PSE Quant Sampling Algorithm

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We try to formulate a way to compute path probabilities using symbolic execution and testing based technique.

```
int main(void)
        int a; // unintialized
        int d = std::uniform_distribution<rd_seed>(0, 650);
        // forall variable : (INT_MIN to INT_MAX)
        klee_make_symbolic(&a, sizeof(a), "a_sym");
        // PSE variable : Uniformly distributed [0 to 650]
        make_pse_symbolic<int>(&d, sizeof(d), "d_prob_sym", 0, 650);
        int c = a + 100;
        // case 1 : Pure Forall Predicate
        if (a > 50) {
          c = a + 75;
        } else {
          c = a - 75;
        // case 2 : Pure PSE Predicate
        if (d > 60) d = 250;
        // case 3 : Dependence Case
        if (c > d) c = d;
        // Probabilistic\ query\ :\ assert(P(c\ !=\ d)\ <\ 0.5)
        // Opitimize here :
                  Optimal value of forall (a) such that P(c != d) is close to 0.5
        return 0;
}
```

Algorithm 1 Dependence Case: (Testing Based Estimation)

```
1: for each p \in Paths do
      c := ConstraintSet(p)
                                                      ▶ Path Constraints for p
3:
      m := Optimize(query, c)
                                            ▷ solution for the path constraints
      concreteSet = \{\}
4:
      for each v \in ForallVars(p) do
                                                       \rhdForall
Vars p<br/> \rightarrow forall
5:
         concreteSet.append(\{key:v,val:m[v]\})
                                                           ▷ Candidate Values
6:
7:
      end for each
8:
      executeCV(program, concreteSet)
9: end for each
```

Algorithm 2 executeCV : PSE Sampled Normal Execution

```
1: function EXECUTECV(P:program, C:concreteSet)
2: for each v \in ForallVars(p) do
3: value(v) := concreteSet(v) \triangleright Use values from ConcreteSet
4: end for each
5: ... \triangleright proceed with normal execution
6: end function
```