathbb{R}^{B \times L \times D}$

- *B* is the batch size;
- *L* is the sequence length;
- *D* is the model dimension;
- *E* is the number of experts;
- *K* is the number of activated experts;
- $H_E \ll D$ is the intermediate dimension of each expert.
- Noted that this formulation is only for explaining the computation, in practice we use the routing results as the input for each expert.



RELAXED SYSTEM LAB

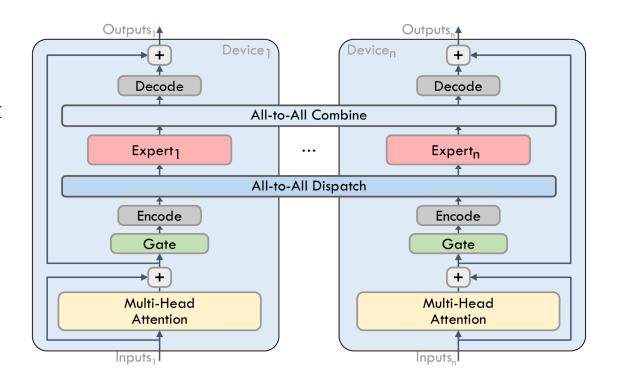
- Finely segmentation: segmenting the experts into mN ones and activating mK from them is better than segmenting the experts into N ones and activating K from them, which allows for a more flexible combination of activated experts;
- Shared expert: isolating some experts as shared ones, aiming at capturing common knowledge and mitigating redundancy in routed experts.







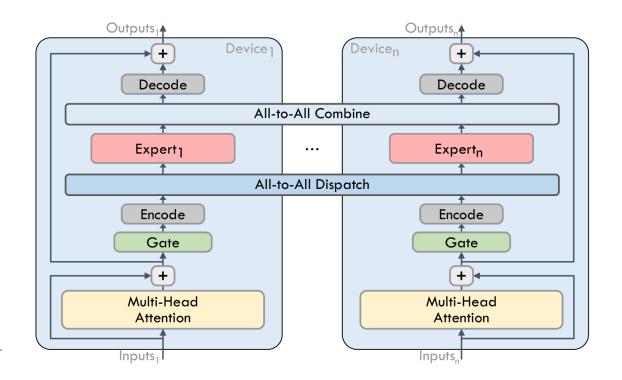
- How to parallelize the MoE training?
- Basic idea: extend standard data parallelism:
 - The experts (FFNs) are placed on different GPUs, e.g., if there is E expert and the expert parallel degree is d_{EP} , then each GPU handles $\frac{E}{d_{EP}}$ experts in parallel;
 - The rest parts of the model are duplicated on those GPUs running standard data parallelism.







- In the forward pass:
 - Two AlltoAll operations to communicate the activations:
 - One AlltoAll operation dispatches the routed activations in the current data batch to the corresponding experts;
 - One AlltoAll operation combines the computed expert output in the data batch that needs to be processed by the device.
 - Notice that there could be a little additional overhead to first share the shape of the dispatch tensors.



AlltoAll Communication



torch.distributed.all_to_all(output_tensor_list, input_tensor_list, group=None, async_op=False) [SOURCE]

Scatters list of input tensors to all processes in a group and return gathered list of tensors in output list.

Complex tensors are supported.

Parameters

- **output_tensor_list** (*list*[*Tensor*]) List of tensors to be gathered one per rank.
- input_tensor_list (list[Tensor]) List of tensors to scatter one per rank.
- group (ProcessGroup, optional) The process group to work on. If None, the default process group will be
 used.
- async_op (bool, optional) Whether this op should be an async op.

Returns

Async work handle, if async_op is set to True. None, if not async_op or if not part of the group.

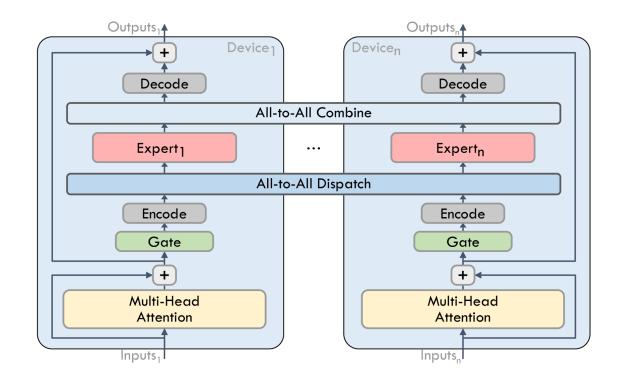
```
>>> input
tensor([0, 1, 2, 3, 4, 5])
                                                                  # Rank 0
tensor([10, 11, 12, 13, 14, 15, 16, 17, 18])
                                                                  # Rank 1
tensor([20, 21, 22, 23, 24])
                                                                  # Rank 2
tensor([30, 31, 32, 33, 34, 35, 36])
                                                                  # Rank 3
>>> input splits
[2, 2, 1, 1]
                                                                  # Rank 0
[3, 2, 2, 2]
                                                                  # Rank 1
[2, 1, 1, 1]
                                                                  # Rank 2
[2, 2, 2, 1]
                                                                  # Rank 3
>>> output splits
[2, 3, 2, 2]
                                                                  # Rank 0
[2, 2, 1, 2]
                                                                  # Rank 1
[1, 2, 1, 2]
                                                                  # Rank 2
                                                                  # Rank 3
[1, 2, 1, 1]
>>> input = list(input.split(input_splits))
>>> input
[tensor([0, 1]), tensor([2, 3]), tensor([4]), tensor([5])]
                                                                              # Rank 0
[tensor([10, 11, 12]), tensor([13, 14]), tensor([15, 16]), tensor([17, 18])] # Rank 1
[tensor([20, 21]), tensor([22]), tensor([23]), tensor([24])]
                                                                              # Rank 2
[tensor([30, 31]), tensor([32, 33]), tensor([34, 35]), tensor([36])]
                                                                              # Rank 3
>>> output = ...
>>> dist.all_to_all(output, input)
>>> output
[tensor([0, 1]), tensor([10, 11, 12]), tensor([20, 21]), tensor([30, 31])]
                                                                             # Rank 0
[tensor([2, 3]), tensor([13, 14]), tensor([22]), tensor([32, 33])]
                                                                              # Rank 1
[tensor([4]), tensor([15, 16]), tensor([23]), tensor([34, 35])]
                                                                              # Rank 2
[tensor([5]), tensor([17, 18]), tensor([24]), tensor([36])]
                                                                              # Rank 3
```

Each chunk is **NOT** necessary to have the same shape.





- In the backward pass:
 - Two AlltoAll operations to communicate the corresponding gradients of the activations back to the original device.
 - AllReduce operations to synchronize the gradients of non-expert model weights.



MoE Load Balance



- Automatically learned routing strategies may encounter the issue of load imbalance:
 - Routing collapse: the model always selects only a few experts, preventing other experts from sufficient training.
 - <u>Computation inefficiency</u>: the computation load can vary in different devices, where the device handles the most tokens becomes the bottleneck.
- Solution: add some load balance loss during training (T is the total tokens in a batch, E is the number of experts, $S_{t,i}$ is the routing score for token t of expert i):

$$\mathcal{L}_{bal} = \sum_{i=1}^{E} f_i P_i$$

$$f_i = \frac{E}{KT} \sum_{t=1}^{T} \mathbb{I}(\text{Token } t \text{ selects Expert } i),$$

$$P_i = \sum_{t=1}^{T} S_{t,i}$$

Summary of MoE



- Most of the state-of-the-art model is based on MoE architectures:
 - E.g., Deepseek-V3, Mixtral, rumor about OpenAI GPT-4.
- MoE parallelism can be viewed as an extension of data parallelism:
 - Experts are distributed across different devices;
 - Non-expert parts are running standard data parallelism.
- Issue about load-balance.



Parallelism for Long Sequence Training

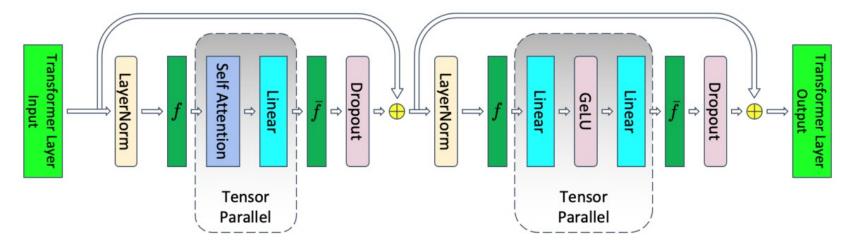




- The current LLM can be equipped with an extremely long context length, e.g., 128K, or 1M tokens;
- Even we have only one sample in the batch, there is heavy computations. We have to extend the current parallel strategies to:
 - Distributed the computation load;
 - Reduce the memory footprint.







In standard tensor model parallelism:

f is no operation in the forward pass and AllReduce in the backward pass.

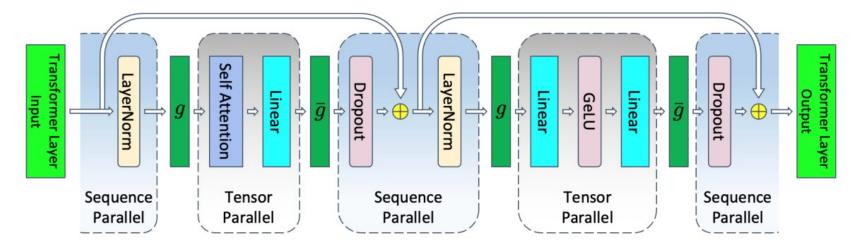
 \bar{f} is AllReduce in the forward pass and no operation in the backward pass.

• Key observation:

- All the activations in the non-tensor parallel regions of a transformer layer are duplicated, e.g., after the AllReduce operation.
- These operations are independent along the sequence dimension.
- This characteristic allows us to partition these regions along the <u>sequence dimension</u>.







In tensor model parallelism combined with sequence parallelis:

g is AllGather operation in the forward pass and ReduceScatter in the backward pass.

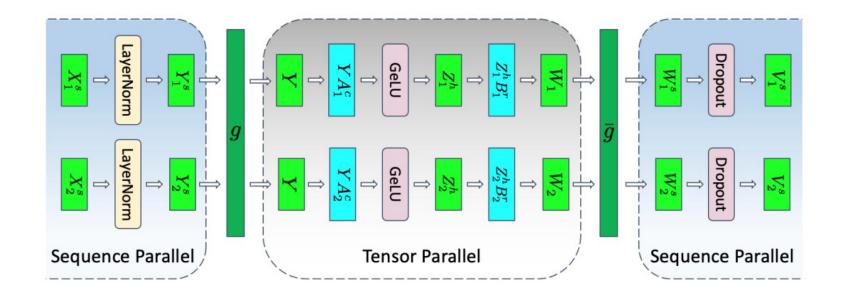
 \bar{g} is ReduceScatter in the forward pass and AllGather operation in the backward pass.

- Sequence parallelism is an extension of the previous tensor model parallelism:
- Partitioning along the sequence dimension reduces the memory required for the activations. This extra level of parallelism introduces new collective communication paradigm.





• This is the concrete partition of the MLP with a parallel degree as 2.



g is AllGather operation in the forward pass and ReduceScatter in the backward pass. \bar{g} is ReduceScatter in the forward pass and AllGather operation in the backward pass.

Deepspeed-Ulysses



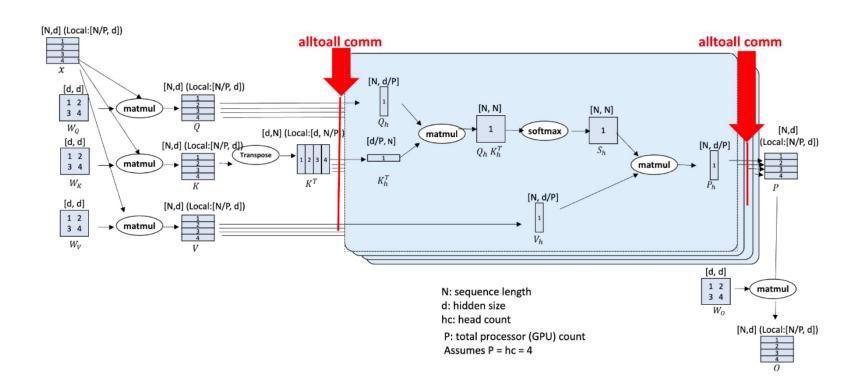
- Limitation of Megatron sequence parallelism: In Megatron sequence parallelism, it has to be combined with tensor model parallelism.
- Deepspeed proposed another way of distributing the long sequence parallel training:
 - A modification of data parallelism: instead of partition the batch by data samples, Ulysses partitions the batch by sequence dimension.
 - Model parameters are duplicated among all devices.
 - Activation tensors along the sequence dimension across multiple GPUs.
 - Everything except attention computation is straight-forward. The core question is about *how to accomplish the attention computation if we split the sequence?*

Deepspeed-Ulysses



• Core idea:

- Partition the computation of attention heads among different GPUs;
- Use one All-to-All to shuffle the input Query, Key, Value;
- Use one All-to-All to collect the corresponding output.

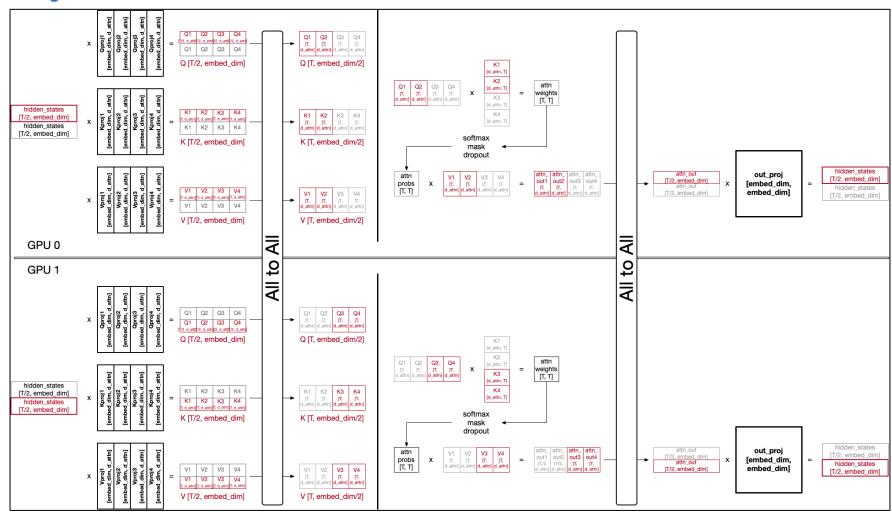


Deepspeed-Ulysses



Core idea:

- Partition the computation of attention heads among different GPUs;
- Use one All-to-All to shuffle the input Query, Key, Value;
- Use one All-to-All to collect the corresponding output.







• Forward pass:

- Before computing the attention mechanism, one AlltoAll operation redistributes the partitioned queries, keys, and values such that each GPU receives the full sequence data for the device's subset of attention heads.
- After computing the attention mechanism, one AlltoAll operation to recover the partition of activations along the sequence dimension.

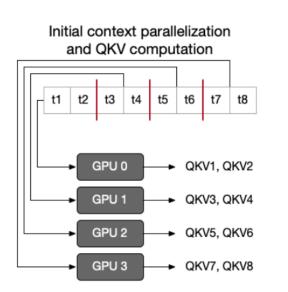
• Backward pass:

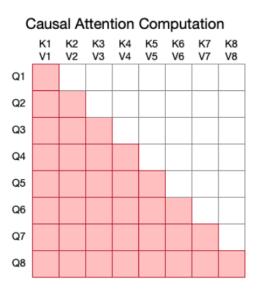
- Two corresponding AlltoAll operations to send back the corresponding gradients of the activations.
- Standard AllReduce operations for all gradient synchronization of the model parameters in data parallelism.

Ring Attention/Megatron Context Parallelism



- Limitation of Deepspeed-Ulysses: the parallel degree is limited by the number of attention heads, we cannot add more devices to further scaling out the computation.
- Ring attention computation for the attention mechanism:
 - Split the data by sequence dimension;
 - Iteratively accumulate local attention results by iterating Q and K/V as a nested loop;
 - Each GPU holds a portion of queries, and sends its keys and values to the next GPU and receives them from the previous GPU (ring).



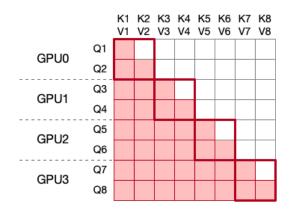


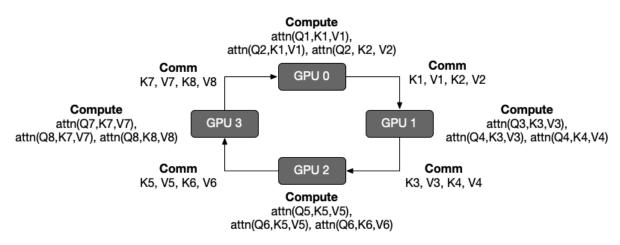
https://insujang.github.io/2024-09-20/introducing-context-parallelism



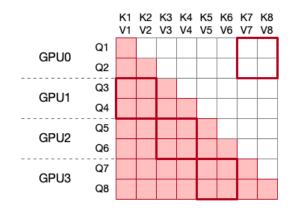


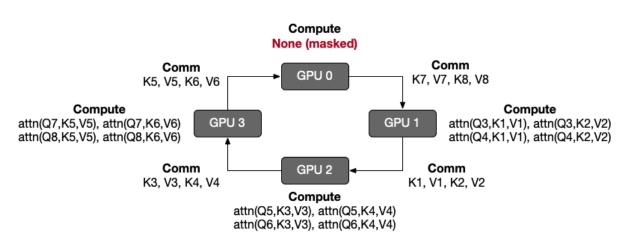
Round 1





Round 2

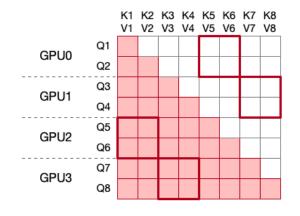


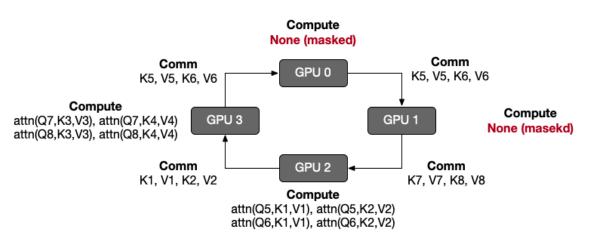


Ring Attention

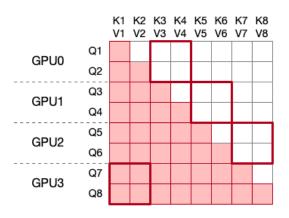


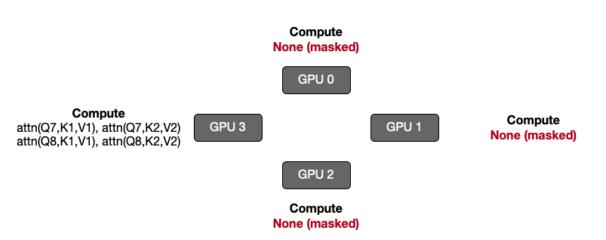
Round 3





Round 4

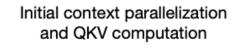


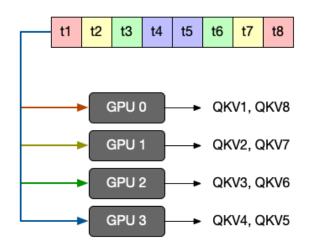






- A trivial issue to be fixed in Ring Attention: the load-balance in each iteration:
- Megatron context parallelism implementation: an optimization not to compute unnecessary masked parts to balance the workflow.

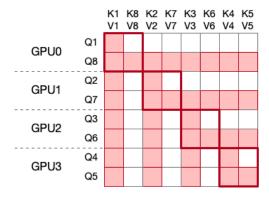


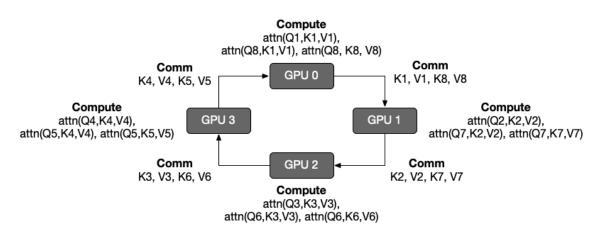




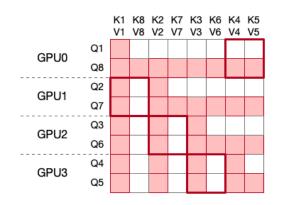


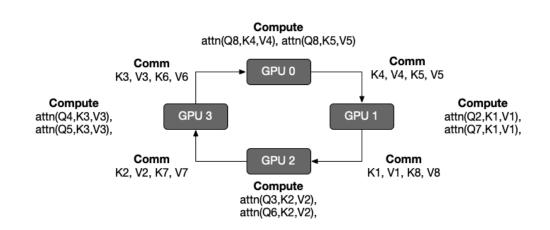






Round 2

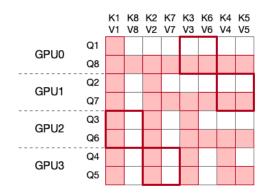


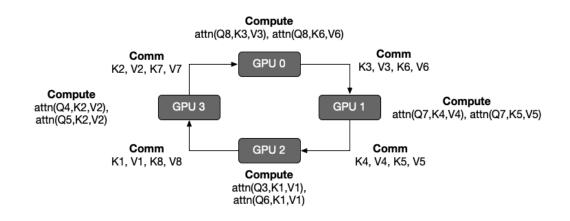




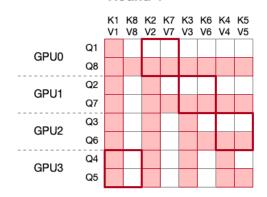


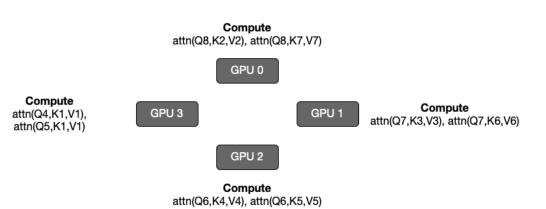
Round 3





Round 4





References



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- https://insujang.github.io/2024-09-20/introducing-context-parallelism/