

```

> restart:
with(plots):

#      !

#      ,      0 . 1   0 . 0 5
0.01  0.005
ChZnPoZap:=2:
ShagX:=evalf[1] (1/10^ChZnPoZap) ;

#
Theta[0]:=0:
Theta[1]:=Pi/3:
Theta[2]:=-Pi/3:
Theta[3]:=0:

#
for i from 0 to 3 do
s[i]:=1/3:
T[i]:=matrix(2,2,[s[i]*cos(Theta[i]),-s[i]*sin(Theta[i]),s[i]*sin
(Theta[i]),s[i]*cos(Theta[i])]):
end do:
#
v0:=matrix(2,1,[1,0]):

#
for j from 0 to 3 do
A[j]:=evalf(evalm(add(evalm(T[i]&*v0),i=0..j))[1,1]);
B[j]:=evalf(evalm(add(evalm(T[i]&*v0),i=0..j))[2,1]);
C[j]:=evalf(s[j]*cos(Theta[j])):
E[j]:=evalf(s[j]*sin(Theta[j])):
end do:
A[-1]:=0:
B[-1]:=0:
C[-1]:=0:
E[-1]:=0:

#
KoxaPlolnostu:= proc(t)
local zz,i,eq1,eq2,j,jj,TT:

#
,      t
j:=1:
zz[1]:=0:
while zz[j]<1+t do
eq1[j],eq2[j],TT[j]:=KoxaUrav(zz[j]):
zz[j+1]:=zz[j]+t:
j:=j+1:
end do:

#

```

```

subs(x[0.]=0,y[0.]=0,solve({seq(eq1[jj],jj=1..j-1),seq(eq2[jj],
jj=1..j-1)},{seq(x[zz[jj]],jj=1..j-1),seq(y[zz[jj]],jj=1..j-1)}))
;

#      x , y      t
subs(%, [seq([x[zz[jj]],y[zz[jj]],zz[jj]],jj=1..j-1)]);
end proc:

#
t
KoxaUrav := proc(t)
option remember;
local eq1,eq2,i,T,qq,k:
T:=t:
#
k:=4:
qq:=k*T-trunc(k*T):
eq1:=x[t]=A[trunc(k*T)-1]+C[trunc(k*T)]*x[qq]-E[trunc(k*T)]*y[qq]
:
eq2:=y[t]=B[trunc(k*T)-1]+E[trunc(k*T)]*x[qq]+C[trunc(k*T)]*y[qq]
:
eq1,eq2,T;
end proc:
SaveFractalNotWar:=KoxaPlolnostu(ShagX):
ChisloUzlovFractala:=nops(SaveFractalNotWar)-1:

KoxaFunction:= proc(t)
option remember;
local i:

for i from 0 to ChisloUzlovFractala do
#print(i/ChisloUzlovFractala):
if t=i/ChisloUzlovFractala then
RETURN([SaveFractalNotWar[i+1,1],SaveFractalNotWar[i+1,2]]);
fi:
od:
NULL:
end proc:

```

ShagX := 0.01

(1)

> SaveFractalNotWar

```

[[0., 0., 0], [0.02407645757, 0.006013250501, 0.01], [0.04132231404, 0.01183094814,
0.02], [0.05212143792, 0.02875604833, 0.03], [0.07222937271, 0.01803975151, 0.04],
[0.08333333332, 0., 0.05], [0.1030856252, 0.002004416833, 0.06], [0.1114968613,
0.01983883783, 0.07], [0.1239669421, 0.03549284442, 0.08], [0.1166452152,
0.05411925452, 0.09], [0.1250000000, 0.07216878368, 0.10], [0.1489071038,
0.06680085761, 0.11], [0.1563643138, 0.08626814501, 0.12], [0.1769690195,
0.08626814501, 0.13], [0.1844262295, 0.06680085761, 0.14], [0.2083333333,
0.07216878368, 0.15], [0.2166881181, 0.05411925452, 0.16], [0.2093663912,
0.03549284442, 0.17], [0.2218364720, 0.01983883783, 0.18], [0.2302477081,
0.002004416833, 0.19], [0.2500000000, 0., 0.20], [0.2611039606, 0.01803975151, 0.21],
[0.2812118954, 0.02875604833, 0.22], [0.2920110193, 0.01183094814, 0.23],
[0.3092568757, 0.006013250501, 0.24], [0.3333333333, 0., 0.25], [0.3401639344,

```

(2)

0.02385744915, 0.26], [0.3437485887, 0.04170164779, 0.27], [0.3344905839, 0.05951651351, 0.28], [0.3538251366, 0.07157234745, 0.29], [0.3750000000, 0.07216878367, 0.30], [0.3831402700, 0.09027697868, 0.31], [0.3719008264, 0.1064785333, 0.32], [0.3645790994, 0.1251049434, 0.33], [0.3447872916, 0.1280773469, 0.34], [0.3333333332, 0.1443375673, 0.35], [0.3499356455, 0.1623577636, 0.36], [0.3368050851, 0.1785495405, 0.37], [0.3471074379, 0.1963937392, 0.38], [0.3676952084, 0.1931182288, 0.39], [0.3749999999, 0.2165063511, 0.40], [0.3948087431, 0.2147170424, 0.41], [0.4072788240, 0.1990630358, 0.42], [0.4270706318, 0.2020354393, 0.43], [0.4467213115, 0.2004025729, 0.44], [0.4583333333, 0.2165063510, 0.45], [0.4482624305, 0.2351425388, 0.46], [0.4490358127, 0.2579146695, 0.47], [0.4690929413, 0.2588044351, 0.48], [0.4827541435, 0.2708309361, 0.49], [0.5000000000, 0.2886751347, 0.50], [0.5172458565, 0.2708309361, 0.51], [0.5309070587, 0.2588044351, 0.52], [0.5509641873, 0.2579146695, 0.53], [0.5517375695, 0.2351425388, 0.54], [0.5416666667, 0.2165063510, 0.55], [0.5532786885, 0.2004025729, 0.56], [0.5729293682, 0.2020354393, 0.57], [0.5927211760, 0.1990630358, 0.58], [0.6051912569, 0.2147170424, 0.59], [0.6250000001, 0.2165063511, 0.60], [0.6323047916, 0.1931182288, 0.61], [0.6528925621, 0.1963937392, 0.62], [0.6631949149, 0.1785495405, 0.63], [0.6500643545, 0.1623577636, 0.64], [0.6666666668, 0.1443375673, 0.65], [0.6552127084, 0.1280773469, 0.66], [0.6354209006, 0.1251049434, 0.67], [0.6280991736, 0.1064785333, 0.68], [0.6168597300, 0.09027697868, 0.69], [0.6250000000, 0.07216878367, 0.70], [0.6461748634, 0.07157234745, 0.71], [0.6655094161, 0.05951651351, 0.72], [0.6562514113, 0.04170164779, 0.73], [0.6598360656, 0.02385744915, 0.74], [0.6666666667, 0., 0.75], [0.6907431243, 0.006013250501, 0.76], [0.7079889807, 0.01183094814, 0.77], [0.7187881046, 0.02875604833, 0.78], [0.7388960394, 0.01803975151, 0.79], [0.7500000000, 0., 0.80], [0.7697522919, 0.002004416833, 0.81], [0.7781635280, 0.01983883783, 0.82], [0.7906336088, 0.03549284442, 0.83], [0.7833118819, 0.05411925452, 0.84], [0.7916666667, 0.07216878368, 0.85], [0.8155737705, 0.06680085761, 0.86], [0.8230309805, 0.08626814501, 0.87], [0.8436356862, 0.08626814501, 0.88], [0.8510928962, 0.06680085761, 0.89], [0.8750000000, 0.07216878368, 0.90], [0.8833547848, 0.05411925452, 0.91], [0.8760330579, 0.03549284442, 0.92], [0.8885031387, 0.01983883783, 0.93], [0.8969143748, 0.002004416833, 0.94], [0.9166666667, 0., 0.95], [0.9277706273, 0.01803975151, 0.96], [0.9478785621, 0.02875604833, 0.97], [0.9586776860, 0.01183094814, 0.98], [0.9759235424, 0.006013250501, 0.99], [1., 0, 1.00]]

> 0, 0.012, 0.016000, 0.044000, 0.044000, 0.045000, 0.053000, 0.055000, 0.070000, 0.071000, 0.073000, 0.076000, 0.080000, 0.082000, 0.10600, 0.10800, 0.11000, 0.14000, 0.14100, 0.16900, 0.16900, 0.17000, 0.17800, 0.17900, 0.18000, 0.19500, 0.19700, 0.20500, 0.20700, 0.23100, 0.23200, 0.24000, 0.24100, 0.24300, 0.24400, 0.25600, 0.25800, 0.27300, 0.27600, 0.27800, 0.28500, 0.28800, 0.28900, 0.33600, 0.33700, 0.33700, 0.33900, 0.34000, 0.34700, 0.34800, 0.35500, 0.35700, 0.36100, 0.36200, 0.36300, 0.38700, 0.38700, 0.38800, 0.38900,

```

0.39300, 0.39400, 0.41800, 0.41900, 0.42000, 0.42800, 0.42900, 0.43100, 0.43500, 0.43600,
0.43900, 0.44000, 0.44200, 0.44800, 0.45500, 0.45700, 0.48100, 0.48200, 0.48300, 0.48300,
0.48600, 0.48700, 0.48800, 0.51200, 0.51200, 0.51400, 0.51700, 0.51800, 0.52000, 0.52700,
0.52800, 0.53500, 0.53600, 0.53800, 0.53900, 0.58600, 0.58700, 0.59000, 0.59700, 0.59800,
0.60500, 0.60700, 0.60800, 0.61100, 0.61300, 0.63700, 0.63800, 0.63900, 0.64300, 0.64400,
0.66800, 0.67000, 0.67800, 0.68000, 0.71100, 0.71500, 0.72200, 0.72400, 0.72500, 0.72600,
0.77500, 0.77600, 0.77700, 0.77800, 0.78500, 0.78600, 0.78900, 0.83600, 0.83700, 0.83800,
0.84100, 0.84700, 0.84700, 0.84900, 0.85300, 0.86600, 0.87100, 0.88700, 0.88800, 0.88900,
0.89300, 0.89400, 0.91800, 0.92000, 0.92800, 0.93000, 0.94500, 0.94700, 0.95500, 0.95600,
0.95700, 0.98100, 0.99000, 0.99, 1.0

```

```
> with(Statistics):
```

```

#
FromA:={0, 0.12e-1, 0.16000e-1, 0.44000e-1, 0.44000e-1,
0.45000e-1, 0.53000e-1, 0.55000e-1, 0.70000e-1, 0.71000e-1,
0.73000e-1, 0.76000e-1, 0.80000e-1, 0.82000e-1, .10600, .10800,
.11000, .14000, .14100, .16900, .16900, .17000, .17800, .17900,
.18000, .19500, .19700, .20500, .20700, .23100, .23200, .24000,
.24100, .24300, .24400, .25600, .25800, .27300, .27600, .27800,
.28500, .28800, .28900, .33600, .33700, .33700, .33900, .34000,
.34700, .34800, .35500, .35700, .36100, .36200, .36300, .38700,
.38700, .38800, .38900, .39300, .39400, .41800, .41900, .42000,
.42800, .42900, .43100, .43500, .43600, .43900, .44000, .44200,
.44800, .45500, .45700, .48100, .48200, .48300, .48300, .48600,
.48700, .48800, .51200, .51200, .51400, .51700, .51800, .52000,
.52700, .52800, .53500, .53600, .53800, .53900, .58600, .58700,
.59000, .59700, .59800, .60500, .60700, .60800, .61100, .61300,
.63700, .63800, .63900, .64300, .64400, .66800, .67000, .67800,
.68000, .71100, .71500, .72200, .72400, .72500, .72600, .77500,
.77600, .77700, .77800, .78500, .78600, .78900, .83600, .83700,
.83800, .84100, .84700, .84700, .84900, .85300, .86600, .87100,
.88700, .88800, .88900, .89300, .89400, .91800, .92000, .92800,
.93000, .94500, .94700, .95500, .95600, .95700, .98100, .99000,
.99, 1.0 }:
```

```

#
delta:=evalf(0.1):
SubdivizionTrue[1]:=0:
i:=1:

```

```

#
while SubdivizionTrue[i]<1 do
SubdivizionTrue[i+1]:=evalf[2](SubdivizionTrue[i]+delta/4):
i:=i+1:
od:
N:=i:print(%):

```

```

(*
for i from 1 to 147 do
SubdivizionTrue[i]:=FromA[i]:
od:

```

```

N:=147:

*)

k:=0:
while k<300 do
i:='i':
j:='j':
SubdivizionShtrih1:=0:
#
#
x1:=evalf(Sample(RandomVariable(Uniform(0, 1)), 1)[1]):
y1:=evalf(Sample(RandomVariable(Uniform(0, 1)), 1)[1]):

#
while evalf[5](x1)=evalf[5](y1) do
y1:=evalf(Sample(RandomVariable(Uniform(0, 1)), 1)[1]):
od:

y:=max(x1,y1); x:=min(x1,y1);
#
j:=1:
for i from 1 to N do
if SubdivizionTrue[i]>=x and SubdivizionTrue[i]<=y then
SubdivizionShtrih1[j]:=SubdivizionTrue[i]:
j:=j+1:
#
if j=2 then
iStart:=i:
fi:

fi:
od:
#
m:=j-3:
#
iFinish:=iStart+m+1:

keyOnlyOneWay:=0:

# 3

if m>1 then
#-----
-----
RandomVariableForProbability:=Sample(RandomVariable(Uniform(0, 1)
), 1)[1]:
pC:=min(1,delta/(y-x));
#
if RandomVariableForProbability<evalf(pC) and keyOnlyOneWay=0
then
# ( )

```

```

key:=-1:
while key<>SubdivisionShtrih1[m+2] do
SubdivisionShtrih1Shift:=0:
SubdivisionShtrih1Shift[1]:=SubdivisionShtrih1[1]:
RandomVariableForShift:=Sample(RandomVariable(Uniform(-delta/10,
delta/10)), m+5):
for i from 2 to m+1 do
SubdivisionShtrih1Shift[i]:=abs(evalf[5](trunc(10^ChZnPoZap*
(SubdivisionShtrih1[i]+RandomVariableForShift[i]))/10^ChZnPoZap))
:
od:
SubdivisionShtrih1Shift[m+2]:=SubdivisionShtrih1[m+2]:
SubdivisionShtrih1Shift:=sort([seq(SubdivisionShtrih1Shift[pp],
pp=1..m+2)]);
#print([seq(SubdivisionShtrih1Shift[qqq],qqq=1..m+2)]):
key:=SubdivisionShtrih1Shift[m+2]:
od:

sssss:=0:

#
/
diamShtrih1Shift:=evalf(max(seq(SubdivisionShtrih1Shift[ii]-
SubdivisionShtrih1Shift[ii-1],ii=2..m+2))):
if diamShtrih1Shift<=delta then
for i from 1 to m+2 do
SubdivisionShtrih2[i]:=SubdivisionShtrih1Shift[i]:
od:

#
for i from 1 to iStart do
Subdivision1[i]:=SubdivisionTrue[i]:
od:
j:=2:
for i from iStart+1 to iFinish-1 do
Subdivision1[i]:=SubdivisionShtrih2[j]:
j:=j+1:
od:

for i from iFinish to N do
Subdivision1[i]:=SubdivisionTrue[i]:
od:

(*
print(x,y,iStart,iFinish,m,j-1);
print(seq([SubdivisionTrue[ii],ii],ii=iStart..iFinish)):
print(seq([Subdivision1[ii],ii],ii=iStart..iFinish)):
k:=10000:
*)

#
sigma1:=add(evalf((sqrt((KoxaFunction(Subdivision1[jj+1])[1]-
KoxaFunction(Subdivision1[jj])[1])^2+(KoxaFunction(Subdivision1
[jj+1])[2]-KoxaFunction(Subdivision1[jj])[2])^2))^(ln(4)/ln(3))),

```

```

jj=1..N-1):
sigma:=add(evalf((sqrt((KoxaFunction(SubdivizionTrue[jj+1])[1]-
KoxaFunction(SubdivizionTrue[jj])[1])^2+(KoxaFunction
(SubdivizionTrue[jj+1])[2]-KoxaFunction(SubdivizionTrue[jj])[2])
^2))^(ln(4)/ln(3))),jj=1..N-1):

```

```

#
      k
if signal<sigma then
k:=k+1:
if Subdivizion1[N]<0.99 then
print(" ! "):
print(x,y,iStart,iFinish,m,j-1);
print(seq([SubdivizionTrue[ii],ii],ii=iStart..iFinish)):
print(seq([Subdivizion1[ii],ii],ii=iStart..iFinish)):
k:=10000:
fi:
for i from 1 to N do
SubdivizionTrue[i]:=Subdivizion1[i]:
od:
print("          "):
print(signal):
print("    "):
print(k):
keyOnlyOneWay:=0:
fi:

```

```

keyOnlyOneWay:=0:
fi:
fi:

```

```

#-----
----- B
#
RandomVariableForProbability:=Sample(RandomVariable(Uniform(0, 1)
), 1)[1]:
pD:=min(1,delta/(y-x));
#
if RandomVariableForProbability<evalf(pD) and keyOnlyOneWay=0
then
#
( )
SubdivizionShtrih1Delete[1]:=SubdivizionShtrih1[1]:
SubdivizionShtrih1Delete[2]:=SubdivizionShtrih1[m+2]:

#
/
diamShtrih1Delete:=evalf(SubdivizionShtrih1Delete[2]-
SubdivizionShtrih1Delete[1]):
if diamShtrih1Delete<=delta then
SubdivizionShtrih2[1]:=SubdivizionShtrih1Delete[1]:
SubdivizionShtrih2[2]:=SubdivizionShtrih1Delete[2]:

```

```

#
for i from 1 to iStart-1 do
Subdivizion1[i]:=SubdivizionTrue[i]:
od:

Subdivizion1[iStart]:=SubdivizionShtrih2[1]:
Subdivizion1[iStart+1]:=SubdivizionShtrih2[2]:

jjj:=iStart+2:
for i from iFinish+1 to N do
Subdivizion1[jjj]:=SubdivizionTrue[i]:
jjj:=jjj+1:
od:
jjj:=jjj-1:

#
sigma:=add(evalf((sqrt((KoxaFunction(Subdivizion1[jj+1])[1]-
KoxaFunction(Subdivizion1[jj])[1])^2+(KoxaFunction(Subdivizion1
[jj+1])[2]-KoxaFunction(Subdivizion1[jj])[2])^2))^(ln(4)/ln(3))),
jj=1..jjj-1):
sigma:=add(evalf((sqrt((KoxaFunction(SubdivizionTrue[jj+1])[1]-
KoxaFunction(SubdivizionTrue[jj])[1])^2+(KoxaFunction
(SubdivizionTrue[jj+1])[2]-KoxaFunction(SubdivizionTrue[jj])[2])
^2))^(ln(4)/ln(3))),jj=1..N-1):
#sigma:=0:
#sigma:=1:

#
      k
if sigma1<sigma then
k:=k+1:
SubdivizionTrue:=0:
for i from 1 to jjj do
SubdivizionTrue[i]:=Subdivizion1[i]: #print(%);
od:#1 to j
p r i n t ( "          " ) :
print(sigma1):
N:=jjj: print(N):
p r i n t ( "    " ) :
print(k):
keyOnlyOneWay:=0:
fi:#sigma1<sigma
fi: #diamShtrih1Delete<=delta

keyOnlyOneWay:=0:
fi:#RandomVariableForProbability<evalf(pD)

#-----
#----- ( )
#
RandomVariableForProbability:=Sample(RandomVariable(Uniform(0, 1)
), 1)[1]:
#RandomVariableForProbability:=0:

```



```

pI:=min(1,delta/(y-x));
#
if RandomVariableForProbability<evalf(pI) and keyOnlyOneWay=0
then

#
i:=1:
j:=1:
while j<=m do
if SubdivizionShtrih1[j+1]-SubdivizionShtrih1[j]>delta/10 then
SubdivizionShtrih1Insert[i]:=SubdivizionShtrih1[j]:
i:=i+1:
SubdivizionShtrih1Insert[i]:=SubdivizionShtrih1Insert[i-1]:
while abs(SubdivizionShtrih1Insert[i]-SubdivizionShtrih1Insert
[i-1])=0 do
SubdivizionShtrih1Insert[i]:=evalf[5](trunc(10^ChZnPoZap*(Sample
(RandomVariable(Uniform(SubdivizionShtrih1[j], SubdivizionShtrih1
[j+1])), 1)[1]))/10^ChZnPoZap):
od:
i:=i+1:
else
SubdivizionShtrih1Insert[i]:=SubdivizionShtrih1[j]:
i:=i+1:
fi:
j:=j+1:
od:
SubdivizionShtrih1Insert[i]:=SubdivizionShtrih1[j]:
NN:=i;

#
/
diamShtrih1Insert:=evalf(max(seq(SubdivizionShtrih1Insert[ii]-
SubdivizionShtrih1Insert[ii-1],ii=2..NN))):
if diamShtrih1Insert<=delta then

for i from 1 to NN do
SubdivizionShtrih2[i]:=SubdivizionShtrih1Insert[i]:
end do:

#
for i from 1 to iStart do
Subdivizion1[i]:=SubdivizionTrue[i]:
od:
j:=iStart:
for i from 1 to NN do
Subdivizion1[j]:=SubdivizionShtrih2[i]:
j:=j+1:
end do:

for i from iFinish to N do
Subdivizion1[j]:=SubdivizionTrue[i]:
j:=j+1:
od:
j:=j-1:

```

```

#
sigma:=add(evalf((sqrt((KoxaFunction(Subdivizion1[jj+1])[1]-
KoxaFunction(Subdivizion1[jj])[1])^2+(KoxaFunction(Subdivizion1
[jj+1])[2]-KoxaFunction(Subdivizion1[jj])[2])^2))^(ln(4)/ln(3))),
jj=1..j-1):
sigma:=add(evalf((sqrt((KoxaFunction(SubdivizionTrue[jj+1])[1]-
KoxaFunction(SubdivizionTrue[jj])[1])^2+(KoxaFunction
(SubdivizionTrue[jj+1])[2]-KoxaFunction(SubdivizionTrue[jj])[2])
^2))^(ln(4)/ln(3))),jj=1..N-1):
#sigma:=0:
#sigma:=1:

#
      k
if sigma<sigma then
k:=k+1:
SubdivizionTrue:=0:
for i from 1 to j do
SubdivizionTrue[i]:=Subdivizion1[i]: #print(%);
od:#1 to j
p r i n t ( "          C " ) :
print(sigma):
N:=j:print(N):
p r i n t ( "    " ) :
print(k):
keyOnlyOneWay:=0:
fi:#sigma<sigma

keyOnlyOneWay:=1:
fi: #diamShtrihlInsert<=delta
fi:#RandomVariableForProbability<evalf(pI)

fi:#m>3
keyOnlyOneWay:=0:

if SubdivizionTrue[N]<0.98 then
p r i n t ( " ! " ) :
k:=100:
fi:

od:# k<...
                                50
                                "          C "
                                0.7712571473
                                53
                                "    "
                                1
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208

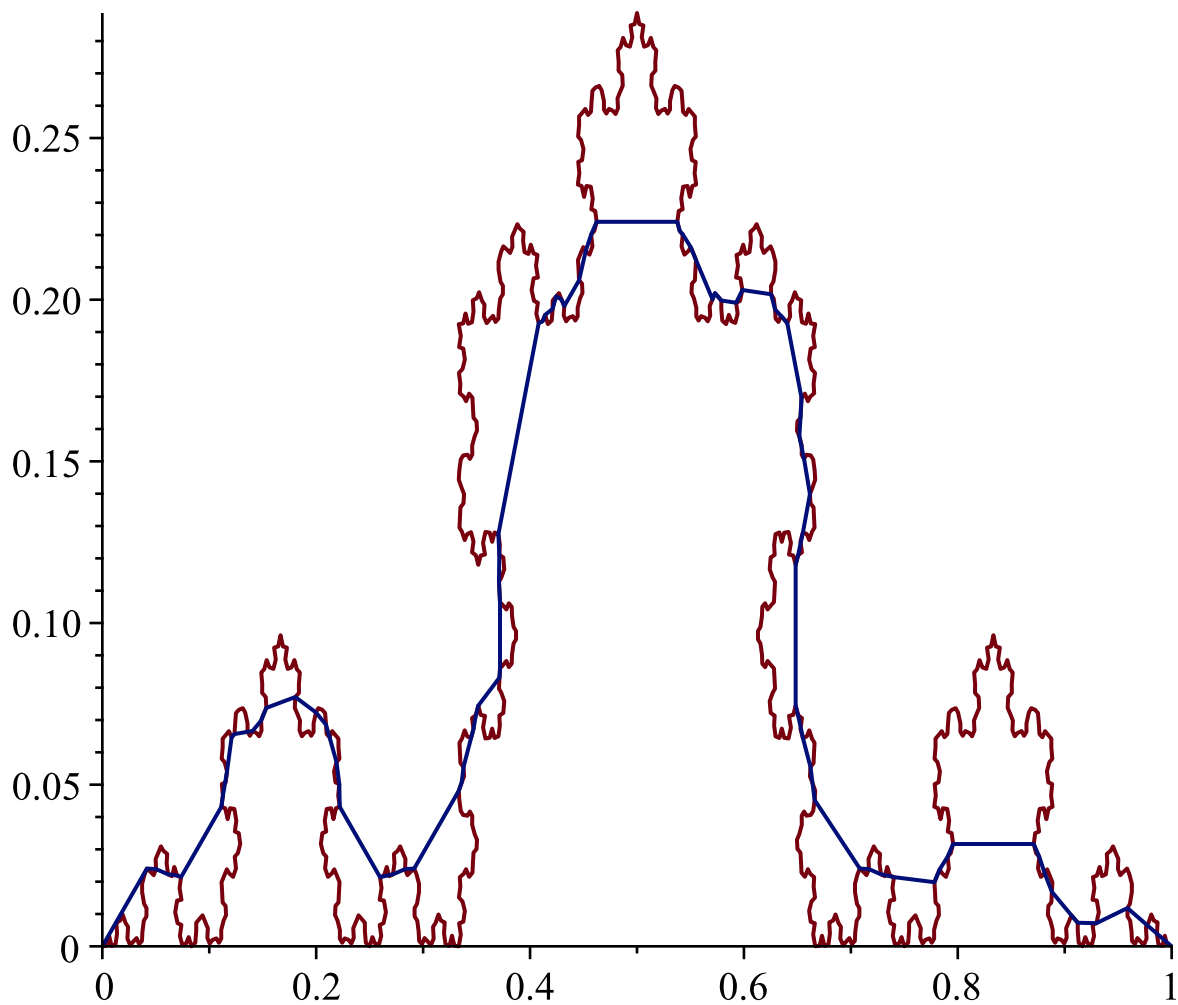
Warning, computation interrupted

```

> for i from 1 to N do
  GGGG[i]:=KoxaFunction(SubdivizionTrue[i]):
od:
seq(SubdivizionTrue[i],i=1..N);
plot([[seq([SaveFractalNotWar[i,1],SaveFractalNotWar[i,2]],i=1.
.10^ChZnPoZap)],[seq([GGGG[i][1],GGGG[i][2]],i=1..N)])];

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```
> with(Statistics) :
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#
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Warning, computation interrupted

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> evalm(T[1]&*v0)[1,1]; evalf(%)

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Warning, inserted missing semicolon at end of statement

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(3)