

Revanth Korrapolu (rrk69)  
Vineeth Puli (vrp34)  
CS 460  
10/13/19

### Problem 1

In our implementation of the multilateration function, we first parsed and saved the input values into 4 points ( $p_1, p_2, p_3, p_4$ ) and the four radial distances ( $r_1, r_2, r_3, r_4$ ). After that we check if the points were unique, we throw an error if there if the trilateration is impossible find.

We created four cases based on how many of the four points were unique. If all four of the points were unique, we use the standard trilateration algorithm used in 2D. By using the trilateration algorithm, I save variables and reduce the equations by eliminating the possible sample space from a sphere with one point, to a circle with two points, to two points with three points, and finally to a one point with four points.

In special cases, it is possible to solve for trilateration given just three unique points. Similarly, when there are two unique points (say  $p_1$  and  $p_2$ ) with radial distances  $r_1$  and  $r_2$  respectively, it is only possible to find the point when  $p_1$  and  $p_2$  have a distance of exactly  $r_1 + r_2$ . Finally, when there is only one unique point, we check if the radial distance ( $r_1$ ) is equal to zero. Otherwise, it is impossible to find and our program.