(Debug)
$$ln[154]:= (* dy/dx == x/y, y[3] = 5 *)$$

(Debug)
$$ln[155]:= h[x_, y_] = \{y, x\};$$

(Debug) In[156]:= DSolve
$$[y'[x] = \frac{x}{v[x]}, y[x], x]$$

(Debug) Out[156]=

$$\left\{\left\{y\,[\,x\,]\to x^{1/3}\right\},\; \left\{y\,[\,x\,]\to -\; (-1)^{\,1/3}\,x^{1/3}\right\},\; \left\{y\,[\,x\,]\to\; (-1)^{\,2/3}\,x^{1/3}\right\}\right\}$$

(Debug) In[157]:= (* Resolvendo na mão

y dly == x dlx

$$\frac{y^2}{2} = \frac{x^2}{2} + C[1]$$

 $C[1] = \frac{y^2}{2} - \frac{x^2}{2}$

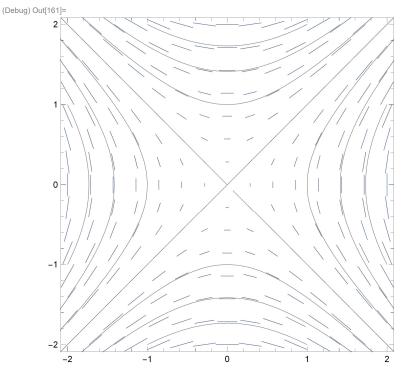
*)

(Debug) In[158]:=
$$\beta[x_{,}y_{]} = \frac{y^2}{2} - \frac{x^2}{2};$$

 $(\texttt{Debug}) \ \mathsf{In}[\mathsf{159}] = \ \textbf{contourPlot}[\beta[x,y], \{x,-2,2\}, \{y,-2,2\}, \mathsf{ContourShading} \rightarrow \mathsf{False}];$

 $(\texttt{Debug}) \; \mathsf{In}[\mathsf{160}] := \; \mathsf{stream0} = \mathsf{VectorPlot}[\; h[\; x, \; y] \;, \; \{x, \; -2, \; 2\} \;, \; \{y, \; -2, \; 2\} \;, \; \mathsf{VectorStyle} \; \rightarrow \; \{\mathsf{Arrowheads}[\; 0] \; \} \;] \; ; \; \mathsf{In}[\; \mathsf{In}[\; 160] := \; \mathsf{In}[\; \mathsf{In}[\; \mathsf{In}[\; 160] := \; \mathsf{In}[\; \mathsf{In}[\; 160] := \; \mathsf{In}[\; \mathsf{In}[\; \mathsf{In}[\; 160] := \; \mathsf{In}[\; \mathsf{In}[\; \mathsf{In}[\; 160] := \; \mathsf{In}[\; \mathsf{$

(Debug) In[161]:= Show[contornos0, stream0]



(Debug)
$$ln[162]$$
:= **DSolve** $\left[y'[x] = \frac{x}{y[x]}, y[x], x\right]$

(Debug) Out[162]=

$$\left\{\left\{y[x] \to x^{1/3}\right\}, \left\{y[x] \to -(-1)^{1/3} x^{1/3}\right\}, \left\{y[x] \to (-1)^{2/3} x^{1/3}\right\}\right\}$$

(Debug) In[163]:= (* Exemplo 2 pg. 361 *)

(Debug)
$$ln[164]:= (* dy/dx = \sqrt{x y} *)$$

(Debug)
$$ln[165]:= (* dy = \sqrt{x y} dx*)$$

(Debug)
$$ln[166]:= (* dy = \sqrt{x} \sqrt{y} dx*)$$

(Debug) In[167]:= (* Depois de integrar e obter y[x] *)

(Debug)
$$ln[168]:= (* y = (\frac{1}{3}X^{3/2} + \frac{1}{2}C[1])^2 *)$$

(Debug)
$$ln[169]$$
:= Solve $\left[y = \left(\frac{1}{3} x^{3/2} + \frac{1}{2} C[1] \right)^2, C[1] \right]$

(Debug) Out[169]=

$$\left\{ \left\{ C\, [\, 1\,] \, \rightarrow \, -\, \frac{2}{3}\, \left(x^{3/2} \, -\, 3\, \sqrt{y}\, \right) \, \right\} \text{, } \left\{ C\, [\, 1\,] \, \rightarrow \, -\, \frac{2}{3}\, \left(x^{3/2} \, +\, 3\, \sqrt{y}\, \right) \, \right\} \right\}$$

(Debug) In[170]:= contornos [x_, y_] :=
$$2y^{.5} - \frac{2}{3}x^{3/2}$$
;

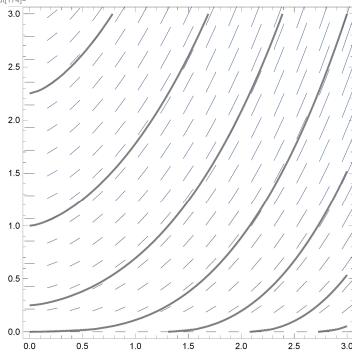
(Debug)
$$ln[171]:= a = ContourPlot[contornos[x, y], \{x, 0, 3\}, \{y, 0, 3\}, ContourShading \rightarrow False, ContourStyle \rightarrow {Thick}];$$

(Debug)
$$ln[172]:= \omega[x_, y_] := \{1, \sqrt{xy}\}$$

 $(Debug) \ln[173] = b = VectorPlot[\omega[x, y], \{x, 0, 3\}, \{y, 0, 3\}, VectorStyle \rightarrow Arrowheads[0]];$

(Debug) In[174]:= **Show[a, b]**

(Debug) Out[174]= 3.0



(Debug) In[175]:= (* Apenas as duas soluções *)

(Debug)
$$ln[176]:= (* p1 = {0, 1} e p2 = {2, 2} *)$$

(Debug)
$$ln[177]:= p1 = \{0, 1\};$$

(Debug)
$$ln[178] = p2 = \{2, 2\};$$

```
(Debug) In[179]:= contornos [0, 1]
(Debug) Out[179]=
        2.
(Debug) In[180]:= contornos [2, 2]
(Debug) Out[180]=
        0.942809
(Debug) ln[181]:= duasSols = ContourPlot[{contornos[x, y] == 2, contornos[x, y] == 0.9428090415820636`},
                \{x, 0, 3\}, \{y, 0, 3\}, ContourStyle \rightarrow \{Blue, Red\}\};
(Debug) In[182]:= doisPontos = Graphics[{PointSize[Large], Magenta, Point[{p1, p2}]}];
(Debug) In[183]:= r1 = Graphics[Text["(0, 1)", {.25, .75}]];
(Debug) ln[184] = r2 = Graphics[Text["(2, 2)", {2.25, 1.75}]];
(Debug) In[185]:= Show[b, duasSols, doisPontos, r1, r2]
(Debug) Out[185]=
        3.0
        2.5
        2.0
        1.5
        1.0
                  (0, 1)
        0.5
        0.0
                       0.5
               0.0
                              1.0
                                    1.5 2.0
                                                       2.5
                                                                3.0
```

 $\label{eq:continuous} $$ (Debug) \ln[186]:= Show[StreamPlot[\{x,y\},\{x,-1,1\}, \{y,-1,1\}, StreamStyle \rightarrow \{RGBColor[0.35,0.81,0.5]\}], $$ VectorPlot[\{x,y\},\{x,-1,1\},\{y,-1,1\}]] $$ $$ (Debug) \ln[186]:= Show[StreamPlot[\{x,y\},\{x,-1,1\}, \{y,-1,1\}]] $$ (Debug) \ln[186]:= Show[StreamPlot[\{x,y\},\{x,-1,1\}, \{y,-1,1\}]] $$ (Debug) \ln[186]:= Show[StreamPlot[\{x,y\}, \{x,-1,1\}, \{x,-1,1$

