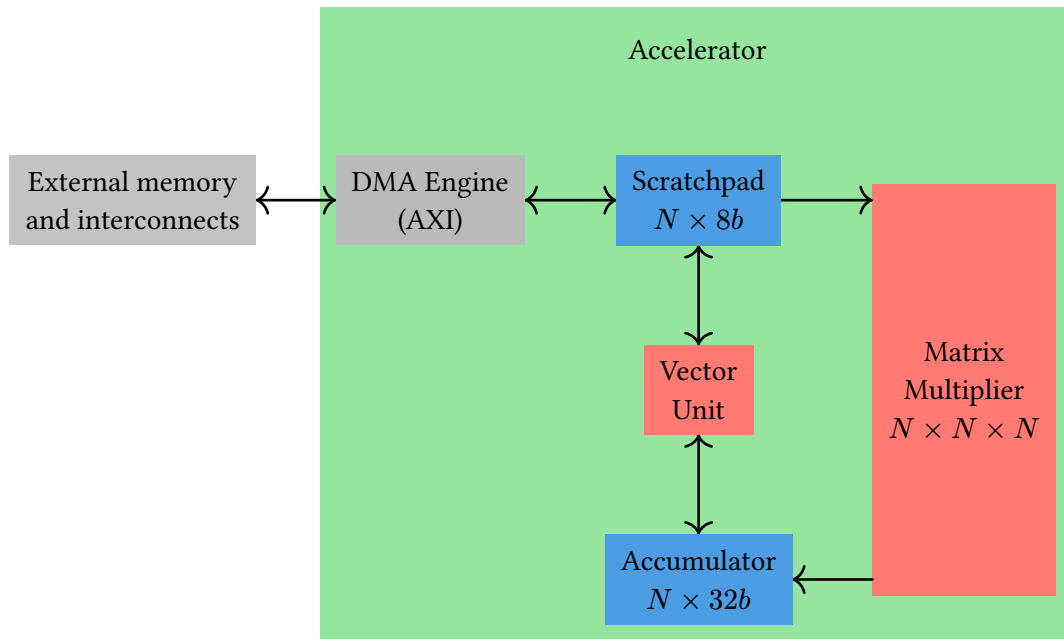


## High level overview of the architecture



**Figure 1:** architectural diagram of the accelerator

The accelerator is build over two memories:

- The “scratchpad”, this memory contains vectors of  $N$  elements of 8-bits, it is used to load the weights and the inputs from the external memory to the matrix multiplication unit. The registers corresponding to this memory are represented using the letters  $x_0, x_1, x_2 \dots$
- The “accumulator”, this memory contains vectors of  $N$  elements of 32-bits, it is used to accumulate the results from the matrix multiplier, and as an intermediate memory for the some of activation functions. The registers corresponding to this memory are represented using the letters  $y_0, y_1, y_2 \dots$

Then the vector unit can load data from the scratchpad and the accumulator to perform intermediate computations. As example, in a convolutional neural network, it can load the value  $X$  from the accumulator, and write  $\text{clip}(-128, 127, \text{relu}(X) \gg \log\_scale)$  back to the scratchpad to perform a relu layer and convert the outputs to 8-bit values.

## Instruction set architecture

### Register group

Vectors in the scratchpad and accumulator are named registers, written  $x_0, x_1, \dots$  for the registers in the scratchpad, and  $y_0, y_1, \dots$  for the ones in the accumulator. As the ISA is CISC oriented, some operations may use contiguous set of registers (named register groups), as example  $x_0 \dots x_3$  represent the list of registers  $[x_0, x_1, x_2, x_3]$ , and  $y_4 \dots y_7$  represent the set of registers  $[y_4, y_5, y_6, y_7]$ . Each register group must start at an index less or equal than the one it finish at (e.e.  $x_2 \dots x_1$  is not a valid register group).

In addition  $x_k$  can be used to represent the register group  $x_k \dots x_k$  (and  $y_l$  represent  $y_l \dots y_l$ ).

### Memory operations

#### Description

- `load  $x_a \dots x_b$ , (addr)`: moves  $b+1-a$  vectors from the main memory to the scratchpad. The inputs address must be aligned. Each loaded vector is of size  $N \times 8b$ .

- `store  $x_a..x_b$ , (addr)`: moves  $b+1-a$  vectors from the scratchpad to the main memory. The inputs address must be aligned. Each vector is of size  $N \times 8b$ .

### Pesudo code

```
def load(destinations, address):
    for reg in destinations:
        scratchpad[reg] = memory[address]
        address += N

def store(destinations, address):
    for reg in destinations:
        memory[address] = scratchpad[reg]
        address += N
```

## Matrix operations

### Description

- `weights.set  $x_a..x_b$` : moves  $N$  vectors of size  $N \times 8b$  from the scratchpad to the matrix multiplication unit. Assume that  $b-a+1$  is equal to  $N$ .
- `multiply.set  $y_c..y_d$ ,  $x_a..x_b$` : multiply each vectors  $x_a..x_b$  by the matrix in the weights in the multiplication unit, and store the results in  $y_c..y_d$ .  $d - c$  must be equal to  $b - a$ .
- `multiply.acc  $y_c..y_d$ ,  $x_a..x_b$` : multiply each vectors  $x_a..x_b$  by the matrix in the weights in the multiplication unit, and accumulate the results in  $y_c..y_d$ .  $d - c$  must be equal to  $b - a$ .
- `multiply_reduce.set  $y_c$ ,  $x_a..x_b$` : multiply each vectors  $x_a..x_b$  by the matrix in the weights in the multiplication unit, sum of the results, and write it in  $y_c$ .
- `multiply_reduce.acc  $y_c$ ,  $x_a..x_b$` : multiply each vectors  $x_a..x_b$  by the matrix in the weights in the multiplication unit, sum of the results, and accumulate it in  $y_c$ .

### Pesudo code

```
def weights.set(sources):
    for row in range(N):
        weights[row] = scratchpad[sources[i]]
        address += N

def multiply_and_set(destinations, sources):
    for (dst, src) in zip(destinations, sources):
        accumulator[dst] = weights @ scratchpad[src]

def multiply_and_accumulate(destinations, sources):
    for (dst, src) in zip(destinations, sources):
        accumulator[dst] += weights @ scratchpad[src]

def multiply_reduce_and_set(dst, sources):
    acc = zeros
    for src in sources:
        acc += weights @ scratchpad[src]
    accumulator[dst] = acc

def multiply_reduce_and_accumulate(dst, sources):
    acc = accumulator[dst]
    for src in sources:
```

```
acc += weights @ scratchpad[src]
accumulator[dst] = acc
```

with @ the matrix multiplication operator.

## Vector operations

### Description

- `li  $x_a \dots x_b$ , imm` : load the constant value `imm` into all the elements of the vectors  $x_a \dots x_b$ . Really usefull to write zeros in a set of vectors.
- `li  $y_a \dots y_b$ , imm` : load the constant value `imm` into all the elements of the vectors  $y_a \dots y_b$ . Really usefull to write zeros in a set of vectors.
- `move  $x_c \dots x_d$ ,  $x_a \dots x_b$`  : move vectors from  $x_c \dots x_d$  to  $x_a \dots x_b$ . Assume d-c is equal to a-b. The destinations must not intersect the sources.
- `move  $y_c \dots y_d$ ,  $y_a \dots y_b$`  : move vectors from  $y_c \dots y_d$  to  $y_a \dots y_b$ . Assume d-c is equal to a-b. The destinations must not intersect the sources.
- `broadcast  $x_a \dots x_b$ ,  $x_c$`  : move vector from  $x_c$  to  $x_a \dots x_b$ .
- `broadcast  $y_a \dots y_b$ ,  $y_c$`  : move vector from  $y_c$  to  $y_a \dots y_b$ .
- `scale  $x_c \dots x_d$ ,  $y_a \dots y_b$ , imm` : scale and clip values at  $y_a \dots y_b$  from 32-bits to 8-bits using a scale of  $2^{**imm}$ , and store the results in  $x_c \dots x_d$ . Assume d-c is equal to a-b.
- `scale.relu  $x_c \dots x_d$ ,  $y_a \dots y_b$ , imm` : scale, clip values at  $y_a \dots y_b$  from 32-bits to 8-bits using a scale of  $2^{**imm}$ , and perform a relu operation. Store the results in  $x_c \dots x_d$ . Assume d-c is equal to a-b.

### Pseudo code

```
def li_scratchpad(destinations, imm):
    for dst in destinations:
        for i in range(N):
            scratchpad[dst][i] = imm

def li_accumulator(destinations, imm):
    for dst in destinations:
        for i in range(N):
            accumulator[dst][i] = imm

def move_scratchpad(destinations, sources):
    for (dst, src) in zip(destinations, sources):
        scratchpad[dst] = scratchpad[src]

def move_accumulator(destinations, sources):
    for (dst, src) in zip(destinations, sources):
        accumulator[dst] = accumulator[src]

def broadcast_scratchpad(destinations, src):
    val = scratchpad[src]
    for dst in destinations:
        scratchpad[dst] = val

def broadcast_accumulator(destinations, src):
    val = accumulator[src]
    for dst in destinations:
        accumulator[dst] = val
```

```
def scale(destinations, sources, imm):
    for (dst, src) in zip(destinations, sources):
        scratchpad[dst] = clip(-127, 128, accumulator[src] >> imm)

def scale_and_relu(destinations, sources, imm):
    for (dst, src) in zip(destinations, sources):
        scratchpad[dst] = clip(-127, 128, relu(accumulator[src])) >> imm)
```

### Example: fully connected layers

Let's assume that we have  $N=8$ , and we want to perform a two layer neural network, made of two fully connected layers with a relu operator in between. The first layer is of the form  $Y = \text{relu}(A \times X)$ , and the second layer is of the form  $Z = \text{relu}(B \times Y)$ . With  $A$  of size  $16 \times 16$ , and  $B$  of size  $8 \times 16$ .

We can decompose the matrix  $A$  and  $B$  in matrices of size  $8 \times 8$  using

$$A = \begin{pmatrix} A_{00} & A_{01} \\ A_{10} & A_{11} \end{pmatrix}, B = \begin{pmatrix} B_0 & B_1 \end{pmatrix}$$

Now we have:

$$\begin{pmatrix} Y_0 \\ Y_1 \end{pmatrix} = \text{relu} \left( \begin{pmatrix} A_{00} \times X_0 + A_{01} \times X_1 \\ A_{10} \times X_0 + A_{11} \times X_1 \end{pmatrix} \right)$$

$$Z = \text{relu}(B_0 \times Y_0 + B_1 \times Y_1)$$

And we can store the those data:

- $X$  is at address x: `*i8[16]`
- $Z$  is at address z: `*i8[8]`
- $A_{00}$  is at address a00 : `*i8[64]`
- $A_{01}$  is at address a01 : `*i8[64]`
- $A_{10}$  is at address a10 : `*i8[64]`
- $A_{11}$  is at address a11 : `*i8[64]`
- $B_0$  is at address b0 : `*i8[64]`
- $B_1$  is at address b1 : `*i8[64]`

```
; Load the weights
load x2..x9, (a00)
load x10..x17, (a01)
load x18..x25, (a10)
load x26..x33, (a11)
load x34..x41, (b0)
load x42..x49, (b1)

; Load X
load x0..x1, (x)

; Compute Y in x0..x1
weights.set x2..x9
multiply.set y0, x0
weight.set x10..x17
multiply.acc y0, x1
weight.set x18..x25
```

```

multiply.set y1, x0
weight.load x26..x33
multiply.set y1, x1

scale.relu x0..x1, y0..y1, scale0

; Compute Z in x0
weights.set x34..x41
multiply.set y0, x0
weights.load x42..x49
multiply.acc y0, x1

scale.relu x0, y0, scale1

; Store the result
store x0, (z)

```

Of course we don't use the accelerator at its full potential here because we use batch size of 1, we can also increase the size of the batches to improve the usage of each sub-matrix instead of re-loading the matrix into the array each time we use it.

## How to choose the scales?