Department of Industrial Engineering University of Stellenbosch

Simulasie 442 : Simulation 442 2025

Tutoriaal 8	Punt: 58	Ingeedatum: 26-09-2025 (10:00) B3003				
Tutorial 8	Mark:	Due date:				
Instruksies:	Formatteer alle syfers sinvol.					
	Werk in groepe van twee.					
	Toon beide lede se name op een dokument aan asb.					
	Gebruik Matlab, R of Excel vir u berekenings.					
	Die data vir hierdie tutoriaal is beskikbaar in die lêer Tut08_2025_RawData.xlsx.					
	U mag nie	oplossings met ander groepe uitruil nie.				
Instructions:	Format all numbers sensibly.					
	Work in groups of two.					
	Indicate both names on one submission please.					
	Use Matlab, R or Excel for your calculations.					
	The data for this tutorial is available in the file Tut08_2025_RawData.xlsx.					
	You may not exchange solutions with other groups.					

Question 1 [20]

Refer to the *Basic Genetic Algorithm* (Algorithm 1) of the eBook and consider the objective function provided below. We want to find an integer value that maximises the function. The current population of chromosomes as well as their fitness values are provided in the data set labelled 'Question 1'. We shall now go through one iteration of the Genetic Algorithm.

Maximise
$$f(x) = 6x^4 - 25x^3 + 13x^2 - 23x + 162$$

subject to $0 \le x \le 27$.

Use the information provided above to answer the following questions.

(a) Let's assume that the cross-over probability has been satisfied. Two random numbers were sampled as 0.080 and 0.920, which have to be used to randomly select the two parent chromosomes. Find two indices using the random numbers given to select two parent chromosomes.

[4]

(b) Now that the parent chromosomes have been selected, the cross-over function must be performed. The cross-over point was randomly determined to be between the second gene. Perform the cross-over function and provide the binary encoding, x values and fitness values of the child chromosomes.

(c) Now that the child chromosomes have been determined, you must select the child with the best fitness value and perform the mutation function. Take P(Mutation) = 0.05 and determine the binary encoding of the child chromosome as well as its fitness value after applying the mutation function to each gene in the chromosome using

	Genes					
	1	2	3	4	5	
U	0.950	0.065	0.027	0.623	0.057	

[4]

(d) The last step is to replace the least fit chromosome in the population with the mutated child chromosome. Find and replace the least fit member in the population, and show that the average fitness of the population has increased.

[6]

Question 2 [11]

Refer to (6.13) on p. 98 of the eBook and the (r, Q) inventory problem explained in class. Formulate the scenario below in terms of objective functions $(f_i(\mathbf{x}),$ and list the elements represented by ξ .

The objective of an internet service provider with several data centres is to maximise network uptime for its users while at the same time minimising the cost of data transmission between centres as well as the cost of maintaining backup servers at each location. Factors that influence uptime (measured as a percentage) include the availability of bandwidth and unexpected equipment failures.

The transmission costs typically vary between R800 million – R2.5 billion annually, while the backup server maintenance costs vary between R200 million – R1.7 billion annually.

Question 3 [10]

In a linear production line that manufactures fixed-dimension wooden floor boards, there are multiple components. The production line consists of a cutting machine, a sanding machine, and a staining machine, in this order.

1. How many physical buffers are there?

[2]

2. How many possible buffer allocations exist if we allow a maximum of two niches?

[2]

3. Show all the possible buffer-allocations for the previous subquestion.

[6]

Question 4 [3]

Refer to the previous question. If four buffer spaces are allowed *per buffer*, what is the total number of buffers spaces that can be allocated?

Question 5 [8]

Consider the following two objectives.

Minimise
$$f_1(x) = (x-2)^2$$

Minimise $f_2(x) = (x+8)^{1.8}$

subject to $0 \le x \le 15$.

1. Plot the objective functions.

[4]

2. Find the Pareto solutions and plot the Pareto front.

[4]

Question 6 [2]

Suppose you have a population size of 40 chromosomes/solutions, 20 generations, and n=10 replications per solution. Determine the total number of replications the TPS simulation optimiser will execute.

Total: Cross-check: 54