

High-precision calculations for W+charm at the LHC

Rene Poncelet

based on 2011.01011, 2205.11879, 2212.00467 and 2308.02285
and preliminary Les Houches studies



THE HENRYK NIEWODNICZAŃSKI
INSTITUTE OF NUCLEAR PHYSICS
POLISH ACADEMY OF SCIENCES

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Outline

- Phenomenological motivation

- Vector bosons + flavoured jets
- Infrared safety/sensitivity

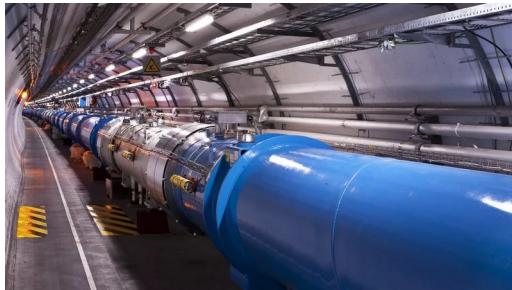
- NNLO QCD Phenomenology with W+c-jets

- Flavoured (anti- k_T) jet algorithms

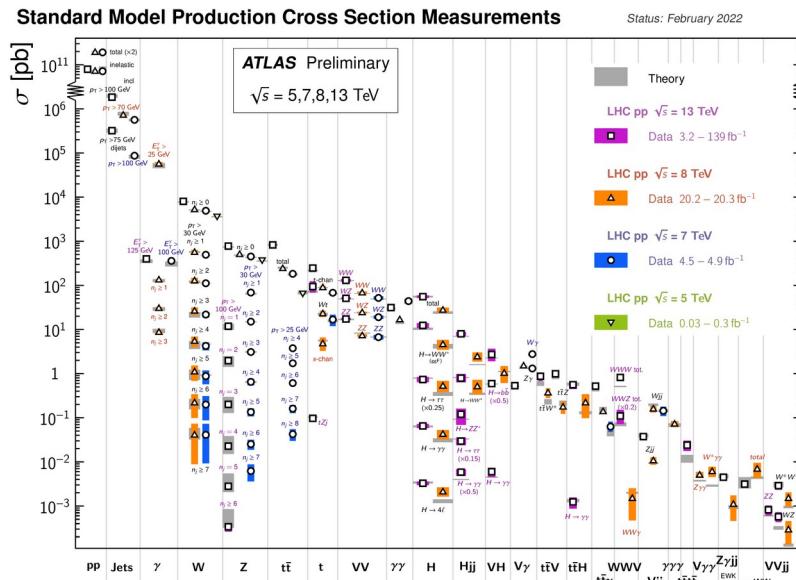
- Definition & Comparison

What are the fundamental building blocks of matter?

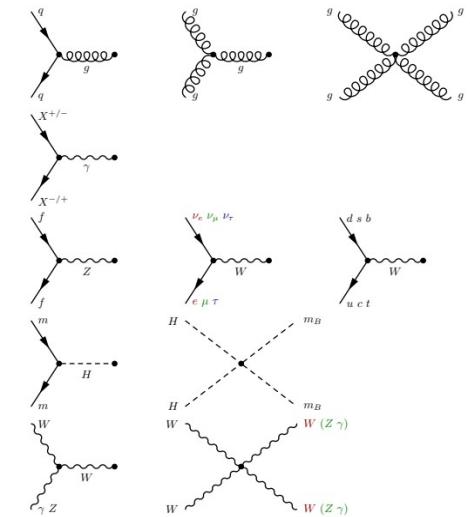
Scattering experiments



Credit: CERN

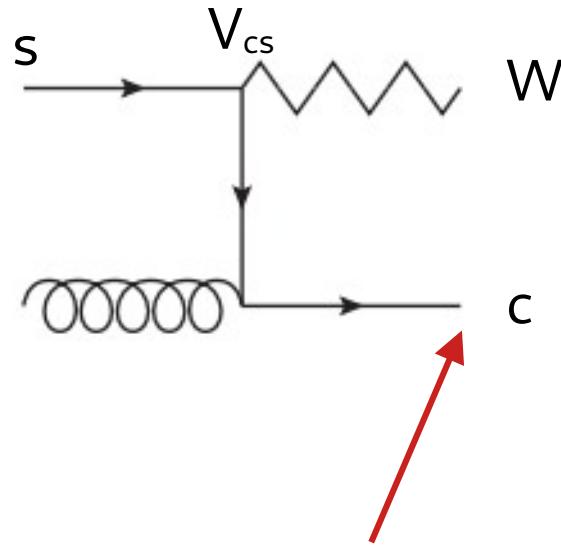


Theory/Model



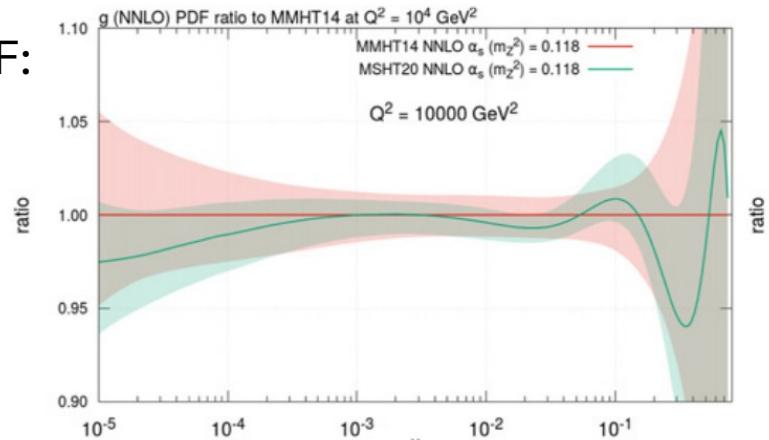
Looking into more exclusive observables ("flavoured jets")
with more precision ("higher order corrections").

$W + \text{charm jet}$

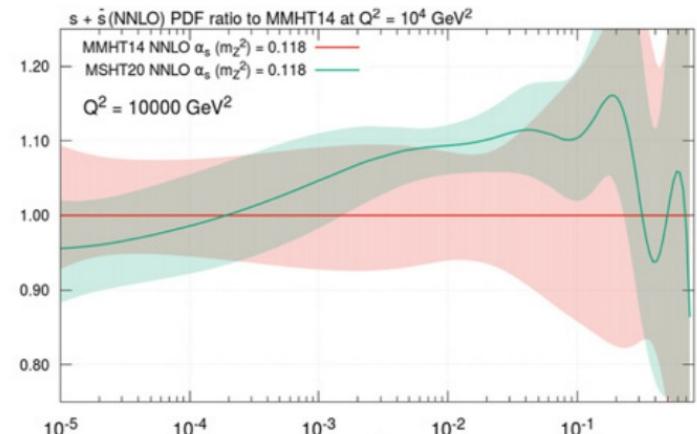


Tagging of charm jet
to increase sensitivity
to strange quark PDF

gluon PDF:



$s+s$ PDF:



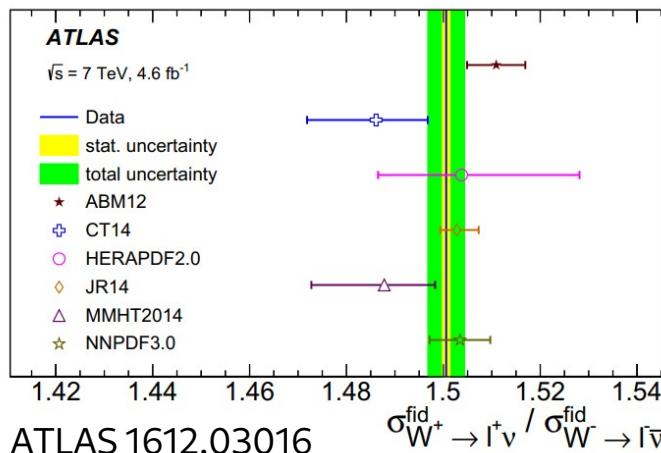
PDF4LHC22 [2203.05506]

$W + \text{charm jet}$

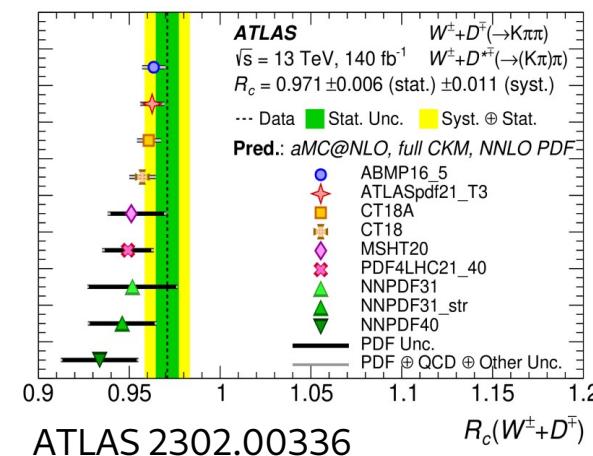
Could solve long-standing puzzle:
Strange – anti – strange asymmetry

- pQCD: Three loop SM prediction $q \rightarrow q' \neq q \rightarrow \bar{q}'$ small effect $\langle x(s-\bar{s}) \rangle \sim 10^{-4}$
- Size of non-perturbative effect unknown

7 TeV analysis favours $s \neq \bar{s}$

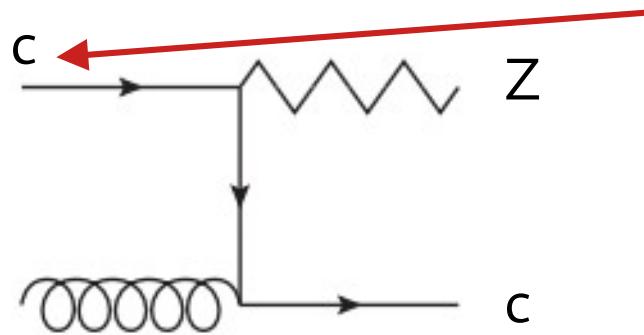


13 TeV analysis favours $s = \bar{s}$



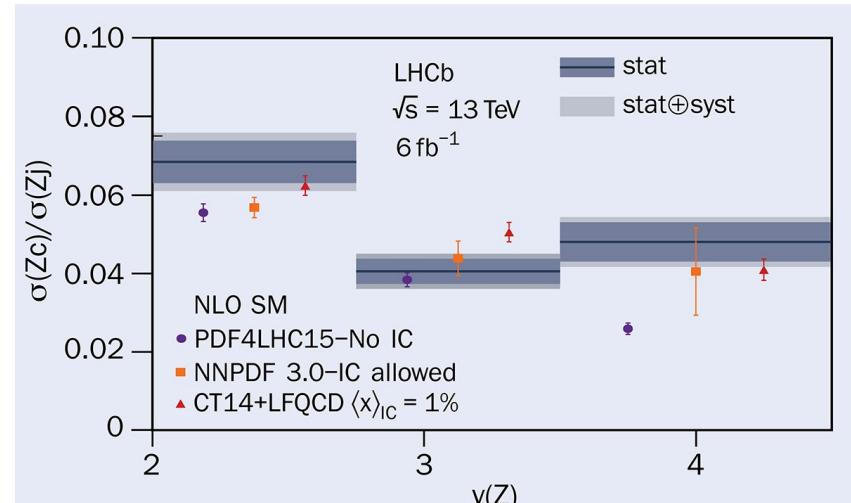
All at NLO QCD
higher order corrections needed to fit properly the PDF

Z + charm jet



Similar to W+charm but for charm PDF

Intrinsic charm component?
Clarification needs
→ higher order corrections
→ charm jet definition



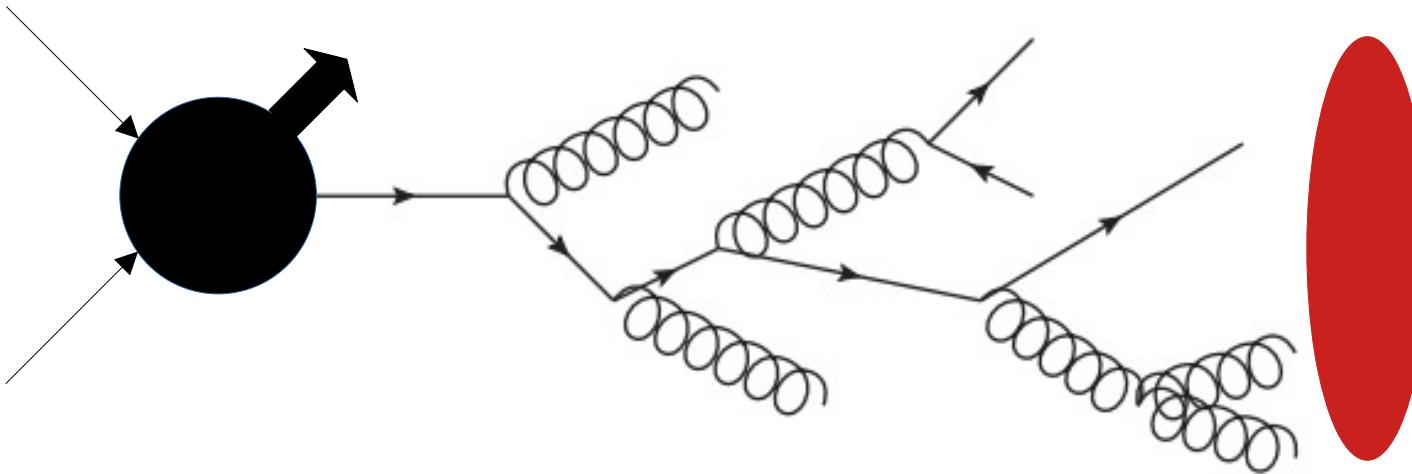
CERN/LHCb 2109.08084

Flavoured jets are everywhere

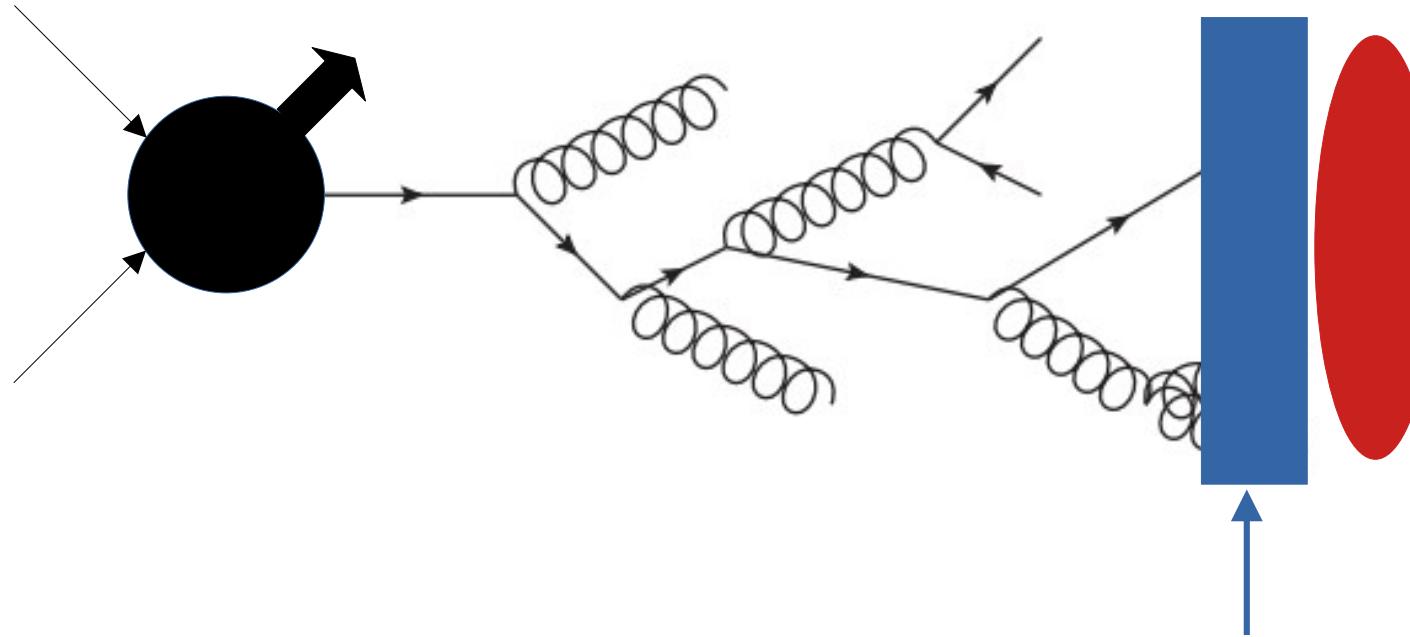
V+heavy-flavour as benchmark for flavour tagging

- Heavy-quark evolution: fragmentation and hadronisation
- IR safety/sensitivity
- Flavoured jets as signature:
 - Top-quarks
 - Vector+heavy flavour: $pp \rightarrow W/Z/A + c/b$
 - Higgs \rightarrow charm, Higgs \rightarrow bottom
 - New physics searches

Partonic jet evolution

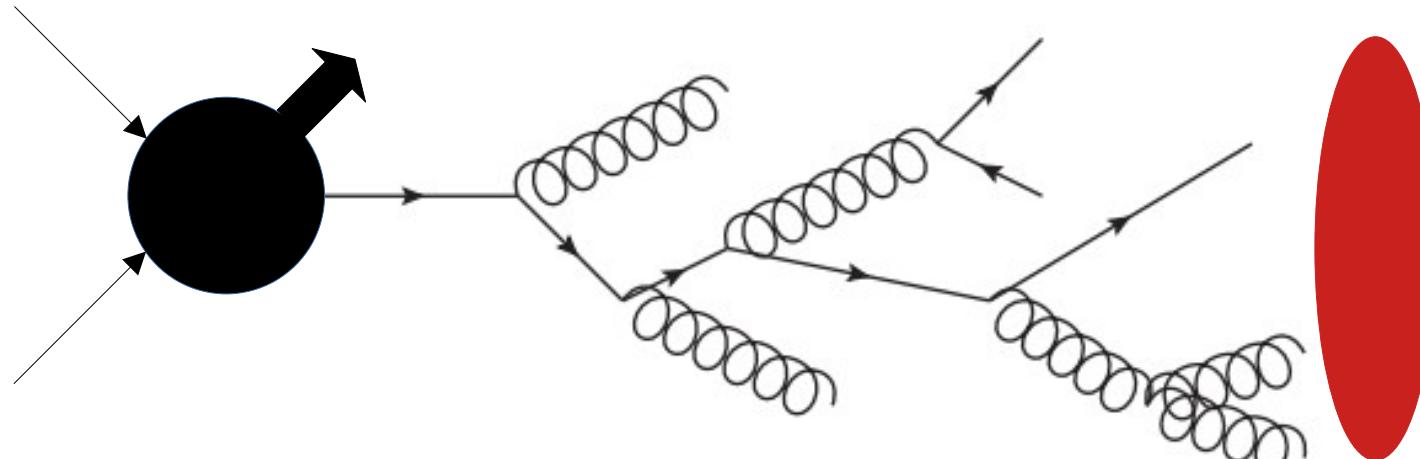


Partonic jet evolution



- Fragmentation/Hadronisation
- Partonic jet flavour: Quark-Hadron Duality
- Heavy B/D – hadron's long life time:
experiment signature (displaced vertices)
→ distinguishable from “light” jets

Partonic jet evolution

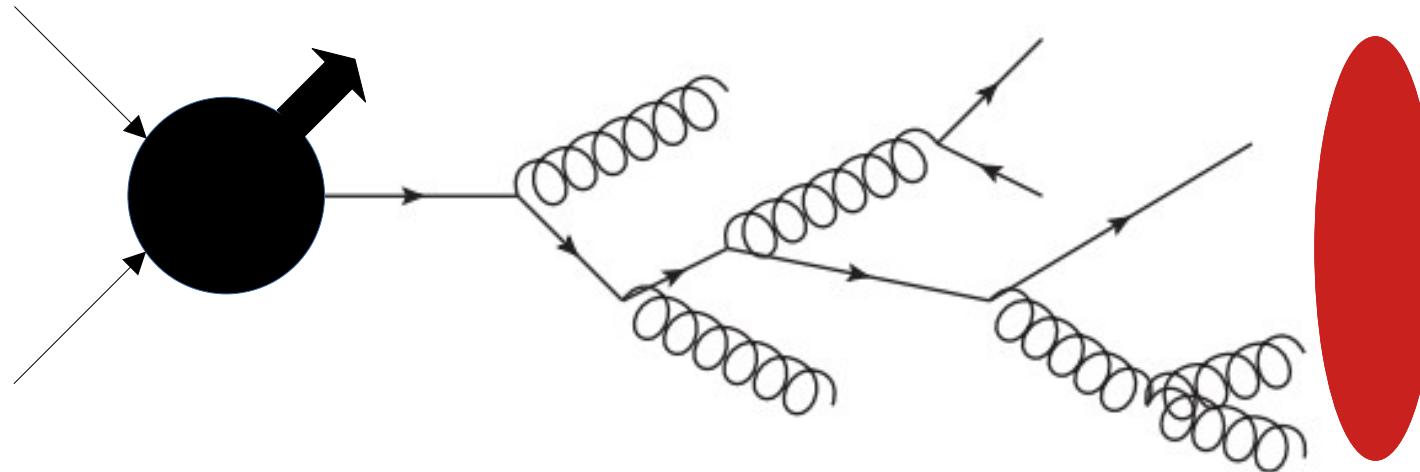


Massive treatment of quark

- Mass acts as IR regulator \rightarrow no IR divergences from collinear splitting
- Price to pay: $\log(pT/m)$, how to treat PDFs (high Q^2 process due to V-boson)?
 - \rightarrow Resummation for reliable predictions
 - \rightarrow Parton-showers (at low accuracy)
- **But** Higher order calculations more difficult
 - \rightarrow some applications (like PDF fits) need **fixed order** pQCD at higher orders

} NLO+PS

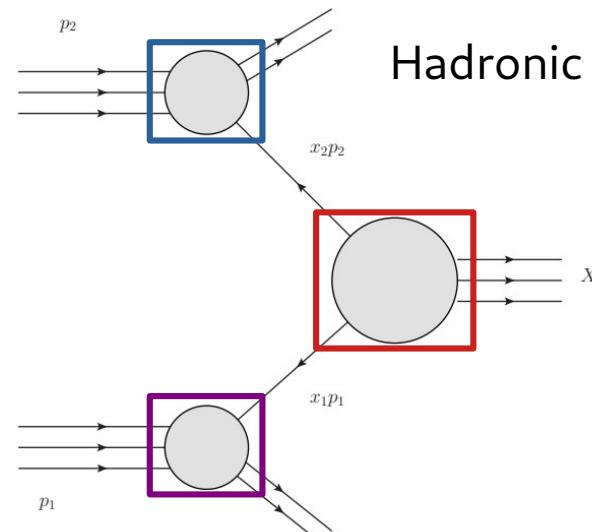
Partonic jet evolution



High transverse momentum \rightarrow massless quarks

- Collinear (mass) divergences absorbed by renormalisation
- Consistent treatment with PDFs (high $Q^2 \rightarrow$ c/b quarks in DGLAP)
- Bonus: higher order calculations easier \rightarrow NNLO QCD de-facto standard
- **BUT:** IR-safety more demanding due to collinear and soft flavoured particles

Hadronic cross section in collinear factorization – NNLO QCD



$$\text{Hadronic X-section: } \sigma_{h_1 h_2 \rightarrow X} = \sum_{ij} \int_0^1 \int_0^1 dx_1 dx_2 \phi_{i,h_1}(x_1, \mu_F^2) \phi_{j/h_2}(x_2, \mu_F^2) \hat{\sigma}_{ij \rightarrow X}(\alpha_s(\mu_R^2), \mu_R^2, \mu_F^2)$$

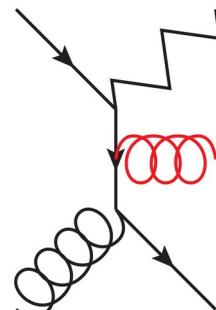
Parton distribution functions

Perturbative expansion of partonic cross section:

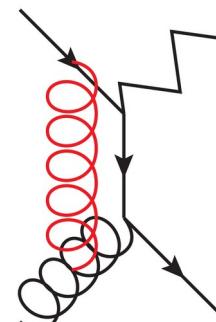
$$\hat{\sigma}_{ab \rightarrow X} = \hat{\sigma}_{ab \rightarrow X}^{(0)} + \hat{\sigma}_{ab \rightarrow X}^{(1)} + \hat{\sigma}_{ab \rightarrow X}^{(2)} + \mathcal{O}(\alpha_s^3)$$

The NLO bit: $\hat{\sigma}_{ab}^{(1)} = \hat{\sigma}_{ab}^R + \hat{\sigma}_{ab}^V + \hat{\sigma}_{ab}^C$

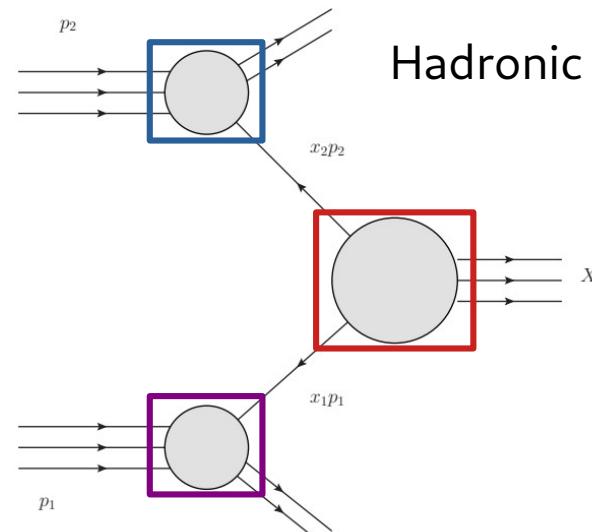
Real radiation



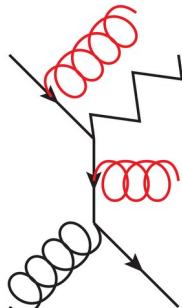
Virtual correction



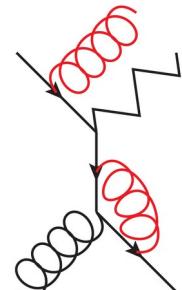
Hadronic cross section in collinear factorization – NNLO QCD



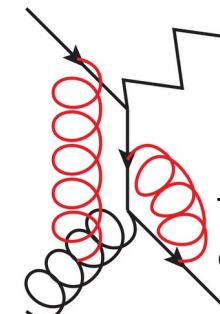
Double real radiation



Real/Virtual correction



Double virtual corrections



These make massive calculations hard!

Hadronic X-section: $\sigma_{h_1 h_2 \rightarrow X} = \sum_{ij} \int_0^1 \int_0^1 dx_1 dx_2 \phi_{i,h_1}(x_1, \mu_F^2) \phi_{j/h_2}(x_2, \mu_F^2) \hat{\sigma}_{ij \rightarrow X}(\alpha_s(\mu_R^2), \mu_R^2, \mu_F^2)$

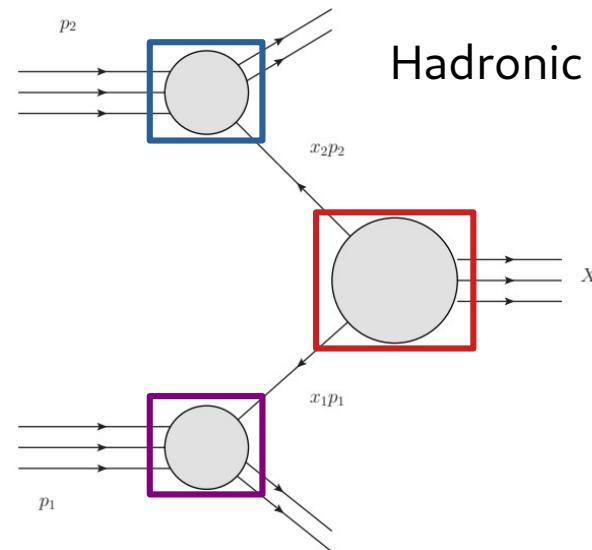
Parton distribution functions

Perturbative expansion of partonic cross section:

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The NNLO bit: $\hat{\sigma}_{ab}^{(2)} = \hat{\sigma}_{ab}^{\text{RR}} + \hat{\sigma}_{ab}^{\text{RV}} + \hat{\sigma}_{ab}^{\text{VV}} + \hat{\sigma}_{ab}^{\text{C2}} + \hat{\sigma}_{ab}^{\text{C1}}$

Hadronic cross section in collinear factorization – NNLO QCD



$$\text{Hadronic X-section: } \sigma_{h_1 h_2 \rightarrow X} = \sum_{ij} \int_0^1 \int_0^1 dx_1 dx_2 \phi_{i,h_1}(x_1, \mu_F^2) \phi_{j/h_2}(x_2, \mu_F^2) \hat{\sigma}_{ij \rightarrow X}(\alpha_s(\mu_R^2), \mu_R^2, \mu_F^2)$$

Parton distribution functions

Perturbative expansion of partonic cross section:

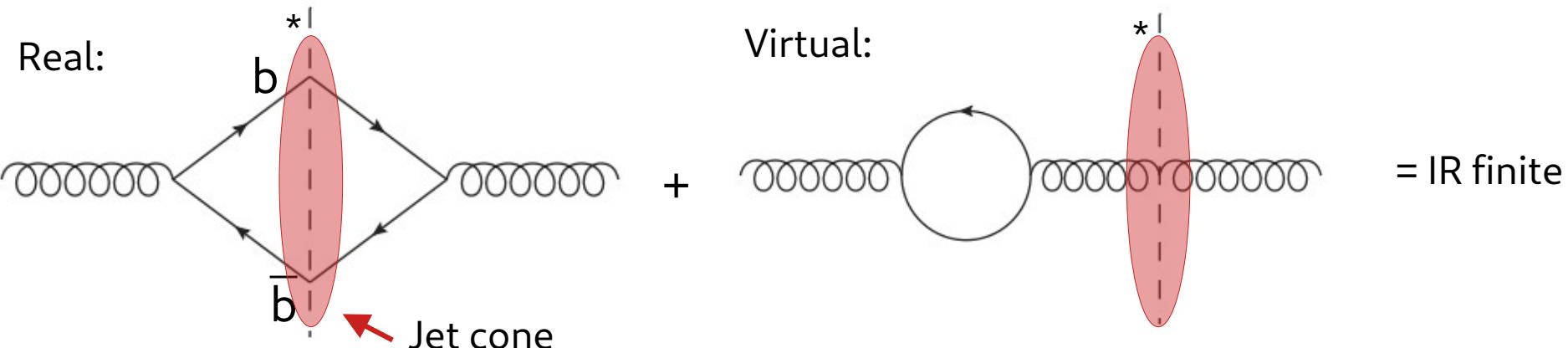
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Calculations performed with sector-improved residue subtraction scheme
1408.2500 & 1907.12911

IR safety issues starting from NLO QCD

Massless QCD: Cancellation of IR divergences between real and virtual corrections



Flavoured?
(Keeping in mind quark-hadron duality)

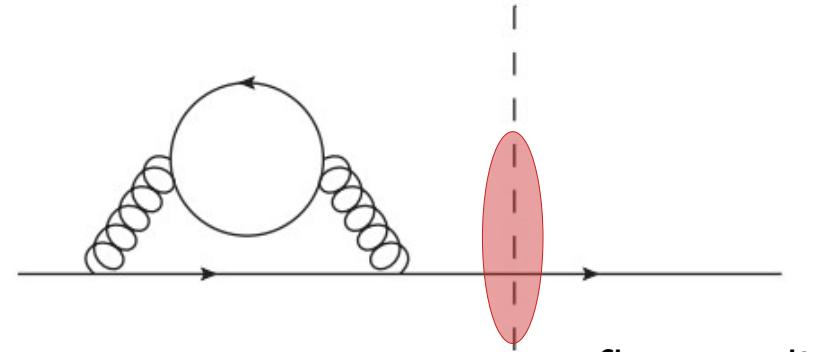
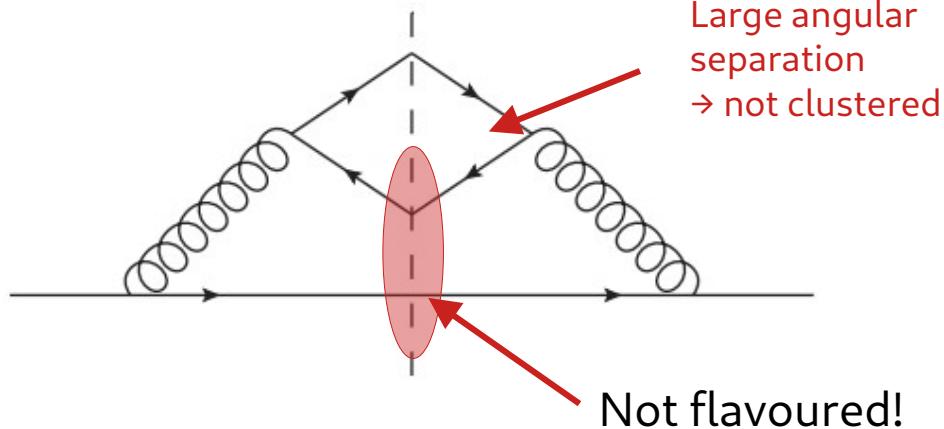


$b \bar{b}$ has to count as a gluon/light jet!

*: cut symbolises the “measured” final state

IR safety issues starting from NNLO QCD

Double soft limit of quark pairs



- These double soft splitting need to be captured
- Requires to interleave kinematics and flavour information!

Solution: Modified jet algorithms

- Implies correlated treatment of kinematics and flavour information

Standard kT algorithm:

Pair distance:

$$d_{ij} = \min(k_{T,i}^2, k_{T,j}^2) R_{ij}^2$$

$$R_{ij}^2 = (\Delta\phi_{ij}^2 + \Delta\eta_{ij}^2)/R^2$$

"Beam" distance for determination condition:

$$d_i = k_{T,i}^2$$

Flavour kT algorithm:

Pair distance:

$$d_{ij} = R_{ij}^2 \begin{cases} \max(k_{T,i}, k_{T,j})^\alpha \min(k_{T,i}, k_{T,j})^{2-\alpha} & \text{softer of } i,j \text{ is flavoured} \\ \min(k_{T,i}, k_{T,j})^\alpha & \text{else} \end{cases}$$

Beam distance:

$$d_{i,B} = \begin{cases} \max(k_{T,i}, k_{T,B}(y_i))^\alpha \min(k_{T,i}, k_{T,B}(y_i))^{2-\alpha} & i \text{ is flavoured} \\ \min(k_{T,i}, k_{T,B}(y_i))^\alpha & \text{else} \end{cases}$$

$$d_B(\eta) = \sum_i k_{T,i} (\theta(\eta_i - \eta) + \theta(\eta - \eta_i)) e^{\eta_i - \eta}$$

$$d_{\bar{B}}(\eta) = \sum_i k_{T,i} (\theta(\eta - \eta_i) + \theta(\eta_i - \eta)) e^{\eta - \eta_i}$$

Infrared safe definition of jet flavor,
Banfi, Salam, Zanderighi hep-ph/0601139

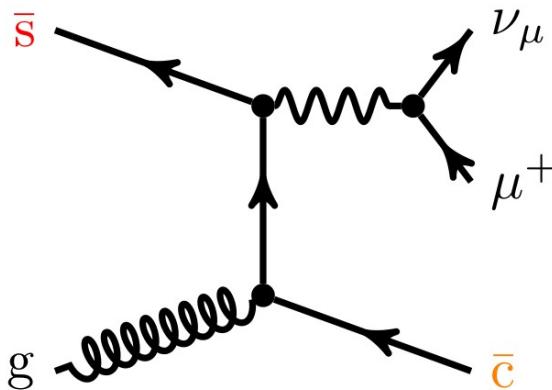
Short summary

- Massive:
 - Proper description near threshold
 - Identifiable objects → 4-momenta IR safe observables (mass is regulator)
 - Fixed-order perturbation theory: large logs at high pT → Resummation with PS
 - Higher-order corrections more challenging
- Massless:
 - Proper description at high energies, flavour takes part in PDFs/DGLAP
 - Higher-order corrections easier to compute
 - **IR-safety requires modified jet algorithms → implications for phenomenology**
- In-between solutions:
 - FONLL : matching of massive and massless computation
 - Perturbative fragmentation

How does this compare to experiment?

NNLO QCD W+c-jet

W+charm production



A detailed investigation of W+c-jet at the LHC,
Czakon, Mitov, Pellen, Poncelet 2212.00467

Simple phase space: $p_{T,\ell} > 30 \text{ GeV}$, $|\eta_\ell| < 2.5$
 $p_{T,j_c} > 20 \text{ GeV}$, $|\eta_{j_c}| < 2.5$

Various effects studied:

- EW corrections
- Off-diagonal CKM
- Jet-algorithms: fl. kT & fl. anti-kT

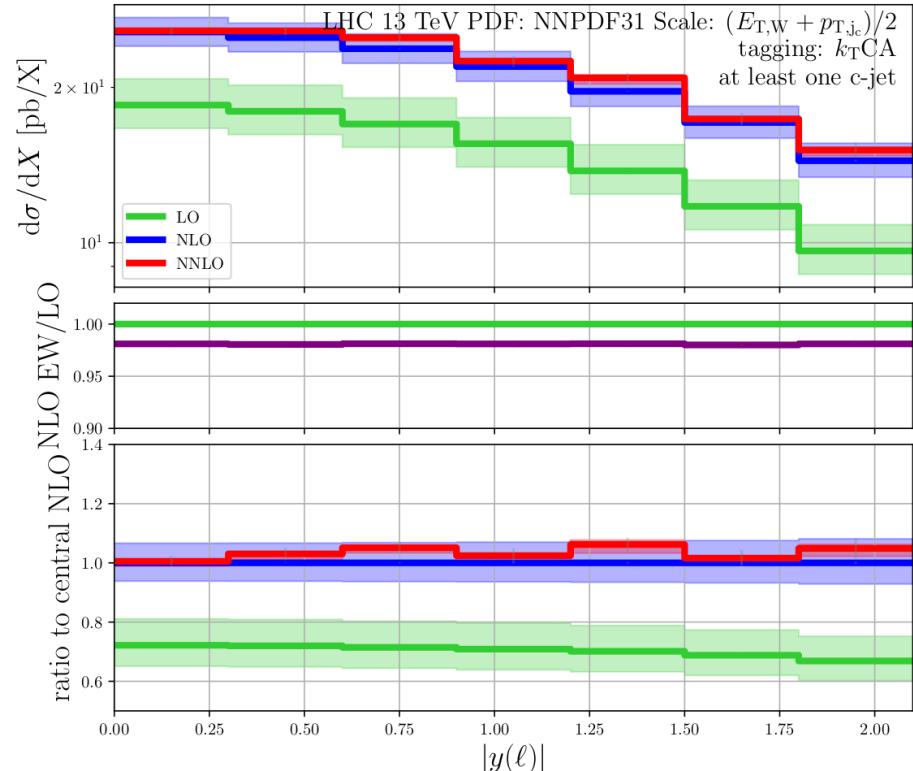
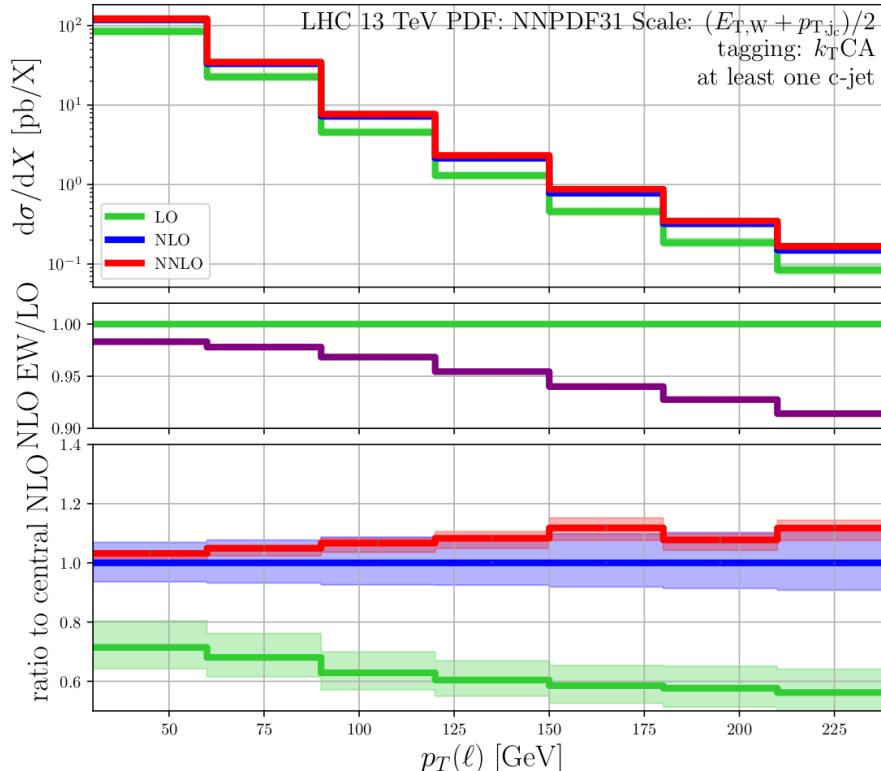
- Different tagging requirements:

- The leading c-jet (based on its transverse momentum) is of OS type, no requirement on c-jet multiplicity,
- One and only one c-jet is required, no requirement on c-jet charge,
- One and only one c-jet of OS type,
- One and only one c-jet of SS type, ←
- OS-SS (“OS minus SS”) cross section.

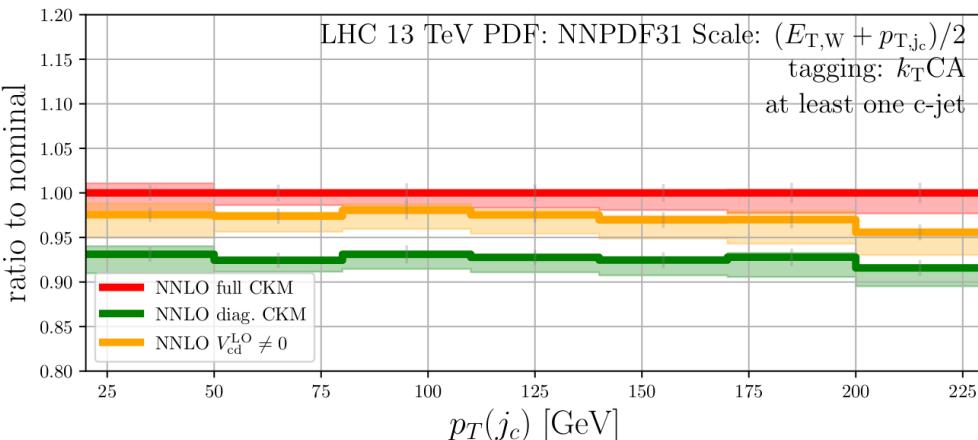
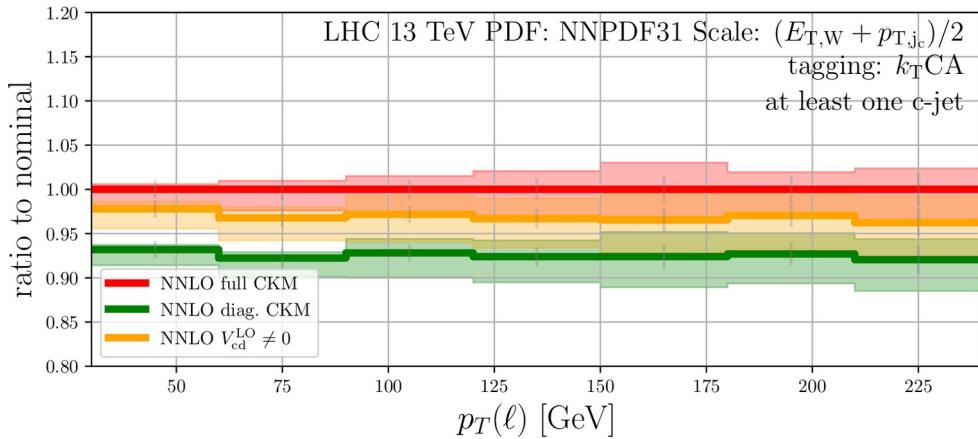
Sensitive to $\bar{c}c$ pairs from gluon splittings

Perturbative corrections

Flavour-kT, inclusive c-jet requirements

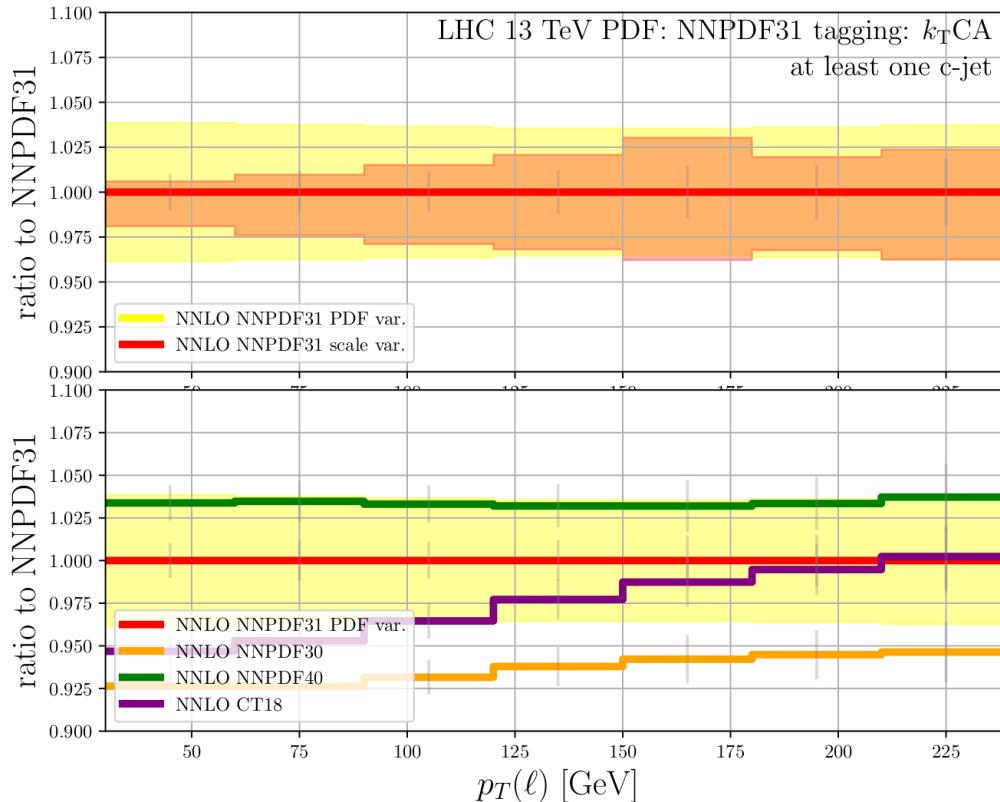


Off-diagonal CKM



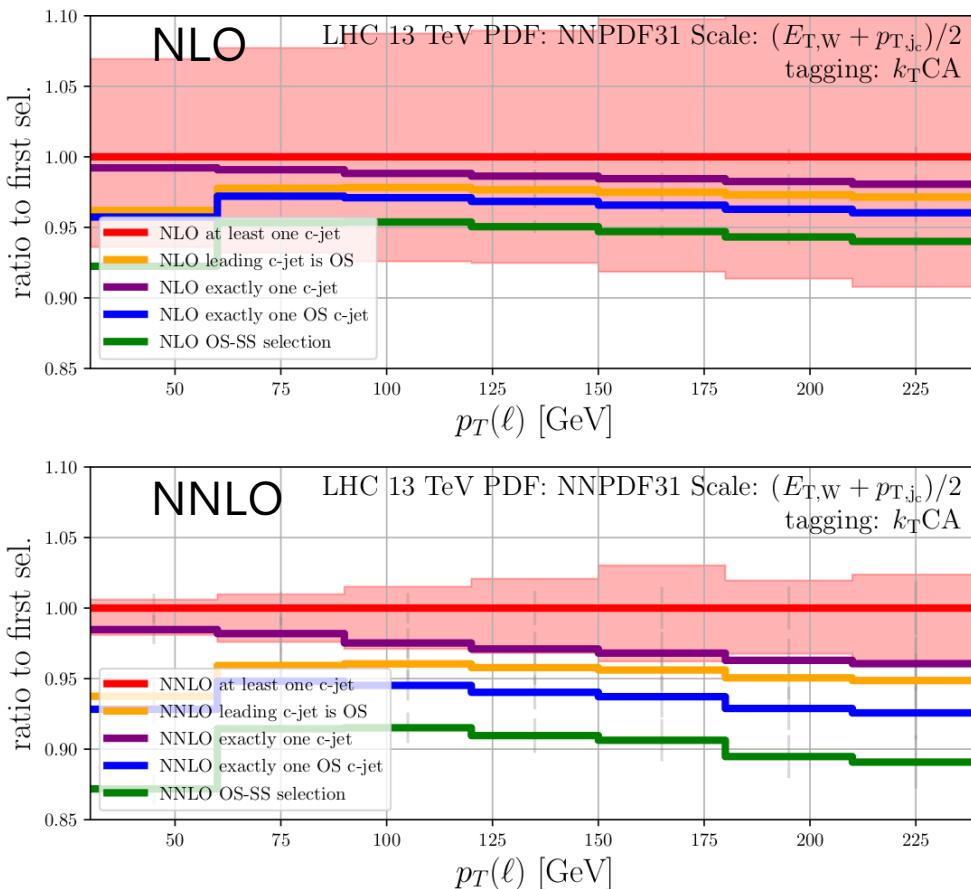
- Full CKM effects through NNLO QCD
- Sizeable with respect NNLO corrections!
- LO V_{cd} captures most of the full CKM

PDF dependence



- PDF uncertainty: ~5%
- PDF model variations: ~5-8%

Different tagging requirements



- The leading c-jet (based on its transverse momentum) is of OS type, no requirement on c-jet multiplicity,
- One and only one c-jet is required, no requirement on c-jet charge,
- One and only one c-jet of OS type,
- One and only one c-jet of SS type,
- OS-SS (“OS minus SS”) cross section.

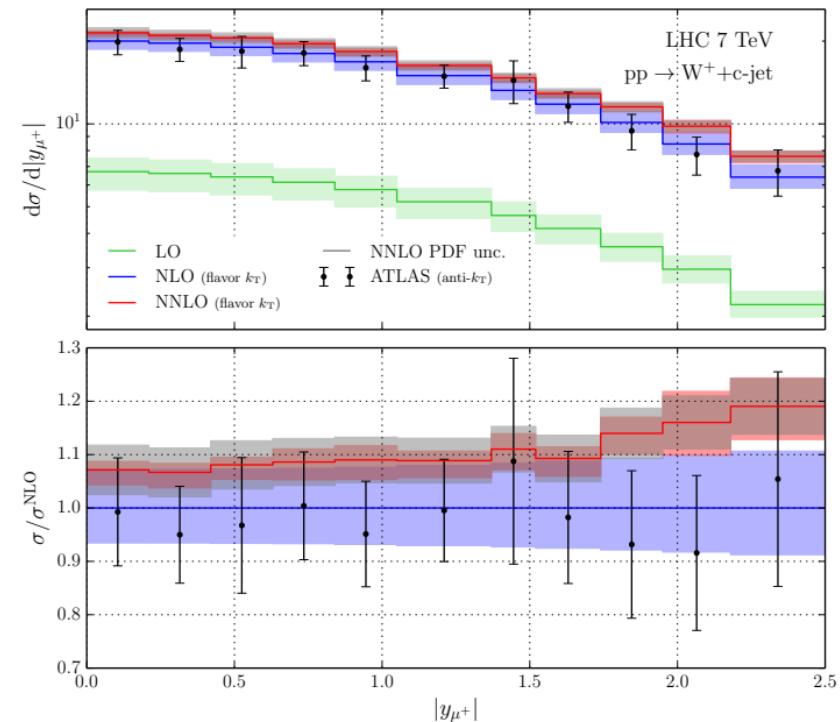
$W+c$ -jet with flavour k_T at NNLO QCD

NNLO QCD predictions for $W+c$ -jet production at the LHC,
Czakon, Mitov, Pellen, Poncelet 2011.01011

NNLO QCD 7 TeV results:

- Full NNLO corrections for V_{cb} contribution
- Off-diagonal CKM only LO QCD
- Comparison flv. k_T results vs. ATLAS

Measurement of the production of a W boson in association with a charm quark in pp collisions at $\sqrt{s} = 7$ TeV with the ATLAS detector, 1402.6263

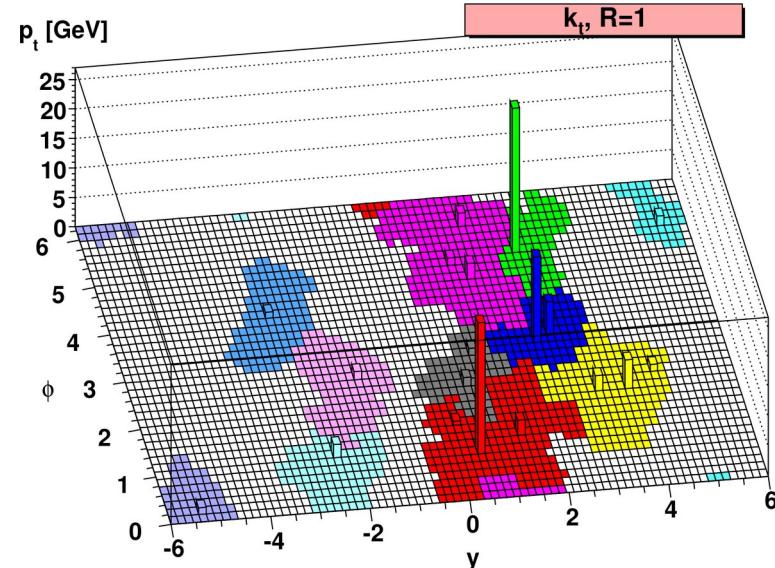
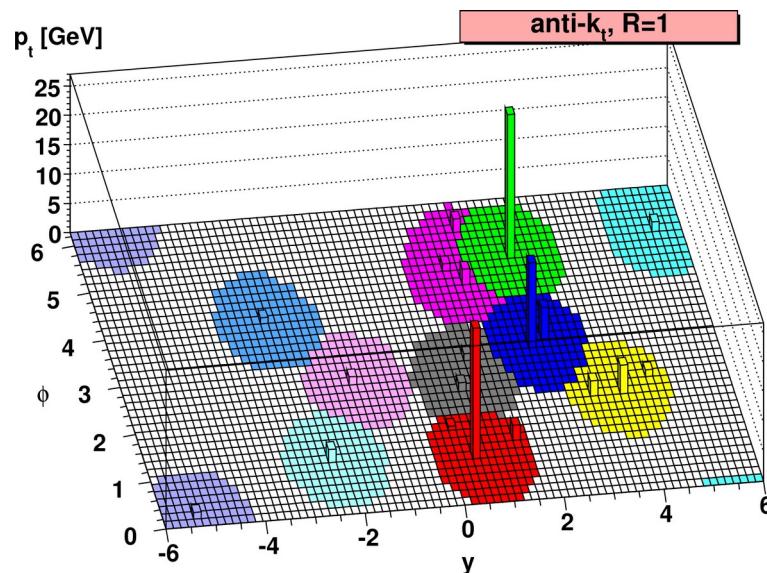


Flavour anti- k_T ?

The standard algorithm for the LHC is the anti- k_T :

- nice geometric properties
- less sensitive to soft physics

Towards Jetography
Salam 0906.1833



New proposals for flavour-safe anti-kT jets

- Flavour with Soft-drop

Practical Jet Flavour Through NNLO

Caletti, Larkoski, Marzani, Reichelt 2205.01109

- Flavour anti-kT

Infrared-safe flavoured anti-kT jets,

Czakon, Mitov, Poncelet 2205.11879

- Fragmentation approach

A Fragmentation Approach to Jet Flavor

Caletti, Larkoski, Marzani, Reichelt 2205.01117

B-hadron production in NNLO QCD: application to LHC ttbar events with leptonic decays,

Czakon, Generet, Mitov and Poncelet, 2102.08267

- Flavour dressing → standard anti-kT + flavour assignment

QCD-aware partonic jet clustering for truth-jet flavour labelling

Buckley, Pollard 1507.00508

A dress of flavour to suit any jet

Gauld, Huss, Stagnitto 2208.11138

- Interleaved flavour neutralisation

Flavoured jets with exact anti-kT kinematics and tests of infrared and collinear safety

Caola, Grabarczyk, Hutt, Salam, Scyboz, Thaler 2306.07314

- TBC...

Flavour anti-kT

Anti-kT: $d_{ij} = \min(k_{T,i}^{-2}, k_{T,j}^{-2}) R_{ij}^2 \quad d_i = k_{T,i}^{-2}$

Infrared-safe flavoured anti-kT jets,
Czakon, Mitov, Poncelet 2205.11879

The energy ordering in anti-kT prevents correct recombination of flavoured pairs in the double soft limit.

Proposed modification:

A **soft** term designed to modify the distance of flavoured pairs.

$$d_{ij}^{(F)} = d_{ij} \begin{cases} \mathcal{S}_{ij} & i,j \text{ is flavoured pair} \\ 1 & \text{else} \end{cases}$$

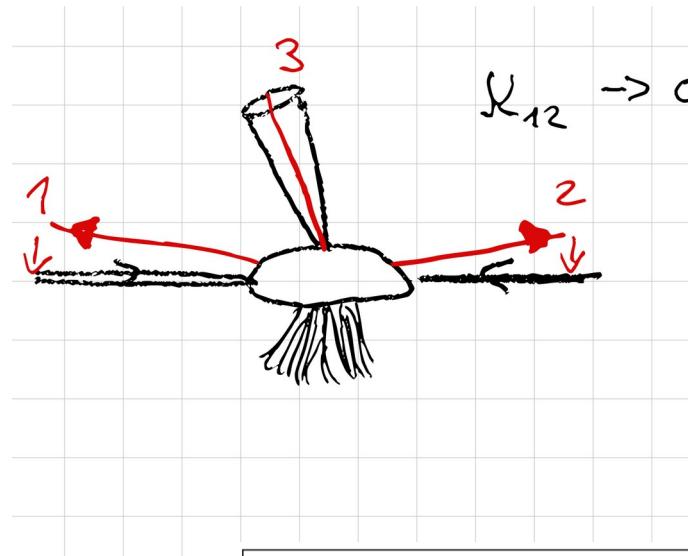
$$\mathcal{S}_{ij} \equiv 1 - \theta (1 - \kappa_{ij}) \cos\left(\frac{\pi}{2} \kappa_{ij}\right) \quad \text{with} \quad \kappa_{ij} \equiv \frac{1}{a} \frac{k_{T,i}^2 + k_{T,j}^2}{2k_{T,\max}^2}.$$

A scale to define "soft"
→ Can be any hard scale

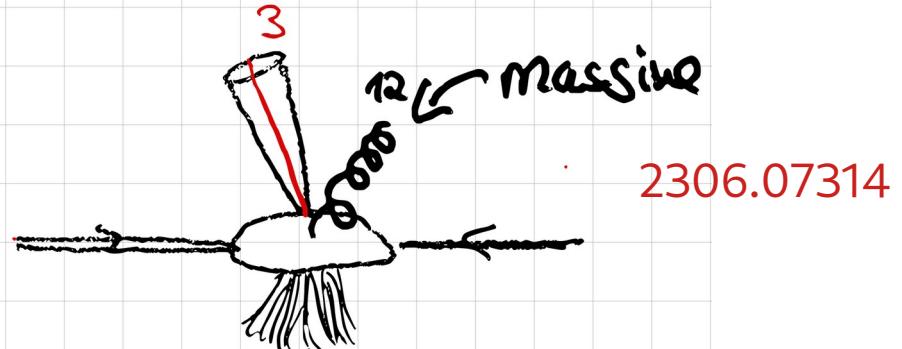
Allow systematic variations

New developments...

Issue for double collinear limits wrt. to initial states



Many thanks to
Caola, Grabarczyk, Hutt, Salam, Scyboz, Thaler



if $\gamma_{12} - \gamma_3 < R$

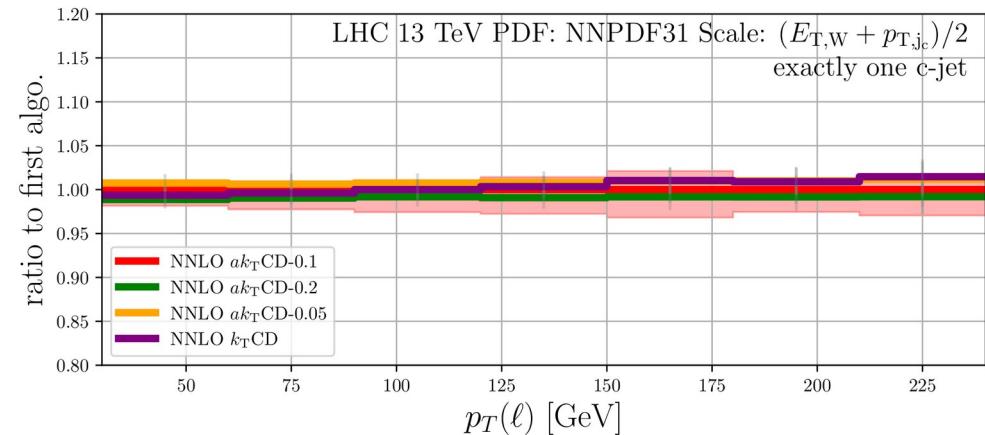
$$\mathcal{S}_{ij} \equiv 1 - \theta(1 - \kappa_{ij}) \cos\left(\frac{\pi}{2}\kappa_{ij}\right) \quad \text{with} \quad \kappa_{ij} \equiv \frac{1}{a} \frac{k_{T,i}^2 + k_{T,j}^2}{2k_{T,\max}^2}.$$

Their proposal: $\mathcal{S}_{ij} \rightarrow \bar{\mathcal{S}}_{ij} = \mathcal{S}_{ij} \frac{\Omega_{ij}^2}{\Delta R_{ij}^2}$ $\Omega_{ik}^2 \equiv 2 \left[\frac{1}{\omega^2} (\cosh(\omega \Delta y_{ik}) - 1) - (\cos \Delta \phi_{ik} - 1) \right]$

W+charm - jet algorithm dependence

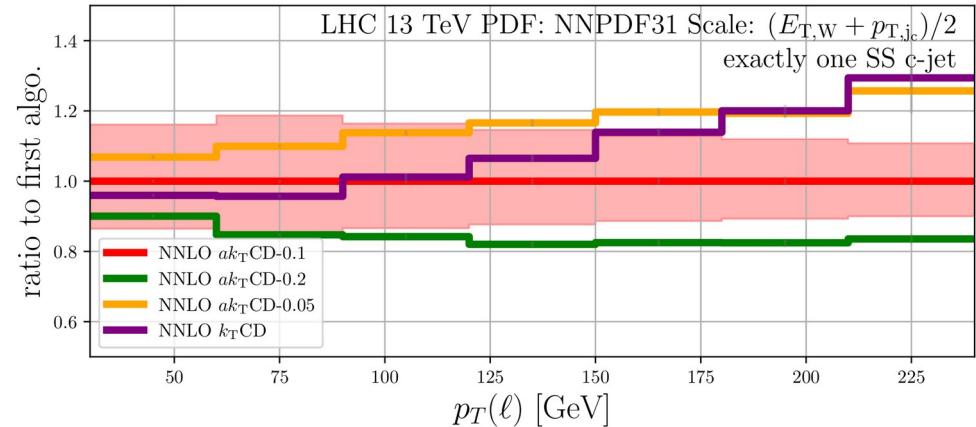
Exactly one c-jet requirement (OS+SS):

- Comparison of parameters a :
→ small dependence < 2%
- Comparison to flv-kT:
→ small dependence @ NNLO < 2%



ONLY large effect in SS contribution

- Exactly one c-jet of SS type:
Larger dependence ~15%
(roughly size of NNLO scale band)
- BUT: SS contribution ~2-5%
- => OS ~0.2-0.5% dependence



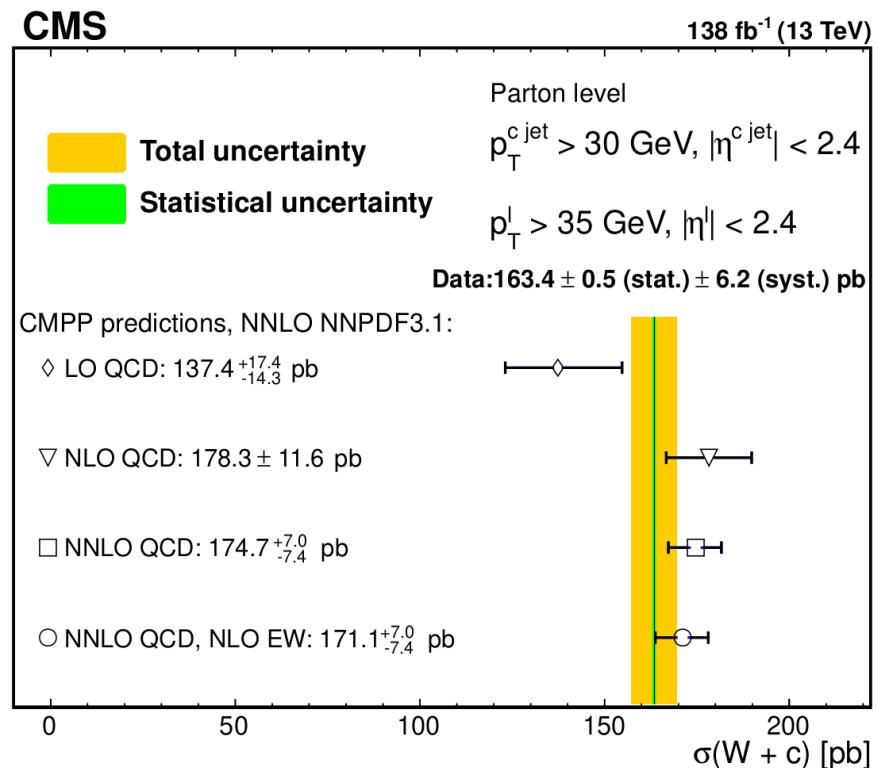
Comparison to CMS data

Measurement of the production cross section for a W boson in association
with a charm quark in proton-proton collisions at $\text{Sqrt}(s) = 13 \text{ TeV}$
CMS 2308.02285

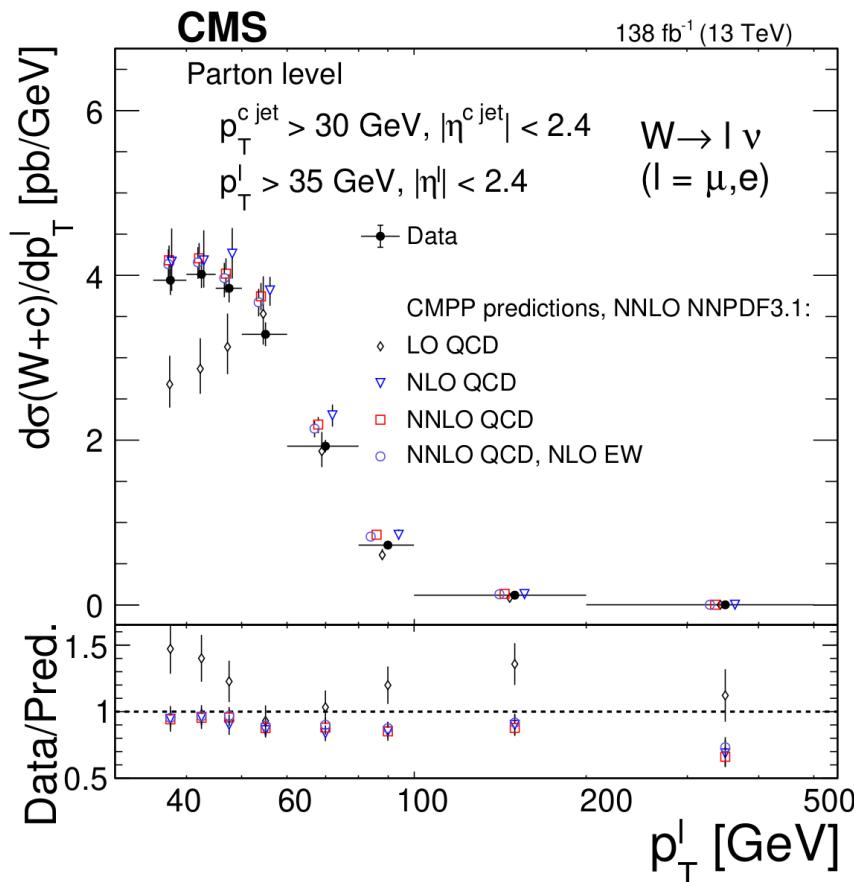
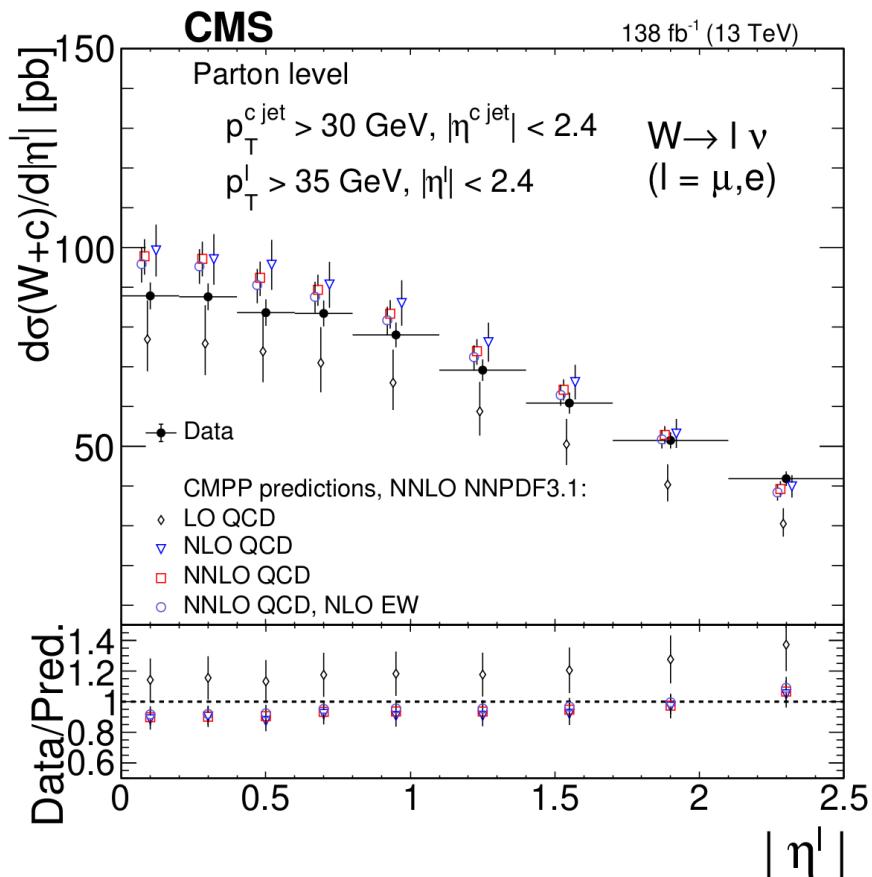
Similar phase space:

$$\begin{aligned} p_T^\ell &> 35 \text{ GeV}, |\eta^\ell| < 2.4, p_T^{\text{c jet}} > 30 \text{ GeV} \\ |\eta^{\text{c jet}}| &< 2.4, \Delta R(\text{jet}, \ell) > 0.4 \end{aligned}$$

Measurement of OS – SS cross-section
unfolded to parton-level
→ hadronisation and fragmentation corr. $\sim 10\%$

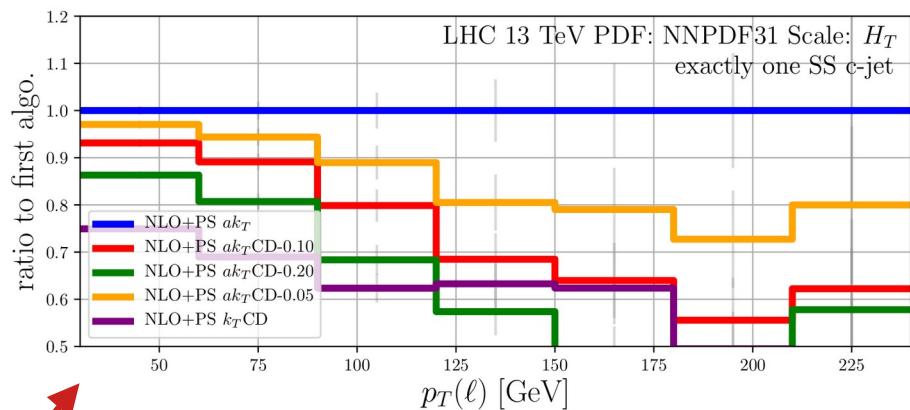
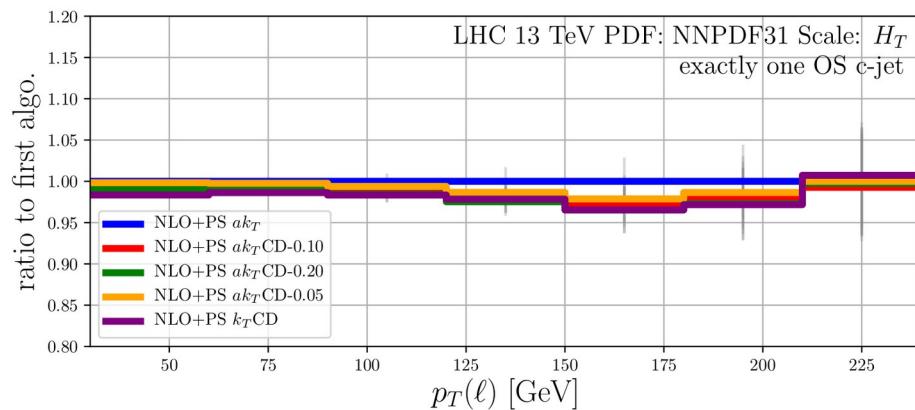


Comparison to CMS data



Unfolding corrections

NLO+PS (fl. anti- k_T) / NLO+PS (anti- k_T)



SS \sim 2-5% of OS
 \rightarrow OS – SS unfolding corrections < 2%

Comparison of flavoured jet algorithms

Comparisons

Les Houches 23 workshop (aka FlavourFest :))

- CMPΩ: Flavour anti-kT (with fixed S_{ij})
- SDF: Flavour with Soft-drop (only IR-safe up to α_s^2 corrections)
- GHS: Flavour dressing → standard anti-kT + flavour assignment
- IFN: Interleaved flavour neutralisation

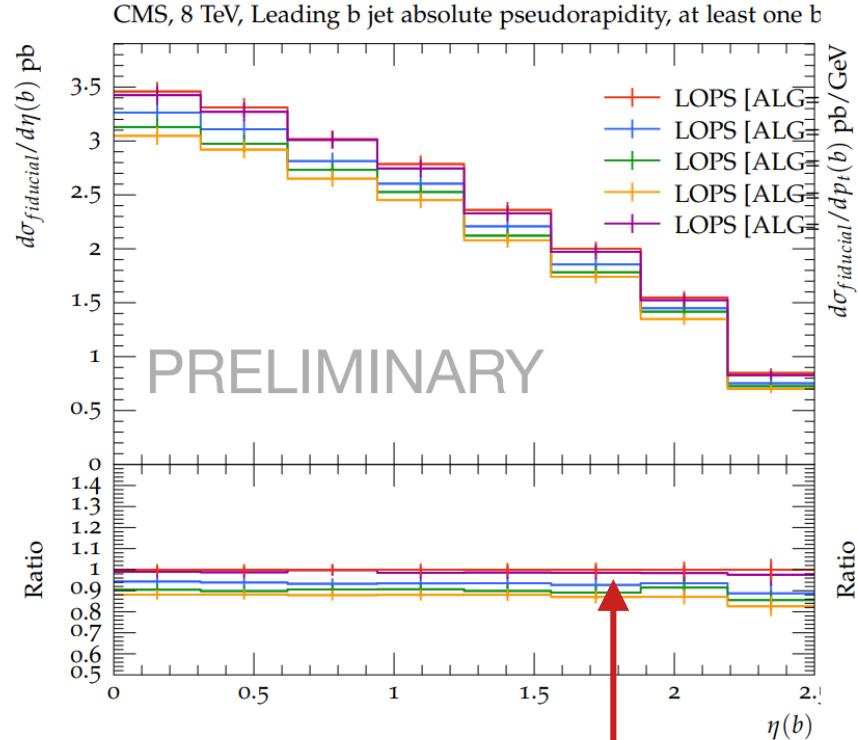


Implementation in
FastJet package

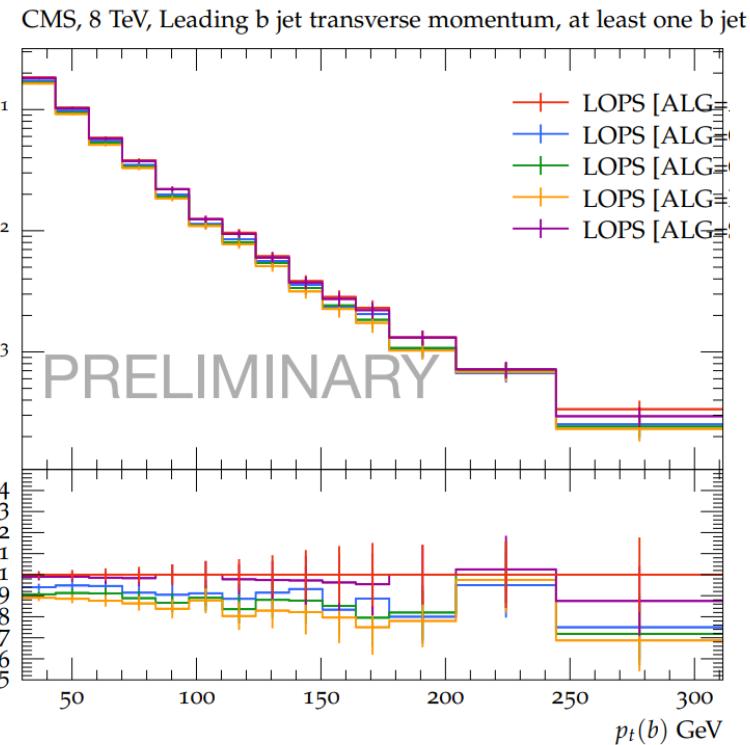
Benchmark process: Z+b-jet following CMS analysis 1611.06507

Comparison with parton showers

HERWIG LO PS



Les Houches Jet Flavour WG

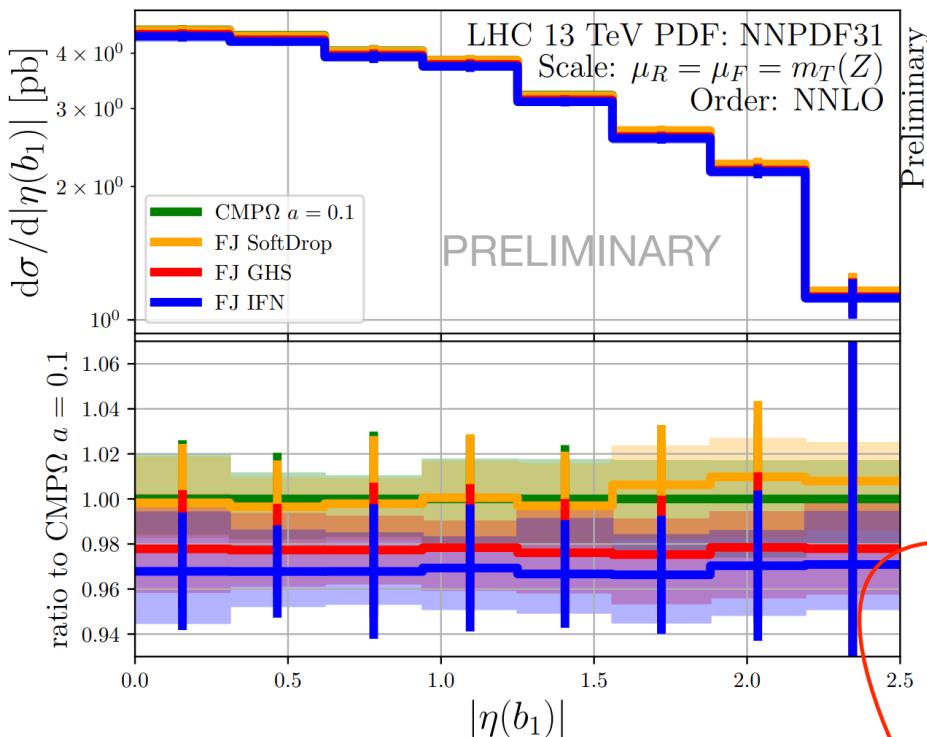


SDF \sim anti- k_T \rightarrow consequence of IR unsafety at higher orders?

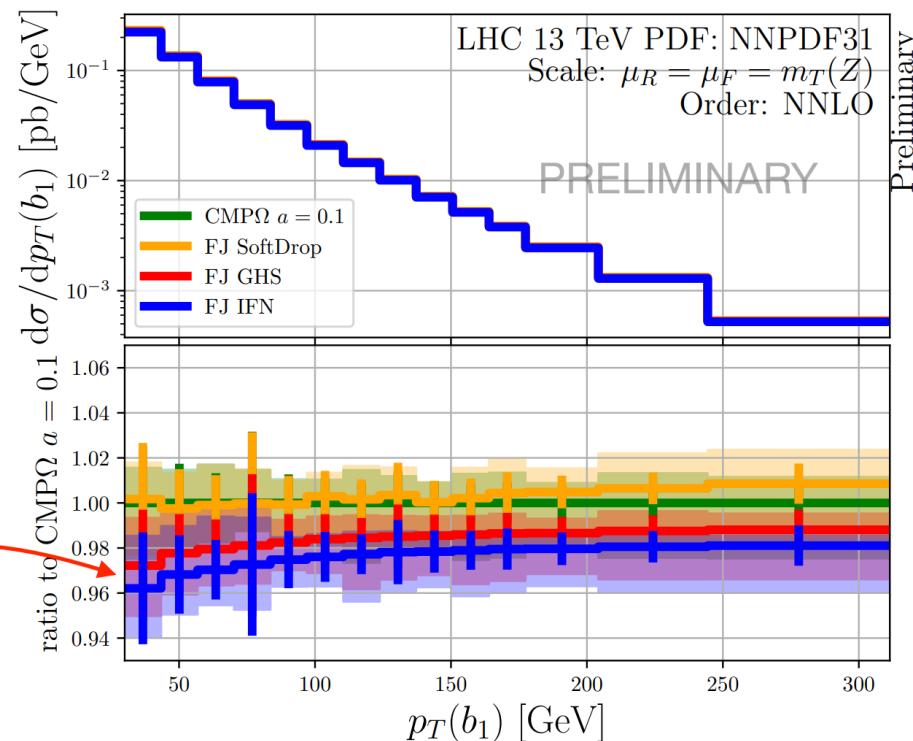
NNLO QCD comparisons

Calculations performed with sector-improved residue subtraction scheme
1408.2500 & 1907.12911

Les Houches Jet Flavour WG



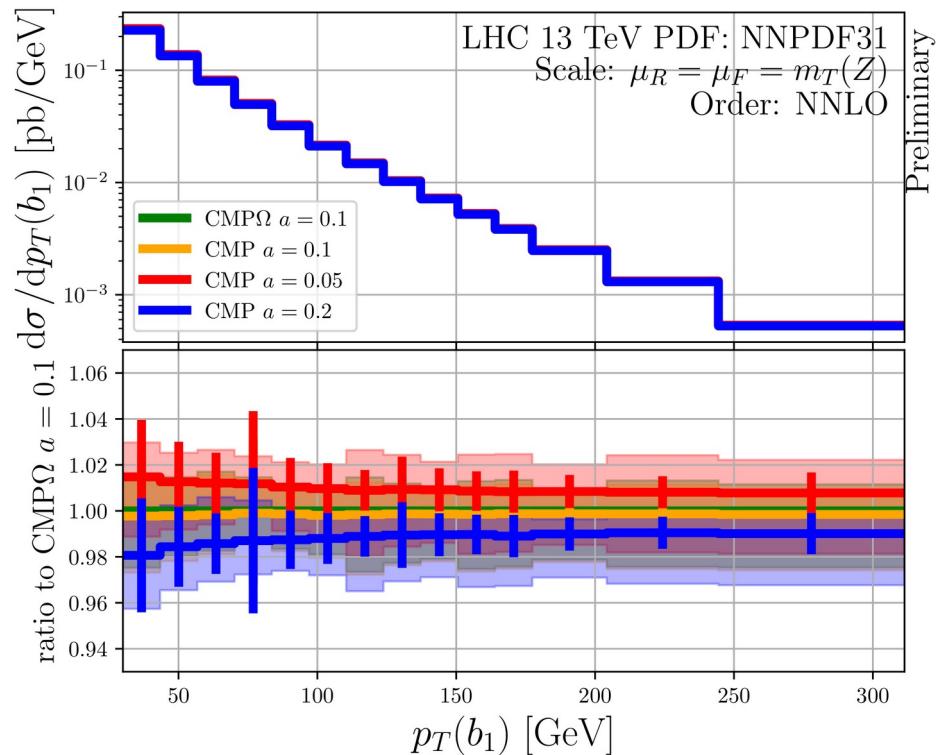
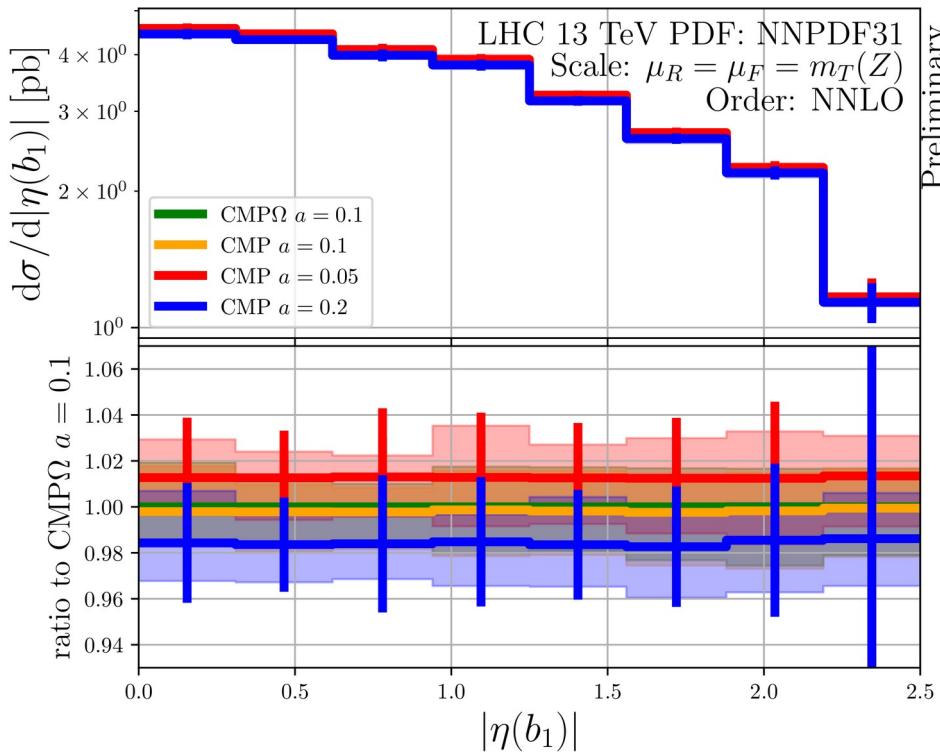
interesting shape difference at
low p_T : it deserves further
investigation!



Flavour anti-kT: impact of Ω_{ij}

Calculations performed with sector-improved residue subtraction scheme
1408.2500 & 1907.12911

Les Houches Jet Flavour WG



Negligible difference between $\text{CMP}\Omega$ and CMP

Some remarks concerning exp. b-tagging

Experimental b/c-tagging

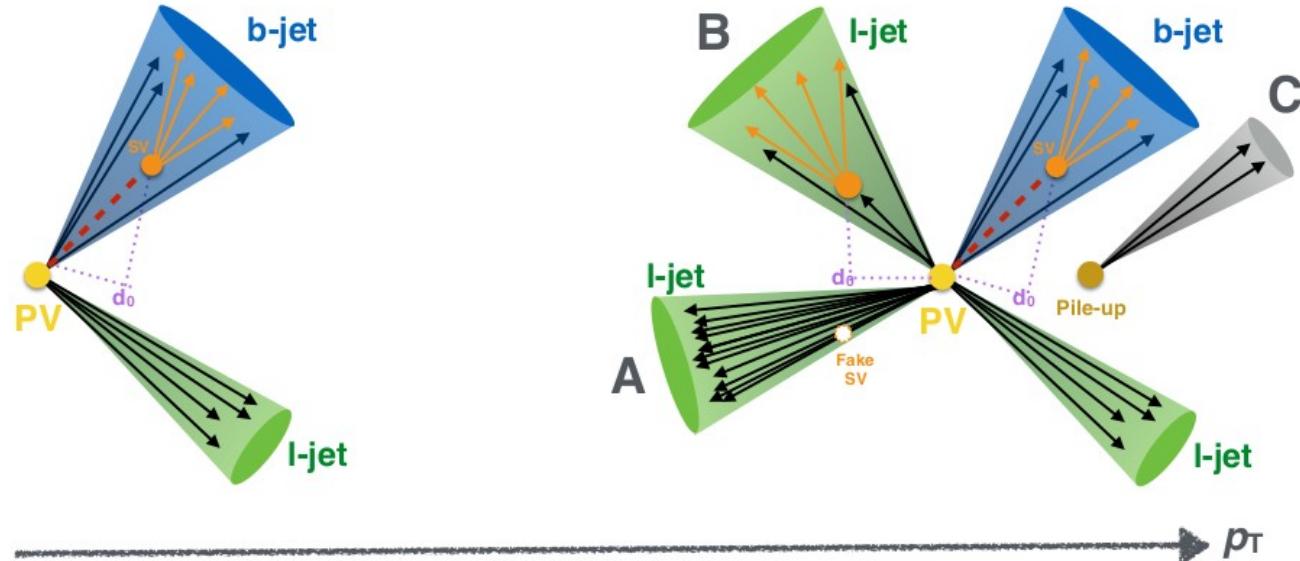
Credit: Arnaud Duperrin (DIS23 talk)

Secondary vertex (SV) tagging

- Long-life time
→ several mm flight
- Looking for the decay products of B-hadron decays forming SV

Challenges

- Fake SV from fragmentation
- Material interactions
- Pile-up



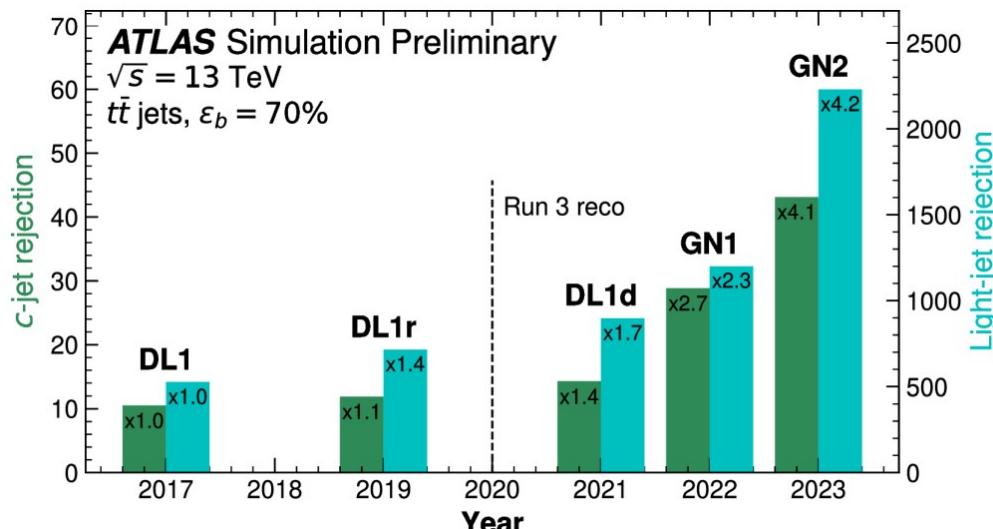
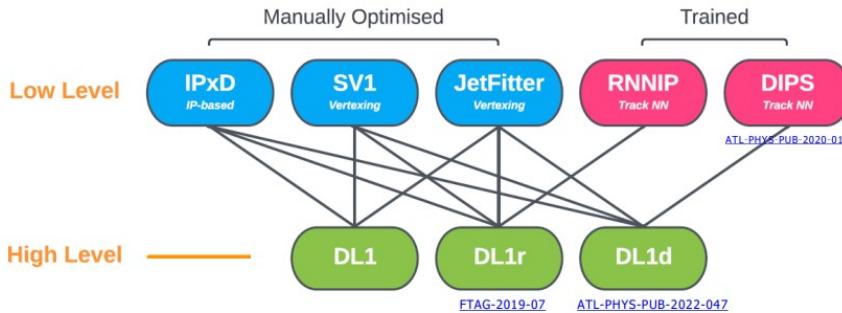
Experimental b/c-tagging with NN

Credit: Arnaud Duperrin (DIS23 talk)

Using NN to perform b-tagging

- Many Run II/III analysis use already NN based taggers
- For example ATLAS: DL1
 - uses precomputed low-level infos
- Next generation will directly use hit, track and jet information
 - further performance boost

The truth level information comes from MC simulations



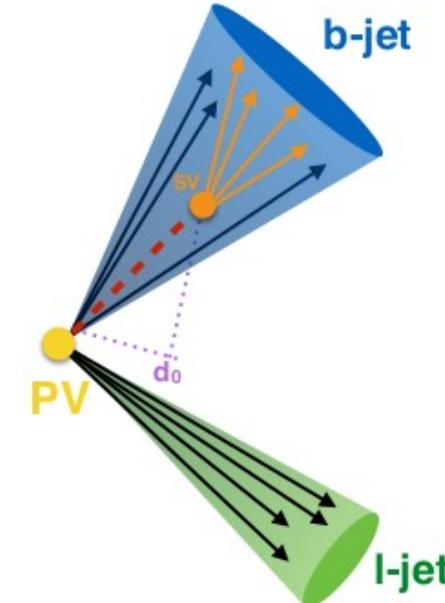
Ghost tagging

A jet is defined as flavoured if:

- 1) it contains at least one B/D hadron
FO: IR-unsafe because of $g \rightarrow b\bar{b}$ splitting
- 2) within $dR < R$ of jet axis
FO: IR-unsafe because soft wide angle emission
- 3) with $pT > pT_{cut}$
FO: collinear unsafe $b \rightarrow b$ g splitting
(okay in fragmentation approach)



“Truth” labelling used in Monte Carlo samples, used to train the NN



Technically okay for PS+hadronisation models
BUT
Unsatisfactory from theory point of view
(trading IR safety with sensitivity)

Issues for precision phenomenology

- The flavoured jet algorithms require detailed flavour information
→ flavour algorithms difficult to implement experimentally
Limited by detector-resolution & efficiencies!
- For now: comparisons to higher order QCD partonic computations require corrections for the differences in tagging procedures! → Unfolding!
 - 1) $g \rightarrow b\bar{b}$ splitting if both b 's hadronise to B-hadrons
(this is different to $b\bar{b} = g$ @ fixed order)
 - 2) Hadronisation/non-perturbative models
- Unfolding corrections can be sizeable $O(5\text{-}10\%)$

Summary

Take home messages

- 1) NNLO QCD effects in W+charm largely understood.
First comparisons to data → steps towards W+charm in PDF fits
- 2) Flavoured jets require modified jet algorithms to avoid IR safety/sensitivity issues.
Solutions exists for anti- k_T jets and are implemented in FastJet: SDF, CMP, GHS, IFN, ...
→ phenomenological applications @ NNLO QCD
- 3) Still open question regarding the best way of comparing state-of-the-art predictions and measurements with flavoured jets:
→ Unfolding? How do the different algorithms compare?
→ Which flavoured jet algorithm has the most favourable properties?

Backup

LHC precision computations with flavoured jets

Associated Higgs production + decays in b-quarks:

Associated production of a Higgs boson decaying into bottom quarks at the LHC in full NNLO QCD
Ferrera, Somogyi, Tramontano 1705.10304

NNLO QCD corrections to associated WH production and $H \rightarrow b\bar{b}$ decay
Caola, Luisoni, Melnikov, Röntsch 1712.06954

Associated production of a Higgs boson decaying into bottom quarks and a weak vector boson decaying leptonically at NNLO in QCD
Gauld, Gehrmann-De Ridder, Glover, Huss, Majer 1907.05836

Bottom quark mass effects in associated WH production with the $H \rightarrow b\bar{b}$ decay through NNLO QCD
Behring, Bizoń, Caola, Melnikov, Röntsch 2003.08321

VH + jet production in hadron-hadron collisions up to order α_s^3 in perturbative QCD
Gauld, Gehrmann-De Ridder, Glover, Huss, Majer 2110.12992

+Partonshower:

NNLOPS accurate associated HZ production with $H \rightarrow b\bar{b}$ decay at NLO
Astill, Bizoń, Re, Zanderighi 1804.08141

NNLOPS description of the $H \rightarrow b\bar{b}$ decay with MiNLO
Bizoń, Re, Zanderighi 1912.09982

Next-to-next-to-leading order event generation for VH production with $H \rightarrow b\bar{b}$ decay
Zanoli, Chiesa, Re, Wiesemann, Zanderighi 2112.04168

LHC precision computations with flavoured jets

Vector + flavoured jet(s) production:

NLO QCD predictions for Wbbbar production in association with up to three light jets at the LHC
Anger, Cordero, Ita, Sotnikov 1712.05721

Predictions for Z-Boson Production in Association with a b-jet at O(α_s^3)
Gauld, Gehrmann-De Ridder, Glover, Huss, Majer 2005.03016

NNLO QCD predictions for W+c-jet production at the LHC,
Czakon, Mitov, Pellen, Poncelet 2011.01011

NNLO QCD corrections to Wbbbar production at the LHC,
Hartanto, Poncelet, Popescu, Zoia 2205.01687

A detailed investigation of W+c-jet at the LHC,
Czakon, Mitov, Pellen, Poncelet 2212.00467

NNLO QCD predictions for Z-boson production in association with a charm jet within the LHCb fiducial region
Gauld, Gehrmann-De Ridder, Glover, Huss, Rodriguez Garcia, Stagnitto 2302.12844

Top-quark pair final state modelling:

Modeling uncertainties of ttbarW+- multilepton signatures
Bevilacqua, Bi, Cordero, Hartanto , Kraus, Nasufi, Reina, Worek 2109.15181

B-hadron production in NNLO QCD: application to LHC ttbar events with leptonic decays
Czakon, Generet, Mitov, Poncelet, 2102.08267

Benchmark process: Z+b-jet

Well studied up to $\mathcal{O}(\alpha_s^3)$:

Predictions for Z-Boson Production in Association with a b-jet at $\mathcal{O}(\alpha_s^3)$,

Gauld, Gehrmann-De Ridder, Glover, Huss, Majer 2005.03016

- Flavour-kT algorithm
- Unfolding of experimental data (RooUnfold, bin-by-bin unfolding)
- Matching between four- and five-flavour schemes (FONLL)

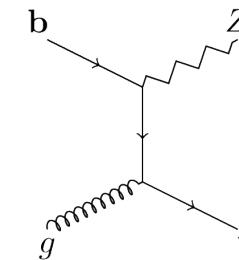
$$d\sigma^{\text{FONLL}} = d\sigma^{5\text{fs}} + (d\sigma_{m_b}^{4\text{fs}} - d\sigma_{m_b \rightarrow 0}^{4\text{fs}})$$

- CMS measurement @ 8 TeV

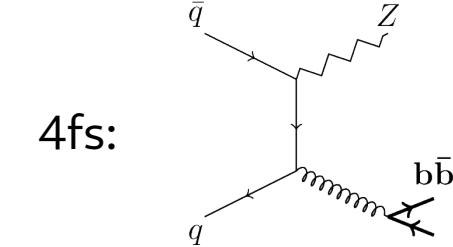
Measurements of the associated production of a Z boson and b jets in pp collisions at $\sqrt{s} = 8 \text{ TeV}$, CMS 1611.06507

→ Ideal testing ground for flavour anti-kT

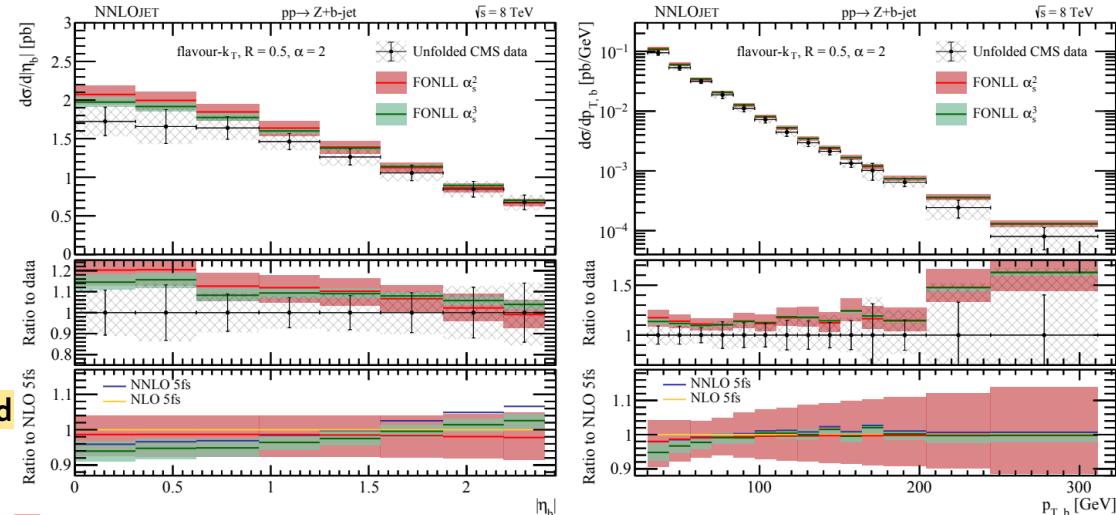
$pp \rightarrow Z(l\bar{l}) + b\text{-jet}$



5fs:



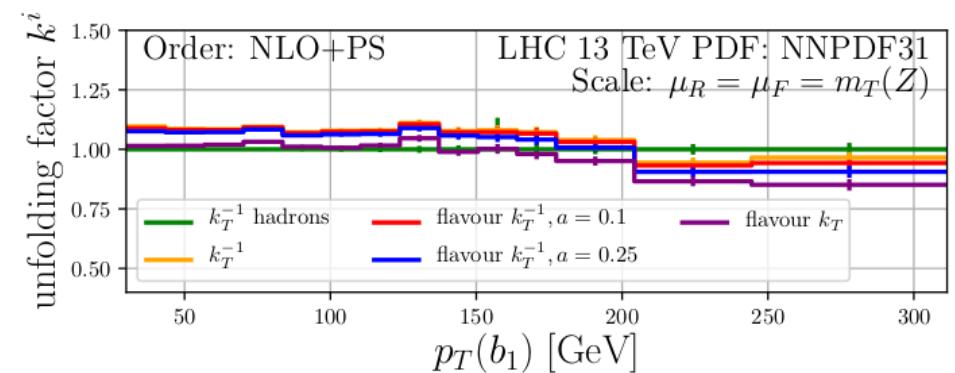
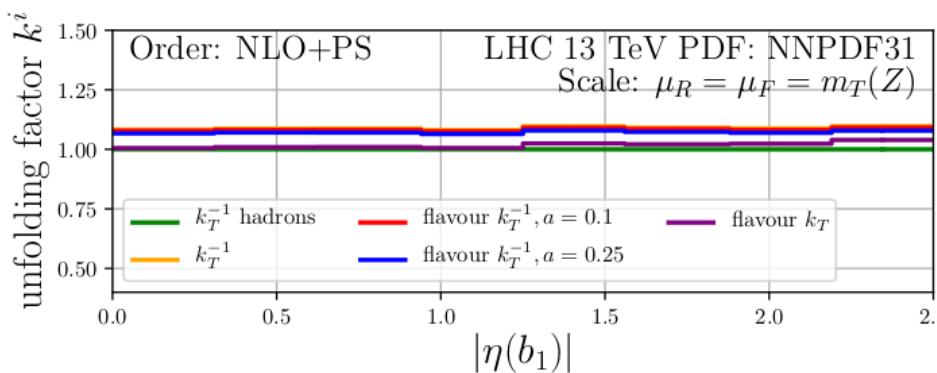
4fs:



Bin-by-bin unfolding

Estimation of hadronisation and experimental tagging corrections
→ NLO + PS (Madgraph+Pythia8)

Unfolding factor = NLO+PS (had = Off) / NLO+PS (had = On)



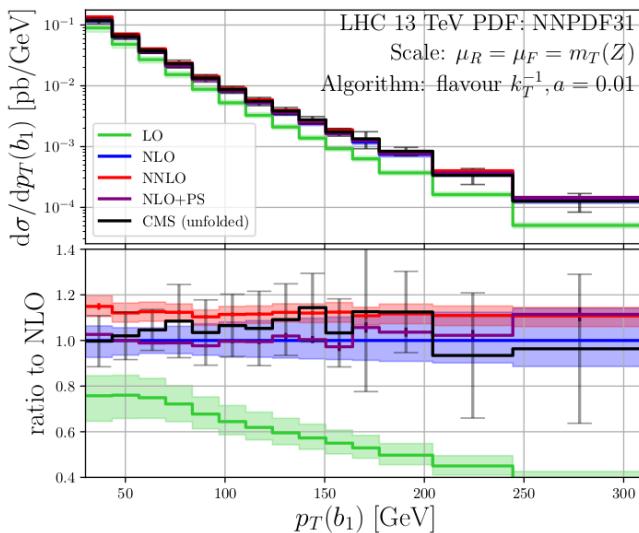
Z+b-jet Phenomenology: Tunable parameter

Benchmark process: $\text{pp} \rightarrow Z(\text{ll}) + \text{b-jet}$

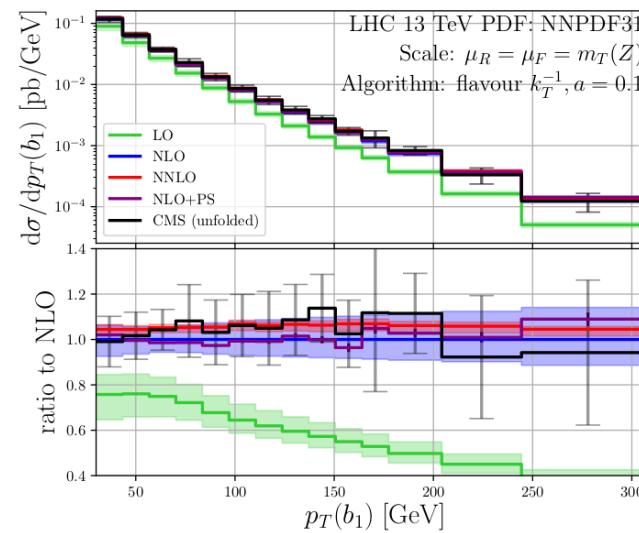
Tunable parameter a:

- Limit $a \rightarrow 0 \Leftrightarrow$ original anti-kT (IR unsafe)
- Large $a \Leftrightarrow$ large modification of cluster sequence

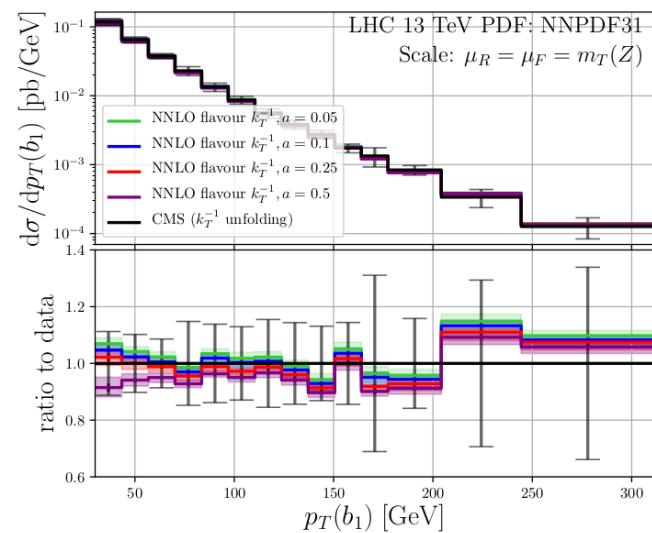
Flavour anti-kT ($a=0.01$):



Flavour anti-kT ($a=0.1$):

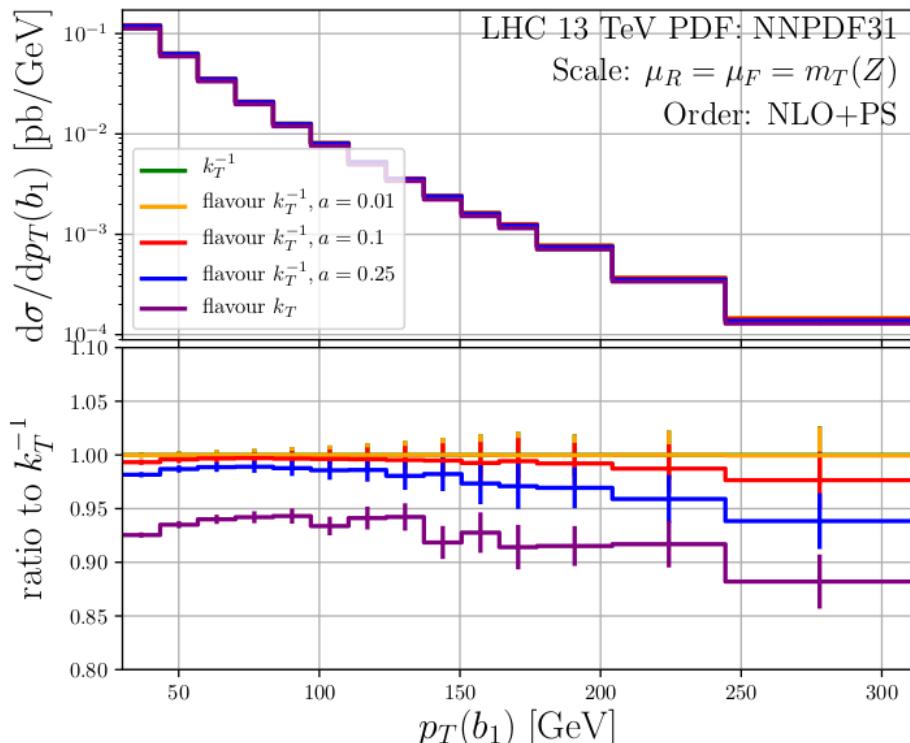


Comparison of different parameter a to data:



Z+b-jet Phenomenology: Tunable parameter II

What happens in the presence of many flavoured partons? → NLO PS



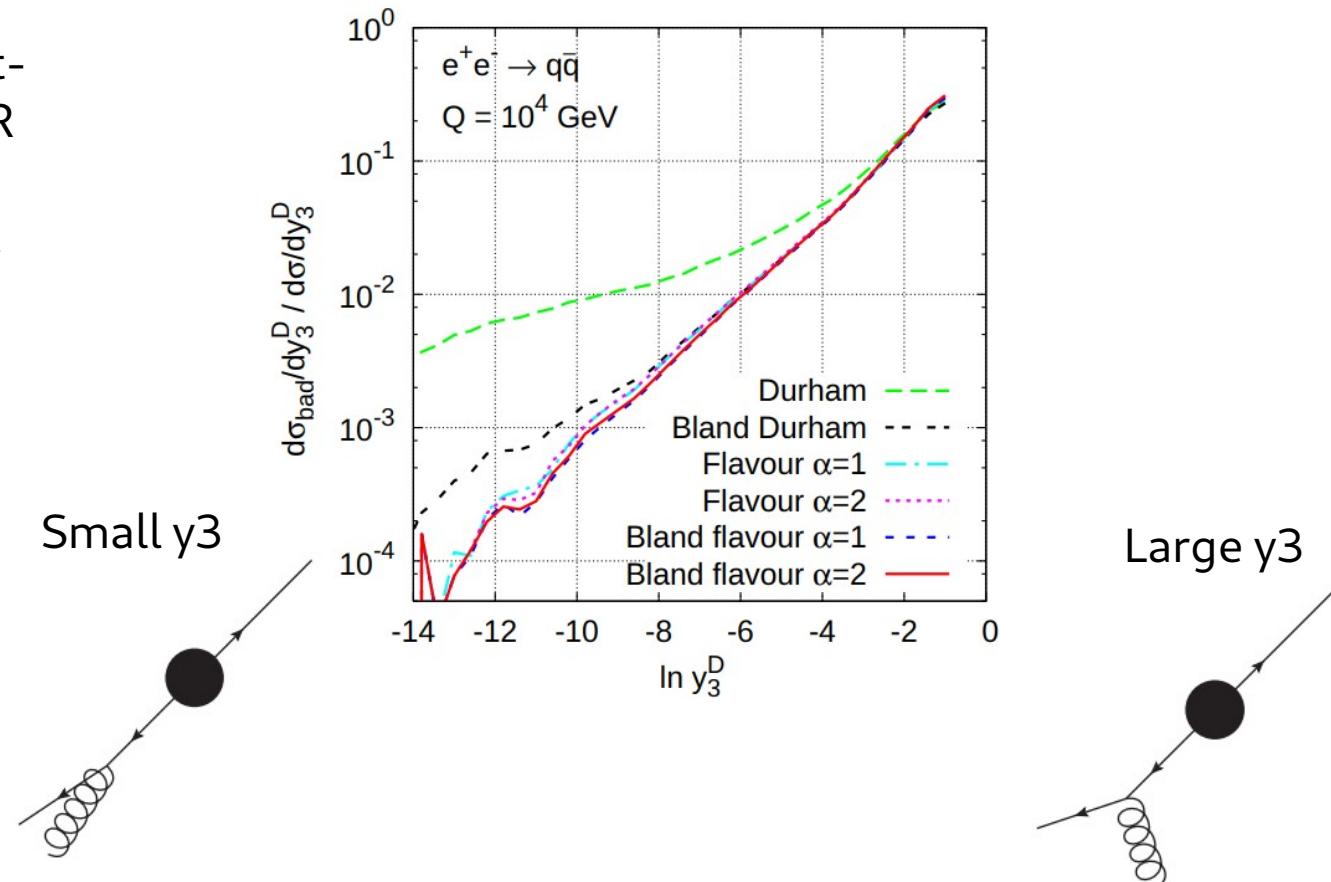
Tunable parameter a:

- Small a: Flavour anti- k_T results are more similar to standard anti- k_T
- Larger a: Larger modification of clustering

Good FO perturbative convergence +
Small difference to standard anti- k_T
→ a~0.1 is a good candidate

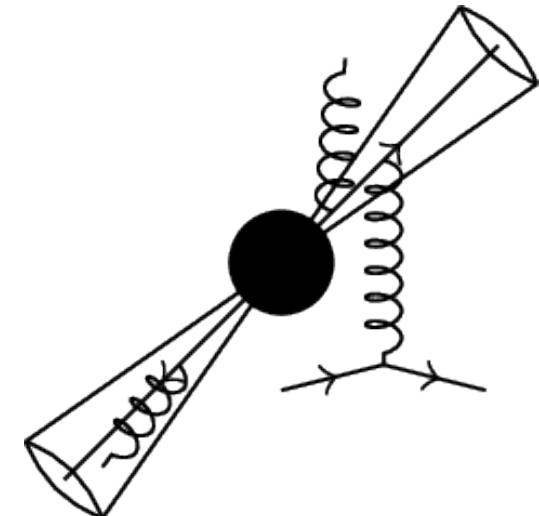
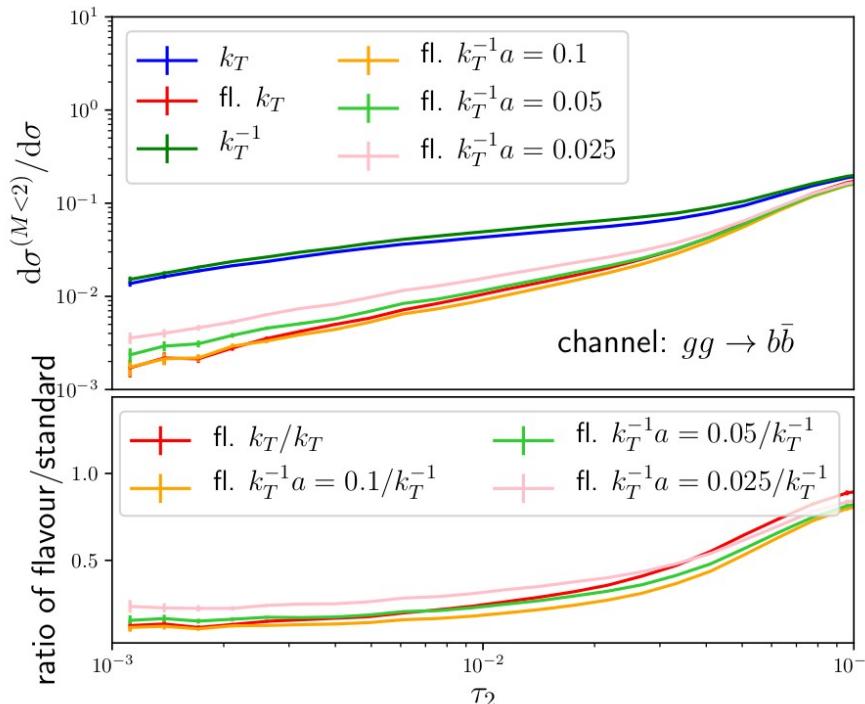
Tests of IR safety

- Rate of bad-identified jet-flavour as a function of IR sensitive variable
- Parton-shower to model many emissions



Tests of IR safety with parton showers

In the di-jet limit the flavour needs to correspond to tree level flavours
→ misidentification rate needs to vanish in di-jet back-to-back limit
→ IR sensitive observable 2-jettiness



Tests of IR safety with NNLO FO computations

IR sensitivity of jet cross sections on (technical)
IR regulating parameter x

In the limit $x_{\text{cut}} \rightarrow 0$:

IR safe jet flavour \rightarrow no dependence on x_{cut}

IR non-safe jet flavour \rightarrow logarithmic divergent

